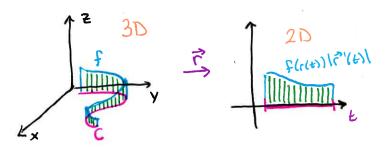
Where we've been (16.1-16.7) and where we're going (16.8-16.9)

Line Integrals:

· Scalar function

$$\int_{C} f ds = \int_{a}^{b} f(r(\epsilon)) |\vec{r}'(\epsilon)| d\epsilon$$

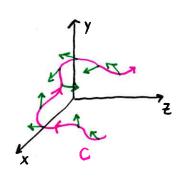
* Accumulation of f over C or Aren of f over C



· Vector Function

$$\int_{C} \vec{F} \cdot d\vec{r} = \int_{a}^{b} \vec{F}(r(b)) \cdot \vec{r}'(b) dt$$

* Amount of Fgoing in the direction of C



Theorems

1) F Conservative | Line Integrals with vector functions

2 F Not Conservative | Line Integrals with vector function (zvars)

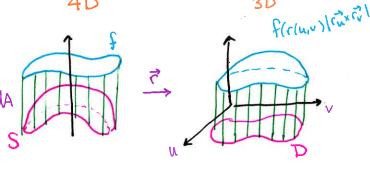
Green's
$$\int_{C} \vec{F} \cdot d\vec{r} = \int_{C} P dx + Q dy = \iint_{D} \left(\frac{\partial Q}{\partial x} - \frac{\partial P}{\partial y} \right) dA$$
C positive orientation, Simple, Closed

Surface Integrals:

· Scalar functions

If fdS = If f(r(u,v)) | Tux roldA

* Accumulation of Forer Sor

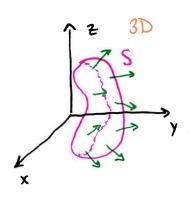


· Vector Fructions

Volume of f over S

$$\iint_{S} \vec{F} \cdot d\vec{S} = \iint_{D} \vec{F}(r(u,v)) \cdot (r\vec{u} \times r\vec{v}) dA$$

* Amount of F going through S



Theorems

(3) F not Conservative | Line Integrals with Vector Fractions (3 vors)

Stoke's ~ Green's theorem for functions of 3 variables

A F Not Conservative | Surface Integrals with Vector functions

Divergence