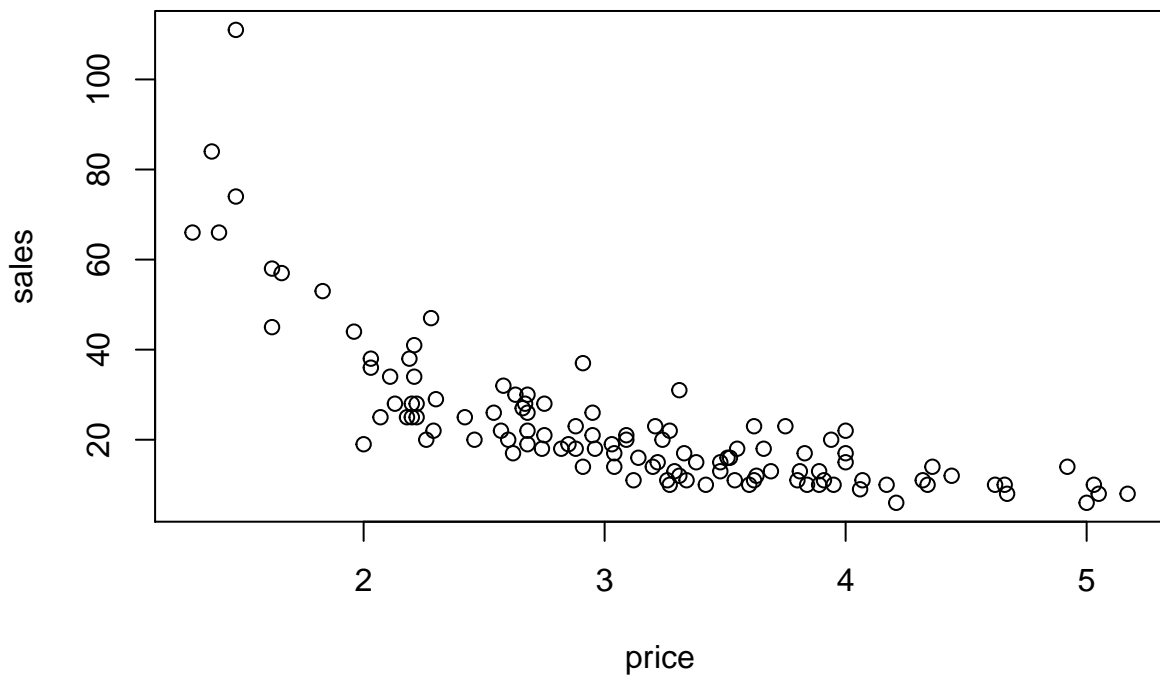


# Milk Prices

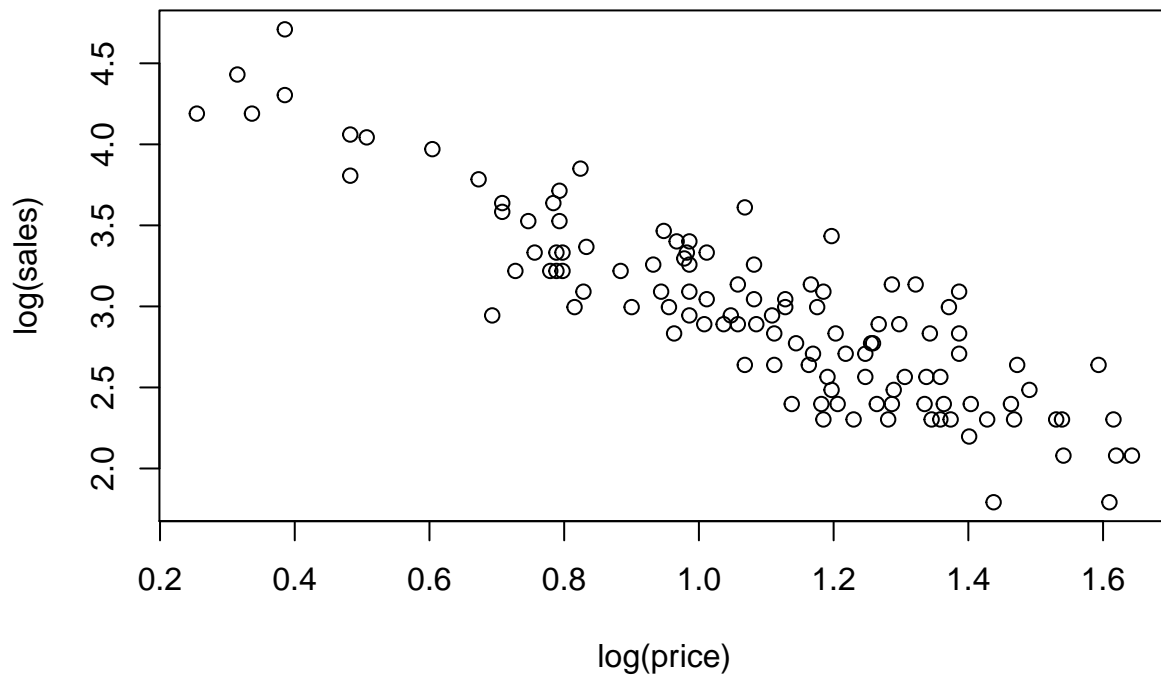
Richard Marks

2/13/2020

To answer the question of what price a store should sell its milk at we must use a deceptively simple looking formula.  $n=(p-c)Q$ , where  $n$  is the price the milk should be sold,  $p$  is the price the milk is already sold,  $c$  is the cost of the milk for the store, and  $Q$  is the quantity of milk sold. However  $Q$  is actually a function of  $P$ , since the price of the milk effects how much milk is actually sold. So the function is actually  $n=(p-c)*f(p)$ , where

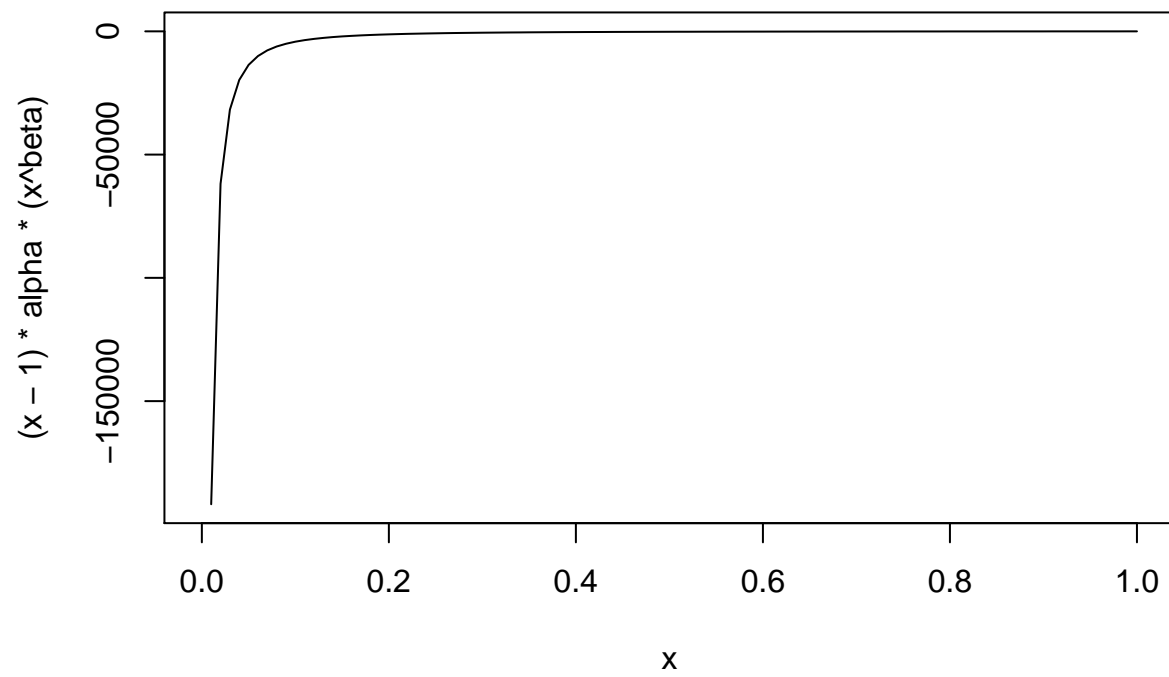


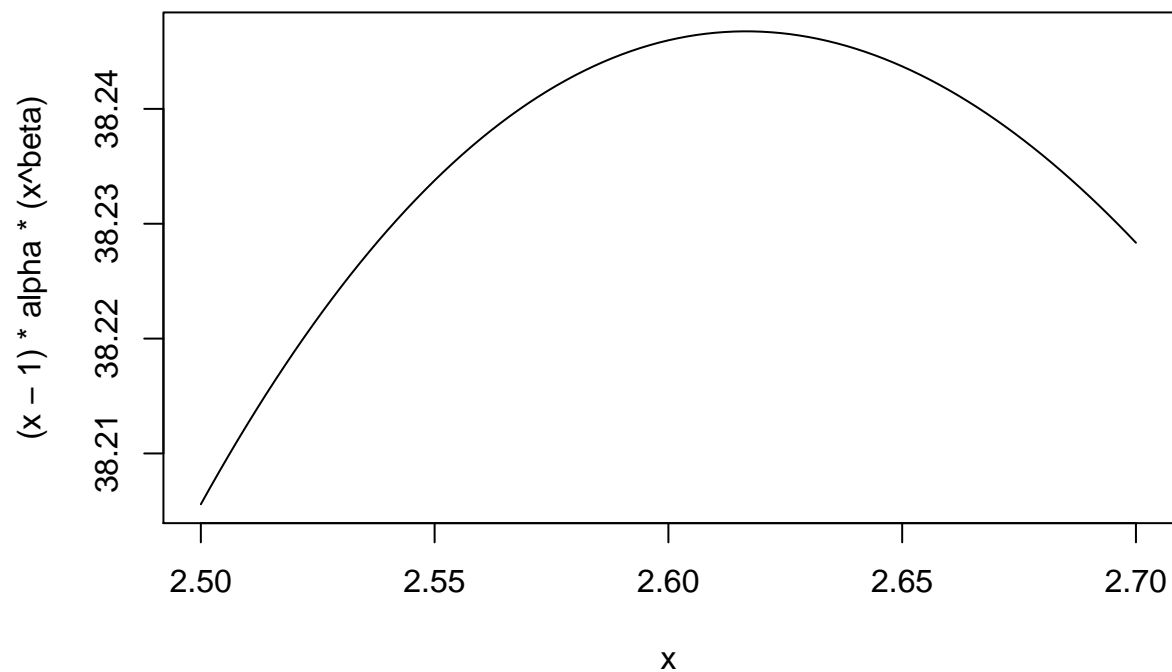
$c=1$



```
## (Intercept) log(price)
##      4.720604  -1.618578
```

Now if we plot the price of the milk and the quantity sold we see that the relationship is non-linear. However if we take the logarithm of both the price and quantity and plot it on a graph we find a negative linear relationship between the two. Since we have created a linear relationship we can now use linear regression to find the slope and intercept. Since quantity is a function of price it can be expressed as  $Q = e^{\alpha} \hat{p}^{\beta}$  where  $\alpha = \exp(\text{intercept})$  and  $\beta = \text{slope}$ .





Now that we know what  $q$  is we have everything we need to find the optimal price of milk. if we plug in  $q$  the equation is  $n=(p-1)\alpha*p^\beta$ . If we plot this equation onto a graph we can see that there is a peak maximum between \$2.60 and \$2.65. Therefore that is the optimal price range for milk.