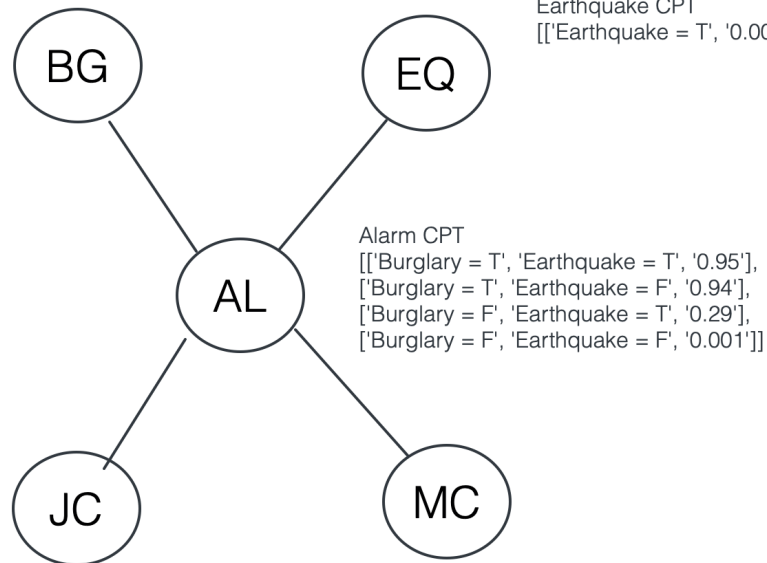


Burglary CPT
 [['Burglary = T', '0.001']]

Earthquake CPT
 [['Earthquake = T', '0.002']]



Alarm CPT
 [['Burglary = T', 'Earthquake = T', '0.95'],
 ['Burglary = T', 'Earthquake = F', '0.94'],
 ['Burglary = F', 'Earthquake = T', '0.29'],
 ['Burglary = F', 'Earthquake = F', '0.001']]

BG and EQ independent because they don't share a parent

JC and MC dependent because they share a parent

$P(\text{Burglary} |$

$$P(\text{burglary} | A, !E) = P(A|B, !E) * P(B) * P(!E) + P(A|!B, !E) * P(!B) * P(!E) = 0.94 * 0.001 * 0.998 + 0.001 * 0.999 * 0.998 = 0.002$$

$P(\text{burglary} | A, !E)$

Alarm = T T
 T F
 F T
 F F

$$P(A|!B, !E) = 0.001 * (0.998) (0.999) = 0.001$$

$$0.998 = 1 - 0.002 \text{ (P(E))}$$

$$0.999 = 1 - 0.001 \text{ (P(B))}$$

look at CPT top left

Alarm | Earthquake = F, Burglary = F

$$P(!A | !B, !E) = 0.999 * (0.998)(0.999)$$

$P(T) = 0.001, P(F) = 0.999$

For independent

$$P(A | B, C) = P(A | B=T, C=T) * P(B=T) * P(C=T)$$

For dependent

$$P(A | JC, MC) = P(JC | A) * P(A) + P(MC | A) * P(A)$$

$$P(A) = 0.95 * P(B) * P(E) + 0.94 * P(B) * P(!E) + 0.29 * P(!B) * P(E) + 0.001 * P(!B) * P(!E)$$