Matlab Program

```
% Hunter Phillips
% MAE488 - Homework 2
% Spring 2019
% Main
clear
clc
format compact; format short
%% Header
d bullets = repmat('*', 51, 1); % concise way to make a lot of chars
fprintf('%c',d bullets)
fprintf('\nMAE 488, Homework #2, Spring 2019, Hunter Phillips\n')
fprintf('%c',d bullets)
fprintf('\n\n')
%% Problem 5
d bullets = repmat('-', 51, 1);
fprintf('%c',d bullets)
fprintf('\nProblem 5 - Partial Fraction Expansion Verification\n')
fprintf('%c',d bullets)
fprintf('\n\n')
% part a
fprintf('Part A: F(s) = 25/(s(s+4)^2)\n')
top a = 25;
bot a = [1 \ 8 \ 16 \ 0];
[r a,p a,k a] = residue(top a,bot a);
fprintf('Coefficient Values: %.4f, %.4f, %.4f, r a(1), r a(2), r a(3))
fprintf('Root Values: %d, %d, %d\n\n', p a(1), p a(2), p a(3))
% part b
fprintf('Part B: F(s) = 21/(s^2(s+3)) n')
top b = 21;
bot b = [1 \ 3 \ 0 \ 0];
[r b,p b,k b] = residue(top b,bot b);
fprintf('Coefficient Values: %.4f, %.4f, %.4f, r b(1), r b(2), r b(3))
fprintf('Root Values: %d, %d, %d\n\n', p b(1), p b(2), p b(3))
% part c
fprintf('Part C: F(s) = (2s+2)/(s^2+6s+13)\n')
top c = [2 \ 2];
bot c = [1 6 13];
[r c,p c,k c] = residue(top c,bot c);
fprintf('Coefficient Values: %.4f%+.4fj, %.4f%+.4fj\n', real(r c(1)),
imag(r_c(1)), real(r_c(2)), imag(r_c(2))
fprintf('Root Values: %.4f%+.4fj, %.4f%+.4fj\n\n', real(p c(1)),
imag(p c(1)), real(p c(2)), imag(p c(2))
% part d
fprintf('Part D: F(s) = (20s+16)/(s^3+6s^2+8^s)\n')
top_d = [20 \ 16];
bot d = [1 \ 6 \ 8 \ 0];
[r d,p d,k d] = residue(top d,bot d);
fprintf('Coefficient Values: %.4f, %.4f, %.4f\n', r_d(1), r_d(2), r_d(3))
fprintf('Root Values: %d, %d, %d\n', p_d(1), p_d(2), p_d(3))
```

Matlab Output

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Problem 5 - Partial Fraction Expansion Verification

Part A: $F(s) = 25/(s(s+4)^2)$

Coefficient Values: -1.5625, -6.2500, 1.5625

Root Values: -4, -4, 0

Part B: $F(s) = 21/(s^2(s+3))$

Coefficient Values: 2.3333, -2.3333, 7.0000

Root Values: -3, 0, 0

Part C: $F(s) = (2s+2)/(s^2+6s+13)$

Coefficient Values: 1.0000+1.0000j, 1.0000-1.0000j Root Values: -3.0000+2.0000j, -3.0000-2.0000j

Part D: $F(s) = (20s+16)/(s^3+6s^2+8^s)$ Coefficient Values: -8.0000, 6.0000, 2.0000

Root Values: -4, -2, 0