

Negotiating lexical uncertainty and expertise with disjunction

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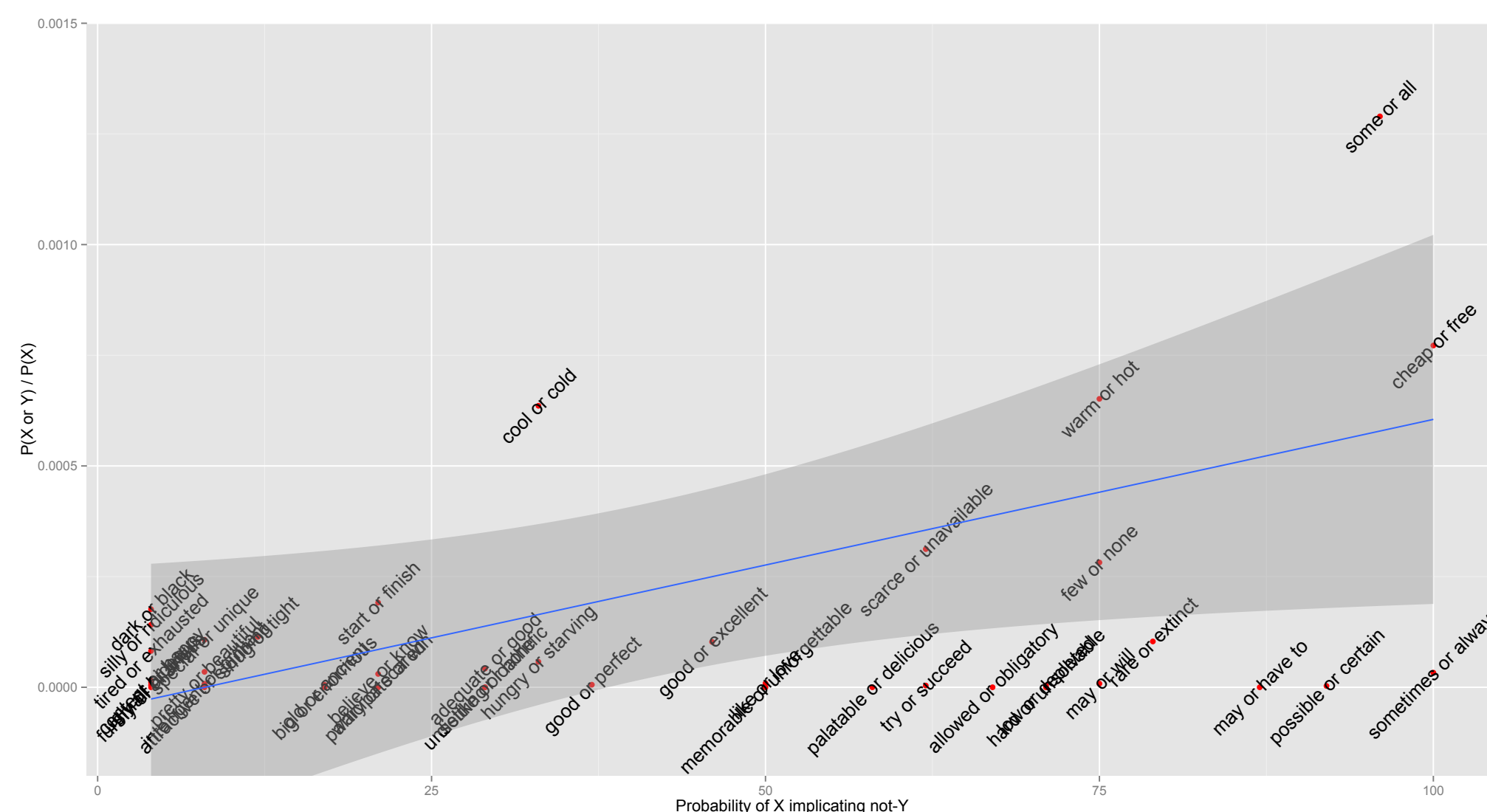
COMMUNICATING IN LANGUAGE ABOUT LANGUAGE

- Languages are neither fixed across time nor identically reproduced in all speakers, but rather continually renegotiated during interactions.
- People accommodate to each other's usage patterns, form temporarily lexical pacts, and instruct each other about their linguistic views.
- Some of this communication in language about language is direct, as with explicit definitions, but much of it arrives via secondary pragmatic inferences.
- Disjunction supports what appear to be opposing inferences about language.
 - Hurfordian pressure:** *X or Y* conveys that *X* and *Y* are disjoint
 - Definitional inference:** *X or Y* conveys that *X* and *Y* are synonymous
- This pattern is cross-linguistically robust, so we seek a single pragmatic model that can derive both of these meanings from the semantics of disjunction given different contextual assumptions.

HURFORDIAN PERCEPTIONS AND INTENTIONS

Generalization: *X or Y* conveys that the speaker is using a lexicon where *X* and *Y* are disjoint, or addresses a speaker concern that the listener is using such a lexicon.

- the nuptials will take place in either **France** or **Paris**
- the **canoe** or **boat** will be held by the stream's current
- In 1940, 37% of us had gone to a **church** or **synagogue** in the last week.



X or Y usage correlates with *X* implicating *not Y*

Our corpus	
'general or specific'	75
'specific or general'	86

DISJUNCTIVE DEFINITION AND IDENTIFICATION

Generalization: *X or Y* can convey $\llbracket X \rrbracket = \llbracket Y \rrbracket$ when the speaker is mutually, publicly known to be an expert or would like to establish expertise.

- She's a **wine lover** or **oenophile**
- Title: **A Geological History of Manhattan** or **New York Island**
- Welcome to **New Haven** or "the **Elm City**"
- It's a **woodchuck** or "land beaver"

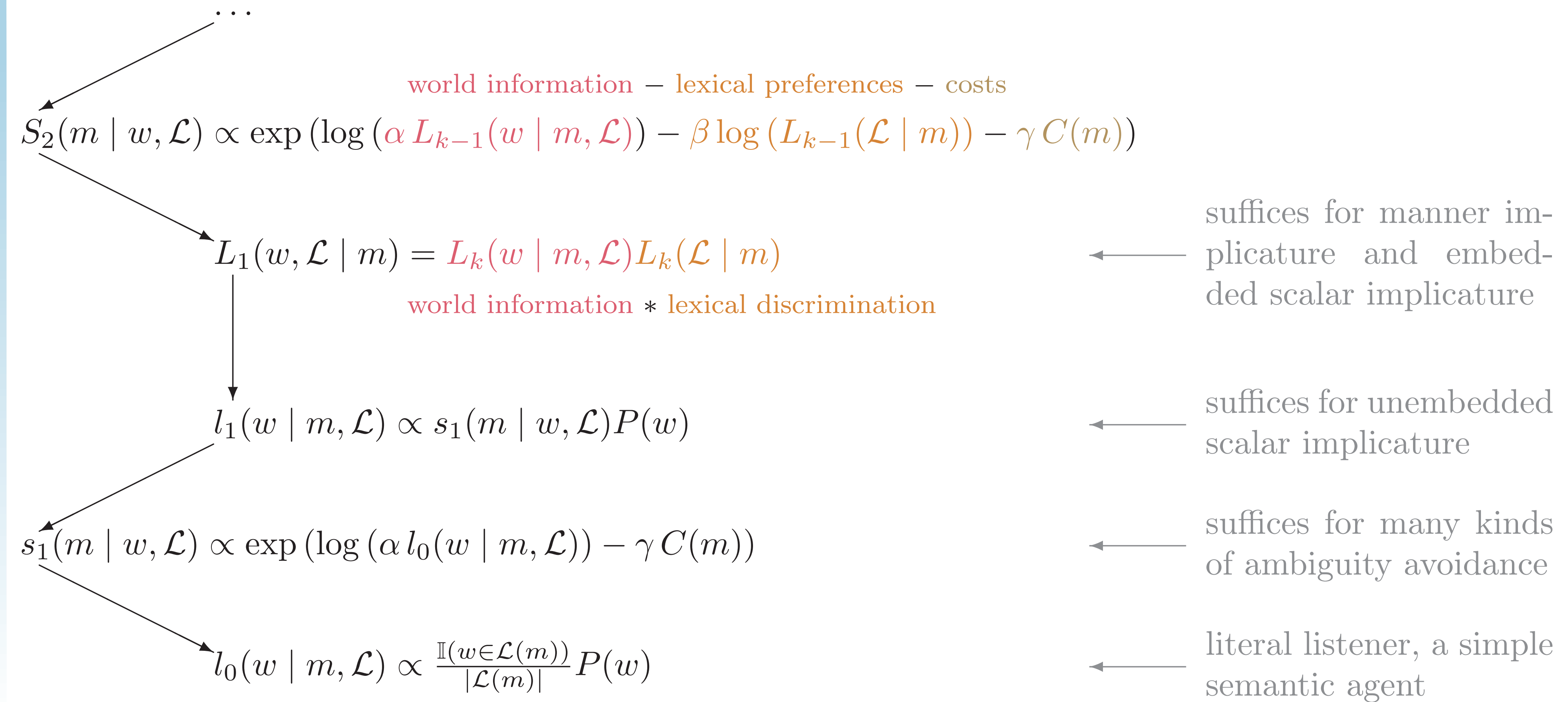
- Motivation: speaker is a known 'instructor'; listener is a known non-expert
- Motivation: speaker wishes to display expertise to another expert
- Motivation: speaker sees value in (temporarily or permanently) defining a term

Attested in Chinese, German, Hebrew, Ilokano, Japanese, Russian, and Tagalog. Seems to survive even where the language has a dedicated definitional disjunction morpheme (e.g., Finnish, Italian).

FURTHER INFORMATION

Paper, references, model code, corpus data: <http://github.com/cgpotts/pypragmods/>

MODELING COMMUNICATION WITH ANXIOUS EXPERTS



DEFINITIONAL CONTEXTS

Require low disjunction costs and high β : the speaker is invested in communicating about the lexicon and can tolerate the cost of a disjunction that is synonymous with one of its disjuncts.

L_2 hears <i>A or X</i>	w_1	w_2	$w_1 \vee w_2$
$\mathcal{L}^*[A: \{w_1\}, B: \{w_2\}, X: \{w_1, w_2\}]$	0	0	.08
$\mathcal{L}_1[A: \{w_1\}, B: \{w_2\}, X: \{w_2\}]$.07	0	.08
$\mathcal{L}_2[A: \{\mathbf{w}_1\}, B: \{w_2\}, X: \{\mathbf{w}_1\}]$.77	0	.06

$$\alpha = 5; \beta = 7; C(or) = .01$$

<div style="text-align: center;">\downarrow</div> S_2 observes $\langle \mathcal{L}_2, w_1 \rangle$ <div style="text-align: center;"><table><tr><td>A</td><td>0</td></tr><tr><td>X</td><td>0</td></tr><tr><td>$A \text{ or } X$</td><td>.05</td></tr></table>\downarrow</div>								A	0	X	0	$A \text{ or } X$.05						
A	0																		
X	0																		
$A \text{ or } X$.05																		
<div style="text-align: center;"><table><tr><td>L_1 hears $A \text{ or } X$</td><td>w_1</td><td>w_2</td><td>$w_1 \vee w_2$</td></tr></table></div>								L_1 hears $A \text{ or } X$	w_1	w_2	$w_1 \vee w_2$								
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<div style="text-align: center;"><table><tr><td>$\mathcal{L}^*[A: \{w_1\}, B: \{w_2\}, X: \{w_1, w_2\}]$</td><td>0</td><td>0</td><td>.23</td></tr><tr><td>$\mathcal{L}_1[A: \{w_1\}, B: \{w_2\}, X: \{w_2\}]$</td><td>0</td><td>0</td><td>.38</td></tr><tr><td>$\mathcal{L}_2[A: \{w_1\}, B: \{w_2\}, X: \{w_1\}]$</td><td>.38</td><td>0</td><td>0</td></tr></table></div>								$\mathcal{L}^*[A: \{w_1\}, B: \{w_2\}, X: \{w_1, w_2\}]$	0	0	.23	$\mathcal{L}_1[A: \{w_1\}, B: \{w_2\}, X: \{w_2\}]$	0	0	.38	$\mathcal{L}_2[A: \{w_1\}, B: \{w_2\}, X: \{w_1\}]$.38	0	0
$\mathcal{L}^*[A: \{w_1\}, B: \{w_2\}, X: \{w_1, w_2\}]$	0	0	.23																
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<div style="text-align: center;"><div style="display: flex; justify-content: space-around;"><div>\swarrow</div><div>\downarrow</div><div>\searrow</div></div></div>																			
l_1	\mathcal{L}^*			w_1	w_2	$w_1 \vee w_2$	\mathcal{L}_1	w_1	w_2	$w_1 \vee w_2$	\mathcal{L}_2	w_1	w_2	$w_1 \vee w_2$					
	A	1	0	0	A	1	0	0	A	1	0	0							
	X	.02	.02	.96	X	0	1	0	X	1	0	0							
	$A \text{ or } X$.02	.02	.96	$A \text{ or } X$.01	0	.98	$A \text{ or } X$	1	0	0							
<div style="text-align: center;">\downarrow</div>																			
s_1	\mathcal{L}^*			A	X	$A \text{ or } X$	\mathcal{L}_1	A	X	$A \text{ or } X$	\mathcal{L}_2	A	X	$A \text{ or } X$					
	w_1	.98	0	0	w_1	.99	0	0	w_1	.33	0	0							
	w_2	0	0	.2	w_2	0	.33	0	w_2	.33	0	0							
	$w_1 \vee w_2$	0	0	.2	$w_1 \vee w_2$	0	0	.33	$w_1 \vee w_2$.33	0	0							
<div style="text-align: center;">\downarrow</div>																			
l_0	\mathcal{L}^*			w_1	w_2	$w_1 \vee w_2$	\mathcal{L}_1	w_1	w_2	$w_1 \vee w_2$	\mathcal{L}_2	w_1	w_2	$w_1 \vee w_2$					
	A	1	0	0	A	1	0	0	A	1	0	0							
	X	.33	.33	.33	X	0	1	0	X	1	0	0							
	$A \text{ or } X$.33	.33	.33	$A \text{ or } X$.33	.33	.33	$A \text{ or } X$	1	0	0							

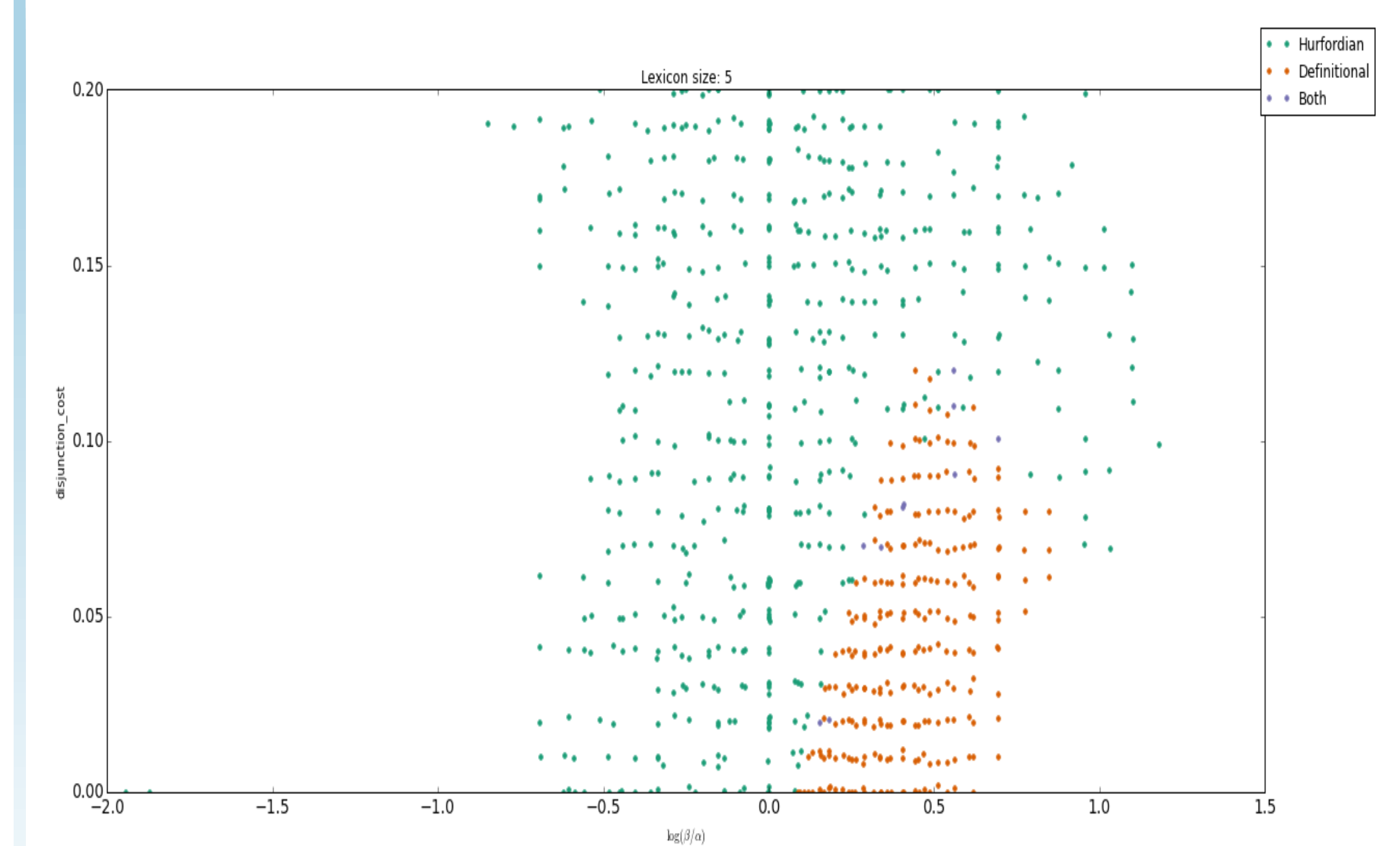
HURFORDIAN CONTEXTS

With high disjunction costs, exclusivization maximizes the justification for the long form; the Hurfordian instinct is a rational response to a disjunction that is unduly prolix for many lexica.

L_2 hears <i>A or X</i>	w_1	w_2	$w_1 \vee w_2$
$\mathcal{L}^*[A: \{w_1\}, B: \{w_2\}, X: \{w_1, w_2\}]$.03	0	.14
$\mathcal{L}_1[A: \{\mathbf{w}_1\}, B: \{w_2\}, X: \{\mathbf{w}_2\}]$.04	0	.45
$\mathcal{L}_2[A: \{w_1\}, B: \{w_2\}, X: \{w_1\}]$.02	0	.32

$$\alpha = 2; \beta = 1; C(or) = 1$$

CHARACTERIZATION



Summarizes a search over many parameter settings using a large lexicon and large world space.