

# Uninformed Search Strategies



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## What is Uninformed Search 什么是无信息搜索

- The uninformed search is also called **blind search**.  
无信息搜索也被称为盲目搜索。
- The term (uninformed, or blind) means that the search strategies have no additional information about states beyond that provided in the problem definition.  
该术语（无信息、盲目的）意味着该搜索策略没有超出问题定义提供的状态之外的附加信息。
- All they can do is to generate successors and distinguish a goal state from a non-goal state.  
所有能做的就是生成后继结点，并且从区分一个目标状态或一个非目标状态。

## What is Uninformed Search 什么是无信息搜索

- All search strategies are distinguished by the *order* in which nodes are expanded.  
所有的搜索策略是由节点扩展的顺序加以区分。
- The search strategies: breadth-first, depth-first, and uniform-cost search.  
这些搜索策略是：宽度优先、深度优先、以及一致代价搜索。

## Uninformed Search Strategy Evaluation 无信息搜索策略评价

- An uninformed search strategy is defined by picking the order of node expansion.

一种无信息搜索策略是通过其选择节点扩展的顺序来定义的。

- The strategies can be evaluated along the following properties:

其策略可按照如下特性来评价：

- **Completeness**: Does it always find a solution if one exists?

完备性：是否总能找到一个存在的解？

- **Time complexity**: How long does it take to find a solution?

时间复杂性：花费多长时间找到这个解？

- **Space complexity**: How much memory is needed?

空间复杂性：需要多少内存？

- **Optimality**: Does it always find the optimal solution?

最优性：是否总能找到最优的解？

## Uninformed Search Strategy Evaluation 无信息搜索策略评价

□ Time complexity and space complexity are measured in following terms:

时间复杂性和空间复杂性用如下术语来度量：

■  $b$  -- maximum branching factor of the search tree.

搜索树的最大分支因子。

■  $d$  -- depth of the shallowest solution.

最浅解的深度。

■  $m$  -- maximum depth of the search tree.

搜索树的最大深度。

## Breadth-first Search 宽度优先搜索

### □ Search Strategy 搜索策略

Expand shallowest unexpanded node.

扩展最浅的未扩展节点。

### □ Implementation 实现方法

Use **FIFO** (First-In First-Out) queue, i.e., new successors go at end.

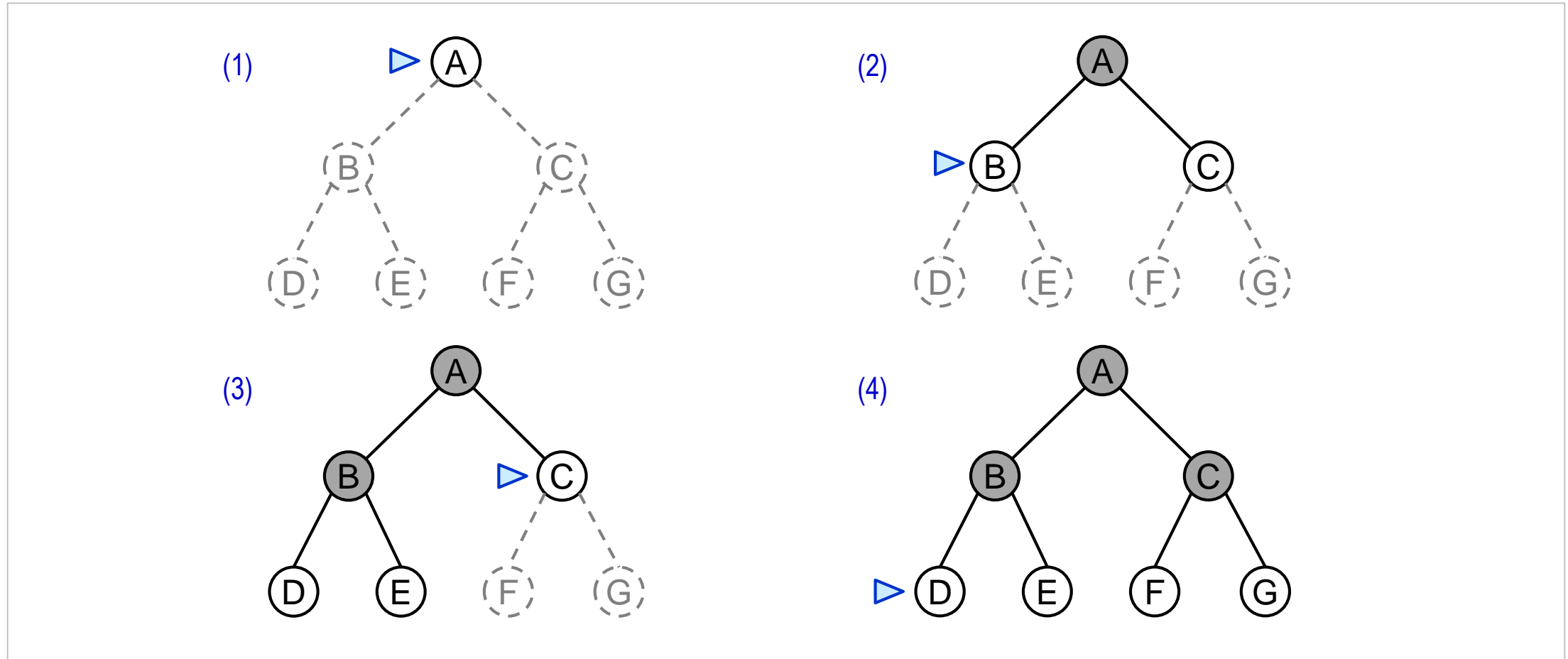
使用FIFO队列，即新的后继节点放在后面。

## Breadth-first Search Algorithm on a Graph 图的宽度优先搜索算法

```
function BREADTH-FIRST-SEARCH(problem) returns a solution, or failure
  node  $\leftarrow$  a node with STATE = problem.INITIAL-STATE
  PATH-TEST = 0
  frontier  $\leftarrow$  a FIFO queue with node as the only element
  explored  $\leftarrow$  an empty set
  loop do
    if EMPTY ? (frontier) then return failure
    node  $\leftarrow$  POP(frontier)      /* chooses the shallowest node in frontier */
    add node.STATE to explored
    for each action in problem.ACTIONS(node.STATE) do
      child  $\leftarrow$  CHILD-NODE(problem, node, action)
      if child.STATE is not in explored or frontier then
        if problem.GOAL-TEST(child.STATE) then return SOLUTION(child)
        frontier  $\leftarrow$  INSERT(child, frontier)
```



# Breadth-first Search on a Simple Binary Tree 简单二叉树的宽度优先搜索



At each stage the node to be expanded next is indicated by a marker.

## Properties of Breadth-first Search 宽度优先搜索的性质

□ Time complexity 时间复杂性

$$b + b^2 + b^3 + \dots + b^d = O(b^d)$$

□ Space complexity 空间复杂性

$$O(b^d)$$

where

■  $b$  -- the branching factor

分枝因子

■  $d$  -- the depth of the shallowest solution

最浅解的深度

## Time and Memory Requirements 时间和内存需求

Depth	Nodes	Time	Memory
2	110	.11 milliseconds	107 kilobytes
4	11,110	11 milliseconds	10.6 megabytes
6	$10^6$	1.1 seconds	1 gigabyte
8	$10^8$	2 minutes	103 gigabytes
10	$10^{10}$	3 hours	10 terabytes
12	$10^{12}$	13 days	1 petabyte
14	$10^{14}$	3.5 years	99 petabytes
16	$10^{16}$	350 years	10 exabytes

Assume: branching factor  $b = 10$ ; 1 million nodes/second; 1000 bytes/node.

❑ **Memory** requirements are a bigger problem, execution **time** is still a major factor.

内存的需求是一个很大的问题，而执行时间仍是一个主要因素。

❑ Breadth-first search cannot solve exponential complexity problems but small branching factor.

宽度优先搜索不能解决指数复杂性的问题，小的分支因子除外。

## Example: Tower of Hanoi 汉诺塔问题

□ It is said that there is an Indian temple which contains 3 towers by 64 golden disks.

据说一个印度寺庙里有3个塔、塔上有64个金盘。

□ Priests have been moving these disks, sample rules:

祭司一直在移动这些金盘，规则很简单：

■ Only one disk can be moved at a time.

每次仅能移动一个金盘。

■ A disk can only be moved if it is uppermost disk.

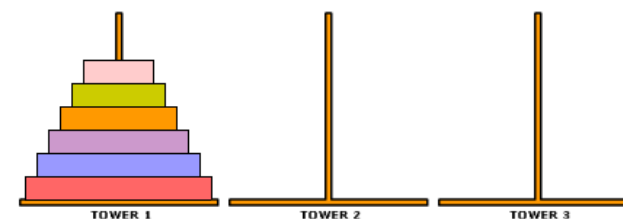
仅能移动最上面的那块金盘。

■ No disk may be placed on top of a smaller disk.

大的金盘不能放在小的金盘上面。

□ According to the legend, the world will end when last move.

据传说，当最后一次移动金盘时，世界将会毁灭。



Assume:  
moving 1 disk/second;  
it will take  $2^{64}-1$  seconds  
 $\approx 585$  billion years.

Thank you for your attention!

