Data 8	
Summer 2018	
Worksheet 3	
7/21/2018	
Conceptual Office Hours	

Name: \_\_\_\_\_

This worksheet can serve as a general overview of materials you have learned this week and give you an opportunity to practice solving them in an exam-like format. NOTE: This worksheet is a collection of problems that come from resources all students have access to, resources only staff members of previous iterations of the course have access to, and some that I have made up myself. This is not necessarily representative of what will be tested on the actual exams. For any issues or questions, contact Robert Sweeney Blanco at robertsweeney-blanco@berkeley.edu.

For all problems, you may assume you have imported datascience and numpy as np.

You're at The Wizarding World of Harry Potter at Universal Studios Hollywood where a wizard sells you an enchanted coin that has a 40% chance of landing heads. When you get home, you flip the coin 100 times and get 50 heads. You begin to think the wizard is a fraud. Design a hypothesis test to determine whether it is believable that the coin is enchanted. (Some of these questions have multiple possible answers)

- 1. What is your Null Hypothesis?
- 2. What is your Alternative Hypothesis?
- 3. What is your test statistic?
- 4. Fill in the code to run the simulation. Note: The answers to these depend on your answers above!

```
proportions = <1>
collection = <2>
for i in np.arange(1000):
    sample = 100 * sample_proportions(<3>, proportions).item(<4>)
    collection = <5>
```

4.1)	_
4.2)	_
4.3)	_
4.4)	_



5.	Assuming	you	have	access	to	collection	from	your	code	above.	Write o	code	to	compute
	the p-value	e.												

6.	Pretend	the line	above	evaluated	to	.024.	Using th	ne standard	p-value	$\operatorname{cutoff}$	of	0.05,	i
	this resu	lt statist	ically	significant	or	not?							

7.	What	is your	conclusion	with	${\rm regards}$	to	whether	the	coin	is	enchanted	or	not?

Suppose you work in marketing for movie theaters and decide to test whether advertising popcorn before a movie will increase the number of people that will get up and buy popcorn before the movie begins. There are two theaters (Theater 1 and Theater 2), each with 100 people inside. Theater 1 plays an advertisement for popcorn before the movie, Theater 2 does not. Suppose 29 people from Theater 1 get up and buy popcorn whereas only 22 people from Theater 2 get up. The results are recorded in the table popcorn shown below. Each person in the theater is assigned an ID, shown in the column ID.

ID	Theater	Got up
0	1	False
1	1	False
2	1	True
3	1	False
4	1	True
5	1	False
6	1	False
7	1	True
8	1	False
9	1	False

... (190 rows omitted)

8.	What	kind	of	testing	methodology	is	required	here?
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9. What is your null hypothesis?

10. What is your alternative hypothesis?

11. What is your test statistic?

12.7)

12. Fill in the code below differences = <1>repetitions = 5000for i in np.arange(repetitions): shuffled = popcorn.sample(<2>).column(2)with\_shuffled = popcorn.with\_column('Shuffled', <3>) shuffled\_results = with\_shuffled.group('Theater', <4>).column(3)  $simulated_stat = <5>$ differences = np.append(<6>, <7>)12.1) \_\_\_\_\_ 12.2) 12.3) \_\_\_\_\_ 12.4) 12.5) 12.6) \_\_\_\_\_

13.	Assuming you have access to <i>collection</i> from your code above. Write code to compute the p-value.
14.	Pretend the line above evaluated to .125. Using the standard p-value cutoff of 0.05, is this result statistically significant or not?
15.	What is your conclusion with regards to whether the marketing strategy is effective or not?

France has been trying to improve its consumption of clean energy. As a data scientist, you want to know if France's efforts have paid off, or if their energy consumption is like the rest of Europe's and variation is due to random chance. You have access to the table below, called energy. Additionally, you know that France consumed approximately 2,826,000 kilowatt-hours of energy.

Energy Source	Europe Average	France
Oil	0.34	0.28
Gas	0.20	0.16
Coal	0.16	0.04
Renewables	0.13	0.12
Nuclear	0.13	0.40

16. What would be your null hypothesis?

17. What would be your alternative hypothesis?

18. What statistic would you use to test the hypothesis? Why?

19. Fill in the function to compute the test statistic. Call it on energy. Use as many arguments as you need, and fill in each line corresponding to the numbers you see in the code.

- 19.2) \_\_\_\_\_
- 19.3)
- 19.4) \_\_\_\_\_
- 20. Write code to help you simulate one value of the test statistic.

 $\begin{array}{ll} total\_energy = 2826000 \\ random\_distribution = <1>(<2>, <3>) \\ simulated\_value = <4>(<5>, <6>) \\ \end{array}$ 

- 20.1) \_\_\_\_\_
- 20.2) \_\_\_\_\_
- 20.3) \_\_\_\_\_
- 20.4) \_\_\_\_\_
- 20.5).
- 20.6)