

Room nos. $\langle 1-1000 \rangle$

Pandemic

Program

availability

bool ch[1001] = T

Ind \rightarrow Room

1000 lucky nos.
in range $[1-10^9]$

$\langle 4, 7, 11, 19, 25 \dots \rangle$

bool ch[10^9+1] = T

ch[25]
ch[10^9]

arr[11]
 $\langle 0-10 \rangle$
[1-10]

1) Adv: Access time $\rightarrow O(1)$
2) Disadv: Huge loss in space

// Hashmap $\langle \text{key}, \text{value} \rangle$

keys've to unique

$\langle 74, \text{occupied} \rangle$
 $\langle 101, \text{occupied} \rangle$

Room, available
 \downarrow key \downarrow value

4, 7, 11, 12

// If we want to store only keys →
Hashset <key>

↳ key → unique

1) Store population of every country

country & population

HashMap <key, value>

↳ unique

pop, country

↓
country

↓
population

String

Long

HashMap <String, Long>

2) No. of states in each country

HashMap <key, value>

↓

country

↓

no. of states

HashMap <String, Int>

3) For every country, we want to store all state names

HashMap <key, value>

↓

country

↓

all states

HashMap <String, List <String> >

4) For every country, store population of each state.

HashMap <key, value>

↓ ↓
country Population of each state

String

HashMap <State, pop>
String, Long

HashMap <String, HashMap <String, Long>>

// value - can be anything

// key - <String, int, long, float, ... >

↓
Any primitive data type

└─ a list can't be kept as a key

	Java	C++	Python
HashMap	HashMap	unordered_map	dict
HashSet	HashSet	unordered_set	set

JS
map
set

C#
}

HashMap
<K, V>

HashSet
<K>

Arr []

Ind → room

Hash map <key, value>

worst case $\rightarrow O(N)$

insert <key, value>
search <key>
remove <key>
update <key, new value>

size() \rightarrow no. of keys
in hashmap

All operations

$\Rightarrow O(1)$ (avg) \rightarrow for a single operation

Even if you're searching a key in 10^4 K/V pairs

\downarrow
 $O(1)$

If we insert N key/value pairs
SC: $O(N)$

HashSet <key>

insert (key)
search (key)
remove (key)

update (key) \rightarrow remove (key)
 \downarrow
insert (new key)

<india, china, pak>

For a single operation

\downarrow
 $O(1)$

1. Find Frequency of numbers

Given N array elements & Q queries. For each query, find frequency of given element in that query.

$N=11$ arr[11] = $\langle 2, 6, 3, 8, 2, 8, 2, 3, 8, 10 \rangle$

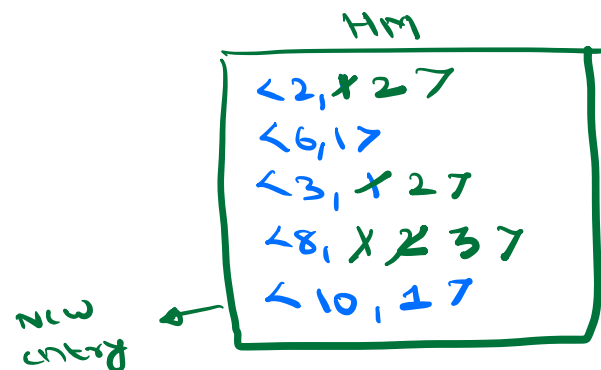
Query = 4

2 : 3		HashMap $\langle k, v \rangle$	
8 : 3		\downarrow array elements int	\rightarrow freq int
3 : 2		HashMap $\langle \text{int}, \text{int} \rangle$	hm
5 : 0			

Idea: For every query, iterate & get count

TC: $O(QN)$

SC: $O(1)$



if key present? $hm[key] : 0$

// Pseudocode

HashMap <int, int> hm;

for (i=0 ; i < N ; i++) <

→ N

Search arr[i]
in hm

Insert
array
elems
in hm

if (arr[i] is in hm) <

// update freq by +1
hm[arr[i]] ++

>
else <

hm.insert (<arr[i], 1>)

// insert <arr[i], 1> in hm

>

for (i=0 ; i < Q ; i++) <

→ Q

// x

if (x is in hm) <

print (hm[x])

>

else < print (0) >

TC:
 $O(Q+N)$

SC: $O(N)$

2. Find the first non-repeating element.

Ex 1 $arr[6] = \langle 1, 2, 3, 1, 2, 5 \rangle$  1st non-repeating from start

Ex 2 $arr[8] = \langle 4, 3, 3, 2, 5, 6, 4, 5 \rangle$

Ex 3 $arr[7] = \langle 2, 6, 8, 4, 7, 2, 4 \rangle$

Idea:

1. Insert all elements in hm
2. Iterate on hm and get 1st key with freq = 1

(Note - in hashmap, insertion order is not maintained ; when we print hashmap we'll get any order)

Idea :

1. Insert all elements in hm $\rightarrow O(N)$
2. Iterate on array and get elem with freq = 1 $\rightarrow O(N)$

TC: $O(N + N) = O(N)$

SC: $O(N)$

```
for (key in hm.keySet())  
    print(key, hm[key])
```

3. Given N array elements, find no. of distinct elements.

Ex 1 $arr[5] : \langle 3, 5, 6, 5, 4 \rangle$
+1 +1 +1 +1 $\rightarrow 4$

Ex 2 $arr[7] : \langle 6, 3, 7, 3, 8, 6, 9 \rangle$
+1 +1 +1 +1 +1 $\rightarrow 5$

HashSet < key > $\xrightarrow{\text{element}}$
 $\xrightarrow{\text{int}}$

HashSet <int> hs;

hs

6
3
7
8
9

hs.size = 5

Note - Even if we insert same key twice in HashSet, it will only store key once / unique occurrence.

TC: $O(N)$
SC: $O(N)$

```
for (i = 0; i < N; i++) {  
    hs.insert(arr[i])  
}  
print (hs.size())
```


4. Given N array elements, check if all elements are distinct or not. → bool

arr[7] = < 1, 2, 3, 4, 5, 6, 7 >

1. Insert all elements in hashset hs

2. If (hs.size == N) <

// all distinct
return true

TC: O(N)

SC: O(N)

else < // all not distinct
return false

>

5. Given N array elements, check if there exists a subarray with sum = 0. → bool

	0	1	2	3	4	5	6	7	8	9
arr[]:	2	2	1	-3	4	3	1	-2	-3	2
pf[]	2	4	5	2	6	9	10	8	5	7
		(2)		(8)					(8)	
				(1)						

Idea 1: go to every subarray, find sum, compare with 0

TC: O(N³)

l — r

Sum[l r] =

pf[r] - pf[l-1] = 0

⇒ pf[r] = pf[l-1]

Idea 2 TC: O(N²)

Idea 3: If we've a repetition in pf[], then there is subarray with sum = 0

1. Construct pf[] $\rightarrow n$
2. HashSet <int> hs
Insert all pf[] elements in hs $\rightarrow n$

if (hs.size() < n || 0 in hs)

TC: $O(n)$
 } return true

SC: $O(n)$
 else
 } return false

arr[] | 2 0 3
 pf[] | 2 2 5 ✓
 hs → 2

arr[] = -1 4 -3 2
 pf[] = -1 3 0 2

a
 8[] | 0 2 3 3
 1 pf[] | 0 2 5 8

(code fails)

(code fails)

if pf is 0,
 subarray sum = 0

Doubts

	0	1	2	3	4	5	6	7	8	9
arr[]:	2	2	1	-3	4	3	1	-2	-3	2
pf[]	2	4	5	2	6	9	10	8	5	7

sum: 2 4 5 2

$$p_L[0] = a_x[0]$$

for ($i = 1; i < N; i++$) <

$$p_f c_i = p_f c_{i-1} + a_0 c_i$$

OR

Sum = 0

```
for (i = 0; i < 2; i++)
```

$$\text{sum} = \text{sum} + a[i]$$

pt sum []
space
saved

* Get marks of student

HashMap < Int / Long, HashMap <String, int >>

↓ / \

Adm No. → Subject Marks

* we can't keep student name as key
bcz it is not unique

bcz it is not unique
* get apurva's marks `hm[80]['history']` adm no. (Apurva)