
Model Free Episodic Control

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Problem formulation

- Current Reinforcement Learning algorithm learns very slow :
 - many iterations are needed
 - Slow learning due to gradient methods used
- Human can learn from only a few interactions
 - Very fast learning supported by hippocampus and medial temporal structure
- How to learn faster in machines?

How humans perform fast learning

Multiple systems for learning and memories

- Best learning scenario
 - Accurate model of the world
 - model-based planning
- Fast scenario
 - Learning new environment in model-free system
 - Model-free episodic control

Episodic Controller

Tabular approach. Given a state s , replay action that gave highest return.

$$Q^{EC}(s_t, a_t) = \begin{cases} R_t, & \text{if } (s_t, a_t) \notin Q^{EC}(s_t, a_t) \\ \max(Q^{EC}(s_t, a_t), R_t) & \text{otherwise} \end{cases}$$

Issues with this approach

- Large memory needed for large problems
- Lack generalization to similar states

Episodic Controller

To solve the 2 issues.

- Size of memory: deleted least recently updated entry
- Generalization:
 - Novel states: non-parametric nearest neighbor model. For novel state s :

$$\widehat{Q^{EC}}(s, a) = \begin{cases} \frac{1}{k} \sum_{i=1}^k Q^{EC}(s_i, a), & \text{if } (s, a) \notin Q^{EC} \\ Q^{EC}(s, a), & \text{otherwise} \end{cases}$$

Episodic Controller

Algorithm

- For each episode:
 1. For $t = 1, 2, \dots, T$ do:
 - Receive observation o_t from environment
 - Let $s_t = \gamma(o_t)$
 - Estimate return for each action via (1).
 - Let $a_t = \operatorname{argmax}_a Q^{\text{EC}}(s_t, a)$
 - Take action a_t , receive reward r_{t+1}
 - End For
 - For $t = T, T-1, \dots, 2, 1$ do:
 - Update $Q^{\text{EC}}(s_t, a_t)$ according to (1)
 - End For
- End For

Representation and Biological Plausibility

Biological plausibility:

- Hippocampus in the brain operates on representation which includes the output of the ventral systems, which is suppose to generalize

Implementation details:

- Original observation space is not practical, requires too much memory.
- We consider 2 different embedding
 - **Project** of original space into smaller dimensional spaces. Useful when only small changes occur.
 - Use **VAEs (variational autoencoder)** to map high dimensional data small dimensional data. Useful when many dimensions in the original spaces are useless.

Experiments

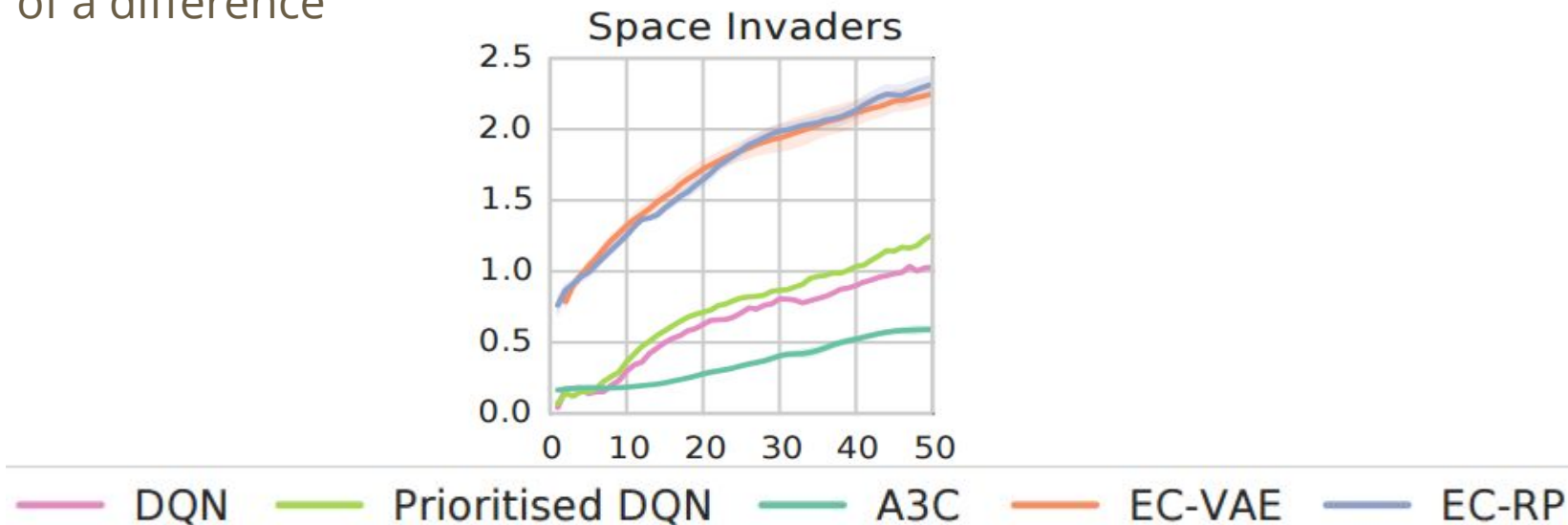
Atari game details

- Size of buffer: 1,000,000 entries.
- K nearest neighbor: $k = 11$
- Discount rate 1
- Epsilon greedy 0.005

Experiments

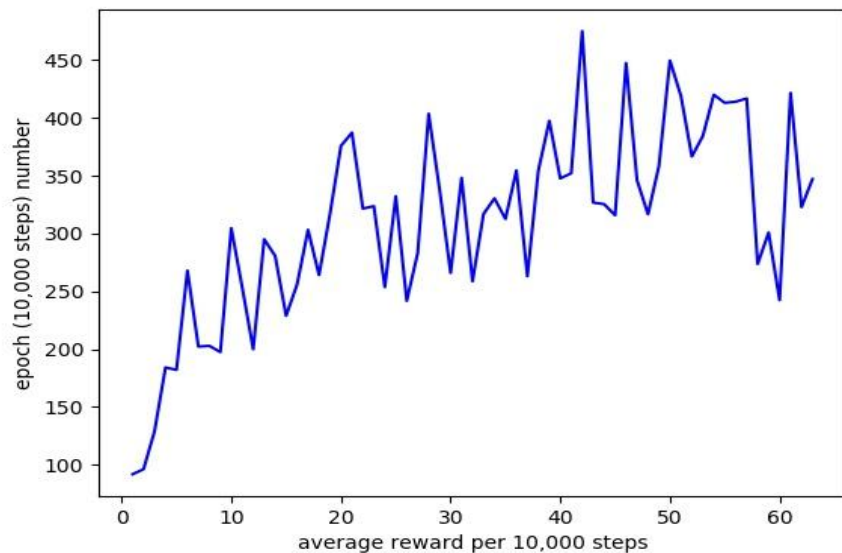
Insights:

- 2 different embeddings (VAE and random projection) did not have much of a difference



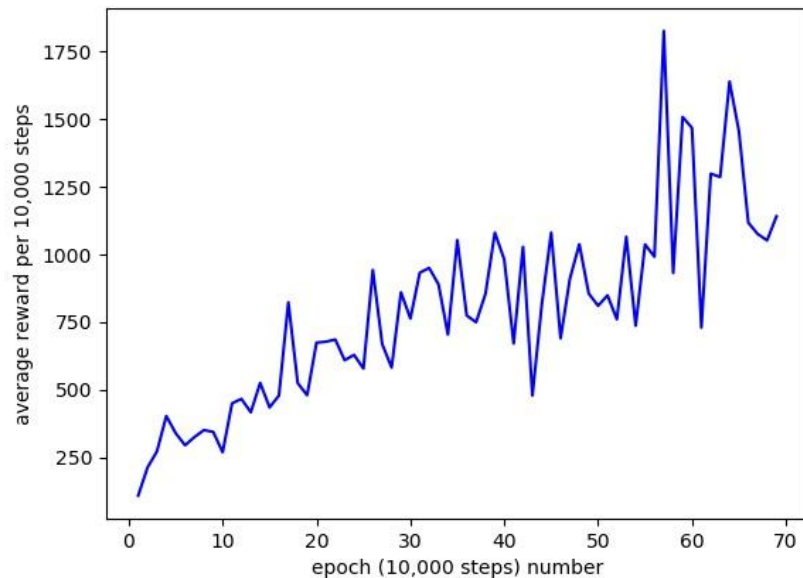
My experiments

Space invaders: K-nearest-neighbors , $k = 11$



My experiments

Pacman: K-nearest-neighbors , $k = 11$



My experiments

Space invaders: compare $k = 5$ and $k = 11$. **$K = 11$ (orange)** seem to perform better than $k = 5$

