#### Smart Energy Systems Winter 2020-2021

# Optimization Project Group Milestone 3

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#### Structure



- 1. Recap: Stochastic Unit Commitment
- 2. Implementation
- 3. New Constraints
- 4. Results & Interpretation

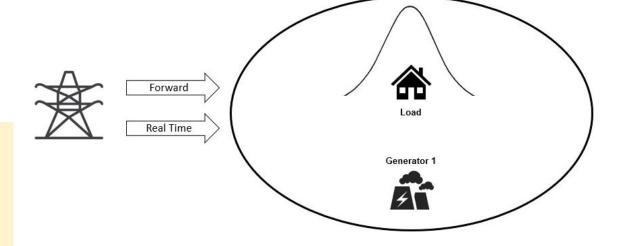
### Recap: Stochastic Unit Commitment



 Optimization of dispatch schedule of all power generation units to match the electricity demand and to minimize total cost

#### New:

- Minimum up- and downtime constraints
- Ramping constraints
- Energy storage resource



### Recap: Stochastic Unit Commitment



#### **Problem**

- Two staged problem:
- First-stage decision:
  - commitment status of generator
  - electricity through forward contract
- Second-stage decision:
  - power dispatch of generator
  - electricity through real time contract
- Uncertainty of load values

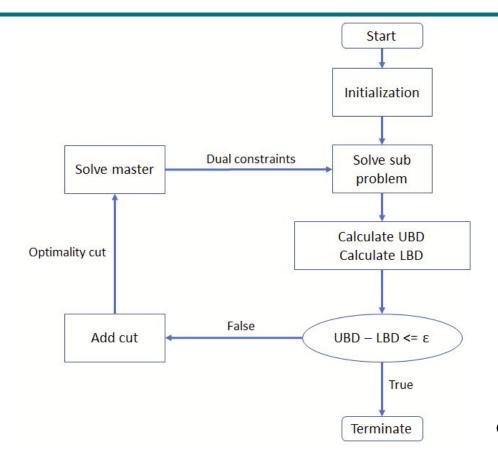
#### Solution approach

- L-shaped method decomposes the two stages into a master and sub problem
- Master and sub problem are solved iteratively and feed back into each other
- → restricts the solution space until optimal solution is found
- Monte Carlo simulation to account for the uncertainty of loads

New: differing Monte Carlo sample sizes

## Implementation





### Constraints | Case 2



#### Minimum Up- and Downtime

$$\begin{split} u_{\gamma_g}^{\mathrm{i}}[h] - u_{\gamma_g}^{\mathrm{i}}[h-1] &\leq u_{\gamma_g}^{\mathrm{i}}[\nu], \ \forall \nu \in \mathbb{N} \ \mathrm{such \ that} \\ h &\leq \nu \leq \min\{h-1+T_{\gamma_g}^{\uparrow},H\}, \end{split}$$

$$\begin{split} u_{\gamma_g}^{\mathrm{i}}[h-1] - u_{\gamma_g}^{\mathrm{i}}[h] &\leq 1 - u_{\gamma_g}^{\mathrm{i}}[\nu], \, \forall \nu \in \mathbb{N} \text{ such that} \\ h &\leq \nu \leq \min\{h-1+T_{\gamma_g}^{\downarrow},H\}, \end{split}$$

#### Ramping

$$-5 \le p_{\gamma g}^{i}[h] - p_{\gamma g}^{i}[h-1] \le 5$$

#### Assumptions:

$$T^{\uparrow}_{\gamma q} = 3$$

$$T_{\gamma g}^{\downarrow} = 4$$

$$u_{\gamma g}^i[0] = 0$$

Assumption:  $p_{\gamma g}^i[0] = 0$ 

### Constraints | Case 3



#### **Energy storage**

$$E_{\sigma s}[h] = E_{\sigma s}[h-1] - net_i[h]$$

$$0 \le E_{\sigma s} \le 5$$

$$-10 \le net_i[h] \le 10$$

#### Assumptions:

$$E_{\sigma s}[0] = 0$$

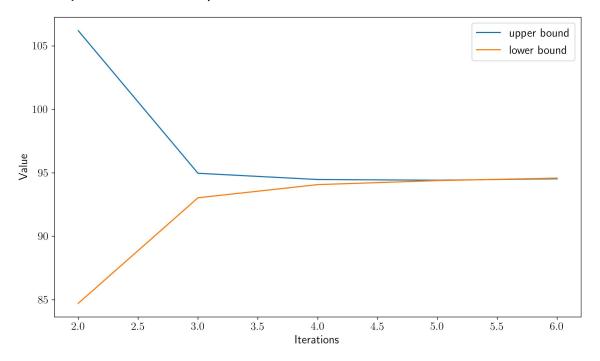
 $net_i[h] < 0$ : Charge storage

 $net_i[h] > 0$ : Discharge storage

### Results | Bound evolution

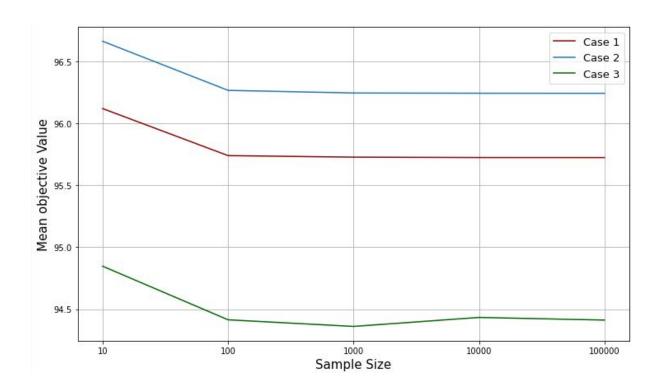


Sample size: 10.000 | Case 1



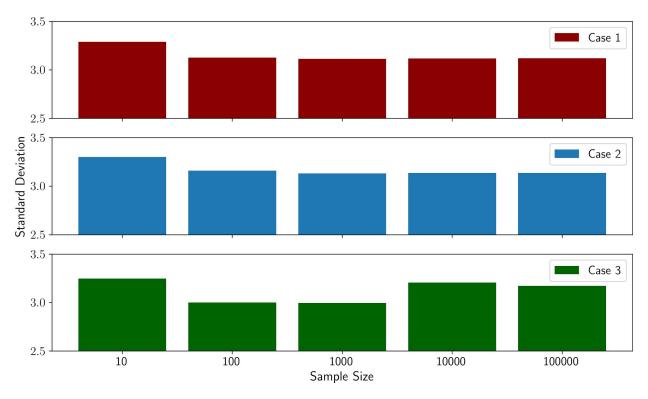
### Results | Objective values





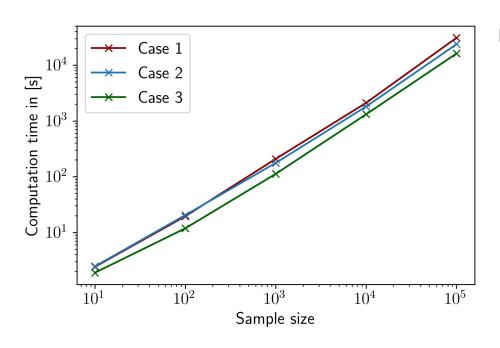
### Results | Standard Deviation





### Results | Computation Times





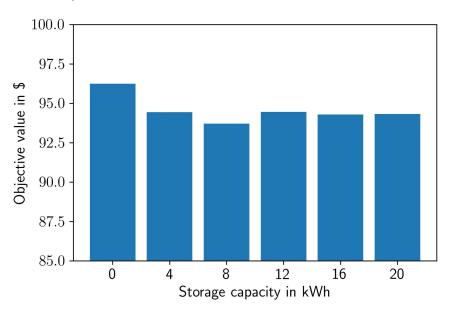
#### Measures to improve runtime

- Remove unnecessary constraints
  - **↓**5 %
- Execution via terminal
  - **-** ↓ 20 %
- Enable multiprocessing
  - **-** ↓ 75 %

### Results | Sensitivity Analysis



Sample size: 10.000



#### **Key Facts**

- Best storage capacity: 8 kWh
- Decreasing until 8 kWh
- Nearly static from 12 kWh
- Explanation outlier:
  - No costs for battery



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## Thanks for your attention

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