

6.3b

Estimated Max Clock Frequency: Single Cycle =

$$\tau_{singlecycle} = 2\Delta_{add} + \Delta_{add/sub} + \tau_{st} + \tau_{cq} + \tau_{CS}$$

$$\tau_{singlecycle} = 2 * (0.8ns) + 1.1ns + 0.05ns + 0.05ns + 0.05ns$$

$$\tau_{singlecycle} = 2.05ns$$

Estimated Max Clock Frequency: Pipeline =

$$\tau_{pipeline} = \Delta_{add/sub} + \tau_{st} + \tau_{cq} + \tau_{CS}$$

$$\tau_{pipeline} = 1.1ns + 0.05ns + 0.05ns + 0.05ns$$

$$\tau_{pipeline} = 1.25ns$$

Estimated Pipeline Performance:

$$T_{pipeline} = k * \tau_{pipeline} + (N - 1)\tau_{pipeline}$$

Estimated Pipeline Performance:

$$T_{singlecycle} = N * k * \tau_{pipeline}$$

Estimated Speedup : Pipeline vs Single Cycles

$$Speedup = \frac{T_{singlecycle}}{T_{pipeline}}$$

$$Speedup = \frac{N * k * \tau}{k\tau + (N-1)\tau}$$

$$Speedup = \frac{Nk}{k + N - 1}$$

$$Speedup = \frac{1000 * 4}{4 + 1000 - 1}$$

$$Speedup = 3.988$$

8.7

Longest Path : Acc-ISA single-cycle data path

$$\tau_{cpu} = \Delta_{IM} + \Delta_{add} + \Delta_{MUX} + \Delta_{DM} + \Delta_{MUX} + \tau_{st} + \tau_{cq} + \tau_{CS}$$

$$\tau_{cpu} = 1.2ns + 0.8ns + 0.3ns + 1.2ns + 0.3ns + 0.05ns + 0.05ns + 0.05ns$$

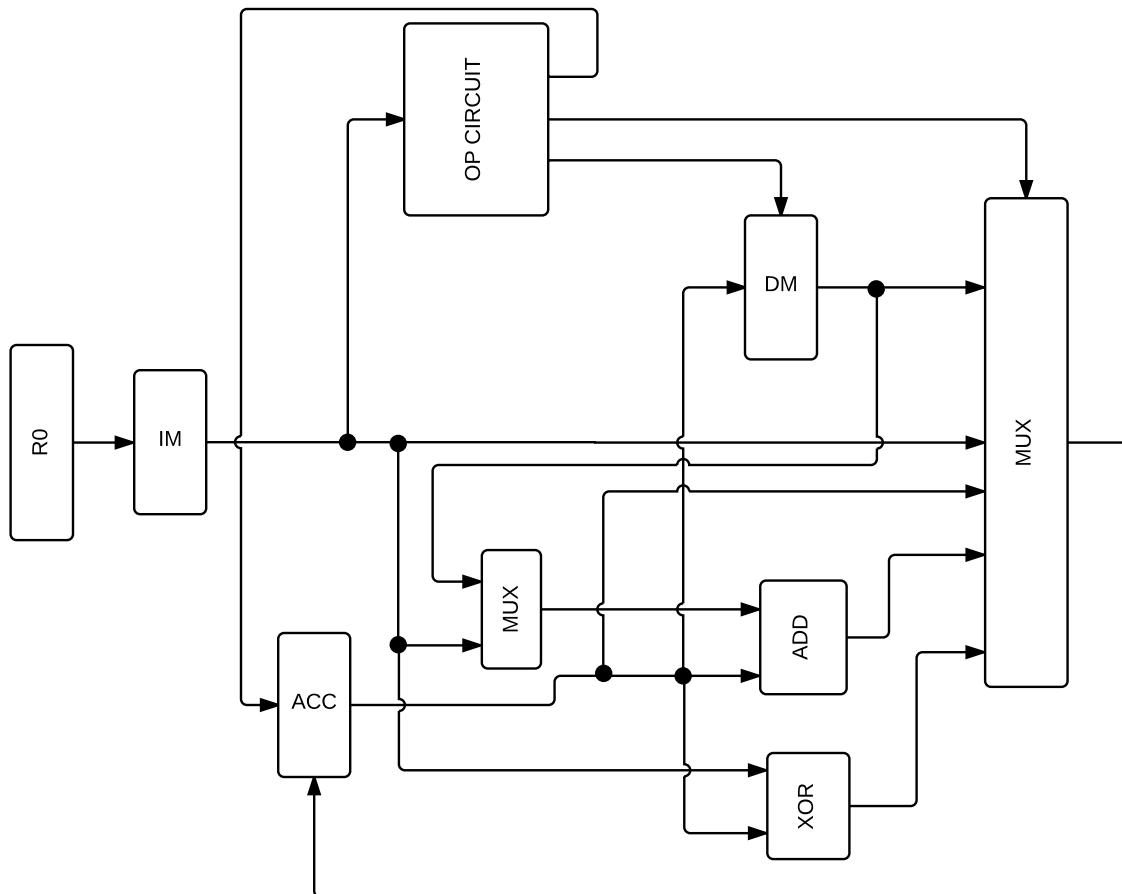
$$\tau_{cpu} = 3.95ns$$

8.2a

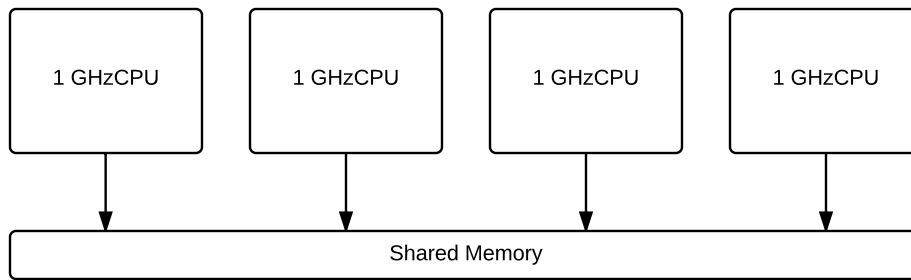
```
.code
LD 0
LD -2
ST mem(X)
LD 6
ST mem(Y)
LD 11
ST mem(Z)
LD mem(X)
ADD mem(Y)
ST mem(T)
LD 1
XOR mem(Z)
ADD 1
ADD mem(T)
ST mem(T)
```

```
.data
X: RB 1
Y: RB 1
Z: RB 1
T: RB 1
```

8.2b

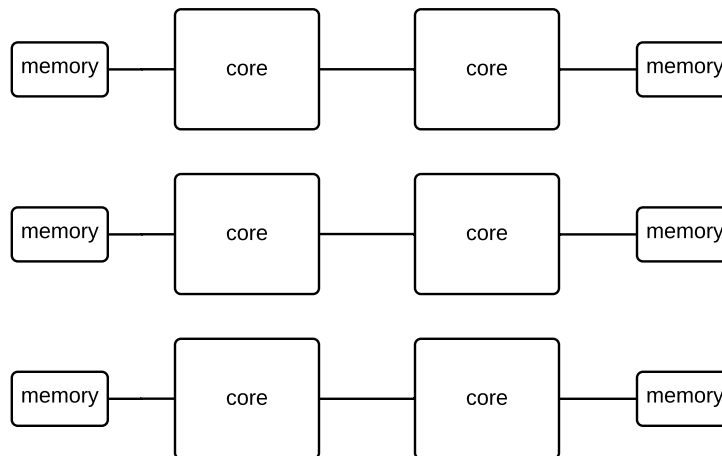


9.1a



$$\frac{10\% * 1 \text{ GHz}}{4 \frac{\text{Byte}}{\text{cycle}}} = \frac{100 \text{ M} \frac{\text{cycle}}{\text{sec}}}{4 \frac{\text{Byte}}{\text{cycle}}} = \frac{100 \text{ MB}}{4 \text{ s}} = 25 \text{ MB/s}$$

9.4



10.1

$$\begin{aligned} \text{Main Memory peak bandwidth} &= 800\text{M} \frac{\text{cycle}}{\text{sec}} * 4 \frac{\text{B}}{\text{cycle}} \\ &= 3.2 \text{ GB/s} \end{aligned}$$

$$\begin{aligned} \text{Main Memory latency} &= \frac{32 \text{ B}}{3.2 \text{ GB/s}} \\ &= 10 \text{ ns} \end{aligned}$$

$$\begin{aligned} \text{Average Latency} &= (0.95)(1\text{ns}) + (1 - 0.95)(0.90)(3\text{ns}) + (1 - 0.95)(1 - 0.90)(10\text{ns}) \\ &= 0.95\text{ns} + 0.135\text{ns} + 0.05\text{ns} \\ &= 1.135\text{ns} \end{aligned}$$