

# Statistical Data Analysis of Traffic Accidents in Calgary

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```
#Call all the libraries
library(data.table)
library(stringi)
library(dplyr)
library(ggplot2)
library(mosaic)
library(binom)
library(mdsr)
library(tinytex)
#To be able to preview HTML
library(tidyverse)
library(tidyr)
library(stringr)
library(readr)
library(rmarkdown)
library(Matrix)
library(purrr)
library(markdown)
library(knitr)
options(scipen = 999)
```

#Introduction:

#Purpose:

#Data #Part 1: Data Wrangling

**Reading Data:**

```
trafficAccidentDF =
read.csv("C:\\Users\\shora\\Desktop\\Calgary_Traffic_Accident.csv")

head(trafficAccidentDF,10)

##      X                                     INCIDENT.INFO
## 1  0 Westbound McKnight Boulevard approaching John Laurie Boulevard NW
## 2  1                                     20 Avenue at 8 Street NW
## 3  2                                     Sunridge Way at 36 Street NE
## 4  3                      Westbound Stoney approaching Shaganappi Trail NW.
## 5  4          Southbound Nose Hill Drive approaching Crowchild Trail NW
## 6  5                      Southbound Macleod Trail at 94 Avenue SE
## 7  6                      Anderson Road at Acadia Drive SE.
## 8  7                      Centre Street at 7 Street NE
```

```

## 9 8          Eastbound Anderson Road approaching 14 Street SW
## 10 9          130 Avenue at 48 Street SE
##              DESCRIPTION          START_DT
## 1          2 vehicle incident. 2016-12-09 16:46:32
## 2          2 vehicle incident. 2016-12-09 16:58:23
## 3 There is an incident involving LRT. 2016-12-09 17:14:08
## 4          Multi vehicle incident. 2016-12-09 17:16:08
## 5          Multi vehicle incident. 2016-12-09 17:38:05
## 6          2 vehicle incident. 2016-12-09 17:49:59
## 7          Multi vehicle incident. 2016-12-09 17:55:04
## 8          Single vehicle incident. 2016-12-09 18:08:09
## 9          2 vehicle incident. 2016-12-09 18:20:14
## 10         2 vehicle incident. 2016-12-09 18:36:21
##              MODIFIED_DT QUADRANT Longitude Latitude
## 1 12/09/2016 05:16:54 PM      NW -114.0833 51.09732
## 2 12/09/2016 05:16:54 PM      NW -114.0814 51.07054
## 3 12/09/2016 05:16:54 PM      NE -113.9849 51.06730
## 4 12/09/2016 05:16:53 PM      NW -114.1479 51.15274
## 5 12/09/2016 05:55:52 PM      NW -114.2032 51.11968
## 6 12/09/2016 05:55:52 PM      SW -114.0717 50.96863
## 7 12/09/2016 05:55:52 PM      SE -114.0441 50.94833
## 8 12/09/2016 06:21:31 PM      NW -114.0625 51.05888
## 9 12/09/2016 06:21:31 PM      SW -114.0973 50.95059
## 10 12/09/2016 06:56:02 PM      SE -113.9657 50.93209
##              location Count
## 1 (51.09731625733, -114.083317961464) 1
## 2 (51.070538552637, -114.081377719156) 1
## 3 (51.067298691023, -113.98493374196) 1
## 4 (51.152736445625, -114.147933369876) 1
## 5 (51.11968378497, -114.203240843777) 1
## 6 (50.968632228523, -114.071706940396) 1
## 7 (50.948331405788, -114.044139639421) 1
## 8 (51.058877561027, -114.06253407232) 1
## 9 (50.950590701047, -114.097344384191) 1
## 10 (50.932090880143, -113.965739722774) 1
##              id DAY MONTH YEAR
## 1 2016-12-09T16:46:3251.0973162573297-114.083317961464 9 12 2016
## 2 2016-12-09T16:58:2351.0705385526371-114.081377719156 9 12 2016
## 3 2016-12-09T17:14:0851.0672986910231-113.98493374196 9 12 2016
## 4 2016-12-09T17:16:0851.1527364456253-114.147933369876 9 12 2016
## 5 2016-12-09T17:38:0551.1196837849704-114.203240843777 9 12 2016
## 6 2016-12-09T17:49:5950.9686322285233-114.071706940396 9 12 2016
## 7 2016-12-09T17:55:0450.9483314057881-114.044139639421 9 12 2016
## 8 2016-12-09T18:08:0951.0588775610272-114.06253407232 9 12 2016
## 9 2016-12-09T18:20:1450.9505907010468-114.097344384191 9 12 2016
## 10 2016-12-09T18:36:2150.9320908801432-113.965739722774 9 12 2016
##              HOUR MINUTE SECOND PEDESTRIAN SINGLE_VEHICLE TWO_VEHICLE MULTI_VEHICLE
## 1 16 46 32 False False True False
## 2 16 58 23 False False True False
## 3 17 14 8 False False False False

```

## 4	17	16	8	False	False	False	True
## 5	17	38	5	False	False	False	True
## 6	17	49	59	False	False	True	False
## 7	17	55	4	False	False	False	True
## 8	18	8	9	False	True	False	False
## 9	18	20	14	False	False	True	False
## 10	18	36	21	False	False	True	False

```
tail(trafficAccidentDF,10)
```

```
##          X
## 14824 14823
## 14825 14824
## 14826 14825
## 14827 14826
## 14828 14827
## 14829 14828
## 14830 14829
## 14831 14830
## 14832 14831
## 14833 14832
##
INCIDENT.INFO
## 14824  Stoney Trail between Country Hills Boulevard and McKnight Boulevard
NE
## 14825                      Northbound Deerfoot Trail at McKnight Boulevard
NE
## 14826                      11 Street and 9 Avenue
SE
## 14827  Stoney Trail between Country Hills Boulevard and McKnight Boulevard
NE
## 14828                      Nose Hill Drive and John Laurie Boulevard
NW
## 14829                      Eastbound McKnight Boulevard and 52 Street
NE
## 14830                      Northbound MacLeod Trail approaching Lake Fraser Gate
SE
## 14831                      Heritage Drive at Blackfoot Trail
SE
## 14832                      Heritage Drive and Blackfoot Trail
SE
## 14833                      5 Street and 57 Avenue
SW
##
DESCRIPTION
## 14824 Multi-vehicle incident.      The road is closed northbound,
southbound has reopened.
## 14825                      Multi-
vehicle incident.
## 14826                      Two
```

```

vehicle incident.
## 14827 Multi-vehicle incident.
Northbound has reopened
## 14828 Traffic signals
are flashing red.
## 14829 Two vehicle incident.
Blocking the left lane.
## 14830 Two vehicle incident. Blocking
the right lane.
## 14831 Traffic signals are flashing red. Crews have
been dispatched
## 14832 Two
vehicle incident.
## 14833 Two
vehicle incident.
## START_DT MODIFIED_DT QUADRANT Longitude Latitude
## 14824 2019-03-23 10:59:41 -113.9209 51.14071
## 14825 2019-03-23 16:57:52 -114.0394 51.09270
## 14826 2019-03-23 18:50:27 -114.0368 51.04219
## 14827 2019-03-23 10:59:41 -113.9209 51.14056
## 14828 2019-03-24 09:23:04 -114.1949 51.12742
## 14829 2019-03-24 09:52:42 -113.9589 51.09598
## 14830 2019-03-24 11:49:37 -114.0690 50.93826
## 14831 2019-03-24 13:38:18 -114.0502 50.98082
## 14832 2019-03-24 15:28:32 -114.0501 50.98068
## 14833 2019-03-24 15:51:54 -114.0764 51.00246
## location Count
## 14824 (51.140706179316, -113.92094503013) 1
## 14825 (51.092698562796, -114.039432010784) 1
## 14826 (51.042194586533, -114.03676844764) 1
## 14827 (51.140556046825, -113.920935569254) 1
## 14828 (51.127420345846, -114.194895145175) 1
## 14829 (51.095980099367, -113.958863881354) 1
## 14830 (50.938255268697, -114.069003267344) 1
## 14831 (50.980824068937, -114.050172754793) 1
## 14832 (50.980681880897, -114.050100257277) 1
## 14833 (51.002463427192, -114.076439295549) 1
## id DAY MONTH YEAR HOUR
## 14824 2019032310594151.1407061793158-113.92094503013 23 3 2019 10
## 14825 2019032316575251.0926985627956-114.039432010784 23 3 2019 16
## 14826 2019032318502751.0421945865328-114.03676844764 23 3 2019 18
## 14827 2019032310594151.1405560468253-113.920935569254 23 3 2019 10
## 14828 2019032409230451.1274203458462-114.194895145175 24 3 2019 9
## 14829 2019032409524251.095980099367-113.958863881354 24 3 2019 9
## 14830 2019032411493750.9382552686966-114.069003267344 24 3 2019 11
## 14831 2019032413381850.9808240689374-114.050172754793 24 3 2019 13
## 14832 2019032415283250.980681880897-114.050100257277 24 3 2019 15
## 14833 2019032415515451.0024634271915-114.076439295549 24 3 2019 15
## MINUTE SECOND PEDESTRIAN SINGLE_VEHICLE TWO_VEHICLE MULTI_VEHICLE
## 14824 59 41 False False False True

```

## 14825	57	52	False	False	False	True
## 14826	50	27	False	False	True	False
## 14827	59	41	False	False	False	True
## 14828	23	4	False	False	False	False
## 14829	52	42	False	False	True	False
## 14830	49	37	False	False	True	False
## 14831	38	18	False	False	False	False
## 14832	28	32	False	False	True	False
## 14833	51	54	False	False	True	False

## 1. Adding TYPE column for Type of accident.

```
#converting values to logical values
trafficAccidentDF[, "PEDESTRIAN"] <-
as.logical(trafficAccidentDF[, "PEDESTRIAN"] )
trafficAccidentDF[, "SINGLE_VEHICLE"] <-
as.logical(trafficAccidentDF[, "SINGLE_VEHICLE"] )
trafficAccidentDF[, "TWO_VEHICLE"] <-
as.logical(trafficAccidentDF[, "TWO_VEHICLE"] )
trafficAccidentDF[, "MULTI_VEHICLE"] <-
as.logical(trafficAccidentDF[, "MULTI_VEHICLE"] )

for (i in 1: nrow(trafficAccidentDF)) {

  if (trafficAccidentDF[i, "MULTI_VEHICLE"] == TRUE) {
    trafficAccidentDF[i, "TYPE"] = "MULTI_VEHICLE"}
  else if (trafficAccidentDF[i, "TWO_VEHICLE"] == TRUE) {
    trafficAccidentDF[i, "TYPE"] = "TWO_VEHICLE"}
  else if (trafficAccidentDF[i, "SINGLE_VEHICLE"] == TRUE) {
    trafficAccidentDF[i, "TYPE"] = "SINGLE_VEHICLE"}
  else if (trafficAccidentDF[i, "PEDESTRIAN"] == TRUE) {
    trafficAccidentDF[i, "TYPE"] = "PEDESTRIAN"}
  else { trafficAccidentDF[i, "TYPE"] = "OTHERS"}

}
```

## 2. Adding Season column based on date of accident

```
#Adding season
for (i in 1: nrow(trafficAccidentDF)) {

  if (trafficAccidentDF[i, "MONTH"] %in% c(1,2,3)) {
    trafficAccidentDF[i, "SEASON"] = "WINTER"}
  else if (trafficAccidentDF[i, "MONTH"] %in% c(4,5,6)) {
    trafficAccidentDF[i, "SEASON"] = "SPRING"}
  else if (trafficAccidentDF[i, "MONTH"] %in% c(7,8,9)) {
    trafficAccidentDF[i, "SEASON"] = "SUMMER"}

}
```

```
else { trafficAccidentDF[i,"SEASON"] = "FALL"}
}
```

### 3. Adding HOURTYPE column for type of hour(Rush-hour, NotRush-hour) based on time of accident

*#Adding rushhour*

```
for (i in 1: nrow(trafficAccidentDF)) {

  if (trafficAccidentDF[i,"HOUR"] %in% c(7,8)) {
    trafficAccidentDF[i,"HOURTYPE"] = "RUSHHOUR"}
    else if (trafficAccidentDF[i,"HOUR"] %in% c(15,16,17)) {
    trafficAccidentDF[i,"HOURTYPE"] = "RUSHHOUR"}
    else { trafficAccidentDF[i,"HOURTYPE"] = "NOTRUSHHOUR"}
}
```

### 4. Replace empty QUADRANT

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
```

[illegible]

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

```
## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated

## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated

## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated

## Warning in `[<-.factor`(`*tmp*`, iseq, value = " N"): invalid factor
level,
## NA generated
```

Filtering 24 datapoints that don't have true quadrant:

```
unique(trafficAccidentDF$QUADRANT)
```

```
## [1] NW    NE    SW    SE    <NA>
## Levels:  NE NW SE SW
```

```
trafficAccidentDF = filter(trafficAccidentDF, (!is.na(QUADRANT )
|trimws(QUADRANT) != ""))
head(trafficAccidentDF,4)
```

```
##      X                                                    INCIDENT.INFO
## 1 0 Westbound McKnight Boulevard approaching John Laurie Boulevard NW
## 2 1                                                    20 Avenue at 8 Street NW
## 3 2                                                    Sunridge Way at 36 Street NE
## 4 3                Westbound Stoney approaching Shaganappi Trail NW.
##                                DESCRIPTION                START_DT
## 1                2 vehicle incident. 2016-12-09 16:46:32
## 2                2 vehicle incident. 2016-12-09 16:58:23
## 3 There is an incident involving LRT. 2016-12-09 17:14:08
## 4                Multi vehicle incident. 2016-12-09 17:16:08
##                                MODIFIED_DT QUADRANT Longitude Latitude
## 1 12/09/2016 05:16:54 PM            NW -114.0833 51.09732
## 2 12/09/2016 05:16:54 PM            NW -114.0814 51.07054
## 3 12/09/2016 05:16:54 PM            NE -113.9849 51.06730
## 4 12/09/2016 05:16:53 PM            NW -114.1479 51.15274
##                                location Count
## 1 (51.09731625733, -114.083317961464)      1
## 2 (51.070538552637, -114.081377719156)      1
## 3 (51.067298691023, -113.98493374196)      1
## 4 (51.152736445625, -114.147933369876)      1
##                                id DAY MONTH YEAR HOUR
## 1 2016-12-09T16:46:3251.0973162573297-114.083317961464    9    12 2016    16
## 2 2016-12-09T16:58:2351.0705385526371-114.081377719156    9    12 2016    16
```



```
## 3 2016-12-09T17:14:0851.0672986910231-113.98493374196 9 12 2016 17
## 4 2016-12-09T17:16:0851.1527364456253-114.147933369876 9 12 2016 17
## MINUTE SECOND PEDESTRIAN SINGLE_VEHICLE TWO_VEHICLE MULTI_VEHICLE
## 1 46 32 FALSE FALSE TRUE FALSE
## 2 58 23 FALSE FALSE TRUE FALSE
## 3 14 8 FALSE FALSE FALSE FALSE
## 4 16 8 FALSE FALSE FALSE TRUE
## TYPE SEASON HOURTYPE QUADRANT1
## 1 TWO_VEHICLE FALL RUSHHOUR NW
## 2 TWO_VEHICLE FALL RUSHHOUR NW
## 3 OTHERS FALL RUSHHOUR NE
## 4 MULTI_VEHICLE FALL RUSHHOUR NW

unique(trafficAccidentDF$QUADRANT)

## [1] NW NE SW SE
## Levels: NE NW SE SW
```

## 5.Filtering only data for Year 2017 and 2018

## 6.Select only required columns

```
trafficAccident_wantedColumn_DF = select(trafficAccidentDF,"Count","MONTH",
,"YEAR", "QUADRANT", "TYPE","DAY","SEASON","HOURTYPE")

trafficAccident_wantedColumn_DF = filter(trafficAccident_wantedColumn_DF ,
(YEAR == "2017" | YEAR == "2018" ))
```

## Part 2: Data visualization and Preliminary Observations

```
nrow(trafficAccident_wantedColumn_DF)

## [1] 11840

head(trafficAccident_wantedColumn_DF,4)

## Count MONTH YEAR QUADRANT TYPE DAY SEASON HOURTYPE
## 1 1 2 2017 SE SINGLE_VEHICLE 8 WINTER RUSHHOUR
## 2 1 2 2017 SE MULTI_VEHICLE 8 WINTER NOTRUSHHOUR
## 3 1 2 2017 NE TWO_VEHICLE 8 WINTER NOTRUSHHOUR
## 4 1 2 2017 SE TWO_VEHICLE 8 WINTER NOTRUSHHOUR

tail(trafficAccident_wantedColumn_DF,4)

## Count MONTH YEAR QUADRANT TYPE DAY SEASON HOURTYPE
## 11837 1 12 2018 NW TWO_VEHICLE 31 FALL RUSHHOUR
## 11838 1 12 2018 SE MULTI_VEHICLE 31 FALL NOTRUSHHOUR
## 11839 1 12 2018 NW TWO_VEHICLE 31 FALL NOTRUSHHOUR
## 11840 1 12 2018 SW TWO_VEHICLE 31 FALL NOTRUSHHOUR

require(scales)

## Loading required package: scales
```

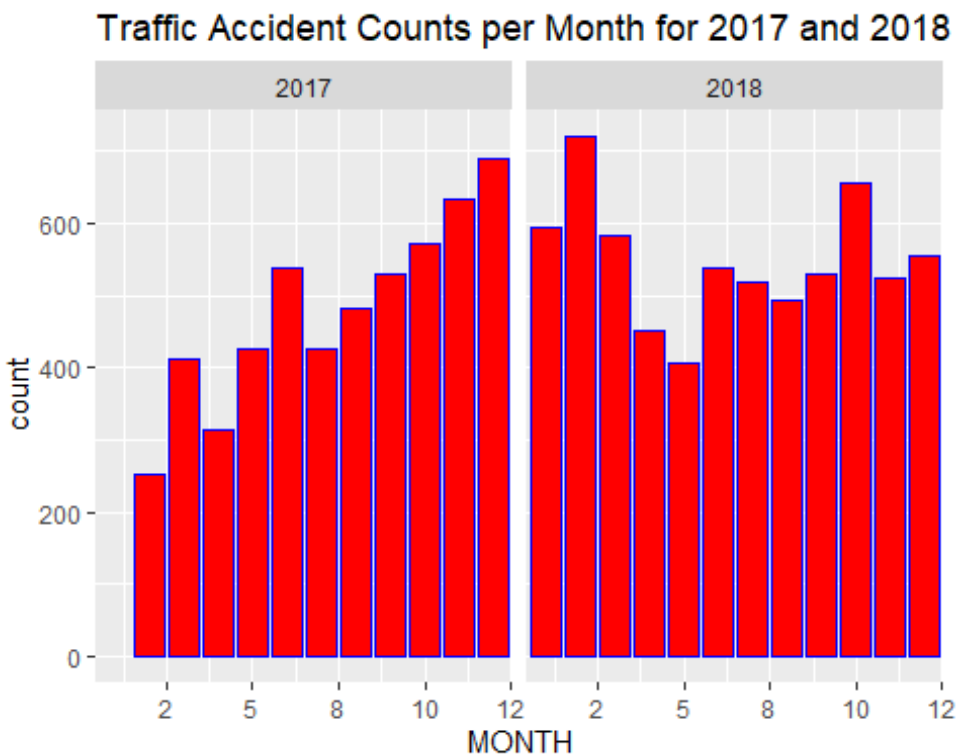
```
##
## Attaching package: 'scales'

## The following object is masked from 'package:purrr':
##
##   discard

## The following object is masked from 'package:readr':
##
##   col_factor

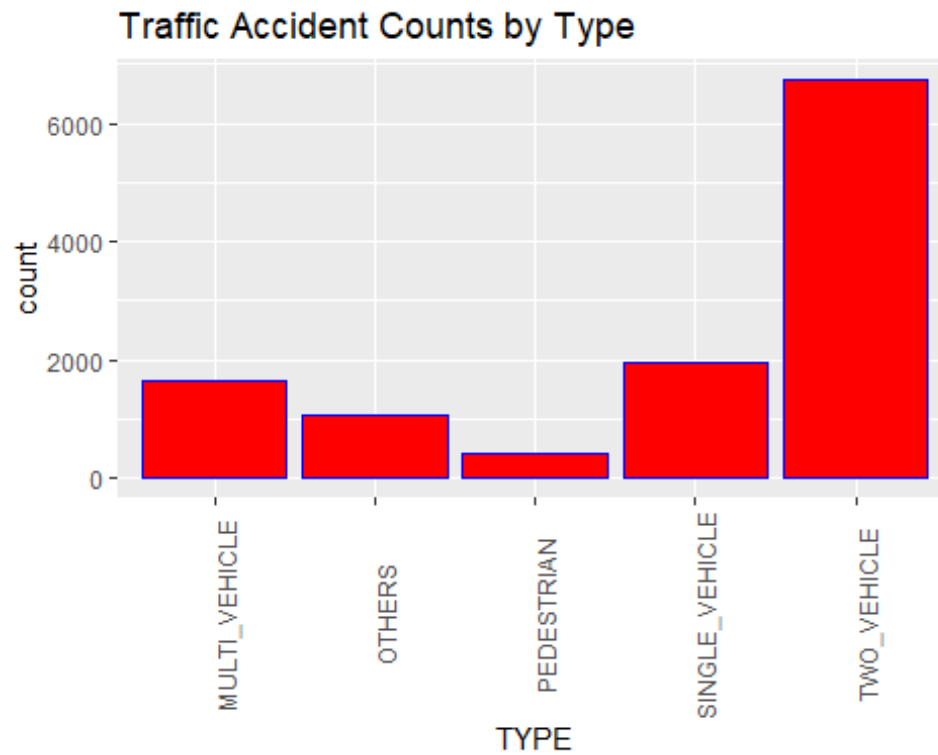
## The following object is masked from 'package:mosaic':
##
##   rescale

ggplot(data= trafficAccident_wantedColumn_DF , aes(x= MONTH ) )+
geom_bar(col= 'blue' , fill='red')+ coord_cartesian(xlim = c(1,
12))+scale_x_continuous(labels = comma) + facet_wrap(~YEAR) +
ggtitle("Traffic Accident Counts per Month for 2017 and 2018")
```



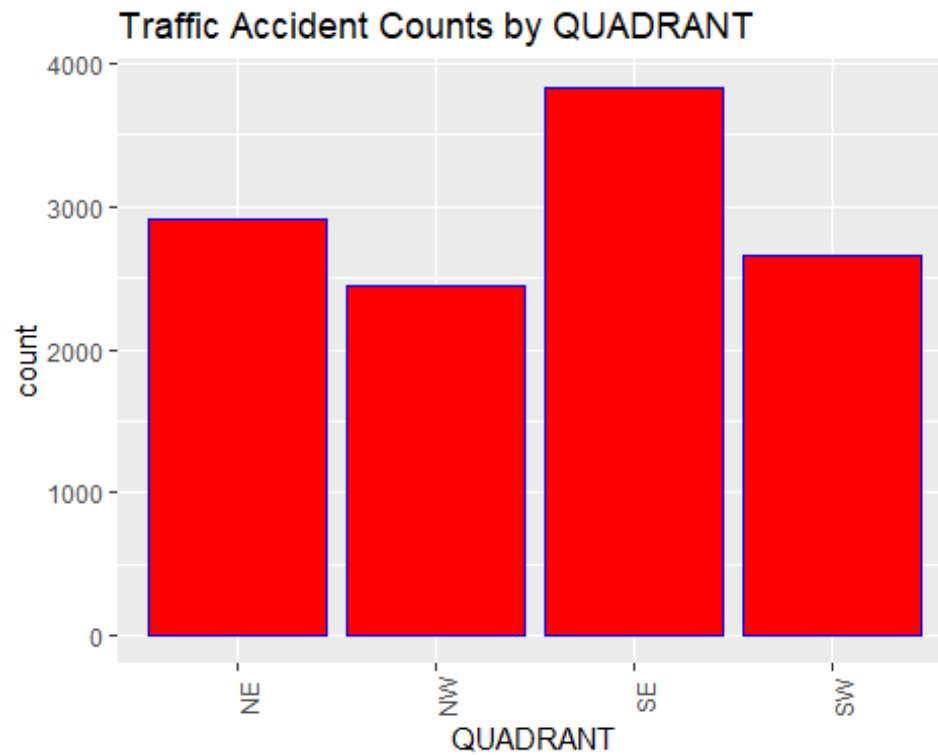
*# First we try to see if there is any pattern between two years, we see there is no pattern in two years*

```
ggplot(data= trafficAccident_wantedColumn_DF , aes(x= TYPE ))+ geom_bar(col=
'blue',fill='red' ,position="dodge")+ ggtitle("Traffic Accident Counts by
Type")+ theme(axis.text.x = element_text(angle = 90))
```



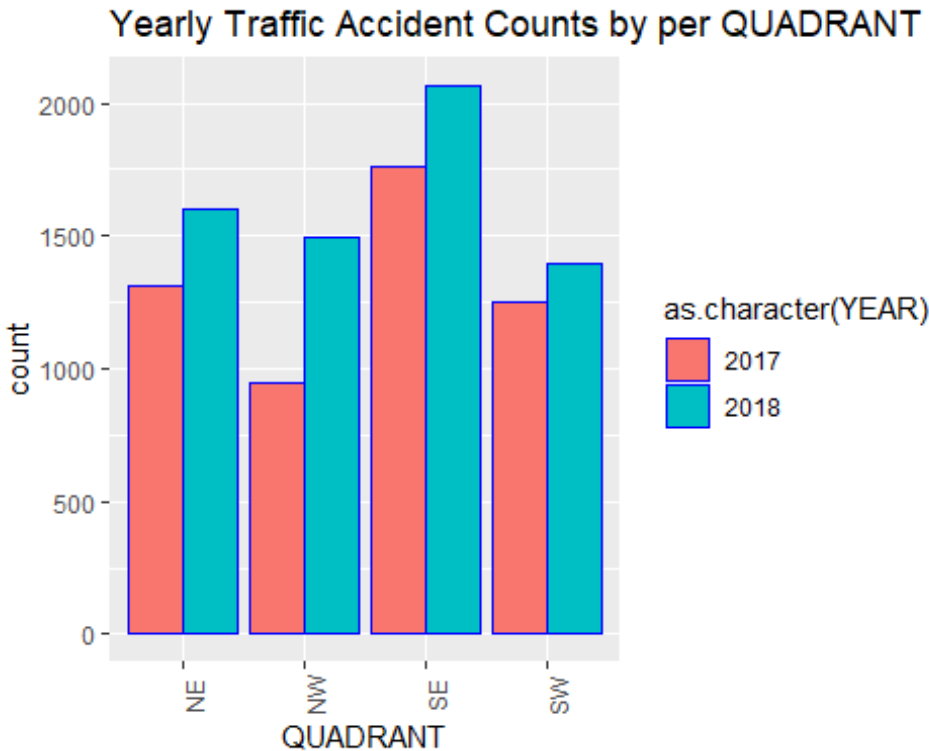
*# Two vehicle accident is the most common accident type following by Multi vehicle*

```
ggplot(data= trafficAccident_wantedColumn_DF , aes(x= QUADRANT ))+  
geom_bar(col= 'blue',fill='red' ,position="dodge") + theme(axis.text.x =  
element_text(angle = 90)) + ggtitle("Traffic Accident Counts by QUADRANT")
```



*# SE has highest number of accidents*

```
ggplot(data= trafficAccident_wantedColumn_DF , aes(x= QUADRANT ,  
fill=as.character(YEAR)))+ geom_bar(col= 'blue' ,position="dodge")+  
theme(axis.text.x = element_text(angle = 90))+ ggtitle("Yearly Traffic  
Accident Counts by per QUADRANT")
```



*# 2018 has more accidents in every QUADRANT, NW has the most increase in accident*

*#this is our aggregation ,level(Month,day,HourType), to find number of accident per hour for rush hour and not rush hour*

```
trafficAccident_Perhour_agg =
aggregate(trafficAccident_wantedColumn_DF$Count, by= list(
MONTH=trafficAccident_wantedColumn_DF$MONTH, DAY=trafficAccident_wantedColumn_
DF$DAY, HOURTYPE=trafficAccident_wantedColumn_DF$HOURTYPE ), FUN=sum,
na.rm=T)
```

*# Adding HourlyRate column*

```
for ( i in 1:nrow(trafficAccident_Perhour_agg)){
trafficAccident_Perhour_agg[i,"HourlyRate"] = if
(trafficAccident_Perhour_agg[i,"HOURTYPE"] == "RUSHHOUR")
{trafficAccident_Perhour_agg[i,"x"] / 5 } # "5" number of rushhour hours
else {trafficAccident_Perhour_agg[i,"x"] / 19 } # "19" number of not rushhour
hours
}
```

*# Caclulating traffic accident hourly average houly rate per month*

```
trafficAccident_AvgRate = aggregate(trafficAccident_Perhour_agg$HourlyRate,
by= list( MONTH=trafficAccident_Perhour_agg$MONTH,
HOURTYPE=trafficAccident_Perhour_agg$HOURTYPE ), FUN=mean, na.rm=T)
nrow(trafficAccident_AvgRate)
```

```
## [1] 24
```

```

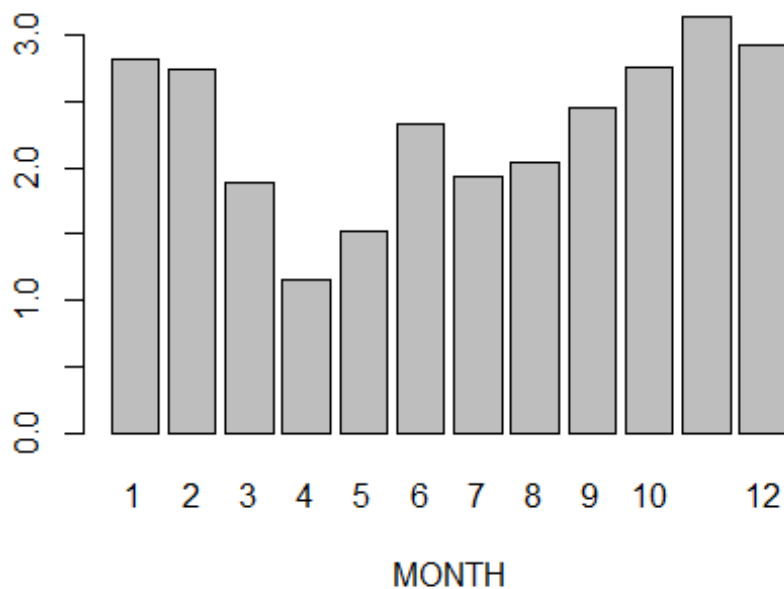
#To show the graph nice, I just assumed that Jan 2017 has same rate as Jan
2018 because we are missing Jan 2017 data
for (i in 1: nrow(trafficAccident_AvgRate)){
  if (trafficAccident_AvgRate[i,"MONTH"] == 1) {trafficAccident_AvgRate
[i,3] = trafficAccident_AvgRate [i,3]*2}
}

# Sorting data by month to show it in the bar graph
trafficAccident_AvgRate =
trafficAccident_AvgRate[order(trafficAccident_AvgRate$MONTH),]

barplot(filter(trafficAccident_AvgRate,HOURTYPE=="RUSHHOUR")$x, xlab =
"MONTH", main ="RUSHHOUR Average of Hourly Accident Rate by Month" ,names.arg
=c(seq(1,12) ))

```

### RUSHHOUR Average of Hourly Accident Rate by Mo

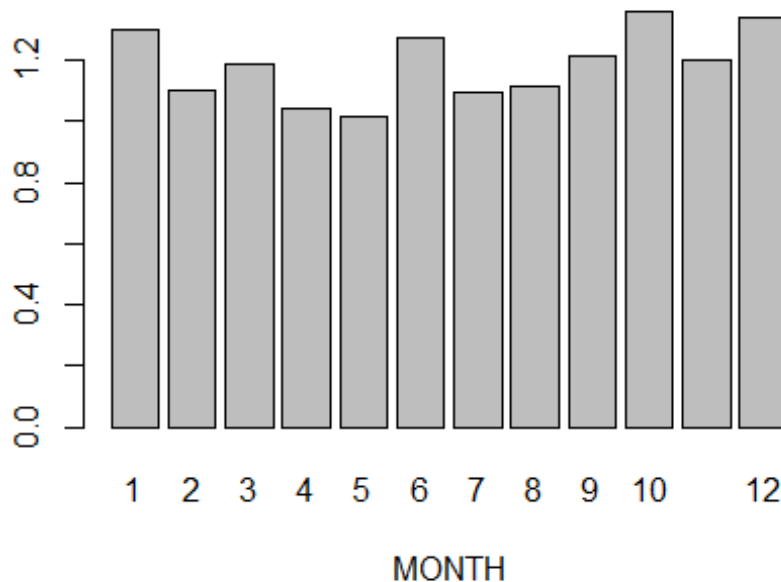


```

barplot(filter(trafficAccident_AvgRate,HOURTYPE=="NOTRUSHHOUR")$x, xlab =
"MONTH",main ="NON-RUSHHOUR Average of Hourly Accident Rate by Month" ,
names.arg =c(seq(1,12)))

```

## ON-RUSHHOUR Average of Hourly Accident Rate by I



*# Rush hour accidents show a more pronounced dependence on months, in April we have less than 2 accidents per hour and in November we have 4 accidents per hour*  
*# Average hourly accident rate is more consistent for non-rush hour and we have 6 accidents each 5 hours (1.2 per hour)*

### Part 3: Statistical Analysis

1. Do more traffic accidents occur during rush hour time or non-rush hour times?

# Average monthly accident per hour for rush hour vs non-rush hour

```
trafficAccident_Perhour_agg1 =
aggregate(trafficAccident_wantedColumn_DF$Count, by= list(
TYPE=trafficAccident_wantedColumn_DF$TYPE,
HOURTYPE=trafficAccident_wantedColumn_DF$HOURTYPE ), FUN=sum, na.rm=T)

# Adding HourlyRate column
# for ( i in 1:nrow(trafficAccident_Perhour_agg1)){
#   trafficAccident_Perhour_agg1[i,"HourlyRate"] = if
#   (trafficAccident_Perhour_agg1[i,"HOURTYPE"] == "RUSHHOUR")
#   {trafficAccident_Perhour_agg1[i,"x"] / 5 } # "5" number of rushhour hours
#   else {trafficAccident_Perhour_agg1[i,"x"] / 19 } # "19" number of not
#   rushhour hours
# }
```

```

totalRushHour = sum(filter(trafficAccident_Perhour_agg1,HOURTYPE=="RUSHHOUR"
)[,3])
totalRushHour

## [1] 3983

totalnotRushHour =
sum(filter(trafficAccident_Perhour_agg1,HOURTYPE=="NOTRUSHHOUR" ),[,3])
totalnotRushHour

## [1] 7857

# Adding HourlyRate percent column
for ( i in 1:nrow(trafficAccident_Perhour_agg1)){
trafficAccident_Perhour_agg1[i,"AccidentPercent"] = if
(trafficAccident_Perhour_agg1[i,"HOURTYPE"] == "RUSHHOUR")
{round(trafficAccident_Perhour_agg1[i,"x"] / totalRushHour *100,2)}
else {round(trafficAccident_Perhour_agg1[i,"x"] / totalnotRushHour *100,2) }
}

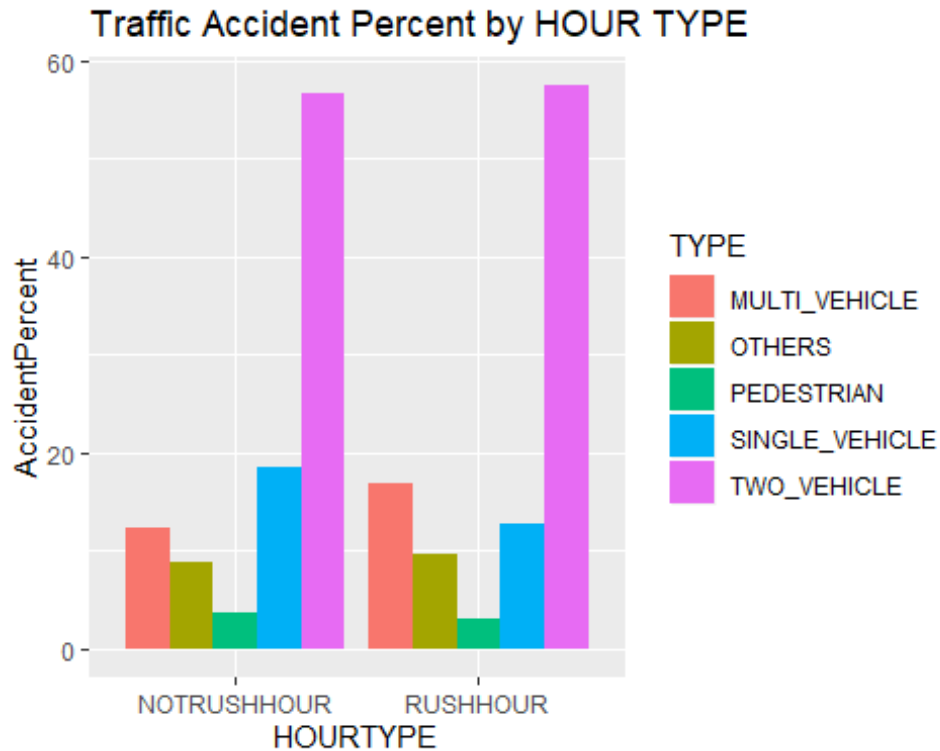
head(trafficAccident_Perhour_agg1,3)

##           TYPE      HOURTYPE    x AccidentPercent
## 1 MULTI_VEHICLE NOTRUSHHOUR  971           12.36
## 2      OTHERS NOTRUSHHOUR  689            8.77
## 3  PEDESTRIAN NOTRUSHHOUR  292            3.72

ggplot(data= trafficAccident_Perhour_agg1 , aes(x= HOURTYPE,fill=TYPE ))+
geom_col(aes(y=AccidentPercent),position="dodge")+ ggtitle("Traffic Accident
Percent by HOUR TYPE")

```





## 1) Do more two vehicle traffic incidents occur during rush hour time or non-rush hour times?

###

*# AS discussed we investigate our hypothesis based on the proportion of TWO\_VEHICLE incidents to the total number of incidents for rush hour and not rush hour. We use a prop.test*  
*# Also, rush hour has been considered 7-9am and 3-6 pm for Calgary*

*# H0:  $p_{2v\_RH} = p_{2v\_NRH}$*   
*# Ha:  $p_{2v\_RH} > p_{2v\_NRH}$*

```
N_total_RH = nrow(filter(trafficAccident_wantedColumn_DF, HOURTYPE == 'RUSHHOUR')) # Compute number of incidents happened during rush hour
N_total_notRH = nrow(filter(trafficAccident_wantedColumn_DF, HOURTYPE == 'NOTRUSHHOUR')) # Compute number of incidents happened out of rush hour

N_2v_RH = nrow(filter(trafficAccident_wantedColumn_DF, HOURTYPE == 'RUSHHOUR', TYPE == 'TWO_VEHICLE')) # Compute number of two-vehicle incidents happened during rush hour
N_2v_notRH = nrow(filter(trafficAccident_wantedColumn_DF, HOURTYPE == 'NOTRUSHHOUR', TYPE == 'TWO_VEHICLE')) # Compute number of two-vehicle incidents happened out of rush hour
```

```
# Perform a prop-test
```

```
prop.test(c(N_2v_RH,N_2v_notRH),c(N_total_RH,N_total_notRH),alternative =  
"greater", correct= FALSE)
```

```
##  
## 2-sample test for equality of proportions without continuity  
## correction  
##  
## data: c(N_2v_RH, N_2v_notRH) out of c(N_total_RH, N_total_notRH)  
## X-squared = 0.79213, df = 1, p-value = 0.1867  
## alternative hypothesis: greater  
## 95 percent confidence interval:  
## -0.007257613 1.000000000  
## sample estimates:  
## prop 1 prop 2  
## 0.5746924 0.5661194
```

```
# Inference
```

```
# As the Pvalue,  $P(Z_{obs} > \sqrt{8.0255}) = 0.002316$  which is less than 0.05  
confidence level, we can reject  $H_0$  in favor of the alternative. In other  
words, the proportion of two-vehicle incidents that happen during rush hour  
is more than the proportion of two-vehicle incidents that take place outside  
of rush hour period.
```

```
Inc_total_RH = filter(trafficAccident_wantedColumn_DF, HOURTYPE== 'RUSHHOUR')  
Inc_total_notRH = filter(trafficAccident_wantedColumn_DF, HOURTYPE==  
'NOTRUSHHOUR')
```

```
# Bootstrap method to compare two populations
```

```
nsamples = 1000  
p_hat_RH_2v = numeric(nsamples)  
p_hat_notRH_2v = numeric(nsamples)  
p_hat_diff_2v = numeric(nsamples)
```

```
for(i in 1:nsamples){
```

```
  # Computing the bootstrap statistic for two-vehicle accidents  
  sample_RH_2v = resample(Inc_total_RH$TYPE, n =N_2v_RH)  
  p_hat_RH_2v[i] = table(sample_RH_2v)[5]/N_total_RH # Creating two-vehicle  
proportion vector for rush hours  
  sample_notRH_2v = resample(Inc_total_notRH$TYPE, n =N_2v_notRH)  
  p_hat_notRH_2v[i] = table(sample_notRH_2v)[5]/N_total_notRH # Creating  
two-vehicle proportion vector for not rush hours  
  p_hat_diff_2v[i] = p_hat_RH_2v[i] - p_hat_notRH_2v[i]
```

```
}
```

```
boot_difference = data.frame(p_hat_RH_2v,p_hat_notRH_2v, p_hat_diff_2v)
```

```
head(boot_difference)
```

```
##   p_hat_RH_2v p_hat_notRH_2v p_hat_diff_2v
## 1  0.5679136      0.5703195 -0.002405827
## 2  0.5633944      0.5550465  0.008347971
## 3  0.5862415      0.5616648  0.024576769
## 4  0.5885011      0.5701922  0.018308944
## 5  0.5807181      0.5679012  0.012816817
## 6  0.5774542      0.5665012  0.010952971
```

```
tail(boot_difference)
```

```
##   p_hat_RH_2v p_hat_notRH_2v p_hat_diff_2v
## 995  0.5709264      0.5761741 -0.0052476749
## 996  0.5910118      0.5724831  0.0185286641
## 997  0.5779563      0.5591193  0.0188370576
## 998  0.5794627      0.5761741  0.0032886043
## 999  0.5782074      0.5690467  0.0091606714
## 1000 0.5638966      0.5645921 -0.0006955231
```

```
favstats(p_hat_diff_2v, data =boot_difference)
```

```
##           min           Q1         median          Q3           max          mean
## -0.02144672 0.002109425 0.009157188 0.01457389 0.03633324 0.00856246
##           sd      n missing
## 0.009446102 1000          0
```

```
# Confidence interval for two-vehicle accidents
```

```
qdata(p_hat_diff_2v,c(.025,.975), data =boot_difference )
```

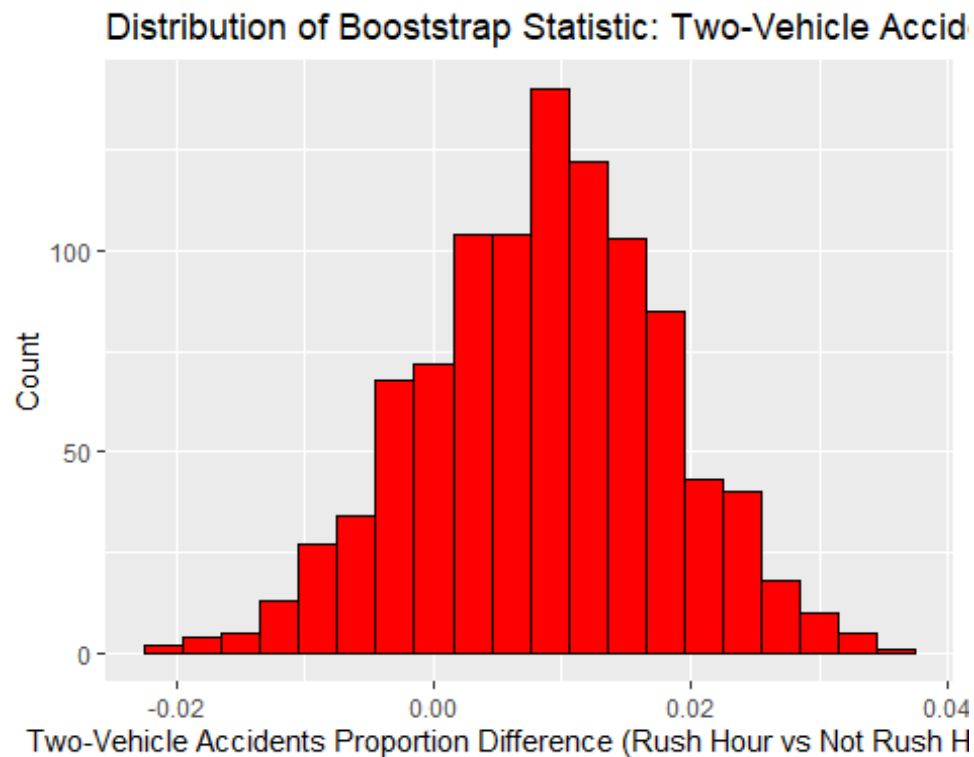
```
##           quantile      p
## 2.5% -0.01010291 0.025
## 97.5% 0.02670910 0.975
```

```
# The 95% confidence interval using bootstarpping : 0.00797 < p_hat_diff_2v  
< 0.04379 which is always positive and doesn't include zero. We can infer  
that 95% of the times the proportion of all two-vehicle incidents that happen  
during rush hour is " more" than the proportion of all two-vehicle incidents  
that happen out of rush hour period.
```

```
# Density plot and Histogram of Bootstrap Statistic: Population Difference for  
two-vehicle
```

```
ggplot(data=boot_difference, aes(x = p_hat_diff_2v)) +  
geom_histogram(fill='red', col='black',binwidth = 0.003) + xlab("Two-Vehicle  
Accidents Proportion Difference (Rush Hour vs Not Rush Hour )") +
```

```
ylab("Count") + ggtitle("Distribution of Booststrap Statistic: Two-Vehicle  
Accidents Proportion Difference ")
```



```
ggplot(data=boot_difference, aes(x = p_hat_diff_2v)) + geom_density(
col='blue') + xlab("Two-Vehicle Accidents Proportion Difference (Rush Hour vs  
Not Rush Hour )") + ylab("Count") + ggtitle("Distribution of Booststrap  
Statistic: Two-Vehicle Accidents Proportion Difference ")
```

A line graph showing a normal distribution curve. The x-axis is labeled 'Count' and ranges from -0.02 to 0.02. The y-axis is labeled 'Count' and ranges from 0 to 40. The curve is bell-shaped, centered at 0.00, with a peak count of approximately 45.

```
for (i in 1:nrow(trafficAccident_wantedColumn_DF)) {

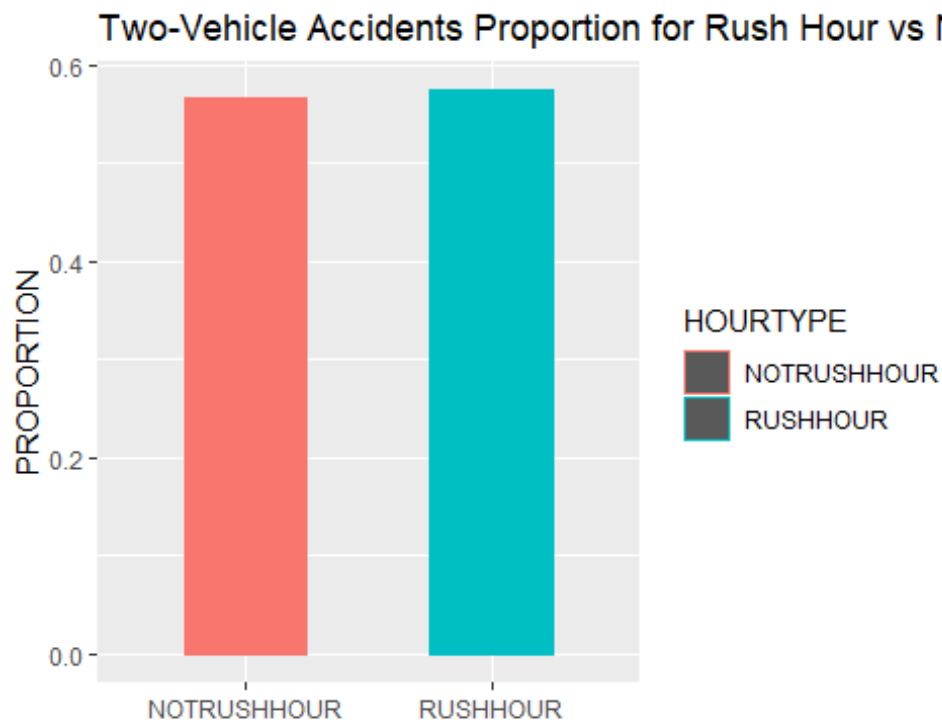
  if (trafficAccident_wantedColumn_DF[i,"HOURTYPE"] == "RUSHHOUR")
  {
    trafficAccident_wantedColumn_DF[i,"PROPORTION"] =
    trafficAccident_wantedColumn_DF[i,"Count"]/nrow(filter (
    trafficAccident_wantedColumn_DF, HOURTYPE == "RUSHHOUR"))
  }
  else
  {
    trafficAccident_wantedColumn_DF[i,"PROPORTION"] =
    trafficAccident_wantedColumn_DF[i,"Count"]/nrow(filter (
    trafficAccident_wantedColumn_DF, HOURTYPE == "NOTRUSHHOUR"))
  }

}
```

##	Count	MONTH	YEAR	QUADRANT		TYPE	DAY	SEASON	HOUR	TYPE	
##	1	1	2	2017	SE	SINGLE_VEHICLE	8	WINTER	RUSHHOUR		
##	2	1	2	2017	SE	MULTI_VEHICLE	8	WINTER	NOTRUSHHOUR		
##	3	1	2	2017	NE	TWO_VEHICLE	8	WINTER	NOTRUSHHOUR		
##	4	1	2	2017	SE	TWO_VEHICLE	8	WINTER	NOTRUSHHOUR		
##	5	1	2	2017	NW	MULTI_VEHICLE	8	WINTER	NOTRUSHHOUR		
##	PROPORTION										
##	1	0.000251067									

```
## 2 0.000127275
## 3 0.000127275
## 4 0.000127275
## 5 0.000127275
```

```
ggplot(data= filter(trafficAccident_wantedColumn_DF, TYPE == "TWO_VEHICLE") ,
aes(x= HOURTYPE ,y = PROPORTION, color = HOURTYPE))+ geom_bar(stat =
"identity", width = 0.5) + ggtitle("Two-Vehicle Accidents Proportion for Rush
Hour vs Not Rush Hour")+ xlab(" ")
```



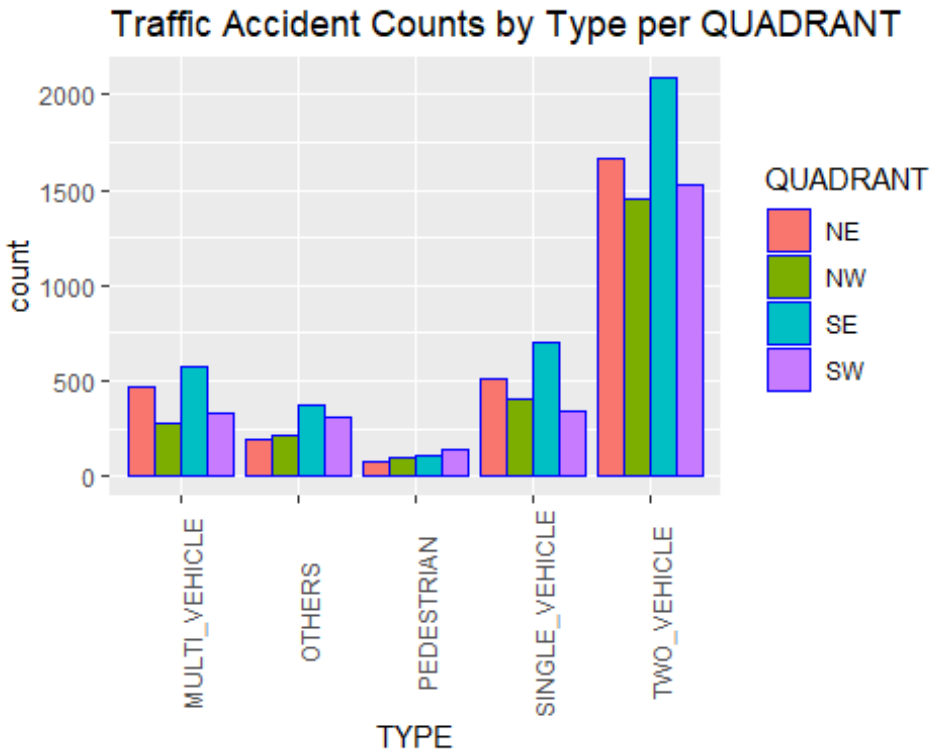
## 2) Does the type of accident depend on the quadrant of the city?

In this part we investigated if accident types and quadrants are related. In other words, do some accident types happen more frequently in some quadrants? Since both variables are categorical, we used Chi-Squared Test of independence and a test of two proportions.

The dependency between the accident types and quadrants can be in different forms. We choose to visualize the data in a few different forms to investigate this dependency further.

Traffic accident counts by type per quadrant shows that SW has the highest number of pedestrian accident and SE has the highest number of two-vehicle accidents.

```
ggplot(data= trafficAccident_wantedColumn_DF , aes(x= TYPE ,fill=QUADRANT))+
geom_bar(col= 'blue' ,position="dodge")+ theme(axis.text.x =
element_text(angle = 90))+ ggtitle("Traffic Accident Counts by Type per
QUADRANT")
```



*# SW has hieghest number of pedestrain accident and SE has highest number Two\_Vehicle accidents*

We calculated the number of accidents per month per quadrant, and type. This helped us investigate monthly variations in accident types by quadrant. The boxplot of monthly accidents by type per quadrant shows that NE has the least amount of variation by month for two-vehicle accidents and NW has the most.

Also, east quadrants (SE and NE) have more variations in monthly multi-vehicle accidents compared to the west quadrants.

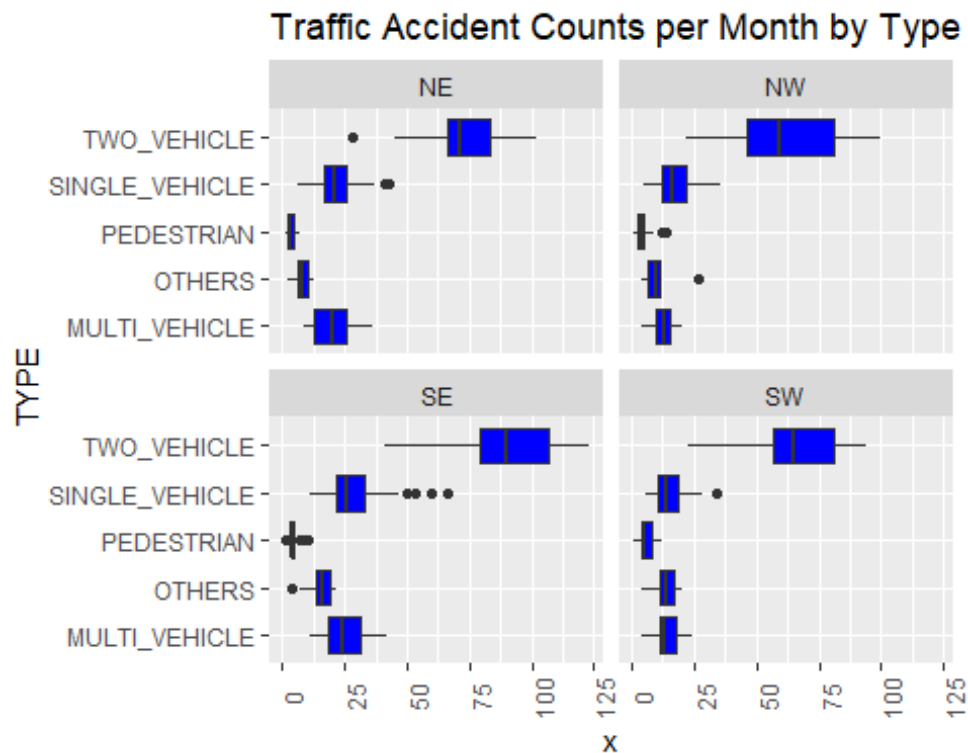
*#Aggregate Level: year, month, quadrant , and Type*

```
trafficAccident_agg = aggregate(trafficAccident_wantedColumn_DF$Count, by=
list(YEAR=trafficAccident_wantedColumn_DF$YEAR,
MONTH=trafficAccident_wantedColumn_DF$MONTH,
QUADRANT=trafficAccident_wantedColumn_DF$QUADRANT ,
TYPE=trafficAccident_wantedColumn_DF$TYPE), FUN=sum, na.rm=T)
head(trafficAccident_agg,4)
```

```
##   YEAR MONTH QUADRANT      TYPE  x
## 1 2018     1       NE MULTI_VEHICLE 13
## 2 2017     2       NE MULTI_VEHICLE  9
## 3 2018     2       NE MULTI_VEHICLE 26
## 4 2017     3       NE MULTI_VEHICLE 12
```

```
ggplot(data= trafficAccident_agg, aes( x=TYPE, y=x))+
geom_boxplot(fill='blue')+facet_wrap(~QUADRANT) +theme(axis.text.x =
```

```
element_text(angle = 90))+coord_flip() + ggtitle("Traffic Accident Counts per Month by Type per QUADRANT ")
```



*#One of the things this shows is that NE has Least amount of variation by month for two vehicle accidents and NW has the most*  
*# East quadrants have more variation in monthly multi vehicle accident compared to the west*  
*#explain how you have aggregated the data and what are people Looking at*

Based on above visualization we see that type of accident is dependent to the quadrant. For example two vehicle accidents are more common in SE while pedestrain accident are more common in SW.

To statistically validate this, we defined our statistical hypotheses as following.

Ho: Types of accidents and the quadrants of the city are Independent.

HA: Types of accidents and the quadrants of the city are dependent.

The test statistics in the categorical bivarite data is  $\chi^2_{obs}$ .

First step to apply test of independence is creating contingency table.

```
contTableTypeQuadrant = tally(~ QUADRANT+TYPE , margins=TRUE, data =
trafficAccident_wantedColumn_DF )
# Out put of tally had a extra row of zero that I removed it
contTableTypeQuadrant = contTableTypeQuadrant[2:6,]
contTableTypeQuadrant
```



```
##          TYPE
## QUADRANT MULTI_VEHICLE OTHERS PEDESTRIAN SINGLE_VEHICLE TWO_VEHICLE Total
##    NE              467    190          74          514      1669  2914
##    NW              277    210         101          409      1449  2446
##    SE              571    367         102          701      2089  3830
##    SW              332    309         136          343      1530  2650
##    Total          1647   1076         413         1967      6737 11840
```

Chi-squared test has a condition that the  $E_{ij} \geq 5$ . As we can see in the contingency table, this condition is met.

```
xchisq.test(contTableTypeQuadrant, correct=FALSE)
```

```
##
## Pearson's Chi-squared test
##
## data:  x
## X-squared = 144.48, df = 20, p-value < 0.00000000000000022
##
##    467.00    190.00    74.00    514.00    1669.00    2914.00
## ( 405.35) ( 264.82) ( 101.65) ( 484.11) ( 1658.08) ( 2914.00)
## [ 9.376] [21.139] [ 7.519] [ 1.846] [ 0.072] [ 0.000]
## < 3.06> <-4.60> <-2.74> < 1.36> < 0.27> < 0.00>
##
##    277.00    210.00    101.00    409.00    1449.00    2446.00
## ( 340.25) ( 222.29) ( 85.32) ( 406.36) ( 1391.78) ( 2446.00)
## [11.758] [ 0.679] [ 2.881] [ 0.017] [ 2.352] [ 0.000]
## <-3.43> <-0.82> < 1.70> < 0.13> < 1.53> < 0.00>
##
##    571.00    367.00    102.00    701.00    2089.00    3830.00
## ( 532.77) ( 348.06) ( 133.60) ( 636.28) ( 2179.28) ( 3830.00)
## [ 2.743] [ 1.030] [ 7.473] [ 6.582] [ 3.740] [ 0.000]
## < 1.66> < 1.01> <-2.73> < 2.57> <-1.93> < 0.00>
##
##    332.00    309.00    136.00    343.00    1530.00    2650.00
## ( 368.63) ( 240.83) ( 92.44) ( 440.25) ( 1507.86) ( 2650.00)
## [ 3.639] [19.298] [20.530] [21.482] [ 0.325] [ 0.000]
## <-1.91> < 4.39> < 4.53> <-4.63> < 0.57> < 0.00>
##
##    1647.00    1076.00    413.00    1967.00    6737.00    11840.00
## ( 1647.00) ( 1076.00) ( 413.00) ( 1967.00) ( 6737.00) (11840.00)
## [ 0.000] [ 0.000] [ 0.000] [ 0.000] [ 0.000] [ 0.000]
## < 0.00> < 0.00> < 0.00> < 0.00> < 0.00> < 0.00>
##
## key:
## observed
## (expected)
## [contribution to X-squared]
## <Pearson residual>
```

From this table we can see the Expected Count per quadrant by type (second row of each quadrant in the table). For example, the observed count for multi-vehicle accidents in NE is 467 while the expected count is 405. This expected value was calculated by taking the row total for NE (2914) times the column total for multi-vehicle accidents and then dividing the result by the sample size (11840). The same procedure was conducted for each cell. The general concept is that if the expected and observed counts are not too different, then the two variables are not related (i.e. are independent). In contrast, if the observed counts were much different than expected, we would conclude that there is an association (i.e. dependence) between the two variables.

The third row of each quadrant in the table shows the Chi-square contribution of each accident type to the test statistics for that quadrant. For example, the chi-square contribution of 9.38 for multi-vehicle accidents in NE was calculated by taking the squared difference between the Observed Count (467) and the Expected Count (405) then dividing by the Expected Count  $((467 - 405)^2 / 405)$ . The chi-square of all accident type/quadrant cells (sum of the all cells in the third rows of all quadrants) adds up to the chi-square test statistic of 144.48.

The p-value for the Pearson's Chi-Square test summarizes these calculations in an interpretable fashion. This p-value of accident types being independent from the quadrants is  $2E-16$  (practically zero) which is below 0.05, so we declare that the result is statistically significant. From this result, we infer that the "types of accidents" and "quadrants" are dependent.

Now that we found out these categories are related, we go one step further to compare the risks of each type of accidents in each quadrant. We pursue this by "Test of Equal" or "Given Proportions".

H0: The null hypothesis is that the four populations (NW, NE, SW, SE) in which the multi-vehicle accidents have happened, have the same true proportion of total accidents.

HA: The alternative is that this proportion is different in at least one of the populations.

```
contTableTypeQuadrant
```

```
##          TYPE
## QUADRANT MULTI_VEHICLE OTHERS PEDESTRIAN SINGLE_VEHICLE TWO_VEHICLE Total
##    NE           467     190           74           514       1669  2914
##    NW           277     210          101           409       1449  2446
##    SE           571     367          102           701       2089  3830
##    SW           332     309          136           343       1530  2650
##    Total        1647    1076          413          1967       6737 11840
```

```
#prop test between MULTI_VEHICLE in each Quadrant
```

```
prop.test(contTableTypeQuadrant[1:4,"MULTI_VEHICLE"],contTableTypeQuadrant[1:4,"Total"], alternative = "two.sided")
```

```
##
## 4-sample test for equality of proportions without continuity
## correction
```

```
##
## data: contTableTypeQuadrant[1:4, "MULTI_VEHICLE"] out of
contTableTypeQuadrant[1:4, "Total"]
## X-squared = 31.962, df = 3, p-value = 0.000000533
## alternative hypothesis: two.sided
## sample estimates:
##      prop 1      prop 2      prop 3      prop 4
## 0.1602608 0.1132461 0.1490862 0.1252830
```

Based on the p-value= 0.000000533, we can infer that proportion of multi-vehicle accidents is different in at least one of the four quadrants. It also provides us with the proportion of success (multi-vehicle accident happening) in each quadrant. The following table summarizes the proportion (%) of accidents happening in each quadrant by type. We can create proportion of success for all scenarios as below:

```
propotionTableTypeQuadrant = contTableTypeQuadrant
percentTableTypeQuadrant = contTableTypeQuadrant
for (i in 1:5){
  propotionTableTypeQuadrant[i,] =
  contTableTypeQuadrant[i,]/contTableTypeQuadrant[i,6]
  percentTableTypeQuadrant[i,] =
  round((contTableTypeQuadrant[i,]/contTableTypeQuadrant[i,6]*100),1)
}
propotionTableTypeQuadrant

##          TYPE
## QUADRANT MULTI_VEHICLE      OTHERS PEDESTRIAN SINGLE_VEHICLE TWO_VEHICLE
##   NE      0.16026081 0.06520247 0.02539465      0.17638984 0.57275223
##   NW      0.11324612 0.08585446 0.04129191      0.16721177 0.59239575
##   SE      0.14908616 0.09582245 0.02663185      0.18302872 0.54543081
##   SW      0.12528302 0.11660377 0.05132075      0.12943396 0.57735849
##   Total    0.13910473 0.09087838 0.03488176      0.16613176 0.56900338
##          TYPE
## QUADRANT      Total
##   NE      1.00000000
##   NW      1.00000000
##   SE      1.00000000
##   SW      1.00000000
##   Total  1.00000000

percentTableTypeQuadrant

##          TYPE
## QUADRANT MULTI_VEHICLE OTHERS PEDESTRIAN SINGLE_VEHICLE TWO_VEHICLE Total
##   NE           16.0      6.5        2.5           17.6        57.3 100.0
##   NW           11.3      8.6        4.1           16.7        59.2 100.0
##   SE           14.9      9.6        2.7           18.3        54.5 100.0
##   SW           12.5     11.7        5.1           12.9        57.7 100.0
##   Total        13.9      9.1        3.5           16.6        56.9 100.0
```

The proportion/percentage table shows that more than 50% of accidents in all quadrants are two-vehicle accidents. The second most common accidents type in all areas are single-vehicle accidents followed by multi-vehicle accidents.

Additionally, we can compare the risks by using proportion/percentage table. We define risk as a bad outcome (accident happening) and it can be expressed either as the proportion or percentage of a group that experiences the outcome. For example, risk of a pedestrian accident in SW is 5.1% (Row 4, column 4). This means that 5 percent of all accidents in SW involves a pedestrian. As another example we can say that 3.5 percent of all accidents in all areas (Row 5, column 4) involves a pedestrian.

Relative Risk and Percent increased risk are another two measure that can be used to compare the risk of a particular outcome in two different groups. They are calculated as following.

Relative risks = Risk in group1/Risk in Group2

Percent increased risk = (Risk in group1 - Risk in Group2)/Risk in Group2

We compared two quadrants with the highest and lowest risks for each type of accident and summarized as bellow: for MULTI\_VEHICLE type NE has highest risk 16.0 and NW has lowest 11.3%. Reletive risk MULTI\_VEHICLE between NE and NW is 1.4% which is 41.5 percent increased risk. for PEDESTRIAN SW has highest risk 5.1 and NE has lowest 2.5%. Reletive risk PEDESTRIAN between SW and NE is 2.04 % which is 41.8 percent increased risk. For SINGLE\_VEHICLE SE has highest risk 18.3 and SW has lowest 12.9%. Reletive risk SINGLE\_VEHICLE between SE and SW is 1.4 % which is 104 percent increased risk. For TWO\_VEHICLE NW has highest risk 59.2 and SE has lowest 54.5%. Reletive risk TWO\_VEHICLE between NW and SE is 1.08% which is 8.6 percent increased risk.

```
#MULTI_VEHICLE , NE and NW
16/11.3

## [1] 1.415929

(16-11.3)/11.3 *100

## [1] 41.59292

(16/(100-16))/(11.3 / (100-11.3))

## [1] 1.495154

# PEDESTRIAN SW and NE
5.1 /2.5

## [1] 2.04

(5.1-2.5) /2.5 *100

## [1] 104

(5.1/(100-5.1))/(2.5/ (100-2.5))
```

```
## [1] 2.09589

# SINGLE_VEHICLE SE and SW
18.3/12.9

## [1] 1.418605

(18.3-12.9)/12.9 *100

## [1] 41.86047

(18.3/(100-18.3))/(12.9/ (100-12.9))

## [1] 1.512368

# TWO_VEHICLE NW and SE
59.2/54.5

## [1] 1.086239

(59.2-54.5)/54.5 *100

## [1] 8.623853

(59.2/(100-59.2))/(54.5/ (100-54.5))

## [1] 1.211369
```

#H0:B=0( month CAN NOT be expressed as a positive linear function of the number of traffic Incident) #HA:B≠0( month CAN be expressed as a positive linear function of the number of traffic Incident)

```
head(trafficAccident_wantedColumn_DF)
```

```
Yearly_Monthly_grouped = aggregate(trafficAccident_wantedColumn_DFCount, by =
list(YEAR =
trafficAccident_wantedColumn_DFYEAR, MONTH=trafficAccident_wantedColumn_DF$MONTH), FUN=sum, na.rm=T)
```

```
two_vehicle_Incidend_DF =filter(trafficAccident_wantedColumn_DF, TYPE ==
'TWO_VEHICLE')
```

```
Yearly_Monthly_TwoVehicle = aggregate(two_vehicle_Incidend_DFCount, by =
list(YEAR = two_vehicle_Incidend_DFYEAR, MONTH=two_vehicle_Incidend_DF$MONTH),
FUN=sum, na.rm=T)
```

```
Total_Two_Inc = data.frame( Total = Yearly_Monthly_groupedx, TWoVehicle =
Yearly_Monthly_TwoVehicle)
```

```
ggplot(data=Total_Two_Inc, aes(x = Total, y = TWoVehicle)) + geom_point(col="blue",
size=2, position="jitter") + xlab("Total Accident") + ylab("Two Vehicle Accident") +
ggtitle("Scatterplot of Monthly Total Accident toTwo Vehicle Accident")
+stat_smooth(method="lm", col='red')
```

```
#Check the strength of the relation cor(~Total, ~TWoVehicle, data=Total_Two_Inc)

predictTotalAcc = lm( Total~TWoVehicle, data=Total_Two_Inc)

predictHrat = predictTotalAcc$fitted.values #place the predicted values of y for each
observed x into a vector eisHrat = predictTotalAcc$residuals #pull out the residuals
predictionHrat6G = data.frame(predictHrat, eisHrat)

ggplot(predictionHrat6G, aes(sample=eisHrat)) + stat_qq(col='blue', size=2) +
stat_qqline(col='red') + ggtitle("Normal Probability Plot of the Residuals")

ggplot(predictionHrat6G, aes(x = predictHrat, y = eisHrat)) + geom_point(size=2, col='blue',
position="jitter") + xlab("Predicted Value") + ylab("Residuals") + ggtitle("Plot of Fits to
Residuals") + geom_hline(yintercept=0, color="red", linetype="dashed")

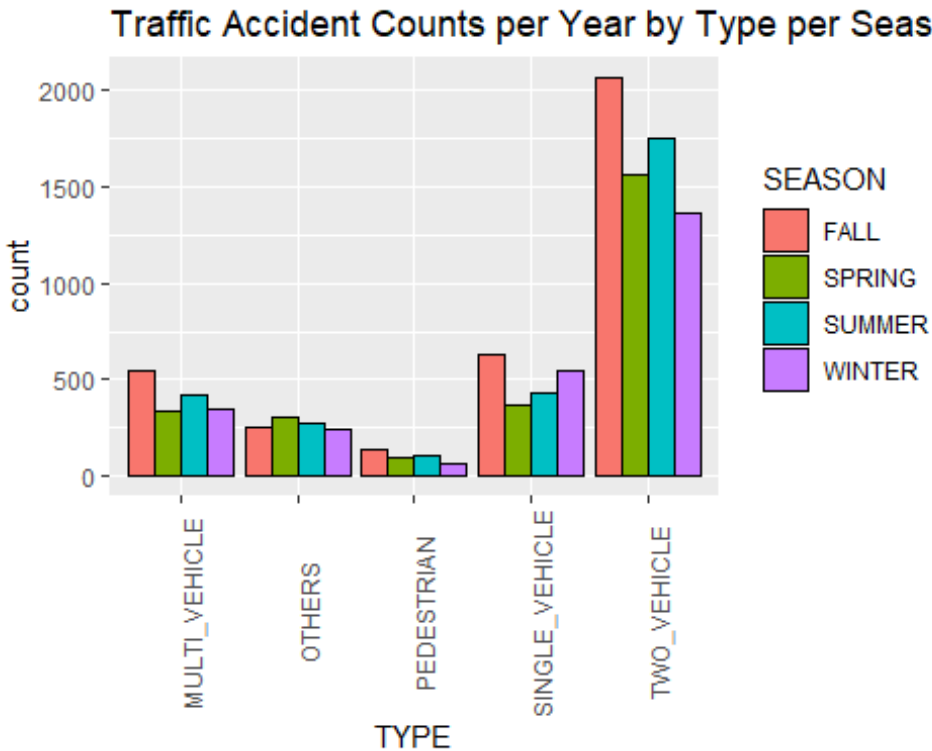
aov(predictTotalAcc)

options(scipen=999) summary(aov(predictTotalAcc))
```

### 3) Does the type of accident depend on the season?

We are examining whether the type of accident is independent from the season when it occurred. To do this we summarise the count of accidents by season for each type. This can be done using a bar chart.

```
ggplot ( data= trafficAccident_wantedColumn_DF , aes ( x = TYPE, fill =
SEASON)) + geom_bar ( col = 'black', position = "dodge") + theme (
axis.text.x = element_text ( angle = 90)) + ggtitle ("Traffic Accident Counts
per Year by Type per Season ")
```

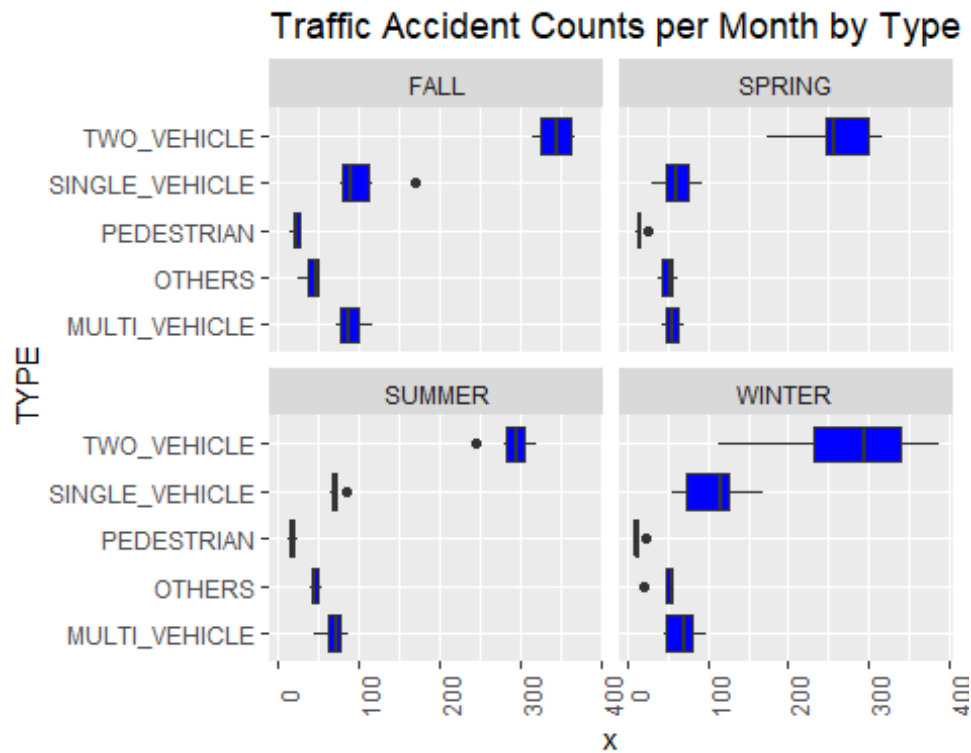


```
# Group data by year, month, season, and type
# There is a count column in dataframe. Every entry appears to be 1. So,
# taking the sum of the Count column will give the
# number of each accident for each season.
seasontraffic_agg = aggregate ( trafficAccident_wantedColumn_DF$Count, by =
list ( YEAR = trafficAccident_wantedColumn_DF$YEAR, MONTH =
trafficAccident_wantedColumn_DF$MONTH, SEASON =
trafficAccident_wantedColumn_DF$SEASON , TYPE =
trafficAccident_wantedColumn_DF$TYPE), FUN = sum, na.rm = T)

head (trafficAccident_agg, 4)

##   YEAR MONTH QUADRANT      TYPE    x
## 1 2018     1      NE MULTI_VEHICLE 13
## 2 2017     2      NE MULTI_VEHICLE  9
## 3 2018     2      NE MULTI_VEHICLE 26
## 4 2017     3      NE MULTI_VEHICLE 12

# Series of boxplots, divided by season using the monthly counts
ggplot ( data = seasontraffic_agg, aes ( x = TYPE, y = x))+ geom_boxplot (
fill = 'blue') + facet_wrap ( ~ SEASON) + theme ( axis.text.x = element_text
( angle = 90)) + coord_flip () + ggtitle ("Traffic Accident Counts per Month
by Type per Season ")
```



From the above plots, Winter shows the great amount of distribution. We also see variation in single vehicle accidents which suggests there might be a dependency based on season.

A tally table summarises the count of types of traffic accidents by season. Essentially, a tabular form of the bar chart rendered above.

```
conttable_typeseason = tally ( ~ SEASON + TYPE, margins = FALSE, data =
trafficAccident_wantedColumn_DF)
conttable_typeseason
```

##	SEASON	MULTI_VEHICLE	OTHERS	PEDESTRIAN	SINGLE_VEHICLE	TWO_VEHICLE
##	FALL	544	256	136	625	2065
##	SPRING	340	304	99	370	1561
##	SUMMER	417	277	109	431	1746
##	WINTER	346	239	69	541	1365

To test the independence of the two categorical variables we will use the `xchi_sq` function to determine the test statistic and the p-value.

The hypotheses being tested are:

$H_0$ : The type of incident is independent of the season when it occurred  
 $H_A$ : The type of incident is not independent of the season when it occurred

```
xchisq.test ( conttable_typeseason, correct = FALSE, simulate.p.value =
FALSE)
```



```
##
## Pearson's Chi-squared test
##
## data: x
## X-squared = 105.43, df = 12, p-value < 0.00000000000000022
##
##      544      256      136      625      2065
## ( 504.39) ( 329.52) ( 126.48) ( 602.39) (2063.21)
## [ 3.1100] [16.4052] [ 0.7164] [ 0.8484] [ 0.0016]
## < 1.764> <-4.050> < 0.846> < 0.921> < 0.039>
##
##      340      304      99      370      1561
## ( 371.97) ( 243.01) ( 93.27) ( 444.24) (1521.52)
## [ 2.7471] [15.3078] [ 0.3515] [12.4056] [ 1.0247]
## <-1.657> < 3.913> < 0.593> <-3.522> < 1.012>
##
##      417      277      109      431      1746
## ( 414.53) ( 270.82) ( 103.95) ( 495.07) (1695.63)
## [ 0.0147] [ 0.1411] [ 0.2456] [ 8.2923] [ 1.4963]
## < 0.121> < 0.376> < 0.496> <-2.880> < 1.223>
##
##      346      239      69      541      1365
## ( 356.11) ( 232.65) ( 89.30) ( 425.30) (1456.65)
## [ 0.2869] [ 0.1734] [ 4.6136] [31.4771] [ 5.7663]
## <-0.536> < 0.416> <-2.148> < 5.610> <-2.401>
##
## key:
## observed
## (expected)
## [contribution to X-squared]
## <Pearson residual>
```

The test returns a chi\_squared test statistic of 105.43 and a p-value of 0.00000000000000022. From the p-value, the null hypothesis is rejected and we can infer that the type of traffic accident is dependent on the season when it occurred in some way.

Since the null hypothesis has been rejected and we have determined that type of accident is dependent on the season, we can now where the dependencies likely lie. Using the prop.test, we can examine each type of accident individually and perform a difference of proportions test comparing each season against the others, six comparisons, to find where these differences might be.

The general hypotheses for the difference of proportions are

$$H_0 : p_{\text{season 1}} - p_{\text{season 2}} = 0 \quad H_A : p_{\text{season 1}} - p_{\text{season 2}} \neq 0$$

We do not start with any assumptions about the proportion for one season being high or lower than that for another season, so, we perform a series of two-sided prop tests.

Computation of seasonal difference of proportions for pedestrian related accidents.

```

#   p_spring - p_summer
prop.test (c(99, 109), c(2674, 2980), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(99, 109) out of c(2674, 2980)
## X-squared = 0.0079117, df = 1, p-value = 0.9291
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.009384787 0.010276798
## sample estimates:
##      prop 1      prop 2
## 0.03702319 0.03657718

#   p_summer - p_fall
prop.test (c(109, 136), c(2980, 3626), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(109, 136) out of c(2980, 3626)
## X-squared = 0.03959, df = 1, p-value = 0.8423
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.010076925 0.008217498
## sample estimates:
##      prop 1      prop 2
## 0.03657718 0.03750689

#   p_fall - p_winter
prop.test (c(136, 69), c(3626, 2560), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(136, 69) out of c(3626, 2560)
## X-squared = 5.2163, df = 1, p-value = 0.02238
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## 0.001744675 0.019362864
## sample estimates:
##      prop 1      prop 2
## 0.03750689 0.02695313

```

```

# p_winter - p_spring
prop.test (c(69, 99), c(2560, 2674), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(69, 99) out of c(2560, 2674)
## X-squared = 4.269, df = 1, p-value = 0.03881
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.0195870532 -0.0005530692
## sample estimates:
##      prop 1      prop 2
## 0.02695313 0.03702319

# p_winter - p_summer
prop.test (c(69, 109), c(2560, 2980), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(69, 109) out of c(2560, 2980)
## X-squared = 4.1014, df = 1, p-value = 0.04285
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.0188317267 -0.0004163857
## sample estimates:
##      prop 1      prop 2
## 0.02695313 0.03657718

# p_spring - p_fall
prop.test (c(99, 136), c(2674, 3626), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(99, 136) out of c(2674, 3626)
## X-squared = 0.010028, df = 1, p-value = 0.9202
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.009942219 0.008974802
## sample estimates:
##      prop 1      prop 2
## 0.03702319 0.03750689

```

From the results of the six proportionality tests, the p-values of three differences of proportions suggested the rejection of the null hypothesis. These three differences are:  $p_{fall} - p_{winter}$  (p-value = 0.022),  $p_{winter} - p_{spring}$  (p-value = 0.038), and  $p_{winter} - p_{summer}$  (p-value = 0.043). The 95% confidence intervals for each suggest, fall has 0.174% to 1.94% more pedestrian related accident compared to winter, spring has 0.055% to 1.96% more accidents than winter, and summer has 0.042% to 1.88% more accidents than winter.

Computation of seasonal difference of proportions for multi-vehicle accidents.

```
# p_spring - p_summer
prop.test(c(340, 417), c(2674, 2980), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(340, 417) out of c(2674, 2980)
## X-squared = 1.9858, df = 1, p-value = 0.1588
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.03051898 0.00495388
## sample estimates:
## prop 1 prop 2
## 0.1271503 0.1399329

# p_summer - p_fall
prop.test(c(417, 544), c(2980, 3626), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(417, 544) out of c(2980, 3626)
## X-squared = 1.3409, df = 1, p-value = 0.2469
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.027131110 0.006941725
## sample estimates:
## prop 1 prop 2
## 0.1399329 0.1500276

# p_fall - p_winter
prop.test(c(544, 346), c(3626, 2560), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
```

```

##
## data:  c(544, 346) out of c(3626, 2560)
## X-squared = 2.6943, df = 1, p-value = 0.1007
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.002749589  0.032492246
## sample estimates:
##      prop 1      prop 2
## 0.1500276 0.1351563

#  p_winter - p_spring
prop.test(c(346, 340), c(2560, 2674), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(346, 340) out of c(2560, 2674)
## X-squared = 0.73606, df = 1, p-value = 0.3909
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.01029267  0.02630450
## sample estimates:
##      prop 1      prop 2
## 0.1351563 0.1271503

#  p_winter - p_summer
prop.test(c(346, 417), c(2560, 2980), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(346, 417) out of c(2560, 2980)
## X-squared = 0.26456, df = 1, p-value = 0.607
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.02295748  0.01340421
## sample estimates:
##      prop 1      prop 2
## 0.1351563 0.1399329

#  p_spring - p_fall
prop.test(c(340, 544), c(2674, 3626), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction

```

```
##
## data:  c(340, 544) out of c(2674, 3626)
## X-squared = 6.6774, df = 1, p-value = 0.009764
## alternative hypothesis: two.sided
## 95 percent confidence interval:
##  -0.040039250 -0.005715234
## sample estimates:
##      prop 1      prop 2
## 0.1271503 0.1500276
```

From the results of the proportionality tests, only the p-value for the comparison between spring and fall (p-value = 0.0098) showed a significant difference between the proportions of multi-vehicle accidents. From the 95% confident interval, you would expect there to be 0.057% to 4.00% more multi-vehicle in fall compared to spring.

Computation of seasonal difference of proportions for two-vehicle accidents.

```
#  p_spring - p_summer
prop.test (c(1561, 1746), c(2674, 2980), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(1561, 1746) out of c(2674, 2980)
## X-squared = 0.026494, df = 1, p-value = 0.8707
## alternative hypothesis: two.sided
## 95 percent confidence interval:
##  -0.02786236 0.02358955
## sample estimates:
##      prop 1      prop 2
## 0.5837696 0.5859060

#  p_summer - p_fall
prop.test (c(1746, 2065), c(2980, 3626), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(1746, 2065) out of c(2980, 3626)
## X-squared = 1.8041, df = 1, p-value = 0.1792
## alternative hypothesis: two.sided
## 95 percent confidence interval:
##  -0.007518896 0.040334838
## sample estimates:
##      prop 1      prop 2
## 0.5859060 0.5694981
```

```

# p_fall - p_winter
prop.test (c(2065, 1365), c(3626, 2560), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(2065, 1365) out of c(3626, 2560)
## X-squared = 8.002, df = 1, p-value = 0.004673
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## 0.01113096 0.06145893
## sample estimates:
## prop 1 prop 2
## 0.5694981 0.5332031

# p_winter - p_spring
prop.test (c(1365, 1561), c(2560, 2674), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(1365, 1561) out of c(2560, 2674)
## X-squared = 13.566, df = 1, p-value = 0.0002303
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.07744691 -0.02368610
## sample estimates:
## prop 1 prop 2
## 0.5332031 0.5837696

# p_winter - p_summer
prop.test (c(1365, 1746), c(2560, 2980), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(1365, 1746) out of c(2560, 2980)
## X-squared = 15.535, df = 1, p-value = 0.000081
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.07889919 -0.02650664
## sample estimates:
## prop 1 prop 2
## 0.5332031 0.5859060

```

```
# p_spring - p_fall
prop.test (c(1561, 2065), c(2674, 3626), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(1561, 2065) out of c(2674, 3626)
## X-squared = 1.2832, df = 1, p-value = 0.2573
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.01040243 0.03894556
## sample estimates:
## prop 1 prop 2
## 0.5837696 0.5694981
```

From the results of the proportionality tests, the p-values for three tests showed a statistically significant difference between proportions. These three differences are: p\_fall - p\_winter (p-value = 0.0047), p\_winter - p\_spring (p-value = 0.00023), and p\_winter - p\_summer (p-value = 0.000081). The 95% confidence intervals for each suggest we would expect fall to have 1.11% to 6.15% more multi-vehicle accidents compared to winter, spring has 2.37% to 7.74% more accidents compared to winter, and summer has 2.65% to 7.89% more accidents compared to winter.

Computation of seasonal difference of proportions for single-vehicle accidents.

```
# p_spring - p_summer
prop.test (c(370, 431), c(2674, 2980), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(370, 431) out of c(2674, 2980)
## X-squared = 0.45439, df = 1, p-value = 0.5003
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.02444796 0.01192519
## sample estimates:
## prop 1 prop 2
## 0.1383695 0.1446309

# p_summer - p_fall
prop.test (c(431, 625), c(2980, 3626), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
```



```

##
## data:  c(431, 625) out of c(2980, 3626)
## X-squared = 9.369, df = 1, p-value = 0.002207
## alternative hypothesis: two.sided
## 95 percent confidence interval:
##  -0.04535946 -0.01011128
## sample estimates:
##      prop 1      prop 2
## 0.1446309 0.1723662

#  p_fall - p_winter
prop.test(c(625, 541), c(3626, 2560), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(625, 541) out of c(3626, 2560)
## X-squared = 14.892, df = 1, p-value = 0.0001138
## alternative hypothesis: two.sided
## 95 percent confidence interval:
##  -0.05899262 -0.01893114
## sample estimates:
##      prop 1      prop 2
## 0.1723662 0.2113281

#  p_winter - p_spring
prop.test(c(541, 370), c(2560, 2674), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(541, 370) out of c(2560, 2674)
## X-squared = 48.427, df = 1, p-value = 0.000000000003429
## alternative hypothesis: two.sided
## 95 percent confidence interval:
##  0.05243125 0.09348603
## sample estimates:
##      prop 1      prop 2
## 0.2113281 0.1383695

#  p_winter - p_summer
prop.test(c(541, 431), c(2560, 2980), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction

```

```
##
## data:  c(541, 431) out of c(2560, 2980)
## X-squared = 42.344, df = 1, p-value = 0.0000000007656
## alternative hypothesis: two.sided
## 95 percent confidence interval:
##  0.04645933 0.08693517
## sample estimates:
##      prop 1      prop 2
## 0.2113281 0.1446309

#  p_spring - p_fall
prop.test (c(370, 625), c(2674, 3626), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(370, 625) out of c(2674, 3626)
## X-squared = 13.375, df = 1, p-value = 0.000255
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.05195250 -0.01604102
## sample estimates:
##      prop 1      prop 2
## 0.1383695 0.1723662
```

From the results of the proportionality tests, only the p-value for the comparison between spring and summer (p-value = 0.500) did not show a statistically significant difference. The others that did show a significant difference are: p\_summer - p\_fall (p-value = 0.0022), p\_fall - p\_winter (p-value = 0.00011), p\_winter - p\_spring (p-value = 0.000000000034), p\_winter - p\_summer (p-value = 0.000000000077), and p\_spring - p\_fall (p-value = 0.00026). The 95% confidence interval for each suggest, fall has 1.01% to 4.54% more single vehicle accidents compared to fall, winter has 1.89% to 5.90% more accidents than fall, winter has 5.24 %to 9.35% more accidents compared to spring, winter has 4.65% to 8.69% more accidents compared to summer, and fall has 1.60% to 5.20% more accidents compared to spring.

Computation of seasonal difference of proportions for incidents categorised as Other.

```
#  p_spring - p_summer
prop.test (c(304, 277), c(2674, 2980), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(304, 277) out of c(2674, 2980)
## X-squared = 6.5716, df = 1, p-value = 0.01036
```

```

## alternative hypothesis: two.sided
## 95 percent confidence interval:
##  0.004814509 0.036654170
## sample estimates:
##      prop 1      prop 2
## 0.11368736 0.09295302

#  p_summer - p_fall
prop.test(c(277, 256), c(2980, 3626), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(277, 256) out of c(2980, 3626)
## X-squared = 11.017, df = 1, p-value = 0.0009026
## alternative hypothesis: two.sided
## 95 percent confidence interval:
##  0.009002591 0.035701022
## sample estimates:
##      prop 1      prop 2
## 0.09295302 0.07060121

#  p_fall - p_winter
prop.test(c(256, 239), c(3626, 2560), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(256, 239) out of c(3626, 2560)
## X-squared = 10.557, df = 1, p-value = 0.001157
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.036777042 -0.008739282
## sample estimates:
##      prop 1      prop 2
## 0.07060121 0.09335937

#  p_winter - p_spring
prop.test(c(239, 304), c(2560, 2674), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data:  c(239, 304) out of c(2560, 2674)
## X-squared = 5.8124, df = 1, p-value = 0.01591

```

```

## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.036813386 -0.003842584
## sample estimates:
##      prop 1      prop 2
## 0.09335937 0.11368736

# p_winter - p_summer
prop.test(c(239, 277), c(2560, 2980), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(239, 277) out of c(2560, 2980)
## X-squared = 0.002692, df = 1, p-value = 0.9586
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.01494614 0.01575885
## sample estimates:
##      prop 1      prop 2
## 0.09335937 0.09295302

# p_spring - p_fall
prop.test(c(304, 256), c(2674, 3626), alternative = "two.sided", correct =
FALSE)

##
## 2-sample test for equality of proportions without continuity
## correction
##
## data: c(304, 256) out of c(2674, 3626)
## X-squared = 35.278, df = 1, p-value = 0.000000002858
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## 0.02844816 0.05772414
## sample estimates:
##      prop 1      prop 2
## 0.11368736 0.07060121

```

From the results of the proportionality tests, only the p-value for the comparison between winter and summer (p-value = 0.959) did not show a statistically significant difference. The others that did show a significant difference are: p\_spring - p\_summer (p-value = 0.011), p\_summer - p\_fall (p-value = 0.00090), p\_fall - p\_winter (p-value = 0.00012), p\_winter - p\_spring (p-value = 0.016), and p\_spring - p\_fall (p-value = 0.0000000029). The 95% confidence interval for each suggest, spring has 0.48% to 3.67% more Other categorized incidents compared to summer, summer has 0.90% to 3.57% more incidents than fall, winter has 0.87% to 3.67% more incidents compared to fall, 0.38% to 3.68% more

incidents compared to spring, and spring has 2.84% to 5.77% more incidents compared to fall.

#### 4) Can we create a linear regression model for the number of traffic incidences vs time?

#H0:B=0( month CAN NOT be expressed as a positive linear function of the number of traffic Incident) #HA:B≠0( month CAN be expressed as a positive linear function of the number of traffic Incident)

```
head(trafficAccident_wantedColumn_DF)

##   Count MONTH YEAR QUADRANT      TYPE DAY SEASON  HOURTYPE
## 1     1     2 2017      SE SINGLE_VEHICLE  8 WINTER  RUSHHOUR
## 2     1     2 2017      SE MULTI_VEHICLE  8 WINTER NOTRUSHHOUR
## 3     1     2 2017      NE TWO_VEHICLE  8 WINTER NOTRUSHHOUR
## 4     1     2 2017      SE TWO_VEHICLE  8 WINTER NOTRUSHHOUR
## 5     1     2 2017      NW MULTI_VEHICLE  8 WINTER NOTRUSHHOUR
## 6     1     2 2017      NE TWO_VEHICLE  8 WINTER NOTRUSHHOUR
##   PROPORTION
## 1 0.000251067
## 2 0.000127275
## 3 0.000127275
## 4 0.000127275
## 5 0.000127275
## 6 0.000127275

Yearly_Monthly_grouped = aggregate(trafficAccident_wantedColumn_DF$Count, by=
list(
YEAR=trafficAccident_wantedColumn_DF$YEAR,MONTH=trafficAccident_wantedColumn_
DF$MONTH), FUN=sum, na.rm=T)

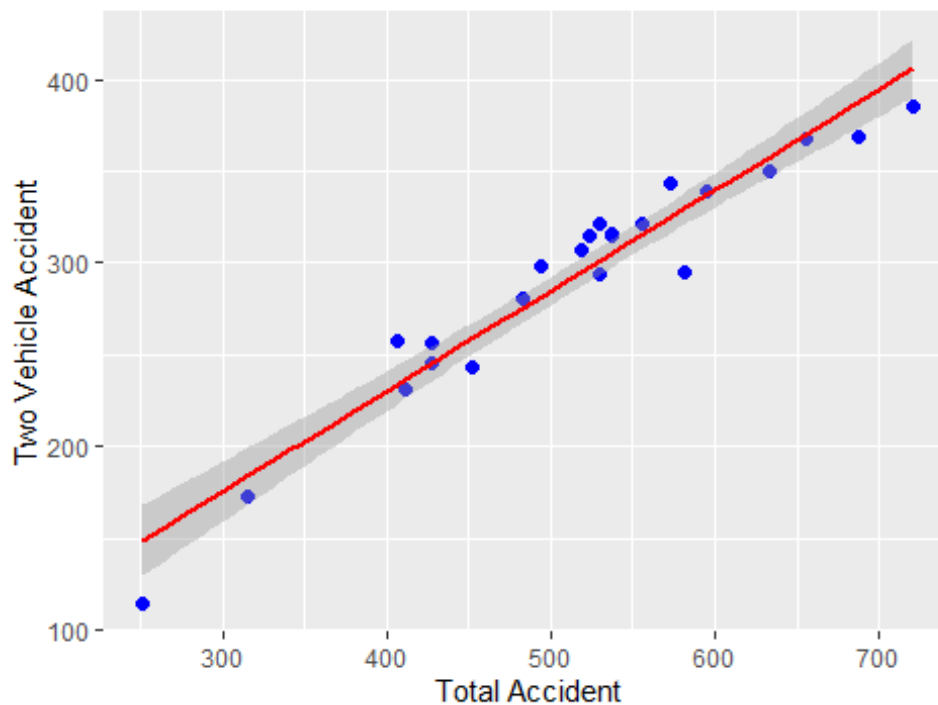
two_vehicle_Incidend_DF =filter(trafficAccident_wantedColumn_DF, TYPE ==
'TWO_VEHICLE')

Yearly_Monthly_TwoVehicle = aggregate(two_vehicle_Incidend_DF$Count, by=
list( YEAR=two_vehicle_Incidend_DF$YEAR,
MONTH=two_vehicle_Incidend_DF$MONTH), FUN=sum, na.rm=T)

Total_Two_Inc = data.frame( Total = Yearly_Monthly_grouped$x , TwoVehicle
=Yearly_Monthly_TwoVehicle$x)

ggplot(data=Total_Two_Inc, aes(x = Total, y = TwoVehicle)) +
geom_point(col="blue", size=2, position="jitter") + xlab("Total Accident") +
ylab("Two Vehicle Accident") + ggtitle("Scatterplot of Monthly Total Accident
toTwo Vehicle Accident") +stat_smooth(method="lm", col='red')
```

Scatterplot of Monthly Total Accident to Two Vehicle A



*#Check the strength of the relation*

```
cor(~Total, ~TwoVehicle, data=Total_Two_Inc)
```

```
## [1] 0.9648007
```

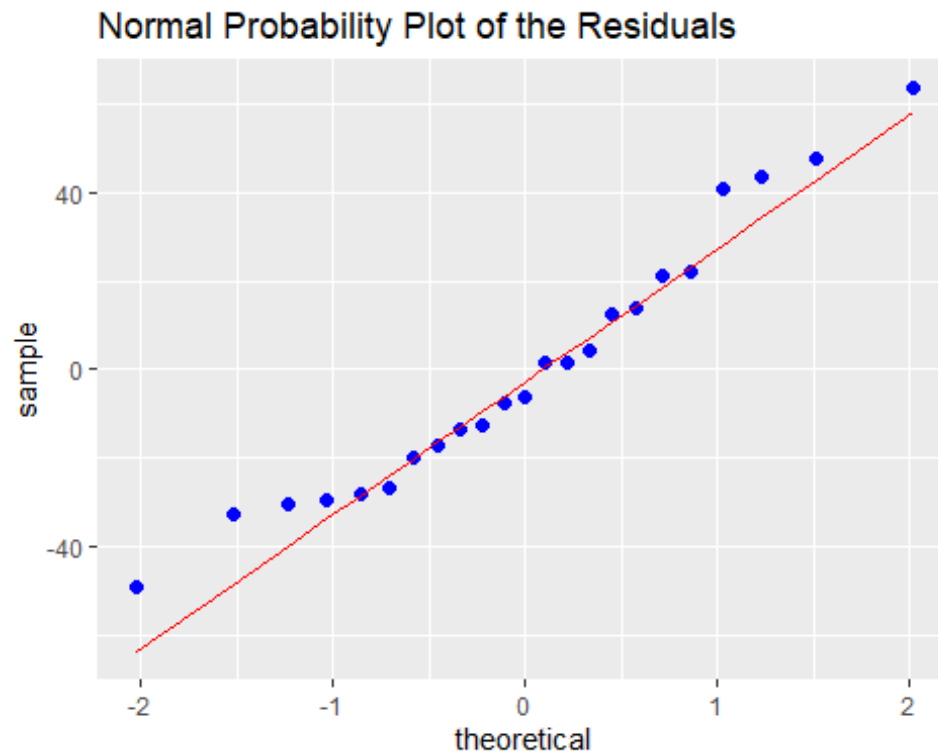
```
predictTotalAcc = lm( Total~TwoVehicle, data=Total_Two_Inc)
```

*predictHrat = predictTotalAcc\$fitted.values #place the predicted values of y for each observed x into a vector*

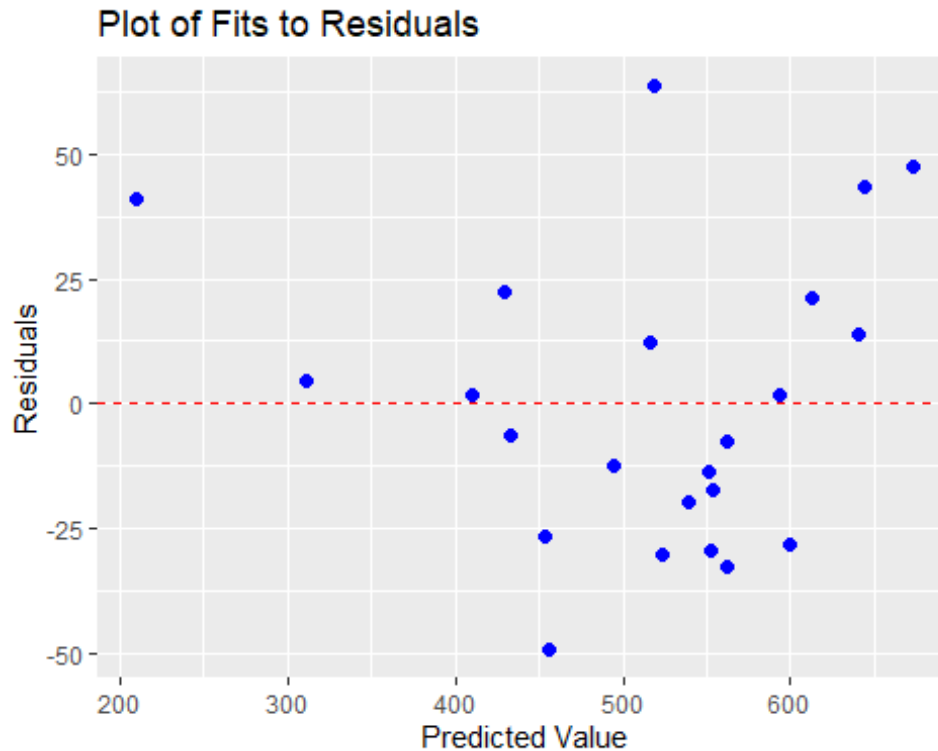
*eisHrat = predictTotalAcc\$residuals #pull out the residuals*

```
predictionHrat6G = data.frame(predictHrat, eisHrat)
```

```
ggplot(predictionHrat6G, aes(sample=eisHrat)) + stat_qq(col='blue', size=2) +  
stat_qqline(col='red') + ggtitle("Normal Probability Plot of the Residuals")
```



```
ggplot(predictionHrat6G, aes(x = predictHrat, y = eisHrat)) +
  geom_point(size=2, col='blue', position="jitter") + xlab("Predicted Value") +
  ylab("Residuals") + ggtitle("Plot of Fits to Residuals") +
  geom_hline(yintercept=0, color="red", linetype="dashed")
```



```
aov(predictTotalAcc)

## Call:
##   aov(formula = predictTotalAcc)
##
## Terms:
##               TwoVehicle Residuals
## Sum of Squares   257394.0   19123.9
## Deg. of Freedom      1      21
##
## Residual standard error: 30.17717
## Estimated effects may be unbalanced

options(scipen=999)
summary(aov(predictTotalAcc))

##              Df Sum Sq Mean Sq F value          Pr(>F)
## TwoVehicle    1 257394  257394    282.6 0.0000000000000117 ***
## Residuals    21  19124     911
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Nbootstraps = 1000 #resample n = 14, 3000 times
cor.boot = numeric(Nbootstraps) #define a vector to be filled by the cor boot
stat
a.boot = numeric(Nbootstraps) #define a vector to be filled by the a boot
stat
```



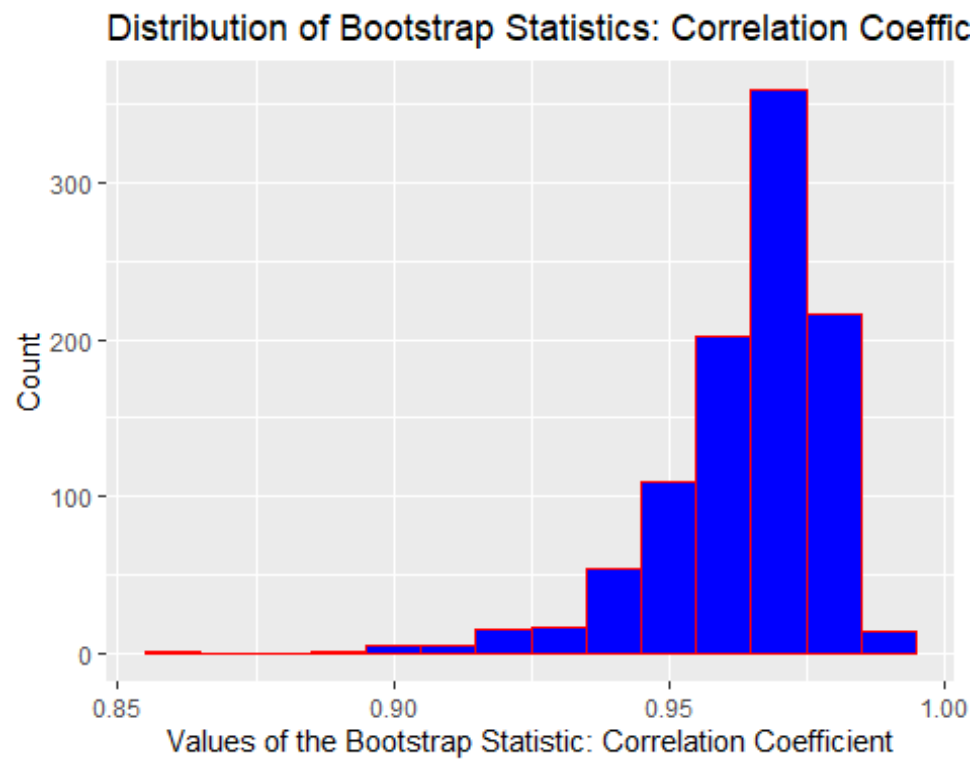
```

b.boot = numeric(Nbootstraps) #define a vector to be filled by the b boot
stat
#ymean.boot = numeric(Nbootstraps) #define a vector to be filled by the
predicted y boot stat

nsize = dim(Total_Two_Inc)[1] #set the n to be equal to the number of
bivariate cases, number of rows
#start of the for loop
for(i in 1:Nbootstraps)
{ #start of the loop
  index = sample(nsize, replace=TRUE) #randomly picks n- number between 1
and n, assigns as index
  TWOV.boot = Total_Two_Inc[index, ] #accesses the i-th row of the
SAT_2010High data frame
  #
  cor.boot[i] = cor( ~Total,~TwoVehicle, data=TWOV.boot) #computes
correlation for each bootstrap sample
  SAT.lm = lm( Total~TwoVehicle, data=TWOV.boot) #set up the Linear model
  a.boot[i] = coef(SAT.lm)[1] #access the computed value of a, in position
1
  b.boot[i] = coef(SAT.lm)[2] #access the computed value of b, in position
2
  # ymean.boot[i] = a.boot[i] + (b.boot[i]*xvalue)
}
#end the loop
#create a data frame that holds the results of each of the Nbootstraps
bootstrapresultsdf = data.frame(cor.boot, a.boot, b.boot)

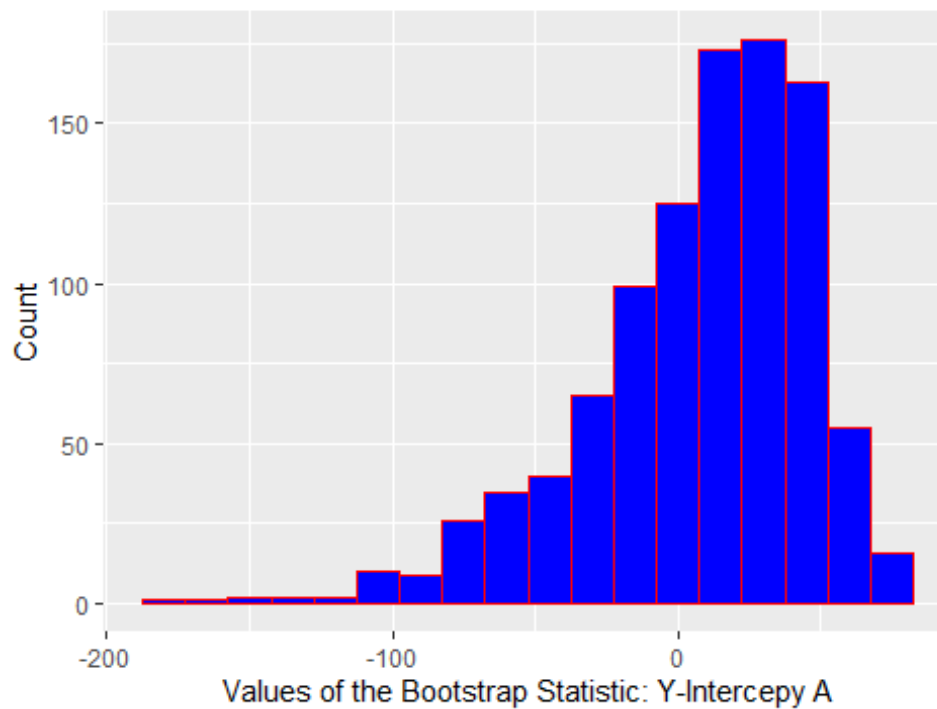
ggplot(bootstrapresultsdf, aes(x = cor.boot)) + geom_histogram(col="red",
fill="blue", binwidth=0.01) + xlab("Values of the Bootstrap Statistic:
Correlation Coefficient") + ylab("Count") + ggtitle("Distribution of
Bootstrap Statistics: Correlation Coefficient")

```



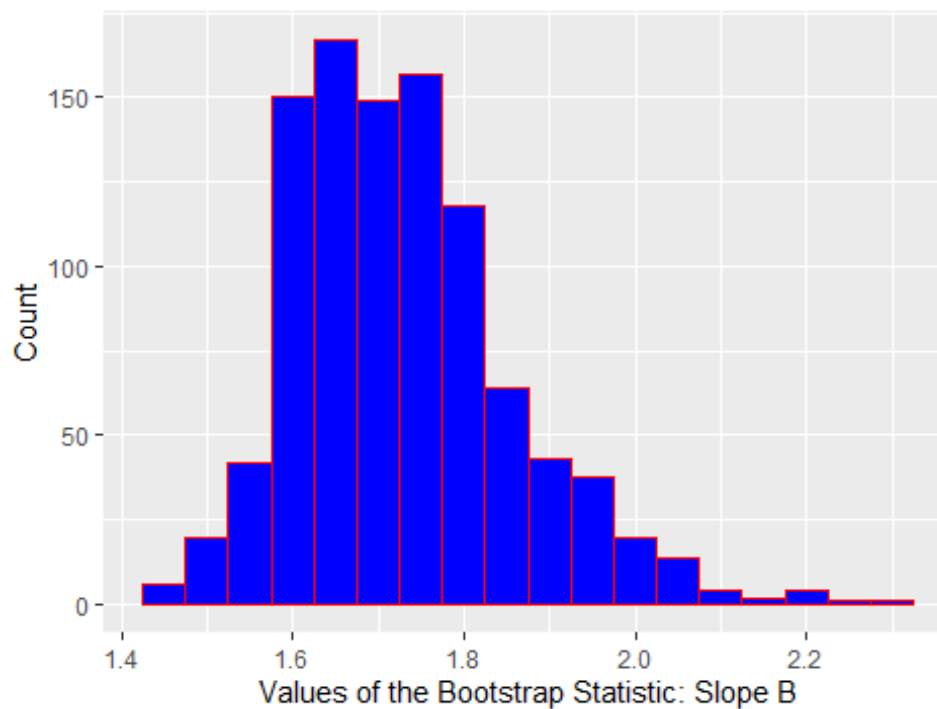
```
ggplot(bootstrapresultsdf, aes(x = a.boot)) + geom_histogram(col="red",  
fill="blue", binwidth=15) + xlab("Values of the Bootstrap Statistic: Y-  
Intercepy A") + ylab("Count") + ggtitle("Distribution of Bootstrap  
Statistics:Y-Intercepy A")
```

Distribution of Bootstrap Statistics:Y-Intercepy A



```
ggplot(bootstrapresultsdf, aes(x = b.boot)) + geom_histogram(col="red",  
fill="blue", binwidth=0.05) + xlab("Values of the Bootstrap Statistic: Slope  
B") + ylab("Count") + ggtitle("Distribution of Bootstrap Statistics:Slope B")
```

Distribution of Bootstrap Statistics:Slope B



```

boot.amean = favstats(~a.boot, data=bootstrapresultsdf)$mean
boot.bmean = favstats(~b.boot, data=bootstrapresultsdf)$mean
boot.amean

## [1] 7.363953

boot.bmean

## [1] 1.728649

cat("The model to predict Total Accident is Total=" ,boot.amean ,"+
(",boot.bmean ,"\TwoVehiclei)+ei\n")

## The model to predict Total Accident is Total= 7.363953 + ( 1.728649
*TwoVehiclei)+ei

cat ("The Total Accident is " ,boot.amean +(boot.bmean *367))

## The Total Accident is 641.778

df2019 = filter(trafficAccidentDF, YEAR==2019, MONTH<6)
actual_Data2019 = aggregate(df2019$Count, by= list( YEAR=df2019$YEAR,
MONTH=df2019$MONTH), FUN=sum, na.rm=T)
df2019TwoVehicle = filter(df2019, TYPE=='TWO_VEHICLE' )
df2019_Two_Vehicledf = aggregate(df2019TwoVehicle$Count, by= list(
YEAR=df2019TwoVehicle$YEAR, MONTH=df2019TwoVehicle$MONTH), FUN=sum, na.rm=T)

predictFit =numeric( dim(actual_Data2019)[1])
predictLwr =numeric( dim(actual_Data2019)[1])
predictUpr =numeric( dim(actual_Data2019)[1])
for(i in 1:5){
  prediction = predict(predictTotalAcc, newdata=data.frame(TwoVehicle =
df2019_Two_Vehicledf$x[i]), interval="predict", conf.level=0.95)
  predictFit[i]= prediction[1]
  predictLwr[i]= prediction[2]
  predictUpr[i]= prediction[3]
}
prediction_2019_df = data.frame(month =actual_Data2019$MONTH, TwoVehicle =
df2019_Two_Vehicledf$x, Lower = predictLwr, Total = actual_Data2019$x, Upper
= predictUpr )
print(prediction_2019_df)

## month TwoVehicle Lower Total Upper
## 1 1 313 484.7412 545 613.2334
## 2 2 367 574.9614 692 706.9188
## 3 3 201 291.3040 377 425.2365
## 4 4 154 207.7687 255 348.7058
## 5 5 222 328.2059 366 459.8535

```