```
Initialisation of parameters
                                     x_0, P_0, H, O, R_0,
                                           Time update
                     Compute fundamental matrix:
                                \Phi_{\nu_1}^{[1]} \approx I_n + F_{k-1}T_s
                          Compute a priori estimate:
                             \hat{\mathbf{x}}_{k}^{-} = \hat{\mathbf{x}}_{k-1} + \mathbf{f}(\hat{\mathbf{x}}_{k-1}) \mathsf{T}_{s}
                  Compute a priori error covariance:
                     P_{k}^{-} = \Phi_{k-1}^{[1]} P_{k-1} \Phi_{k-1}^{[1]T} + Q_{k-1}
                                Correct sensor readings
              Compute acceleration due to motion:
a_{x} = -l_{1}[\omega_{1}^{2}\cos(\theta_{1}) + \alpha_{1}\sin(\theta_{1})] - l_{2}[(\omega_{1} + \omega_{2})^{2}]
              \cdot \cos(\theta_1 + \theta_2) + (\alpha_1 + \alpha_2) \sin(\theta_1 + \theta_2)
  a_z = -l_1[\alpha_1 \cos(\theta_1) - \omega_1^2 \sin(\theta_1)] - l_2[(\alpha_1 + \alpha_2)]
                \cdot\cos(\theta_1+\theta_2)+(\omega_1+\omega_2)^2\sin(\theta_1+\theta_2)
                            Compute gravity estimate:
      \begin{split} g \approx \begin{bmatrix} \alpha_{X_2\mathfrak{m}} \\ 0 \\ \alpha_{Z_2\mathfrak{m}} \end{bmatrix} - T_y(\theta_1 + \theta_2 + 90^\circ) \begin{bmatrix} \alpha_x \\ 0 \\ \alpha_z \end{bmatrix} \|g\|^{-1} \\ \text{Compute corrected angle estimate:} \end{split}
                      \theta_1 + \theta_2 = \operatorname{atan2}(g_z, g_x) - 180^\circ
                      Set measurement covariances:
\sigma_3^2 = \begin{cases} \sigma_{3s}^2 & m_k = 0 \\ \sigma_{3f}^2 & m_k = 1 \end{cases}, \quad \sigma_4^2 = \begin{cases} \sigma_{4s}^2 & m_k = 0 \\ \sigma_{4f}^2 & m_k = 1 \end{cases}
                                  Measurement update
                             Compute Kalman gain:
                     \mathbf{K}_{k} = \mathbf{P}_{k}^{-} \mathbf{H}_{k}^{\mathsf{T}} [\mathbf{H}_{k} \mathbf{P}_{k}^{-} \mathbf{H}_{k}^{\mathsf{T}} + \mathbf{R}_{k}]^{-1}
                      Compute a posteriori estimate:
                           \hat{\mathbf{x}}_{k} = \hat{\mathbf{x}}_{k}^{-} + \mathbf{K}_{k}[\mathbf{z}_{k} - \mathbf{H}_{k}\hat{\mathbf{x}}_{k}^{-}]
                            Update error covariance:
                                  \mathbf{P}_{k} = [\mathbf{I} - \mathbf{K}_{k} \mathbf{H}_{k}] \mathbf{P}_{k}^{-}
                                     Output
```