Intro to Data Science HW 7

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```
# Enter your name here: Ryan Tervo
# Course Number: IST 687
# Assignment Name: Homework #7
# Due Date: 28 Nov 2022
# Submitted Date: 28 Nov 2022
```

Attribution statement: (choose only one and delete the rest)

```
# 1. I did this homework by myself, with help from the book and the professor.
```

The chapter on **linear models** ("Lining Up Our Models") introduces **linear predictive modeling** using the tool known as **multiple regression**. The term "multiple regression" has an odd history, dating back to an early scientific observation of a phenomenon called "**regression to the mean.**" These days, multiple regression is just an interesting name for using **linear modeling** to assess the **connection between one or more predictor variables and an outcome variable**.

In this exercise, you will predict Ozone air levels from three predictors.

A. We will be using the **airquality** data set available in R. Copy it into a dataframe called **air** and use the appropriate functions to **summarize the data**.

```
# LOAD LIBRARIES:
#library(jsonlite)
library(tidyverse)
```

```
## — Attaching packages — tidyverse 1.3.2 —

## ggplot2 3.4.0 purrr 0.3.5

## tibble 3.1.8 dplyr 1.0.10

## tidyr 1.2.1 stringr 1.4.1

## readr 2.1.3 forcats 0.5.2

## — Conflicts — tidyverse_conflicts() —

## dplyr::filter() masks stats::filter()

## dplyr::lag() masks stats::lag()
```

```
library(imputeTS)
```

```
## Registered S3 method overwritten by 'quantmod':
## method from
## as.zoo.data.frame zoo
```

```
#library(dplyr)
#library(purrr)
#library(maps)
```

```
# DEFINE VARIABLE:
air <- airquality
# INITIAL DATA UNDERSTANDING:
str(air)</pre>
```

```
## 'data.frame': 153 obs. of 6 variables:
## $ Ozone : int 41 36 12 18 NA 28 23 19 8 NA ...
## $ Solar.R: int 190 118 149 313 NA NA 299 99 19 194 ...
## $ Wind : num 7.4 8 12.6 11.5 14.3 14.9 8.6 13.8 20.1 8.6 ...
## $ Temp : int 67 72 74 62 56 66 65 59 61 69 ...
## $ Month : int 5 5 5 5 5 5 5 5 5 5 ...
## $ Day : int 1 2 3 4 5 6 7 8 9 10 ...
```

summary(air)

```
Wind
##
      Ozone
                    Solar.R
                                                  Temp
## Min. : 1.00 Min. : 7.0 Min. : 1.700 Min. :56.00
  1st Qu.: 18.00 1st Qu.:115.8 1st Qu.: 7.400 1st Qu.:72.00
## Median: 31.50 Median: 205.0 Median: 9.700 Median: 79.00
  Mean : 42.13 Mean :185.9 Mean : 9.958 Mean :77.88
  3rd Qu.: 63.25 3rd Qu.:258.8
##
                               3rd Qu.:11.500
                                             3rd Qu.:85.00
  Max. :168.00 Max. :334.0
                               Max. :20.700
                                             Max. :97.00
                 NA's
  NA's :37
##
                       :7
##
    Month
                    Day
## Min. :5.000 Min. : 1.0
  1st Qu.:6.000 1st Qu.: 8.0
##
## Median :7.000 Median :16.0
## Mean :6.993 Mean :15.8
  3rd Qu.:8.000 3rd Qu.:23.0
##
  Max. :9.000
                Max. :31.0
##
```

```
head(air)
```

```
Ozone Solar.R Wind Temp Month Day
##
## 1
          190 7.4 67 5
    41
     36
## 2
          118 8.0 72
                         5
                            2
## 3
     12
          149 12.6 74
                        5 3
## 4
          313 11.5 62
     18
                        5 4
                        5 5
## 5
           NA 14.3 56
    NA
## 6
     28
           NA 14.9 66
                         5
```

B. In the analysis that follows, **Ozone** will be considered as the **outcome variable**, and **Solar.R**, **Wind**, and **Temp** as the **predictors**. Add a comment to briefly explain the outcome and predictor variables in the dataframe using **?** airquality.

```
# DEFINE THE MODEL:
model <- lm(formula = Ozone ~ Solar.R + Wind + Temp, data = air)</pre>
```

C. Inspect the outcome and predictor variables – are there any missing values? Show the code you used to check for that.

```
INSPECT PREDICTOR VARIABLES:
numNA1 <- sum(is.na(air$Solar.R))</pre>
numNA2 <- sum(is.na(air$Wind))</pre>
numNA3 <- sum(is.na(air$Temp))</pre>
numNA4 <- sum(is.na(air$Ozone))</pre>
# DISPLAY RESULTS:
printString1 <- paste('Missing entries for column Solar.R: ', numNA1, sep = '')</pre>
printString2 <- paste('Missing entries for column Wind: ', numNA2, sep = '')</pre>
printString3 <- paste('Missing entries for column Temp: ', numNA3, sep = '')</pre>
printString4 <- paste('Missing entries for column Ozone: ', numNA4, sep = '')</pre>
print(printString1, quote = FALSE)
## [1] Missing entries for column Solar.R: 7
print(printString2, quote = FALSE)
## [1] Missing entries for column Wind:
print(printString3, quote = FALSE)
## [1] Missing entries for column Temp:
print(printString4, quote = FALSE)
```

D. Use the **na_interpolation()** function from the **imputeTS package** (remember this was used in a previous HW) to fill in the missing values in each of the 4 columns. Make sure there are no more missing values using the commands from Step C.

```
# LOAD LIBRARY:
```

[1] Missing entries for column Ozone:

```
## [1] Missing entries for column Solar.R: 0
```

```
printString4 <- paste('Missing entries for column Ozone: ', numNA4, sep = '')
print(printString4, quote = FALSE)</pre>
```

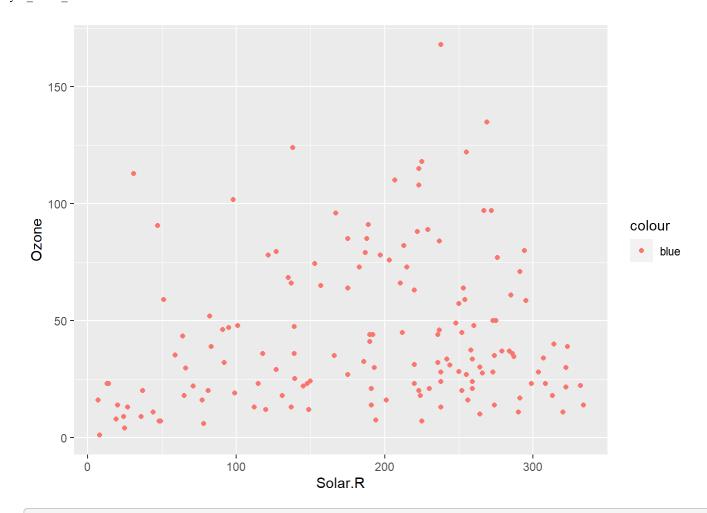
```
## [1] Missing entries for column Ozone: 0
```

```
printString5 <- paste('Other columns did not have any missing data as seen in the prior checki
ng in "Part C".', sep = '')
print(printString5, quote = FALSE)</pre>
```

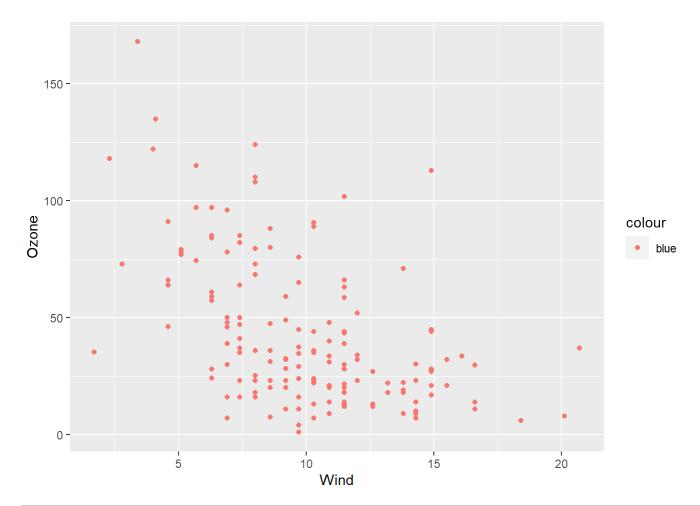
```
\#\# [1] Other columns did not have any missing data as seen in the prior checking in "Part C".
```

E. Create **3 bivariate scatterplots (X-Y) plots** (using ggplot), for each of the predictors with the outcome. **Hint:** In each case, put **Ozone on the Y-axis**, and a **predictor on the X-axis**. Add a comment to each, describing the plot and explaining whether there appears to be a **linear relationship** between the outcome variable and the respective predictor.

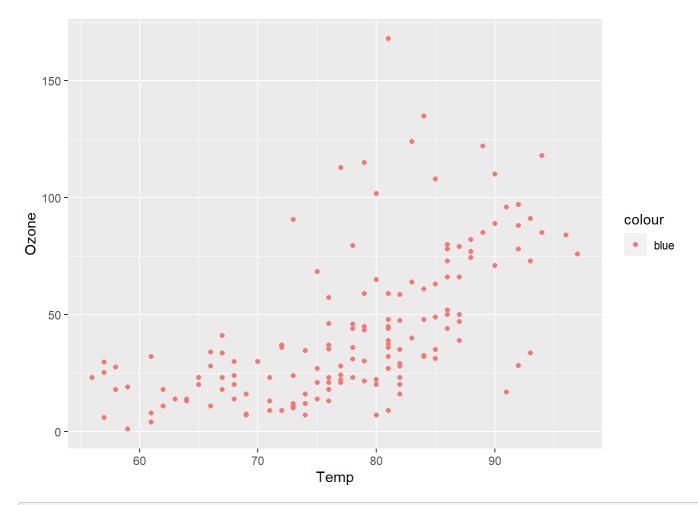
```
# CREATE 3 BIVARIATE SCATTER PLOTS
#plot1 <- ggplot(air)
plot1 <- ggplot() + geom_point(data = air, aes(y = Ozone, x = Solar.R, color = 'blue'))
# Does not appear to have a "linear relationship"
plot1</pre>
```



```
plot2 <- ggplot() + geom_point(data = air, aes(y = Ozone, x = Wind, color = 'blue'))
# Does appear to have a "linear relationship" with a negative slope.
plot2</pre>
```



```
plot3 <- ggplot() + geom_point(data = air, aes(y = Ozone, x = Temp, color = 'blue'))
# Does appear to have a "linear relationship" with a positive slope.
plot3</pre>
```



```
#ap.L <- map.L + geom_polygon(color = "black", aes(x = long, y = lat, group = group, fill = su
mPopulation))
#map.L <- map.L + coord_map()
#Solar.R + Wind + Temp</pre>
```

F. Next, create a **simple regression model** predicting **Ozone based on Wind**, using the **Im()** command. In a comment, report the **coefficient** (aka **slope** or **beta weight**) of **Wind** in the regression output and, **if it is statistically significant**, **interpret it** with respect to **Ozone**. Report the **adjusted R-squared** of the model and try to explain what it means.

```
# CREATE MODEL:
modelF <- lm(formula = Ozone ~ Wind, data = air)

# DISPLAY SUMMARY:
summary(modelF)</pre>
```

```
##
## Call:
## lm(formula = Ozone ~ Wind, data = air)
##
## Residuals:
## Min    1Q Median    3Q    Max
## -50.332 -18.332 -4.155   14.163   94.594
##
## Coefficients:
```

```
## Estimate Std. Error t value Pr(>|t|)
## (Intercept) 89.0205 6.6991 13.288 < 2e-16 ***

## Wind -4.5925 0.6345 -7.238 2.15e-11 ***

## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1

##
## Residual standard error: 27.56 on 151 degrees of freedom
## Multiple R-squared: 0.2576, Adjusted R-squared: 0.2527

## F-statistic: 52.39 on 1 and 151 DF, p-value: 2.148e-11
```

```
# EXPLANATION:
#------
#- Coefficient Value: -4.5925.

#- Coefficient significance: The p-value of the coefficient is less than 0.05 so it is stati stically significant.

#- Coefficient Meaning: Since the coefficient is significant this means as the wind inc reases by 1 the Ozone decreases by -4.5925

#- Adjusted R-squared: Value 25.27%. This says that 25.27% of the variance of the out come variable (ozone) can be explained with the predictor variable (Wind)
```

G. Create a multiple regression model predicting Ozone based on Solar.R, Wind, and Temp.
Make sure to include all three predictors in one model – NOT three different models each with one predictor.

```
# CREATE THE MODEL:
modelG <- lm(formula = Ozone ~ Solar.R + Wind + Temp, data = air)
# DISPLAY SUMMARY:
summary(modelG)</pre>
```

```
##
## Call:
## lm(formula = Ozone ~ Solar.R + Wind + Temp, data = air)
## Residuals:
   Min 1Q Median 3Q
## -39.651 -15.622 -4.981 12.422 101.411
##
## Coefficients:
             Estimate Std. Error t value Pr(>|t|)
## (Intercept) -52.16596 21.90933 -2.381 0.0185 *
## Solar.R
             0.01654 0.02272 0.728 0.4678
## Wind
             -2.69669 0.63085 -4.275 3.40e-05 ***
             1.53072 0.24115 6.348 2.49e-09 ***
## Temp
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 24.26 on 149 degrees of freedom
```

```
## Multiple R-squared: 0.4321, Adjusted R-squared: 0.4207
## F-statistic: 37.79 on 3 and 149 DF, p-value: < 2.2e-16</pre>
```

H. Report the **adjusted R-Squared** in a comment – how does it compare to the adjusted R-squared from Step F? Is this better or worse? Which of the predictors are **statistically significant** in the model? In a comment, report the coefficient of each predictor that is statistically significant. Do not report the coefficients for predictors that are not significant.

```
# The adjusted R-Squared value on the multiple regression model (part g) is 42.07% This is
significantly higher than the simple regression model (part f) of only 25.76%. This means tha
t the multiple regression model explains more of the variance in the outcome variable than the
simple regression model does.

# The predictors that are statistically significantly are:
# - 'Wind'
# - 'Temp'
#* These have a p-value of less than 0.05. The intercept is required in all cases. In this c
ase the intercept p-value is less than 0.05 but even if it was higher we would still have to i
nclude it in the model.
```

I. Create a one-row data frame like this:

```
# CREATE ONE-ROW DATA FRAME:
predDF <- data.frame(Solar.R=290, Wind=13, Temp=61)</pre>
```

and use it with the **predict()** function to predict the **expected value of Ozone**:

```
# USE PREDICTION FUNCTION:
prediction <- predict(modelG, predDF, type = 'response')

# PRINT RESULTS:
print(prediction)</pre>
```

```
## 1
## 10.9464
```

J. Create an additional **multiple regression model**, with **Temp** as the **outcome variable**, and the other **3 variables** as the **predictors**.

Review the quality of the model by commenting on its **adjusted R-Squared**.

```
# CREATE THE MODEL:
modelJ <- lm(formula = Temp ~ Solar.R + Wind + Ozone, data = air)
# DISPLAY SUMMARY:
summary(modelJ)</pre>
```

```
##
## Call:
## lm(formula = Temp ~ Solar.R + Wind + Ozone, data = air)
##
```

```
## Residuals:
## Min 1Q Median 3Q Max
## -18.831 -4.802 1.174 4.880 18.004
##
## Coefficients:
            Estimate Std. Error t value Pr(>|t|)
##
## (Intercept) 74.693222 2.796787 26.707 < 2e-16 ***
## Solar.R 0.015751 0.006737 2.338 0.02072 *
## Wind
            0.139055 0.021907 6.348 2.49e-09 ***
## Ozone
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 7.313 on 149 degrees of freedom
## Multiple R-squared: 0.4148, Adjusted R-squared: 0.403
## F-statistic: 35.21 on 3 and 149 DF, p-value: < 2.2e-16
```

The adjusted R-Squared value is 40.3%. This means that 40.3% of the variance in 'Temp' can be explained using the 3 predictor variables of 'Solar.R', 'Wind', and 'Ozone'. All of the predictor variables are statistically significant because their respective p-values are each 1 ess than 0.05.