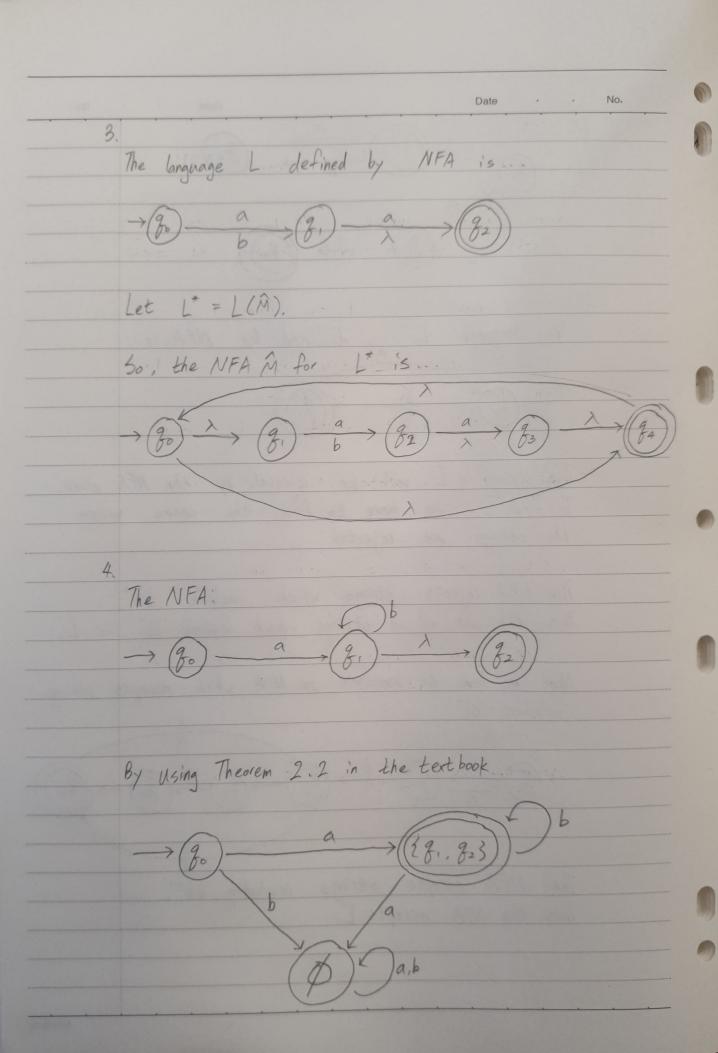
The language Land defined by NFA is. The strings in I will be rejected by the NFA above To find I, we have to find the cases when the strings are rejected. The NFA rejects strings which include 'bbt'.

Thus, the set of all strings which include 'bbt' is I. Now, we have to construct an NFA which accepts strings including 'bb+' (g) - b (g2 The NFA accepts strings including 'bbt'. Thus, the NFA accepts I.

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5

A language is regular if there exists DFA which accepts the language.

Since DFA is equivalent to NFA, a language is regular if there exists NFA which accepts the language.

Let language L is finite language.

If $L = \phi$ or $L = \{\lambda\}$, then there exist NFA or DFA which accept L. So, L is regular.

The initial state of NFA or DFA is final state, and for $L = \phi$, the state ϕ is both initial state and final state of NFA or DFA.

Assume $L = \{w_1, w_2, \dots, w_i, \dots, w_n\}$. $(\forall n \in \mathbb{N}, \text{ and } n \text{ is a finite number.})$

We can construct DFAs for each wi in L. (i=1,2,...,n). Then there are 'n' numbers of DFAs, and each OFA accepts each wi in L. (i=1,2,3,...,n).

After constructing DFAs for each string in L, construct new initial state graps, and connect the graps to each initial state of DFAs with x-transition.

(f(graps, x) = 19: g is initial state of each DFA3).

The initial state of each DFA is now non-initial state of NFA.

Then construct new final state graps, and connect each final state of DFAs with x-transition.

(f(gg, x) = 2graps, gg is final state of each DFA).

The final state of each DFA is now non-final state of NFA.

6. If the language L is regular, there exist NFAs or DFAs which accept L.

If DFA for L has only one final state,
we set the initial state of DFA for L to final
state, and the final state of DFA for L to initial
state. Then we reverse the direction of each
transition in the DFA.

The renewed DFA accepts LR.

If DFA for L has multiple final states we connect multiple final states to a new final state with λ -transition.

Then we set the initial state of NFA to final state, and the final state of NFA to initial state. We reverse the direction of each transition in NFA.

The renewed NFA accepts LR.

Since we constructed NFA or DFA which accept L^R , L^R is regular.

Therefore, if L is regular, then LR is regular,