

1(D)-Day

Referenced Books:

- ✓ 1. Electronic device and circuit - Boylestad
- 2. Principle of Electronics - V.K. Mehta
- 3. Op-Amp and Linear integrated circuit - Grayakwad

1(E)-Day

Date: 4/4/2016

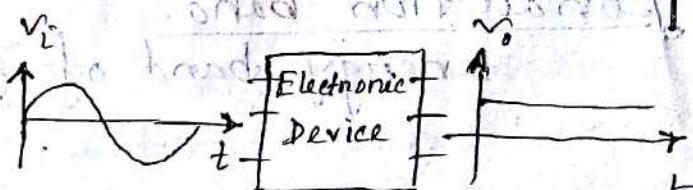
Analog Electronics

Electronics:

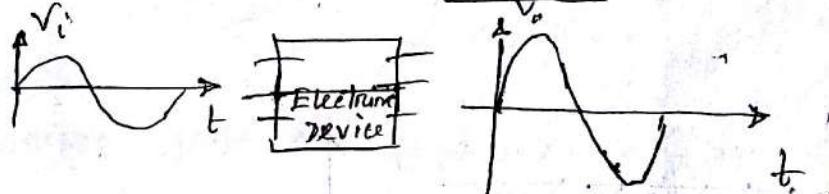
Conduction through vacuum, gas, semiconductor (without conductor) is discussed in Electronics.

Importance:

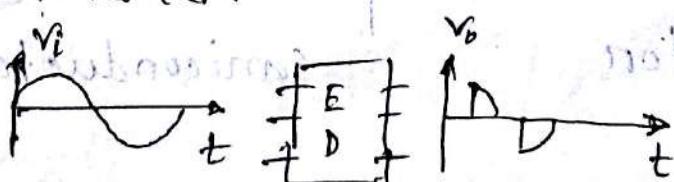
1. Rectification (AC to DC)



2. Amplification



3. DC \rightarrow AC converters



4. Voltage to light converter

5. control
6. Light to voltage converter (Solar cell)

Atomic Structure:

$2n^2$ electron at n th energy shell of an atom

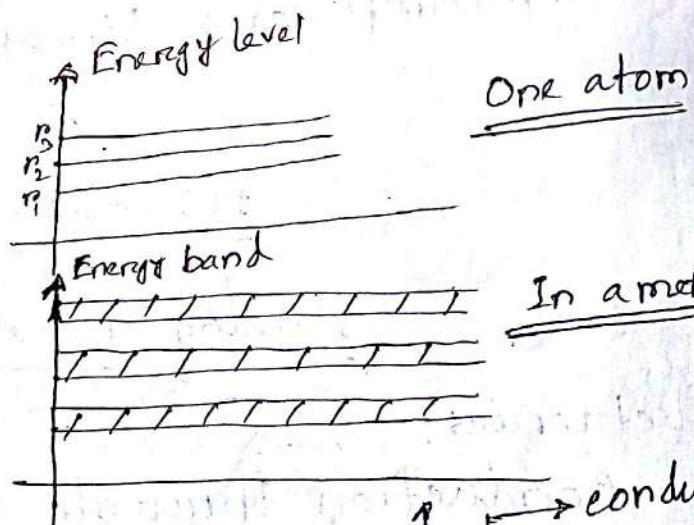
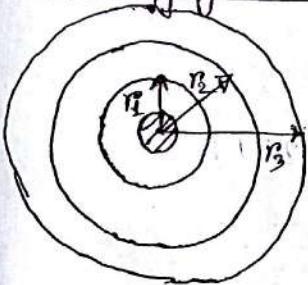
Valence electron:

Generally, $< 4 \rightarrow$ metal / conductor

$> 4 \rightarrow$ non-metal / insulator

$= 4 \rightarrow$ Semi-conductor C₍₄₎, Si(4), Ge(32)

Energy level:

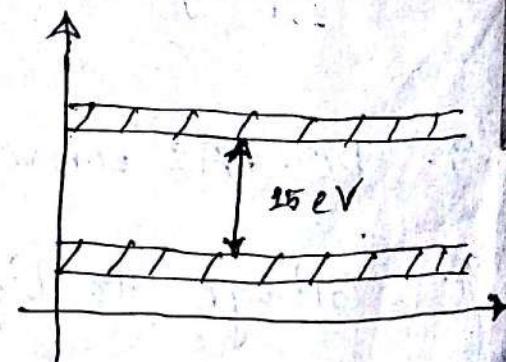
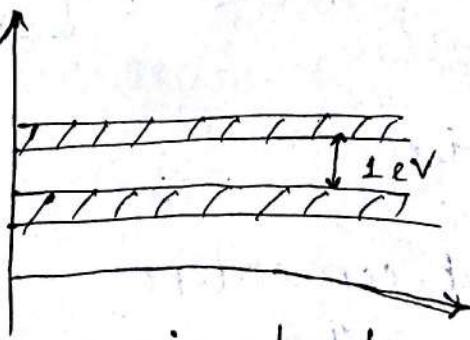
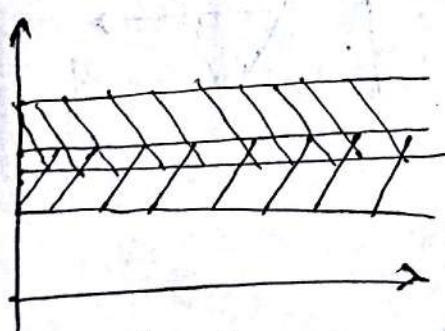
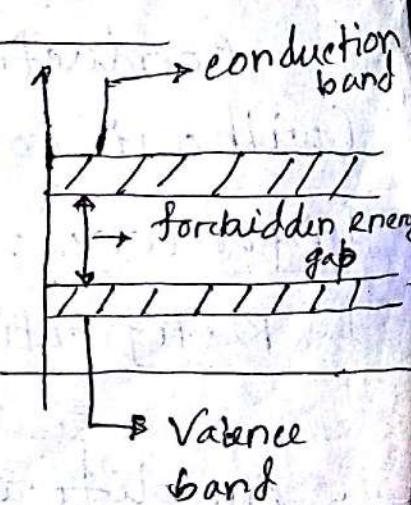


Valence band:

Energy band of valence electron

Conduction band:

Energy band of free electron



2(B)-Day

Date: 6/4/2016

Semiconductor

Ge, Si

valence band \rightarrow almost full
conduction " \rightarrow partially full

The energy of forbidden gap ~~of~~ between valence and conduction band

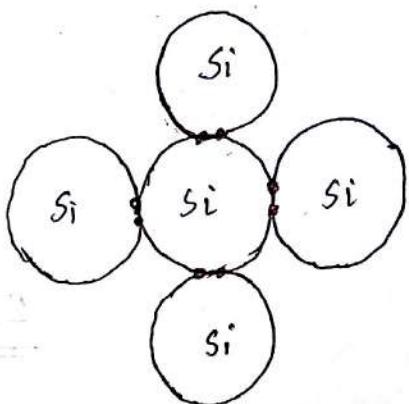
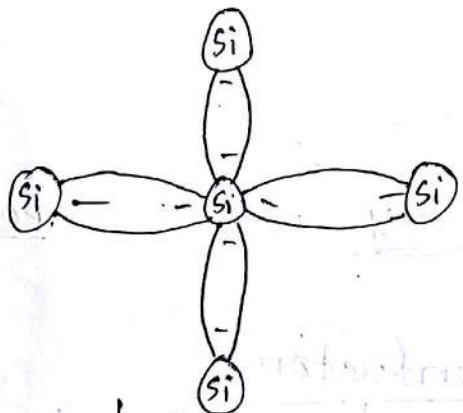
for
Ge \rightarrow 0.7 eV
Si \rightarrow 1.0 eV

Gallium Arsenide \rightarrow a flow of e^- higher

Si \rightarrow Mobility
1500
Ge \rightarrow 3900
GaAs \rightarrow 8500

conductor \rightarrow temperature co-efficient (+ve)
 \rightarrow temperature \uparrow , resistance \uparrow then (+ve)
 " " " " " then (-ve)
 semiconductor \rightarrow temperature co-efficient (-ve)

Bonds in Semiconductors:



Difference between Ge and Si.

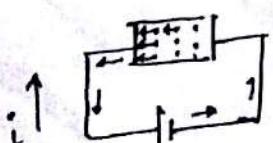
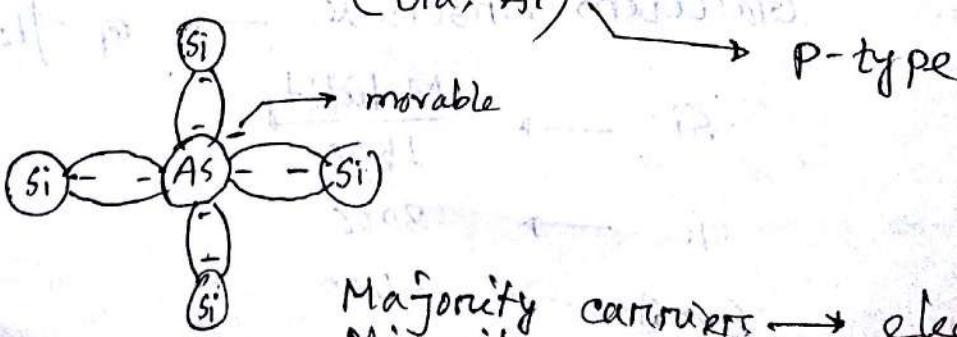
Intrinsic Semiconductor: (pure semiconductor)

Only Si or only Ge. | con band 9.77 eV e⁻
valence " 9.04 eV hole

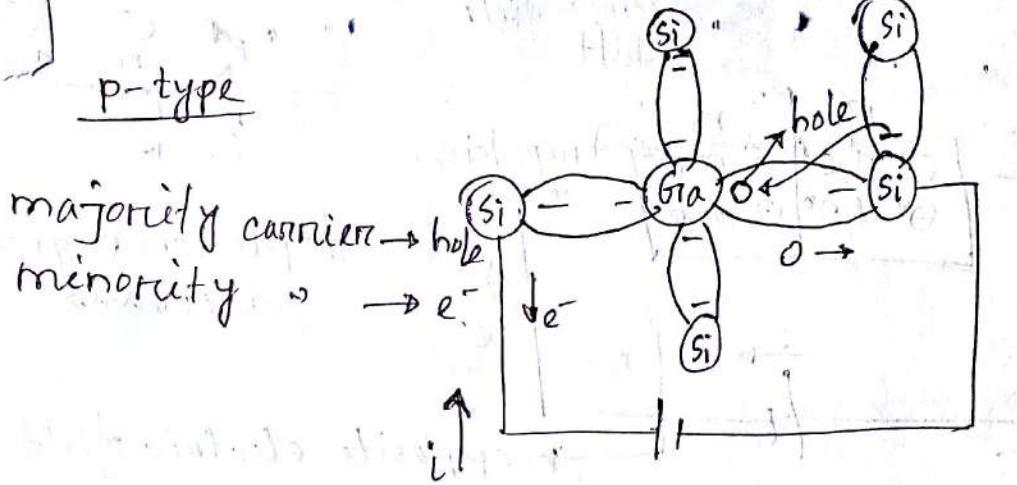
Extrinsic Semiconductor: (Doping)

→ Pentavalent (As, Sb, P) | Sb = antimony
 → Trivalent (Ga, Al)

n-type:



p-type

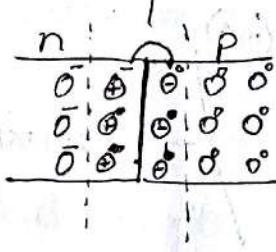


Hole current?

Depletion region (No carrier)

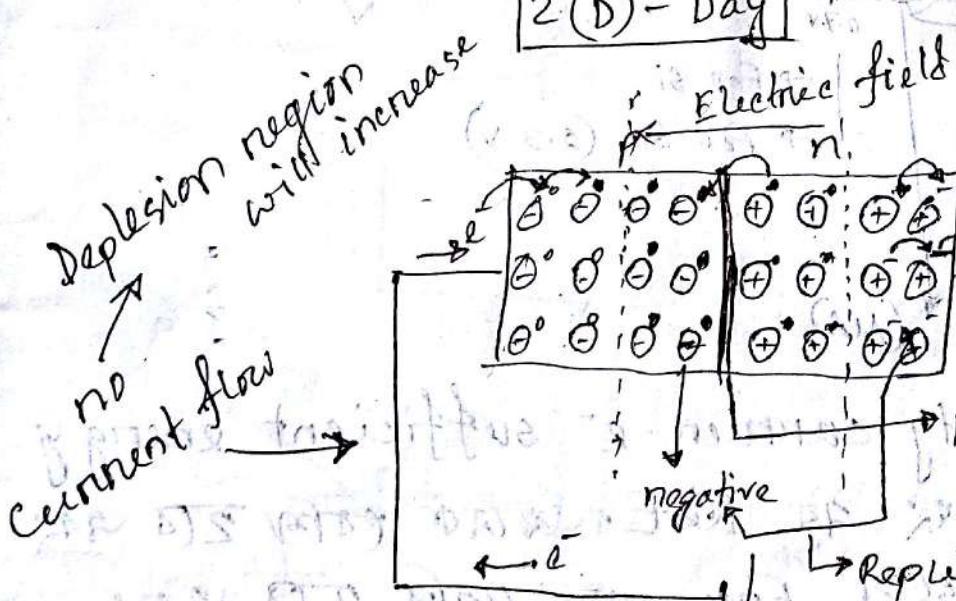
Depletion region

Like capacitor



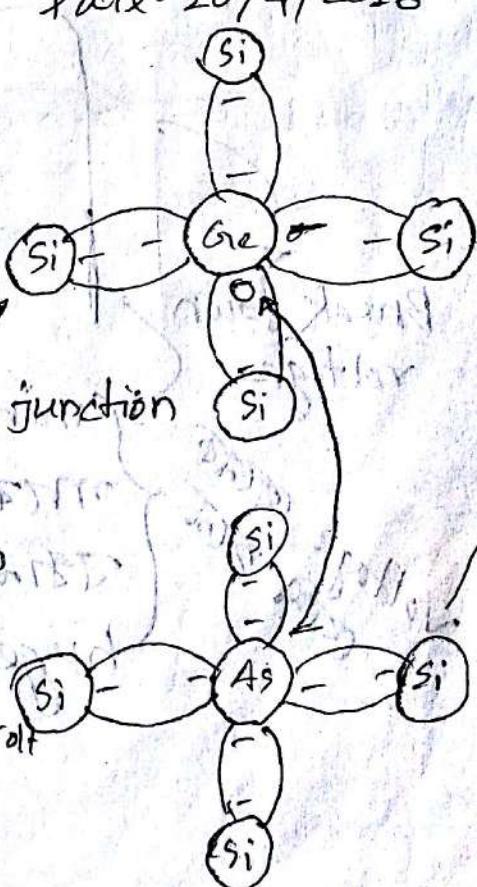
$$V = \frac{Q}{C}$$

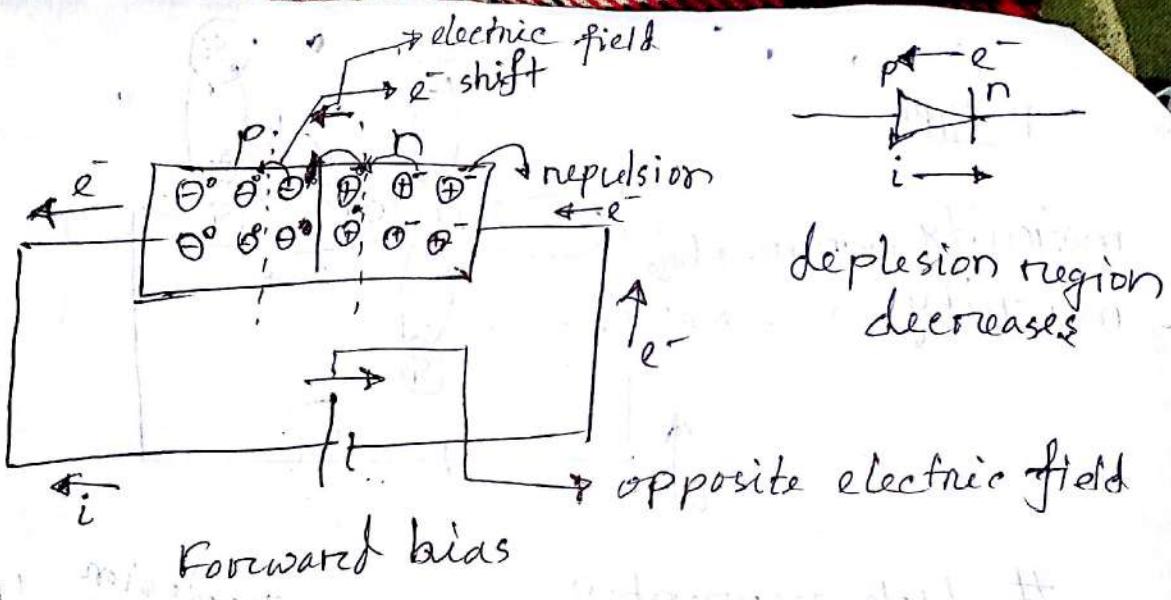
Date - 10/4/2016



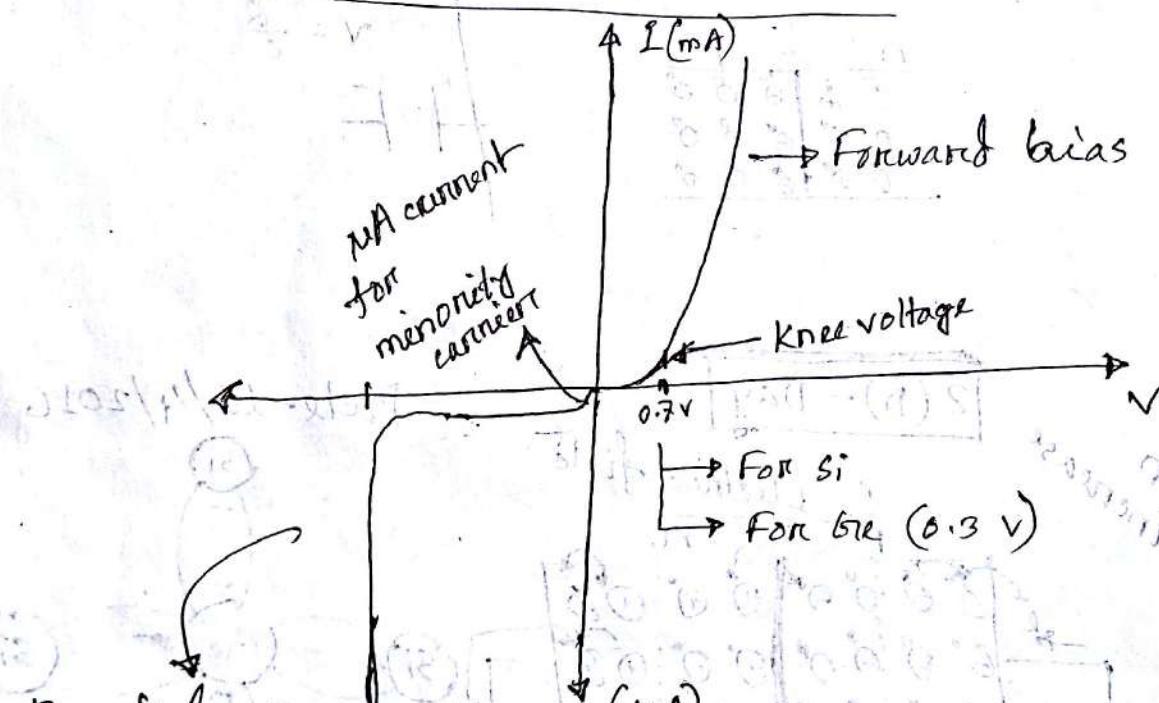
For semiconductor
voltage drop $\rightarrow 0.7$ volt

Reverse bias





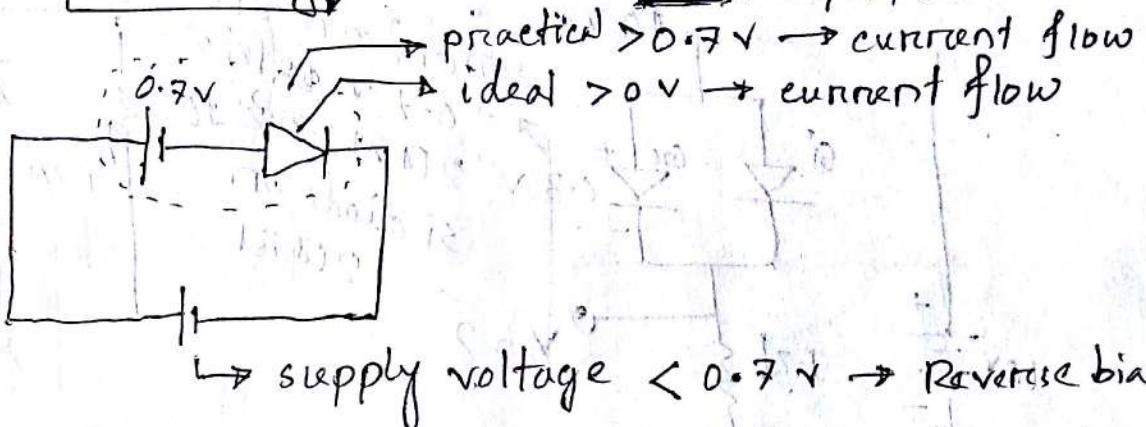
Volt-ampere characteristics:

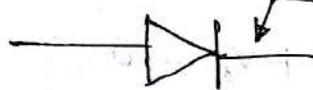


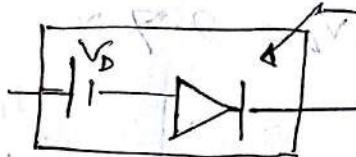
Voltage এবং পরিপন্থ
minority carriers e^- sufficient energy
পরিপন্থ এবং এই kT . অন্যের কাছে তার পরিপন্থ
বরাবর হওয়ার ফলে Free e^- তৈরি হওয়া এবং
huge current flow করা।

2(E)-Day

Date: 11/4/2016



 ideal equivalent circuit

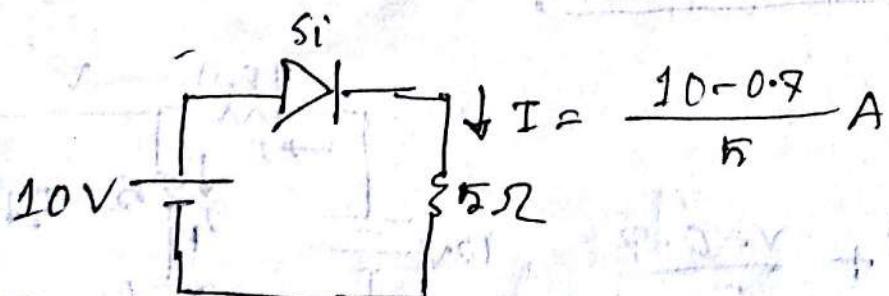
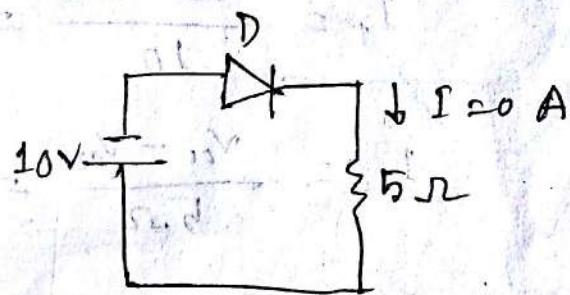
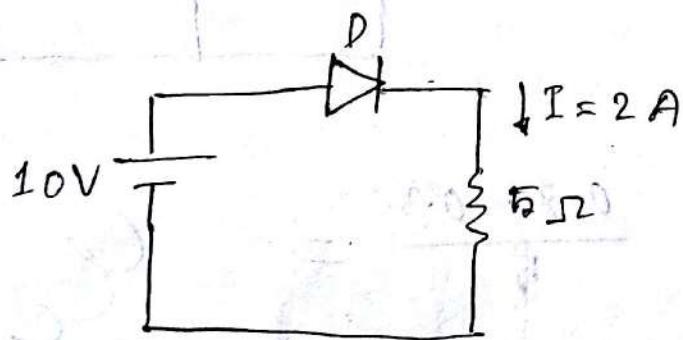
 simplified equivalent circuit.

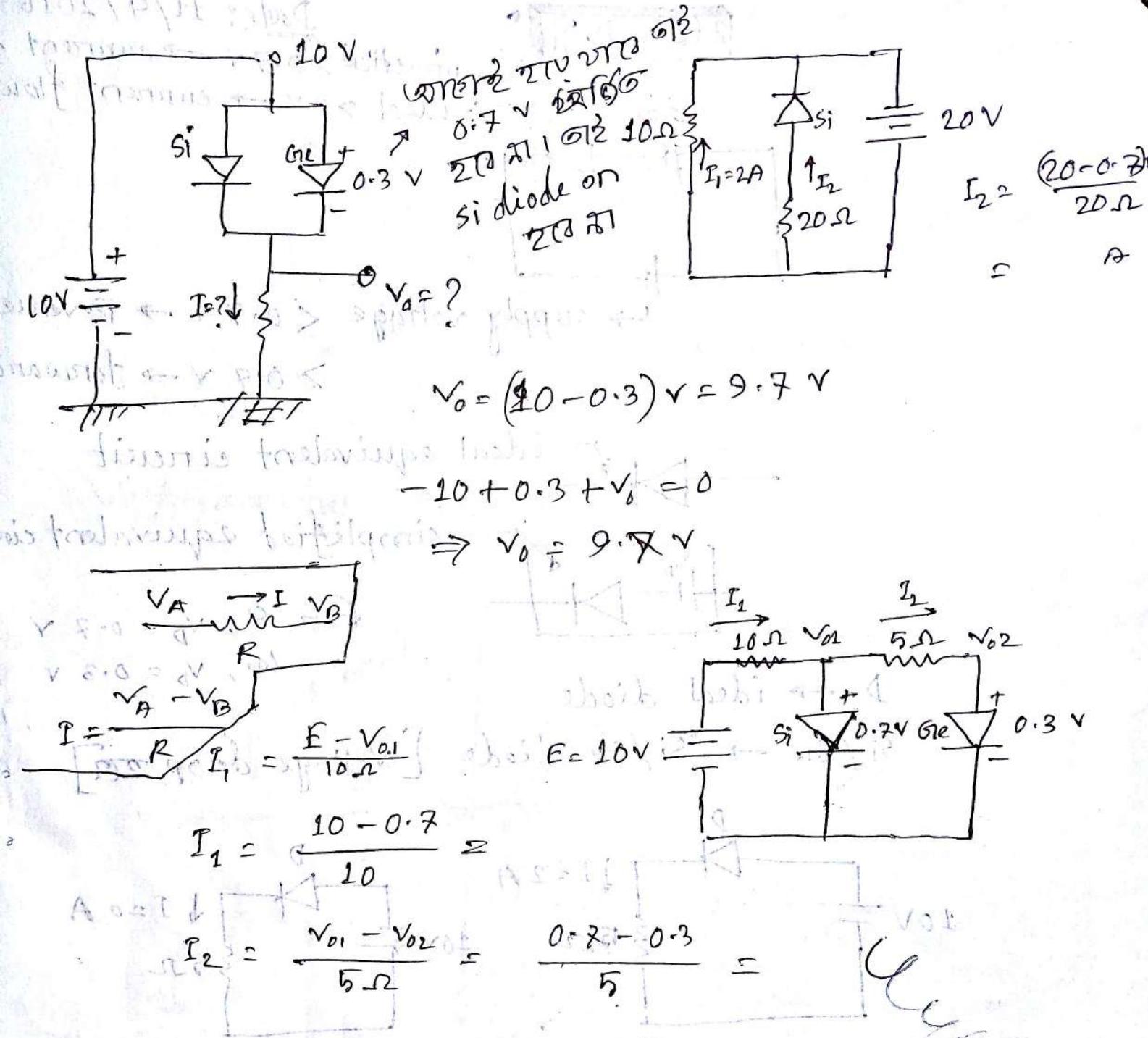
$$\text{For Si, } V_D = 0.7 \text{ V}$$

$$\Rightarrow \text{Ge, } V_D = 0.3 \text{ V}$$

D \rightarrow ideal diode

Si / Ge \rightarrow Si / Ge diode [Voltage drop 2(a)]



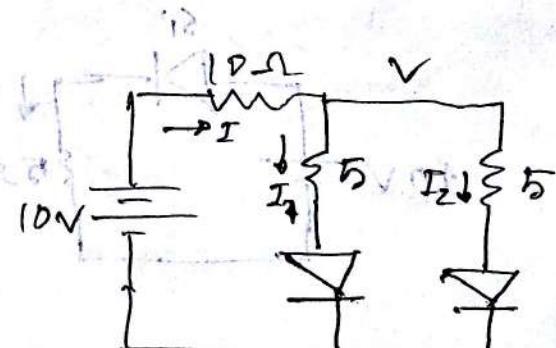


Half wave rectifier circuit:

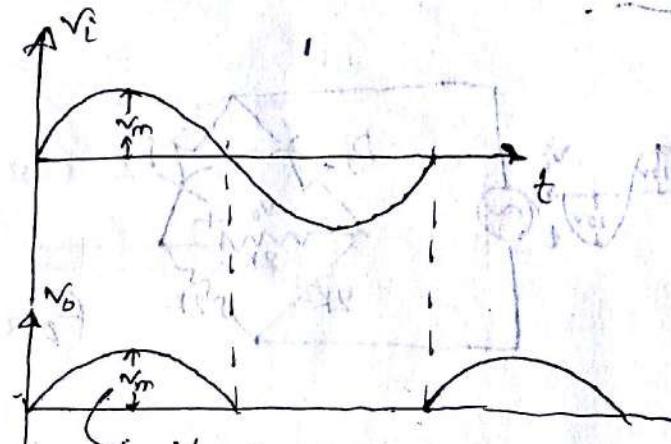
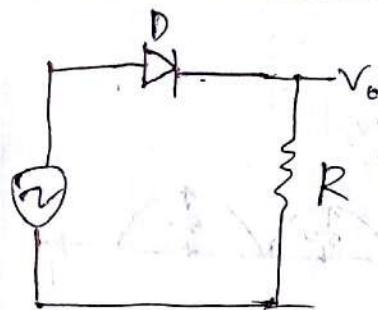
$$I = I_1 + I_2$$

$$\Rightarrow \frac{10 - V}{10} = \frac{V - 0.3}{5} + \frac{V - 0.7}{5}$$

$$V = ?$$



Half wave rectifier circuit:

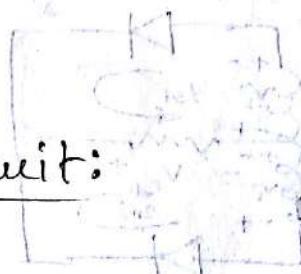
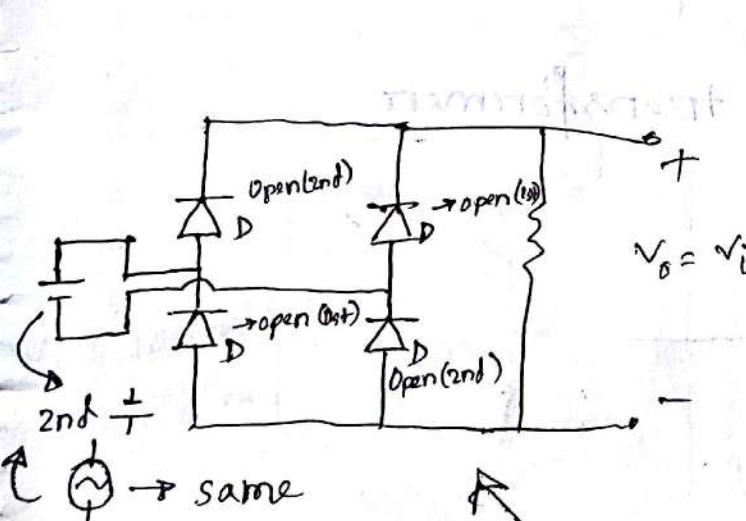


$$V_o(\text{av}) = \frac{1}{T} \int_0^{T/2} V_m \sin \omega t dt$$

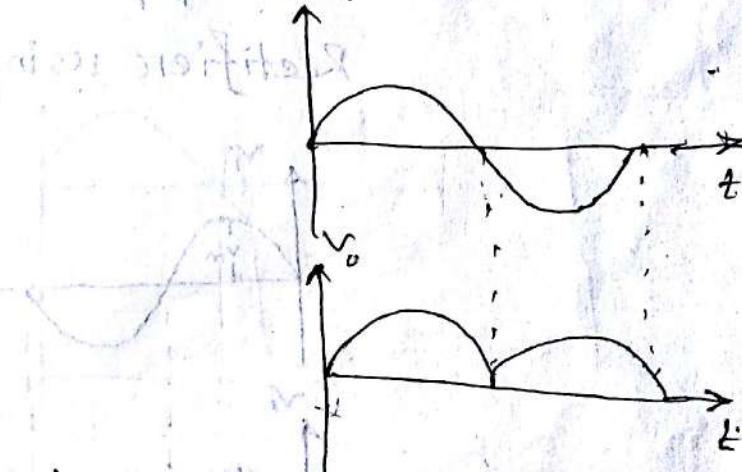
$$= \frac{1}{T} \int_0^{T/2} V_m \sin \omega t dt$$

$\text{Si} \rightarrow V_m - 0.7$
 $\text{Ge} \rightarrow V_m - 0.3$

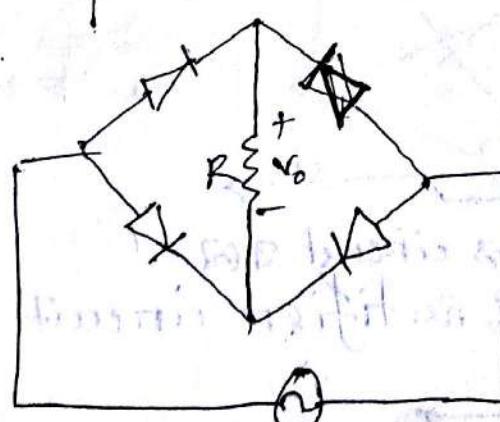
Full wave rectifier circuit:



V_i



Same circuit

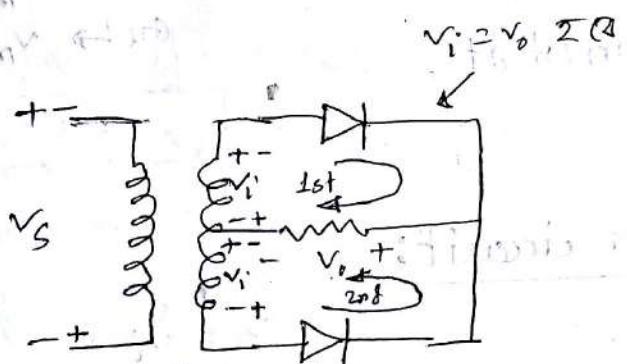
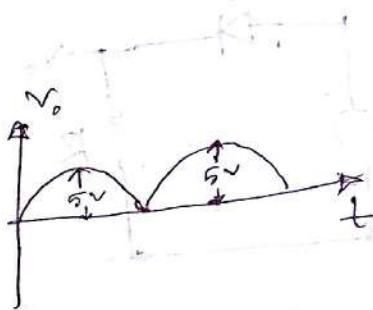
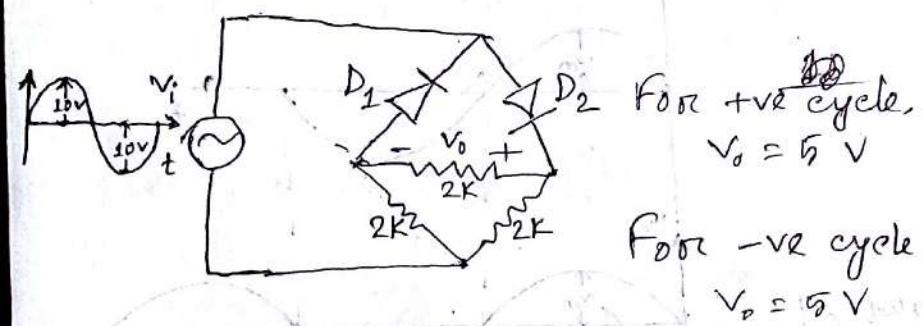


From book

bridge-rectifier circuit

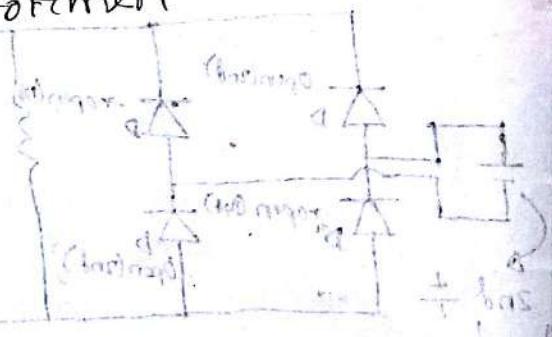
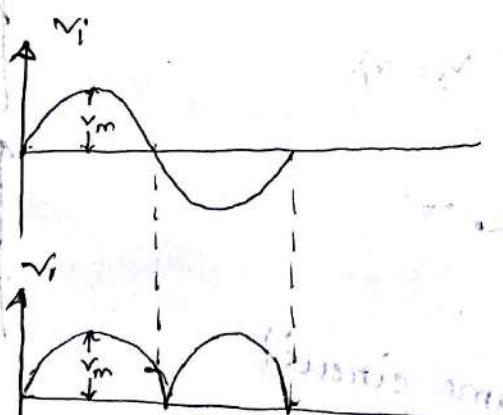
Date: 13/4/2016

3(B)-Day



$$V_o \propto \frac{\delta \phi}{\delta t} \rightarrow \text{rate of change of flux}$$

Rectifier using transformer



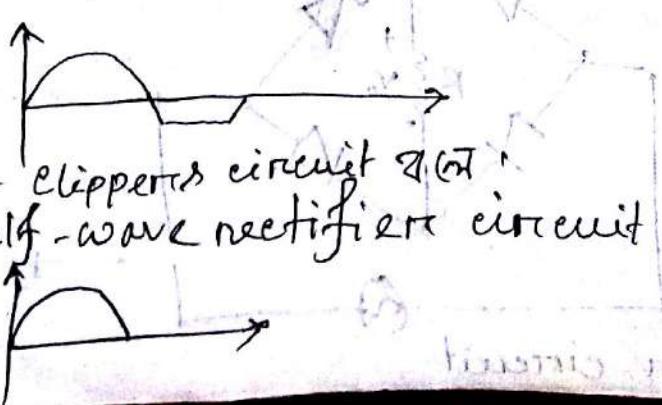
→ फ्रेन्कल्फर्ड का नियम

Clippers:

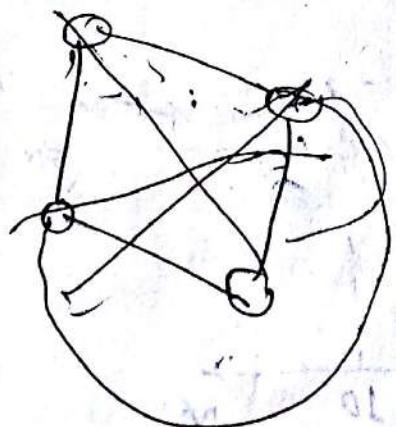
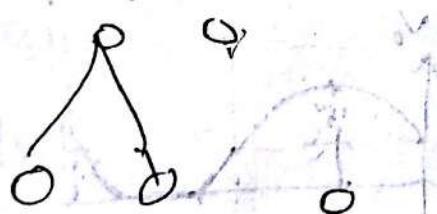
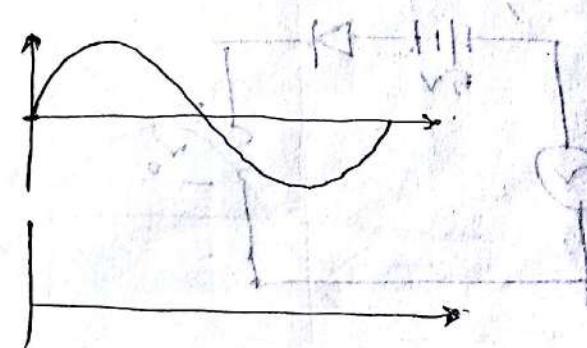
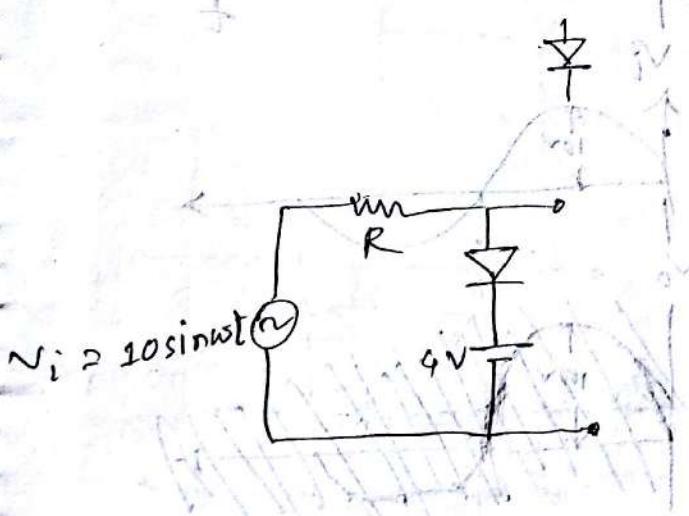
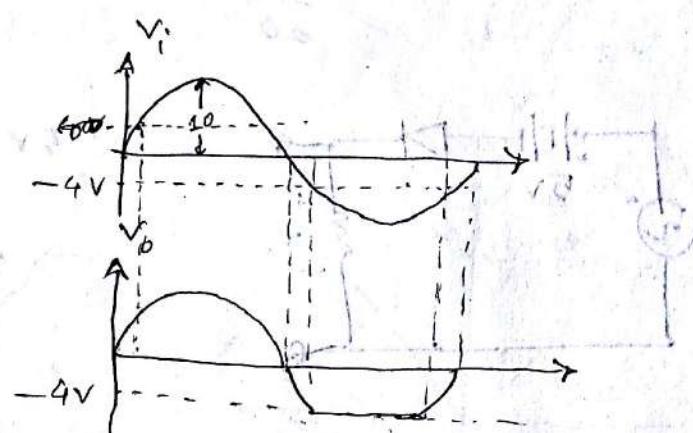
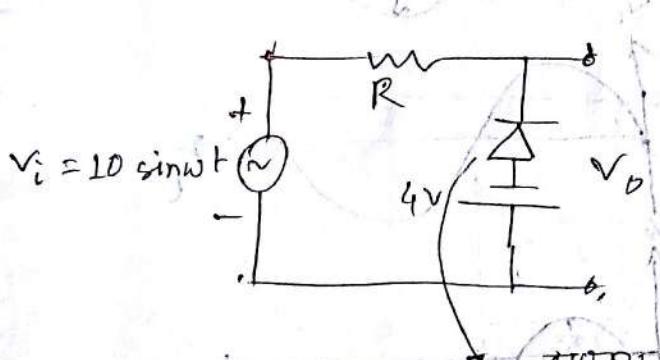
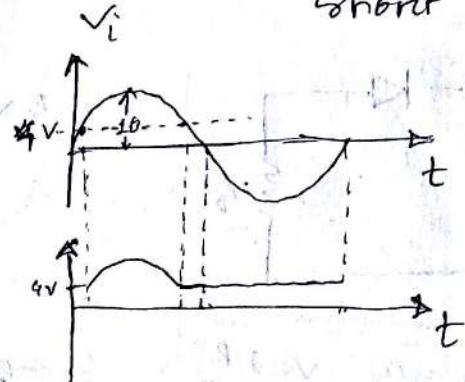
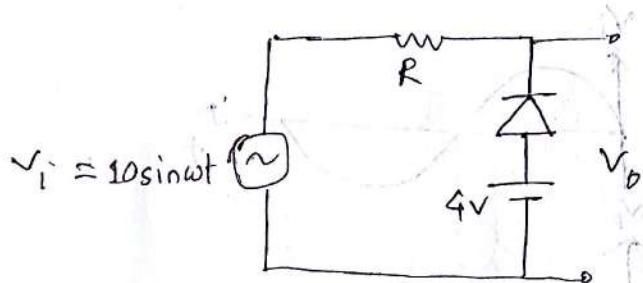
(a) circuit input

distort एवं बदले करने वाली किंतु उपर्युक्त किट्टे के साथ, जोकि

Example: Half-wave rectifier circuit



Open ZCT Output = input
short $\Rightarrow 4V$



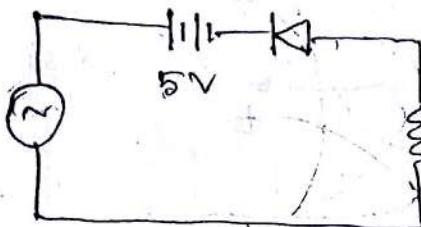
Date 17/4/2016

3(D)-Day

Input = Output

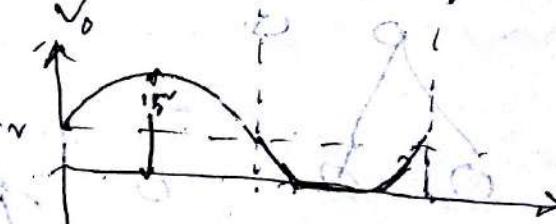
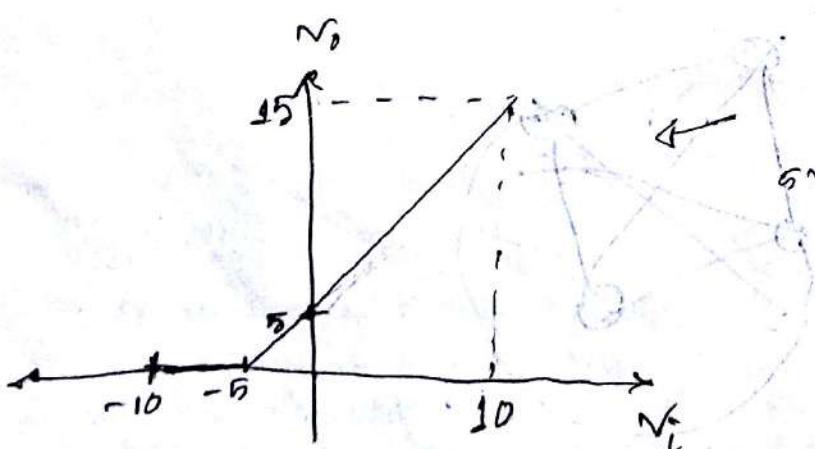
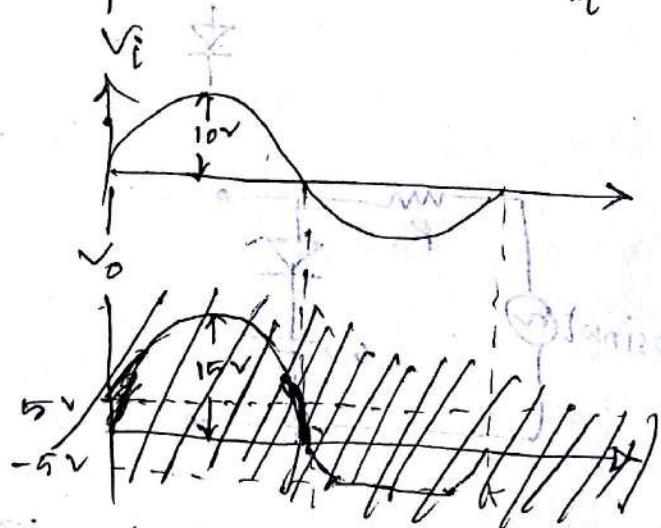
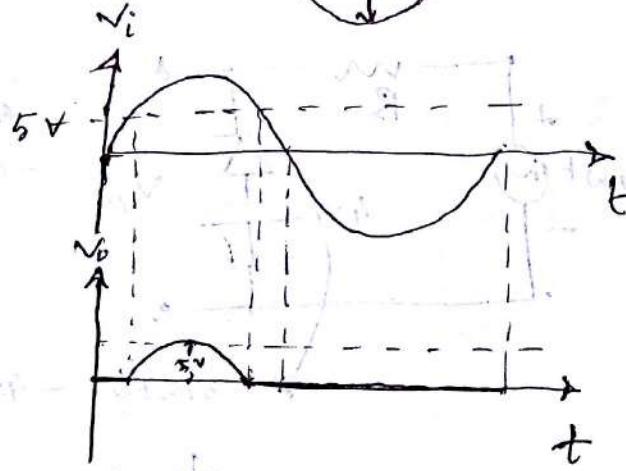
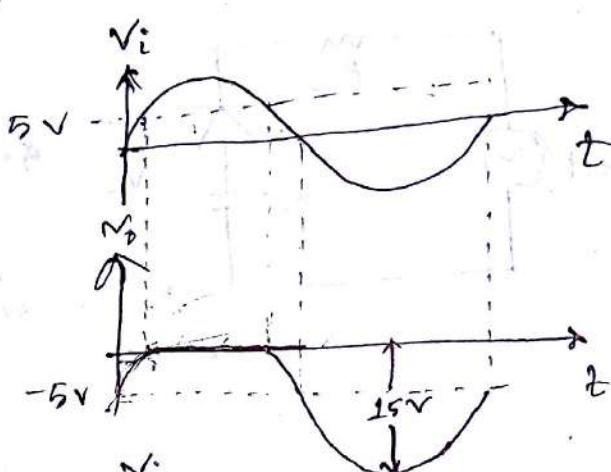
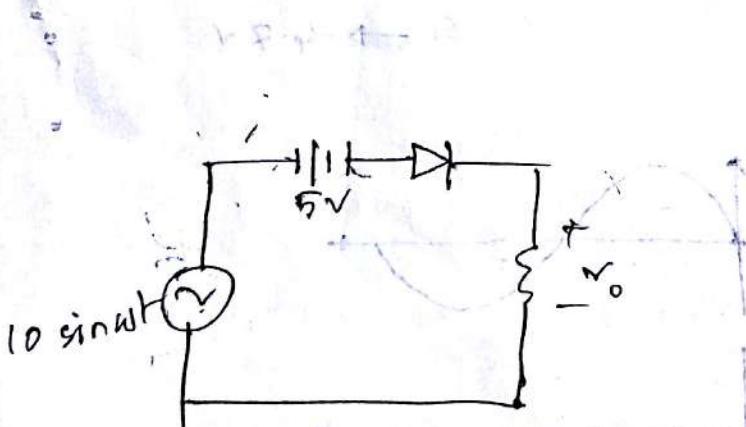
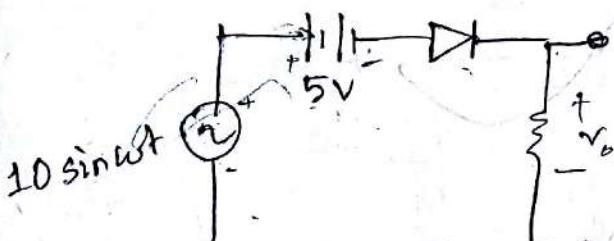
V_o = V_i

10 sinwt

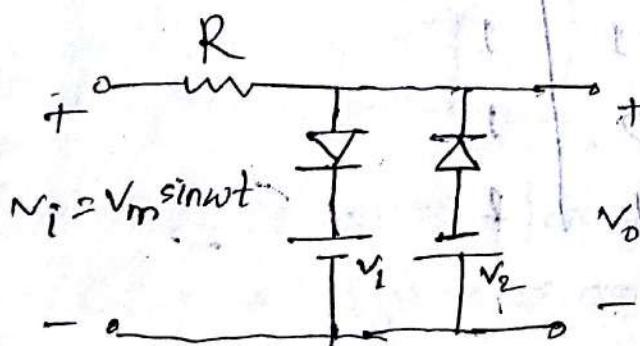
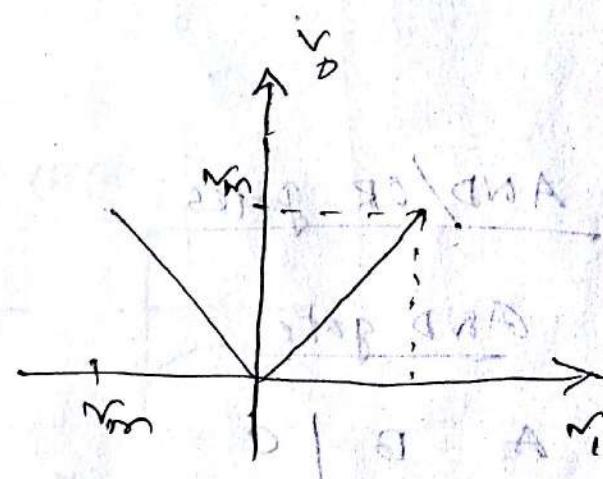
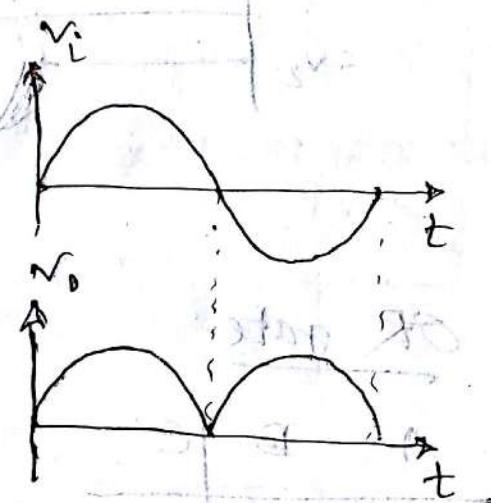
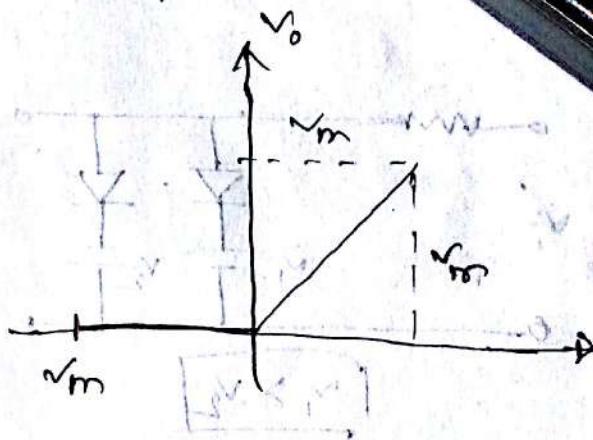
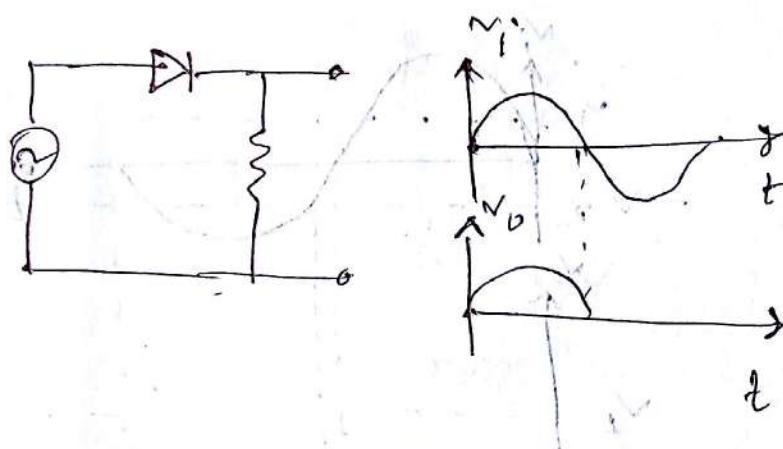


$$5 - 3 \cdot 5 = V_o = 0 \quad V_o = \frac{5}{20} \cdot R$$

$$V_o = -5$$



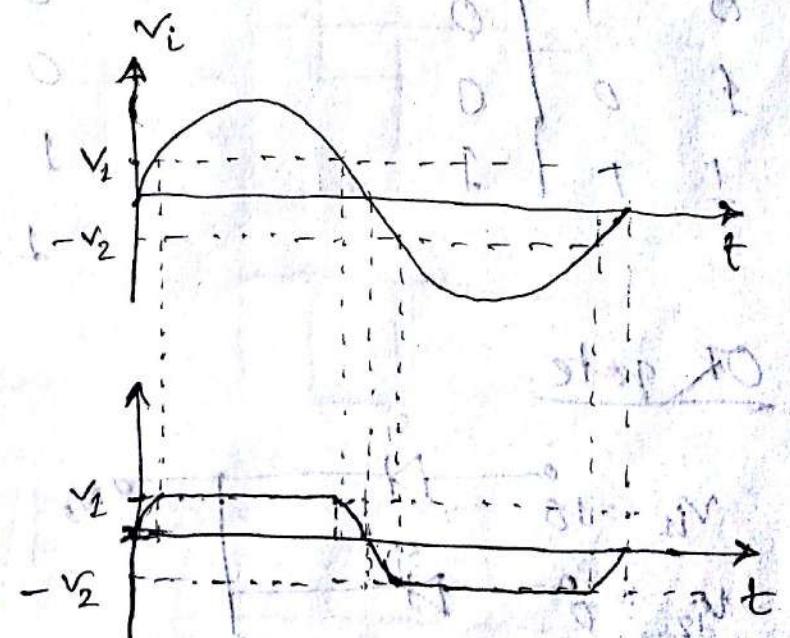
Input-output characteristic curve:



$$|V_m| > |V_1|$$

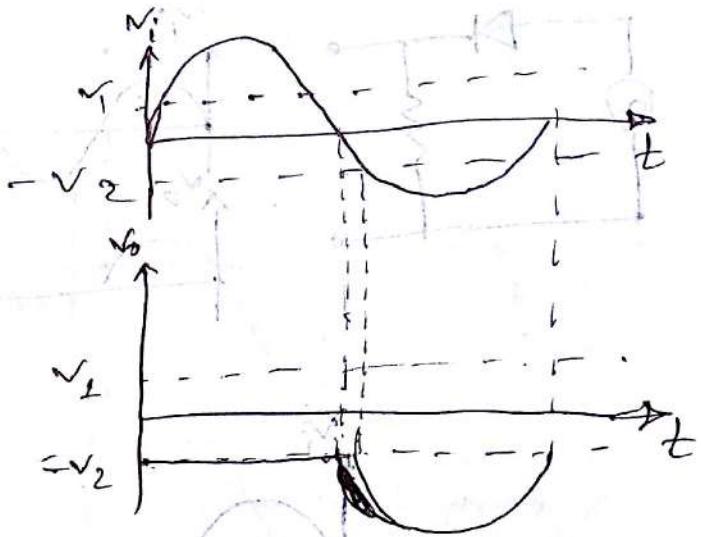
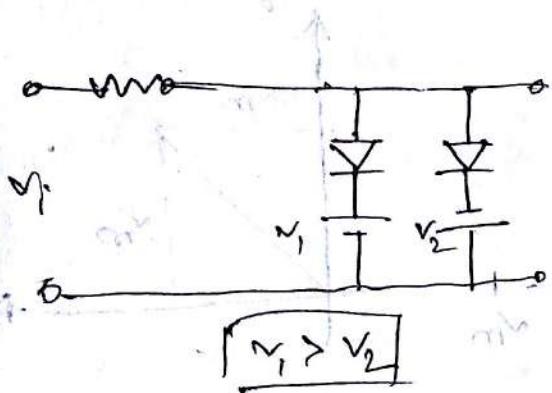
$$|V_m| > |V_2|$$

then $V_2 < V_1$
some $\alpha > 0$



3(E) - Day

Date: 18/4/2016



AND/OR gates

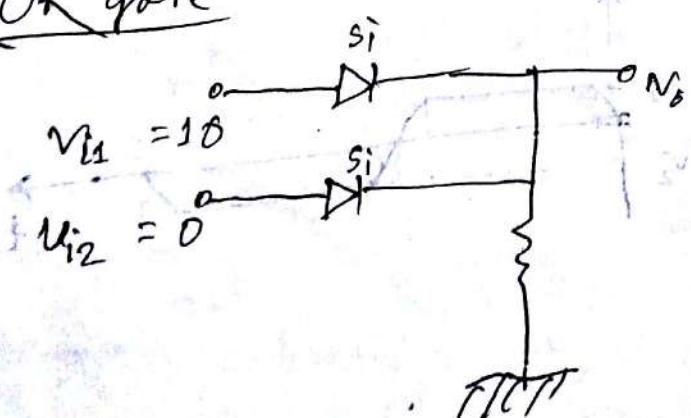
AND gate

A	B	C
0	0	0
0	1	0
1	0	0
1	1	1

OR gate

A	B	C
0	0	0
0	1	1
1	0	1
1	1	1

OR gate

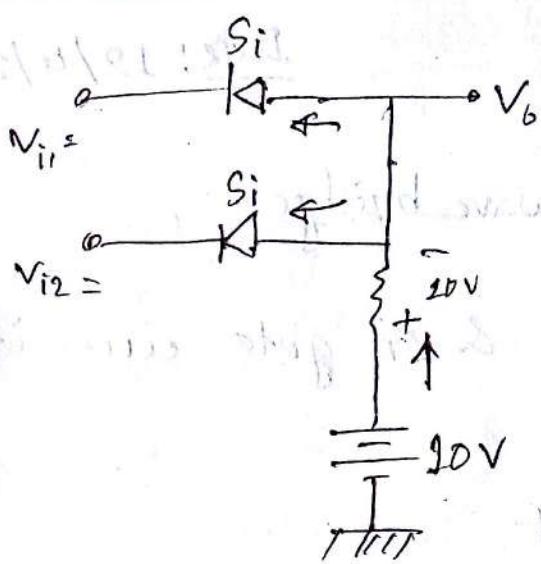


$$V_o = 9.8 \text{ volt}$$

$$V_{i1} = 10 \rightarrow V_{i2} = 0$$

$$10 - 0 = \text{same}$$

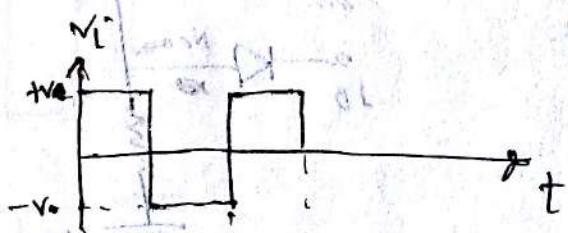
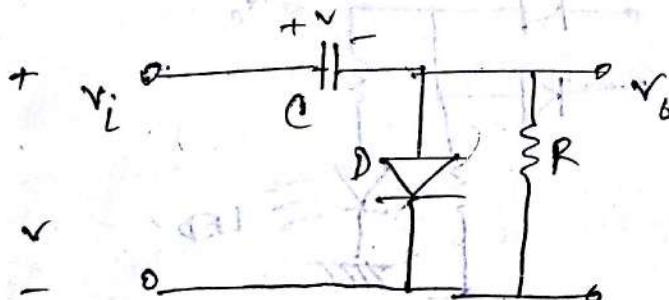
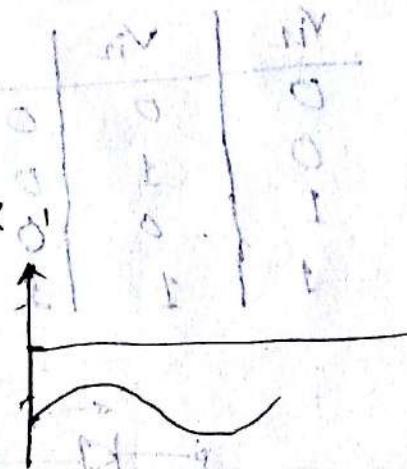
work (work)
work (work)



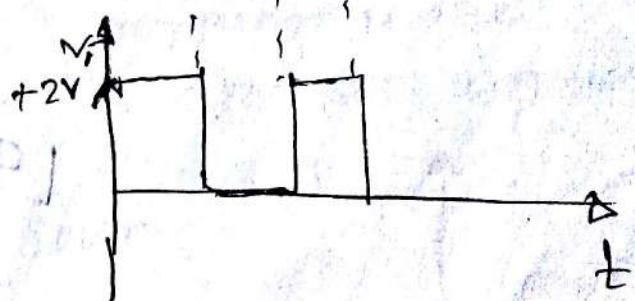
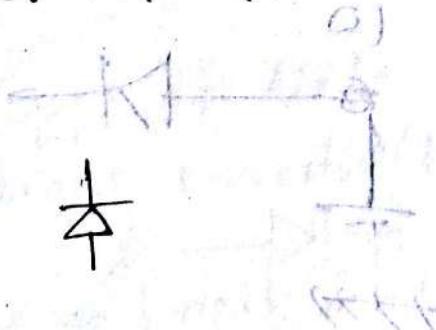
$\frac{V_{i1}}{V_o}$	$\frac{V_{i2}}{V_o}$	$\frac{V_o}{V_o}$
0	0	0
10	0	10
0	10	10
10	10	10

Clampers:

DC level কেন্দ্ৰীয় বা নিচে স্থিত দৃব্য



* Diode to অভিয়ন্তা forward
bias a 2V. কাম্প কো (G)
2C1



4(A)-Day

Date: 19/4/2016

LAD

Experiment 2: Study of a full wave bridge

Exp: 2: Study of AND gate & OR gate circuit.

AND gate

V_{i1}	V_{i2}	V_o
0	0	0
0	1	0
1	0	0
1	1	1

OR gate

10V

V_{i1}

V_{i2}

10V

V_o

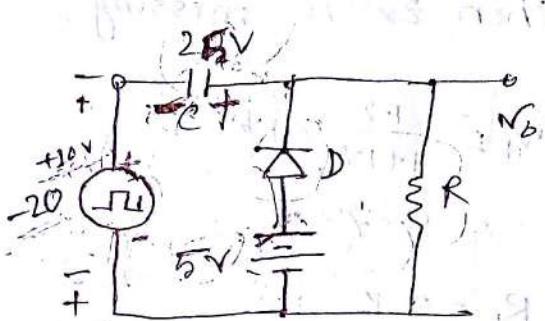
R

10V

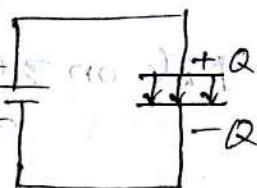
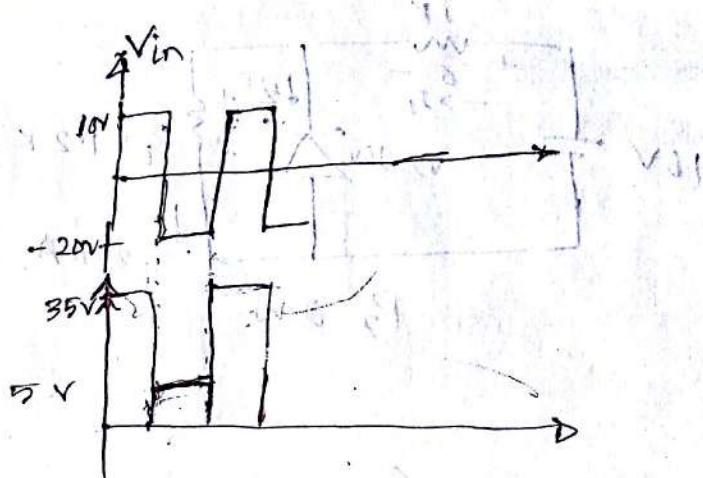
V_o

10V

</

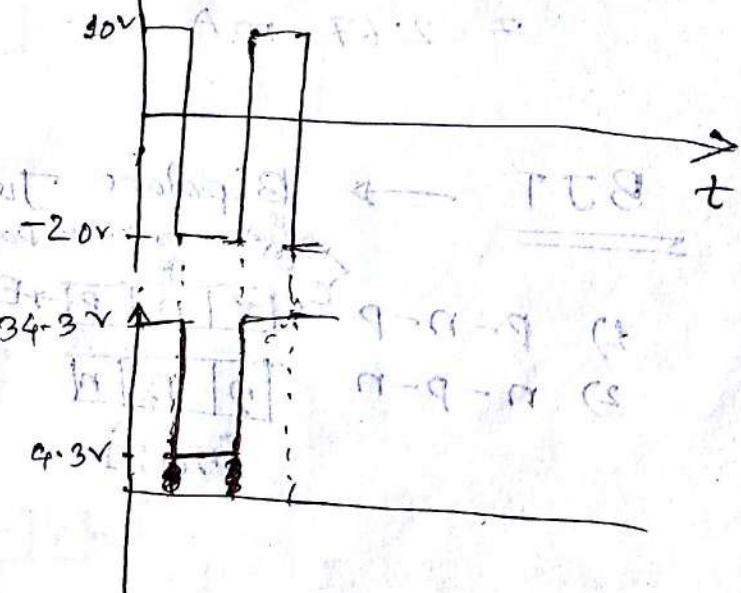


$$\begin{aligned} +5 - 20 + V_{out} &= 0 \\ +5 - 20 + 15 &= 0 \\ V_{out} &= 5V \end{aligned}$$



reference point omitted
DC voltage balanced

V_{avg}



$$(20 \div 5 + 0.7)V = -24.3V$$

$$(10 + 24.3)V = 34.3V$$

Zener diode

Special type of diode \rightarrow stopping more

Zener diode reverse bias a করে রাখতে এবং উপর ব্যবহার করা হয়।

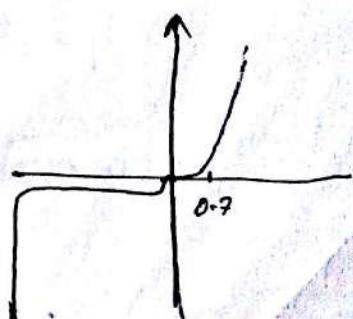
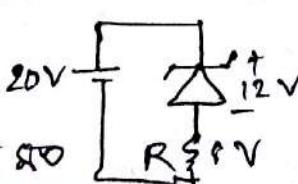


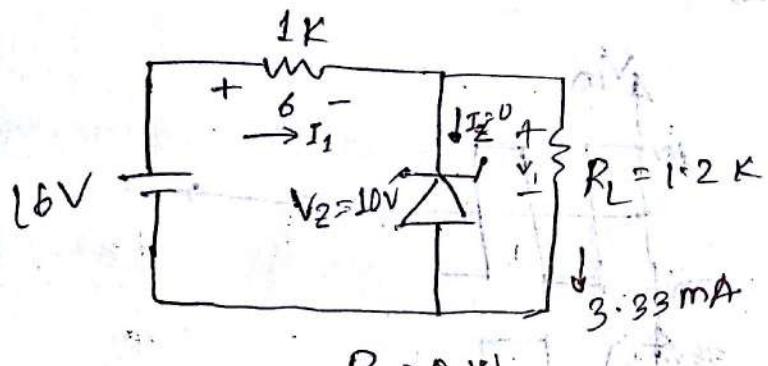
Normal diode \rightarrow break diode down
voltage এ আধা আগেই পুরু হবে।

But, Zener diode পুরু হবে না।

একটি Fixed voltage output

এবং ফর্বার বিশেষ নম্বর দিয়ে এবং সুন্দর করা হয়।





When z_0 is missing.

$$V_1 = \frac{1.2}{1+1.2} \times 16$$

$$= 8.73 \text{ V}$$

if $R_L = 3 \text{ k}\Omega$

$$V_1 = \frac{3}{1+3} \times 16$$

$$= 12 \text{ V}$$

Diode on $z_0 = 1.5 \Omega$,

$$V_1 = 10 \text{ V} \quad | \neq 12 \text{ V}$$

$$I_1 = \frac{6}{1\text{k}}$$

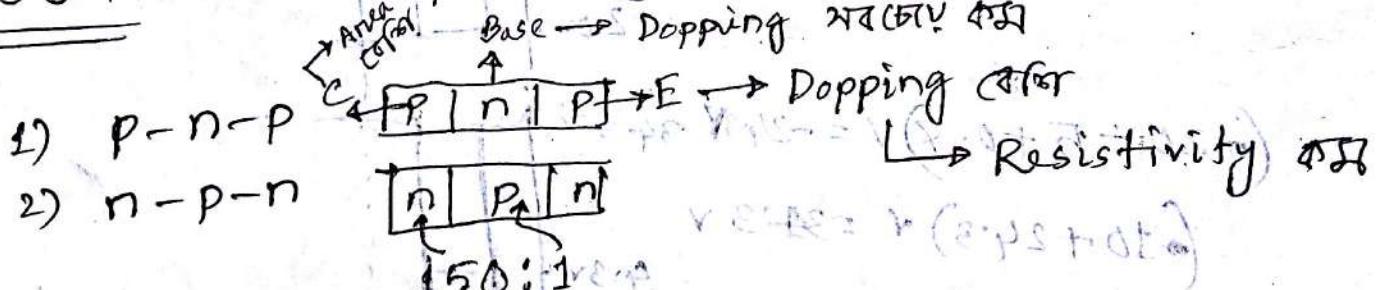
$$= 6 \text{ mA}$$

$$I_2 = (6 - 3.33) \text{ mA}$$

$$= 2.67 \text{ mA}$$

BJT

Bipolar Junction Transistor

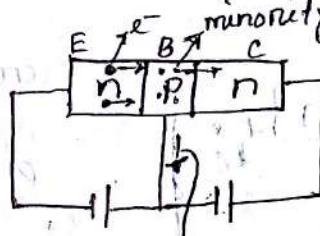
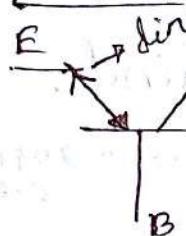


4(D)-Day

Date - 24/4/2016

n-p-n

direction of current

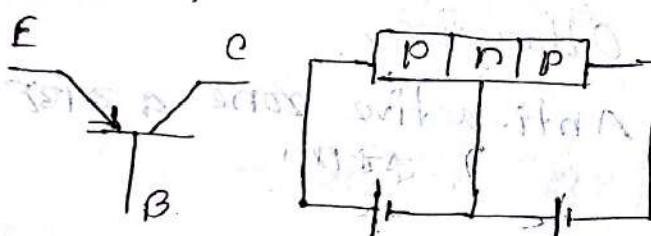


Base to collector \rightarrow

minority carriers \rightarrow current flow \rightarrow

$$I_E = I_C + I_B$$

p-n-p



E-B \rightarrow Forward bias

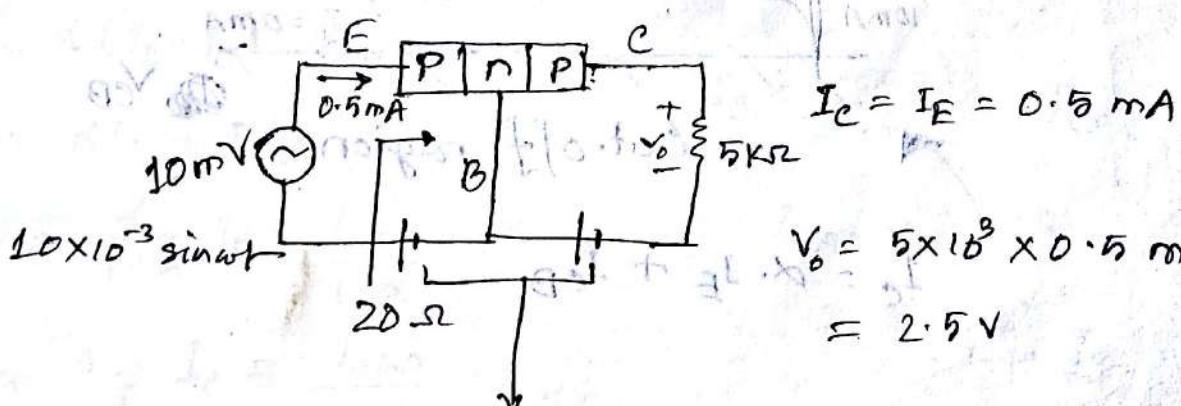
B-C \rightarrow Reverse bias

Emitter \rightarrow Collector \rightarrow

current \rightarrow same \rightarrow

Base \rightarrow minority carriers \rightarrow current flow \rightarrow

Transistor Amplifying Action:



1. Common Base configuration First a DC supply \rightarrow
2. " " Emitter "
3. " " Collector "

diodes/BJT - 2nd

part - C 10

transistor with

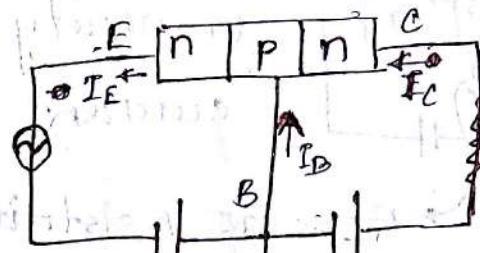
10-9 10

Common Base Configuration:

A variation of Small

BJT configuration

BJT config.



Current gained -

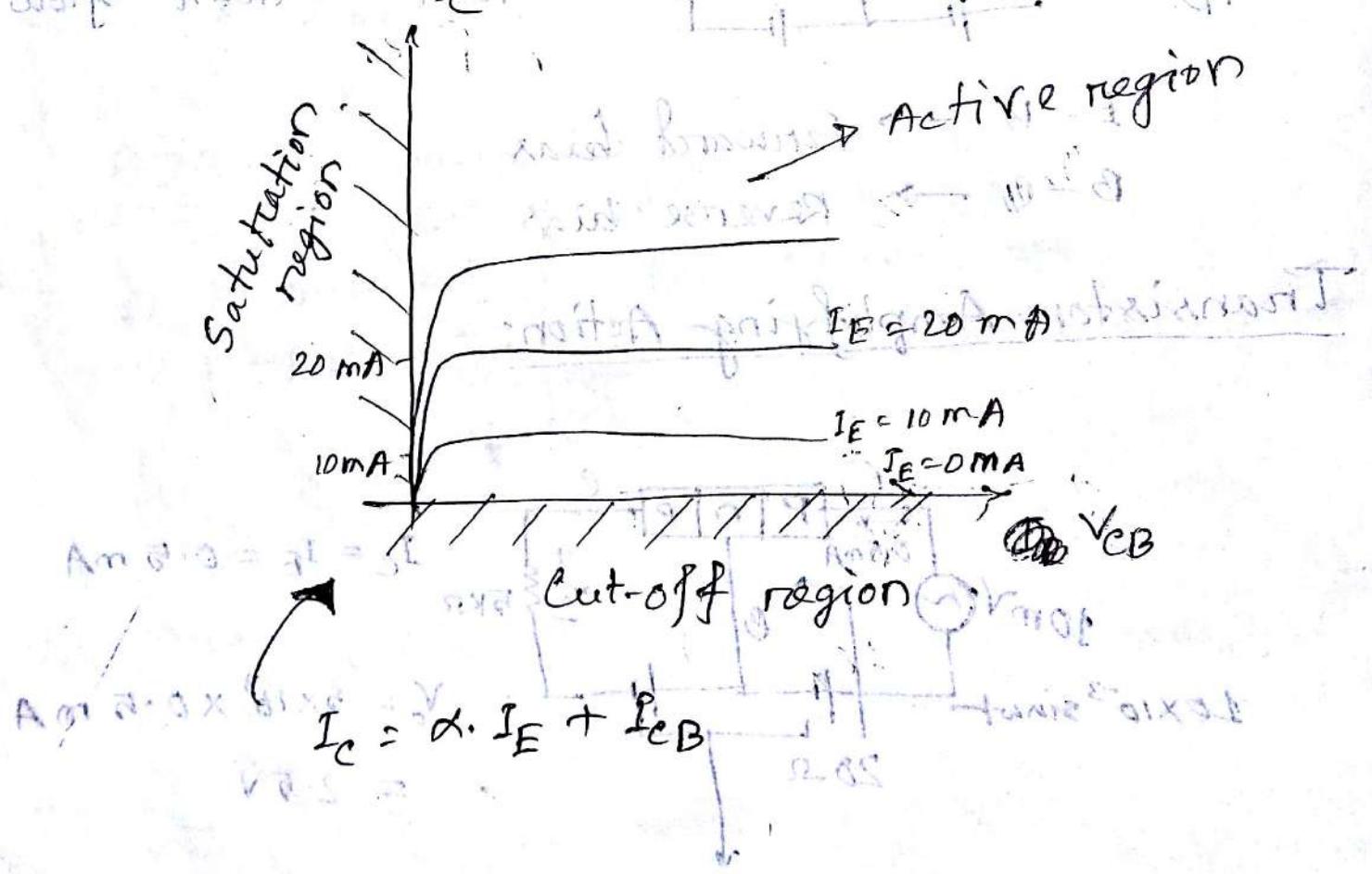
$$\alpha = \frac{I_C}{I_E} \approx 0.99 \text{ to } 0.994$$

E-B \rightarrow Forward }
B-C \rightarrow Reverse }

Active region \rightarrow ZTF

Otherwise,
Anti-active zone \rightarrow ZTF

at P



$$I_C = \alpha \cdot I_E + I_{CBO}$$

2.65

Collector AC current & minority flow 200 mA.

→ Emitter for free e^- to QJ (n-p-n)

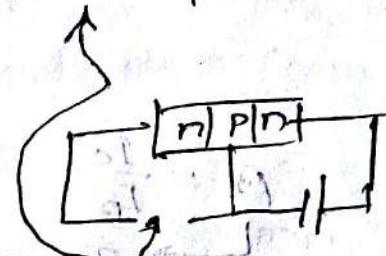
→ collector to FCQ? minority carrier to QJ

QJ

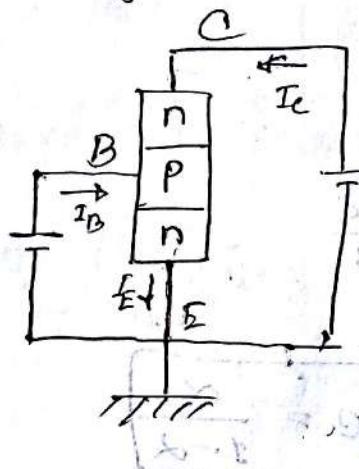
$$I_C = \alpha I_E + I_{CBO}$$

$I_E = 0$ → Base current open

$$I_C = I_{CBO}$$



Common emitter configuration:-



Current gained,

$$\beta = \frac{I_C}{I_B}$$

$$I_C = \frac{I_{CBO}}{1-\alpha} = I_{CEO}$$

$$I_{CBO} = 1 \text{ mA} \quad [I_B = 0]$$

$$I_C = \frac{1 \text{ mA}}{1 - 0.99} = 0.1 \text{ mA}$$

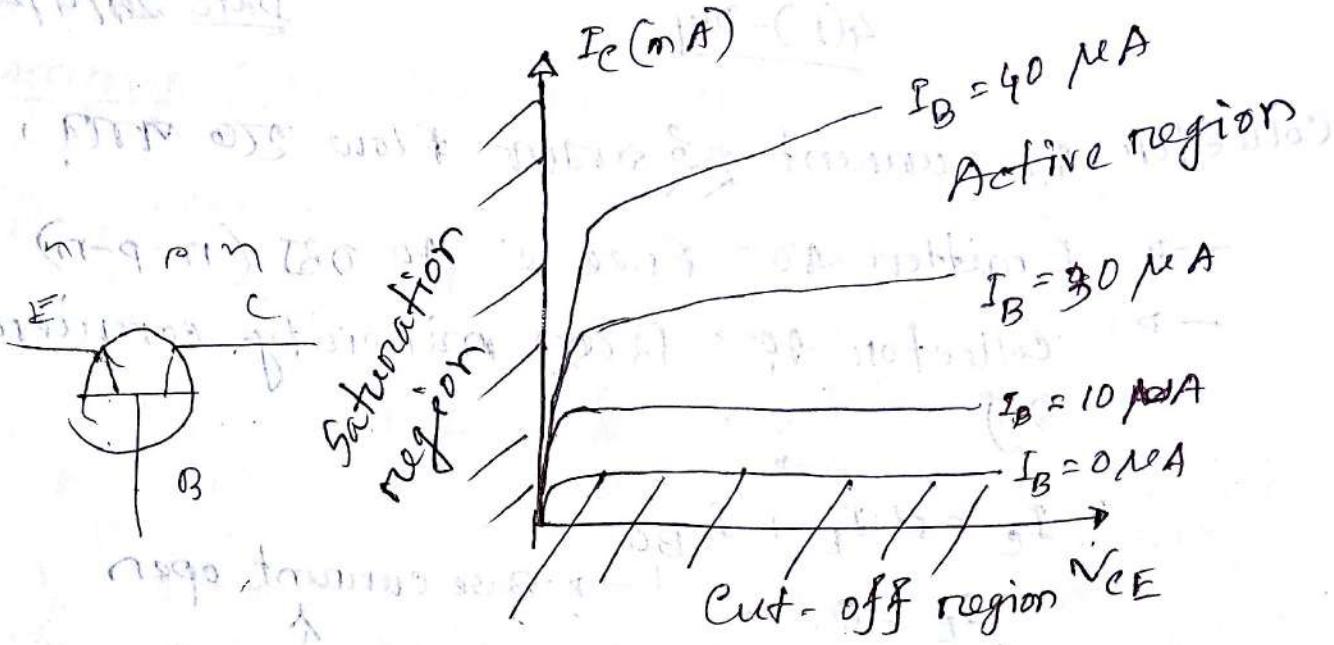
$$I_C = \alpha \cdot I_E + I_{CBO}$$

$$= \alpha (I_B + I_C) + I_{CBO}$$

$$(1-\alpha) I_C = \alpha I_B + I_{CBO}$$

$$\Rightarrow I_C = \frac{\alpha}{1-\alpha} I_B + \frac{I_{CBO}}{1-\alpha}$$

$I_B = 0$, $I_C = \frac{I_{CBO}}{1-\alpha} \rightarrow$ minority carrier QJ current flow 20



$$\beta = \frac{I_c}{I_b}$$

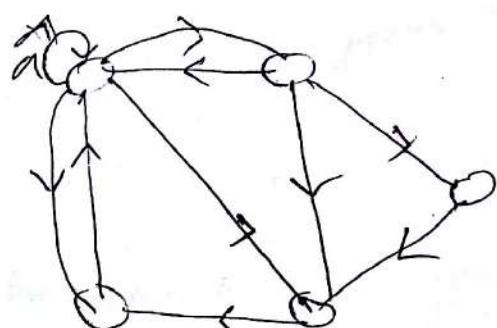
Temperature dependent

$$I_E = I_c + I_b$$

$$\Rightarrow \frac{I_c}{\alpha} = I_c + \frac{I_c}{\beta}$$

$$\Rightarrow \frac{1}{\alpha} = 1 + \frac{1}{\beta}$$

$$\boxed{\alpha = \frac{\beta}{\beta+1} \cdot \beta = \frac{\alpha}{1-\alpha}}$$



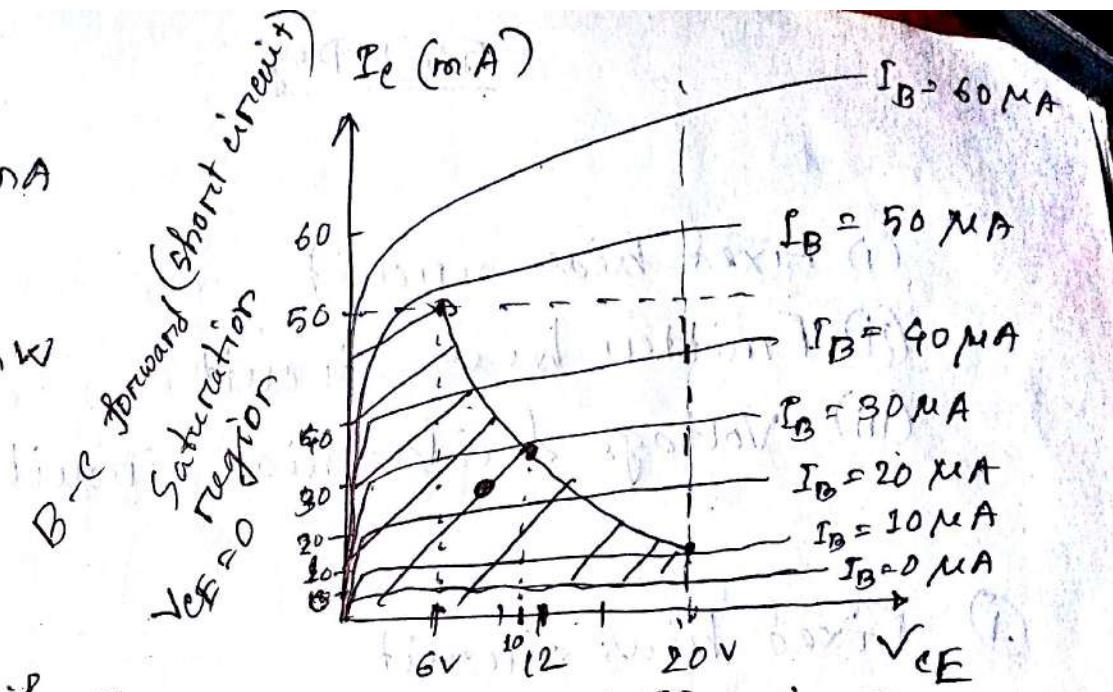
$$\bar{a}(2)(g_1 + g_2) h =$$

$$I_{C\max} = 50 \text{ mA}$$

$$V_{CE\max} = 20 \text{ V}$$

$$P_{\max} = 300 \text{ mW}$$

$$\begin{aligned} P &= I_e \cdot V_{CE} \\ &= 50 \times 6 \\ &= 300 \text{ mW} \end{aligned}$$



$$\text{if } I_c = 50 \text{ mA}$$

$$V_{CE} = 6 \text{ V}$$

$$\text{if } V_{CE} = 20 \text{ V}$$

$$I_c = 15 \text{ mA}$$

cutoff region (open circuit)

$$\text{if } V_{CE} = 10 \text{ V}$$

$$I_c = 30 \text{ mA}$$

$$I_c = \beta I_B$$

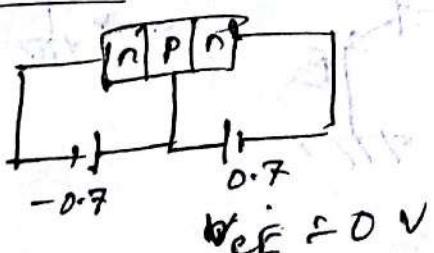
* DC is mainly used for selecting operating point.

$$\begin{aligned} I_E &= I_B + I_C = (1+\beta) I_B \\ &\quad = \beta I_B \end{aligned}$$

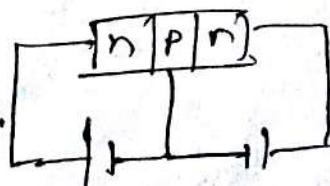
$$V_{BE} = 0.7 \text{ V}$$

$$I_c = I_E$$

Saturation



Cut-off



(i) Fixed bias circuit

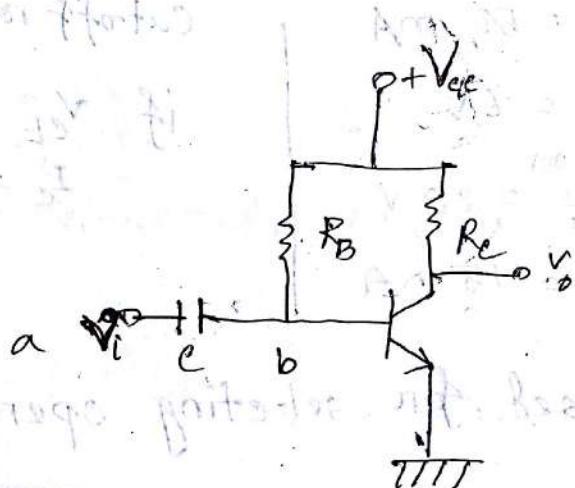
\downarrow stability

(ii) Emitter bias circuit

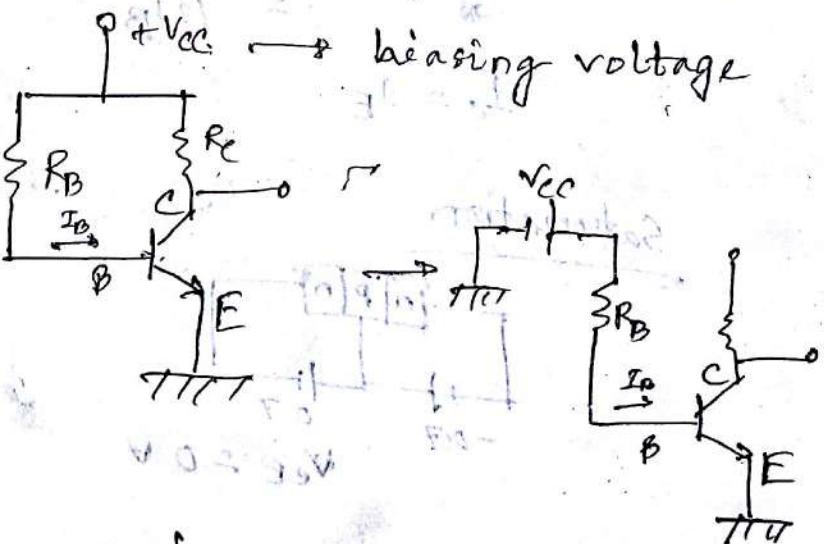
\downarrow more stable

(iii) Voltage divider bias circuit

① Fixed bias circuit



DC \leftrightarrow Capacitor open. So, ab part is missing.



$$-V_{CC} + I_B R_B + V_{BE} = 0$$

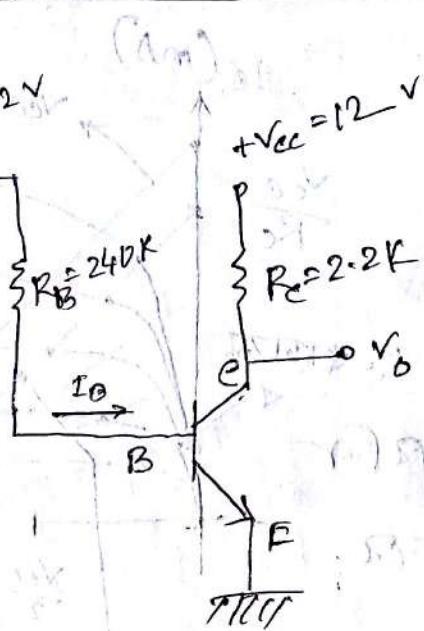
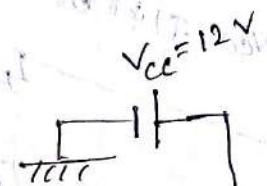
$$I_B = \frac{V_{CC} - V_{BE}}{R_B}$$

$$I_C = \beta I_B$$

$$-V_{CC} + I_C R_E + V_{CE} = 0$$

$$\Rightarrow V_{CE} = V_{CC} - I_C R_E$$

H.W



Find the operating point.

$$V_b = V_{cc}$$

$$I_B = 0$$

$$I_C = \beta I_B = 0$$

$$-V_{ce} + I_B R_B + V_{BE} = 0$$

$$\Rightarrow I_B = \frac{V_{cc} - V_{BE}}{R_B}$$

$$= \frac{12 - 0.2}{240k}$$

$$= 47.08 \mu A$$

I_B ($\propto \beta$) vs Effect (2)

So, $\beta = 50$ or $\beta = 100$

I_B same.

when $\beta = 50$

$$I_C = \beta I_B = 2.35 \text{ mA}$$

$$V_{CE} = V_{cc} - I_C R_C$$

$$= 12 - I_C \times 2.2k$$

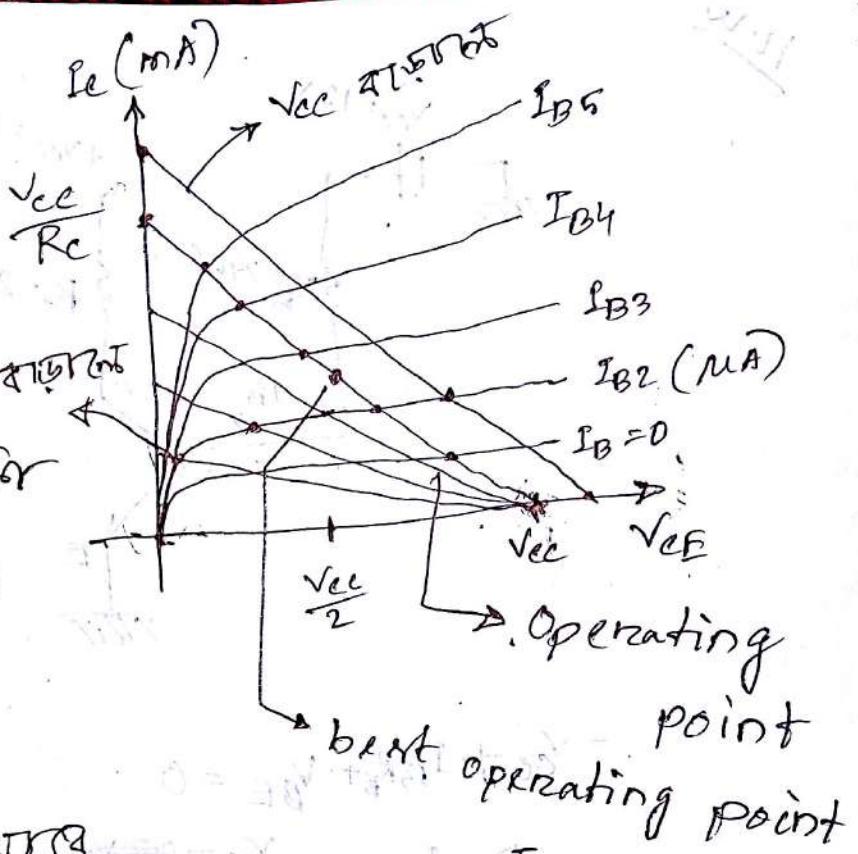
$$= 6.83 \text{ V}$$

$$\beta = 100$$

$$I_C = 4.71 \text{ mA}$$

$$V_{CE} = 1.64 \text{ V}$$

Temp \uparrow $\beta \uparrow$



R_B এর মান ক্ষেত্রে

কিন্তু I_B পরি পরি পরি

$$I_B = \frac{V_{CC} - V_{BE}}{R_B}$$

$$20 \text{ mA}, \frac{V_{CC}}{2} \text{ হলো } 25 \text{ V}$$

$$I_B = 15 \text{ mA. } 25 \text{ mA}$$

$$\frac{V_{CC}}{2} \text{ হলো } 25 \text{ V}$$

CT \rightarrow

clippers-clampers সম্বন্ধে

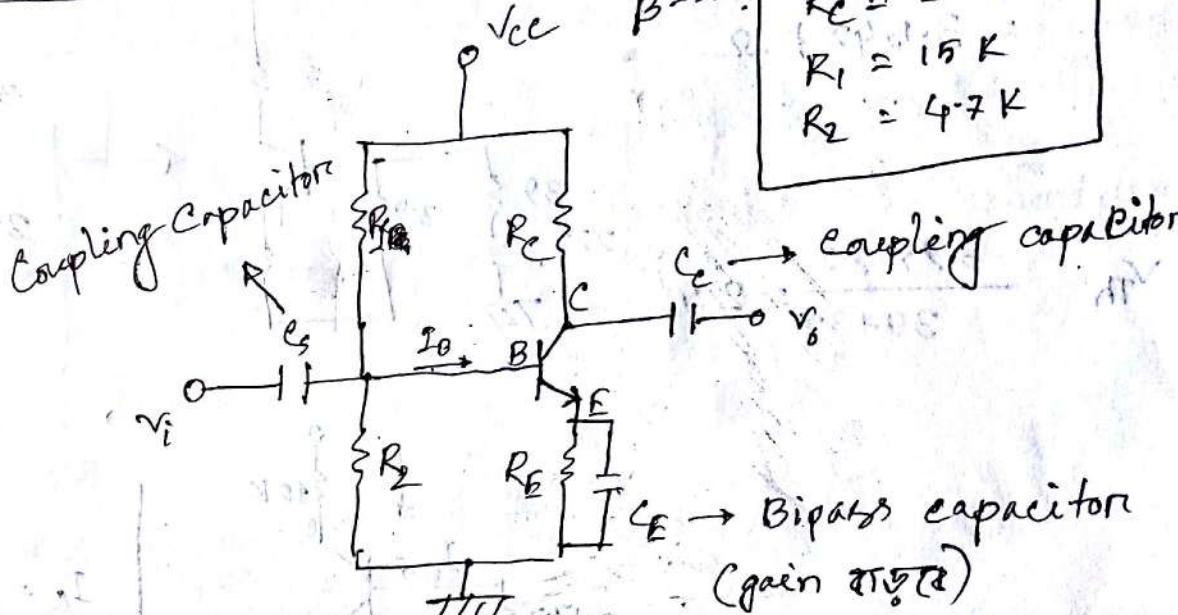
* Emitter bias করে নিতে হবে

$$A_{FE} = 1$$

Date 3/5/2016

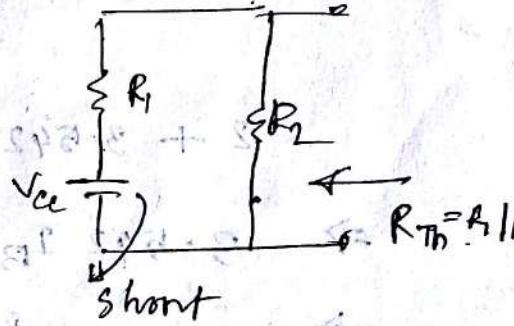
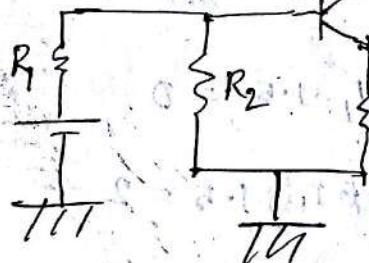
$V_{CC} = +12V$
 $R_E = 1k\Omega$
 $R_C = 2.2k\Omega$
 $R_1 = 15k\Omega$
 $R_2 = 4.7k\Omega$

Voltage divider bias

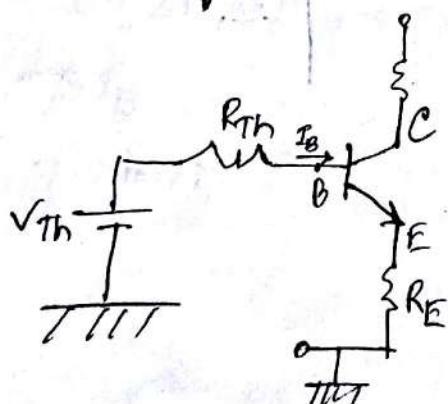


$$V_{CE} = V_{CC} - I_C R_E - I_E R_E \quad | \quad I_E \approx I_C$$

$$= V_{CC} - I_C (R_E + R_E) \quad | \quad (R_E + R_E)$$



$$V_{Th} = \frac{R_2}{R_1 + R_2} \times V_{CC}$$



$$I_C = \beta I_B$$

$$-V_{CC} + I_C R_E + V_{CE} + I_E R_E = 0$$

$$\therefore V_{CE} = I_C R_E + V_{CC} - I_E R_E$$

Using KVL,

$$-V_{Th} + I_B R_{Th} + V_{BE} + I_E R_E = 0$$

$$\Rightarrow I_B R_{Th} + I_E R_E = V_{Th} - V_{BE}$$

$$\Rightarrow I_B R_{Th} + (1+\beta) I_B^2 R_E = V_{Th} - V_{BE}$$

$$\Rightarrow I_B = \frac{V_{Th} - V_{BE}}{R_{Th} + (1+\beta) R_E}$$

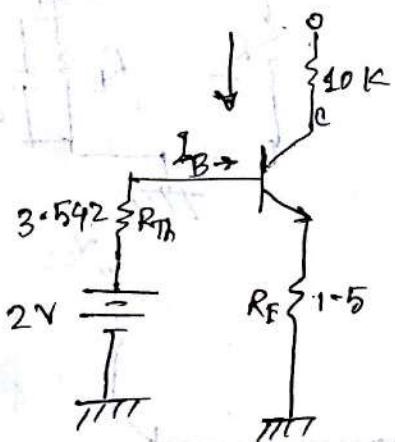
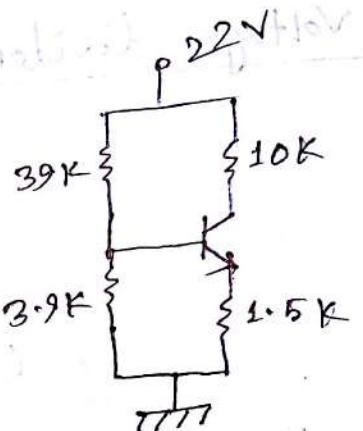
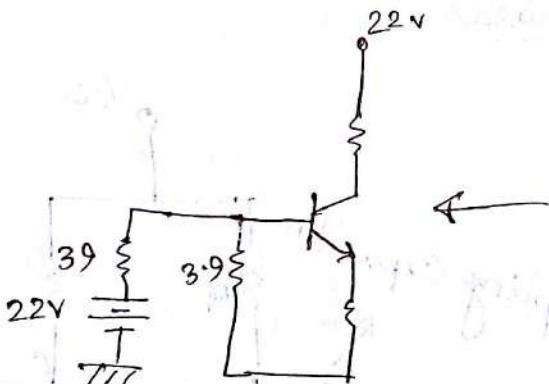
$I_C = \beta I_B$
$I_B = I_C + I_B$
$E(1+\beta) I_B$

6(B)-Day

Date: 7/5/2016

$$R_{Th} = 3.9K + 39K \\ = 3.542 K\Omega$$

$$V_{Th} = \frac{3.9 \times 22}{39+3.9} = 2V$$



$$-2 + 3.542 I_B + I_E \cdot 1.5 = 0$$

$$\Rightarrow 3.542 I_B + \cancel{B I_B} \cdot 1.5 = 2$$

$$\Rightarrow I_B = \frac{2 - 0.2}{(3.542 + 50 \times 1.5) \times 10^3}$$

$$= 16.24 \mu A$$

$$I_c = B I_B = 50 \times 16.24 \mu A \\ = 0.812 mA$$

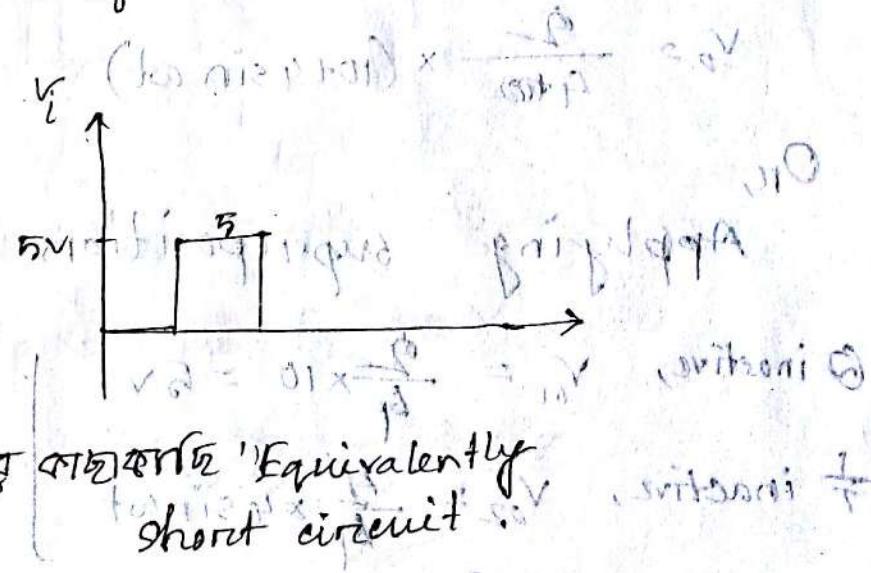
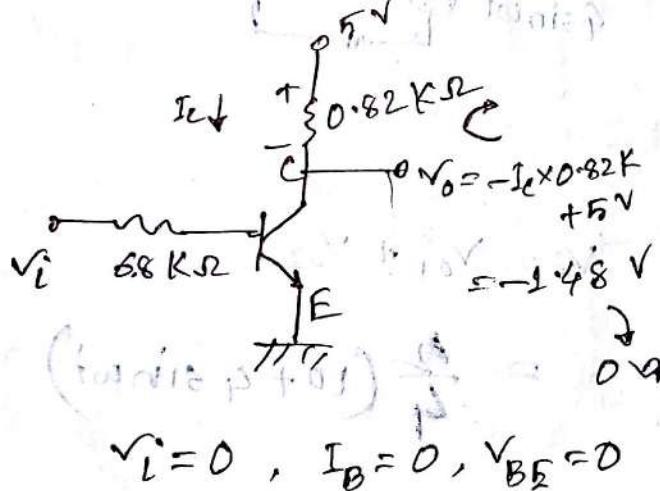
$$10K \times I_c = 22 + V_{CE} + 1.5K \times 0.812$$

$$\Rightarrow V_{CE} = 22 - (10 + 1.5) \times 10^3 \times 0.812 \\ = 12.66V$$

Transistor switching network:

Saturation region \rightarrow short circuit

Cut-off region \rightarrow open circuit



That means short circuit

$$V_i = 5, \quad \beta = 125$$

$$-5 + 6.8K \times I_B + 0.2 = 0$$

$$\Rightarrow I_B = 63.23 \text{ mA}$$

$$I_C = \beta I_B$$

$$= 7.9 \text{ mA}$$



BJT AC Analysis:

Bipolar \rightarrow hole and electrons both are carriers.

Total input voltage

$$10 + 4 \sin \omega t$$

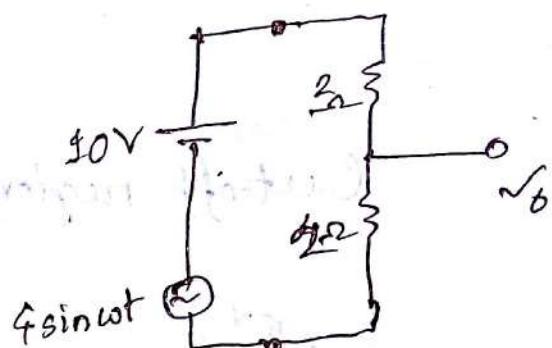
$$V_o = \frac{2}{4} \times (10 + 4 \sin \omega t)$$

Or,

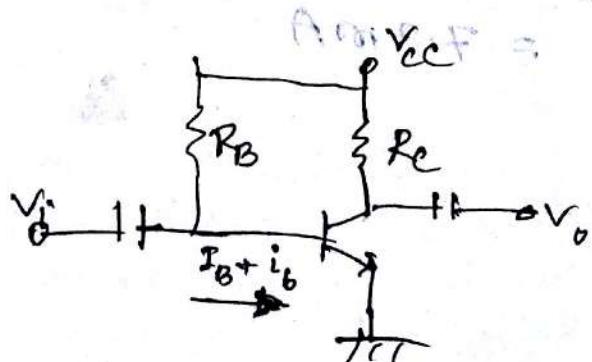
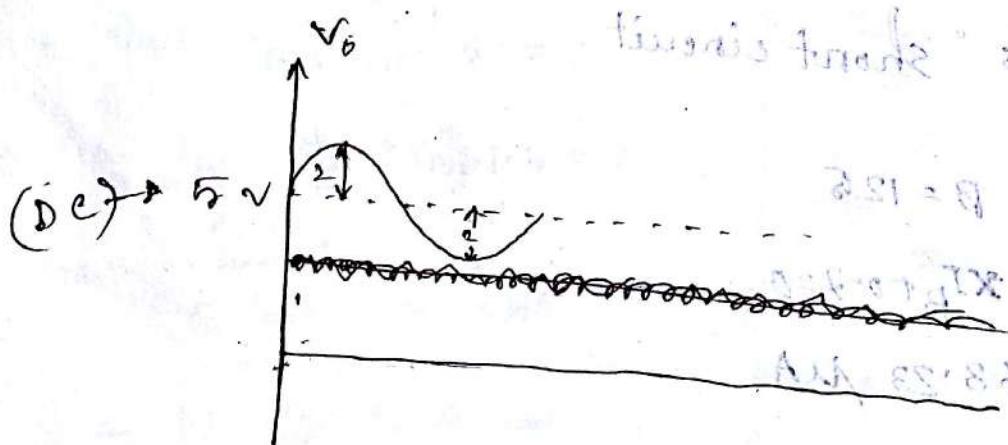
Applying superposition

$$\text{@ inactive, } V_{o1} = \frac{2}{4} \times 10 = 5V$$

$$\text{if inactive, } V_{o2} = \frac{2}{4} \times 4 \sin \omega t$$

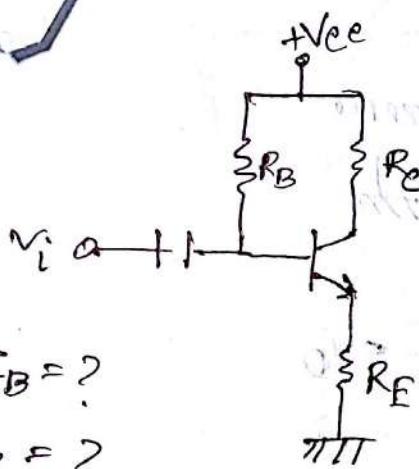


$$V_o = V_{o1} + V_{o2} = \frac{2}{4} (10 + 4 \sin \omega t)$$



6 (D)-Day

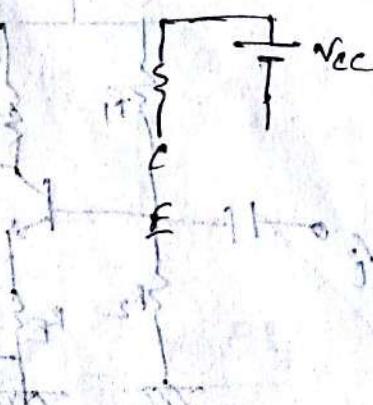
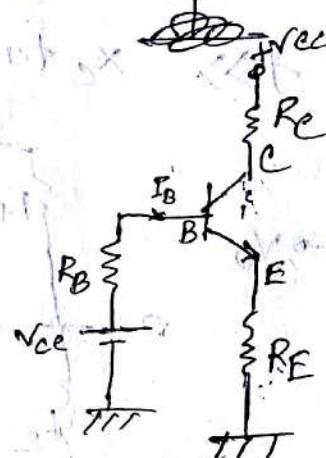
Date: 9/5/2016



$$I_B = ?$$

$$I_E = ?$$

$$V_{CE} = ?$$



$$-V_{cc} + I_B R_B + V_{BE} + I_E R_E = 0$$

$$\Rightarrow -V_{cc} + I_B R_B + \beta I_B R_E + V_{BE} = 0$$

$$\Rightarrow I_B = \frac{V_{cc} - V_{BE}}{R_B + \beta R_E}$$

$$\Rightarrow I_B (R_B + \beta R_E) = V_{cc} - V_{BE}$$

$$\therefore I_B = \frac{V_{cc} - V_{BE}}{R_B + \beta R_E}$$

$$I_C = \beta I_B$$

$$= \beta \frac{V_{cc} - V_{BE}}{R_B + \beta R_E}$$

$$+ I_E R_E - V_{cc} + I_E R_C + V_{CE} = 0$$

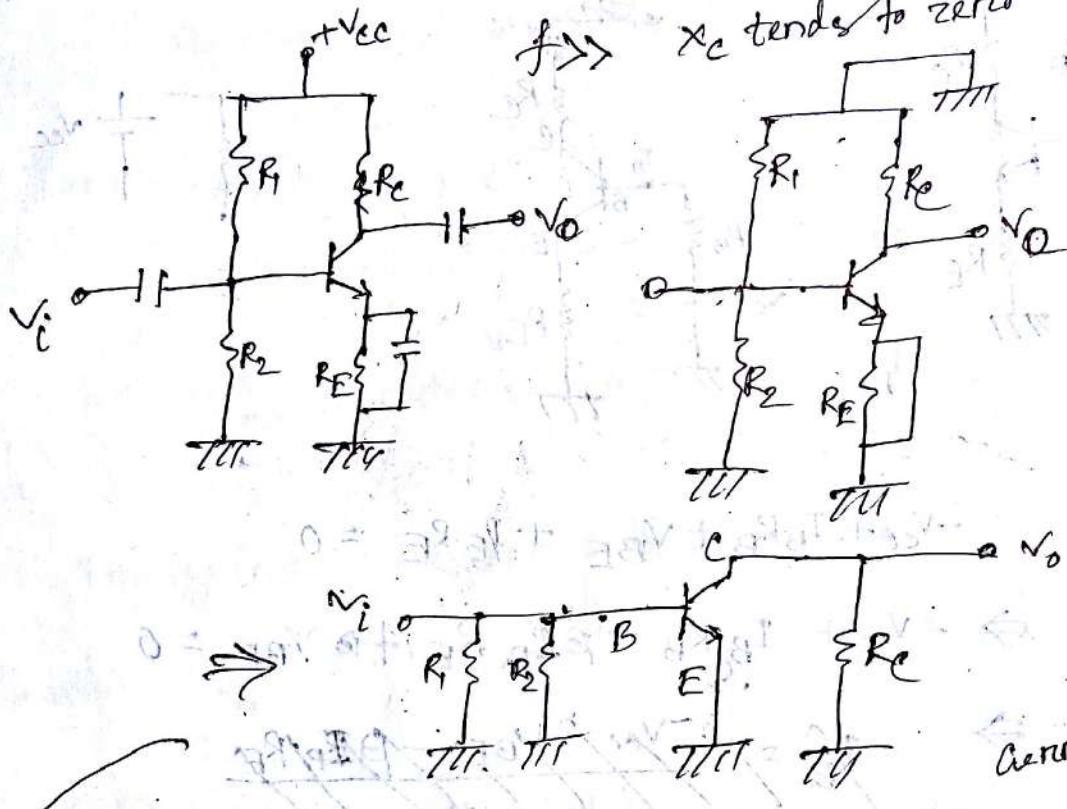
$$V_{CE} = V_{cc} - I_E R_C - R_E I_C \quad I_E \approx I_C$$

$$= V_{cc} - I_C (R_C + R_E)$$

AC Analysis:

$$X_C = \frac{1}{\omega C} = \frac{1}{2\pi f C}$$

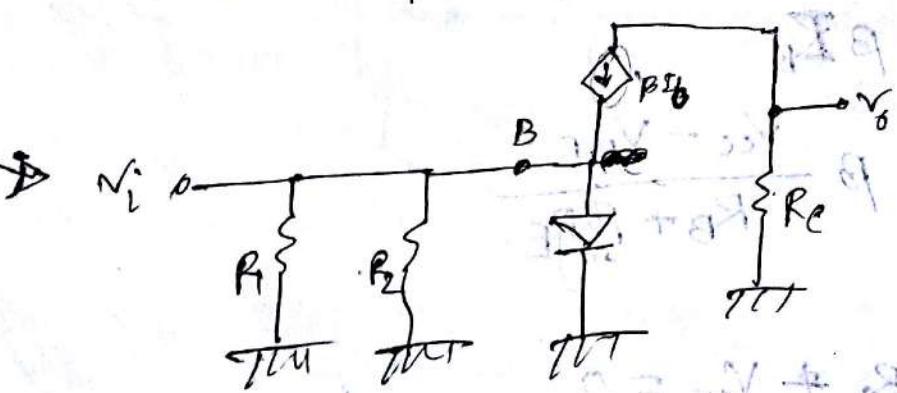
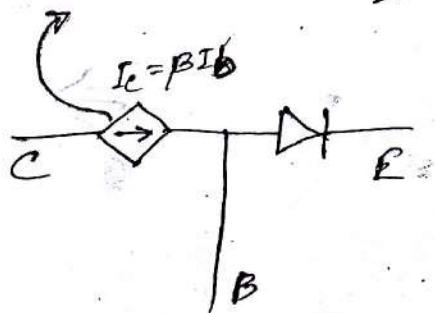
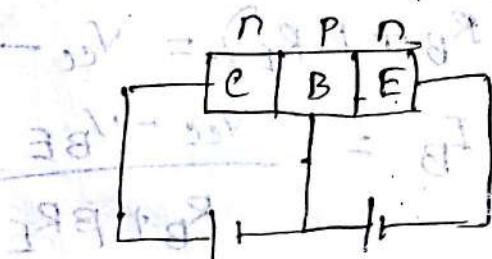
$f \gg X_C$ tends to zero



current dependent current source

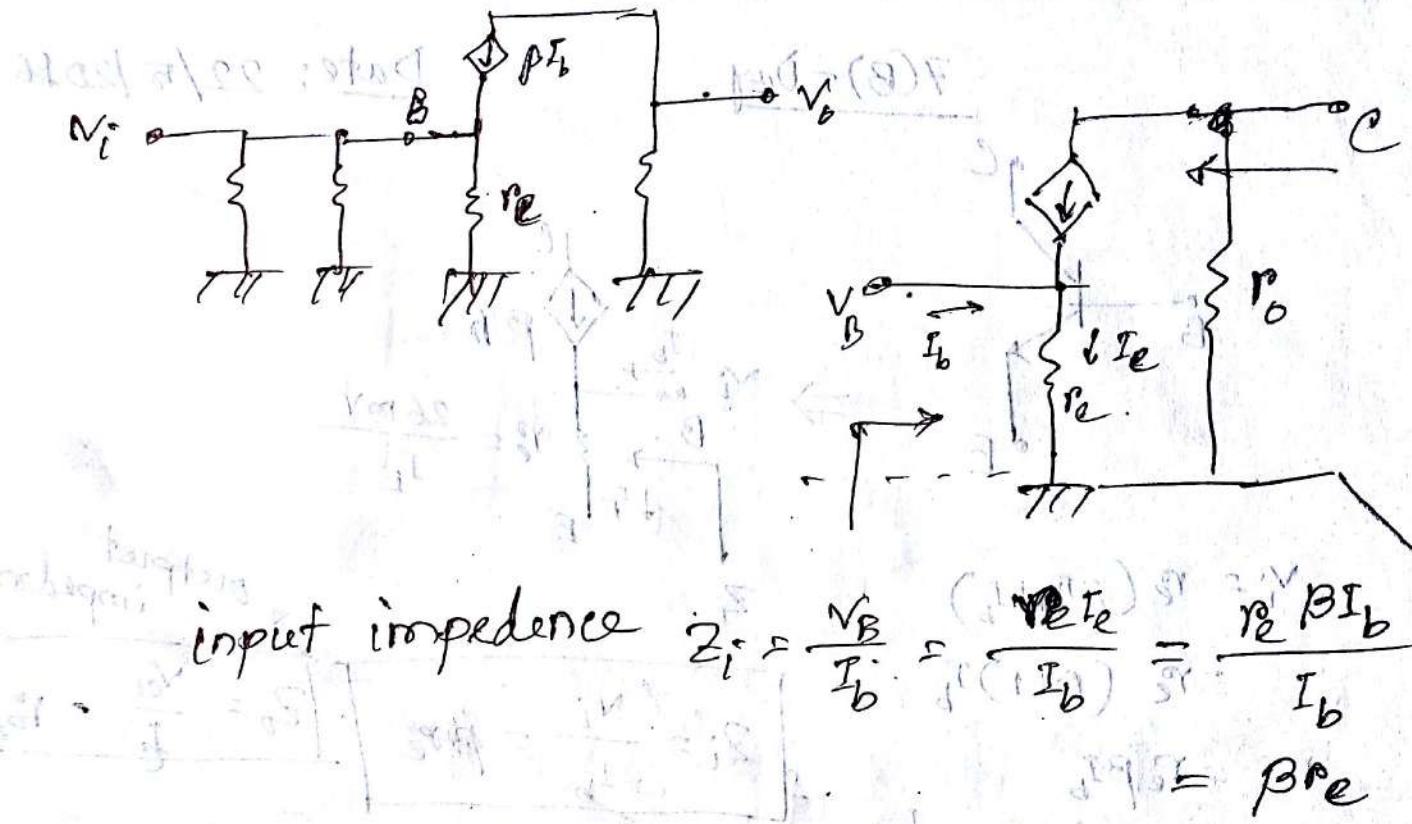
$$I_C \propto I_B$$

$$\Rightarrow I_C = \beta I_B$$

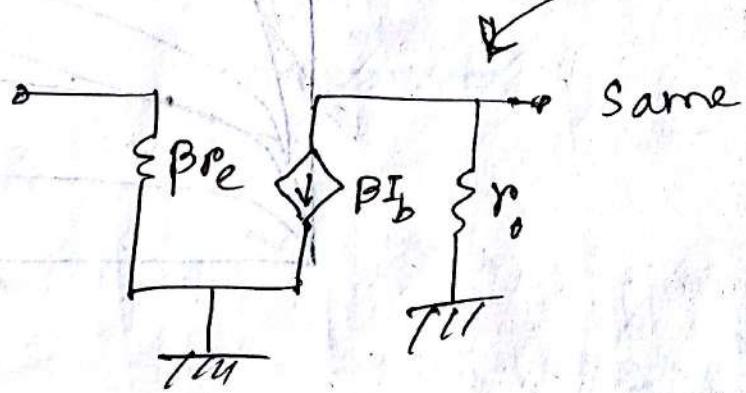


1.6. AC resistance of a diode $R_E \approx \frac{26 \text{ mV}}{I_E}$

DC Analysis \rightarrow DC biasing V_B \rightarrow DC Emitter current

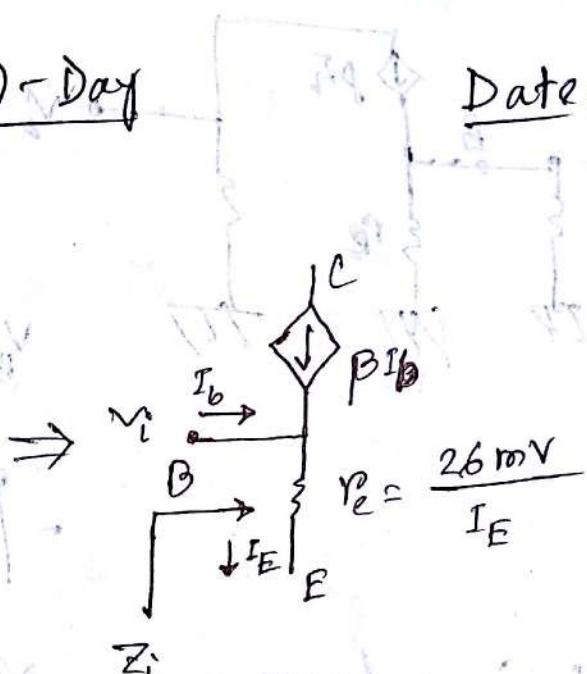
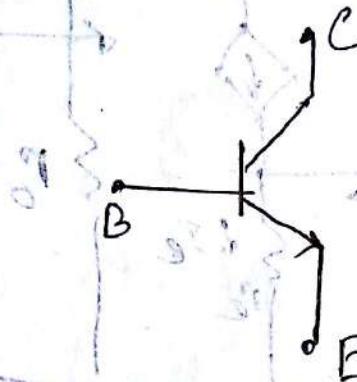


Output impedance $z_o = R_o$



7(B) - Day

Date: 22/5/2016

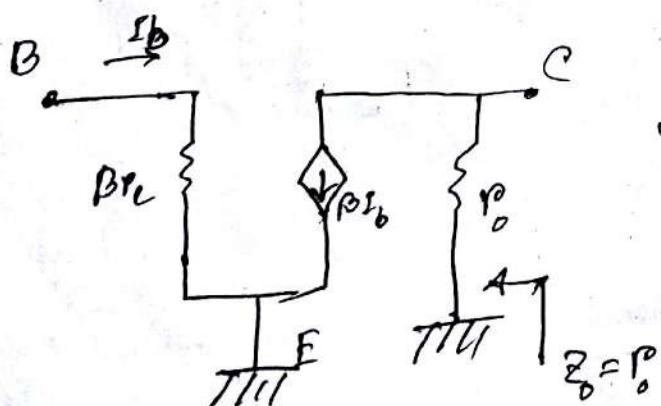
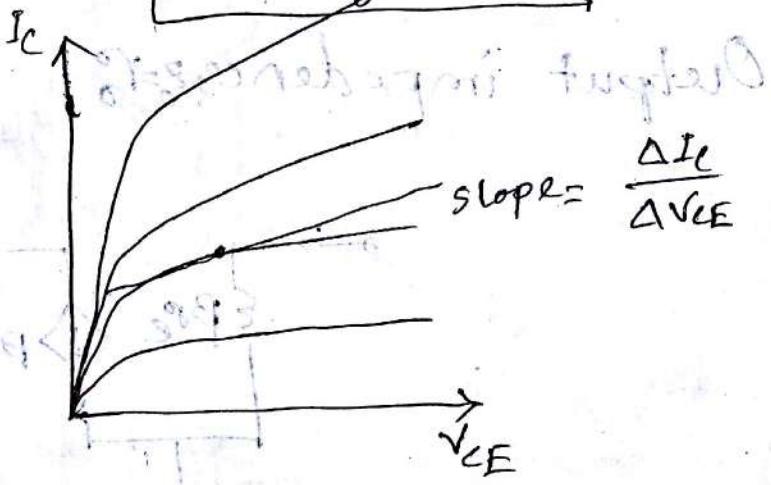


$$\begin{aligned} V_i &= r_e (\beta I_B + I_b) \\ &= r_e (\beta + 1) I_b \\ &= r_e \beta I_b \end{aligned}$$

$$Z_i = \frac{V_i}{I_b} = \beta r_e$$

$$Z_o = \frac{V_{CE}}{I_b} = r_o$$

interpret impedance



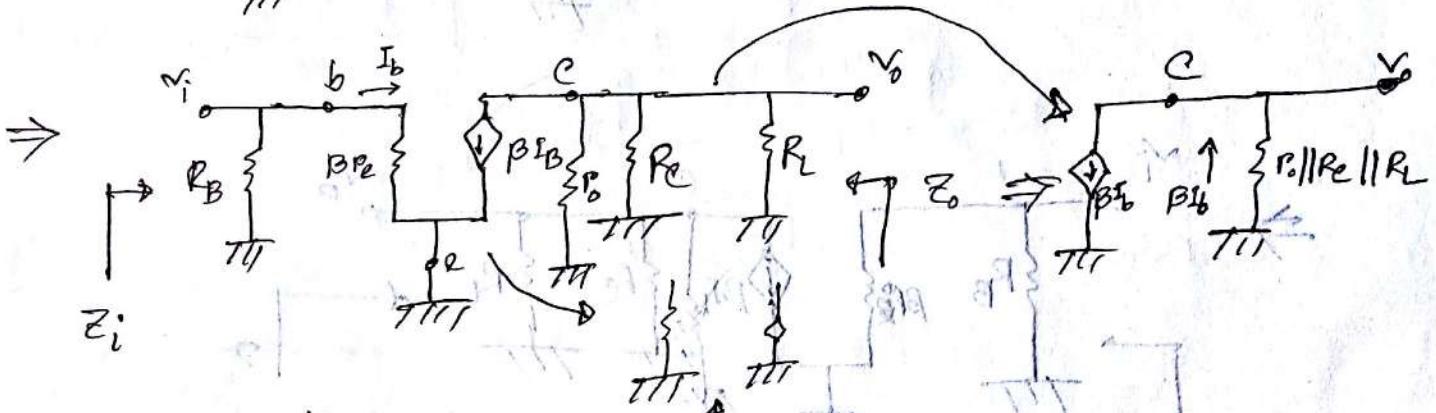
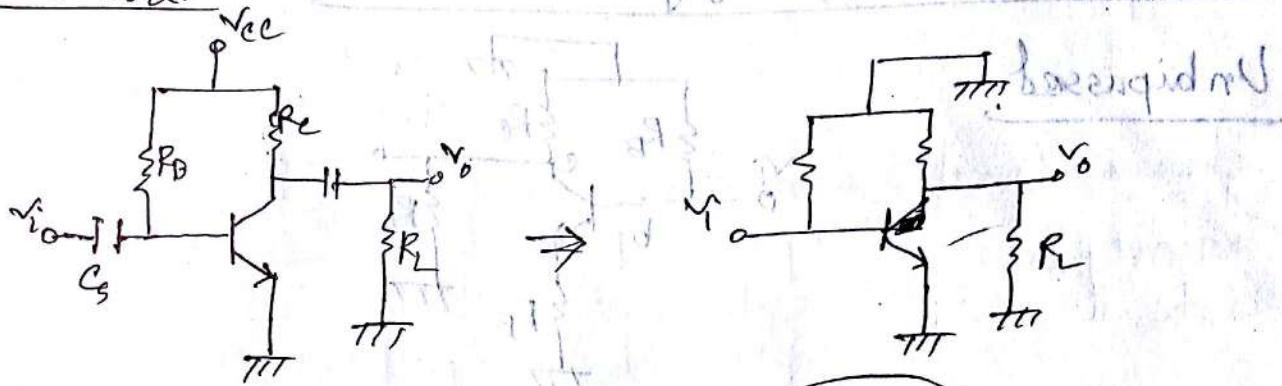
$$V_i = \beta r_e I_b$$

$$Z_i = \frac{V_i}{I_b} = \beta r_e$$

$$Z_o = r_o$$

Fixed bias

biased collector bypassed common



$$Z_i = R_B \parallel \beta_E R_E$$

not connected

$$Z_o = R_o \parallel R_C \parallel R_L$$

Gain, $A_v = \frac{V_o}{V_i}$

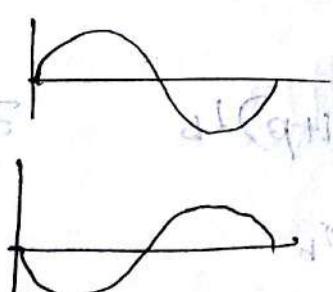
$$= \frac{R_o \parallel R_C \parallel R_L}{r_o}$$

$$V_i = \beta_E I_b$$

$$V_o = -\beta_E I_b (R_o \parallel R_C \parallel R_L)$$

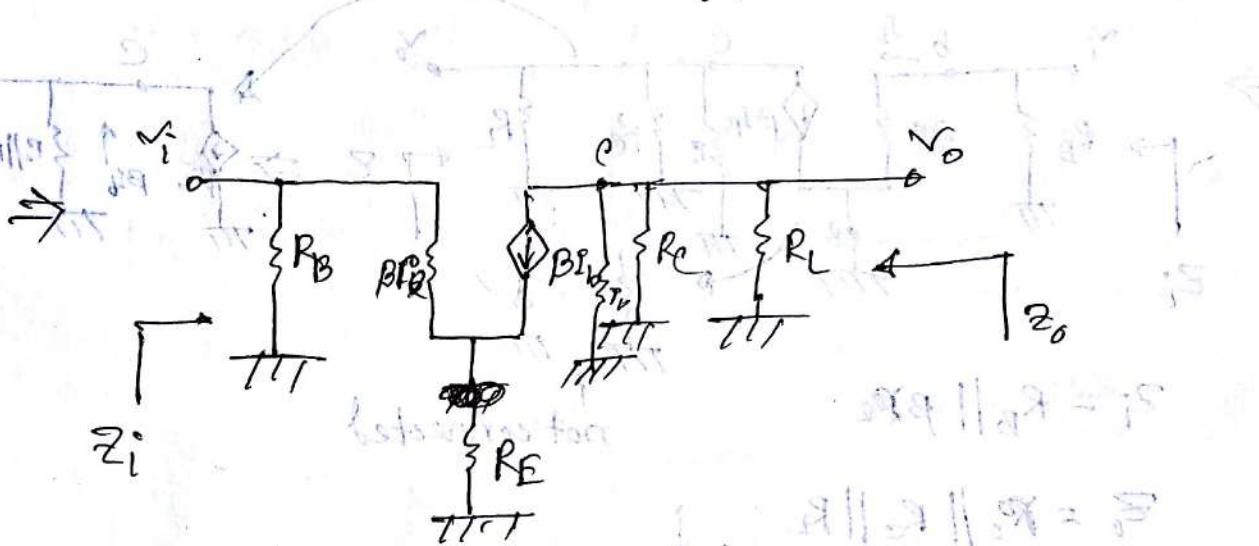
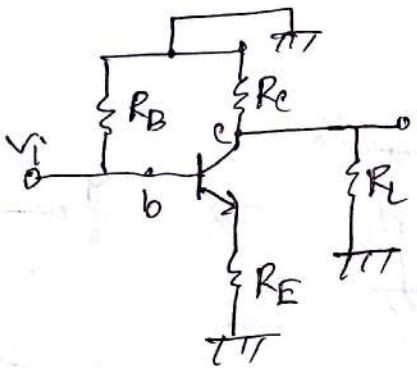
if $R_o = \infty$

Then, $A_v = -\frac{R_C \parallel R_L}{r_o}$



Common Emitter configuration bias: \rightarrow (for stable)

Unbiased



$$Z_i = R_B / [(R_e + R_E)\beta]$$

$$Z_o = r_{oE} \parallel R_E \parallel R_L$$

$$V_i = \beta r_{eB} I_b + R_E (I_b + \beta I_b)$$

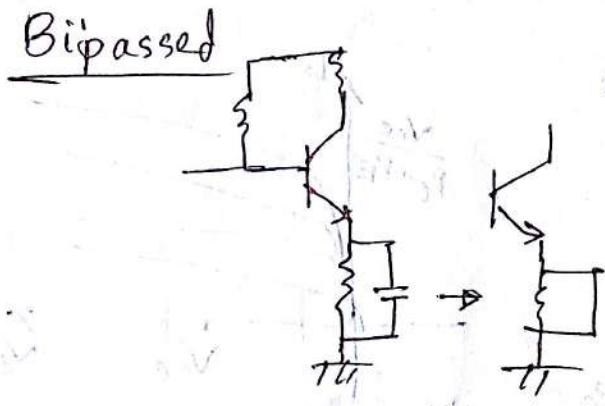
$$\begin{aligned} &= \beta r_{eB} I_b + R_E \beta I_b \\ &= \beta (r_{eB} + R_E) I_b \end{aligned}$$

$$\begin{aligned} V_i &= \beta r_{eB} I_b + R_E (1 + \beta) I_b \\ &= \beta r_{eB} I_b + \beta R_E I_b \end{aligned}$$

$$Z_b = \frac{V_i}{I_b} = \beta (r_{eB} + R_E)$$

$$V_o = -\beta I_b (r_{eB} \parallel R_E \parallel R_L)$$

$$\frac{V_o}{V_i} = -\frac{r_{oE} \parallel R_E \parallel R_L}{r_{eB} + R_E}$$

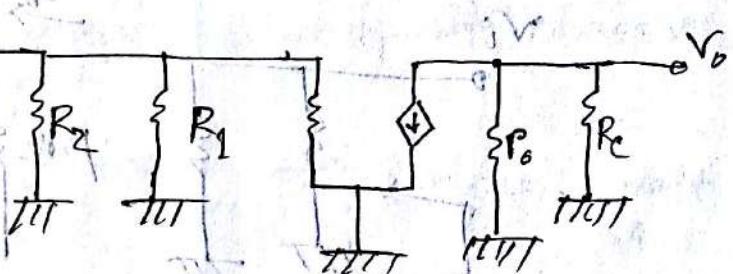
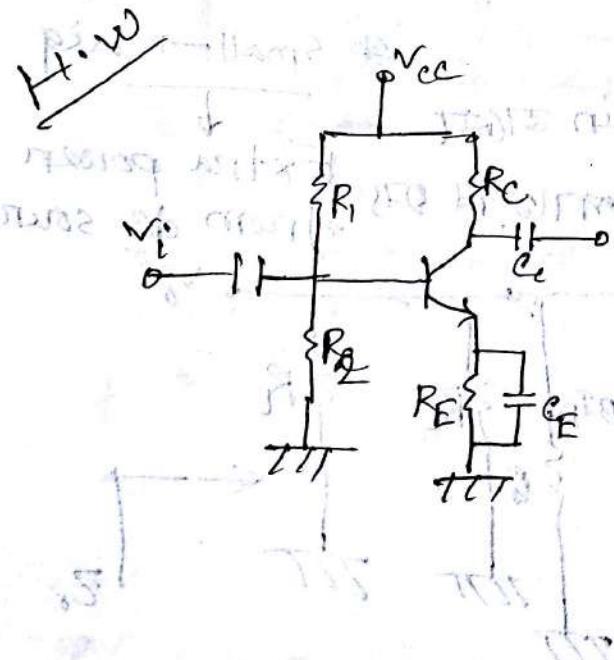


harmless and relatively sparrow

Katherine R

→ Same as fixed biased
but more stable

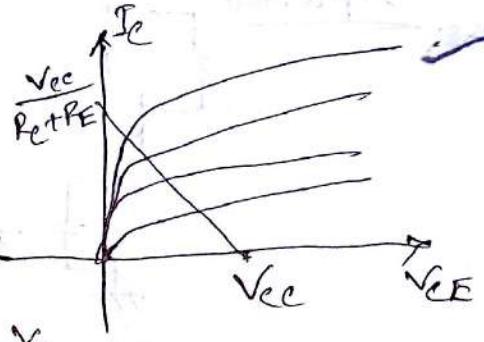
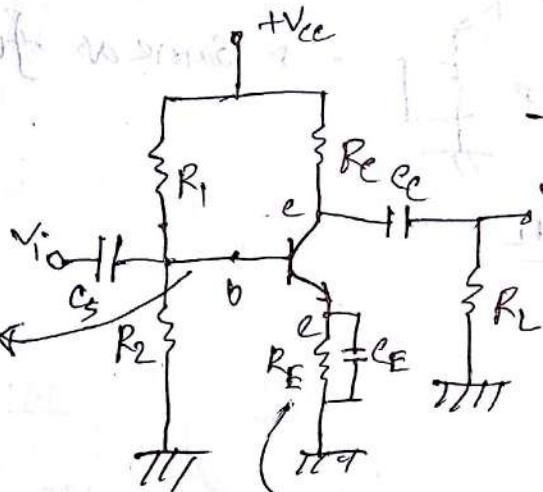
$$A_V = - \frac{R_o || R_{eff} || R_L}{R_e}$$



Voltage divider bias circuit: RE model

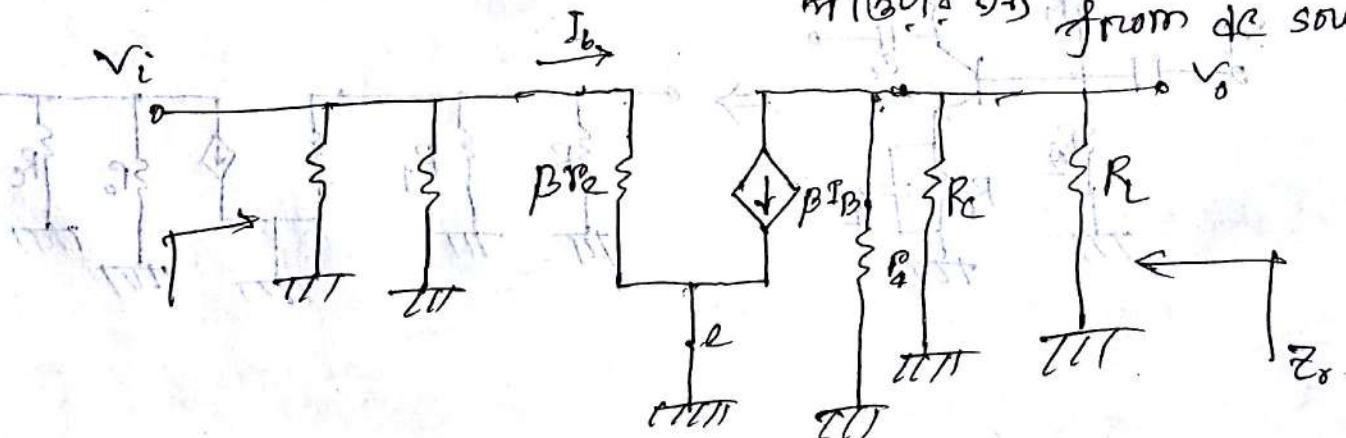
Biasing
Current divided
stabilize

When AC analysis
both active $\rightarrow I_b + I_B$



Max amplify
 $\downarrow \frac{V_{cc}}{2}$

\downarrow Small \rightarrow big
gain \Rightarrow Extra power
from dc source



$$Z_i = R_1 \parallel R_2 \parallel \beta R_E$$

$$Z_o = R_E \parallel R_C \parallel R_L$$

$$V_i = I_b \beta R_E$$

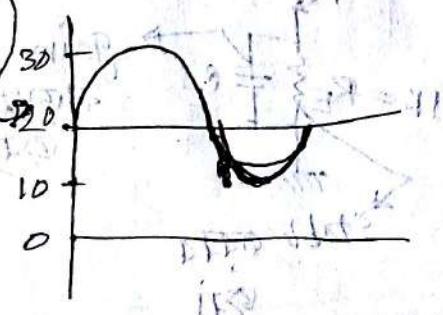
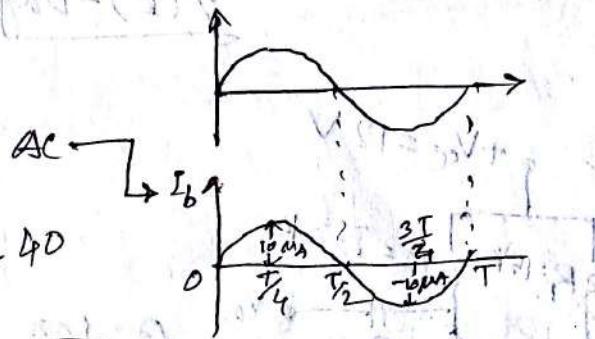
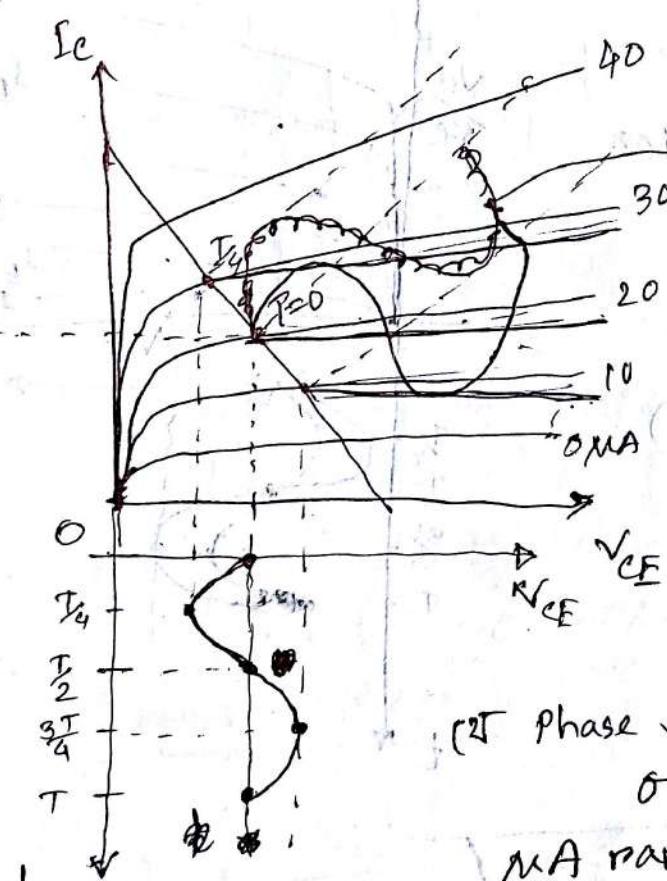
$$V_o = -\beta I_b (R_o \parallel R_C \parallel R_L)$$

$$A = \frac{V_o}{V_i} = -\frac{r_o \parallel R_C \parallel R_L}{r_E}$$

$r_E = \frac{26 \text{ mV}}{I_E}$
 \downarrow at the
time of
dc analysis

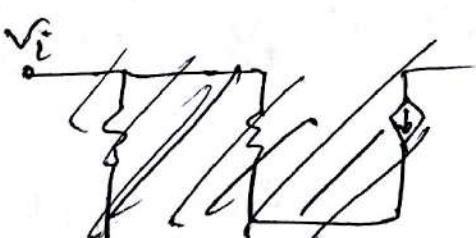
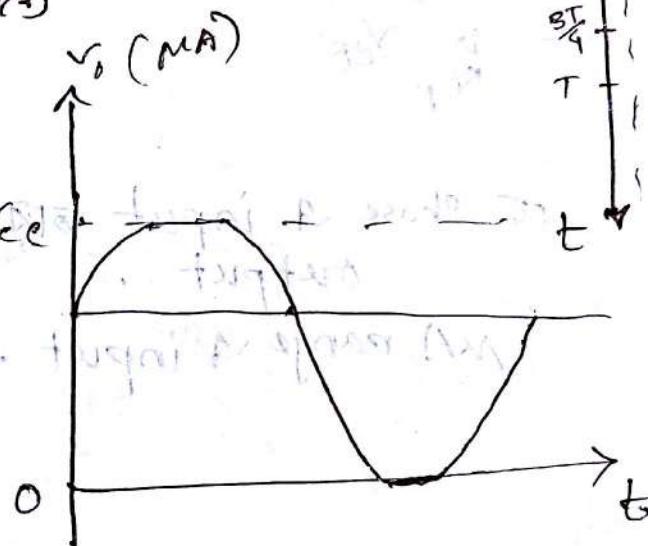
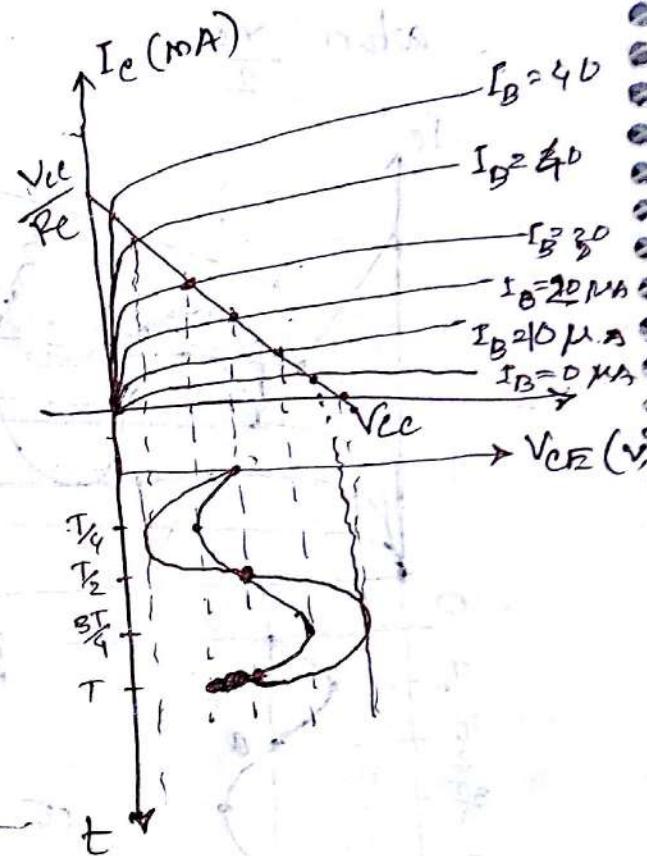
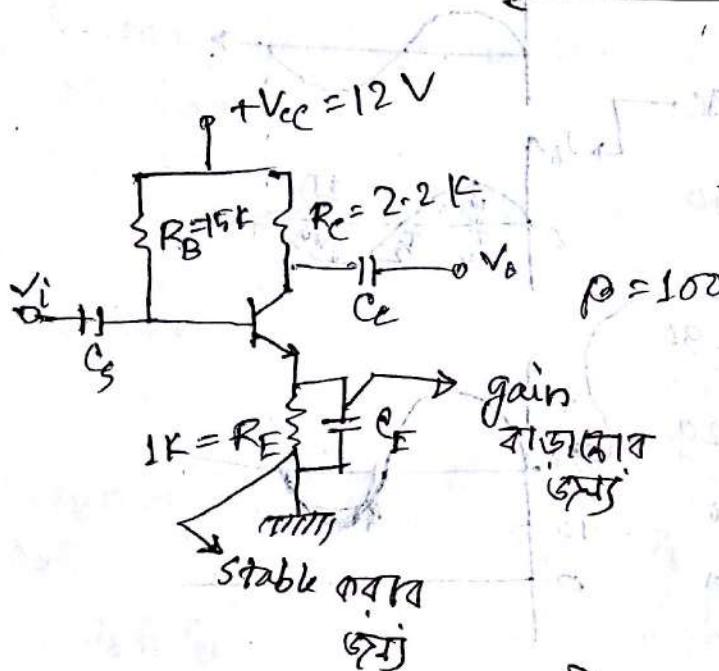
$$D.E \rightarrow I_B = 20 \mu A$$

$$\text{when } \frac{V_{CE}(m)}{2}$$



Circuit phase \Rightarrow input \Rightarrow opposite phase \Rightarrow output.

mA range \Rightarrow input \rightarrow output volt



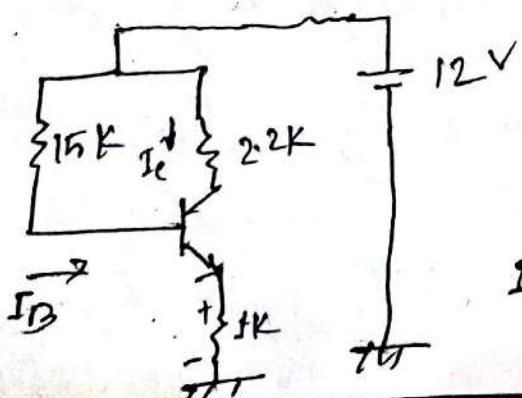
$$A_v = \frac{V_o}{V_i} = -\frac{R_C}{R_E}$$

$$= -\frac{R_C \times I_E}{26 \text{ mV}}$$

$$= -\frac{2.2 \times 9.826}{26}$$

$$I_B = \frac{12 - 0.7}{15 \text{ k} + 100 \times 1 \text{ k}} = 0.7593 \text{ mA}$$

$$\frac{1}{2} \cdot 2.2 + 1 \cdot 1 = 1.2$$



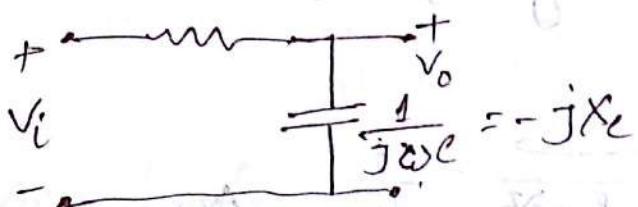
$$I_E = \beta I_B = 100 \times 98.261$$

$$= 9.826 \text{ mA}$$

BJT Frequency Response

Chapter - 9

Filter:



$$V_o = \frac{-jX_C}{R-jX_C} \times V_i$$

$$= \frac{1}{\frac{1}{j\omega C} + \frac{1}{R}} \times V_i$$

of 250 एवं V_o , V_i परिवर्तन

if $f = \alpha$

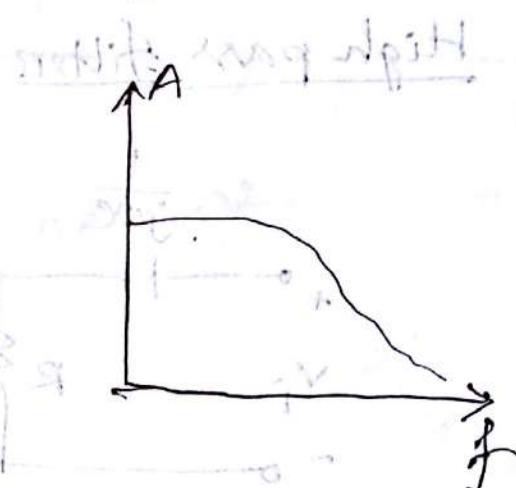
then equivalently short
 $V_o = 0$ circuit.

Low pass filter

$$A_v = \frac{V_o}{V_i} = \frac{1}{1 + j2\pi f RC}$$

$$|A_v| = \frac{1}{\sqrt{1^2 + (2\pi f RC)^2}}$$

Cutoff frequency



→ power transmit

2nd output

$$P = \frac{V^2}{R}$$

$$P_{1/2} = \frac{1}{2} \frac{V^2}{R} = \frac{\left(\frac{V}{\sqrt{2}}\right)^2}{R} = \frac{(0.707V)^2}{R}$$

∴ value 70.7% 2nd half power transmit

$$(A_v) = \frac{1}{\sqrt{1^2 + (2\pi f_c R C)^2}}$$

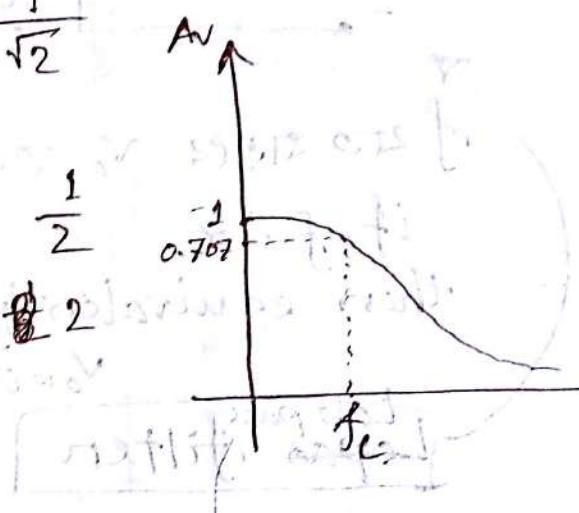
At cut-off frequency, $f = f_c$

~~$$\therefore \frac{1}{\sqrt{1^2 + (2\pi f_c R C)^2}} = \frac{1}{\sqrt{2}}$$~~

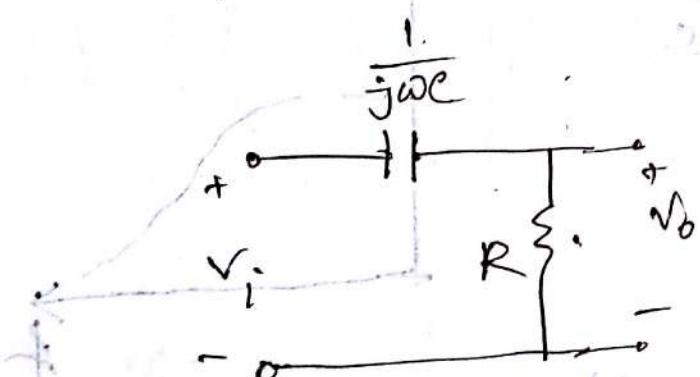
$$\Rightarrow \frac{1}{1^2 + (2\pi f_c R C)^2} = \frac{1}{2}$$

$$1^2 + (2\pi f_c R C)^2 = 2$$

$$f_c = \frac{1}{2\pi R C}$$



High pass filters



$$V_o = \frac{R}{R + \frac{1}{j\omega C}} \times V_i$$

$$= \frac{j\omega RC}{1 + j\omega RC} V_i$$

At cut-off frequency, gain zero

$$f = \alpha$$

$$V_o = V_i$$

$$A_v = \frac{V_o}{V_i} = j\omega RC$$

$$|A_v| = \frac{\omega RC}{\sqrt{1+(\omega RC)^2}}$$

At $f = f_c$, $|A_v| = \frac{1}{\sqrt{2}}$ [voltage gain]

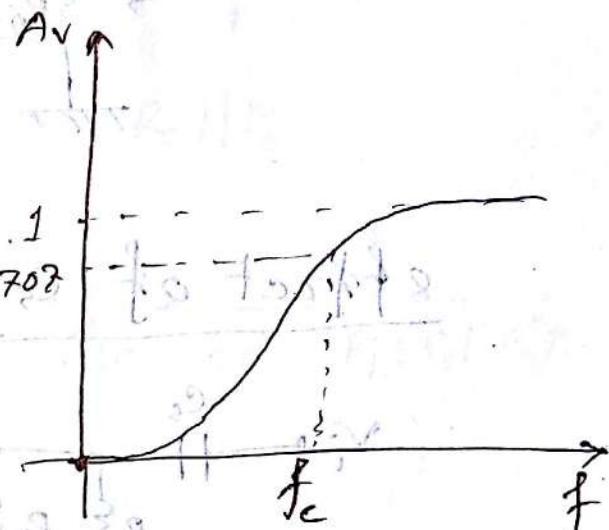
$$\frac{2\pi f_c RC}{\sqrt{1+(2\pi f_c RC)^2}} = \frac{1}{\sqrt{2}}$$

$$\frac{4\pi^2 f_c^2 R^2 C^2}{1+(2\pi f_c RC)^2} = \frac{1}{2}$$

$$\Rightarrow 2 \cdot (2\pi f_c RC)^2 = 1 + (2\pi f_c RC)^2$$

$$\Rightarrow (2\pi f_c RC)^2 = 1$$

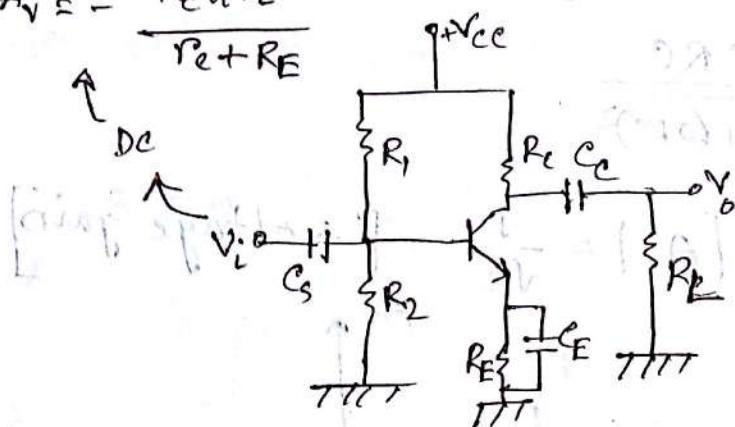
$$f_c = \frac{1}{2\pi RC}$$



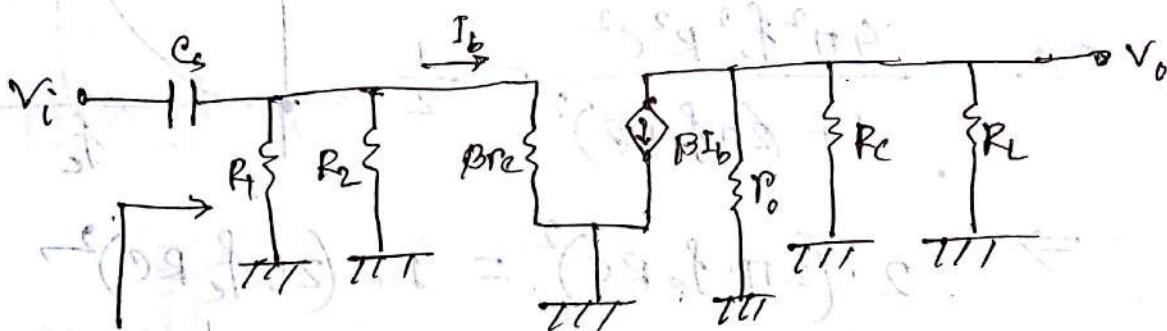
Note: At frequency output voltage 70.7% of cutoff frequency

Low frequency response of BJT amplifier:

$$A_v = -\frac{R_{\text{out}} \parallel R_L}{R_E + R_{\text{out}}}$$

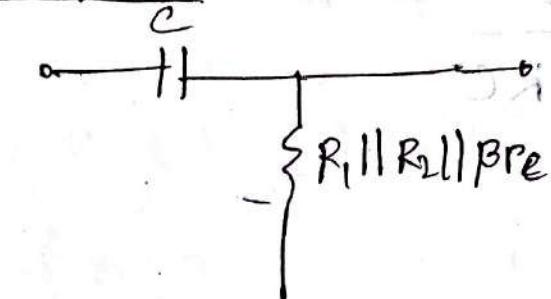


Effect of C_s (C_C and R_E short)



$$R_{\text{eq}} = Z_i = R_1 \parallel R_2 \parallel B R_o$$

High pass filter

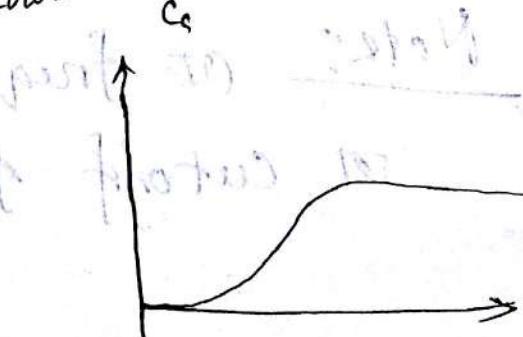


Cut-off frequency

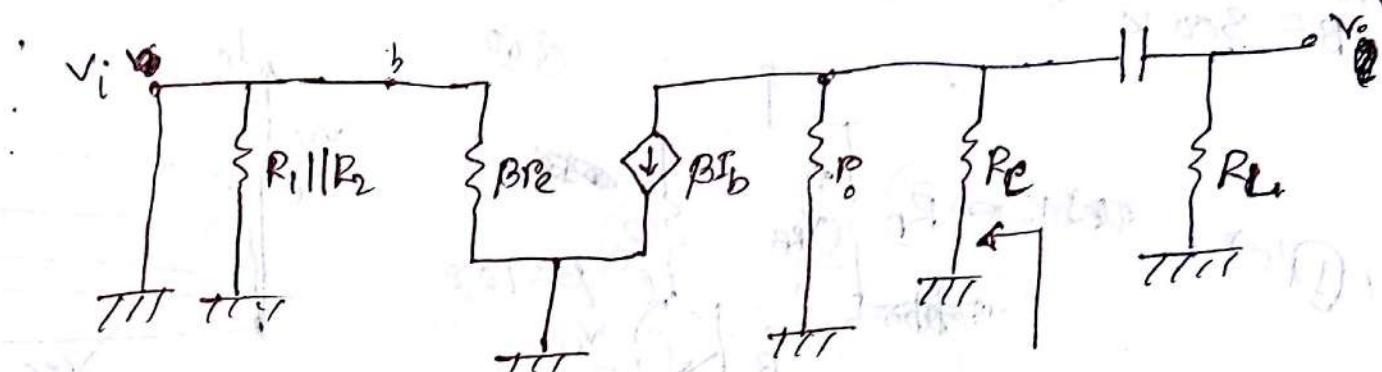
$$f_c = \frac{1}{2\pi(R_1 \parallel R_2 \parallel B R_o) C_s}$$

$$V_o = \frac{R_{\text{eq}}}{R_{\text{eq}} + R_E} V_i$$

$$V_o = V_i \text{ when } f = \infty$$

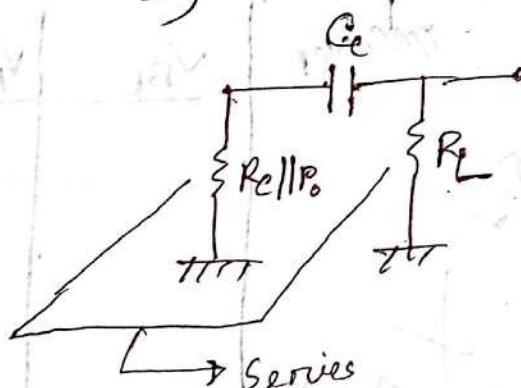


effect of C_E (C_S and C_E short):



$$I_b = 0 \text{ [No potential diff.]}$$

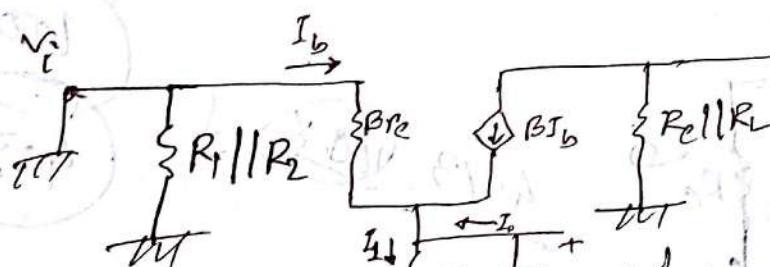
$$\beta I_b = 0$$



$$R_L || R_BE$$

$$f_{LC} = \frac{1}{2\pi (R_L + R_L || R_BE) C_E}$$

effect of C_E (C_S and C_E short)



$$X_{CE} = \frac{1}{2\pi f_C} \quad f_C = \frac{1}{2\pi (R_E || R_BE) C_E}$$

$$\therefore I_b = V \left(\frac{1}{R_E} + \frac{1}{R_BE} \right)$$

$$\Rightarrow \frac{V}{I_b} = \frac{1}{R_E} + \frac{1}{R_BE}$$

$$R_{eq} = \frac{V}{I_b}$$

$$\frac{V}{I_b} = R_E || R_BE$$

$$\therefore I_1 = I_o + I_b + \beta I_b$$

$$\Rightarrow \frac{V}{R_E} = I_o + \beta I_b \quad [\because \beta + 1 \approx \beta]$$

$$C_E = 0$$

$$Z_{eq} = 0$$

So, gain maximum.

$$V = -I_b \beta R_E$$

$$I_b = -\frac{V}{\beta R_E}$$

$$R_E || R_BE \text{ same}$$

P same

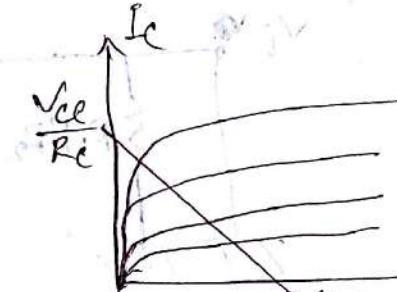
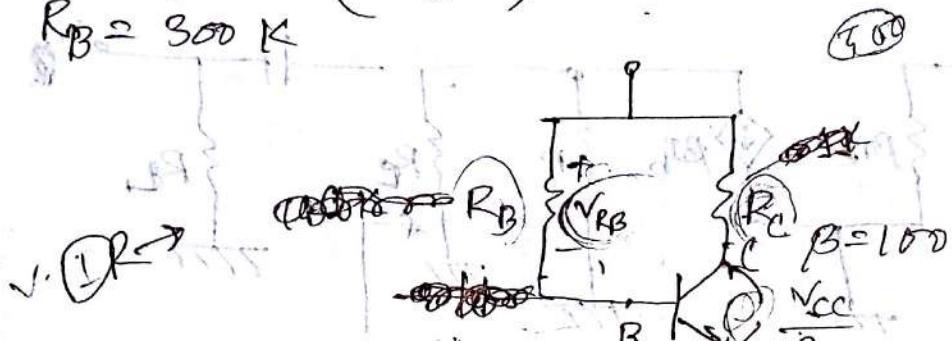
Date: 31/8/2016

8(c)-Day

$$R_C = 500 \Omega$$

$$R_B = 300 K$$

(1k||1k) Lab



$$\approx R_B$$

$$V_{CC} - V_{BE}$$

$$I_B = \frac{V_{CC} - V_{BE}}{R_B}$$

$$= \frac{12 - 0.7}{100 K}$$

=

$$I_C = \beta I_B$$

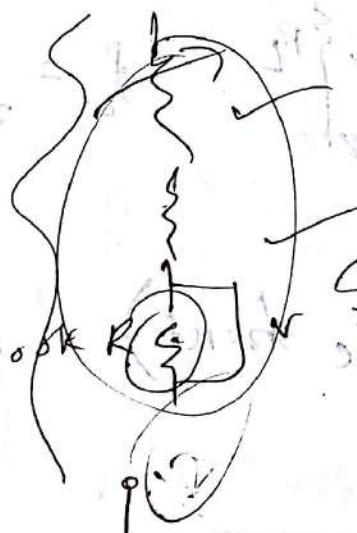
=

$$0.33 K$$

$$4.14$$

$$0.029$$

$$20.7 \text{ mA}$$



$$I_B = \frac{V_{RB}}{R_B}$$

$$V_{BE}$$

$$V_{RB}$$

$$I_B = \frac{V_{RB}}{R_B}$$

$$I_C$$

$$100$$

$$4.73$$

$$4.73$$

$$100$$

$$4.73$$

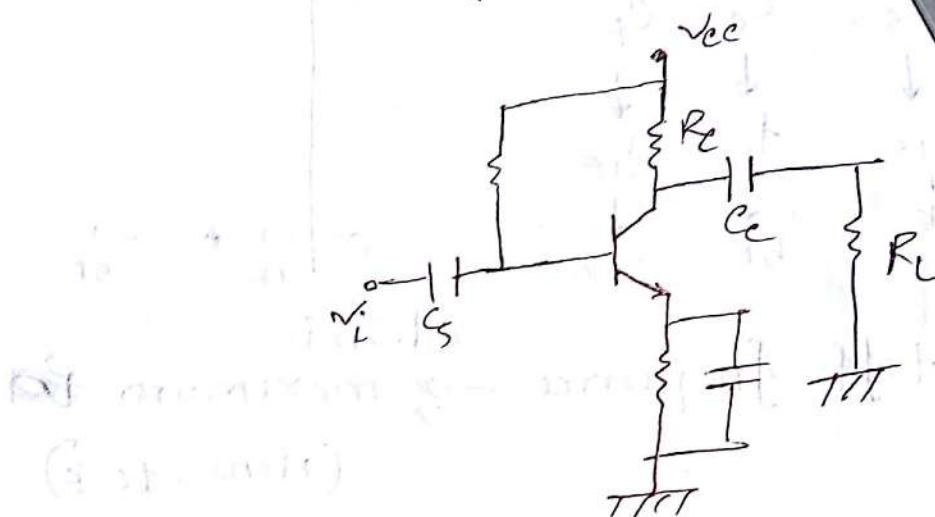
$$100$$

$$0.0473 \text{ mA}$$

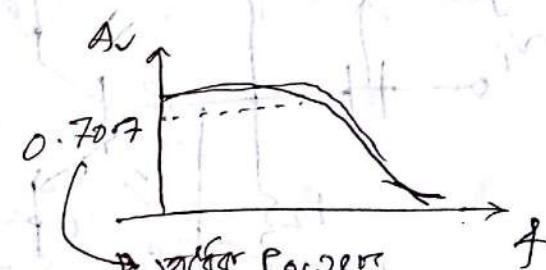
$$47.3 \text{ mA}$$

8(D)-Day

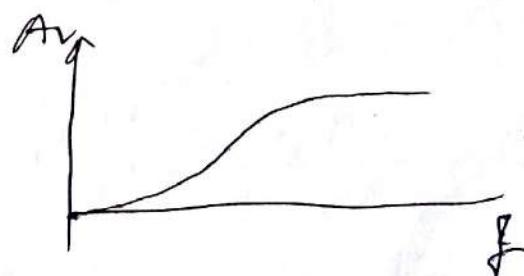
Frequency Response

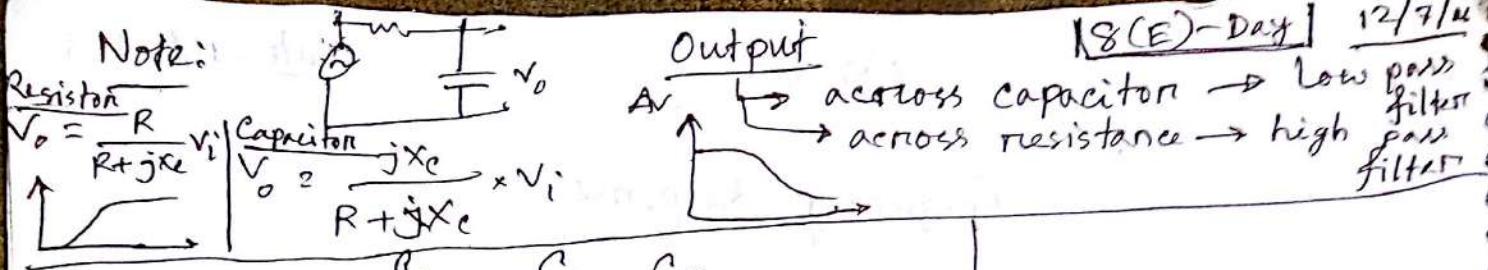


Low-pass filter



High-pass filter

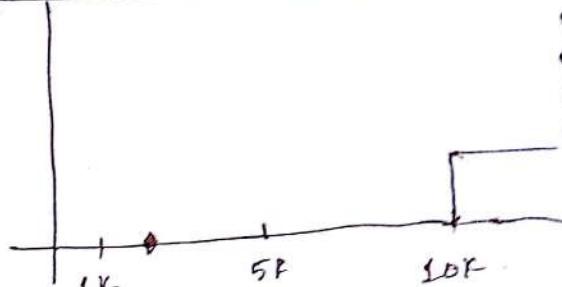




C_s, C_c, C_E

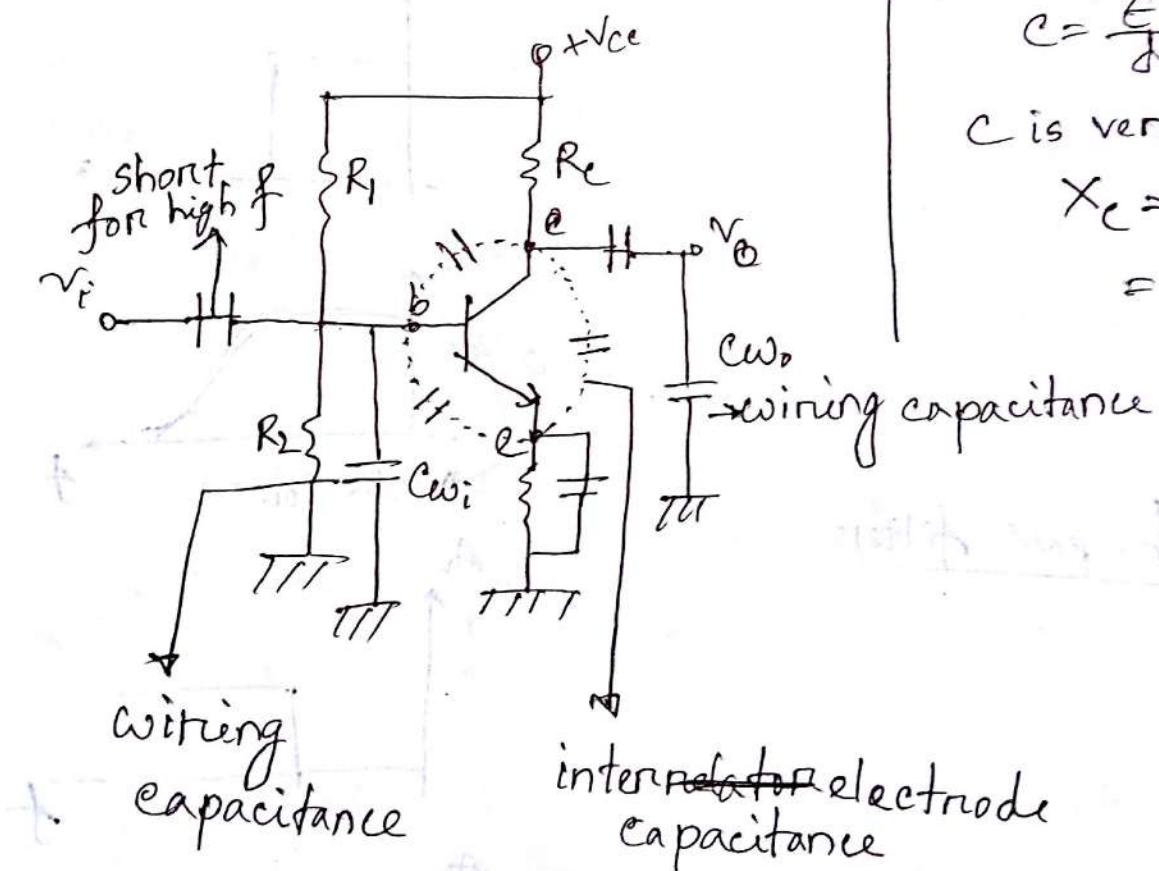
f_{LS}, f_{LE}, f_{RE}

$1K, 5K, 10K$



Lower cut off frequency \rightarrow maximum ~~is~~
(Here, 10 K)

High Frequency Response:



for low frequency

$$C = \frac{\epsilon A}{d}$$

C is very small

$$X_C = \infty$$

$$= \frac{1}{2\pi f C}$$

$$I_i = I_1 + I_2$$

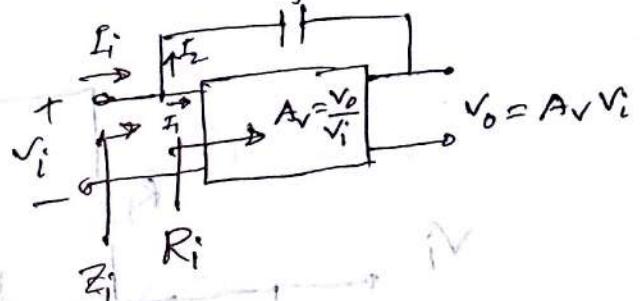
$$\Rightarrow \frac{V_i}{Z_i} = \frac{V_i}{R_i} + \frac{V_i - V_o}{jX_{cf}}$$

$$\Rightarrow \frac{V_i}{Z_i} = \frac{V_i}{R_i} + \frac{V_i - A_v V_i}{jX_{cf}}$$

$$\Rightarrow \frac{1}{Z_i} = \frac{1}{R_i} + \frac{1 - A_v}{jX_{cf}}$$

$$\Rightarrow \frac{1}{Z_i} = \frac{1}{R_i} + \frac{\frac{1}{jX_{cf}}}{1 - A_v}$$

$$\therefore Z_i = R_i \parallel \frac{jX_{cf}}{1 - A_v}$$

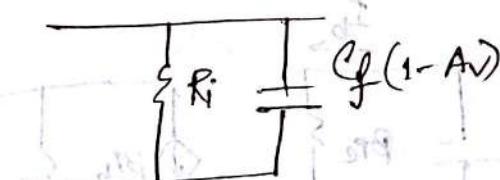


↳ total input impedance

$$\begin{aligned} & jX_{cf} \\ & \frac{1}{1 - A_v} \\ & = \frac{j}{\omega C_f} \\ & = \frac{j}{\omega C_f (1 - A_v)} \end{aligned}$$

$$C_{Mi} = C_f (1 - A_v)$$

Equivalent circuit:

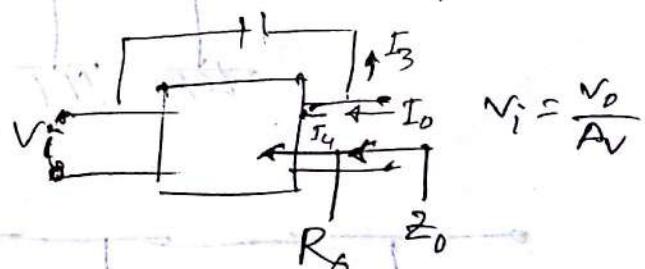


$$I_o = I_3 + I_4$$

$$\Rightarrow \frac{V_o}{Z_o} = \frac{V_o - V_i}{jX_{cf}} + \frac{V_o}{R_o}$$

$$\Rightarrow \frac{V_o}{Z_o} = \frac{V_o - \frac{V_o}{A_v}}{jX_{cf}} + \frac{V_o}{R_o}$$

$$\Rightarrow \frac{1}{Z_o} = \frac{1}{jX_{cf}} + \frac{1}{R_o}$$

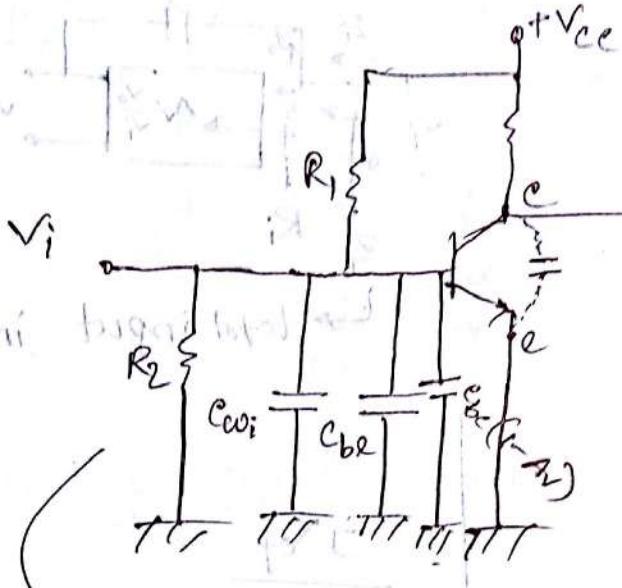


$$C_{Mo} = \frac{C_f (A_v - 1)}{A_v}$$

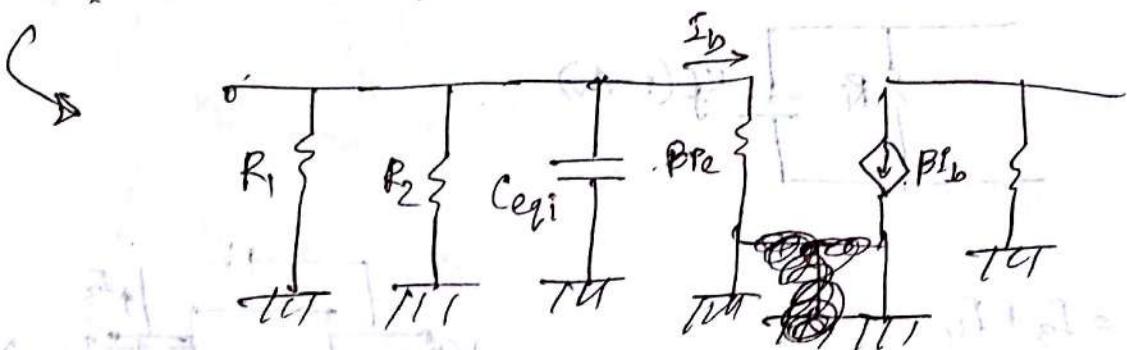
↙ Capacitance

$$\begin{aligned} & \therefore Z_o = R_o \parallel \frac{jX_{cf} A_v}{A_v - 1} \\ & = R_o \parallel \frac{j A_v}{\omega C_f (A_v - 1)} \end{aligned}$$

[Reactance]

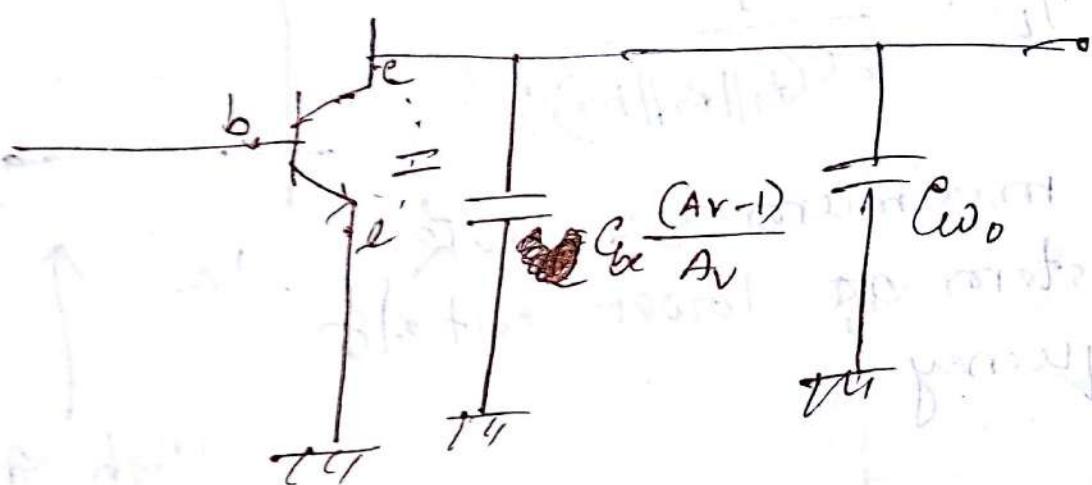


$$(A-1) \frac{V}{V} = \frac{V}{V} = \frac{R_2}{R_1 + R_2 + C_{be}(1-A)} = C_{eqi}$$



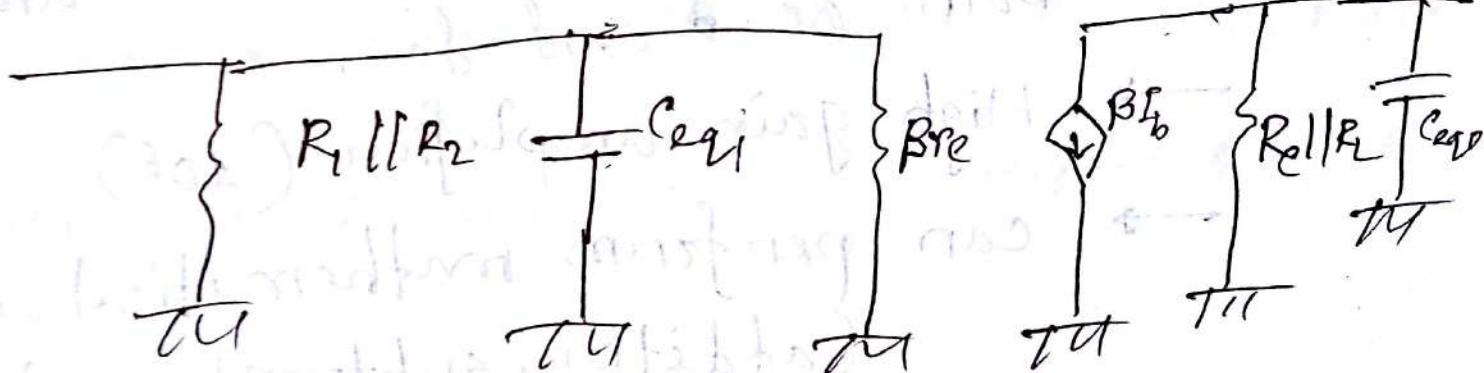
$$\left\{ R_1 \parallel R_2 \parallel BPe \right\} \frac{1}{2\pi} C_{eqi}$$

$$f_{Hi} = \frac{1}{2\pi (R_1 \parallel R_2 \parallel BPe) C_{eqi}}$$



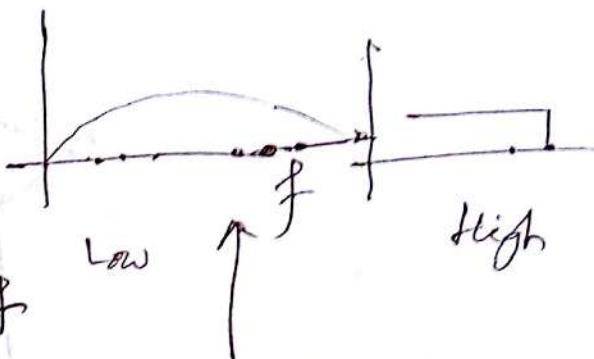
$$C_{w_0} + C_{ache} + C_{ec} \left(\frac{A_v - 1}{A_v} \right)$$

↗



$$f_L = \frac{1}{2\pi(R_1 \parallel R_2 \parallel B_R)C_S}$$

(At) maximum ω at f_L
at system at lower cut off
frequency.



High ω
Low frequency
at Pass ω_0
(ω_0 is)
Band pass filter

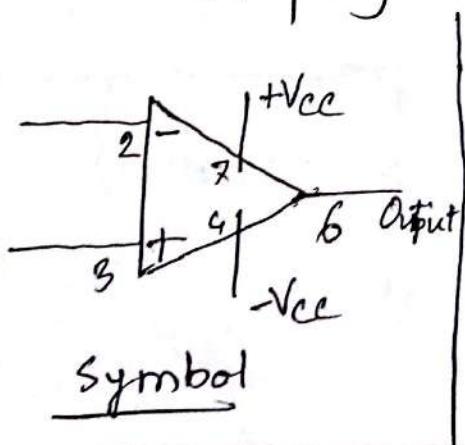
Op-Amp: (Operational Amplifier / differential amplifier)

→ versatile device which can amplify both ac & dc.

→ High gain amplifier (10^6)

→ can perform mathematical operation
(Addition, subtraction, integration,
differentiation)

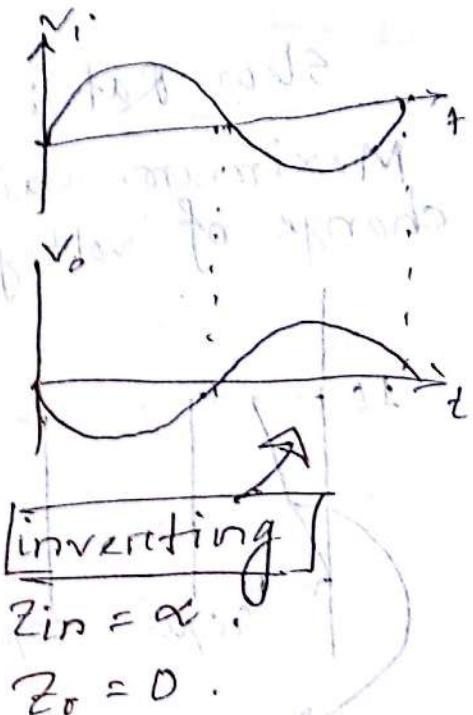
That's why it's called operational amplifier!



balance pin	1	8	No-connection
inverting input	2	7	+Vcc
"	3	6	Output, $V_o = A(V_3 - V_2)$
-Vcc	4	5	balance pin
pin configuration			gain
negative biasing voltage V_{B1}			AV

differential amplifier:

2 V_o's are same
voltage as difference &
amplify it.



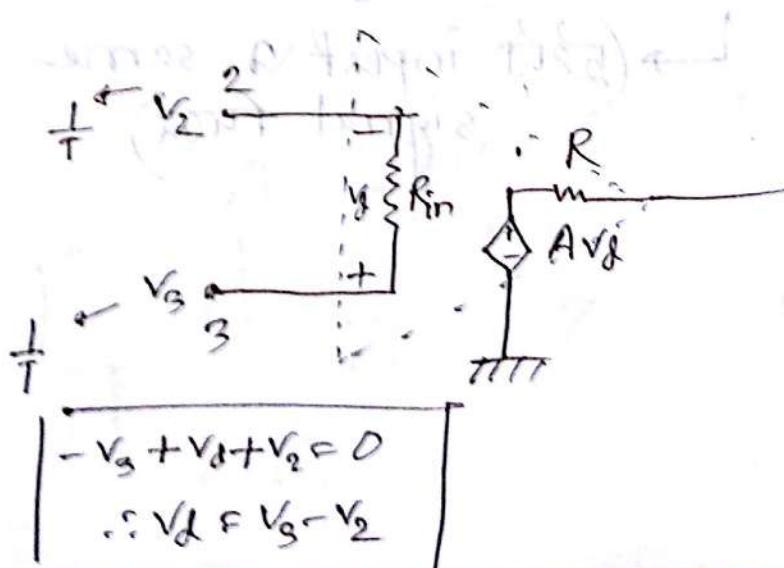
Ideal characteristics

- 1) Input impedance infinite. $Z_{in} = \infty$.
- 2) Output impedance zero. $Z_o = 0$.
- 3) Open loop gain = α .
- 4) slew rate = α .
- 5) CMRR = ∞ .

V_o & CMRR → Common Mode Rejection Ratio

* Input Pin a noise enters BJT. Output a noise amplified.

AC equivalent circuit:



At ideal case →

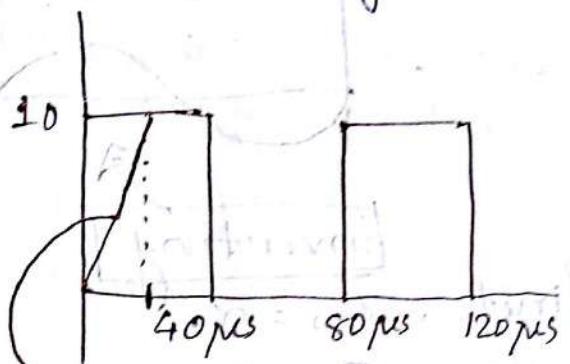
$$R_{in} = \infty$$

so open

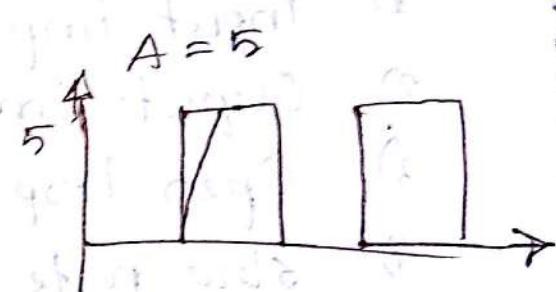
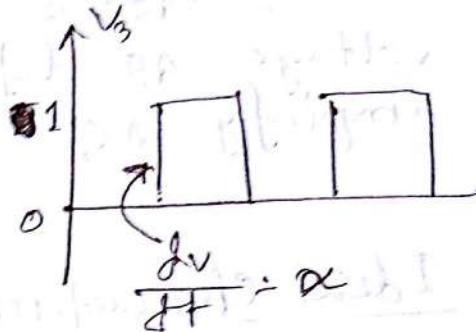
$$R = 0$$

so short

Slew Rate: Maximum ability of rate of change of voltage



$$\Rightarrow 0.5 \text{ V/μs} = \frac{\Delta V}{\Delta t} = \frac{10 \text{ V}}{20 \mu\text{s}} = 0.5 \text{ V/μs}$$



$$\hookrightarrow \text{slew rate} = 0.5 \text{ V/μs}$$

other effect when around 25% steps a 0.5 V change ~~0.50~~

CMRR:

$$\text{CMRR} = \frac{A_d}{A_c} \rightarrow \begin{array}{l} \text{differential gain (open loop)} \\ \text{common mode gain} \end{array}$$

\hookrightarrow (diff input vs. same signal func)

Grayakward

\rightarrow Op-Amp

$$\text{Output} = 5V - 3V = 2V$$

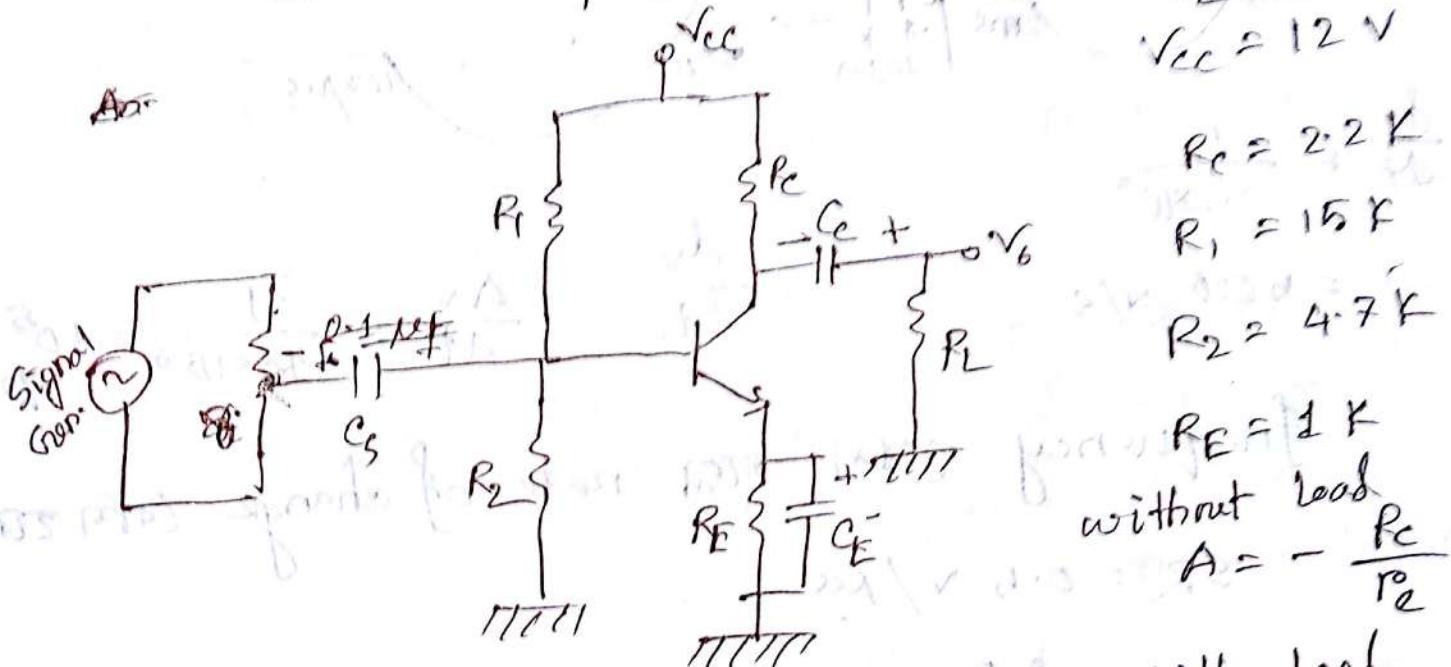
Date: 17/7/2026.

EEE Lab

Exp: Study of voltage divider biased BJT circuit as an amplifier.

$$R_L = 2.2 \text{ k}\Omega$$

$$V_{CC} = 12 \text{ V}$$



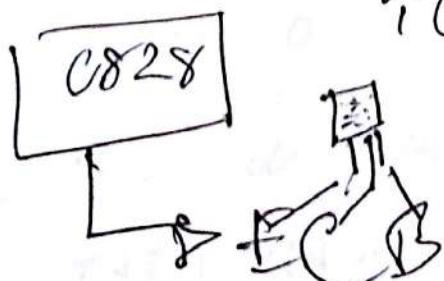
$$C_S = C_C = C_E = 0.1 \mu\text{F}$$

$$V_i \approx 50 \text{ mV}$$

$$V_i (\text{P-P}) = ?$$

$$V_o (\text{P-P}) = ?$$

$$A = \frac{V_o (\text{P-P})}{V_i (\text{P-P})}$$



$$R_E = 1 \text{ k}\Omega$$

without load

$$A = -\frac{R_C}{R_E}$$

with load

$$A = -\frac{R_C || R_L}{r_e}$$

$$R_L = \frac{26 \text{ mV}}{I_E}$$

$$x + y + 2z = 0$$

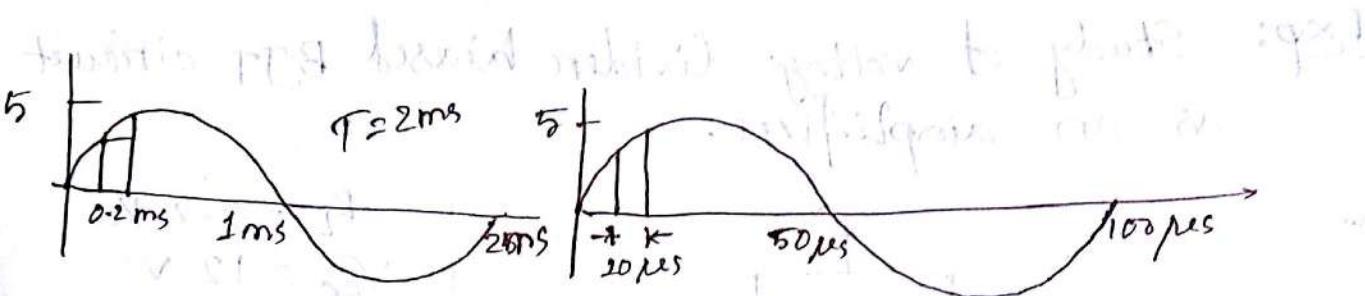
$$x - 3z = 0$$

$$6z = 0$$

$$\begin{pmatrix} 1 & 1 & 2 \\ 1 & -3 & 0 \\ 0 & 0 & 6 \end{pmatrix}$$

9(D)-Day

Date: 18/7/2016



$$\frac{dv}{dt} = \frac{i}{0.2 \times 10^{-3}} \\ = 5000 \text{ V/s}$$

$$\frac{dv}{dt} = \frac{\Delta v}{\Delta t} = \frac{1}{10 \times 10^{-6}} = 10^5 \text{ V/s}$$

frequency ω or rate of change ω of θ

$$\frac{d\theta}{dt} = SR = 0.5 \text{ rad/sec}$$

$$\text{last option} = \frac{0.5}{10^{-6}}$$

$$= 5 \times 10^5 \text{ V/s}$$

rate of change of voltage $5 \times 10^5 \text{ V/s}$

10° (for 23° वर्तना)

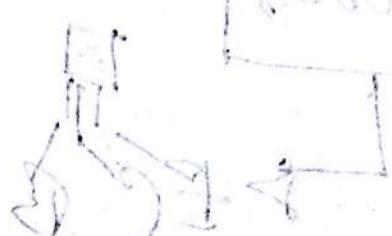
$$N = 5 \sin \theta$$

$$\frac{dv}{dt} = 5 \cos \theta$$

$$\theta = 0 \rightarrow 23^\circ \quad \frac{dv}{dt} = 5$$

$$S = (q-q) \text{ A}$$

$$\frac{(q-q) \cdot S}{(q-q) N} = A$$



$$v = V_m \sin \omega t$$

$$\frac{dv}{dt} = V_m \omega \cos \omega t$$

$$\left| \frac{dv}{dt} \right|_{\text{max}} = V_m \omega = V_m \times 2\pi f$$

frequency ↑ rate of change of voltage ↑

$$V_m \omega \leq SR$$

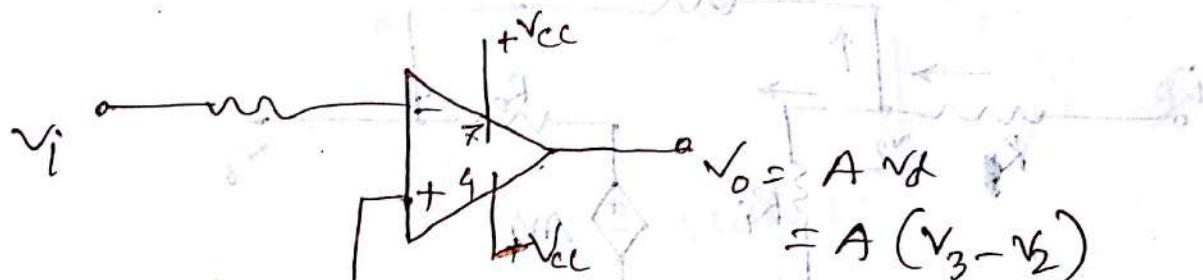
$$f \leq \frac{SR}{2\pi V_m}$$

Σ (0) 2π 1. এর 2π নং signal

distorted Σ 2π ২৮৪

[sinusoidal হচ্ছে

triangular Σ ২৮৫



$$V_o = A V_o \\ = A (V_3 - V_2)$$

~~(+)ve half cycle~~

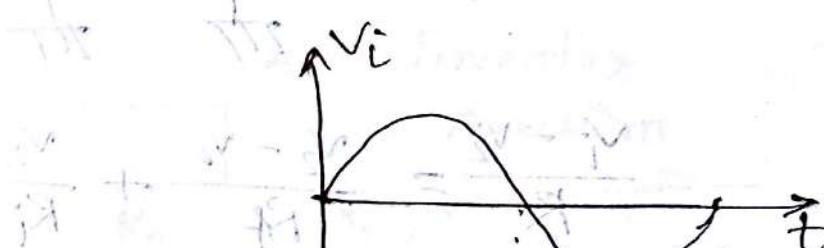
$$V_2 = -V_i$$

$$V_3 = V_i$$

$$V_2 = 0$$

$$V_o = -A V_i, \text{ কিন্তু } -V_{cc} \leq V_o \leq +V_{cc}$$

যদি $V_o < -V_{cc}$,



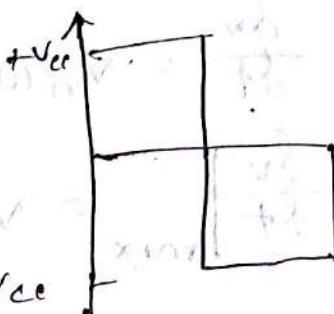
→ve half cycle:

$$V_2 = -V_i$$

$$V_{31} = 0 \quad \therefore V_o = \alpha$$

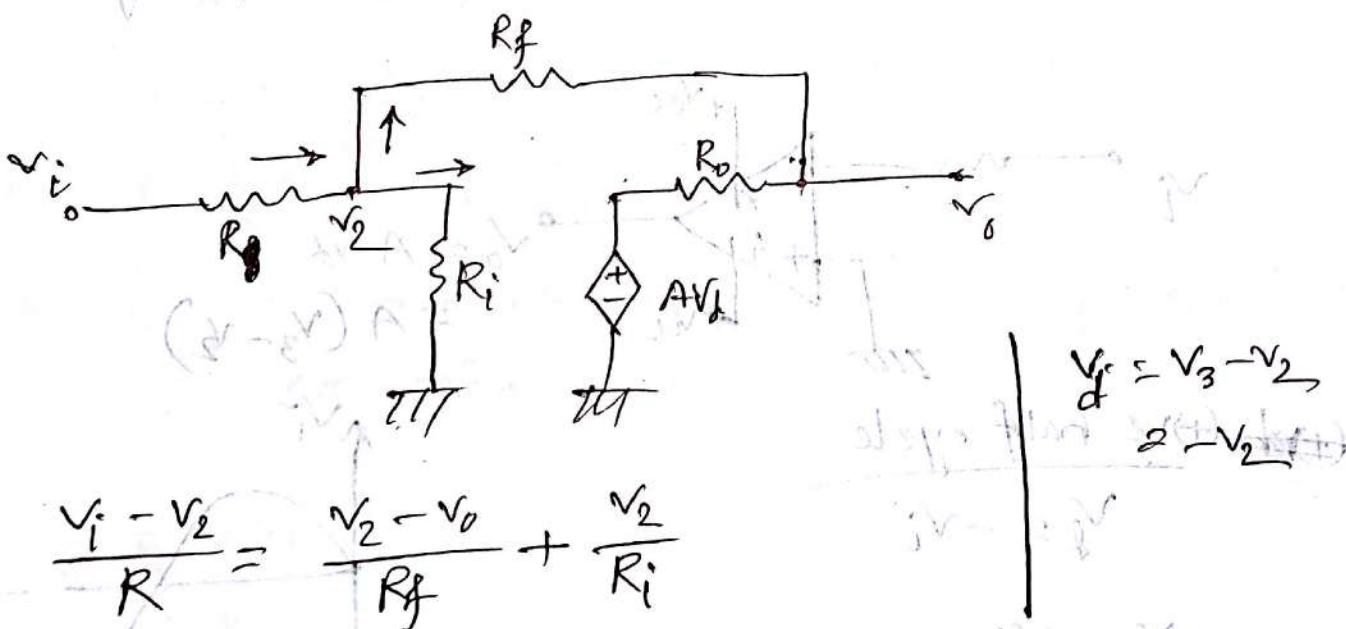
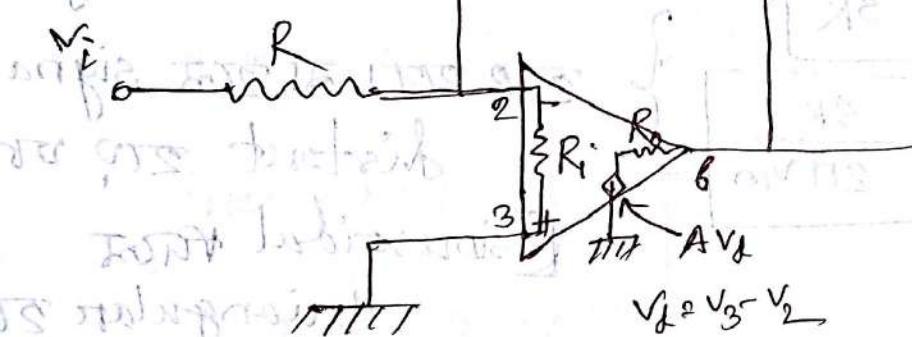
$$V_2 = V_i$$

forward bias



separately to start ↑ frequency.

so far to



$$\frac{V_i - V_2}{R} = \frac{V_2 - V_o}{R_f} + \frac{V_2}{R_i}$$

$$\Rightarrow \frac{V_i - V_2}{R} = \frac{V_2 - V_o}{R_f} \quad \text{when } R_i = \alpha$$

$$\Rightarrow V_i - V_2 = \frac{R}{R_f} (V_2 - V_o)$$

$$\Rightarrow V_i = \left(\frac{R}{R_f} + 1 \right) V_2 - \frac{R}{R_f} V_o \quad (1)$$

$$V_o = A V_d = -A V_2$$

$$\Rightarrow V_2 = \frac{V_o}{A} \approx 0 \quad |A=\alpha$$

$$V_i = -\frac{R}{R_f} V_o \quad [From (i)]$$

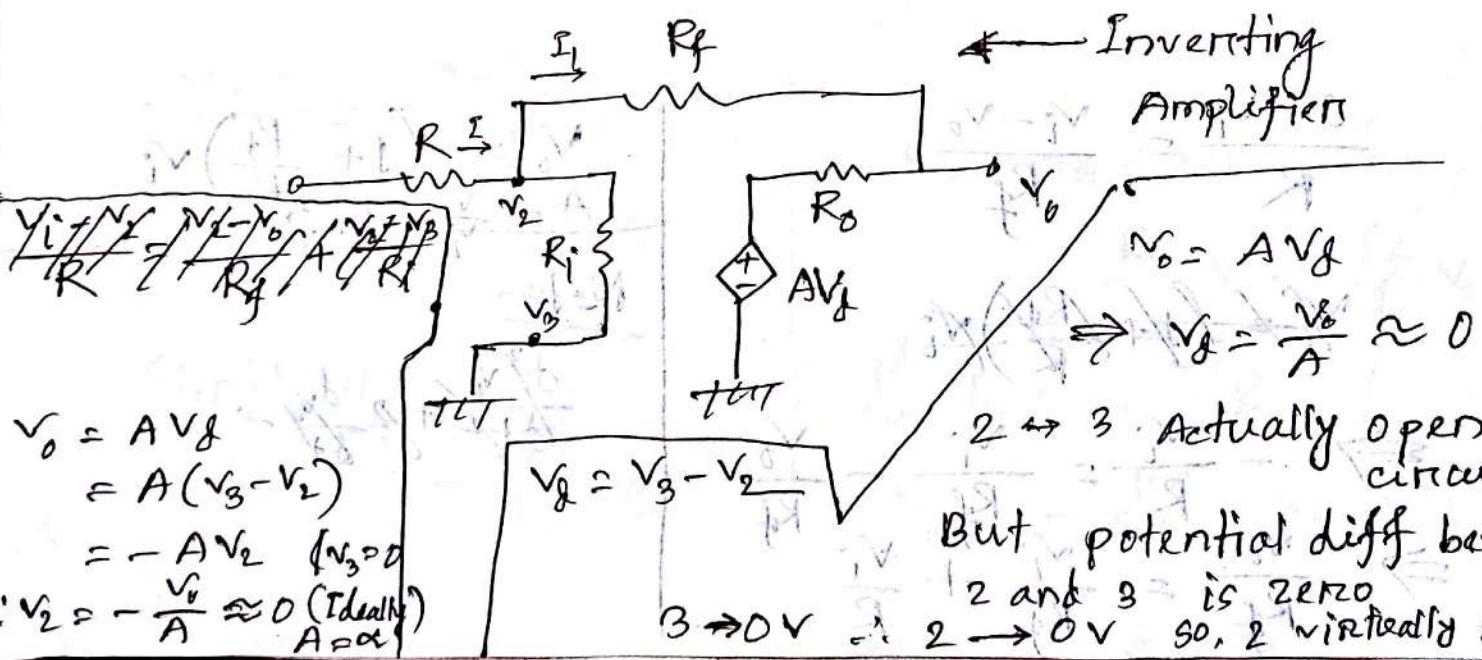
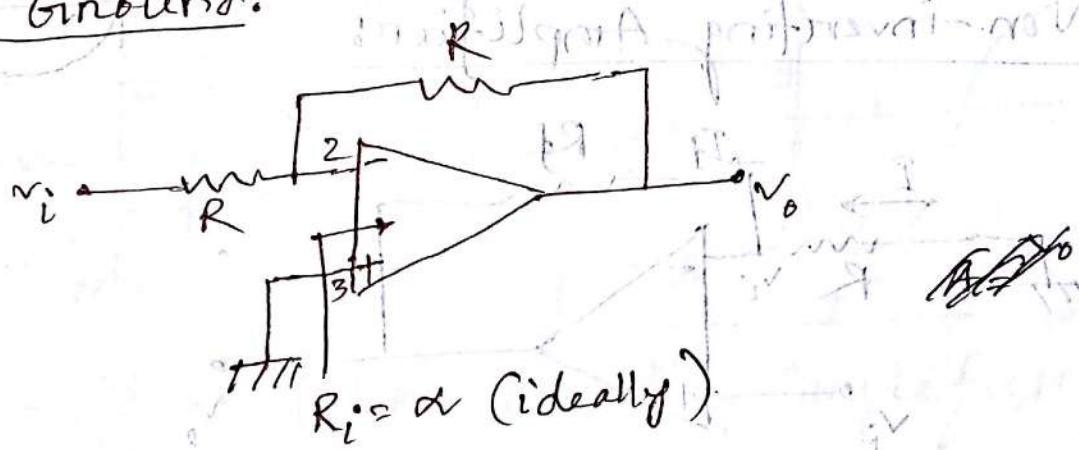
$$\Rightarrow V_o = -\frac{R_f}{R} V_i$$

$$\therefore A = -\frac{R_f}{R}$$

Date: 19/7/2016

9 (E) - Day

Virtual Ground:



~~Feedback~~

$2 \leftrightarrow 3 \rightarrow R_i = \infty$

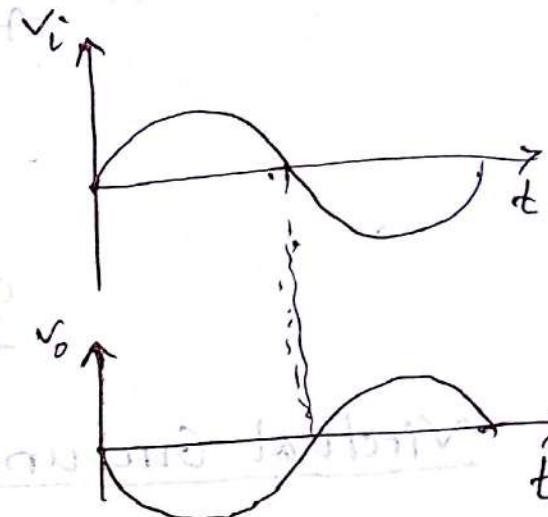
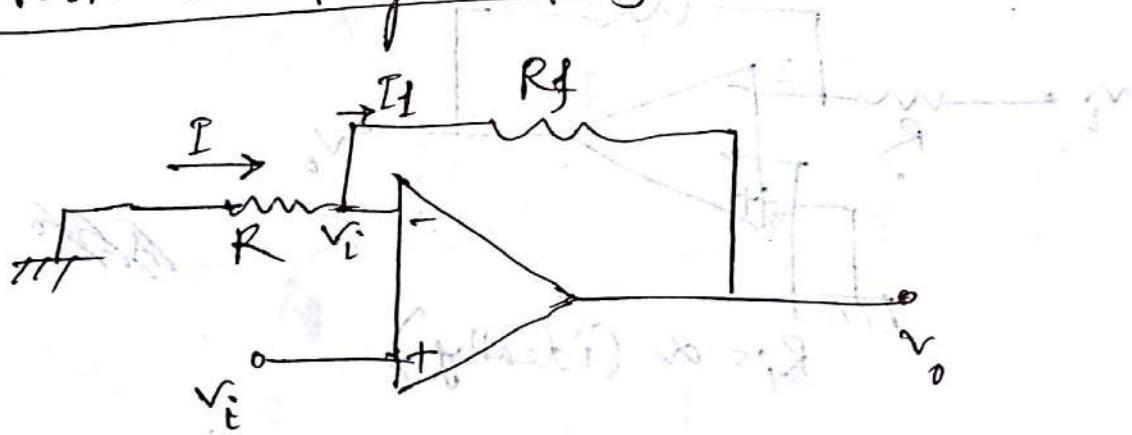
$$I = I_i$$

$$\Rightarrow \frac{V_i - 0}{R} = \frac{0 - V_o}{R_f}$$

$$\Rightarrow V_o = -\frac{R_f}{R} V_i$$

$$\Rightarrow A = \frac{V_o}{V_i} = -\frac{R_f}{R}$$

Non-inverting Amplifiers



$$\frac{0 - (V_i - V_o)}{R} = \frac{V_i - V_o}{R_f}$$

$$V_o = \left(1 + \frac{R_f}{R}\right) V_i$$

$$A = \frac{V_o}{V_i} = 1 + \frac{R_f}{R}$$

Note

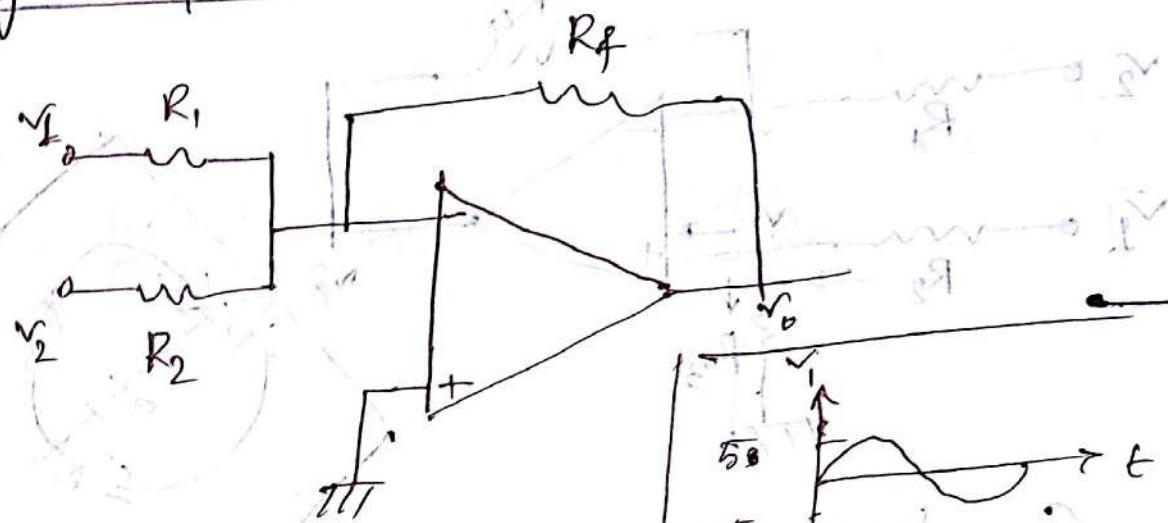
$$\frac{d^2 V_o}{dt^2} + 2 \frac{dx}{dt} \rightarrow$$

$$\Rightarrow -\frac{V_i}{R} = \frac{V_i}{R_f} - \frac{V_o}{R_f}$$

$$\Rightarrow \frac{V_o}{R_f} = \frac{V_i}{R_f} + \frac{V_i}{R}$$

Summing Amplifier:

non-inverting



V_1 active, V_2 inactive



$$V_{01} = -\frac{R_f}{R_1} V_1 \quad [\text{like inverting Amplifier}]$$

$$\frac{V_1 - 0}{R} = \frac{0 - V_{01}}{R_f}$$

$$\therefore V_{01} = -\frac{R_f}{R_1} V_1$$

$$V \left(\frac{R_f}{R_1} + 1 \right) = V^*$$

$$(V_0 = V_{01} + V_{02})$$

$$= -\frac{R_f}{R_1} V_1 - \frac{R_f}{R_2} V_2$$

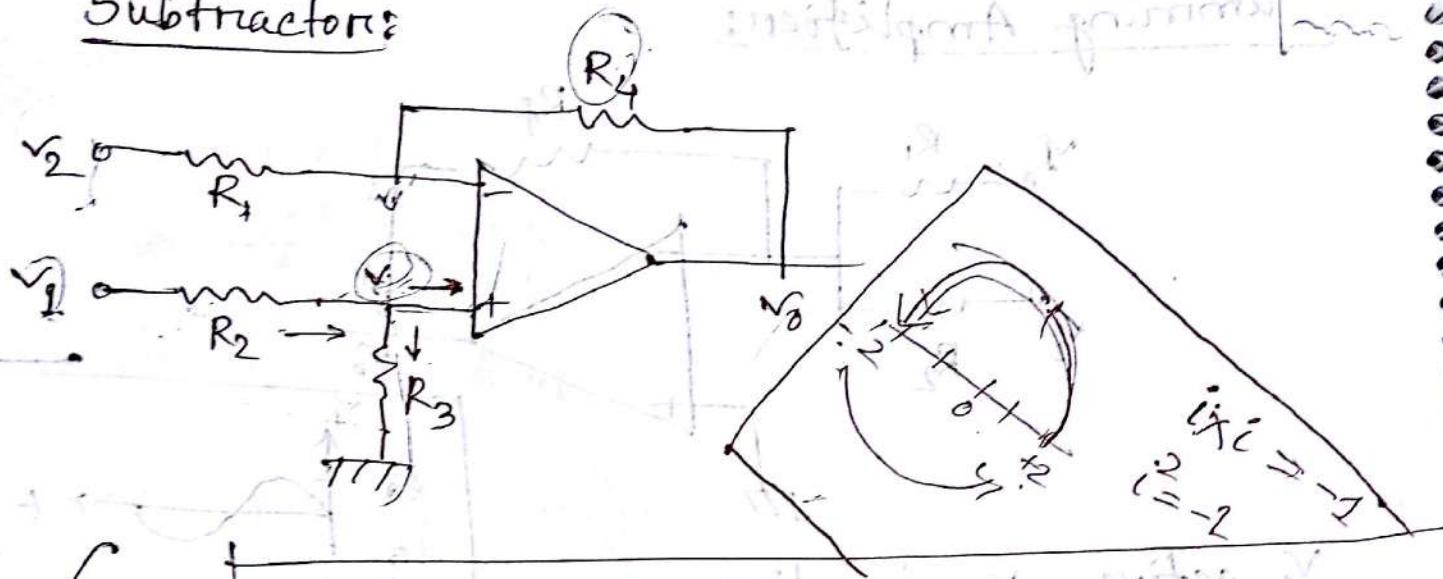
$$\text{if } R_1 = R_2 = R$$

$$V_o = -\frac{R_f}{R} (V_1 + V_2)$$

Similarly, with []

$$V_{02} = -\frac{R_f}{R_2} V_2$$

Subtractors:



$$\frac{V_1 - V}{R_2} = \frac{V - 0}{R_3} + \frac{V - V_o}{R_4}$$

$$\frac{V_1}{R_2} = \frac{V}{R_2} = \frac{V}{R_3} + \frac{V}{R_4} - \frac{V_o}{R_4}$$

$$\frac{V_1}{R_2} = V \left(\frac{1}{R_2} + \frac{1}{R_3} + \frac{1}{R_4} \right) - \frac{V_o}{R_4} \quad | \quad V = \frac{R_3}{R_2 + R_3} V_1$$

$$V_{o1} = \left(1 + \frac{R_4}{R_1} \right) V$$

[Like non inverting Amplifier]

$$= \left(1 + \frac{R_4}{R_1} \right) \frac{R_3}{R_2 + R_3} V$$

$$V_{o2} = - \frac{R_4}{R_1} V_1$$

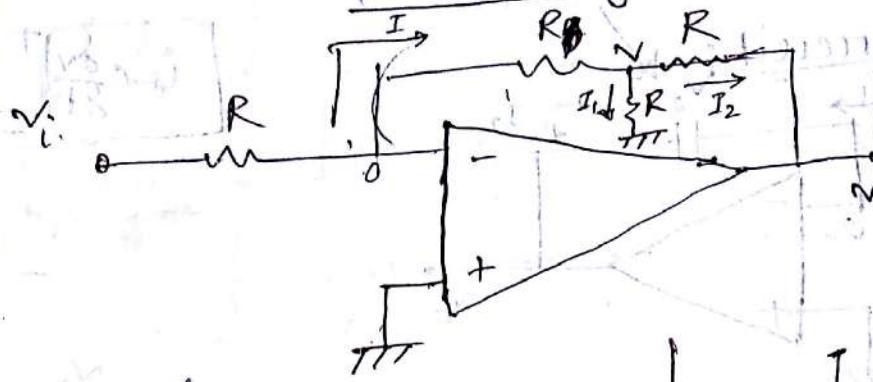
[Like inverting Amplifier]

$$V_o = V_{o1} + V_{o2}$$

$$= \left(1 + \frac{R_4}{R_1}\right) \frac{R_3}{R_2 + R_3} V_1 - \frac{R_4}{R_1} V_1$$

Date: 25/7/2016

10(D)-Day



$$\frac{V_i - V}{R} = \frac{V - V_o}{R}$$

$$\Rightarrow V = -V_i$$

$$I = I_1 + I_2$$

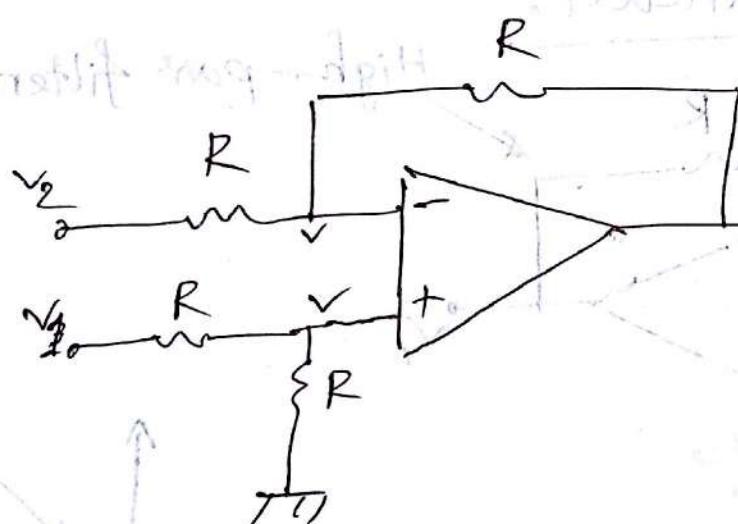
$$\frac{V - V_o}{R} \neq \frac{V}{R} + \frac{V_o}{R}$$

$$\Rightarrow -V = V + V - V_o$$

$$\Rightarrow 3V = V_o$$

$$\Rightarrow -3V = V_o$$

$$\therefore V_o = -3V_i$$



$$\frac{V_2 - V}{R} = \frac{V - V_o}{R}$$

$$\Rightarrow V_2 - V = V - V_o$$

$$\Rightarrow 2V = V_2 + V_o$$

$$\frac{V_1 - V}{R} = \frac{V}{R}$$

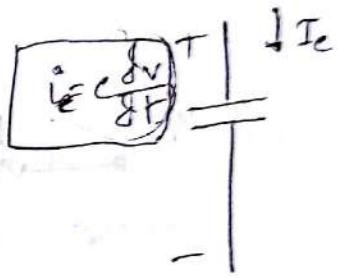
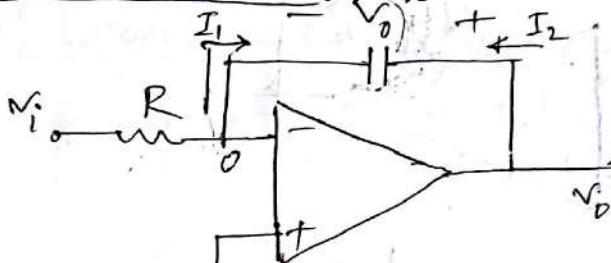
$$\Rightarrow V_1 = 2V = V_2 + V_o$$

$$\Rightarrow V_1 - V_2 = V_o$$

$$\therefore V_o = V_1 - V_2$$

Low-pass filter

Integrator circuit:



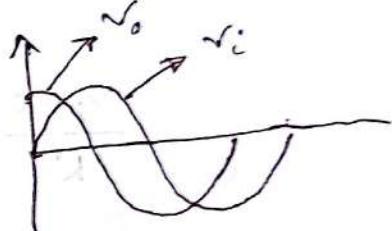
$$\text{Q} \quad I_1 + I_2 = 0$$

$$\frac{V_o}{R} = -C \frac{dV_o}{dt}$$

$$\Rightarrow \frac{dV_o}{dt} = -\frac{1}{RC} V_o$$

$$\Rightarrow V_o = -\frac{1}{RC} \int V_i dt$$

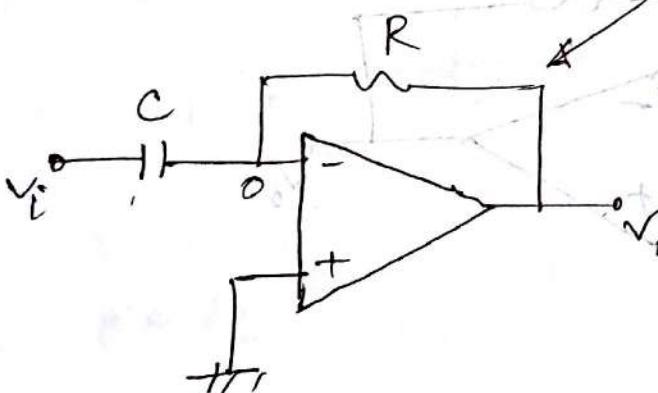
Differential circuit:



$$\int \sin x = -\cos x$$

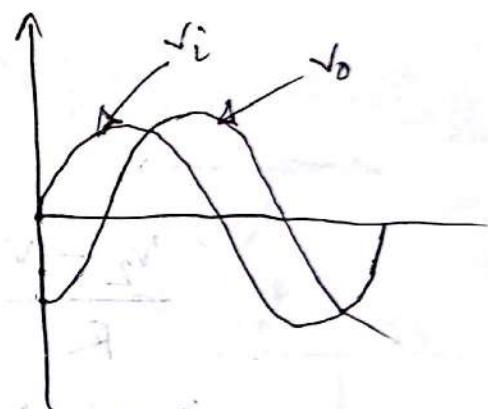
সমীক্ষা - 1 + 2V + \cos x 2^t

High-pass filter



$$C \frac{dV_i}{dt} = \frac{0 - V_o}{R}$$

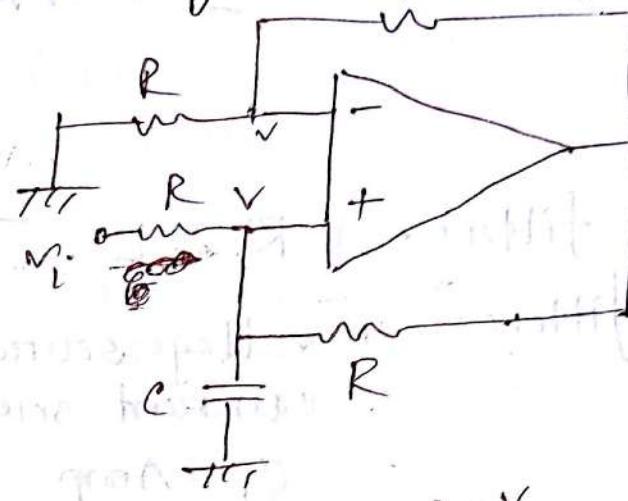
$$\Rightarrow V_o = -RC \frac{dV_i}{dt}$$



$$\frac{d}{dx} \sin x = \cos x$$

সমীক্ষা - 1 - \cos x 2^t

Non-inverting integrator:



$$\frac{V - V}{R} = \frac{V - V_o}{R}$$

$$\Rightarrow -V = V - V_o$$

$$\Rightarrow V_o = 2V$$

$$\frac{V_i - V}{R} = C \frac{dV}{dt} + \frac{V - V_o}{R}$$

$$V_i - V = RC \frac{dV}{dt} + V - V_o$$

$$V_i = RC \frac{dV}{dt} + 2V - V_o$$

$$= RC \frac{dV}{dt} + V_o - V$$

$$\therefore V_i = RC \frac{dV}{dt}$$

$$\therefore V = \frac{1}{RC} \int V_i dt$$

$$\Rightarrow \frac{V_o}{2} = \frac{1}{RC} \int V_i dt$$

$$\Rightarrow V_o = \frac{2}{RC} \int V_i dt$$



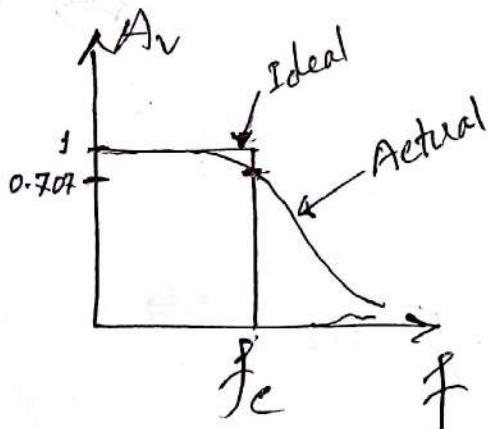
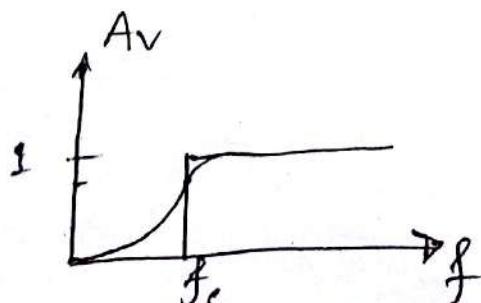
Filter:

- ~~Active~~ ① Passive filter $\rightarrow R, C, L$
- ② Active filter \rightarrow voltage source, current source, OP-Amp

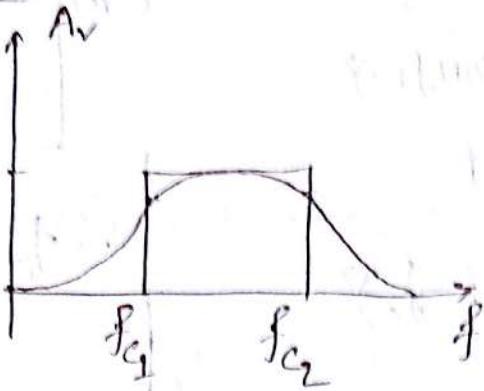
- ① Low-pass
- ② High pass
- ③ Band pass
- ④ Band reject
- ⑤ All pass

Active \rightarrow active + passive

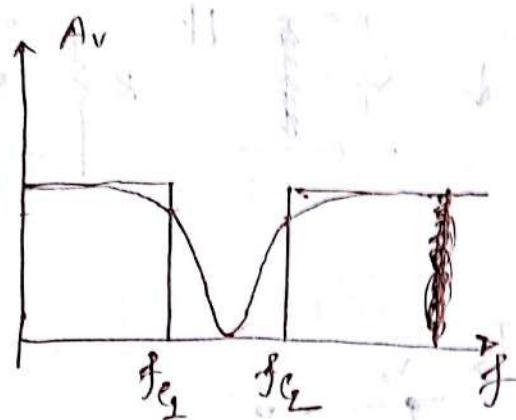
Passive \rightarrow only passive

Low passHigh pass

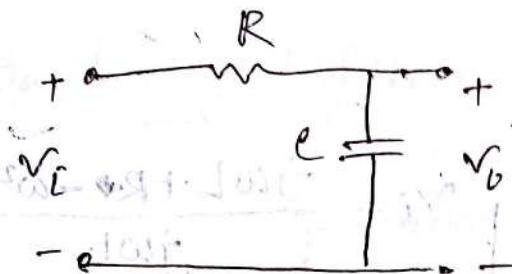
Band pass:



Band reject:



Low pass (passive)



$$V_o = \frac{1}{j\omega C} \times V_i$$

$$R + \frac{1}{j\omega C}$$

$$\frac{V_o}{V_i} = \frac{1}{1+j\omega RC}$$

$$|A_v| = \left| \frac{V_o}{V_i} \right| = \frac{1}{\sqrt{1 + (\omega RC)^2}}$$

at, $\omega = \omega_c$:

$$A_v = \frac{1}{\sqrt{2}}$$

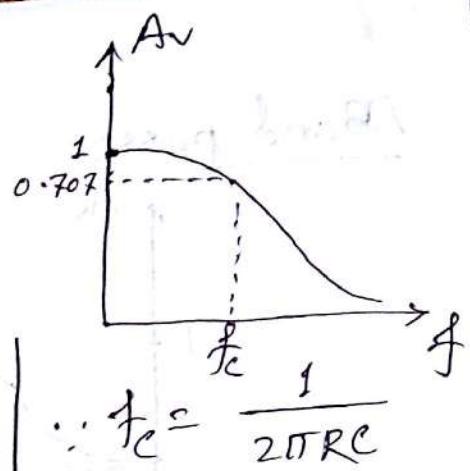
$$\Rightarrow \frac{1}{\sqrt{1 + (2\pi f_c R C)^2}} = \frac{1}{\sqrt{2}}$$

$$\Rightarrow \frac{1}{1 + (2\pi f_c R C)^2} = \frac{1}{2}$$

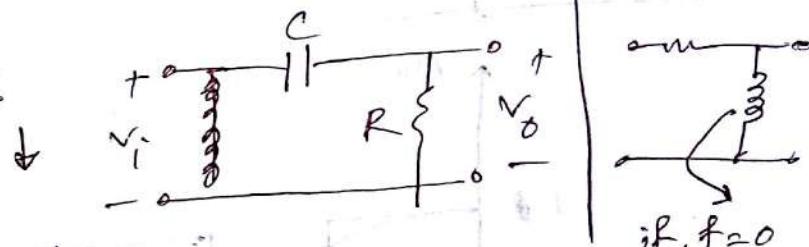
$$\Rightarrow f_c = \frac{1}{2\pi R C}$$

$$A_v = \frac{1}{\sqrt{1 + (2\pi f R C)^2}}$$

$$= \frac{1}{\sqrt{1 + \left(\frac{f}{f_c}\right)^2}}$$

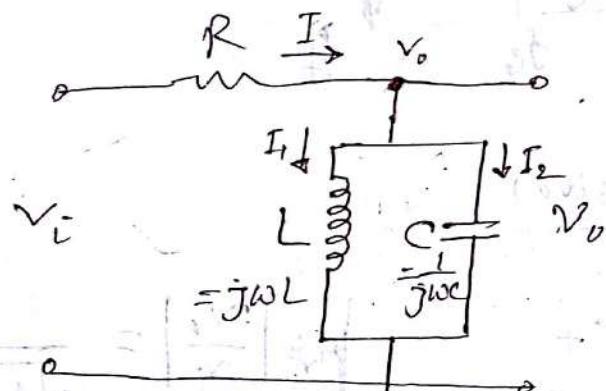


High pass
previous class



if, $f=0$
↳ short

Band pass (Passive):



$$I = I_1 + I_2$$

$$\Rightarrow \frac{V_i - V_o}{R} = \frac{V_o}{j\omega L} + \frac{V_o}{\frac{1}{j\omega C}}$$

$$\Rightarrow V_i - V_o = \frac{R}{j\omega L} V_o + j\omega RC V_o$$

$$\Rightarrow V_i = \left(1 + \frac{R}{j\omega L} + j\omega RC\right) V_o$$

$$V_i = \frac{j\omega L + R - \omega^2 L R C}{j\omega L} V_o$$

$$\Rightarrow \frac{V_o}{V_i} = \frac{j\omega L}{j\omega L + R - \omega^2 L R C}$$

$$|A_v| = \frac{\omega L}{\sqrt{(R - \omega^2 L C)^2 + (\omega L)^2}}$$

at $f = f_c$, $A_V = \frac{1}{\sqrt{2}}$

$$\frac{\omega_c L}{\sqrt{(R - \omega_c^2 RLC)^2 + (\omega_c L)^2}} = \frac{1}{\sqrt{2}}$$

$$\Rightarrow 2(\omega_c L)^2 = (R - \omega_c^2 RLC)^2 + (\omega_c L)^2$$

$$\Rightarrow (R - \omega_c^2 RLC)^2 = (\omega_c L)^2$$

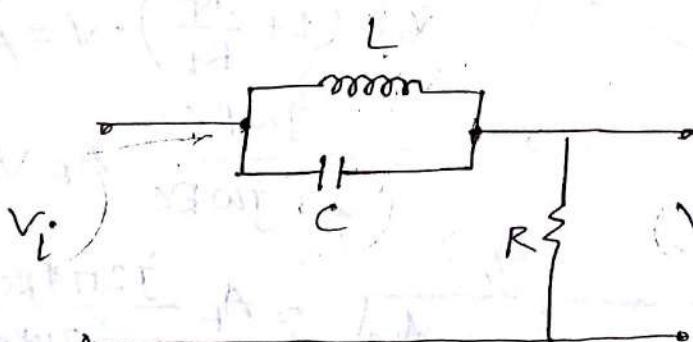
$$\Rightarrow R - \omega_c^2 RLC = \omega_c L$$

$$\Rightarrow \omega_c^2 RLC + \omega_c L - R = 0 \quad [\text{Quadratic equation}]$$

$$\Rightarrow \omega_c = \frac{-L \pm \sqrt{L^2 + 4R^2 LC}}{2RLC}$$

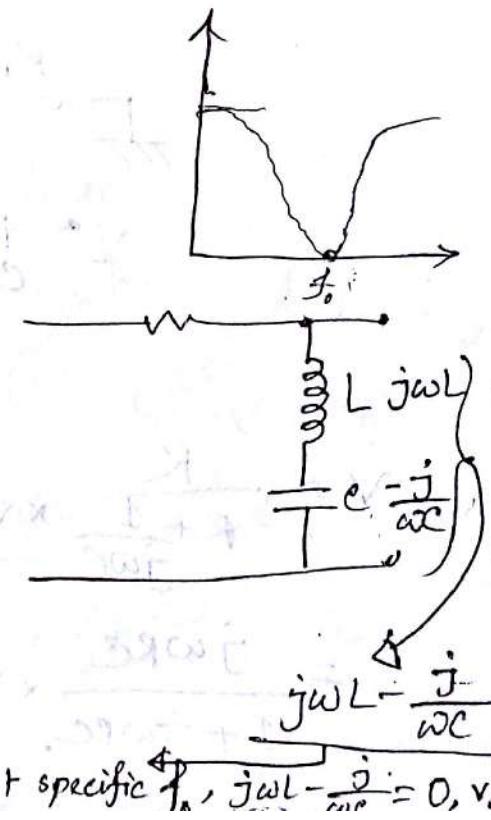
$$\Rightarrow \omega_c = -\frac{L}{2RC} \pm \sqrt{\left(\frac{1}{2RC}\right)^2 + \frac{1}{LC}}$$

Band reject filter:



$$\omega L = \frac{1}{\omega C}$$

$$\Rightarrow f_o = \frac{1}{2\pi\sqrt{LC}}$$

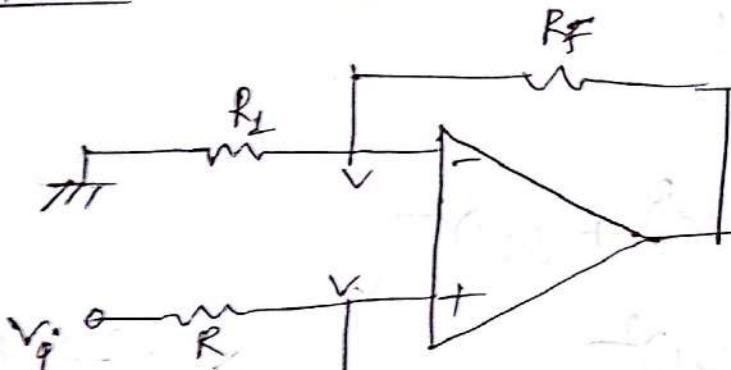


At specific f_o , $jwL - \frac{j}{wC} = 0$, $V_o = 0$

Active filter:

Low pass

Op-Amp, R, C (No inductor)



$$V_o = \left(1 + \frac{R_f}{R_s}\right) V$$

$$= A_F \times \frac{1}{1+j\omega RC} \times V_i$$

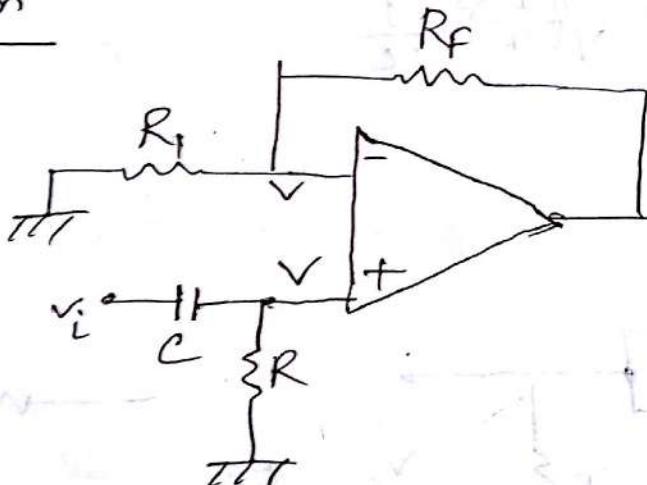
$$V = \frac{\frac{1}{j\omega C}}{R + \frac{1}{j\omega C}} \times V_i$$

$$V = \frac{1}{1+j\omega CR} \times V_i$$

$$V_o = \frac{1}{1+j2\pi fRC} \times V_i \times A_F$$

$$= \frac{1}{1+j\frac{f}{f_c}} \times V_i \times A_F$$

High pass



$$= \frac{A_F}{\sqrt{1 + (\frac{f}{f_c})^2}} \times V_i$$

feedback gain

$$V_o = \left(1 + \frac{R_f}{R_s}\right) \times V = A_F V$$

$$= \frac{j\omega RC}{1+j\omega RC} A_F V_i$$

$$V = \frac{R}{R + \frac{1}{j\omega C}} \times V_i$$

$$= \frac{j\omega RC}{1+j\omega RC} \times V_i$$

$$\frac{1}{\omega C} = \frac{1}{R}$$

$$\Rightarrow \frac{1}{2\pi f_c} = \frac{1}{R}$$

$$\Rightarrow f_c = \frac{1}{2\pi RC}$$

$$= A_F \frac{j2\pi fRC}{1+j2\pi fRC} \times V_i$$

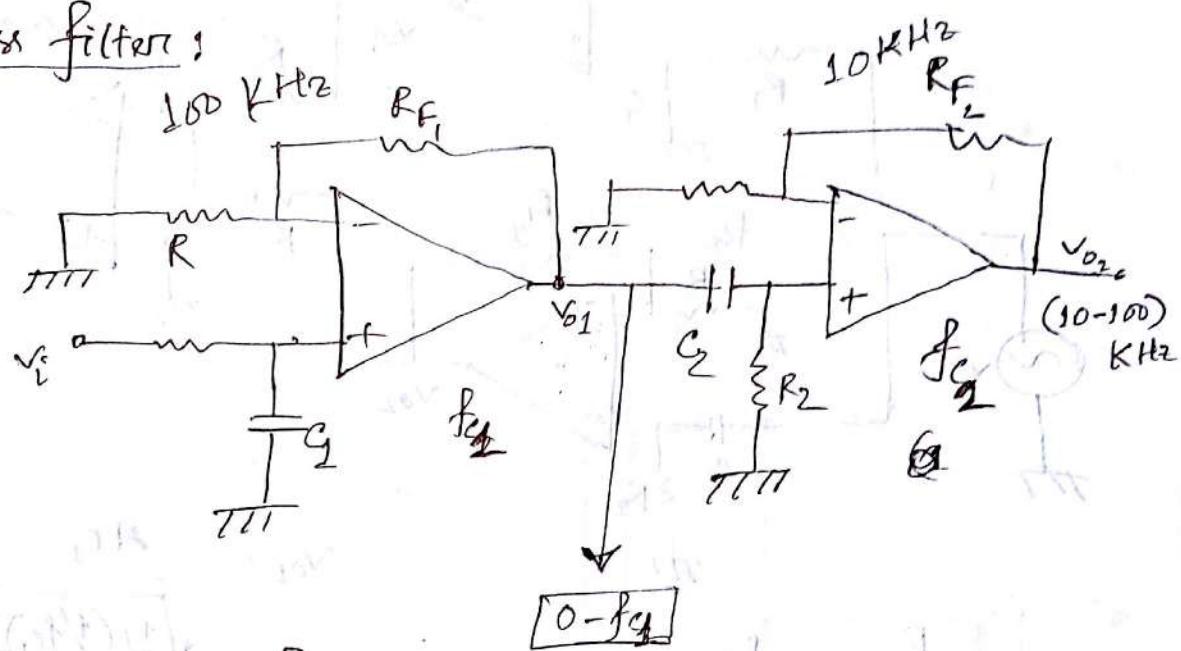
$$= A_F \frac{j(\frac{f}{f_c})}{1+j(\frac{f}{f_c})} \times V_i$$

$$\frac{V_o}{V_i} = \frac{j(\delta/\delta_c)}{1 + j(\delta/\delta_c)} A_F$$

$$|\frac{V_o}{V_i}| = \frac{\delta/\delta_c}{\sqrt{1 + (\delta/\delta_c)^2}} A_F$$

1 kHz cut-off frequency and gain 2 → circuit design

Band-pass filter:



if $f_{q_1} < f_{c_2}$, then no output.

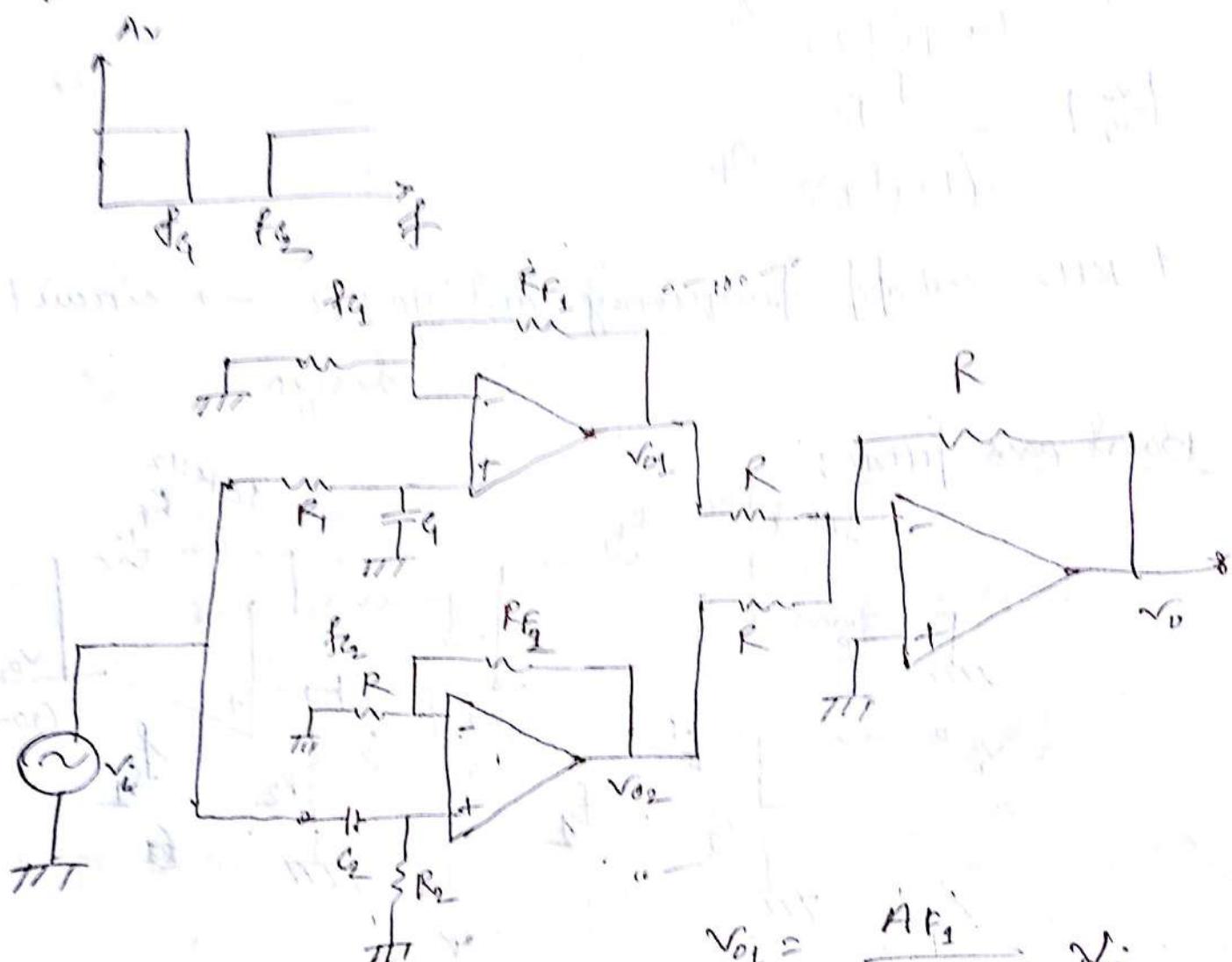
$$V_{o_1} = \frac{A F_1}{\sqrt{1 + (\delta/\delta_{c_1})^2}}, V_i$$

$$V_{o_2} = \frac{A F_2}{\sqrt{1 + (\delta/\delta_{c_2})^2}} V_{o_1}$$

$$V_o = \frac{A F_1 \times A F_2 (\delta/\delta_{c_2})}{\sqrt{(1 + (\delta/\delta_{c_1})^2)(1 + (\delta/\delta_{c_2})^2)}} \times V_i$$

$$= \frac{A F_T (\delta/\delta_{c_2})}{\sqrt{(1 + (\delta/\delta_{c_1})^2)(1 + (\delta/\delta_{c_2})^2)}} V_i$$

Band Reject filter:



$$f_{C_1} < f_{C_2}$$

$(f_C) - f_L$ blocked

$$V_{o1} = \frac{Af_1}{\sqrt{1 + (f/f_{C_1})^2}} V_i$$

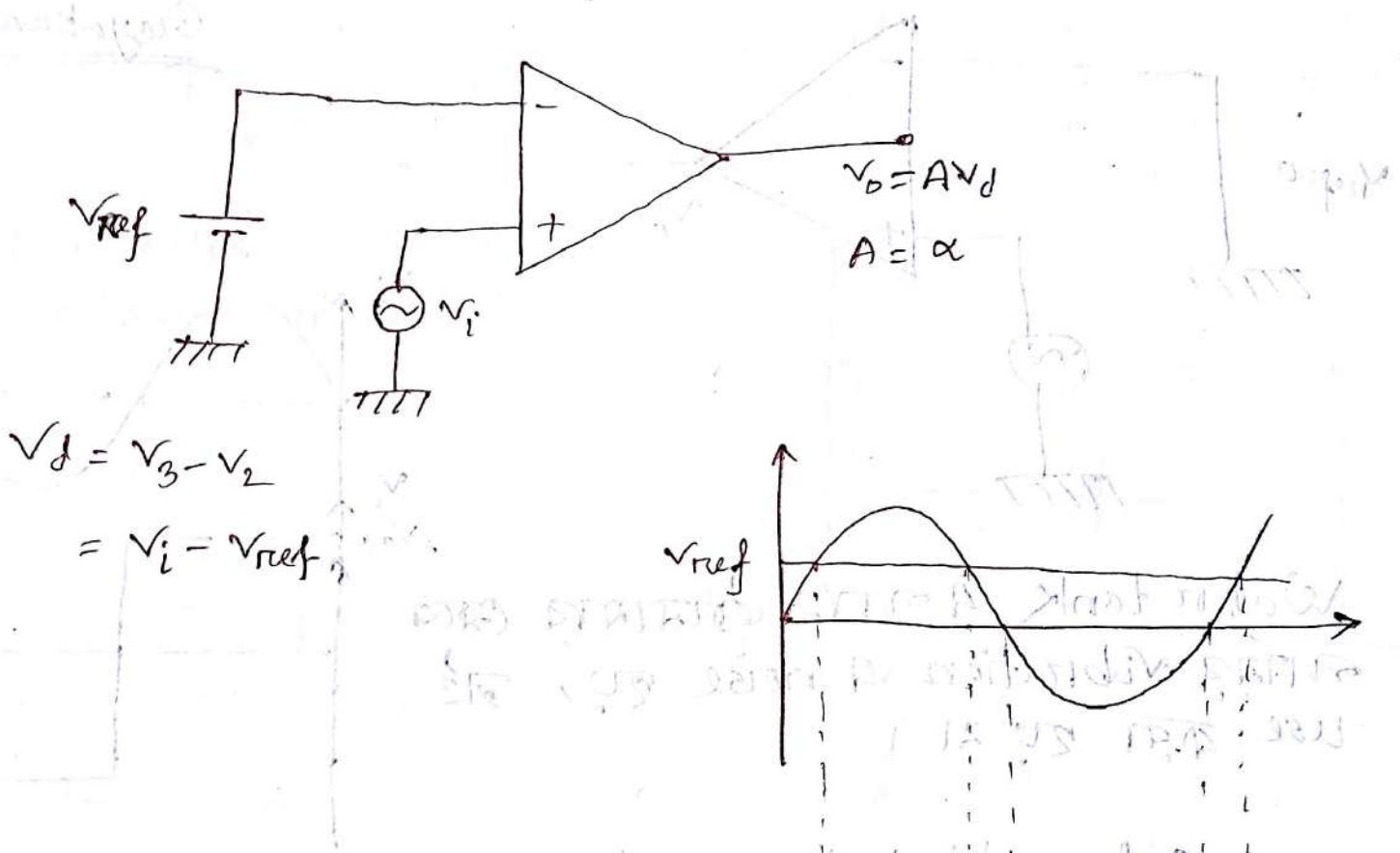
$$V_{o2} = \frac{Af_2 (f/f_{C_2})}{\sqrt{1 + (f/f_{C_2})^2}} V_i$$

$$V_o = V_{o1} + V_{o2}$$

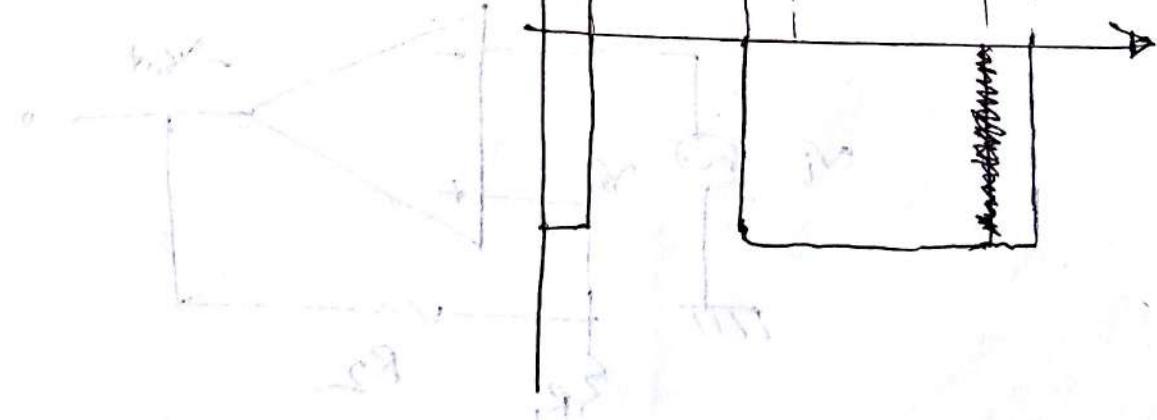
11(D)-Day

Date: 01/8/2016

Comparator Circuit:



Output will be a step

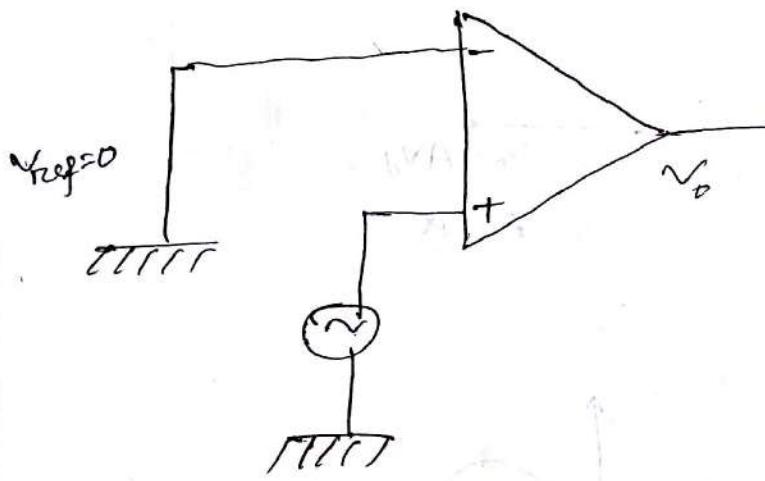


Zero crossing detector:

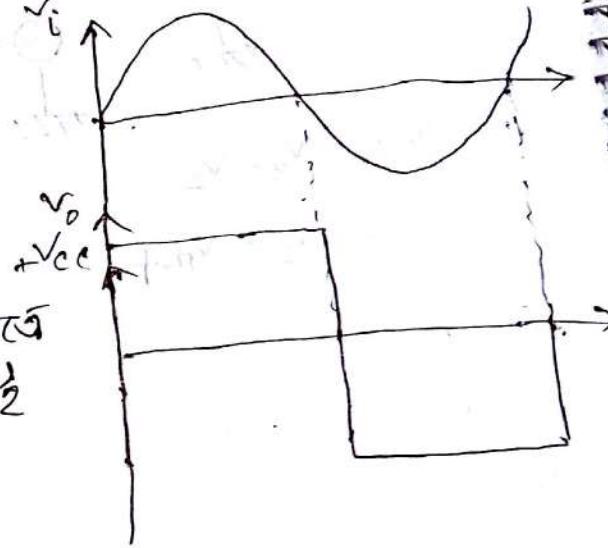
Schmitt trigger circuit:

Chapter 8

Grayakward

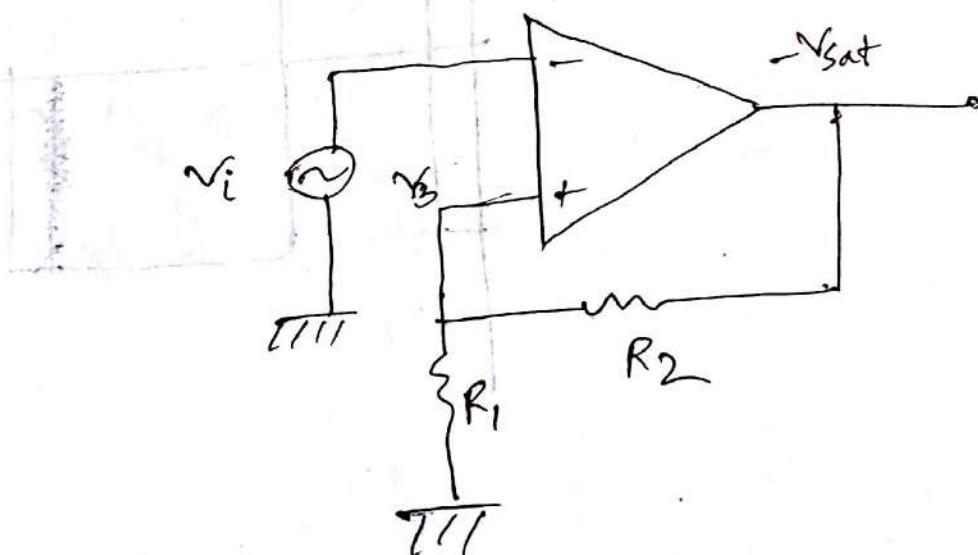


Water tank ആണ് ക്രമാന്വയ ചേരു
ബാഹ്യ വിവരം അലോ എപ്പും താഴെ
use കാശ എപ്പും



Schmitt trigger circuit:

sat \rightarrow saturation



$$V_g = V_3 - V_2$$

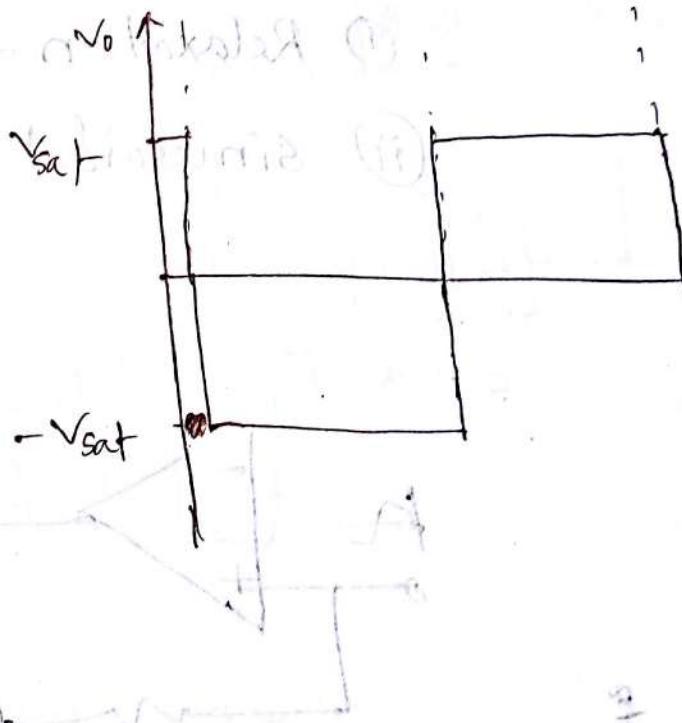
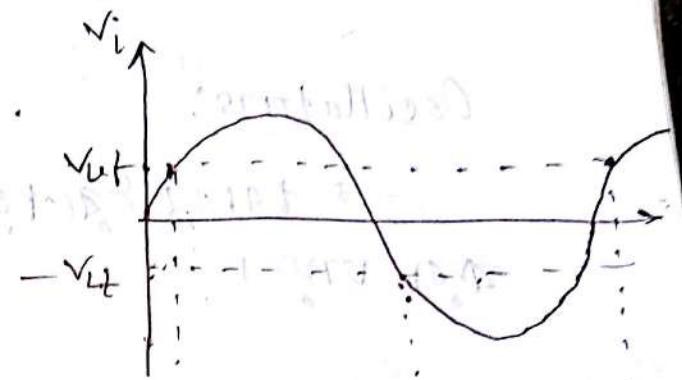
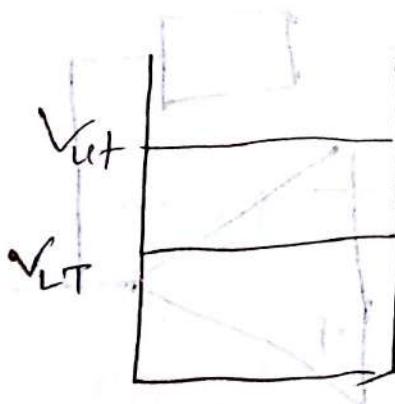
when, $v_2 < v_3$

$$-v_{LT} = v_3 = \frac{R_1}{R_1 + R_2} (-v_{sat})$$

when, $v_2 > v_3$

$$v_{ut} = \frac{R_1}{R_1 + R_2} (+v_{sat})$$

v_{ut} \rightarrow upper threshold
 v_{LT} \rightarrow lower threshold

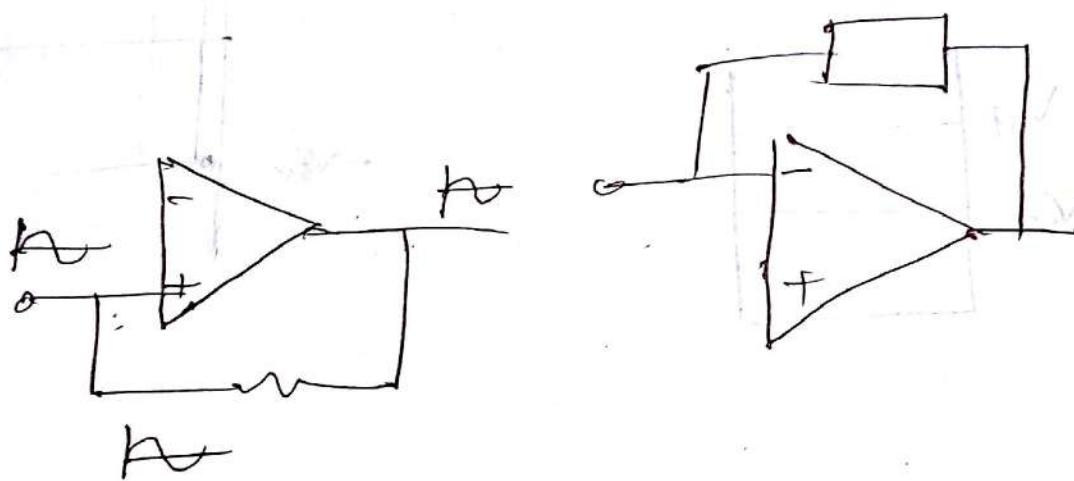


Oscillators:

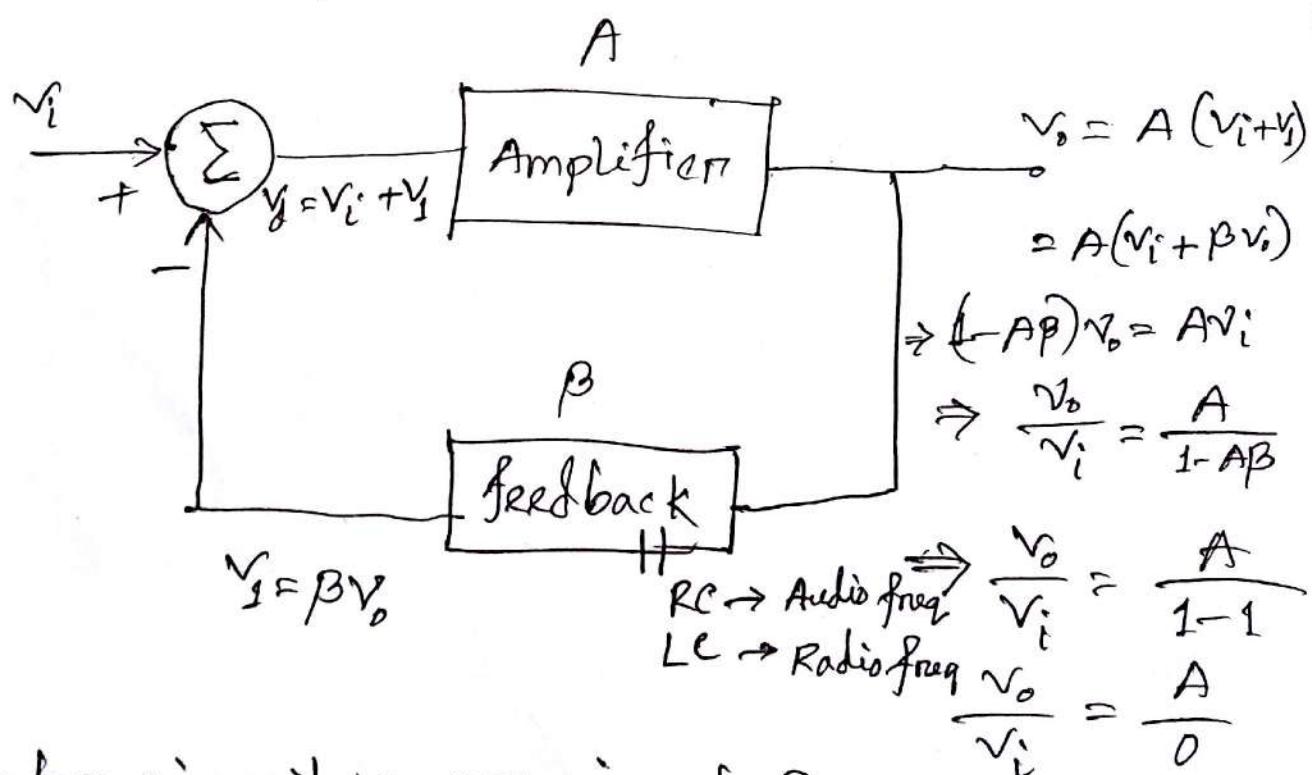
→ फेज सेट्टिंग द्वारा Periodic waveform generate करते हैं।

i) Relaxation → Square, triangular

ii) Sinusoidal



Audio freq → 20 - 20,000 Hz



Oscillator circuit ने किसे input दिया था?

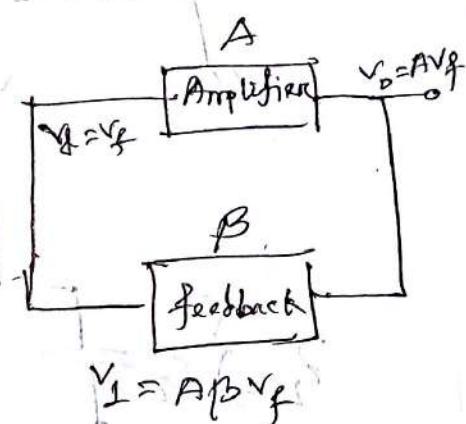
Power av. Amplified at biasing voltage zero

Barkhausen condition for oscillation:

$$AB = 1 \angle 0^\circ = 1 \angle 360^\circ$$

$$v_f = v_f \quad v_o = A v_f$$

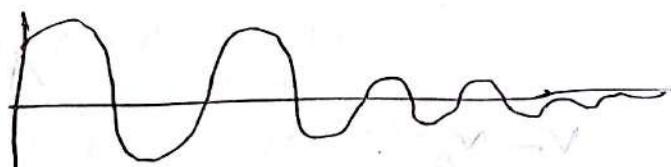
$$v_i = AB v_f$$



$$AB > 1$$



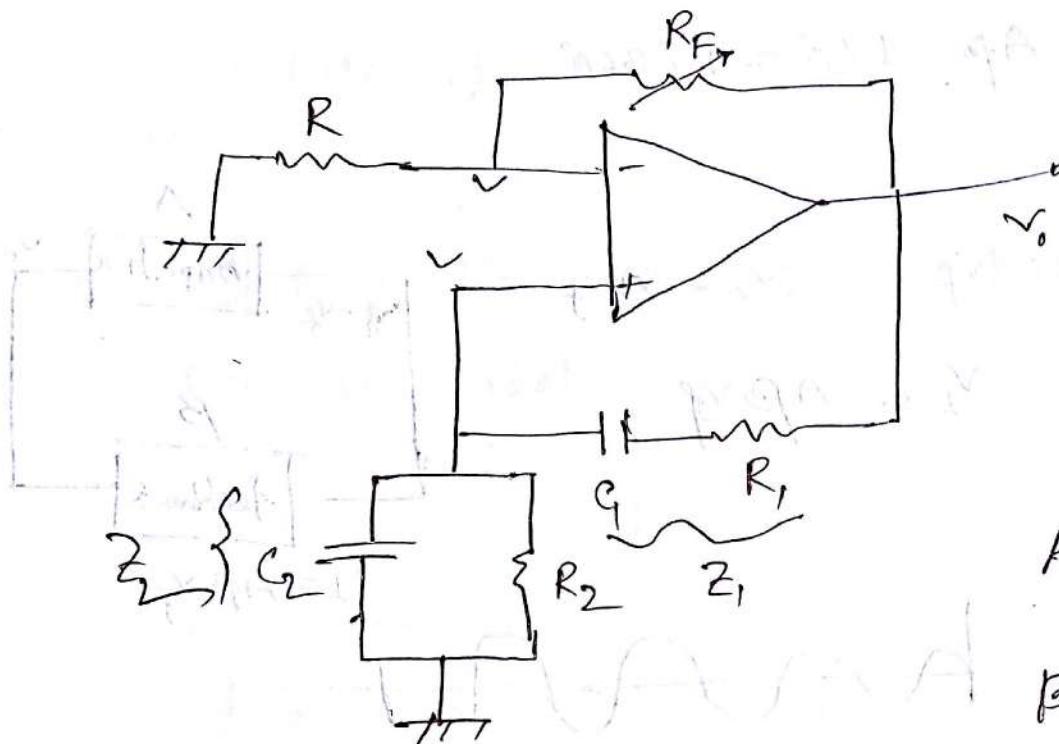
$$AB < 1$$



* Initially oscillation থাকবে যদি $AB > 1$ হাতে
যা, পরে var. resistance এর স্থানে গুন এর value করা

* Signal ক্ষমতা noise.

Wein bridge Oscillator:



$$A = 1 + \frac{R_F}{R}$$

$$\beta = \frac{1}{A}$$

$$A\beta = 1 \text{ } 10^\circ$$

$$\frac{O - V}{R} = \frac{V - V_o}{R_F}$$

$$\Rightarrow V = - \frac{R}{R_F} (V - V_o)$$

$$\Rightarrow \left(1 + \frac{R}{R_F}\right) V = \frac{R}{R_F} V_o$$

$$V_o = \left(1 + \frac{R_F}{R}\right) V_o [Directly from the eqn]$$

$$Z_1 = R_1 + \frac{1}{j\omega C_1} = \frac{1 + j\omega R_1 C_1}{j\omega C_1}$$

$$Z_2 = R_2 || \frac{1}{j\omega C_2} = \frac{\frac{1}{j\omega C_2}}{R_2 + \frac{1}{j\omega C_2}}$$

$$= \frac{R_2}{1 + j\omega R_2 C_2}$$

$$V = \frac{Z_2}{Z_1 + Z_2} \times V_o$$

$$\frac{V}{V_o} = \frac{\frac{R_2}{1 + j\omega R_2 C_2}}{\frac{1 + j\omega R_1 C_1}{j\omega C_1} + \frac{R_2}{1 + j\omega R_2 C_2}}$$

$$\frac{V}{V_o} = \frac{\frac{R_2}{1 + j\omega R_2 C_2}}{(1 + j\omega R_1 C_1)(1 + j\omega R_2 C_2) + j\omega R_2 C_1}$$

$$\frac{V}{V_o} = \frac{j\omega R_2 C_1}{(1 + j\omega R_1 C_1)(1 + j\omega R_2 C_2) + j\omega R_2 C_1}$$

$$\frac{V}{V_o} = \frac{j\omega R_2 C_1}{1 + j\omega R_1 C_1 + j\omega R_2 C_2 - \omega^2 R_1 R_2 C_1 C_2 + j\omega R_2 C_1}$$

$$\frac{V}{V_o} = \frac{1}{\frac{R_1}{R_2} + \frac{C_2}{C_1} + 1 + j\omega R_1 C_2 + \frac{1}{j\omega R_2 C_1}}$$

$$\frac{V}{V_o} = \frac{1}{\frac{R_1}{R_2} + \frac{C_2}{C_1} + 1 + j(\omega R_1 C_2 - \frac{1}{\omega R_2 C_1})}$$

when,

$$\omega R_1 C_2 - \frac{1}{\omega R_2 C_1} = 0$$

then, gain maximum

$$\frac{1}{R+jx} = \frac{1}{\sqrt{R^2+x^2}}$$

$$\omega R_1 C_2 = \frac{1}{\omega R_2 C_1}$$

$$\Rightarrow \omega^2 = \frac{1}{R_1 R_2 C_1 C_2}$$

$$\therefore \omega = \frac{1}{\sqrt{R_1 R_2 C_1 C_2}}$$

$$\therefore f_2 = \frac{1}{2\pi\sqrt{R_1 R_2 C_1 C_2}}$$

f frequency at

gain

maximum.

Then,

$$B = \frac{1}{\frac{R_1}{R_2} + \frac{C_2}{C_1} + 1}$$

when, $R_1 = R_2$, $C_1 = C_2$, then $f = \frac{1}{2\pi RC}$

$$\beta = \frac{1}{1+1+1} = \frac{1}{3}$$

$$A\beta = 1$$

$$A = \frac{1}{\beta} = 3$$

$$\Rightarrow 1 + \frac{R_F}{R} = 3$$

$$\Rightarrow \frac{R_F}{R} = 2$$

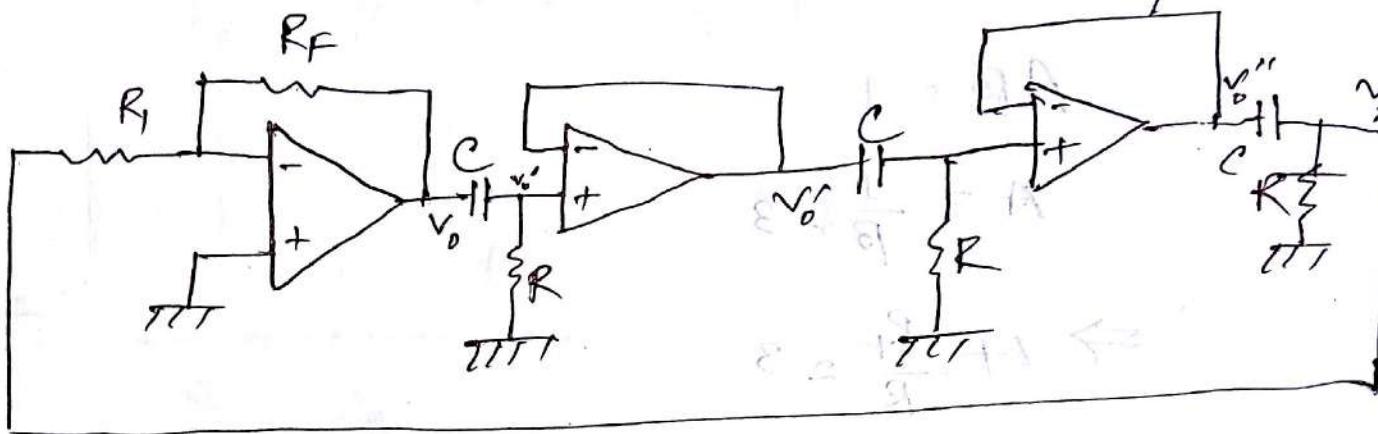
$$\Rightarrow R_F = 2R$$

12(D)-Day

Date : 8/8/2016

Phase-shift Oscillator (Buffered)

Impedance matching for
use for V_o



$$A = -\frac{R_F}{R_1}$$

$$\begin{aligned} V_o' &= \frac{R}{R + \frac{1}{j\omega C}} V_o \\ &= \frac{j\omega R C}{1 + j\omega R C} \times V_o \end{aligned}$$

$$V_o'' = \frac{j\omega R C}{1 + j\omega R C} \times V_o'$$

$$V_f = \frac{j\omega R C}{1 + j\omega R C} V_o''$$

$$= \frac{(j\omega R C)^3}{(1 + j\omega R C)^3} V_o$$

$$\frac{V_f}{V_o} = \frac{-j\omega^3 R^3 C^3}{1 + j\omega R C - 3\omega^2 R^2 C^2 - j\omega^3 R^3 C^3}$$

$$\begin{aligned} \therefore \frac{V_f}{V_o} &= \frac{-\omega^2 R^2 C^2}{\frac{1}{j\omega R C} + 3 - \frac{3\omega R C}{j} - \omega^2 R^2 C^2} \\ &\quad - \omega^2 R^2 C^2 \\ &\quad \downarrow = +j 3\omega R C \end{aligned}$$

$$= \frac{3 - \omega^2 R^2 C^2 + j(3\omega R C - \frac{1}{\omega R C})}{3 - \omega^2 R^2 C^2 + j(3\omega R C - \frac{1}{\omega R C})}$$

$$3\omega RC = \frac{1}{\omega RC}$$

$$\Rightarrow \omega^2 = \frac{1}{3R^2C^2}$$

$$\Rightarrow f = \frac{1}{2\pi\sqrt{3}RC}$$

[At this frequency,
gain is maximum]

$$\therefore \beta = -\frac{\omega^2 R^2 C^2}{3 - \omega^2 R^2 C^2}$$

$$= -\frac{\frac{1}{3}}{3 - \frac{1}{3}}$$

$$= -\frac{1}{8}$$

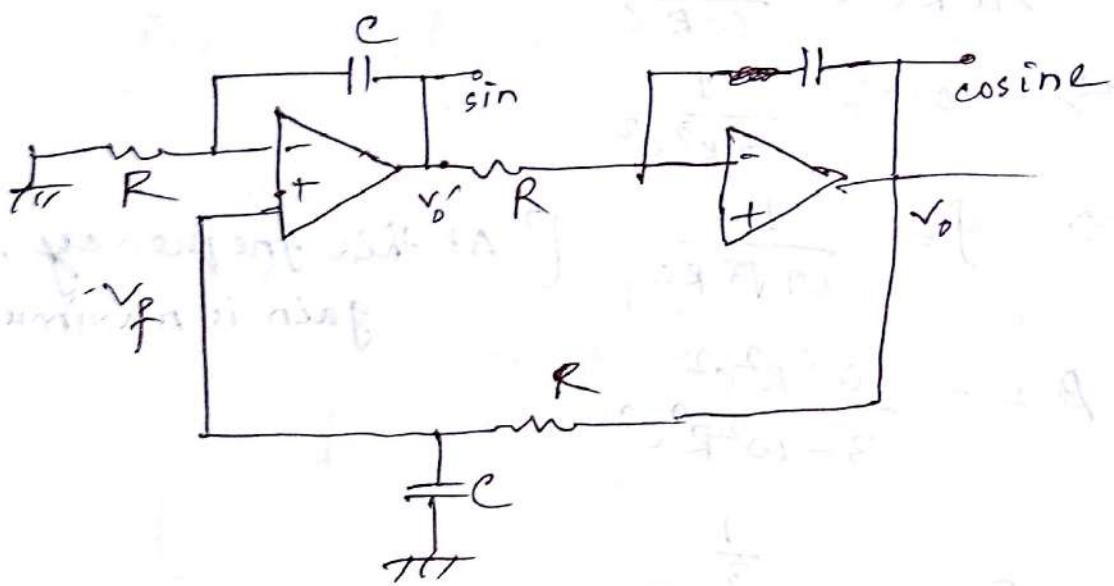
$$AB = 1$$

$$\Rightarrow \frac{R_F}{R_I} \times \frac{1}{8} = 1$$

$$\Rightarrow \frac{R_F}{R_I} = 8$$

$$\therefore R_F = 8R_I$$

Quadrature Oscillator:



$$v' = \left(1 + \frac{j\omega c}{R} \right) V_f$$

$$= \frac{1 + j\omega RC}{j\omega RC} V_f$$

$$v_o = - \frac{\frac{1}{j\omega c}}{R} v'$$

$$= - \frac{1}{j\omega RC} \times \frac{1 + j\omega RC}{j\omega RC} \times V_f$$

$$A = - \frac{1 + j\omega RC}{(j\omega RC)^2}$$

$$V_f = \frac{\frac{1}{j\omega c}}{R + \frac{1}{j\omega c}} v_o = \frac{1}{1 + j\omega RC} v_o$$

$$\therefore B = \frac{1}{1+j\omega RC}$$

$$AB = - \frac{\frac{1}{1+j\omega RC}}{(1+j\omega RC)^2} \times \frac{1}{1+j\omega RC}$$

$$\Sigma \frac{1}{-\omega^2 R^2 C^2}$$

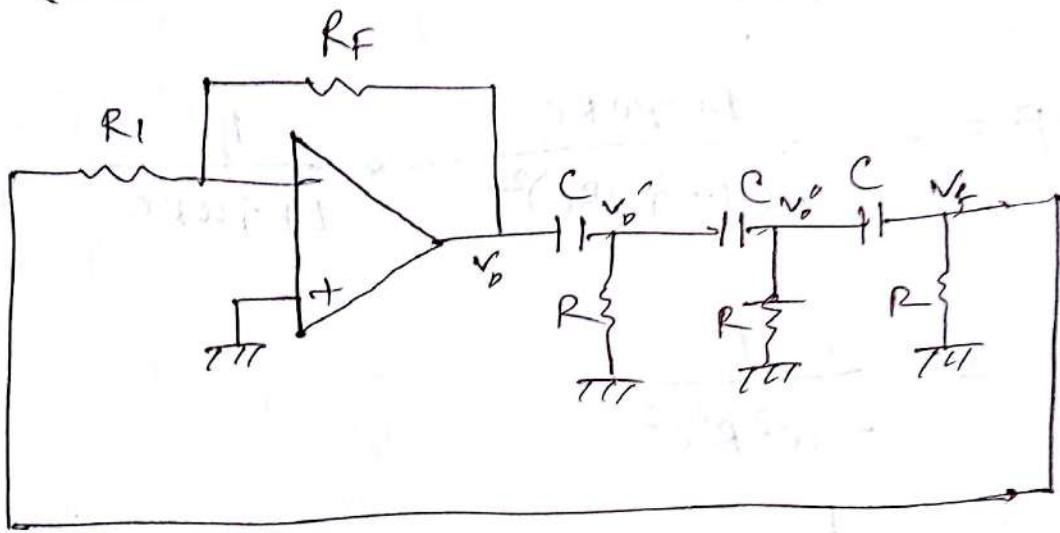
$$= \frac{1}{\omega^2 R^2 C^2}$$

~~$$\frac{1}{\omega^2 R^2 C^2} = 1 \text{ } \angle 0^\circ$$~~

$$\Rightarrow \omega^2 R^2 C^2 = 1 \quad [\text{frequency of oscillation}]$$

$$\Rightarrow f = \frac{1}{2\pi RC}$$

Phase-shift oscillator (not buffered):



$$\frac{V_o - V_o'}{\frac{1}{SC}} = \frac{V_o'}{R} + \frac{V_o' - V_o''}{\frac{1}{SC}} \quad | \quad s = j\omega$$

$$\Rightarrow SRC(V_o - V_o') = V_o' + SRC(V_o' - V_o'')$$

(initialises to ground)

$$\frac{V_o' - V_o''}{\frac{1}{SC}} = \frac{V_o''}{R} + \frac{V_o'' - V_f}{\frac{1}{SC}}$$

$$\Rightarrow SRC(V_o' - V_o'') = V_o'' + SRC(V_o'' - V_f)$$

$$\frac{V_o'' - V_f}{\frac{1}{SC}} = \frac{V_f}{R} \quad [R_1 \rightarrow \sigma \text{ value at } 100\text{Hz} (2\pi f)]$$

$$\Rightarrow SRC(V_o'' - V_f) = V_f$$

$$\frac{V_f}{V_o} = \frac{s^3 R^3 C^3}{s^3 R^3 C^3 + 6s^2 R^2 C^2 + 5SRC + 1}$$

$$\frac{V_f}{V_0} = \frac{s^3 R^3 C^3}{s^3 R^3 C^3 + 6s^2 R^2 C^2 + 5s R C + 1}$$

$$= \frac{-j\omega^3 R^3 C^3}{-j\omega^3 R^3 C^3 - 6\omega^2 R^2 C^2 + j5\omega R C + 1}$$

$$= \frac{-\omega^2 R^2 C^2}{-\omega^2 R^2 C^2 - \frac{6\omega R C + 5}{j} + \frac{1}{j\omega R C}}$$

$$= \frac{-\omega^2 R^2 C^2}{\frac{1}{j} - \omega^2 R^2 C^2 + j\left(6\omega R C - \frac{1}{\omega R C}\right)}$$

$$6\omega R C = \frac{1}{j}$$

$$\Rightarrow \omega^2 = \frac{1}{6R^2 C^2}$$

$$\Rightarrow \omega = \sqrt{\frac{1}{6RC}}$$

$$\therefore f = \frac{1}{2\pi\sqrt{6RC}}$$

$$\beta = -\frac{\frac{1}{6}}{5 - \frac{1}{6}} = -\frac{1}{29}$$

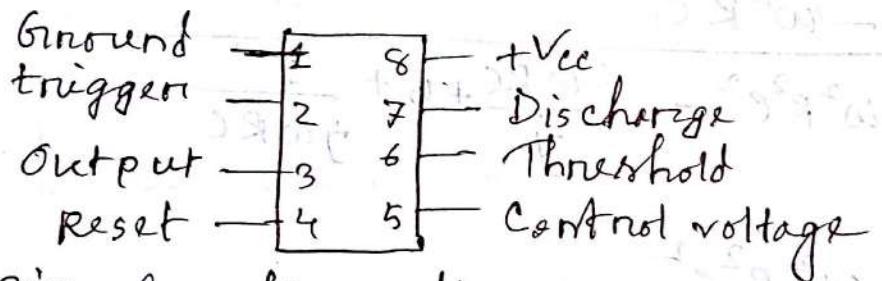
$$A = -\frac{R_F}{R_I} \quad \left| \quad \begin{array}{l} AB = 1 \\ \frac{R_F}{R_I} = 29 \end{array} \right.$$

12(E)-Day

Date: 9/8/2016

555-timer:

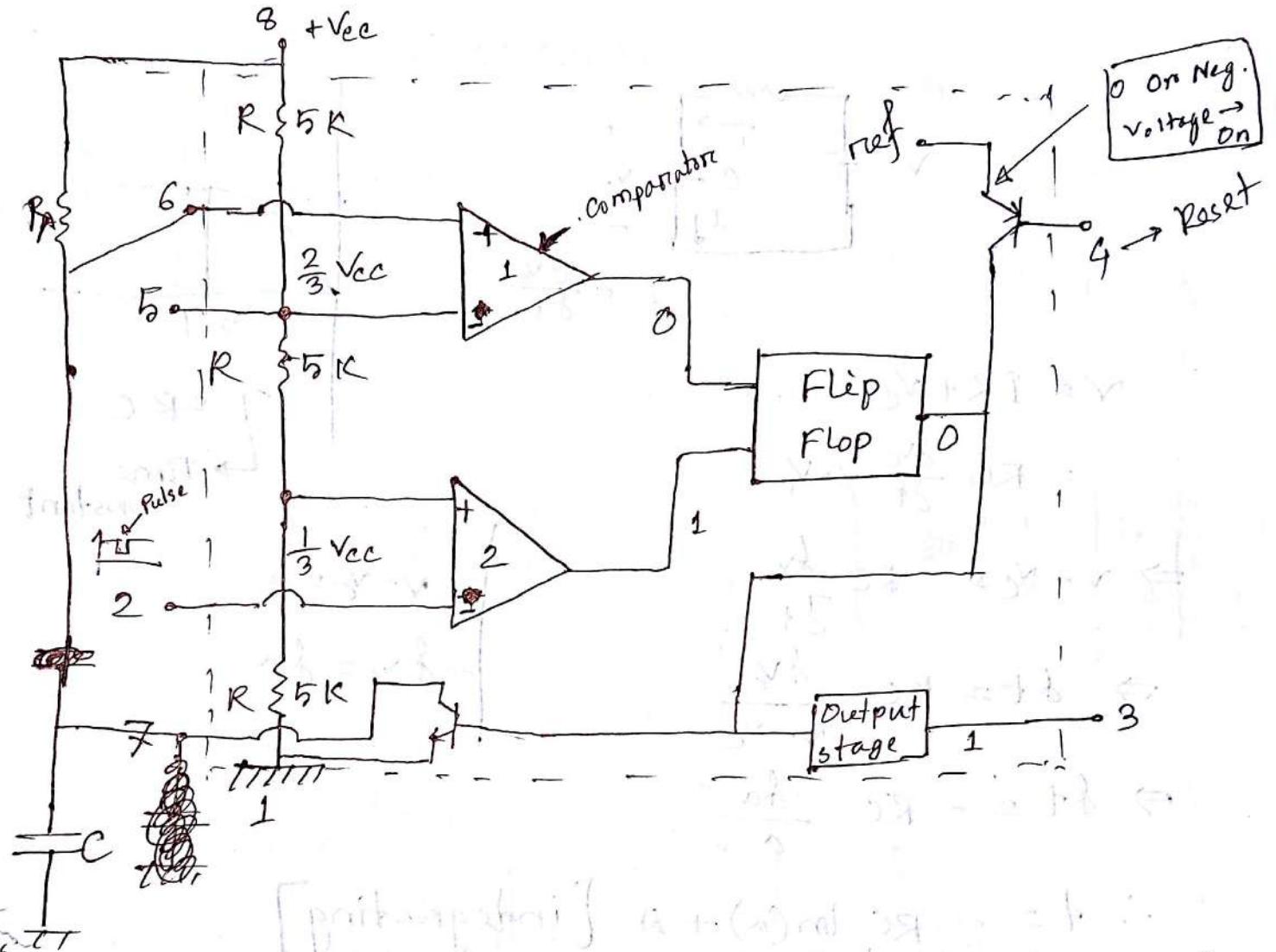
- waveform can be generated
- Astable multivibrator
- Monostable "



* Comparator circuit is used here

- 4 No. pin ground কর্তৃত এবং আন্দার মত রয়ে
- 6 No pin অ সম্পর্কে ব্যবহৃত হয়। এখন ২nd বল
voltage দ্বারা এবং ৩rd বল threshold voltage
- 7 No. pin অ capacitor ব্যবহৃত হয়ে রয়ে

555-timer
Monostable Multivibrator



[praktisch] a 1. (a) auf 380 - 2. b.
a 2. b. auf 380

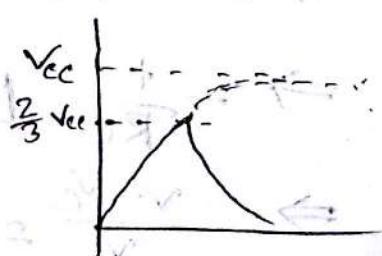
Flip-Flop No. change

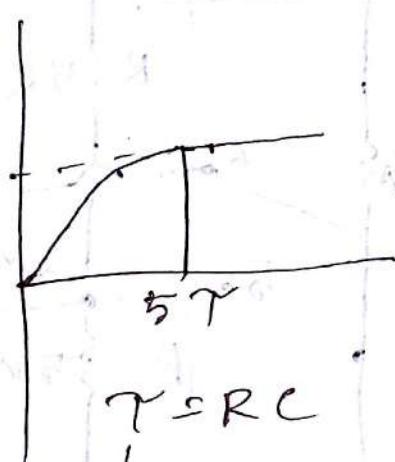
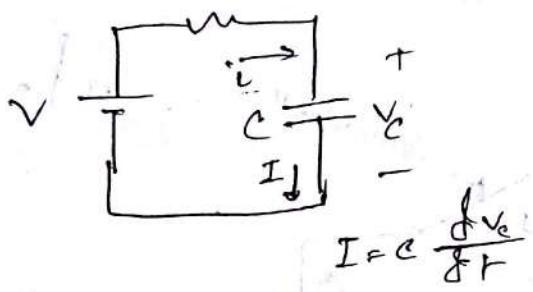
$$V_{LT} = \frac{1}{3} V_{CC}$$

$$V_{UT} = \frac{2}{3} V_{CC}$$

Pin (2)	Pin (6)	Output (3)	Discharge (7)
$< V_{LT}$	$< V_{UT}$	High	Open
$< V_{LT}$	$> V_{UT}$	High	Open
$> V_{LT}$	$< V_{UT}$	Remember last state	
$> V_{UT}$	$> V_{UT}$	Low	ground

(2)	0	0	NC
1	0	1	1
0	1	1	0





$$V = IR + V_c$$

$$= RC \frac{dV_c}{dt} + V_c$$

$$\Rightarrow V - V_c = RC \frac{dV_c}{dt}$$

$$\Rightarrow dt = RC \frac{dV_c}{V - V_c}$$

$$\Rightarrow dt = -RC \frac{da}{a}$$

$$\therefore t = -RC \ln(a) + A \quad [\text{integrating}]$$

$$= -RC \ln(V - V_c) + A$$

$$t=0, V_c=0$$

$$0 = -RC \ln(V) + A$$

$$\therefore A = RC \ln(V)$$

$$t = -RC \ln(V - V_c) + RC \ln(V)$$

$$\Rightarrow t = RC \ln \frac{V}{V - V_c}$$

$$\Rightarrow -\frac{t}{RC} \ln \frac{V - V_c}{V}$$

$$\Rightarrow \frac{V - V_c}{V} = e^{-t/RC}$$

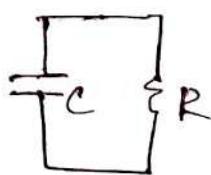
$$V - V_c = V e^{-t/RC}$$

$$\therefore V_c = V(1 - e^{-t/RC})$$

$$t = 5\tau = 5RC$$

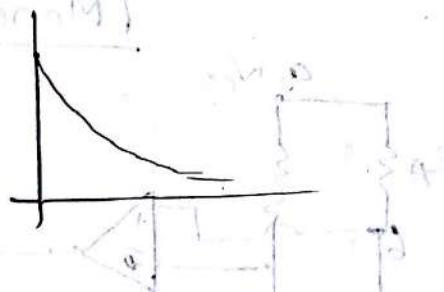
$$V_c = V$$

discharge एवं वर्षा,



$$V_C = V_0 e^{-t/RC}$$

Plot: V_C vs t

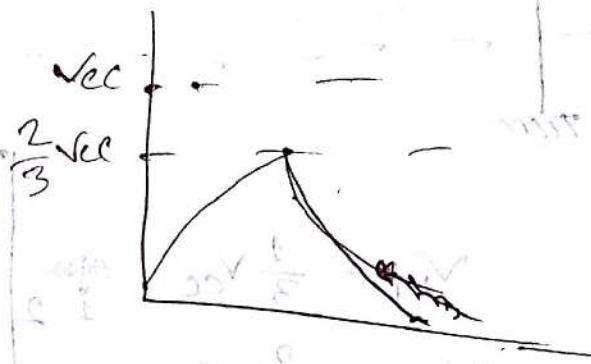


$$RC = \frac{V}{I} \times i = \frac{dt}{dv}$$

$$\begin{aligned} i &= C \cdot \frac{dv}{dt} \\ \therefore C &= i \cdot \frac{dt}{dv} \end{aligned}$$

$$V_C = V \left(1 - e^{-t/RC}\right)$$

$$\frac{2}{3} V_C = V_C \left(1 - e^{-t/RC}\right)$$



$$\Rightarrow e^{-t/RC} = \frac{1}{3}$$

$$\Rightarrow -\frac{t}{RC} = \ln\left(\frac{1}{3}\right)$$

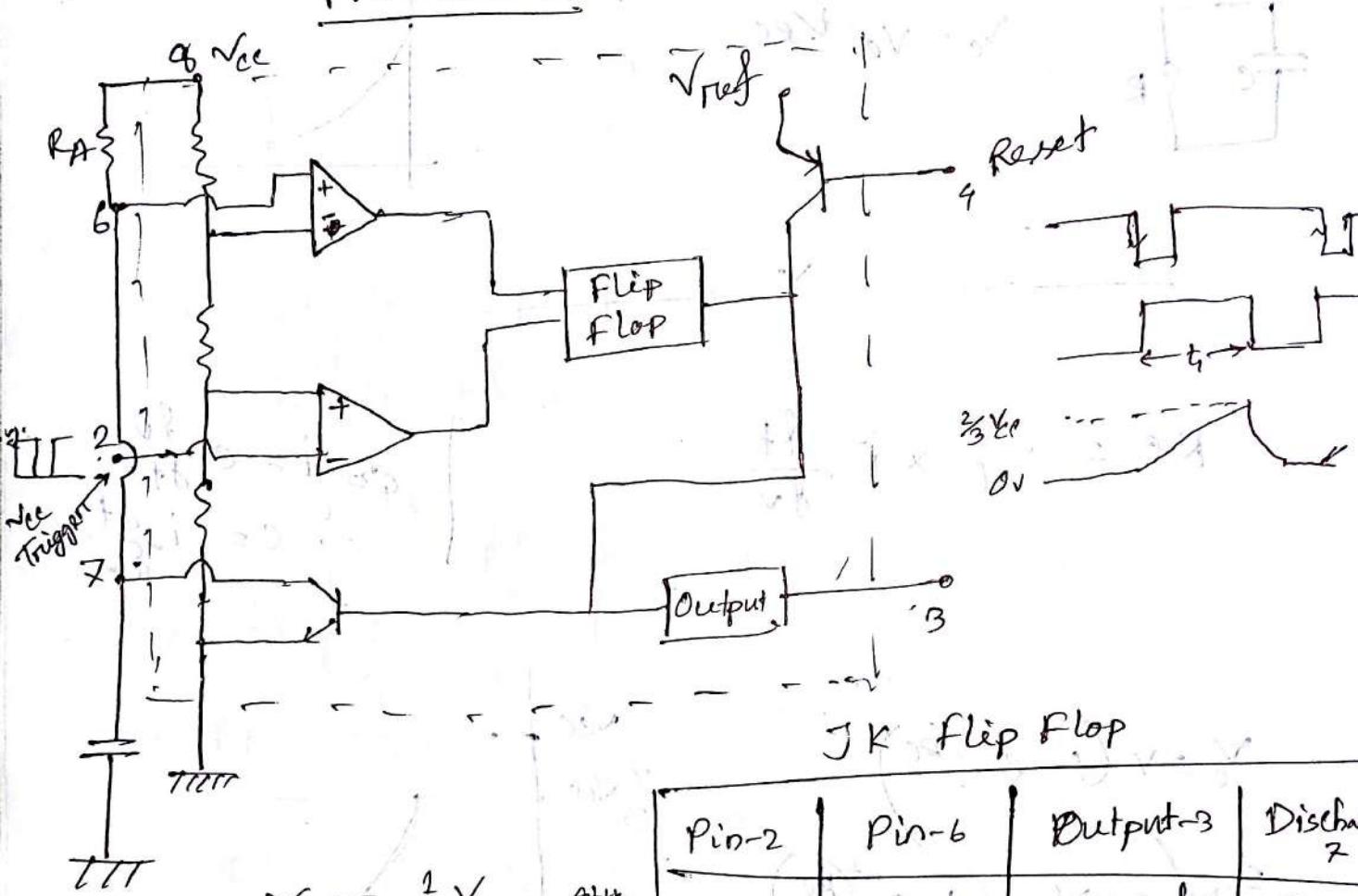
$$\Rightarrow \frac{t}{RC} = \ln(3)$$

$$\Rightarrow t = 1.1 RC$$

13(B)-Day

Date: 13/8/2016

Monostable



$$V_{LT} = \frac{1}{3} V_{CC}$$

$$V_{UT} = \frac{2}{3} V_{CC}$$

Pin-2	Pin-6	Output-3	Discharge
1 2 < V _{TP}	< V _{UT}	High	Open
2 1 < V _{UT}	> V _{UT}	High	Open
2 1 > V _{LT}	< V _{UT}	Remember last state	
3 > V _{LT}	> V _{UT}	Low	discharge

$$V_C = V_{CC} (1 - e^{-t/RC})$$

After t_1 time, $V_C = \frac{2}{3} V_{CC}$

$$\frac{2}{3} V_{CC} = V_{CC} (1 - e^{-t_1/RC})$$

$$\Rightarrow e^{-t_1/RC} = 1 - \frac{2}{3}$$

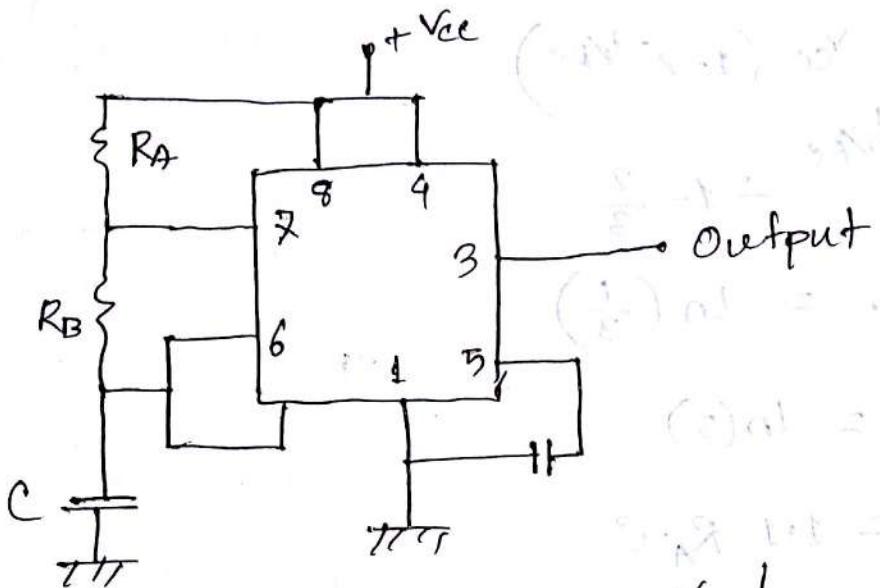
$$\Rightarrow -\frac{t_1}{RC} = \ln\left(\frac{1}{3}\right)$$

$$\Rightarrow \frac{t_1}{RC} = \ln(3)$$

$$\Rightarrow t_1 = 1.1 R_A C$$

Astable Operation:

→ Relaxation wave design



$$\frac{1}{3} V_{CC} = V_{CC} \left(1 - e^{-t_2/RC}\right)$$

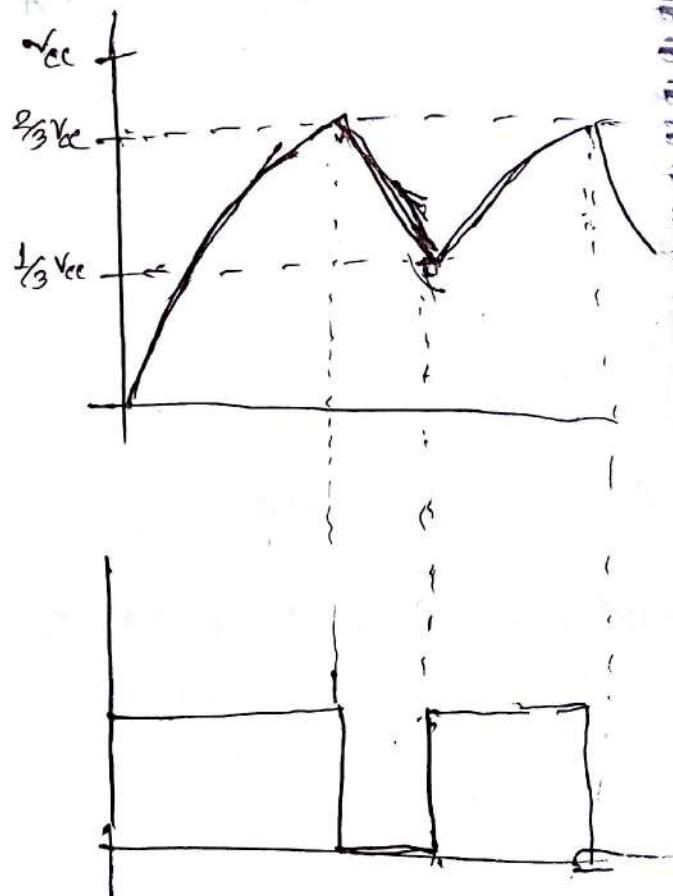
$$\Rightarrow e^{-t_2/RC} = 1 - \frac{1}{3}$$

$$\Rightarrow \frac{t_2}{RC} = \ln\left(\frac{3}{2}\right)$$

$$\Rightarrow t_2 = 0.41 RC$$

From $\frac{1}{3} V_{CC}$ to $\frac{2}{3} V_{CC}$

$$t_1 - t_2 = 1.1 RC - 0.41 RC \\ = 0.69 RC$$



$$\therefore t_{on} = 0.69 (R_A + R_B) C$$

$$t_{off} = 0.69 R_B C$$

$$\text{duty cycle} = \frac{t_{on}}{T}$$

$$= \frac{\cancel{0.69} R_A + R_B}{R_A + 2R_B}$$

$$| T = T_{on} + T_{off}$$

→ What is 555-timer

→ Diagram

→