

# A short Introduction to Sliding Mode Control

## Robust Control for Nonlinear Systems

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- Robustness versus uncertainties / perturbations
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### Remark

**Sliding mode** as a phenomenon may appear in a dynamic system governed by ordinary differential equation with *discontinuous right hand side*

# Some Remarks on SMC

This is a text in second frame. For the sake of showing an example.

- Good youtube video from Ali Nasir: [▶ Link](#)

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- Text visible on slide 4



# A motivating Example for SMC

## Example

Sliding mode of the system  
[utkin2020]:

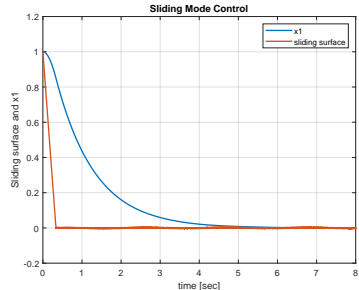
$$\ddot{x} = \sin(3t) + u \quad (1)$$

with sliding surface

$$s = c\dot{x} + x \quad (2)$$

with control law

$$u = -M \operatorname{sgn}(s) \quad (3)$$



Simulation results for  $M = 3$   
and  $c = 1 \text{ s}^{-1}$

## Remark

If the system is in sliding mode, *i. e.*  $s = 0$ , the dynamics is  $\dot{s} = \dot{x} + x = 0$  and therefore independent of system parameters or disturbance  $\rightsquigarrow$  robust !

# Sample frame title

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## Remark

Sample text

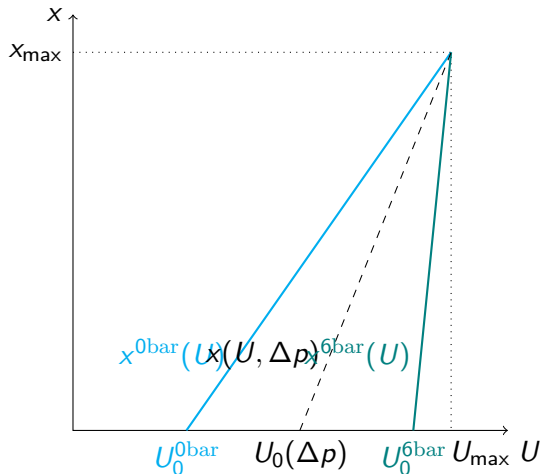
## Important theorem

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## Examples

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Hello world



# References