

# CMSC 412

Fall 2004

## Implementing Synchronization

### Review

- What is synchronization and why do we need it?
- What is deadlock?
- How are synchronization and deadlock related?
- Reading: chapter 7.

## Race Condition

- **Race condition:** The situation where several processes access - and manipulate shared data concurrently. The final value of the shared data depends upon which process finishes last.
- To prevent race conditions, concurrent processes must be **synchronized**.

## The Critical-Section Problem

- $n$  processes all competing to use some shared data
- Each process has a code segment, called *critical section*, in which the shared data is accessed.
- Problem - ensure that when one process is executing in its critical section, no other process is allowed to execute in its (related) critical section.

# Implementing Critical-Section

1. **Mutual Exclusion.** If process  $P_i$  is executing in its critical section, then no other processes can be executing in their critical sections.
2. **Progress.** If no process is executing in its critical section and there exist some processes that wish to enter their critical section, then the selection of the processes that will enter the critical section next cannot be postponed indefinitely.
3. **Bounded Waiting.** A bound must exist on the number of times that other processes are allowed to enter their critical sections after a process has made a request to enter its critical section and before that request is granted.
  - Assume that each process executes at a nonzero speed
  - No assumption concerning relative speed of the  $n$  processes.

## Assumptions

- Some instructions are atomic
  - load, store, test instructions cannot be interrupted
- Hardware configuration can vary
  - Single or multiple processors

## Simpler Problem

- Only 2 processes,  $P_0$  and  $P_1$
- General structure of process  $P_i$  (other process  $P_j$ )

```
do {  
    entry section  
    critical section  
    exit section  
    remainder section  
} while (1);
```

- Processes may share some common variables to synchronize their actions.

## Algorithm 1

- Shared variables:
  - int turn (initially turn = 0)
  - turn = i  $\Rightarrow P_i$  can enter its critical section

```
• Process  $P_i$   
do {  
    while (turn != i) ;  
    critical section  
    turn = j;  
    remainder section  
} while (1);
```

## Algorithm 1

- Satisfies mutual exclusion but not progress.
  - Processes are forced to enter their critical sections alternately.
  - One process not in its critical section thus prevents the other from entering its critical section.

## Algorithm 2

- Shared variables
  - `boolean flag[2];`  
initially `flag [0] = flag [1] = false.`
  - `flag [i] = true  $\Rightarrow$   $P_i$  ready to enter CS`
- Process  $P_i$ 
  - `do {`
    - `flag[i] := true;`
    - `while (flag[j]) ;`
    - `critical section`
    - `flag [i] = false;`
    - `remainder section`
  - `} while (1);`

## Algorithm 2

- Satisfies mutual exclusion, but not progress requirement.
  - Both processes can end up setting their flag[] variable to true, and thus neither process enters its critical section!

## Algorithm 3

- Combined shared variables of algorithms 1 and 2.
- Process  $P_i$ 
  - do {
    - flag [i] := true;
    - turn = j;
    - while (flag [j] and turn = j) ;
    - critical section
    - flag [i] = false;
    - remainder section
  - } while (1);

## Algorithm 3

- Meets all three requirements; solves the critical-section problem for two processes.
  - One process is always guaranteed to get into its critical section.
  - Processes are forced to take turns when they both want to get in.

## Bakery Algorithm

Critical section for  $n$  processes

- Before entering its critical section, process receives a number. Holder of the smallest number enters the critical section.
- If processes  $P_i$  and  $P_j$  receive the same number, if  $i < j$ , then  $P_i$  is served first; else  $P_j$  is served first.
- The numbering scheme always generates numbers in increasing order of enumeration; i.e., 1,2,3,3,3,3,4,5...

## Bakery Algorithm

- Notation  $\leq$  lexicographical order (ticket #, process id #)
  - $(a,b) < (c,d)$  if  $a < c$  or if  $a = c$  and  $b < d$
  - $\max(a_0, \dots, a_{n-1})$  is a number,  $k$ , such that  $k \geq a_i$  for  $i = 0, \dots, n-1$
- Shared data
  - boolean** choosing[n];
  - int** num[n];
  - Data structures are initialized to **false** and **0** respectively

## Bakery Algorithm

```
do {
    choosing[i] = true;
    num[i] = max(num[0], num[1], ..., num [n - 1])+1;
    choosing[i] = false;
    for (j = 0; j < n; j++) {
        while (choosing[j]) ;
        while ((num[j] != 0) && (num[j],j) < (num[i],i)) ;
    }
    critical section
    num[i] = 0;
    remainder section
} while (1);
```



## Synchronization Hardware

- Uniprocessor machine
    - Disable/enable interrupts:
- ```
Process  $P_i$ 
do {
    while (!Interrupts_Enabled()) ;
    Disable_Interrupts()
    critical section
    Enable_Interrupts()
    remainder section
}
```

## Disabling Interrupts

- Doesn't work for multiprocessors
- Doesn't permit different groups of critical sections

## Synchronization Hardware

- Test-and-Set (Tset):
  - Test and modify the content of a word atomically

```
boolean TestAndSet(boolean *target) {  
    boolean rv = *target;  
    *target = true;  
    return rv;  
}
```

## Mutual Exclusion with TSet

- Shared data:  
    boolean lock = false;
- Process  $P_i$   
    do {  
        while (TestAndSet(lock)) ;  
        critical section  
        lock = false;  
        remainder section  
    }

## Synchronization Hardware

- Swap

- Atomically swap two variables.

```
void Swap(boolean *a, boolean *b) {  
    boolean temp = *a;  
    *a = *b;  
    *b = temp;  
}
```

## Mutual Exclusion with Swap

- Shared data (initialized to false):

```
boolean lock;
```

```
boolean waiting[n];
```

- Process  $P_i$

```
do {
```

```
    key = true;
```

```
    while (key == true) Swap(lock, key);
```

```
    critical section
```

```
    lock = false;
```

```
    remainder section
```

```
}
```

# Semaphores

- Synchronization tool
- Semaphore  $S$  - integer variable
- can only be accessed via two indivisible (atomic) operations:

```
wait ( $S$ ):  
    while  $S \leq 0$  do no-op;  
     $S--$ ;
```

```
signal ( $S$ ):  
     $S++$ ;
```

## Critical Section of $n$ Processes

- Shared data:  
    **semaphore mutex;** //initially  $mutex = 1$

- Process  $P_i$ :  
    do {  
        wait(mutex);  
        critical section  
        signal(mutex);  
        remainder section  
    } while (1);

## Semaphore Implementation

- To avoid busy-waiting, define a semaphore as a record

```
typedef struct {  
    int value;  
    struct process *L;  
} semaphore;
```

- Assume two simple operations:
  - **block** suspends the process that invokes it.
  - **wakeup(P)** resumes the execution of a blocked process P.

## Implementation

- Semaphore operations now defined as

```
wait(S):  
    S.value--;  
    if (S.value < 0) {  
        add this process to S.L;  
        block();  
    }  
  
signal(S):  
    S.value++;  
    if (S.value <= 0) {  
        remove a process P from S.L;  
        wakeup(P);  
    }
```

## Two Types of Semaphores

- *Counting semaphore* - integer value can range over an unrestricted domain.
- *Binary semaphore* - integer value can range only between 0 and 1; can be simpler to implement.
- Can implement a counting semaphore  $S$  as a binary semaphore.

## Implementing $S$ as a Binary Semaphore

Data structures:

binary-semaphore  $S_1, S_2$ ;

int  $C$ ;

Initialization:

$S_1 = 1$

$S_2 = 0$

$C$  = initial value of semaphore  $S$

## Implementing $S$ (wait)

```
wait(S1);  
C--;  
if (C < 0) {  
    signal(S1);  
    wait(S2);  
}  
signal(S1);
```

## Implementing $S$ (signal)

```
wait(S1);  
C ++;  
if (C <= 0)  
    signal(S2);  
else  
    signal(S1);
```

## Semaphores for Ordering

- Execute  $B$  in  $P_j$  after  $A$  executed in  $P_i$
- Use semaphore flag initialized to 0
- Code:

|              |            |
|--------------|------------|
| $P_i$        | $P_j$      |
| $\vdots$     | $\vdots$   |
| $A$          | wait(flag) |
| signal(flag) | $B$        |

## Classical Synchronization Problems

- Bounded-Buffer Problem
- Readers and Writers Problem
- Dining-Philosophers Problem



## Bounded-Buffer Problem

- Shared data

semaphore full, empty, mutex;

Initially:

full = 0, empty = n, mutex = 1

*where n is the size of the buffer.*

## Producer Process

```
do {  
    ... produce an item in nextp  
    wait(empty);  
    wait(mutex);  
    ... add nextp to buffer  
    signal(mutex);  
    signal(full);  
} while (1);
```

## Consumer Process

```
do {  
    wait(full)  
    wait(mutex);  
    ... remove an item from buffer  
    signal(mutex);  
    signal(empty);  
    ... consume removed item  
} while (1);
```

## Readers-Writers Problem

- Shared data

**semaphore mutex, wsem;**

Initially

**mutex = 1, wsem = 1, readcount = 0**

## Writer Process

```
wait(wsem);  
... writing is performed  
signal(wsem);
```

## Reader Process

```
wait(mutex);  
readcount++;  
if (readcount == 1)  
    wait(wsem);  
signal(mutex);  
... reading is performed  
wait(mutex);  
readcount--;  
if (readcount == 0)  
    signal(wsem);  
signal(mutex);
```

## Comments

- Readers have priority - a writer can gain access to the data only if there are no readers (i.e. when readcount is zero, signal(wsem) executes)
- Possibility of starvation - writers may never gain access to data

## Reader Process

```
wait(rsem);  
wait(x);  
  readcount++;  
  if (readcount == 1) then  
    wait(wsem);  
  signal(x);  
  signal(rsem);
```

### Read here

```
wait(x);  
  readcount--;  
  if (readcount == 0) then  
    signal(wsem)  
  signal(x)
```

## Writer Process

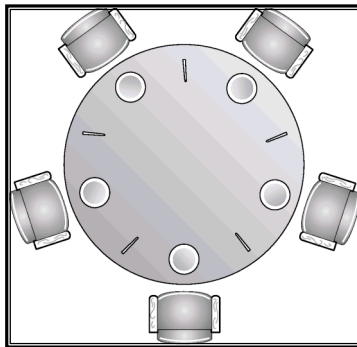
```
wait(y);  
writecount++;  
if writecount == 1 then  
    wait(rsem);
```

```
signal(y);  
wait(wsem);
```

**Write here**

```
signal(wsem);  
wait(y);  
writecount--;  
if (writecount == 0) then  
    signal(rsem);  
signal(y);
```

## Dining-Philosophers Problem



- Shared data  
    **semaphore chopstick[5];**  
Initially all values are 1

## Dining-Philosophers Problem

- Philosopher  $i$ :

```
do {
    wait(chopstick[i])
    wait(chopstick[(i+1) % 5])
    ... eat
    signal(chopstick[i]);
    signal(chopstick[(i+1) % 5]);
    ... think
} while (1);
```

## Comments

- This solution can deadlock
  - Imagine each philosopher grabbing one chopstick (`wait()`), and then being context-switched. None can make progress
  - Can you draw a wait-graph to show this situation?