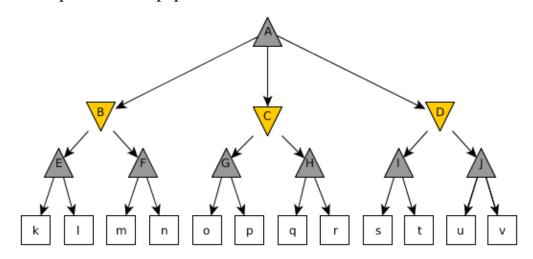
Introduction into Artificial Intelligence

Mid-term 2. – Group A

A. Solve these problems on paper:



- 1. The evaluation function assigns the following numbers to the leaves of the tree: [[[6, 0], [-2, 1]], [[-3, -5], [3, 5]], [[-7, -4], [4, -6]]]. Give a good strategy for the 'Maximum' player using the Mini-max algorithm.
- 2. The evaluation function assigns the following numbers to the leaves of the tree: [[[-7, -3], [1, -2]], [[4, -1], [-6, 5]], [[-5, -4], [6, 2]]]. Which nodes will not have a value determined because of pruning? (The nodes in the figure are examined from left to right.)
- 3. We have constraints A, B, C, D, E, F \in {1,2,3,4,5,6}, 3 * A 1 < C, A < B, B = 3 * E, 3 * E > D, F < D, C < F. Give the possible domain for each variable after checking arc consistency.
- B. There are 26 slots in a row on the table. 2 players take turns on placing down 1 rock in one of the slots. A player can only place a rock in a blank slot where its left neighbor is also blank. The player who would be next and can't put a rock in a slot loses the game. Implement this game using the provided name_neptuncode.py file. Follow the instructions in the code. (5 points)

1. Description:

$$H = \{0, 1\}$$

0 – blank slot, 1 – there is a rock in the slot

2. Set of game states:

$$B \subseteq H^{26}$$

$$[b_1, b_2, \dots, b_{26}] \in H^{26}$$

$$b_i \in H$$
 $i = [1, 2, ..., 26]$

$$B = \left\{ [b_1, b_2, \dots, b_{26}] \middle| \begin{matrix} [b_1, b_2, \dots, b_{26}] \in H^{26} \land \\ \bigwedge_{i=2}^{26} b_i = 1 \supset b_{i-1} = 0 \end{matrix} \right\}$$

(if there is a rock in a slot, the left neighbor should be blank)

3. Initial game state:

$$b_0 \in B$$
 $b_0 = [0, 0, ..., 0]$ (all 26 slots are blank)

4. End game state:

$$V = \left\{ [b_1, b_2, \dots, b_{26}] \middle| [b_1, b_2, \dots, b_{26}] \in B \land \bigwedge_{i=2}^{26} b_i = 0 \supset b_{i-1} = 1 \right\}$$

(for each blank slot there is a rock in the left neighbor, meaning the player can't place the next rock)

5. Set of steps:

$$L = \{l_i | i \in \{1, 2, ..., 26\} \}$$

 $dom(l_i)$

$$= \big\{ [b_1, b_2, \dots, b_{26}] \big| [b_1, b_2, \dots, b_{26}] \in B \land b_i = 0 \land b_{\max(i-1, 0)} = 0 \big\}$$

(the slot where we want to put the rock is empty and left neighbor slot is also empty)

6. Effect definition:

$$l_i([b_1, b_2, ..., b_{26}]) = ([e_1, e_2, ..., e_{26}])$$

$$e_p = \begin{cases} 1 & if \ p = i \\ b_p & otherwise \end{cases} \qquad p = 1, \dots, 26$$