

Deadlock

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Deadlock

When a waiting process is not again able to change state, because the resources it has requested are held by other waiting processes. This situation is called a **deadlock**.

Deadlock

Condition for Deadlock:

- Mutual Exclusion
- Hold and Wait
- No preemption
- Circular Wait

Resource Allocation graph

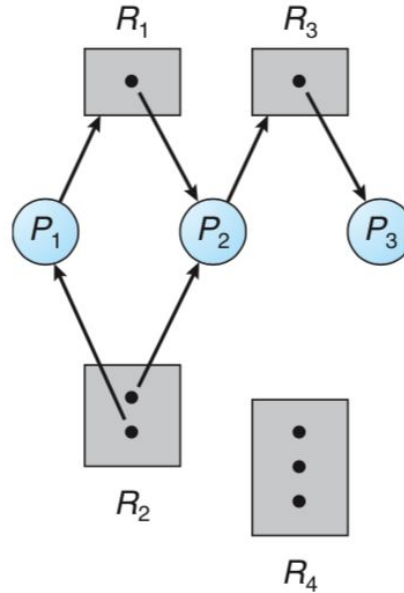


Figure 7.1 Resource-allocation graph.

- $R = \{R_1, R_2, R_3, R_4\}$
- $E = \{P_1 \rightarrow R_1, P_2 \rightarrow R_3, R_1 \rightarrow P_2, R_2 \rightarrow P_2, R_2 \rightarrow P_1, R_3 \rightarrow P_3\}$

Resource Allocation graph

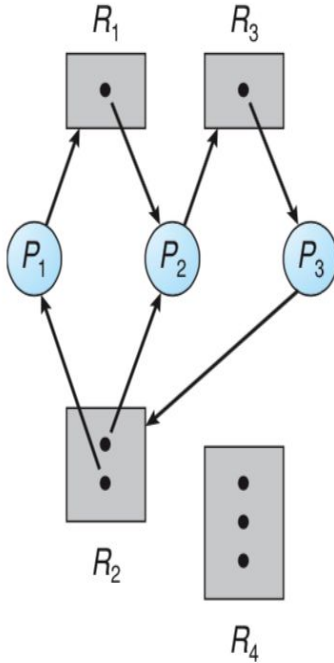


Figure 7.2 Resource-allocation graph with a deadlock.

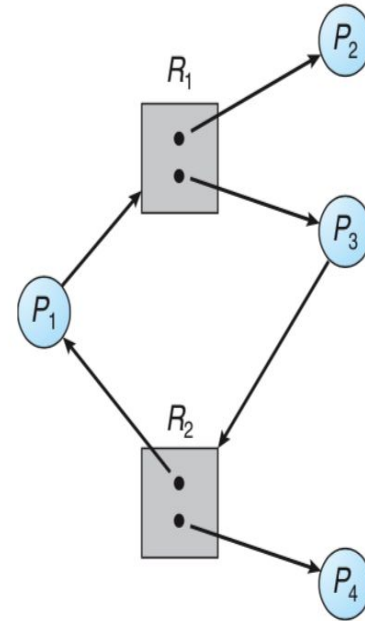


Figure 7.3 Resource-allocation graph with a cycle but no deadlock.

Methods for Deadlock Handling

Deadlock can be dealt with in one of the three ways:

- Use protocol to prevent or avoid deadlocks, ensuring that the system will never enter a deadlocked state.
- Allow the system to enter a deadlocked state, detect it, and finally recover.
- Ignore the problem altogether and pretend that deadlocks never occur in the system.

Methods for Deadlock Handling

- Deadlock Prevention
 - Mutual Exclusion
 - Hold and wait
 - No preemption
 - Circular wait
- Deadlock Avoidance
 - Safe state check using
 - Resource allocation graph algorithm (Single resource instance)
 - Banker's algorithm ((Multiple resource instance)

Methods for Deadlock Handling

- Deadlock Detection

- Single Instance of Resource: Detect cycle in **wait for graph**
- Multiple Instance of Resource: Resource Request Algorithm
 - Recovery From Deadlock
 - Process Termination:
 - Abort all deadlocked processes.
 - Abort one process at a time until the deadlock cycle is eliminated.
 - Resource Preemption:
 - Select victim
 - Rollback
 - Starvation

Resource Allocation graph

Wait-for-graph:

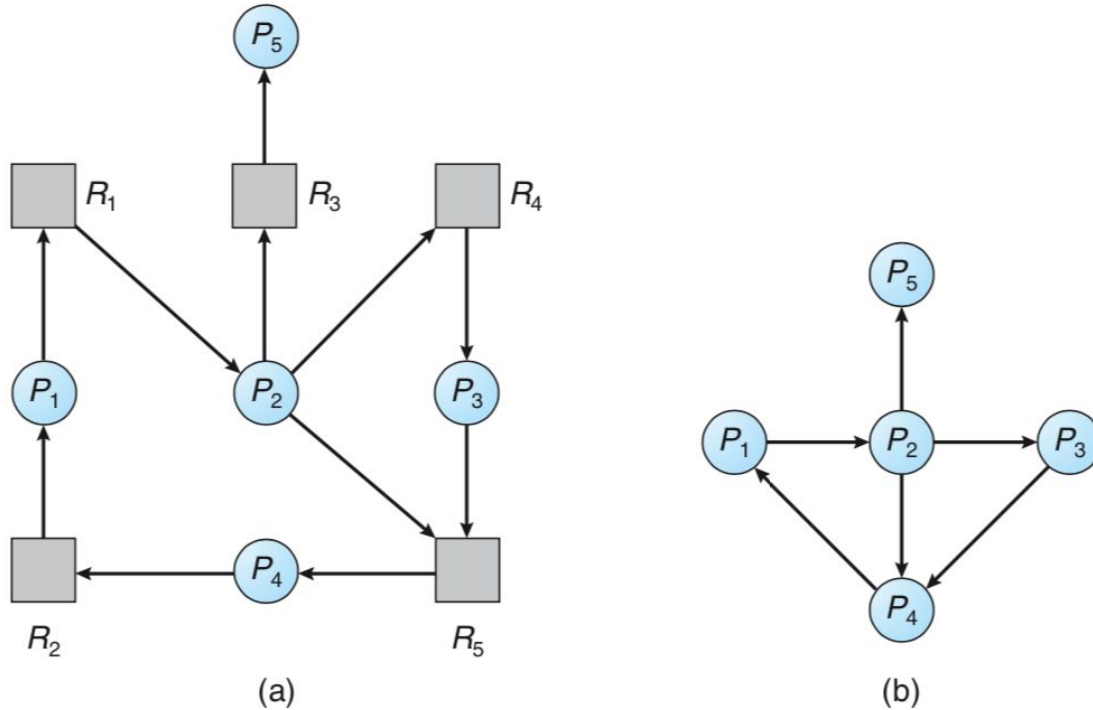


Figure 7.9 (a) Resource-allocation graph. (b) Corresponding wait-for graph.

Banker's Algorithm

Banker's Algorithm is a **resource allocation** and **deadlock avoidance** algorithm developed by **dijkstra**.

Banker's Algorithm

Available:

A	B	C
4	2	3

Available instance of resources

	A	B	C
P1	6	5	4
P2	3	2	2
P3	9	0	2
P4	1	3	5

Max

Denotes maximum resource demand of each process

	A	B	C
P1	1	2	0
P2	1	1	2
P3	2	0	2
P4	1	2	2

Allocation

Denotes number of resource of each type allocated to each process

Banker's Algorithm

Available:

A	B	C
4	2	3

Available instance of resources

- **Max - Allocation = Need**

	A	B	C
P1	6	5	4
P2	3	2	2
P3	9	0	2
P4	1	3	5

Max

Denotes maximum resource demand of each process

	A	B	C
P1	1	2	0
P2	1	1	2
P3	2	0	2
P4	1	2	2

Allocation

Denotes number of resource of each type allocate to each process

	A	B	C
P1	5	3	4
P2	2	1	0
P3	7	0	0
P4	0	1	3

Need

Denotes number of resource of each type required by each process

Safe State

- Initially:

	A	B	C
P1	5	3	4
P2	2	1	0
P3	7	0	0
P4	0	1	3

Need

Denotes number of resource of each type required by each process

	A	B	C
P1	1	2	0
P2	1	1	2
P3	2	0	2
P4	1	2	2

Allocation

Denotes number of resource of each type allocate to each process

	A	B	C
Available:	4	2	3

	Finish
P1	False
P2	False
P3	False
P4	False

Finish

Safe State

- Now we will check for a Process $P[i]$ if ($Available[j] \geq Need[i][j]$)
 - **False :**
 - Do nothing
 - Go to next process
 - **True:**
 - $Available[j] := Available[j] + Allocation[i][j]$
 - $Finish[i] := true$
 - Keep the need matrix unchanged
 - Keep the allocation matrix unchanged

Safe State

- **Safe state check:** (,
Need of P1 > Available

	A	B	C
P1	5	3	4
P2	2	1	0
P3	7	0	0
P4	0	1	3

Need

~~\leq~~

Available:	A	B	C
	4	2	3

False
False
False
False

Finish

Safe State

- **Safe state check:** (P2,
Need of P2 \leq Available

	A	B	C
P1	5	3	4
P2	2	1	0
P3	7	0	0
P4	0	1	3

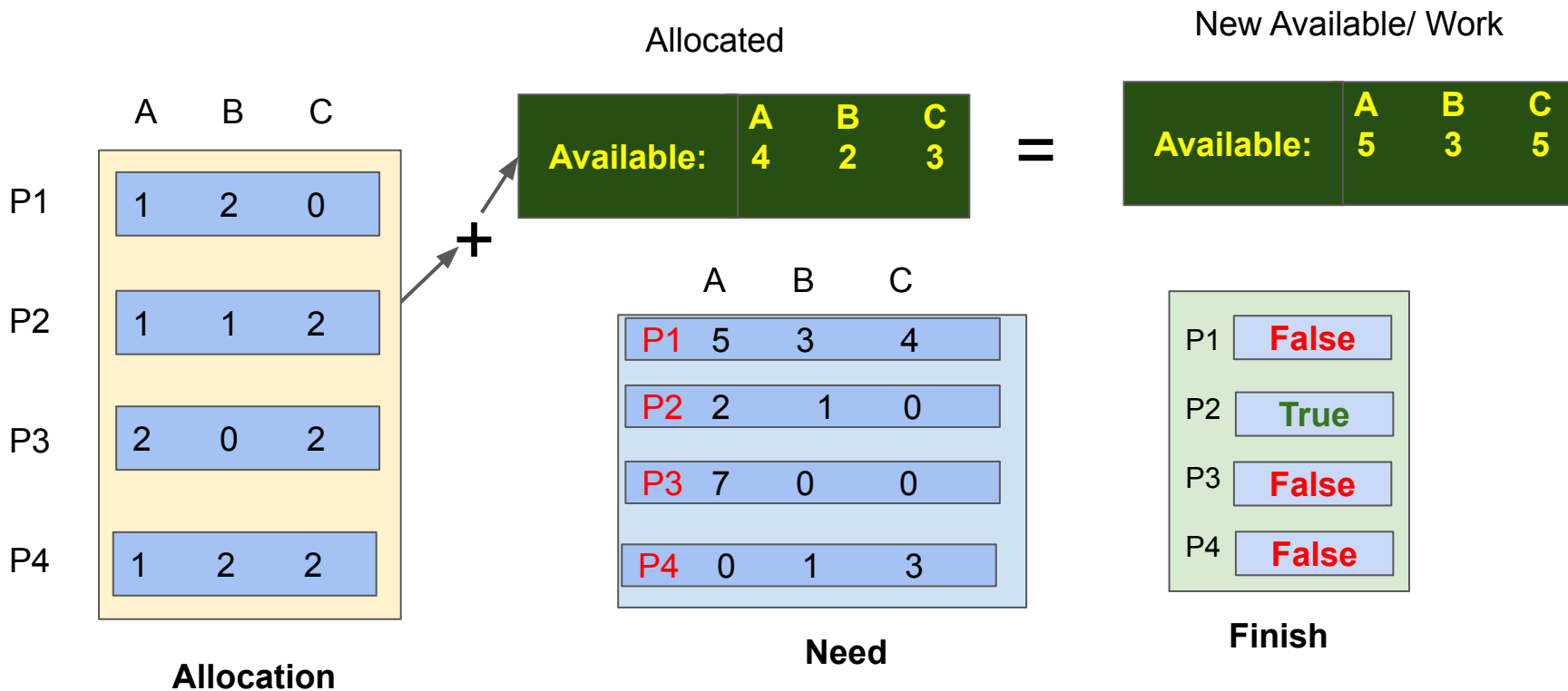
Need

\leq

Available:	A	B	C
	4	2	3

Safe State

- Safe state check: (P2,



Safe State

- **Safe state check:** (P2,)
Need of P3 > Available

	A	B	C
P1	5	3	4
P2	2	1	0
P3	7	0	0
P4	0	1	3

Need

~~\leq~~

	A	B	C
Available:	5	3	5

False
True
False
False

Finish

Safe State

- **Safe state check:** (P2,P4,
Need of P4 \leq Available

	A	B	C
P1	5	3	4
P2	2	1	0
P3	7	0	0
P4	0	1	3

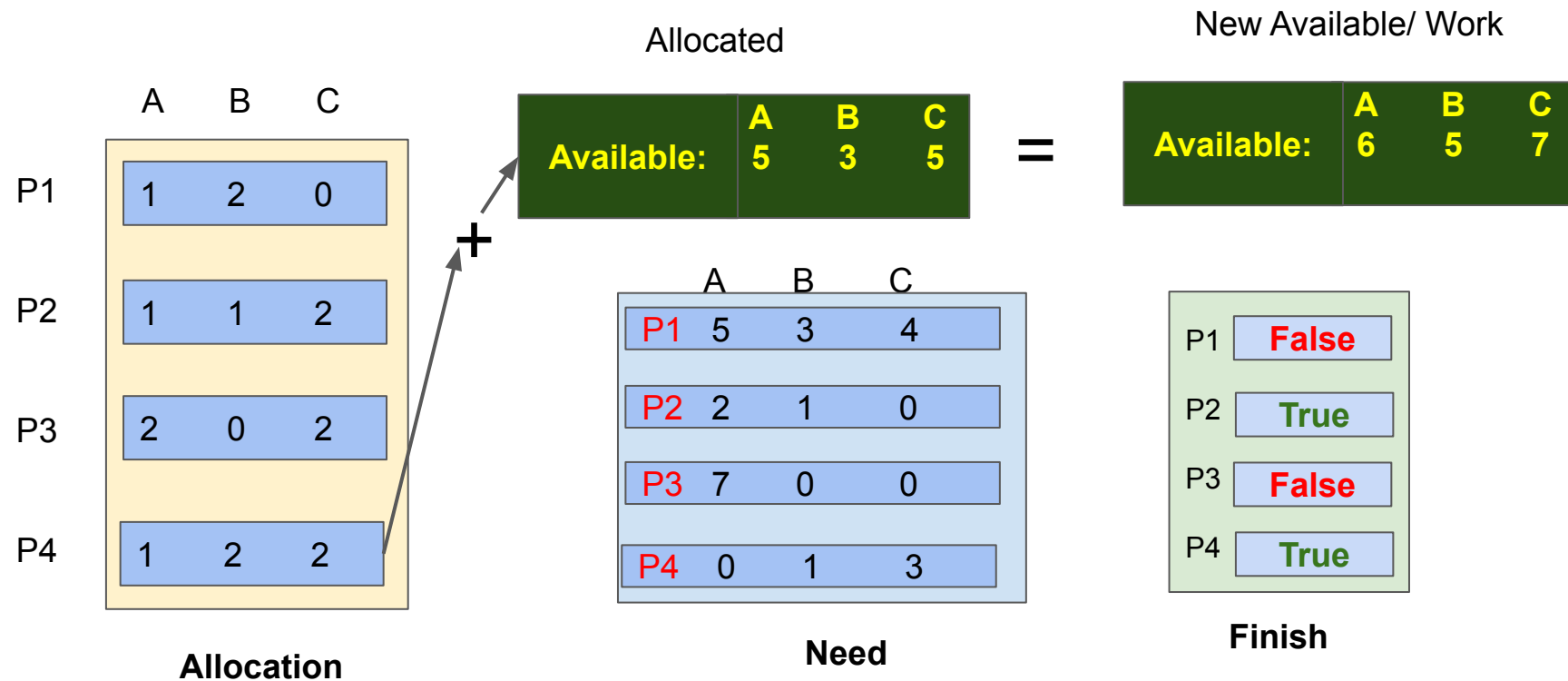
Need

\leq

Available:	A	B	C
	5	3	5

Safe State

- Safe state check: (P2,P4)



Safe State

- Safe state check: (P2,P4,P1

Need of P1 \leq Available

	A	B	C
P1	5	3	4
P2	2	1	0
P3	7	0	0
P4	0	1	3

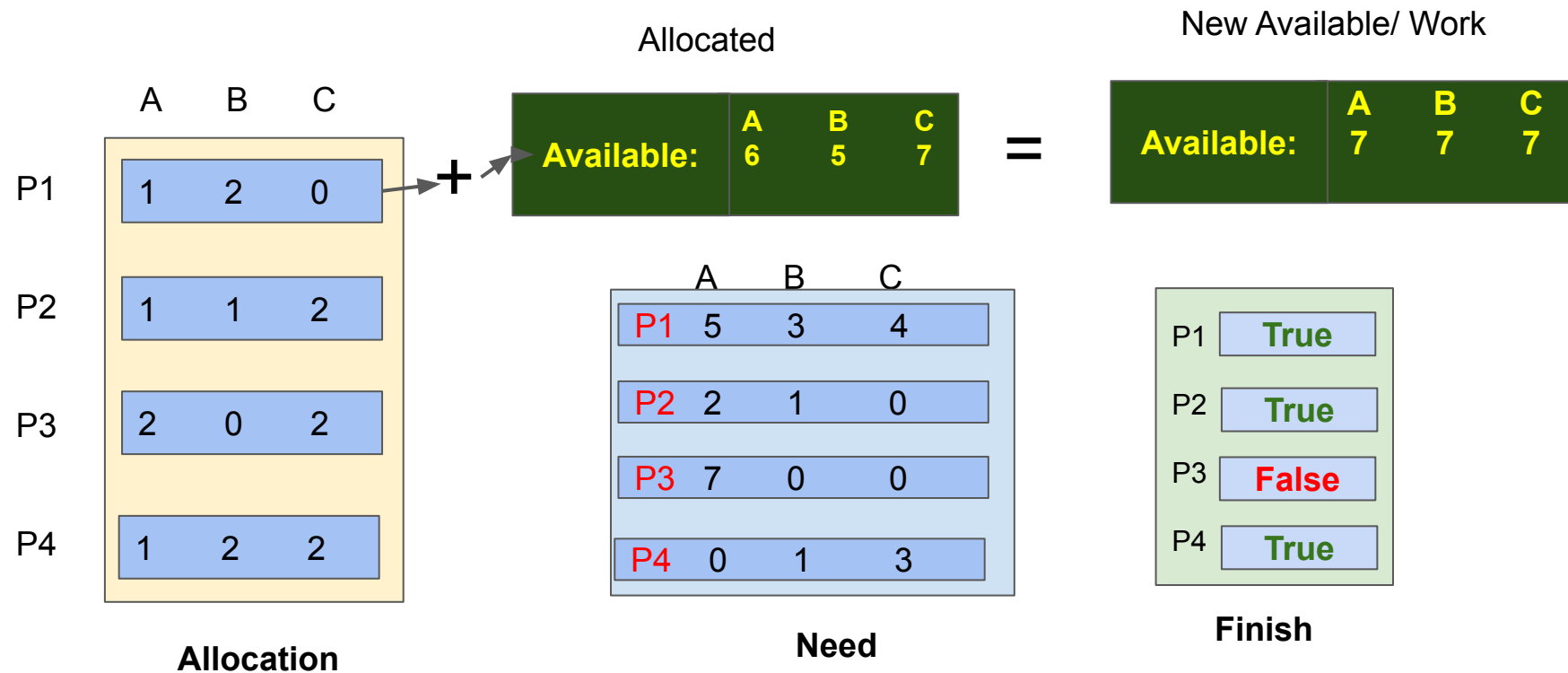
Need

\leq

Available:	A	B	C
	6	5	7

Safe State

- Safe state check: (P2,P4,P1,



Safety Algorithm

- **Safe state check:** (P2,P4,P1,P3)

Need of P3 \leq Available

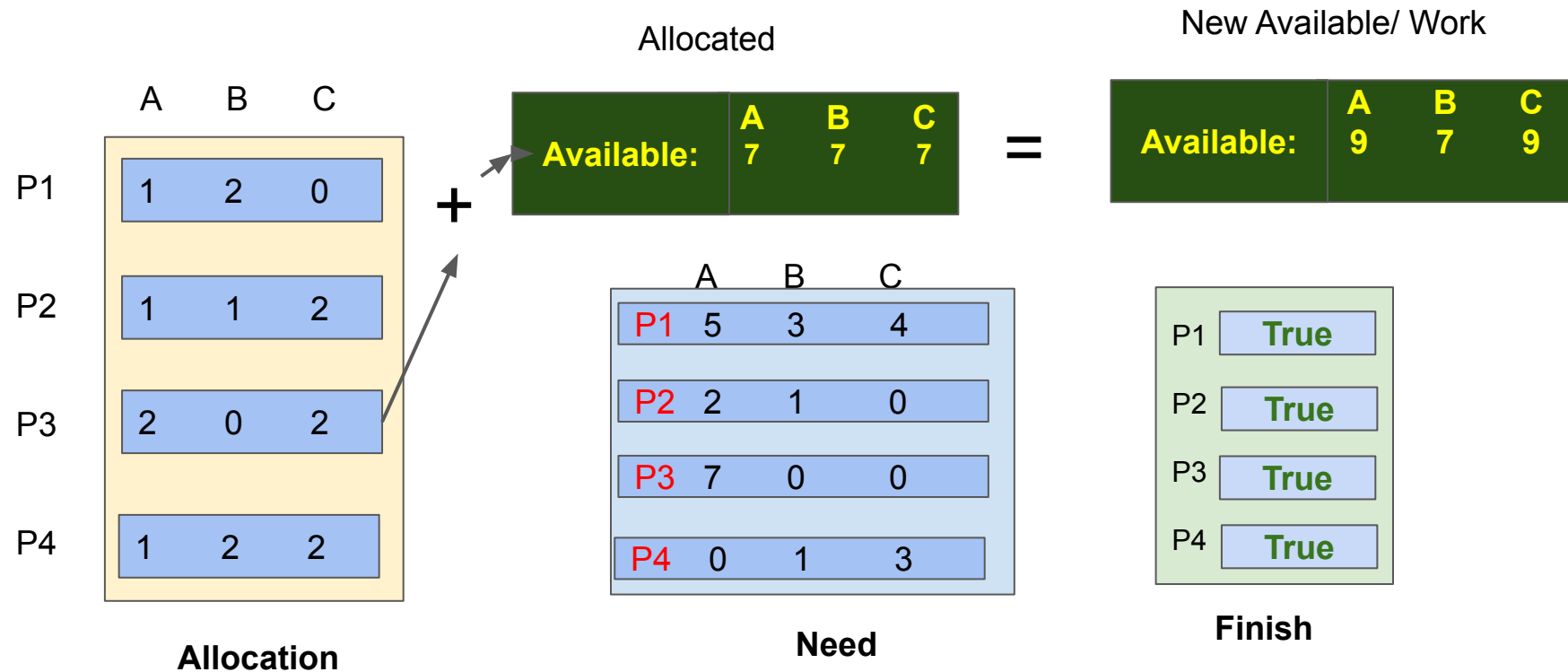
	A	B	C
P1	5	3	4
P2	2	1	0
P3	7	0	0
P4	0	1	3
Need			

\leq

Available:	A	B	C
	7	7	7

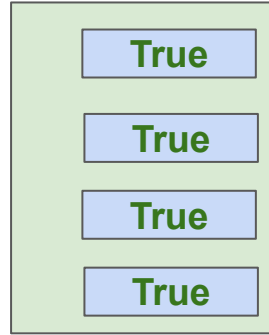
Safe State

- Safe state check: (P2,P4,P1,P3)



Safe State

- Since the finished matrix is true for all process so the system has reached a safe state. Hence now the requested resource can be allocated to requesting process.



Finish

- So the safe allocation sequence is **P2,P4,P1,P3**

Resource Request Check

- This algorithm checks if a new resource request is safe and grants resource only if it is safe.
- For any new request $R[i][j]$
- Check $\text{if}(R[i][j] \leq \text{Need}[i][j])$
 - **False**: Can not grant request
 - **True** : Check $\text{if}(R[i][j] \leq \text{Available}[j])$
 - **False**: Can not grant request
 - **True**: $\text{Available}[j] := \text{Available}[j] - R[i][j];$
 $\text{Allocation}[i][j] := \text{Allocation}[i][j] + R[i][j];$
 $\text{Need}[i][j] := \text{Need}[i][j] - R[i][j];$

Resource Request Check

- Initially suppose:

	A	B	C
P1	5	3	4
P2	2	1	0
P3	7	0	0
P4	0	1	3

Need

Denotes number of resource of each type required by each process

	A	B	C
P1	1	2	0
P2	1	1	2
P3	2	0	2
P4	1	2	2

Allocation

Denotes number of resource of each type allocate to each process

	A	B	C
Available:	4	2	3

	A	B	C
P1 Requests:	3	2	2

Resource Request Check

- Check $\text{if}(\mathbf{R[i][j]} \leq \mathbf{Need[i][j]})$

	A	B	C		
P1	5	3	4	\leq	P1 Requests:
P2	2	1	0		A
P3	7	0	0		B
P4	0	1	3		C

Need

Denotes number of resource
of each type required by each
process

Resource Request Check

- Check if($R[i][j] \leq \text{Available}[j]$)

	A	B	C
Available:	4	2	3

\leq

P1	A	B	C
Requests:	3	2	2

Resource Request Check

- **Available[j] := Available[j] - R[i][j];**

Available:	A	B	C
	1	0	1

-
-

Available:	A	B	C
	4	2	3

P1	A	B	C
Requests:	3	2	2

- $\text{Allocation}[i][j] := \text{Allocation}[i][j] + R[i][j];$

	A	B	C
P1	4	4	2
P2	1	1	2
P3	2	0	2
P4	1	2	2

-
-

	A	B	C
P1	1	2	0
P2	1	1	2
P3	2	0	2
P4	1	2	2

+

P1	A	B	C
Requests:	3	2	2

Resource Request Check

- $\text{Need}[i][j] := \text{Need}[i][j] - R[i][j];$

	A	B	C
P1	2	1	2
P2	2	1	0
P3	7	0	0
P4	0	1	3

Need

$:=$

	A	B	C
P1	5	3	4
P2	2	1	0
P3	7	0	0
P4	0	1	3

Need

-

	A	B	C
P1 Requests:	3	2	2

Resource Request Check

- Finally we get the **new need, allocation and available** data.
- Now to determine if this new state is safe from deadlock we need to apply the **safely algorithm** on this new **need, allocation and available** data as before.
- If the new state is safe then we can immediately grant the request of P1, otherwise we have to reject it to make the state safe.

	A	B	C
P1	2	1	2
P2	2	1	0
P3	7	0	0
P4	0	1	3

Need

	A	B	C
P1	4	4	2
P2	1	1	2
P3	2	0	2
P4	1	2	2

Allocation

	A	B	C
Available:	1	0	1