

## Homology Search Algorithm

Input: *vertex* set  $V_{\text{experimental}}$ , consists of experimental compounds

Output: List  $L$ , consists of tuples and each tuple  $(v, u, r)$  represents that *compounds*  $v$  and  $u$  have relationship  $r$

```
function( $V_{\text{experimental}}$ )  
   $L \leftarrow$  empty tuple list  
  for each  $v, u$  in  $V_{\text{experimental}}$  do  
    if  $\text{diff}(Mass_v, Mass_u) \approx$  the mass of specific nucleobase or methylation then  
       $Mass_{\text{specific}} \leftarrow$  the specific mass  
      push  $(v, u, Mass_{\text{specific}})$  into  $L$   
    end if  
  end for  
  
  return  $L$   
end function
```

### Acid Labile Algorithm

Input: *vertex* set  $V_{noad}$ , consists of experimental compounds before acid digest  
*vertex* set  $V_{ad}$ , consists of experimental compounds after acid digest

Output: List  $L$ , consists of tuples and each tuple  $(v, u, r)$  represents that *compound*  $v$  changes to  $u$  after acid treatment, and their relationship is  $r$

```
function( $V_{noad}, V_{ad}$ )  
   $L \leftarrow$  empty tuple list  
  for each  $v$  in  $V_{noad}$  and  $u$  in  $V_{ad}$  do  
    if  $\text{diff}(Mass_v, Mass_u) \approx$  any acid labile mass difference then  
       $Mass_{acid\_labile} \leftarrow$  the acid labile mass difference  
      push  $(v, u, Mass_{acid\_labile})$  into  $L$   
    end if  
  end for  
  
  return  $L$   
end function
```

## MassSum Algorithm

Input: *vertex set*  $V_{\text{experimental}}$ , consists of experimental compounds  
 $Mass_{\text{intact}}$ , an intact mass

Output: *vertex set*  $V$ , consists of compounds related to the given intact mass

```
function ( $V_{\text{experimental}}$ ,  $Mass_{\text{intact}}$ )  
     $Mass_{\text{H}_2\text{O}} \leftarrow$  initialize with mass value of H2O  
     $V \leftarrow$  initialize with empty set  
    for each  $v, u$  in  $V_{\text{experimental}}$  do  
        if  $\text{sum}(Mass_v, Mass_u) \approx Mass_{\text{intact}} + Mass_{\text{H}_2\text{O}}$  then  
            push ( $v, u$ ) into  $V$   
        end if  
    end for  
  
    return  $L$   
end function
```

## GapFill Algorithm

Input: *vertex* set  $V_{\text{experimental}}$ , consists of experimental compounds  
masses tuple  $(Mass_{\text{left}}, Mass_{\text{right}})$ , the masses of both ends

Output: *vertex* set  $V$ , consists of compounds chosen from the gap

**function**( $V_{\text{experimental}}, Mass_{\text{left}}, Mass_{\text{right}}$ )

$V \leftarrow$  empty *vertex* set

**for** each  $v$  in  $V_{\text{experimental}}$  **do**

$Link_{\text{left}} \leftarrow \text{diff}(Mass_v, Mass_{\text{left}}) \approx \text{sum}(\text{Masses of specific nucleobases})$

$Link_{\text{right}} \leftarrow \text{diff}(Mass_v, Mass_{\text{right}}) \approx \text{sum}(\text{Masses of specific nucleobases})$

**if**  $Link_{\text{left}}$  and  $Link_{\text{right}}$  **then**

push  $v$  into  $V$

**end if**

**end for**

$G \leftarrow$  *Graph* with each *node* represents a *vertex* of  $V$

**for** each  $v, u$  in  $G$  **do**

**if**  $\text{diff}(Mass_v, Mass_u) \approx \text{sum}(\text{Masses of specific nucleobases})$  **then**

add edge  $(v, u)$  into  $G$

**end if**

**end for**

**while** *True* **do**

$Num_{\text{max}} \leftarrow$  the max edges count for any nodes of graph  $G$

$Node_v \leftarrow$  the node has the least edges in graph  $G$

$Num_{\text{min}} \leftarrow$  the edges count of node  $Node_v$

**if**  $Num_{\text{min}} \geq Num_{\text{max}}$  **then**

break

**else then**

remove  $Node_v$  and its edges from  $G$

**end if**

**end while**

$V \leftarrow$  vertices for all the remain nodes of  $G$

**return**  $V$

**end function**

## Ladder Complementation Algorithm

**Input:** List  $L_{in}$ , consists of a tuple  $(V, Mass_{intact}, d)$  list,  $V$  is a *vertex* set contains a set of compounds, or ladder.  $Mass_{intact}$  represents the intact mass relative to  $V$ , and  $d$  is the ladder direction, etc. from 5' to 3' direction, only 3|5 is allowed

**Output:** List  $L_{out}$ , consists of a tuple  $(V, S)$  list,  $V$  represents a mass ladder, and  $S$  is the nucleotide sequence of  $V$

**function**( $L_{in}$ )

$L_{out} \leftarrow$  empty *tuple* list, and allocate space for at least 76 positions

**for** each  $(V, Mass_{intact}, d)$  in  $L_{in}$  **do**

$L_{mass} \leftarrow$  the mass value list for vertices of  $V$

**if**  $d$  equals 3 **then:**

$Mass_{H2O} \leftarrow$  the mass value of  $H_2O$

**for** each mass  $m$  in  $L_{mass}$  **do**

$m \leftarrow Mass_{intact} + Mass_{H2O} - m$

**end for**

**end if**

**for** each mass  $m$  in  $L_{mass}$  **do**

$p \leftarrow \text{int}(m / 320.0)$

**push**  $m$  into  $L_{out}$  at the end of position  $p$

**end for**

**for** each item pairs  $(p_v, p_u)$  at adjacent positions in  $L_{out}$  **do**

calculate their mass differences and get the relative nucleotide bases

**end for**

**for** each mass ladder in  $L_{out}$  **do**

$V \leftarrow$  the mass ladder

$S \leftarrow$  the nucleotide sequence

**push**  $(V, S)$  into  $L_{out}$

**end for**

**return**  $L_{out}$

**end function**