

Logistic Regression

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When my Target variable is categorical

Ex: Gender, Location, Status, Education, Exam, interview,

1. Binary outcomes/Binary class

Only two outcome

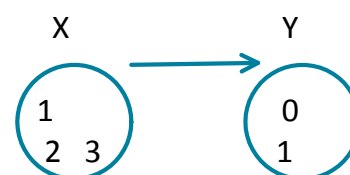
Yes/No, True/ False, 0 /1 , Male/Female, Married/ Unmarried, Positive/Negative

2. Multiclass

Location, Education

If my Target variable is Binary class ---> Logistic Regression

Target variable -----> 0 or 1



$Y = B_0 + b_1x_1 + b_2x_2$ -----> -inf to + inf

$Y - Y_{\text{pred}}$ --> error will be higher

$$\begin{aligned} f(x) &= x^2 \\ f(x) &= 2x \\ f(x) &= 2x + 1 \rightarrow mx + c \end{aligned}$$

$B_0 + b_1x_1 + b_2x_2$ ---- **BX**

$$\text{Logit} = \frac{e^{(BX)}}{1 + e^{(BX)}} = 0 \text{ to } 1$$

A	B	C	D	E	F	G	H	I	J	K
age(x)	Y	Y_pred	>0.5							
56	1	0.96	1							1 Pos
23	0	0.45	0							0 Neg
35	0	0.23	0				Predicted values			
45	1	0.15	0			TN	0	1		
36	0	0.89	1		Actual values	0	4	1	FP	Type I Error
65	1	0.96	1			1	1	4		
41	0	0.36	0				FN		TP	
63	1	0.87	1			Type II Error				
23	0	0.16	0							
75	1	0.61	1							

Confusion matrix

Sensitivity : Percentage of positives that are successfully classified as positive.

True positive Rate

TPR : $TP / (TP + FN)$

Specificity : Percentage of negatives that are successfully classified as negatives.

TNR : $TN / (TN + FP)$

When Specificity is a High Priority, Testing a Medicine is good or Poisonous

		Actual Classes		1 +ve	Good
		0 (Negative)	1 (Positive)	0 -ve	Poisonous
Predicted classes	0 (Negative)	True Negative (TN). Actually Medicine is good and predicted them as good . Hence Recommend to use.	False Negative(FN) Actually Medicine is good and predicted them as Poisonous. Hence reject all the bulk.		
	1 (Positive)	False Positive(FP) Actually Medicine is Poisonous and predicted them as good. Recommend to use.	True Positive (TP). Actually Medicine is Poisonous and predicted them as Poisonous . Hence reject all the bulk.		

Precision:

The approach here is to find what percentage of the model's positive (1's) predictions are accurate.

Precision is calculated as the number of correct positive predictions (TP) divided by the total number of positive predictions (TP + FP).

$$(TP) / (TP + FP)$$

F1 Score:

A good model should have a good precision as well as a high recall. So ideally, I want to have a measure that combines both these aspects in one single metric –the F1 Score.

$$\text{F1 Score} = (2 * \text{Precision} * \text{Recall}) / (\text{Precision} + \text{Recall})$$