

Control With Gradient TD Methods + The Nonlinear Case

COMP 767

Matthew Smith

Overview

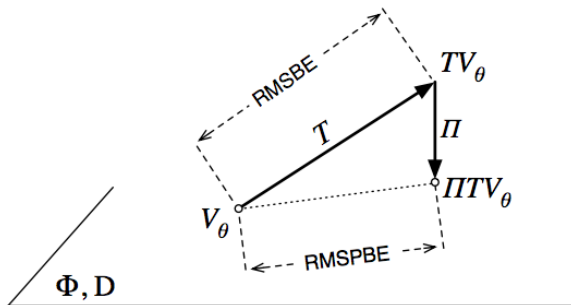
Gradient TD

Control With Gradient Methods

This slide is just to add slides.

The part we've covered:

- This Picture:

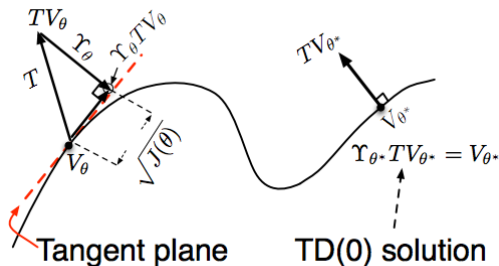


►

$$\begin{aligned}MSPBE &= \|(\Pi_\theta TV_\theta - V_\theta)\|_D^2 \\ -1/2 \nabla MSPBE &= -\mathbb{E}[\delta\phi] - \gamma \mathbb{E}[\phi' \phi^\top] w \\ w &= \mathbb{E}[\phi \phi^\top]^{-1} \mathbb{E}[\delta\phi]\end{aligned}$$

The part we haven't:

- This Picture:



- MSPBE now projects onto the tangent space of the nonlinear function which we assume to be smooth enough to be locally linear.

$$\begin{aligned}MSPBE &= ||\Pi_\theta(TV_\theta - V_\theta)||_D^2 \\ -1/2\nabla MSPBE &= -\mathbb{E}[\delta\phi] - \gamma\mathbb{E}[\phi'\phi^\top]w + h(\theta, w) \\ w &= \mathbb{E}[\phi\phi^\top]^{-1}\mathbb{E}[\delta\phi]\end{aligned}$$

The part we haven't:

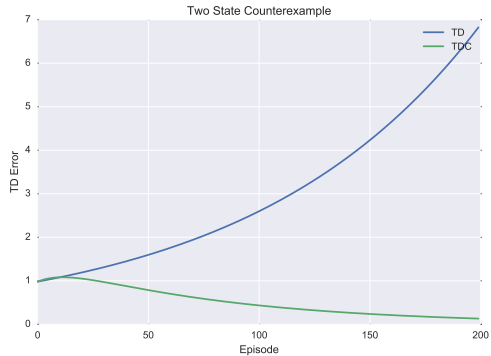
- Update rules are much the same but now there are second order terms.

$$\theta_{k+1} = \Gamma \left[\theta_k + \alpha_k \{ \delta_k \phi_k - \gamma \phi'_k (\phi_k^\top w_k) - h_k \} \right]$$

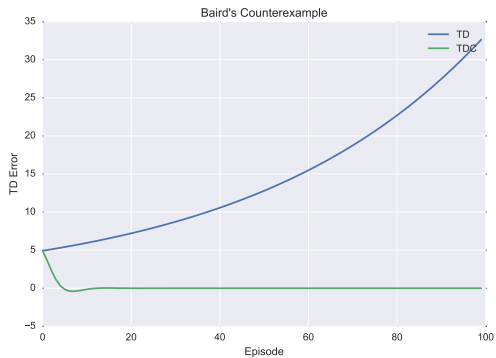
$$h_k = \delta_k - (\phi_k^\top w_k) \delta^2 V_\theta(s_k) w_k$$

- note that now $\phi_k = \nabla V_\theta(s_k)$
- Also, Lee and Anderson, 2014 do this + control with small neural nets

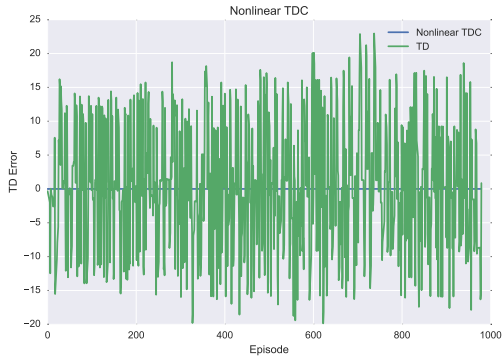
Quick Results



Quick Results

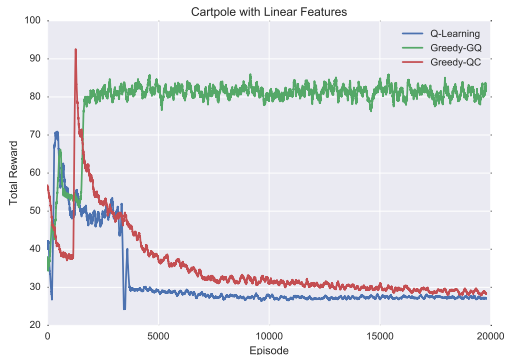


Quick Results



Simply Plug TDC or GTD2 into SARSA or Q-learning!

This is in the original feature space!



Simply Plug TDC or GTD2 into SARSA or Q-learning!

This is in the original feature space!

