

Quant Management Assignment#6

#This notebook contains the code for the Assignment 6.

#Install lpSolveAPI package if not already installed

```
#install.packages("lpSolveAPI")
```

Load the library

```
library(lpSolveAPI)
```

Solution 1 using inequalities

Let us set up the Linear problem. Note that we have 6 decision variables and 5 constraints.

```
lprec <- make.lp(5, 6)
```

Set the minimization objective function

```
set.objfn(lprec, c(622, 614, 630, 641, 645, 649))
lp.control(lprec,sense='min')
```

Set values for the rows (set the Left hand side constraints)

```
set.row(lprec, 1, c(1, 1, 1), indices = c(1, 2, 3))
set.row(lprec, 2, c(1, 1, 1), indices = c(4, 5, 6))
set.row(lprec, 3, c(1, 1), indices = c(1, 4))
set.row(lprec, 4, c(1, 1), indices = c(2, 5))
set.row(lprec, 5, c(1, 1), indices = c(3, 6))
```

Set the right hand side values

```
rhs <- c(100, 120, 80, 60, 70)
set.rhs(lprec, rhs)
```

Set constraint type and set variable types and bound

```
set.constr.type(lprec, c("<=", "<=", "=", "=", "="))
set.bounds(lprec, lower = rep(0, 6))
```

Finally, name the decision variables (column) and constraints (rows)

```
lp.rownames <- c("CapacityA", "CapacityB", "DemandW1", "DemandW2", "DemandW3")
lp.colnames <- c("PlantAW1", "PlantAW2", "PlantAW3","PlantBW1", "PlantBW2", "PlantBW3")
dimnames(lprec) <- list(lp.rownames, lp.colnames)
```

View the linear problem object to make sure it's correct

```
lprec

## Model name:
##      PlantAW1  PlantAW2  PlantAW3  PlantBW1  PlantBW2  PlantBW3
## Minimize      622      614      630      641      645      649
## CapacityA      1      0      0      0      0      0  <= 100
## CapacityB      0      0      0      1      1      1  <= 120
## DemandW1      1      0      0      0      0      0  = 80
## DemandW2      0      1      0      0      1      0  = 60
## DemandW3      0      0      1      0      0      1  = 70
## Kind          Std      Std      Std      Std      Std      Std
## Type          Real      Real      Real      Real      Real      Real
## Upper         Inf      Inf      Inf      Inf      Inf      Inf
## Lower         0      0      0      0      0      0
```

Save this into a file

```
write.lp(lprec, filename = "AED.lp", type = "lp")
```

Now, solve the model

```
solve(lprec)

## [1] 0
```

Show the value of objective function, variables, constraints and slack

```
get.objective(lprec)

## [1] 132790

get.variables(lprec)

## [1] 0 60 40 80 0 30

get.constraints(lprec)

## [1] 100 110 80 60 70

get.constraints(lprec) - rhs

## [1] -2.842171e-14 -1.000000e+01 -1.421085e-14 0.000000e+00 0.000000e+00
```

Solution 2: Using Dummy Variables

Let us set up the Linear problem. Note that we had 8 decision variables and 6 constraints.

```
lprec1 <- make.lp(6, 8)
```

Set the minimization objective function

```
set.objfn(lprec1, c(622, 614, 630, 0, 641, 645, 649, 0))
lp.control(lprec1, sense='min')
```

Set values for the rows (set the Left hand side constraints)

```
set.row(lprec1, 1, c(1, 1, 1, 1), indices = c(1, 2, 3, 4))
set.row(lprec1, 2, c(1, 1, 1, 1), indices = c(5, 6, 7, 8))
set.row(lprec1, 3, c(1, 1), indices = c(1, 5))
set.row(lprec1, 4, c(1, 1), indices = c(2, 6))
set.row(lprec1, 5, c(1, 1), indices = c(3, 7))
set.row(lprec1, 6, c(1, 1), indices = c(4, 8))
```

Set the right hand side values

```
rhs <- c(100, 120, 80, 60, 70, 10)
set.rhs(lprec1, rhs)
```

Set constraint type and set variable types and bound

```
set.constr.type(lprec1, c("=", "=", "=", "=", "=", "="))
set.bounds(lprec1, lower = rep(0, 8))
```

Finally, name the decision variables (column) and constraints (rows)

```
lp.rownames <- c("CapacityA", "CapacityB", "DemandW1", "DemandW2", "DemandW3", "DemandW4")
lp.colnames <- c("PlantAW1", "PlantAW2", "PlantAW3", "PlanntAW4", "PlantBW1", "PlantBW2", "PlantBW3", "PlantBW4")
dimnames(lprec1) <- list(lp.rownames, lp.colnames)
```

View the linear program object to make sure it's correct

```
lprec1

## Model name:
##      PlantAW1  PlantAW2  PlantAW3  PlanntAW4  PlantBW1  PlantBW2  PlantBW3  PlantBW4
## Minimize      622      614      630      0      641      645      649      0
## CapacityA      1      1      1      0      0      0      0      0  = 100
## CapacityB      0      0      0      0      1      1      1      1  = 120
## DemandW1      1      0      0      0      0      1      0      0  = 80
## DemandW2      0      1      0      0      0      0      1      0  = 60
## DemandW3      0      0      1      0      0      0      0      1  = 70
## DemandW4      0      0      0      1      0      0      0      0  = 10
## Kind          Std      Std      Std      Std      Std      Std      Std      Std
## Type          Real      Real      Real      Real      Real      Real      Real      Real
## Upper         Inf      Inf      Inf      Inf      Inf      Inf      Inf      Inf
## Lower         0      0      0      0      0      0      0      0
```

Now solve the model

```
solve(lprec1)

## [1] 0
```

Show the value of objective function, variables, constraints and slack

```
get.objective(lprec1)

## [1] 132790

get.variables(lprec1)

## [1] 0 60 40 0 80 0 30 10

get.constraints(lprec1)

## [1] 100 120 80 60 70 10

get.constraints(lprec1) - rhs

## [1] 0.000000e+00 0.000000e+00 0.000000e+00 -7.105427e-15 0.000000e+00
## [6] 3.552714e-15
```

Also,We can now read the lp formulation using an lp file and solve it. I am using the same lp file which I have saved above.

Read from file and solve it

```
x <- read.lp("AED.lp") # create an lp object x
x                       # display x

## Model name:
##      PlantAW1  PlantAW2  PlantAW3  PlantBW1  PlantBW2  PlantBW3
## Minimize      622      614      630      641      645      649
## CapacityA      1      1      0      0      0      0  <= 100
## CapacityB      0      0      0      1      1      1  <= 120
## DemandW1      1      0      0      0      0      0  = 80
## DemandW2      0      1      0      0      1      0  = 60
## DemandW3      0      0      1      0      0      1  = 70
## Kind          Std      Std      Std      Std      Std      Std
## Type          Real      Real      Real      Real      Real      Real
## Upper         Inf      Inf      Inf      Inf      Inf      Inf
## Lower         0      0      0      0      0      0

solve(x) # Solution

## [1] 0

get.objective(x) # get objective value

## [1] 132790

get.variables(x) # get values of decision variables

## [1] 0 60 40 80 0 30

get.constraints(x) # get constraints

## [1] 100 110 80 60 70
```