# New Splitting Approach for Adaptative Tile Coding

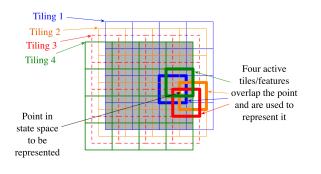
Course Project – Reinforcement Learning

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#### Problems of Tile Coding

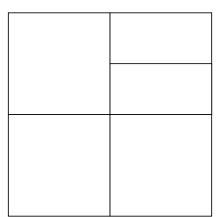


- # of tilings?
- Size of each tile?

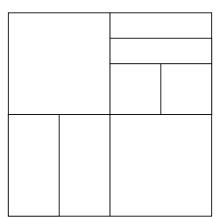
Propagation VS Generalization

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  - Start with ONE very coarse tiling

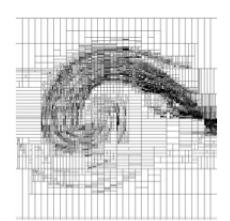
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  - Repeat



## New Splitting Approach

#### **Objectives**

- Find near-optimal split (not always in half)
- Keep constant memory usage per tile

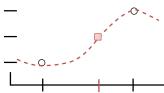
#### New Splitting Approach

#### **Objectives**

- Find near-optimal split (not always in half)
- Keep constant memory usage per tile

#### **New Strategy**

- Analyze for each dimension
- Find the maximum and minimum rewards in each tile
- Find the middle value: 0.5 \* (max + min)
- Estimate the position of the middle value
- Split at this position



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**Challenge:** Find middle point from a stream of data (no memory)

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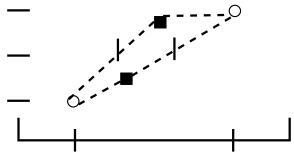
**Extremums:** Keep a variable for the maximum and the minimum

#### Estimating the Position of the Middle Point

Challenge: Find middle point from a stream of data (no memory)

Extremums: Keep a variable for the maximum and the minimum

**Middle Point:** Use linear intrapolations for every new point, and average them.



# Results

