## 05 - EBNF (Extended BNF) and Syntax Diagrams

EBNF is the same as BNF, with three additional meta-symbols:

- {} which indicates 0 or more
- [] which indicates optional
- ( ... | ... ) which indicates sub-alternatives

EBNF has exactly the same expressive power as BNF.

But it is more convenient for many applications.

Converting from BNF to EBNF must be done precisely:

BNF EBNF

<n> ::= A   AB</n>	<n> ::= A [B]</n>	
<pre><q> ::= -<num>   <num></num></num></q></pre>	<pre><q> ::= [-] <num></num></q></pre>	
::=  A   A	<p> ::= A { A }</p>	
<x> ::= <x> A ∣ ∈</x></x>	<x> ::= { A }</x>	
<pre></pre>	<pre><blk> ::= begin <cmd> {; <cmd>} end</cmd></cmd></blk></pre>	
<nws> ::= +<num>   -<num></num></num></nws>	<nws> ::= (+ -) <num></num></nws>	
<sn> ::= +<num>   -<num>   <num></num></num></num></sn>	<sn> ::= [(+ -)] <num></num></sn>	

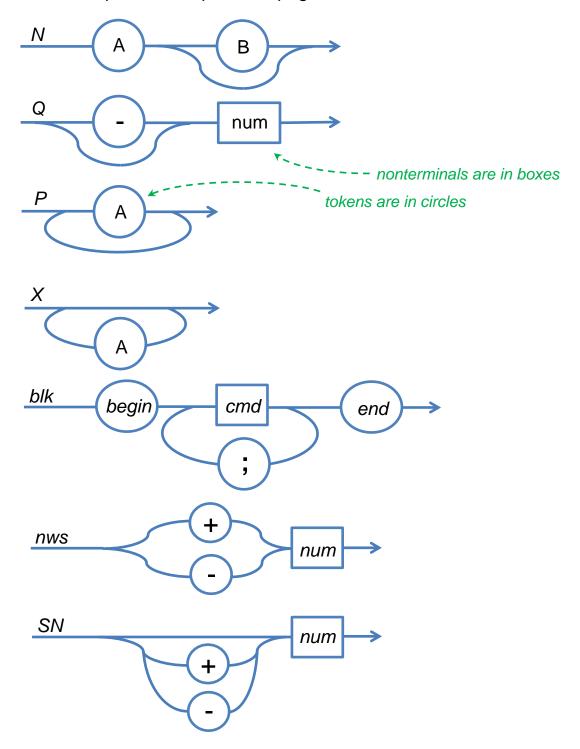
Some things to notice about the conversions to EBNF:

- most "or"'s ( | ) have been removed, reducing the number of rules,
- redundant items are removed when all they do is specify options,
- most recursion has been removed and replaced with { } loops, and
- occurances of the null string (  $\epsilon$  ) have been removed.

Conversion to EBNF makes it easier to draw Syntax Diagrams.

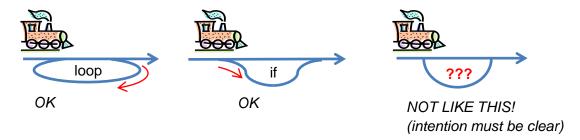
Later, we will use the Syntax Diagrams to write a recursive-descent parser.

<u>Syntax Diagrams</u>, sometimes called "Railroad Tracks", are graphical representations of EBNF production rules. Here are syntax diagrams for each of the examples on the previous page:

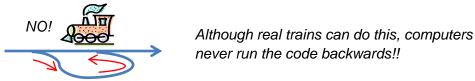


It can be helpful to imagine train tracks, to help in drawing them correctly:

• Control structures (curves and switches) should be very clear:



• The train must <u>never</u> "reverse directions":



There are some common structures in programming languages. Here is the correct way to draw them in BNF, EBNF, and Syntax Diagrams:

	BNF	EBNF	Syntax Diagram
A is optional	M ::= xxAxx   xxxx	M ::= x x [A] x x	A
A is required	M ::= xxAxx	M ::= xxAxx	$\longrightarrow \hspace{-0.8cm} \longrightarrow$
1 or more of A	M ::= MA   A	$M : := A \{ A \}$	$\longrightarrow$
0 or more of A	M ::= MA   ∈	M ::= { A }	A
1 or more of A with separators	M ::= M ; A   A	M ::= A {; A}	$\xrightarrow{A}$
1 or more of A with terminators	M ::= MA;   A;	$M : := A; \{A;\}$	—————————————————————————————————————
0 or more of A with separators	M ::= H   ∈ H ::= H ; A   A	M ::= [ A { ; A } ]	(A)
0 or more of A with terminators	M ::= MA;   ∈	M ::= { A ; }	;-A