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Package com. company

Class BubbleSort

```
{ void bubbleSort(int arr[])
    {
        int n = arr.length;
        for (int i = 0; i < n - 1; i++)
            if (arr[i] > arr[i + 1])
                { // swap them and arr[i]
                    int temp = arr[i];
                    arr[i] = arr[i + 1];
                    arr[i + 1] = temp;
                }
    }

    void printArray(int x[])
    {
```

```
int n = x.length  
for (int i=0; i<n; ++i)  
    System.out.println();  
}  
public static void main (String  
args[]){  
    Bubblesort ob = new  
    Bubblesort ();  
    int array [] = {12, 20, 100, 90, 500, 5, 24};  
    ob.bubblesort (array);  
    System.out.println ("SORTED  
ARRAYS");  
    ob.printarray (array);  
}
```

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Algorithm - 2020

O-14

IV. Implementing Bubble sort Algorithm

① Sorting with the first element (index=0),
compare the current element with the

next elements of the array.

② If the current element is greater
than the next element of the array

swap them

③ If the current element is less
than the next element, Repeat step:

Let's consider array with values {5, 1, 6, 2, 3}

5 > 1, so interchange

5	1	6	2	4	3
---	---	---	---	---	---

5 > 6, NO swapping

5	3	6	2	4	3
---	---	---	---	---	---

5 > 2, so, interchange

1	5	6	3	2	4
---	---	---	---	---	---

6 > 4 so interchange

1	5	2	6	4	3
---	---	---	---	---	---

6 > 3 so interchange

1	5	2	4	6	3
---	---	---	---	---	---

1	5	2	4	3	6
---	---	---	---	---	---

so as we can see representation above, after the first iteration, 6 is placed at the last index, which is the correct position or it similarly after the second iteration, 5 will be at the second last index i.e. 10, or

Optimized The Bubble sort algorithm we can introduce flag to monitor whether elements are getting

swapped inside the inner for loop.

Hence, in the * inner for loop, we

check whether swapping of elements

is taking place not every time.

Let's consider any array with values

{ 11, 17, 18, 16, 23 } → { 1, 2, 3, 4, 5 }

11 > 17 → [11 | 17 | 18 | 16 | 23] flag = 0
(No swapping)

17 > 18 → [11 | 17 | 18 | 16 | 23] flag = 0
(No swapping)

18 > 26 → [11 | 17 | 18 | 26 | 23] flag = 0
(No)

26 > 23 → [11 | 17 | 18 | 23 | 26] flag = 1
(Swapping)

Complexity:

In bubble sort, $n-1$ comparisons will be done in the 1st pass, $n-2$ in 2nd pass, $n-3$ in 3rd pass and so on. So the total number

Output: $(n-1) + (n-2) + (n-3) + \dots + 1$

$$\text{Sum} = n(n-1)/2$$

$$\text{i.e } O(n^2)$$

Time complexity of bubble sort is $O(n^2)$

- Worst time complexity

$$[\text{Big-O}] : O(n^2)$$

- Best time complexity [Big-O_{avg}] $\Omega(n)$

- Space complexity : $O(1)$

```
class GFG
{
    public static int search (int arr[])
    {
        int n = arr.length;
        for (int i = 0; i < n; i++)
        {
            if (arr[i] == x)
                return i;
        }
        return -1;
    }

    public static void main (String
        int arr[] = { 2, 3, 4, 10, 40 };
        int x = 10;
        int result = search (arr, x);
        if (result == -1)
            System.out.println ("Element
```

else

System.out.print("Element

↳ folgt aus der obigen Schleife

↳ ist ein Element der Liste

mit i als Position ist

{x = 0}; aus i

aus i

Linear Search

Worst Case:

In the linear search, the worst case happens when the element to be

searched (not in the above code)

is not present in the array. When

x is not present the search () function

compares it with all the elements of
a [] one by one.

so the worst case time complexity

of linear search would be $O(n)$

Average Case:

For the linear search problem, that

the all corners are unfortunately disturbed - so we sum all the easier and ~~disturbed~~ revised the sum by $(n+1)$

$$\text{Average care time} = \frac{\sum_{i=1}^{n+1} O(i)}{(n+1) * (n+1)/2}$$

Best case: no int's to consider

$O(n \log n)$ operations in all cases.

→ add below those possible

operations

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Public class SelectionSort Example {

 Public static void

 selection sort (int arr[]){

 for (int i=0; i<arr.length-1; i++)

 {

 int index = i;

 for (int j=i+1; j<arr.length; j++)

 if (arr[j] < arr[index]) {

 index = j; // searching for lowest index

 }

 } (arr[i] is not sorted)

 }

 int smaller Number = arr[index];

 arr [index] = arr [i];

 arr [i] = smaller Number;

 }

 Public static void main (String a []){

```
int [] arr = {9, 14, 3, 2, 43, 11, 55, 22};
```

```
System.out.println ("Before selection sort");
```

```
for (int i : arr) {
```

```
System.out.println (i);
```

selection sort (arr); // inserting array using selection sort

```
System.out.println ("After selection sort");
```

```
for (int i : arr) {
```

```
System.out.print (i + " ");
```

{ // ans : 2 3 9 11 14 22 43 55

{ // Ans : 2 3 9 11 14 22 43 55

```
* include <csdio.h>
// Function to print an array
void Print Array (int array[], int size) {
    for (int i = 0; i < size; i++) {
        printf ("%d", array[i]);
    }
    printf ("\n");
}

void insertion sort (int array[], int size)
{
    for (int step = 1; step < size; step++) {
        int key = array[step];
        int j = step - 1;
```

/* compare key with each element

on the left of it until an element
smaller than

/* it is found.

/* for descending order, change key
array[j] to key array[j].

while (key < array[j] && j >= 0){

array[j+1] = array[j]; -j;

} array[j+1] = key;

}

/* Driver code

int main () {

int data = {9, 5, 1, 4, 3};

int size = sizeof (data);

```
sizeof(data[0]);
```

```
insertion sort (data.size);
```

```
printf("sorted array in ascending  
order:\n");
```

```
Print array (data.size);
```

```
}
```

Output: The address of

main

main