

The Narrator and the Noise

The Use of Statistical Bias in
a Minigame to Emphasize a
Thematic Outcome in Act 1 of
Doki Doki Literature Club

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Introduction

Doki Doki Literature Club (henceforth known as DDLC), developed by Team Salvato,¹ is a visual novel video game that initially appears as an average Japanese dating simulator, eventually shifting into the horror genre and being supplemented with meta-elements that affect the game's interface and audio.² Such conventions have propagated inquiries by scholars, such as David Neri (2017), who comments that the “deliberate breaks in the 4th wall” humanizes the characters.³ While this observation is noteworthy, the simple minigame that DDLC employs is of particular interest.

During Acts 1 and 2 of the game, a minigame called “Poem Game” occurs. For 20 rounds, the player chooses a word from a list of 10.⁴ Selecting specific words grants between one to three points toward Natsuki, Sayori, and Yuri—if a character finds a word to be most affable, their jumping animation plays to indicate that they have received the most points. As with a typical dating simulator, the character that receives the most points will grant additional scenes with said character. While other scholars comment that this minigame is used as essentially a red herring,⁵ what they have not explored is how this poem minigame is used in the context of the plot from a *numerical* standpoint. Particularly, whether the distribution of points is geared toward a specific

character and how that may affect the interpretation of the game's themes.

As such, the focus of this study is to determine the existence and extent of statistical bias towards any of the DDLc characters with respect to the points distribution of the Poem Minigame. The results of this study show that the bias is towards Sayori (2.180 ± 0.819 vs. overall mean of 1.962 ± 0.839), who is the first character in the game to experience a traumatic outcome, suggesting that the statistical component of the Poem Minigame—whether intentional or not—attempts to gear the player towards her to accentuate further the emotional impact of her death in Act 1.

1 Methodology

1.1 Overview

Using the R programming language, the methods used were frequency distributions, means and standard deviations (SDs), ANOVA, and the Tukey HSD method. The frequency distributions are used to compare the spread of points across each DDLC character that receives points in the Poem Minigame: Natsuki, Sayori, and Yuri. This method allows the detection of outliers or general patterns of the distribution among these characters. The means and SDs would reveal the central tendencies of the distributions, complimenting the ANOVA and Tukey HSD analysis that test whether there exists statistically significant differences among and between the average number of points of the characters. If a statistically significant difference exists, it would indicate that there is “bias” in the distribution of points, since one would presume a uniform distribution of points in a fair game. However, ANOVA assumes a normal distribution of the residuals: if this condition is not met, then the Kruskal-Wallis⁶ and Dunn Tests⁷ will be conducted, as they do not assume normally distributed residuals.⁸

1.2 Models

The models are defined as follows:

$$Model1 : Value = \mu_1 + Character_{1i} + \epsilon_{1ij}$$

$$Model2 : \log(Value) = \mu_2 + Character_{2i} + \epsilon_{2ij},$$

where μ_1 and μ_2 are the common effects; $Character_{1i}$ and $Character_{2i}$ are the treatment variables (which represent the DDLC characters in the Poem Minigame); and epsilons are the error terms for their respective models. These models will be estimated by ANOVA and the Kruskal Wallis Test; however, for the latter, only Model 1 will be estimated, as Model 2 is an attempt to normalize the residuals without resorting to a non-parametric test: if its residuals are not normally distributed, then the Kruskal Wallis test is necessary.

1.3 Hypotheses

The following are the hypotheses:

$$H_0 : \mu_{Natsuki} = \mu_{Sayori} = \mu_{Yuri}$$

$$H_1 : \mu_{Natsuki} \neq \mu_{Sayori} \neq \mu_{Yuri},$$

where each of the μ 's represents the means for a particular character. If the means are relatively similar, then we cannot make a case that there is bias in the distribution of points in the Poem Minigame. Otherwise, the mean points among the characters are

not equal and thus the distribution of points may be biased towards a particular character, where we define a statistically significant difference when $p < 0.05$. So, in this paper, I expect that the minigame gears the player toward Sayori based on the events leading to the end of Act 1.[9](#)

2 Data

2.1 Overview

The data for the points distribution of the Poem Minigame were obtained from the Doki Doki Literature Club wiki,^{[10](#)} being stored in a comma-separated-values (CSV) file for importing into R—there are a total of 228 words recorded. What follows is the R code that loads the necessary libraries for analysis, importing and displaying the first few rows of the dataset (see *Appendix A* for the full display).

Each character can receive 1 to 3 points, depending on the player’s selection of the words. Generally speaking, Natsuki prefers “cute” and shorter words such as “boop,” whereas Yuri opts for more complex ones such as “vivacious.” If a player picks something of the former, Natsuki receives more points and Yuri receives fewer (see *Appendix B* for visualizations of the point-distribution relationships between the characters). Sayori, on the other hand, prefers words that can be happy such as “awesome” or bittersweet such as “raincloud.”

The subsections *Setup* and *Import* below show the R code that loads the necessary libraries for analysis and import steps, respectively.

2.2 Setup

Before the analysis is conducted in R, a set of libraries are loaded for data management, presentation, and methodological purposes. First, the **tidyverse** library is loaded for its data management and plotting functions (primarily from **dplyr** and **ggplot2**), where **magrittr** is loaded for its convenient update pipe operator (`%>%`) that allows one simultaneously to pass and update their data object. The libraries **knitr** and **kableExtra** are loaded so that the presentation of the tables can match closer to that of the APA style. The library **broom** is used to convert model and statistical test outputs into a data frame that **knitr** and **kableExtra** functions can accept. The **gridExtra** library is used to combine **ggplot2** functions together. Finally, the **FSA** library is used to conduct Dunn's Test as a post-hoc procedure to Kruskal-Wallis.^{[11](#)}

For reproducibility purposes, a function `try_load()` is created: it attempts to find out whether a library has already been installed, and if not, attempts to install and load it. The function `Map()` is then used to iterate through loading the aforementioned libraries. Afterward, the next step is to import the data.

2.2.1 R Code: Setup

```
# Name libraries to use for analysis.  
libs <- c('tidyverse', # For data  
         management.
```

```

    'magrittr',    # For data
management.
    'knitr',      # For presenting
tables.
    'kableExtra', # For presenting
tables.
    'broom',      # For tidying
models/tests.
    'gridExtra',  # For placing plots
on a grid.
    'FSA')        # For Dunn's Test

# Write function for loading libraries or
installing them if not available.
try_load <- function(x) {

  if (!require(x, character.only = TRUE)) {

    install.packages(x)
    library(x, character.only = TRUE)

  }

}

# Load Libraries
Map(try_load, libs)

```

2.3 Import

To import the dataset into R, we copy the data from the DDLG Poem Game wiki page^{[12](#)} and insert them into a CSV file. We then use the `read.csv()` function to import the data, maintaining that the column `word` is a

character variable and not a factor. To preview the data, we apply the `kable` function fo the first five rows of the dataset, setting `booktabs = TRUE` so that we achieve a table with a clean look. The result is Table 1—see *Appendix A* for the full dataset.

2.3.1 R Code: Import

```
# Import Dataset
## Saved data from the following link into a
  CSV:
  https://ddlcwiki.net/wiki/Poem_game)
data <- read.csv('ddlc.csv', stringsAsFactors
  = FALSE)

# Show the first few rows of the dataset
kable(head(data, 5),
  booktabs = TRUE,
  caption = 'DDLC Points Distribution
    Data (First Five Rows)') %>%
kable_styling(full_width = TRUE,
  latex_options = "hold_position") %>%
footnote(general =
  'https://ddlcwiki.net/wiki/Poem_game',

  general_title = 'Data Source:',
  footnote_as_chunk = TRUE)
```

Table 2.1: DDLC Points
Distribution Data (First Five
Rows)

Word	Sayori	Natsuki	Yuri
adventure	3	2	1

afterimage	1	1	3
agonizing	2	1	3
alone	3	1	2
amazing	3	2	1
<i>Data Source:</i> https://ddlewiki.net/wiki/Poem_game			

3 Results

3.1 Overview

The purpose of this section is to demonstrate the results of the analysis based on the methodology provided. First, we examine the distribution of the points toward the characters. Next, we compare the central tendencies of the distributions for each of the characters. Then, we conduct ANOVA and Tukey HSD tests to determine whether there exists a statistically significant difference in the mean points among the characters, diagnosing the residuals afterward to know whether the residuals are normally distributed. Finally, after determining that the residuals are *not* normally distributed, I conduct the Kruskal-Wallis and Dunn's Tests to conclude whether there truly is a statistically significant difference.

3.2 Distribution of Points

To create Figure 1 (*Points Distribution in the DDL C Poem Minigame*), I pivot the original dataset into longform so that we have three columns: Words, Character, and Value—I do this procedure so that plotting the histograms by character could be done simultaneously rather than consequentially. Next, I create a theme called `theme_light2()`, which is a variation of `ggplot2`'s `theme_light()` such that the minor gridlines are removed, as well as the major x-

axis ones. Finally, we use `ggplot()`, `geom_histogram()`, and `facet_wrap()` to plot the histograms of the points for each character. From these histograms in Figure 1, most words fall under the 1-point category for both Natsuki and Yuri; but for Sayori, most of her words fall in the 2-point category. Yuri receives the least amount of 2-point words and Natsuki the 3-point words. In contrast, with respect to the 3-point category, Sayori receives the most relative to Natsuki and Yuri. Overall, Sayori has the advantage in obtaining the most frequent 2- and 3-point words.

3.2.1 R Code: Distribution of Points

```
# Pivot the dataset.
data2 <- gather(data, 'Character', 'Value',
                2:4)

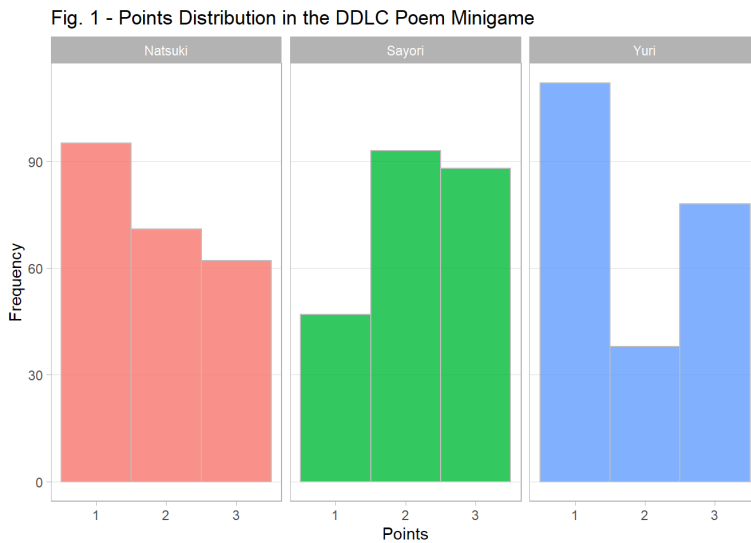
# Create a function that sets up the
  background of the plot.
theme_light2 <- function() {

  theme_light() +
  theme(panel.grid.minor = element_blank(),
        panel.grid.major.x = element_blank())

}

# Generate the plot.
ggplot(data2) +
  aes(x = Value, fill = Character) +
  geom_histogram(bins = 3, col = 'gray',
                alpha = 0.8) +
  facet_wrap(~ Character) +
  guides(fill = FALSE) +
```

```
labs(x      = 'Points',  
     y      = 'Frequency',  
     title  = 'Fig. 1 - Points Distribution  
               in the DDLc Poem Minigame') +  
scale_x_continuous(breaks = 1:3) +  
theme_light2()
```



3.3 Central Tendency of the Points

This subsection describes the central tendency of the distribution of the points for each character. Specifically, the individual means and standard deviations (SDs) are discussed, being compared to each other to determine whether there is a difference from a high-level view (i.e., to see whether the means are relatively similar or dissimilar without any statistical tests at this point). To assess the statistical significance

among the means, the ANOVA results are presented in section 5.4.

To generate the central tendency of the points among the characters, we apply the `aggregate()` function and pass an anonymous function that uses `mean()` and `sd()` simultaneously; however, because the output of `aggregate()` in this form will nest the information, we execute `do.call(data.frame, 1)`, where `1` is the aggregated list, to unnest the information. We then rename the columns so that they make more sense to the reader. Finally, we use `kable()` to generate the mean and SD table.

In this table, Natsuki has an average score of 1.855 ± 0.819 ; Sayori has the highest average at 2.180 ± 0.750 ; and Yuri has the least at 1.851 ± 0.903 (Table 2; see Figure 2 for a bar-graph version). With respect to the overall mean, it is 1.962 ± 0.839 , which suggests that Sayori's points maybe be inflating the overall mean—so to speak—due to her having the average points being more dissimilar to Natuski and Yuri than the reverse: in other words, while Natuski and Yuri have similar means that both round to 1.9, Sayori's rounds to 2.2, which further suggests that the “true” mean—if the spread of points were under a uniform distribution—would be around 1.800.

3.3.1 R Code: Central Tendency of the Points

```
# Calculate the mean and SDs of the points  
for each character.  
msd <- aggregate(Value ~ Character,
```

```

      data2,
      function(x) c(Mean =
round(mean(x), 3), SD = round(sd(x),
3))) %>%
do.call(data.frame, .)

# Rename the columns.
names(msd) <- c('Character', 'Mean', 'SD')

msd %<>%
  rbind(data.frame(Character = 'Overall',
                    Mean      =
round(mean(data2$Value), 3),
                    SD        =
round(sd(data2$Value), 3)))

# Show the means and standard deviations.
kable(msd, booktabs = TRUE, caption =
'Central Tendency of the Points')
%>%
kable_styling(full_width = TRUE,
              latex_options = "hold_position")

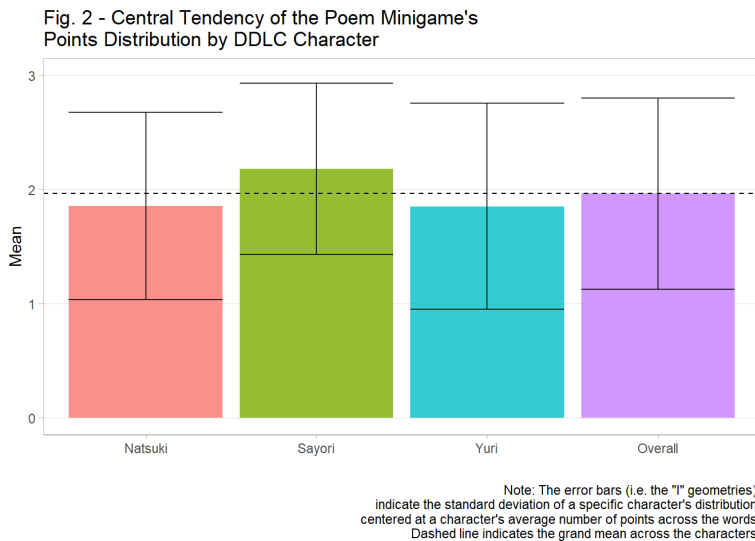
```

Table 3.1: Central
Tendency of the Points

Character	Mean	SD
Natsuki	1.855	0.819
Sayori	2.180	0.750
Yuri	1.851	0.903
Overall	1.962	0.839

3.3.2 R Code: Central Tendency of the Points Bar Graph

```
# Generate a plot of means and SDs.
ggplot(msd) +
  aes(x = Character, y = Mean, fill =
      Character) +
  geom_bar(stat = 'identity', alpha = 0.8) +
  geom_errorbar(ymin = msd$Mean - msd$SD,
               ymax = msd$Mean + msd$SD,
               alpha = 0.8) +
  geom_hline(yintercept = mean(msd$Mean), lty
             = 2) +
  ylim(0, 3) +
  labs(x = '',
       title = 'Fig. 2 - Central Tendency of
               the Poem Minigame\'s
Points Distribution by DDLG Character',
       caption = 'Note: The error bars (i.e.
               the "I" geometries)
indicate the standard deviation of a specific
character\'s distribution,
centered at a character\'s average number of
points across the words.
Dashed line indicates the grand mean across
the characters.') +
  guides(fill = FALSE) +
  theme_light2()
```

3.4 ANOVA

The ANOVA model tests whether there exists an overall statistically significant difference in the means among Natsuki, Sayori, and Yuri. This idea is important on the basis that there should *not* be a statistically significant difference if the spread of the points follow a uniform distribution. However, as noted in the previous subsection 5.3, the means and SDs are not uniform across the characters. Therefore, the ANOVA will assess this observation, being followed by a Tukey HSD test to examine pairwise-mean tests to see where the difference occurs.

To estimate the ANOVA models in R, we employ the `aov()` function. Then we convert the results into a dataframe using the `tidy()` function from the `broom`

library, rounding the results to three significant digits. Then after adjusting the column names to be more understandable of what the statistical metrics are to the reader, we use the `kable()` function to produce Tables 3 and 4. Based on these tables, there exists a statistically significant difference among the means ($(F_1, p_1) = (11.891, < 0.001)$ and $(F_2, p_2) = (15.184, < 0.001)$ respectively). To test where the specific difference occurs, we conduct the Tukey HSD test.

3.4.1 R Code: ANOVA Models

```
# Estimate ANOVA.
anova1 <- aov(Value ~ Character, data2)
anova2 <- aov(log(Value) ~ Character, data2)

# "Tidy" ANOVA (i.e. convert results into a
data frame).
anova1_tidy <- tidy(anova1)
anova2_tidy <- tidy(anova2)

# Round results to three significant digits.
anova1_tidy[, 3:6] %<>% round(., 3)
anova2_tidy[, 3:6] %<>% round(., 3)

# Rename columns so that they are
understandable.
names(anova1_tidy) <- c('Term', 'DF', 'Sum of
                        Squares',
                        'Mean Square', 'F',
                        'p')

names(anova2_tidy) <- names(anova1_tidy)

# ANOVA 1
```

```
kable(anova1_tidy, booktabs = TRUE, caption =
  'ANOVA Results') %>%
kable_styling(full_width = TRUE,
  latex_options = "hold_position") %>%
footnote(general = 'DF = Degrees of
  Freedom.',
  footnote_as_chunk = TRUE)
```

(#tab:stats1, miss)ANOVA Results

Term	DF	Sum of Squares	Mean Square	F	p
Character	2	16.231	8.115	11.891	0
Residuals	681	464.781	0.682	NA	NA

Note: DF = Degrees of Freedom.

```
# ANOVA 2
kable(anova2_tidy, booktabs = TRUE, caption =
  'Log ANOVA Results') %>%
kable_styling(full_width = TRUE,
  latex_options = "hold_position") %>%
footnote(general = 'DF = Degrees of
  Freedom.',
  footnote_as_chunk = TRUE)
```

(#tab:stats1, miss)Log ANOVA Results

Term	DF	Sum of Squares	Mean Square	F	p
Character	2	6.373	3.187	15.184	0
Residuals	681	142.924	0.210	NA	NA

Note: DF = Degrees of Freedom.

3.5 Tukey HSD

To conduct the Tukey HSD test to examine pairwise-mean comparisons in R, we use the `TukeyHSD()` function. After employing it and rounding the values to three significant digits, we rename the columns so that the metrics are understandable to the reader. We then use `kable()` to produce Tables 5 and 6.

In Table 5, the difference in means between Sayori and Natsuki is 0.325 and is statistically significant ($CI = [0.143, 0.506]$, $p < 0.001$). In contrast to the stark difference, Yuri and Natsuki's difference in means is -0.004 and not statistically significant ($CI = [-0.186, 0.177]$, $p = 0.998$). Between Yuri and Sayori, the difference in means is -0.329 and is statistically significant ($CI = [-0.511, -0.147]$, $p < 0.001$). In turn, Sayori statistically has greater means than Natuski and Yuri at the 5% margin-of-error level.

In Table 6, the difference in log means between Sayori and Natsuki is 0.192 and is statistically significant ($CI = [0.091, 0.293]$, $p < 0.001$). Inversely, Yuri and Natsuki's difference in log means is -0.023 and is not statistically significant ($CI = [-0.124, 0.078]$, $p = 0.851$). Between Yuri and Sayori, the difference in log means is -0.215 ($CI = [-0.316, -0.115]$, $p < 0.001$). In turn, Sayori statistically has greater means than Natuski and Yuri at the 5% margin-of-error level.

3.5.1 R Code: Tukey HSD Tests

```
# Obtain the Tukey HSD results
th1 <- round(TukeyHSD(anova1)$Character, 3)
th2 <- round(TukeyHSD(anova2)$Character, 3)

# Rename the columns
colnames(th1) <- c('Difference in Means',
                  'Lower CI Bound', 'Upper CI Bound',
                  'Adjusted p-value')

colnames(th2) <- colnames(th1)

# Display the Tukey HSD results.

## Tukey HSD 1
kable(th1, booktabs = TRUE, caption = 'Tukey
      HSD Results') %>%
  kable_styling(full_width = TRUE,
                latex_options = "hold_position") %>%
  footnote(general = 'CI = Confidence
                  Interval',
           footnote_as_chunk = TRUE)
```

Table 3.2: Tukey HSD Results

	Difference in Means	Lower CI Bound	Upper CI Bound	Adjusted p-value
Sayori- Natsuki	0.325	0.143	0.506	0.000
Yuri- Natsuki	-0.004	-0.186	0.177	0.998
Yuri-				

Sayori -0.329 -0.511 -0.147 0.000

Note: CI = Confidence Interval

```
## Tukey HSD 2
kable(th2, booktabs = TRUE, caption = 'Log
      Tukey HSD Results') %>%
  kable_styling(full_width = TRUE,
                latex_options = "hold_position") %>%
  footnote(general = 'CI = Confidence
                Interval',
           footnote_as_chunk = TRUE)
```

Table 3.2: Log Tukey HSD Results

	Difference in Means	Lower CI Bound	Upper CI Bound	Adjusted p-value
Sayori- Natsuki	0.192	0.091	0.293	0.000
Yuri- Natsuki	-0.023	-0.124	0.078	0.851
Yuri- Sayori	-0.215	-0.316	-0.115	0.000
<i>Note:</i> CI = Confidence Interval				

3.6 ANOVA Residual Diagnostics

The purpose of this subsection is to diagnose the residuals from the ANOVA model to determine whether an additional test is needed if the residuals do not follow a normal distribution. To do so, we first set up a data frame of predicted values and residuals from the

two ANOVA models (the non-logged and logged versions). Then We generate histograms for both of them. As such, based on Figures 3 and 4, the residuals do not resemble a normal distribution: upon examination, they seem to have a bimodal distribution with an emphasis on the negative side (in other words, skewed left), suggesting that a non-parametric test is required to truly test the means between the characters—the Kruskal-Wallis test is performed in the next subsection.

3.6.1 R Code: Residuals Setup

```
# Obtain residuals and predicted values.
fitres <- data.frame(fit1 = predict(anova1),
                    res1 = resid(anova1),
                    fit2 = predict(anova2),
                    res2 = resid(anova2))
```

3.6.2 R Code: Residuals Distributions

```
fr1 <- ggplot(fitres) +
  aes(x = res1) +
  geom_histogram(bins = 15, fill = 'cyan4',
                col = 'gray', alpha = 0.8) +
  labs(y = 'Frequency',
       x = 'Residuals',
       title = 'Fig. 3 - Residuals
               Distribution') +
  theme_light2()

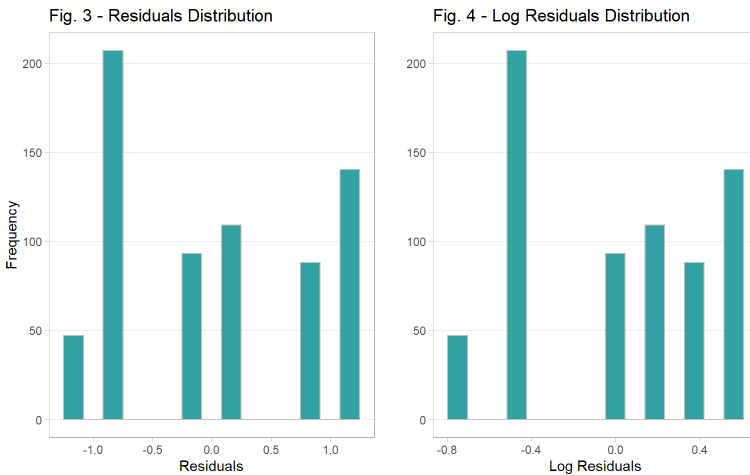
fr2 <- ggplot(fitres) +
  aes(x = res2) +
```

```

geom_histogram(bins = 15, fill = 'cyan4',
               col = 'gray', alpha = 0.8) +
labs(y = '',
     x = 'Log Residuals',
     title = 'Fig. 4 - Log Residuals
             Distribution') +
theme_light2()

grid.arrange(fr1, fr2, nrow = 1, ncol = 2)

```



3.7 Kruskal-Wallis Test

To conduct the Kruskal-Wallis test, we employ the `kruskal.test()` function, “tidying” the output so that they are in a clean data frame to be able to produce a `kable` table. Based on Table 7, there is a statistically significant difference among the characters’ mean scores (test statistic = 23.732, $p < 0.001$). To know whether the pairwise means are statistically significant, Dunn’s Test must be performed.

3.7.1 R Code: Kruskal-Wallis Test

```
kw <- tidy(kruskal.test(Value ~ Character,
                        data2))

kw[, 1:2] %<>% round(., 3)

kable(kw, booktabs = TRUE, caption =
      'Kruskal-Wallis Results') %>%
  kable_styling(full_width = TRUE,
                latex_options = "hold_position")
```

Table 3.3: Kruskal-Wallis Results

statistic	p.value	parameter	method
23.732	0	2	Kruskal-Wallis rank sum test

3.8 Dunn Test

To conduct Dunn’s Test, `dunnTest()` from the `FSA` library is used. Based on Table 8, the difference between Nastuki and Sayori ($Z = -4.163$, $p < 0.001$) and between Sayori and Yuri ($Z = 4.273$, $p < 0.001$) are statistically significant, whereas the difference between Natsuki and Yuri is not ($Z = 0.110$, $p = 0.913$). This finding indicates that Sayori has a statistically significantly higher mean than the other two characters, which further implies a statistical bias towards Sayori in the Poem Minigame.

3.8.1 R Code: Dunn Test

```
dt <- dunnTest(Value ~ Character, data2,
               method = 'bh')$res %>%
  as.data.frame()

names(dt) <- c('Comparison', 'Z', 'Unadjusted
              p-value',
              'Adjusted p-value')

dt[, 2:4] %<>% round(., 3)

kable(dt, booktabs = TRUE, caption = 'Dunn
      Test Results') %>%
  kable_styling(full_width = TRUE,
                latex_options = "hold_position")
```

Table 3.4: Dunn Test Results

Comparison	Z	Unadjusted p-value	Adjusted p-value
Natsuki - Sayori	-4.163	0.000	0.000
Natsuki - Yuri	0.110	0.913	0.913
Sayori - Yuri	4.273	0.000	0.000

4 Conclusion

4.1 Discussion

Some may argue that Poem Minigame is simply a ruse with no inherent underlying meaning nor use. However, the results of this study show that the bias in the Poem Minigame is towards Sayori (2.180 ± 0.819 vs. overall mean of 1.962 ± 0.839), who is the first character in the game to experience a traumatic outcome, implying that the statistical aspect of the minigame may have geared the player towards her to emphasize the emotional impact of the end of Act 1. After all, if a character receives the most points, the game plays additional, intimate scenes with said character, which increases the player's affability to her. Thus, the ending of Act 1 would be more heart-wrenching than if the words in the poem minigame were more fairly weighted (i.e. the points being weighted in a way such that each character would have an equal chance of receiving points).

4.2 Limitations

Despite the robust tests presented in this paper, there are a number of limitations. Namely, this paper assumes that the probability of each word in the minigame being selected by the player is weighted equally (i.e. a uniform probability distribution of the words). In DDLC, 10 words are presented in each

round, so the probabilities may be shifted per round and as such may affect one of the assumptions in the ANOVA models. Future work may take this issue into account by employing a Monte Carlo simulation to test multiple ANOVA outcomes.

A second limitation is that there is little-to-no literature examining the statistical components of DDLC. As such, knowledge regarding them are sparse if not non-existent. Nonetheless, the results presented in this paper should serve as a baseline for further research.

References

Corder, Gregory and Dale Foreman (2009).
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Appendix A - Full Dataset

R Code: Full Dataset

```
kable(data,
      booktabs = TRUE,
      longtable = TRUE,
      caption = 'DDLC Points Distribution
Data',
      row.names = TRUE,
      linesep = '') %>%
kable_styling(full_width = TRUE,
      latex_options = c('repeat_header'))
%>%
footnote(general =
  'https://ddlcwiki.net/wiki/Poem_game',

  general_title = 'Data Source:',
  footnote_as_chunk = TRUE)
```

Table 4.1: DDLC Points
Distribution Data

	Word	Sayori	Natsuki	Yuri
1	adventure	3	2	1
2	afterimage	1	1	3
3	agonizing	2	1	3
4	alone	3	1	2
5	amazing	3	2	1
6	ambient	2	1	3
7	analysis	1	1	3

8	anger	2	3	1
9	anime	2	3	1
10	anxiety	2	1	3
11	atone	2	1	3
12	aura	2	1	3
13	awesome	3	2	1
14	beauty	3	2	1
15	bed	3	2	1
16	blanket	1	3	2
17	bliss	3	2	1
18	boop	2	3	1
19	bouncy	2	3	1
20	breathe	1	2	3
21	broken	3	1	2
22	bubbles	2	3	1
23	bunny	2	3	1
24	cage	1	2	3
25	calm	3	1	2
26	candy	2	3	1
27	captive	2	1	3
28	charm	3	2	1
29	cheeks	2	3	1
30	cheer	3	2	1
31	childhood	3	2	1
32	chocolate	2	3	1
33	climax	1	2	3
34	clouds	2	3	1
35	clumsy	3	2	1

36	color	3	2	1
37	comfort	3	2	1
38	contamination	1	1	3
39	covet	1	1	3
40	crimson	1	1	3
41	cry	3	1	2
42	cute	2	3	1
43	dance	3	2	1
44	dark	3	1	2
45	daydream	3	1	2
46	dazzle	3	2	1
47	death	3	1	2
48	defeat	3	1	2
49	depression	3	1	2
50	desire	1	2	3
51	despise	2	1	3
52	destiny	2	1	3
53	determination	1	1	3
54	disarray	1	1	3
55	disaster	2	1	3
56	disoriented	1	1	3
57	disown	1	1	3
58	doki-doki	2	3	1
59	dream	2	2	3
60	effulgent	1	1	3
61	electricity	1	2	3
62	email	2	3	1
63	embrace	3	1	2

64 empty	3 1 2
65 entropy	1 1 3
66 essence	2 1 3
67 eternity	2 1 3
68 excitement	3 2 1
69 existence	2 1 3
70 explode	1 2 3
71 extraordinary	3 2 1
72 extreme	1 1 3
73 family	3 2 1
74 fantasy	1 3 2
75 fear	3 1 2
76 feather	3 2 1
77 fester	2 1 3
78 fickle	1 1 3
79 fireflies	3 2 1
80 fireworks	3 2 1
81 flee	2 1 3
82 flower	3 2 1
83 fluffy	2 3 1
84 flying	3 2 1
85 forgive	3 1 2
86 friends	3 2 1
87 frightening	2 1 3
88 fun	3 2 1
89 games	2 3 1
90 giggle	2 3 1
91 graveyard	2 1 3

92	grief	3	1	2
93	hair	2	3	1
94	happiness	3	2	1
95	headphones	2	3	1
96	heartbeat	1	3	2
97	heart	3	2	1
98	heavensent	2	1	3
99	holiday	3	2	1
100	hopeless	3	1	2
101	hope	3	1	2
102	hop	2	3	1
103	horror	2	1	3
104	hurt	3	1	2
105	imagination	2	1	3
106	incapable	2	1	3
107	incongruent	1	1	3
108	infallible	1	1	3
109	inferno	2	1	3
110	infinite	2	1	3
111	insight	2	1	3
112	intellectual	1	1	3
113	journey	2	1	3
114	joy	3	1	2
115	judgment	1	1	3
116	jumpy	2	3	1
117	jump	2	3	1
118	kawaii	2	3	1
119	kiss	1	3	2

120	kitty	2	3	1
121	landscape	2	1	3
122	laugh	3	2	1
123	lazy	3	2	1
124	lipstick	1	3	2
125	lollipop	2	3	1
126	loud	3	2	1
127	love	3	2	1
128	lucky	3	2	1
129	lust	1	2	3
130	marriage	3	2	1
131	marshmallow	2	3	1
132	massacre	2	1	3
133	meager	1	1	3
134	melancholy	2	1	3
135	melody	2	3	1
136	memories	3	2	1
137	milk	2	3	1
138	misery	3	1	2
139	misfortune	3	1	2
140	mouse	1	3	2
141	music	3	2	1
142	nature	3	2	1
143	nibble	2	3	1
144	nightgown	1	3	2
145	ocean	3	2	1
146	pain	3	1	2
147	papa	2	3	1

148	parfait	2	3	1
149	party	3	2	1
150	passion	3	2	1
151	peaceful	3	1	2
152	peace	2	3	1
153	philosophy	1	1	3
154	pink	2	3	1
155	playground	2	3	1
156	play	3	2	1
157	pleasure	1	2	3
158	poof	2	3	1
159	portrait	2	1	3
160	pout	2	3	1
161	prayer	3	1	2
162	precious	3	2	1
163	promise	3	2	1
164	puppy	2	3	1
165	pure	1	3	2
166	question	1	2	3
167	rainbow	3	2	1
168	raincloud	3	2	1
169	raindrops	2	1	3
170	ribbon	2	3	1
171	romance	3	2	1
172	rose	3	1	2
173	sadness	3	2	1
174	scars	3	1	2
175	secretive	2	1	3

176	sensation	1	2	3
177	shame	3	1	2
178	shiny	2	3	1
179	shopping	2	3	1
180	silly	3	2	1
181	sing	3	2	1
182	skipping	2	3	1
183	skirt	2	3	1
184	smile	3	2	1
185	socks	2	3	1
186	sparkle	3	2	1
187	special	3	2	1
188	spinning	2	3	1
189	starscape	2	1	3
190	sticky	2	3	1
191	strawberry	2	3	1
192	sugar	2	3	1
193	suicide	2	1	3
194	summer	2	3	1
195	sunny	3	2	1
196	sunset	3	2	1
197	sweet	3	2	1
198	swimsuit	2	3	1
199	tears	3	1	2
200	tenacious	1	1	3
201	time	2	1	3
202	together	3	2	1
203	tragedy	3	1	2

204	treasure	3	2	1
205	twirl	2	3	1
206	uncanny	2	1	3
207	uncontrollable	2	1	3
208	unending	2	1	3
209	universe	2	1	3
210	unrequited	3	1	2
211	unrestrained	1	1	3
212	unstable	1	1	3
213	vacation	3	2	1
214	valentine	2	3	1
215	vanilla	2	3	1
216	variance	1	1	3
217	vertigo	1	1	3
218	vibrant	1	2	3
219	vitality	1	1	3
220	vivacious	1	1	3
221	vivid	2	1	3
222	warm	3	2	1
223	waterfall	1	3	2
224	whirlwind	1	1	3
225	whisper	2	3	1
226	whistle	2	3	1
227	wonderful	3	2	1
228	wrath	2	1	3

Data Source: https://ddlewiki.net/wiki/Poem_game

Appendix B - Scatter Plots

R Code: Scatter Plots

```
g1 <- ggplot(data) +
  aes(y = Natsuki, x = Sayori) +
  geom_jitter(col = 'salmon') +
  geom_smooth(method = 'lm') +
  labs(title = 'Fig. B - Trends in Points
           between
Characters') +
  theme_light2()

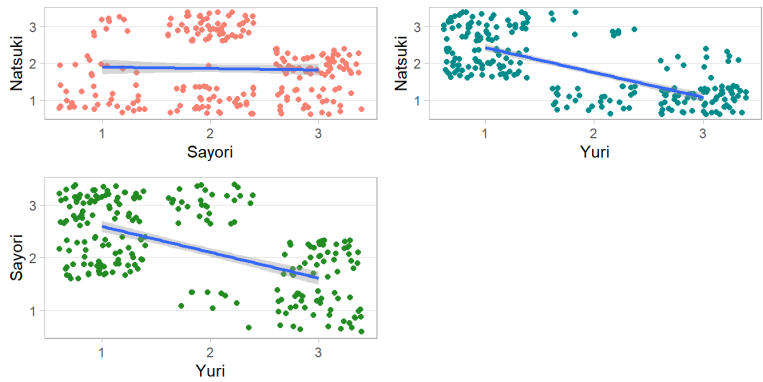
g2 <- ggplot(data) +
  aes(y = Natsuki, x = Yuri) +
  geom_jitter(col = 'cyan4') +
  geom_smooth(method = 'lm') +
  labs(title = '\n') +
  theme_light2()

g3 <- ggplot(data) +
  aes(y = Sayori, x = Yuri) +
  geom_jitter(col = 'forestgreen') +
  geom_smooth(method = 'lm') +
  theme_light2()

grid.arrange(g1, g2, g3, nrow = 2, ncol = 2,
              newpage = FALSE)

## `geom_smooth()` using formula 'y ~ x'
## `geom_smooth()` using formula 'y ~ x'
## `geom_smooth()` using formula 'y ~ x'
```

Fig. B - Trends in Points between Characters



Footnotes:

1. <https://ddlc.moe/>↵
2. Roe & Mitchell (2019), p. 5.↵
3. Neri (2017), p. 7.↵
4. https://ddlewiki.net/wiki/Poem_game↵
5. See Roe & Mitchell (2019), p. 10.↵
6. Corder & Foreman (2009), p. 99-105.↵
7. Dunn (1964), p. 241-252.↵
8. See Corder & Foreman (2009) and Dunn (1964).↵
9. https://doki-doki-literature-club.fandom.com/wiki/Act_1↵
10. https://ddlewiki.net/wiki/Poem_game↵
11. Ogle (2019).↵
12. https://ddlewiki.net/wiki/Poem_game↵