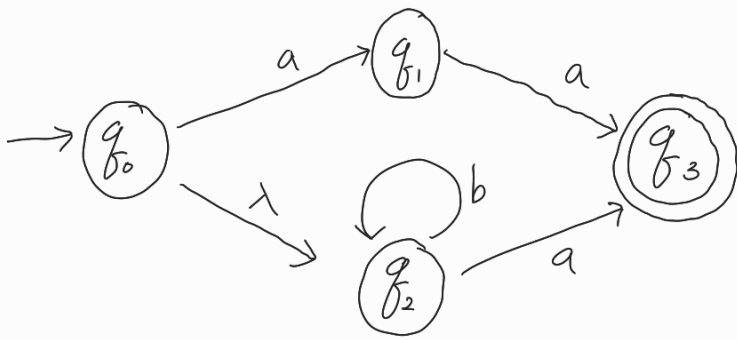
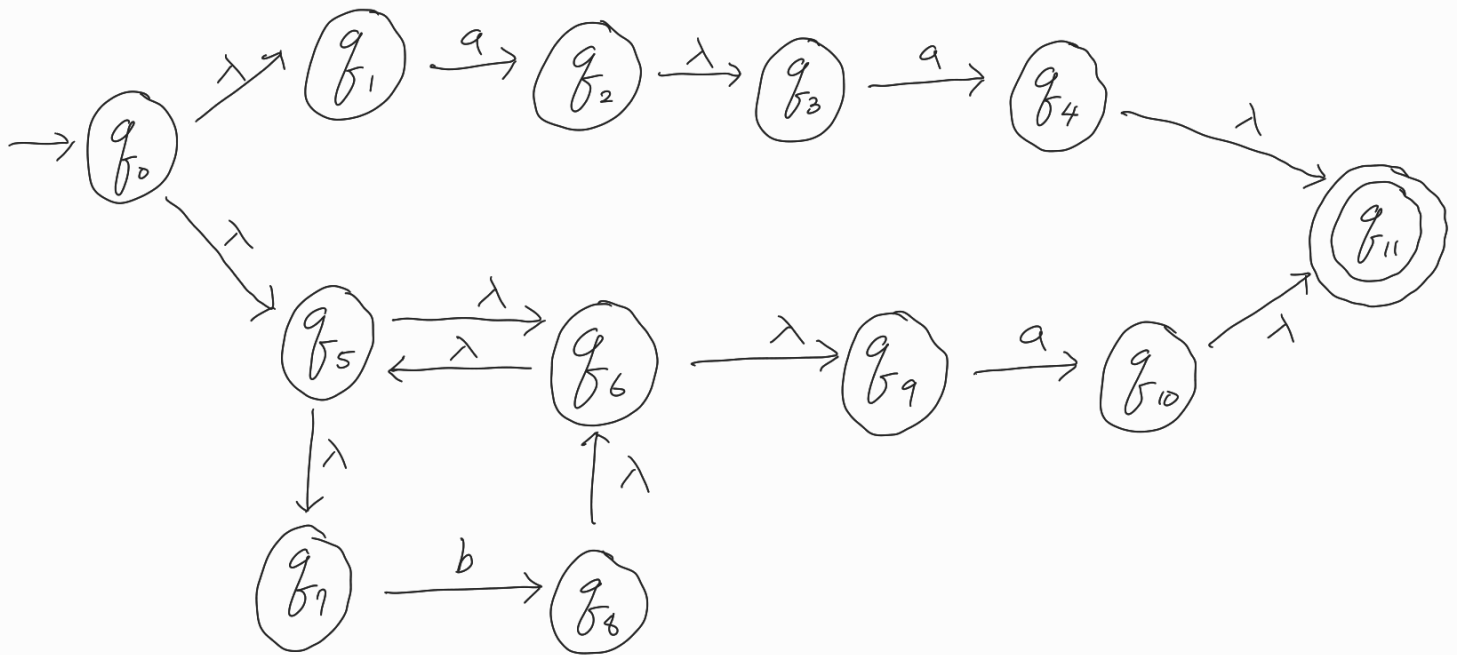


1. NFA for  $\Sigma = \{a, b\}$  accepts  $L(aa + b^*a)$



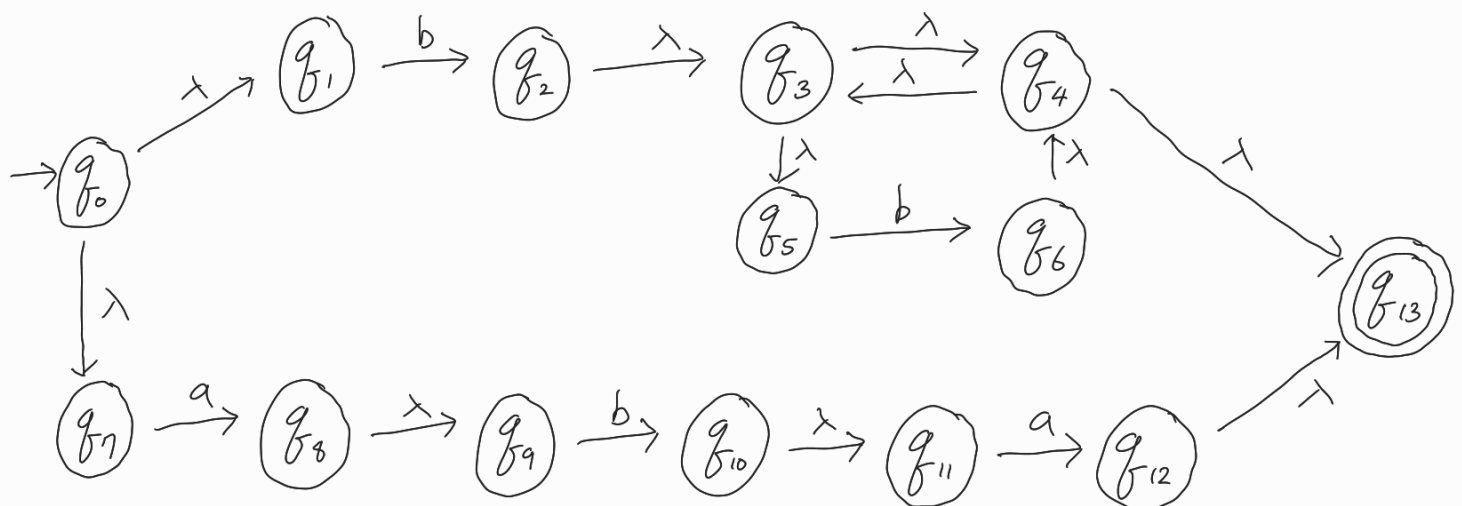
OR...



2. Regular expression for odd numbers of 'a' followed by 'bb'.

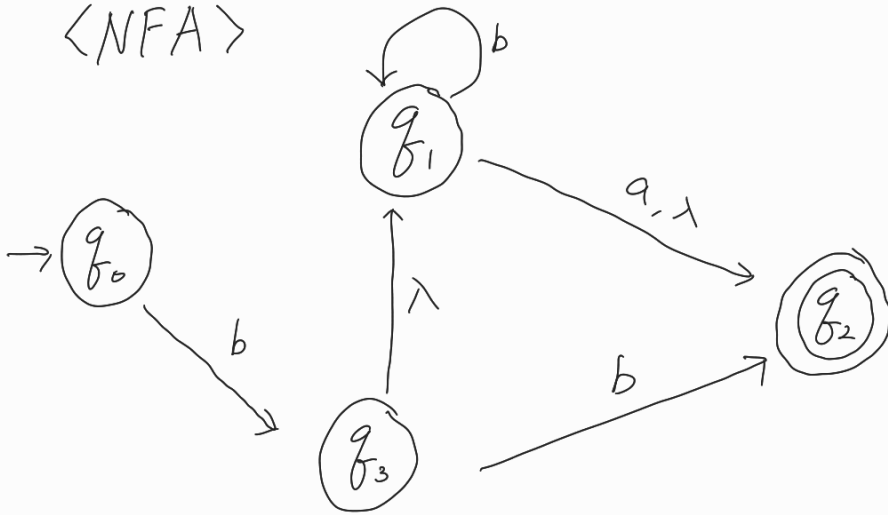
$$\therefore (aa)^*abb$$

3. NFA for  $L(bb^* + aba)$



4.

$\langle \text{NFA} \rangle$



In the path of  $q_0 - q_3 - q_1 - q_2$ ,  $bb^*a$  or  $bb^*$  are accepted.

In the path of  $q_0 - q_3 - q_2$ ,  $bb$  is accepted.

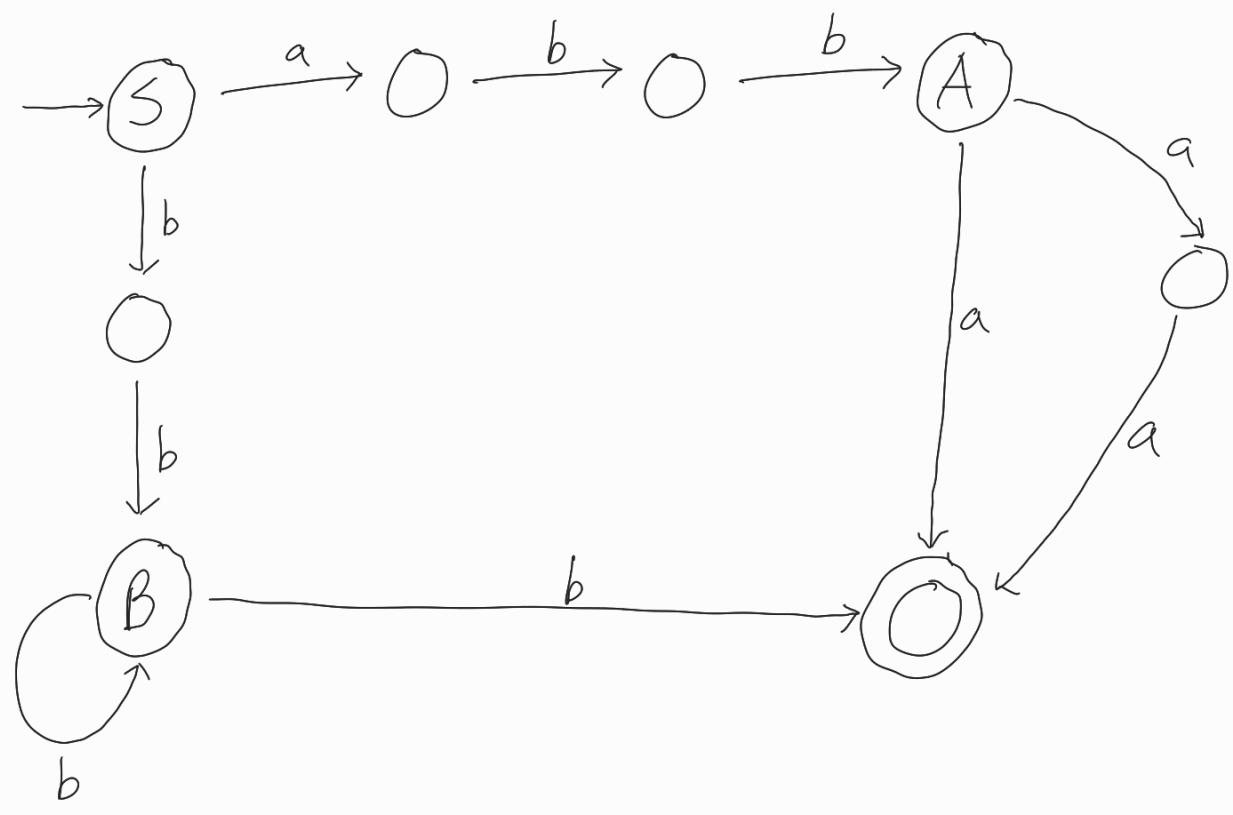
Regular expression of the language is  $bb^*a + bb^* + bb$ .

$$bb^*a + bb^* = bb^*(a + \lambda)$$

$$\therefore bb^*(a + \lambda) + bb$$

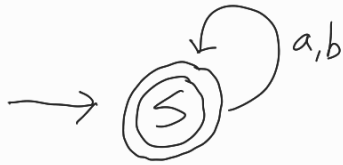
5.

$$\left. \begin{array}{l} S \rightarrow abbA \mid bbB \\ A \rightarrow aa \mid a \\ B \rightarrow bB \mid b \end{array} \right\} \Rightarrow \begin{array}{l} S \rightarrow abbA \text{ or } S \rightarrow bbB \\ A \rightarrow aa \text{ or } A \rightarrow a \\ B \rightarrow bB \text{ or } B \rightarrow b \end{array}$$



6. A right-linear grammar for  $L((a+b)^*)$

We can construct a DFA for  $\Sigma = \{a, b\}$  which accepts  $L((a+b)^*)$ .



$$S \rightarrow \lambda \text{ or } S \rightarrow aS \text{ or } S \rightarrow bS$$
$$\Rightarrow S \rightarrow aS | bS | \lambda$$

$$\therefore S \rightarrow aS | bS | \lambda$$