

DATA ANALYTICS

IS 665

“DATA MINING PROJECT”

On

“Classification of Iris”

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**Description:**

This is perhaps the best known database to be found in the pattern recognition literature. Fisher's paper is a classic in the field and is referenced frequently to this day. (See Duda & Hart, for example.) The data set contains 3 classes of 50 instances each, where each class refers to a type of iris plant. One class is linearly separable from the other 2; the latter are NOT linearly separable from each other.

**Question:**

We are trying to predict the class of the Iris plant.

**Data Source:**

<http://mercury.webster.edu/aleshunus/Data%20Sets/Supplemental%20Excel%20Data%20Sets.htm>

**Data Dictionary:**

Attribute	Data Type	Range of values
Sepal Length in cm (SL)	Numeric	4.3 – 7.9
Sepal Width in cm (SW)	Numeric	2.0 – 4.4
Petal Length in cm (PL)	Numeric	1.0 – 6.9
Petal Width in cm (PW)	Numeric	0.1 – 2.5
Classification	Varchar	Iris Setosa, Iris Virginica, Iris Versicolor

## Sample Data:

Iris Data.xls [Compatibility Mode] -

FILE

HOME

INSERT

PAGE LAYOUT

FORMULAS

DATA

REVIEW

VIEW

A1

SL

	A	B	C	D	E	F	G	H	I	J	K
1	SL	SW	PL	PW	Classification						
2	5.1	3.5	1.4	0.2	Iris-setosa						
3	4.9	3	1.4	0.2	Iris-setosa						
4	4.7	3.2	1.3	0.2	Iris-setosa						
5	4.6	3.1	1.5	0.2	Iris-setosa						
6	5	3.6	1.4	0.2	Iris-setosa						
7	5.4	3.9	1.7	0.4	Iris-setosa						
8	4.6	3.4	1.4	0.3	Iris-setosa						
9	5	3.4	1.5	0.2	Iris-setosa						
10	4.4	2.9	1.4	0.2	Iris-setosa						
11	4.9	3.1	1.5	0.1	Iris-setosa						
12	5.4	3.7	1.5	0.2	Iris-setosa						
13	4.8	3.4	1.6	0.2	Iris-setosa						
14	4.8	3	1.4	0.1	Iris-setosa						
15	4.3	3	1.1	0.1	Iris-setosa						
16	5.8	4	1.2	0.2	Iris-setosa						
17	5.7	4.4	1.5	0.4	Iris-setosa						
18	5.4	3.9	1.3	0.4	Iris-setosa						
19	5.1	3.5	1.4	0.3	Iris-setosa						
20	5.7	3.8	1.7	0.3	Iris-setosa						
21	5.1	3.8	1.5	0.3	Iris-setosa						
22	5.4	3.4	1.7	0.2	Iris-setosa						
23	5.1	3.7	1.5	0.4	Iris-setosa						
24	4.6	3.6	1	0.2	Iris-setosa						
25	5.1	3.3	1.7	0.5	Iris-setosa						
26	4.8	3.4	1.9	0.2	Iris-setosa						
27	5	3	1.6	0.2	Iris-setosa						
28	5	3.4	1.6	0.4	Iris-setosa						
29	5.2	3.5	1.5	0.2	Iris-setosa						
30	5.2	3.4	1.4	0.2	Iris-setosa						

## Example Set: (on adding the data)

- **Data Screen**

ExampleSet (/Local Repository/DA/data/iris-data) PerformanceVector (Performance)

Filter (150 / 150 examples): all

Row No.	Classific...	SL	SW	PL	PW
101	Iris-virginica	6.300	3.300	6	2.500
102	Iris-virginica	5.800	2.700	5.100	1.900
103	Iris-virginica	7.100	3	5.900	2.100
104	Iris-virginica	6.300	2.900	5.600	1.800
105	Iris-virginica	6.500	3	5.800	2.200
106	Iris-virginica	7.600	3	6.600	2.100
107	Iris-virginica	4.900	2.500	4.500	1.700
108	Iris-virginica	7.300	2.900	6.300	1.800
109	Iris-virginica	6.700	2.500	5.800	1.800
110	Iris-virginica	7.200	3.600	6.100	2.500
111	Iris-virginica	6.500	3.200	5.100	2
112	Iris-virginica	6.400	2.700	5.300	1.900
113	Iris-virginica	6.800	3	5.500	2.100
114	Iris-virginica	5.700	2.500	5	2
115	Iris-virginica	5.800	2.800	5.100	2.400
116	Iris-virginica	6.400	3.200	5.300	2.300
117	Iris-virginica	6.500	3	5.500	1.800

- **Statistics Screen**

ExampleSet (/Local Repository/DA/data/iris-data) PerformanceVector (Performance)

Filter (5 / 5 attributes): Search for Attributes

Name	Type	Missing	Statistics
Classification	Polynomial	0	Least Iris-virginica (50) Most Iris-setosa (50) Values Iris-setosa (50), Iris-versicolour (50)
SL	Real	0	Min 4.300 Max 7.900 Average 5.843
SW	Real	0	Min 2 Max 4.400 Average 3.054
PL	Real	0	Min 1 Max 6.900 Average 3.759
PW	Real	0	Min 0.100 Max 2.500 Average 1.199

Showing attributes 1 - 5 Examples: 150 Special Attributes: 1 Regular Attributes: 4

# 1. Naïve Bayes:

- **Conditional Probability**

$$P(A,B) = P(A|B)P(B) = P(B|A)P(A)$$

**Bayes rule**

$$P(B|A)P(A) = P(A|B)P(B)$$

- **Naïve Bayes Classifier**

Applying Bayes rule  $P(Y_i)$

$$P(X_1 \dots X_n | Y_i) P(Y_i | X_1 \dots X_n)$$

$$= P(X_1 \dots X_n)$$

$$P(Y_i) P(X_1 | Y_i) P(X_2 | Y_i) \dots P(X_n | Y_i) = P(X_1 \dots X_n)$$

$$Y \in \arg \max P(Y_i) P(X_1 | Y_i) P(X_2 | Y_i) \dots P(X_n | Y_i)$$

$P(Y|\mathbf{X})$ : posterior probability for Y  $P(Y)$ : prior probability

$P(\mathbf{X}|Y)$ : class-conditional probability

$P(\mathbf{X})$ : evidence

Bayes theorem (Bayes rule) allows us to calculate the posterior probability  $P(Y|\mathbf{X})$  using the prior probability  $P(Y)$ , the class-conditional probability  $P(\mathbf{X}|Y)$  and the evidence  $P(\mathbf{X})$

(Which is constant and ignored).

*Source: wikipedia*

## Process Screen:

The screenshot displays the RapidMiner Studio Basic 7.0.001 interface. The main window is titled "Process" and shows a workflow diagram. The workflow starts with an input "inp" leading to a "Retrieve iris-data" operator, which outputs to a "Naive Bayes" operator. The "Naive Bayes" operator has three output ports labeled "tra", "mod", and "ex12". The "tra" port is connected to the "Naive Bayes" operator. The "mod" port is connected to the "Naive Bayes" operator. The "ex12" port is connected to the "Naive Bayes" operator. The "Naive Bayes" operator has a "res" output port. The "Parameters" pane on the right shows settings for the "Process" operator, including "logverbosity", "logfile", "resultfile", "random seed", "send mail", and "encoding". The "Help" pane on the right shows the "Process" operator's synopsis, stating it is the root operator which is the outer most operator of every process.

## Description:

The screenshot shows the "SimpleDistribution (Naive Bayes)" window. The left sidebar contains icons for "Description", "Charts", "Distribution Table", and "Annotations". The main content area displays the distribution model for the "SimpleDistribution" operator. The title is "SimpleDistribution". Below the title, it says "Distribution model for label attribute Classification". The content area shows the following distribution model:

Class	Value
Class Iris-setosa	(0.333)
Class Iris-versicolor	(0.333)
Class Iris-virginica	(0.333)

Each class has 4 distributions.

## Distribution Table:

Result History   SimpleDistribution (Naive Bayes)   ExampleSet (//Local Repository/DA/data/iris-data)					
Description	Attribute	Parameter	Iris-setosa	Iris-versicolor	Iris-virginica
Charts Distribution Table Annotations	SL	mean	5.006	5.936	6.588
	SL	standard deviation	0.352	0.516	0.636
	SW	mean	3.418	2.770	2.974
	SW	standard deviation	0.381	0.314	0.322
	PL	mean	1.464	4.260	5.552
	PL	standard deviation	0.174	0.470	0.552
	PW	mean	0.244	1.326	2.026
	PW	standard deviation	0.107	0.198	0.275

## Validation:

Repository

+ Add Data

DA (rohan)

data (rohan)

iris-data (rohan - v1, 5/7/16 8:45)

processes (rohan)

naive-bayes (rohan - v1, 5/7/16 8:45)

naive-bayes-performance (rohan - v1, 5/7/16 8:45)

decision-tree (rohan - v1, 5/7/16 8:45)

decision-tree-performance (rohan - v1, 5/7/16 8:45)

Operators

performance

Cluster Count Performance

Cluster Distance Performance

Cluster Density Performance

Item Distribution Performance

Performance

Extract Performance

Combine Performances

Performance (User-Based)

Process

Process

Retrieve iris-data

Filter Examples

Validation

res

Parameters

Process

logverbosity init

logfile

resultfile

random seed 2001

send mail never

encoding SYSTEM

Hide advanced parameters

Change compatibility (7.0.001)

Help

Process

RapidMiner Studio Core

Synopsis

The root operator which is the outer most operator of every process.

## Performance Result:

Result History × % PerformanceVector (Performance) × ExampleSet (//Local Repository/DA/data/iris-data) ×

%  
Performance

Description

Annotations

Criterion  
accuracy  
kappa

☒ Table View ☐ Plot View

accuracy: 95.33% +/- 4.27% (mikro: 95.33%)

	true Iris-setosa	true Iris-versicolor	true Iris-virginica	class precision
pred. Iris-setosa	50	0	0	100.00%
pred. Iris-versicolor	0	47	4	92.16%
pred. Iris-virginica	0	3	46	93.88%
class recall	100.00%	94.00%	92.00%	

## Performance Vector:

Result History × % PerformanceVector (Performance) × ExampleSet (//Local Repository/DA/data/iris-data) ×

%  
Performance

Description

Annotations

### PerformanceVector

PerformanceVector:  
accuracy: 95.33% +/- 4.27% (mikro: 95.33%)  
ConfusionMatrix:  
True: Iris-setosa Iris-versicolor Iris-virginica  
Iris-setosa: 50 0 0  
Iris-versicolor: 0 47 4  
Iris-virginica: 0 3 46  
kappa: 0.930 +/- 0.064 (mikro: 0.930)  
ConfusionMatrix:  
True: Iris-setosa Iris-versicolor Iris-virginica  
Iris-setosa: 50 0 0  
Iris-versicolor: 0 47 4  
Iris-virginica: 0 3 46

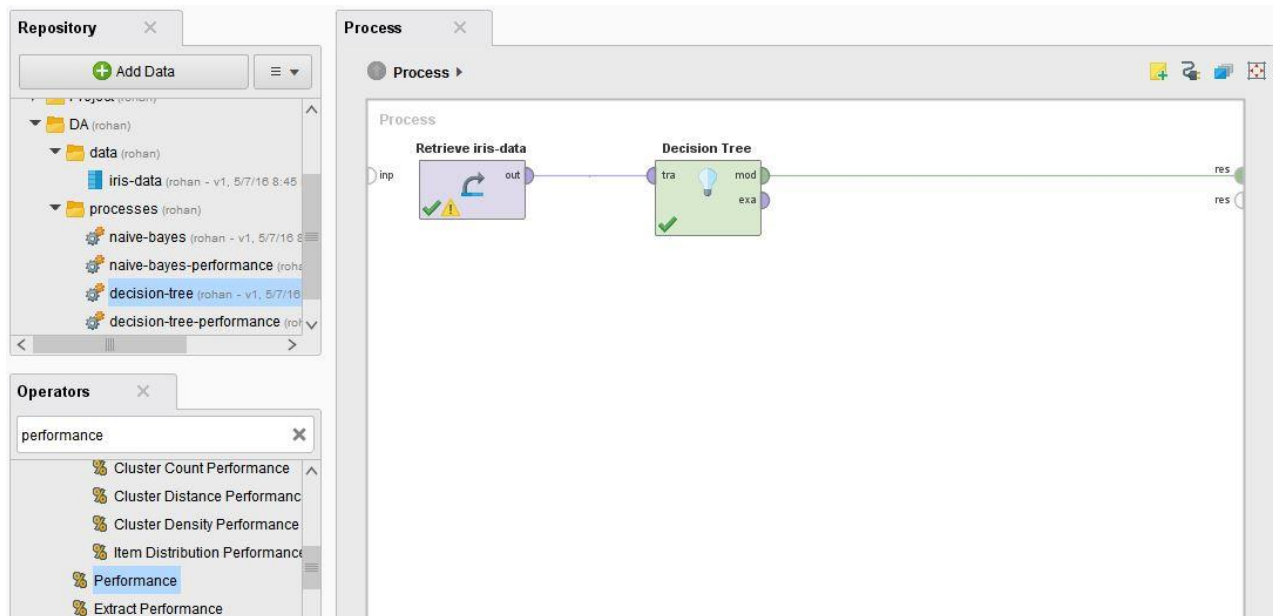


## *2. Decision Tree*

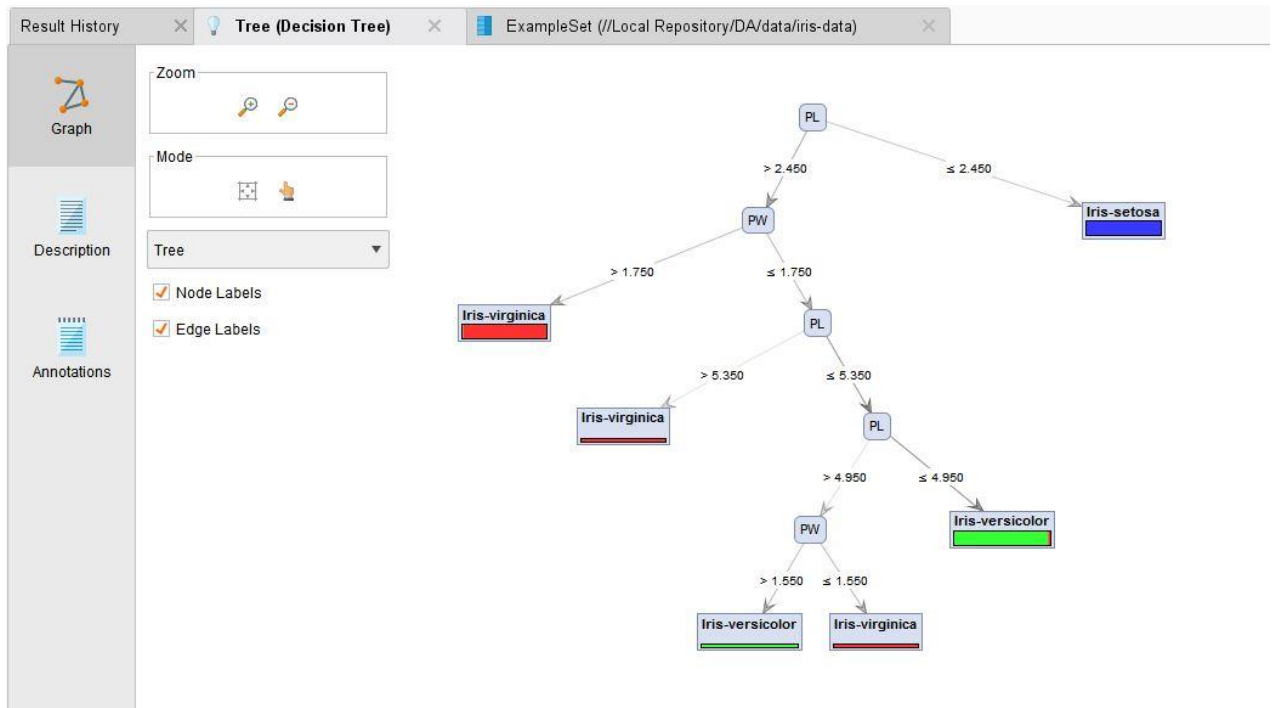
- Decision tree learning is a method commonly used in data mining.<sup>[1]</sup> The goal is to create a model that predicts the value of a target variable based on several input variables. An example is shown below. Each interior node corresponds to one of the input variables; there are edges to children for each of the possible values of that input variable. Each leaf represents a value of the target variable given the values of the input variables represented by the path from the root to the leaf.
- A decision tree is a simple representation for classifying examples. For this section, assume that all of the features have finite discrete domains, and there is a single target feature called the classification. Each element of the domain of the classification is called a class. A decision tree or a classification tree is a tree in which each internal (non-leaf) node is labeled with an input feature. The arcs coming from a node labeled with a feature are labeled with each of the possible values of the feature. Each leaf of the tree is labeled with a class or a probability distribution over the classes.
- A tree can be "learned" by splitting the source set into subsets based on an attribute value test. This process is repeated on each derived subset in a recursive manner called recursive partitioning. The recursion is completed when the subset at a node has all the same value of the target variable, or when splitting no longer adds value to the predictions. This process of *top-down induction of decision trees* (TDIDT) is an example of a greedy algorithm, and it is by far the most common strategy for learning decision trees from data.
- In data mining, decision trees can be described also as the combination of mathematical and computational techniques to aid the description, categorization and generalization of a given set of data.
- Data comes in records of the form:
$$(\mathbf{x}, Y) = (x_1, x_2, x_3, \dots, x_k, Y)$$
- The dependent variable,  $Y$ , is the target variable that we are trying to understand, classify or generalize. The vector  $\mathbf{x}$  is composed of the input variables,  $x_1, x_2, x_3$  etc., that are used for that task.

*Source: Wikipedia*

## Process Screen:



## Decision Graph:



## Tree:

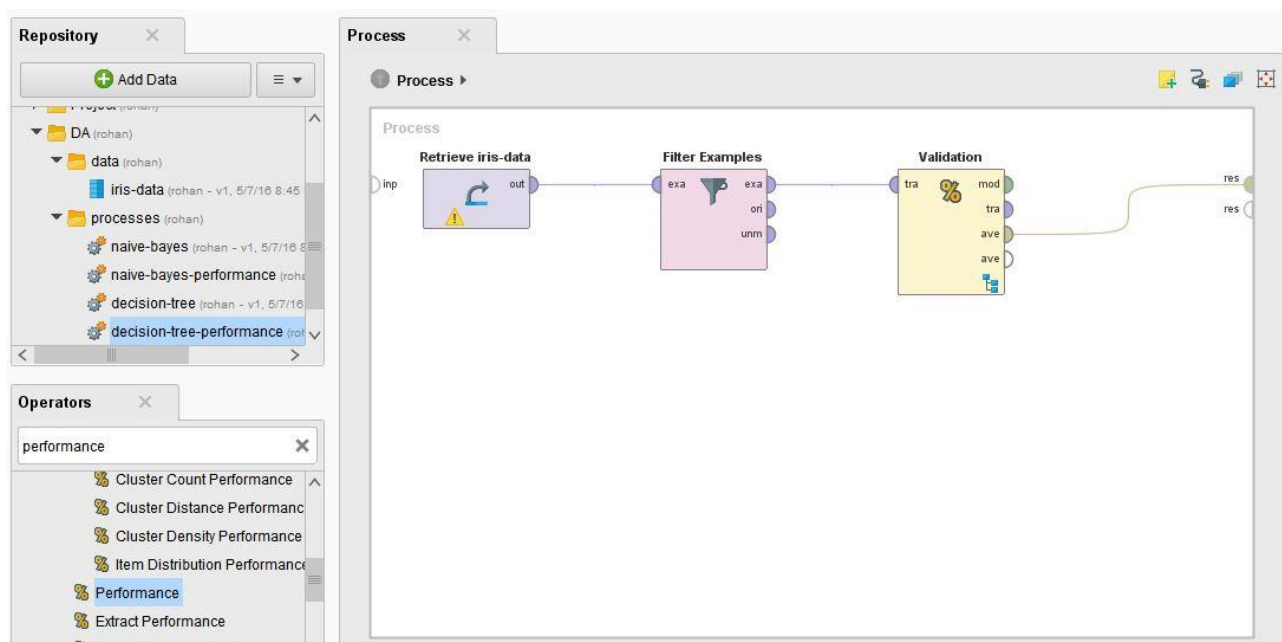
Result History x Tree (Decision Tree) x ExampleSet (//Local Repository/DA/data/iris-data) x

**Tree**

```
PL > 2.450
| PW > 1.750: Iris-virginica {Iris-setosa=0, Iris-versicolor=1, Iris-virginica=45}
| PW ≤ 1.750
| | PL > 5.350: Iris-virginica {Iris-setosa=0, Iris-versicolor=0, Iris-virginica=2}
| | PL ≤ 5.350
| | | PL > 4.950
| | | | PW > 1.550: Iris-versicolor {Iris-setosa=0, Iris-versicolor=2, Iris-virginica=0}
| | | | PW ≤ 1.550: Iris-virginica {Iris-setosa=0, Iris-versicolor=0, Iris-virginica=2}
| | | PL ≤ 4.950: Iris-versicolor {Iris-setosa=0, Iris-versicolor=47, Iris-virginica=1}
| PL ≤ 2.450: Iris-setosa {Iris-setosa=50, Iris-versicolor=0, Iris-virginica=0}
```

Graph  
Description  
Annotations

## Validation:



## Performance:

Result History × % PerformanceVector (Performance) × ExampleSet (/Local Repository/DA/data/iris-data) ×

%  
Performance

Description

Annotations

Criterion  
accuracy  
kappa

☒ Table View ☐ Plot View

accuracy: 94.00% +/- 5.54% (mikro: 94.00%)

	true Iris-setosa	true Iris-versicolor	true Iris-virginica	class precision
pred. Iris-setosa	50	0	0	100.00%
pred. Iris-versicolor	0	46	5	90.20%
pred. Iris-virginica	0	4	45	91.84%
class recall	100.00%	92.00%	90.00%	

## Performance Vector:

Result History × % PerformanceVector (Performance) × ExampleSet (/Local Repository/DA/data/iris-data) ×

%  
Performance

Description

Annotations

### PerformanceVector

PerformanceVector:  
accuracy: 94.00% +/- 5.54% (mikro: 94.00%)

ConfusionMatrix:

True:	Iris-setosa	Iris-versicolor	Iris-virginica
Iris-setosa:	50	0	0
Iris-versicolor:	0	46	5
Iris-virginica:	0	4	45

kappa: 0.910 +/- 0.083 (mikro: 0.910)

ConfusionMatrix:

True:	Iris-setosa	Iris-versicolor	Iris-virginica
Iris-setosa:	50	0	0
Iris-versicolor:	0	46	5
Iris-virginica:	0	4	45

## Performance Comparison:

### Naïve Bayes vs Decision Trees

Attribute	Classification	Naïve Bayes	Decision Trees
Precision	Iris Setosa	100%	100%
	Iris Versicolor	92.16%	90.20%
	Iris Virginica	93.88%	91.84%
Recall	Iris Setosa	100%	100%
	Iris Versicolor	94%	92%
	Iris Virginica	92%	90%

We can clearly see from the above table that Naïve Bayes slightly edges out Decision Trees in terms of performance if we are to compare their Precision and Recall values.

Thus for the Iris Data Set, Naïve Bayes is better than Decision Trees.

END OF REPORT

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