

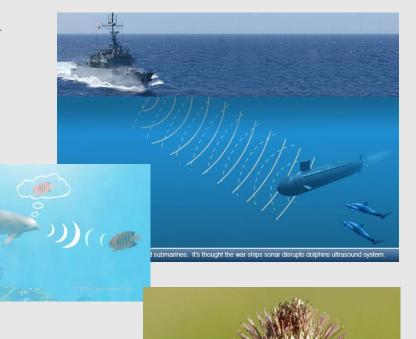
Machine Learning and Pattern Recognition A High Level Overview

Prof. Anderson Rocha

(Main bulk of slides kindly provided by **Prof. Sandra Avila**)
Institute of Computing (IC/Unicamp)

Many inventions were inspired by Nature ...





It seems logical to look at the brain's architecture for inspiration on how to build an intelligent machine.

• 1943: Artificial Neural Networks (ANNs) were first introduced by the neurophysiologist Warren McCulloch and the mathematician Walter Pitts.

"A Logical Calculus of Ideas Immanent in Nervous Activity", Warren McCulloch and Walter Pitts. The bulletin of mathematical biophysics (1943).

• **Until the 1960s:** The early successes of ANNs led to the widespread belief that we would soon be conversing with truly intelligent machines.

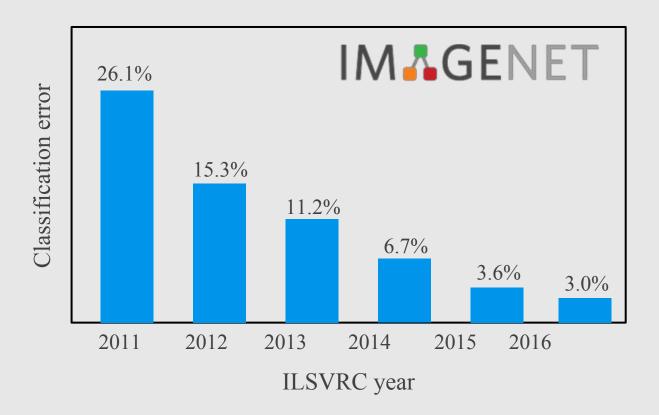
• When it became clear that this promise would go unfulfilled funding flew elsewhere and ANNs entered a long dark era.

• 1980s: There was a revival of interest in ANNs as new network architectures were invented and better training techniques were developed.

"Learning representations by backpropagating errors". David E. Rumelhart, Geoffrey E. Hinton & Ronald J. Williams. Nature (1986).

• 1990s: Powerful alternative Machine Learning techniques such as Support Vector Machines were favored by most researchers, as they seemed to offer better results and stronger theoretical foundations.

• **2010s:** We are now witnessing yet another wave of interest in ANNs.



"ImageNet classification with deep convolutional neural networks". Alex Krizhevsky, Ilya Sutskever, Geoffrey Hinton. In: NIPS, 2012.

• 2010s: We are now witnessing yet another wave of interest in ANNs.

Will this wave die out like the previous ones did?

1. There is now a **huge quantity of data** available to train neural networks.



IM ... GENET

www.image-net.org

22K categories and 14M images

- Animals
 - Bird
 - Fish
 - Mammal
 - Invertebrate
 Materials

- Plants
 - Tree
 - Flower
- Food

- Structures Artifact
 - Tools

 - Appliances
 - Structures

- Person
- Scenes
 - Indoor
 - Geological
 - **Formations**
- Sport Activities

Deng, Dong, Socher, Li, Li, & Fei-Fei, 2009

- 1. There is now a **huge quantity of data** available to train neural networks.
- 2. Computing power now makes it possible to train large neural networks in a reasonable amount of time.



http://www.tomshardware.com/news/google-automl-aritifical-intelligence-ai, 34533.html

- 1. There is now a **huge quantity of data** available to train neural networks.
- 2. Computing power now makes it possible to train large neural networks in a reasonable amount of time.
- 3. The training algorithms have been improved.





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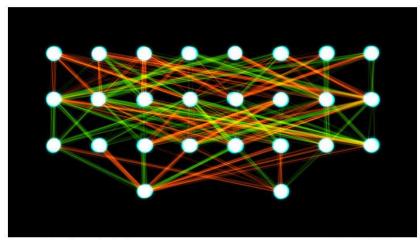
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A representation of a neural network.

Akritasa/Wikimedia Commons

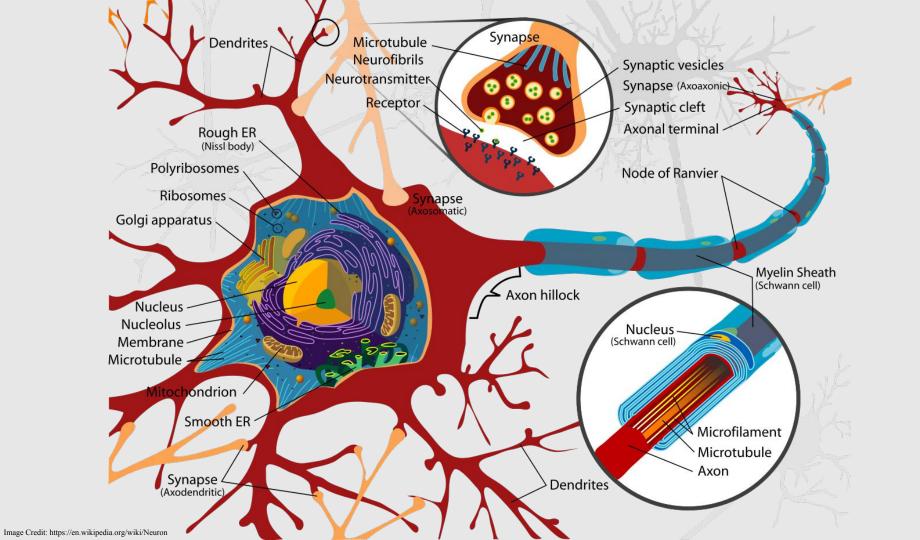
Brainlike computers are a black box. Scientists are finally peering inside

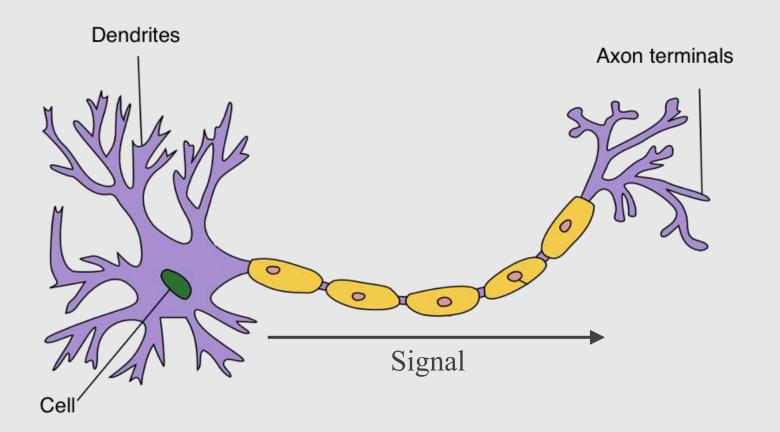
By Jackie Snow | Mar. 7, 2017, 3:15 PM

Last month, Facebook announced software that could simply look at a photo and tell, for example, whether it was a picture of a cat or a dog. A related program identifies cancerous

- 1. There is now a **huge quantity of data** available to train neural networks.
- 2. Computing power now makes it possible to train large neural networks in a reasonable amount of time.
- 3. The training algorithms have been improved.
- 4. ANNs seem to have entered a virtuous circle of funding and progress.

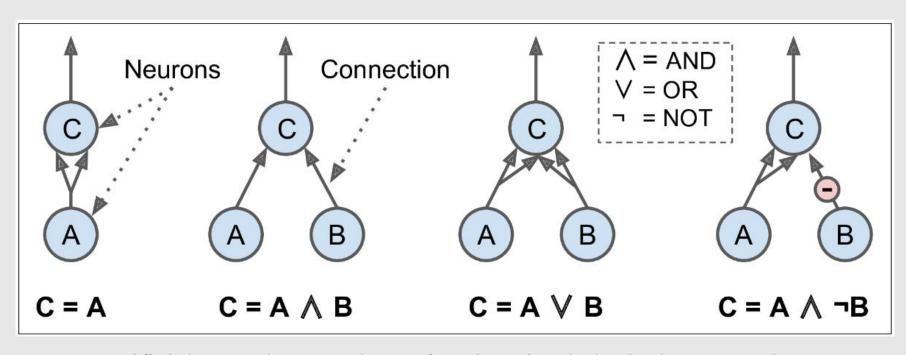
Biological Neurons





Logical Computations with Neurons

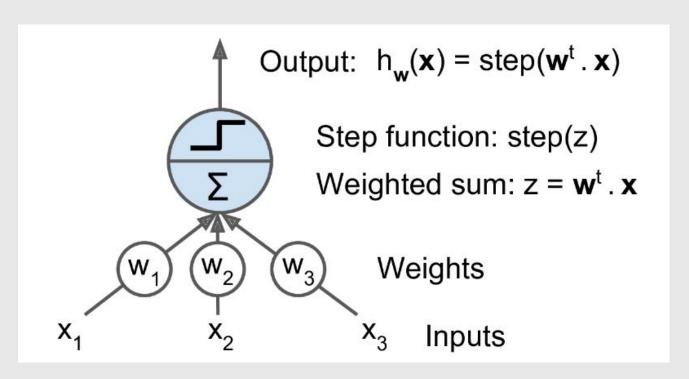
McCulloch and Pitts (1943)



Artificial Neural Networks performing simple logical computations

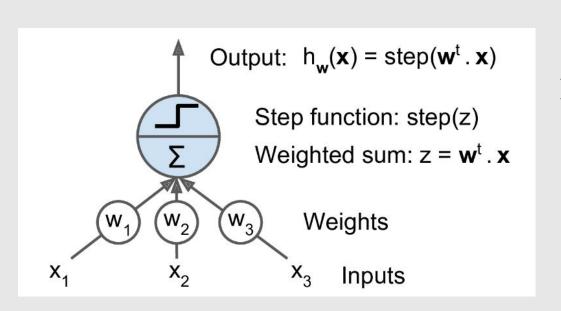
The Perceptron

The Perceptron



Linear Threshold Unit, Frank Rosenblatt (1957)

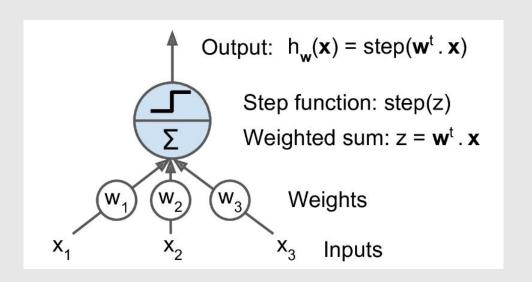
The Perceptron

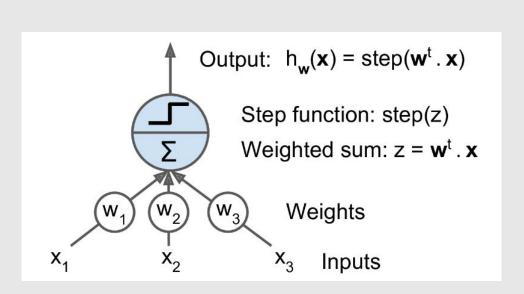


Linear Threshold Unit

$$\text{heaviside}(z) = \begin{cases} 0 & \text{if } z < 0 \\ 1 & \text{if } z \ge 0 \end{cases}$$

$$sign(z) = \begin{cases} -1 & \text{if } z < 0 \\ 0 & \text{if } z = 0 \\ +1 & \text{if } z > 0 \end{cases}$$





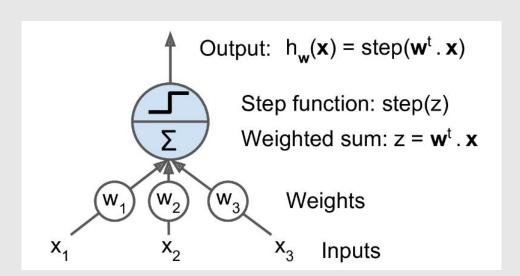
Inputs

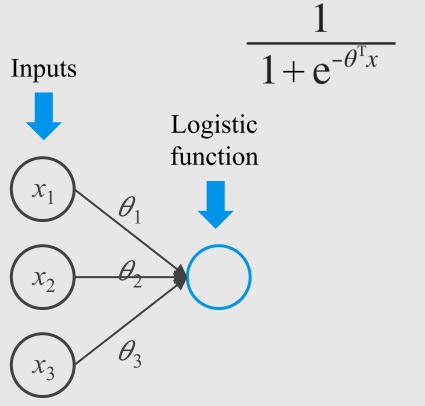


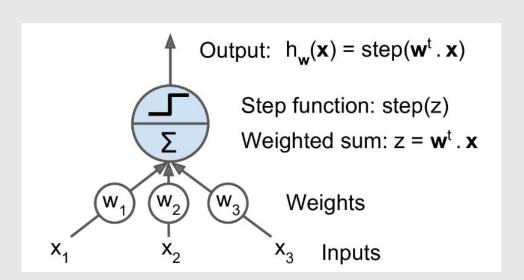


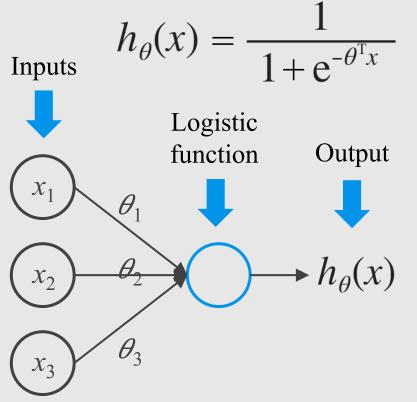


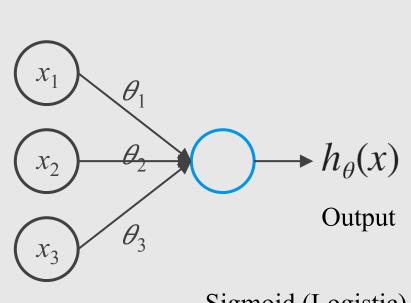










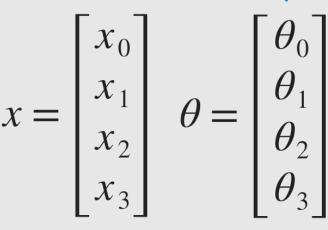


Inputs

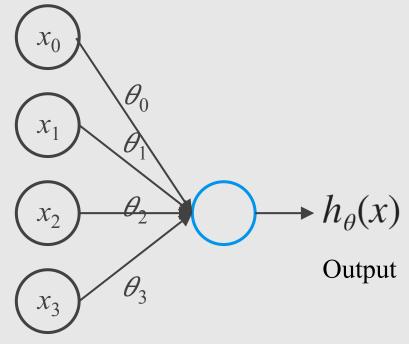
Sigmoid (Logistic) activation function

weights





$$h_{\theta}(x) = \frac{1}{1 + e^{-\theta^{T}x}}$$



Sigmoid (Logistic) activation function

$$x = \begin{bmatrix} x_0 \\ x_1 \\ x_2 \\ x_3 \end{bmatrix} \quad \theta = \begin{bmatrix} \theta_0 \\ \theta_1 \\ \theta_2 \\ \theta_3 \end{bmatrix}$$

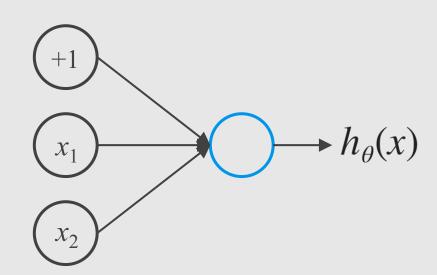
$$h_{\theta}(x) = \frac{1}{1 + e^{-\theta^{T}x}}$$

Inputs

Examples

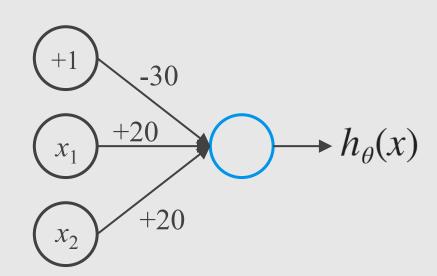
Simple Example: AND

$$x_1, x_2 \in \{0,1\}$$
 $y = x_1 \text{ AND } x_2$



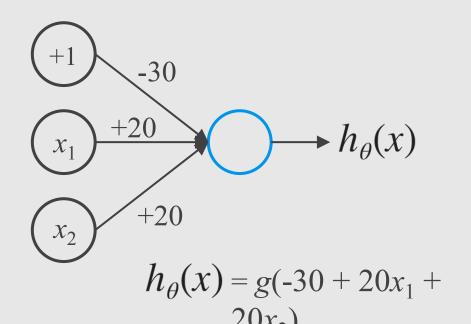
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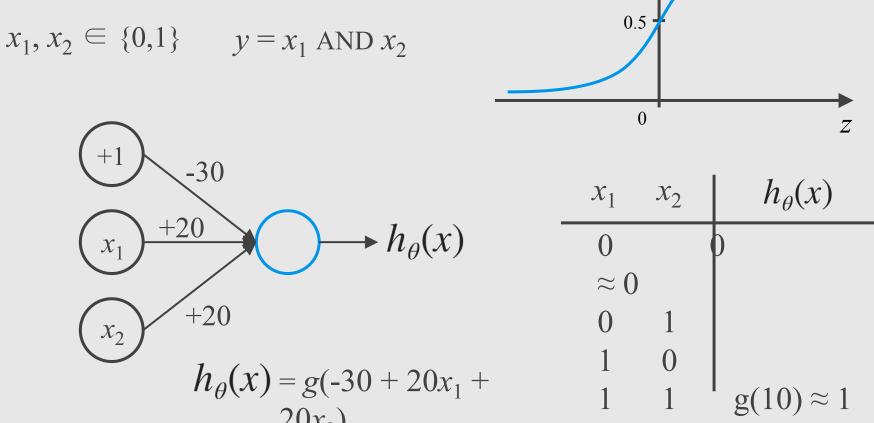
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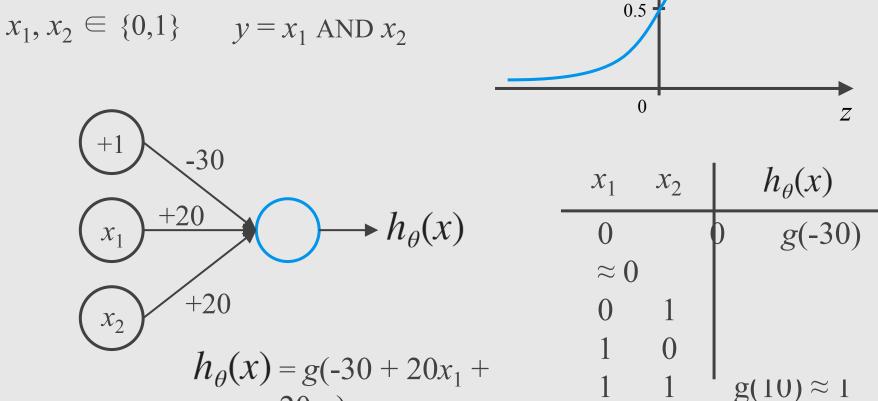
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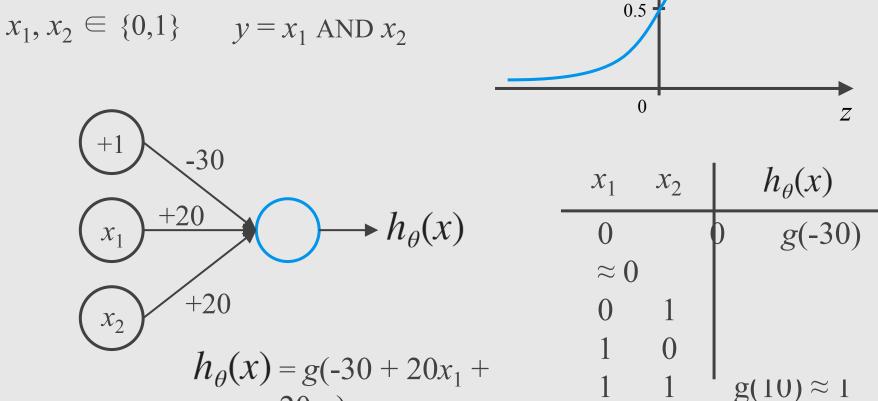


$$x \in (0.1) \qquad \dots \qquad \text{AND}$$



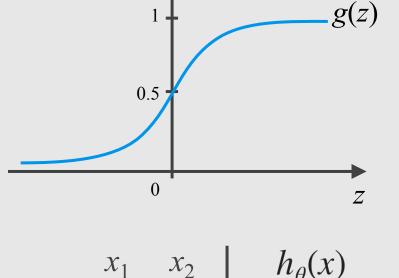
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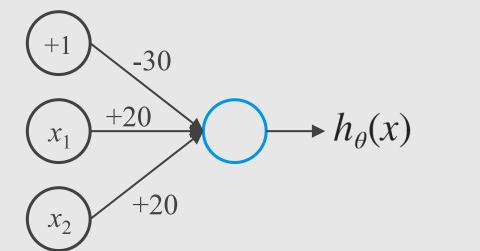
$$x \in (0.1) \qquad \dots \qquad \text{AND}$$



20r

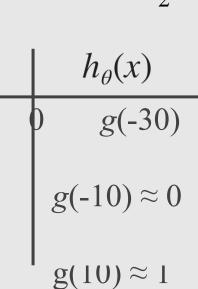
$$x_1, x_2 \in \{0,1\}$$
 $y = x_1 \text{ AND } x_2$



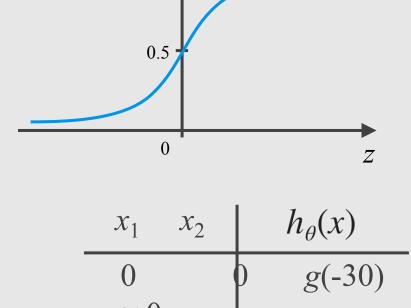


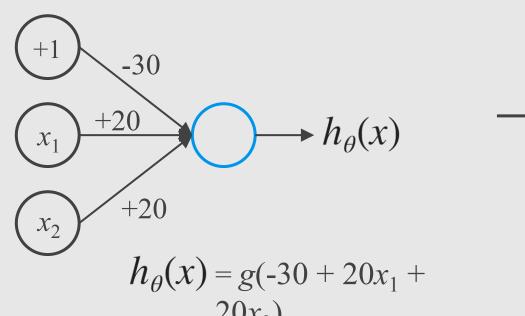
 $h_{\theta}(x) = g(-30 + 20x_1 +$

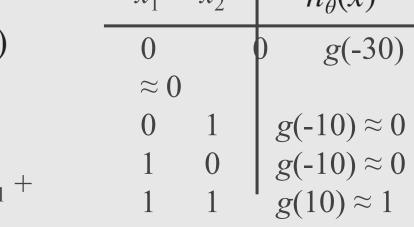
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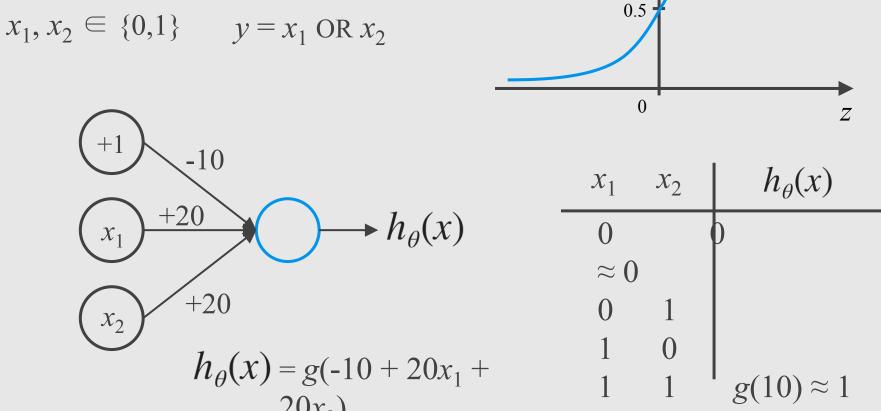
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 $y = x_1 \text{ AND } x_2$





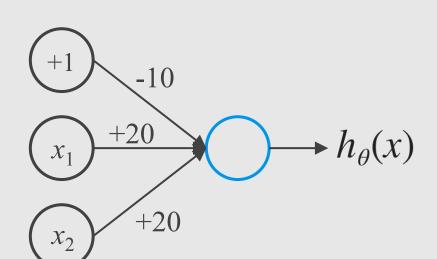


Simple Example: OR

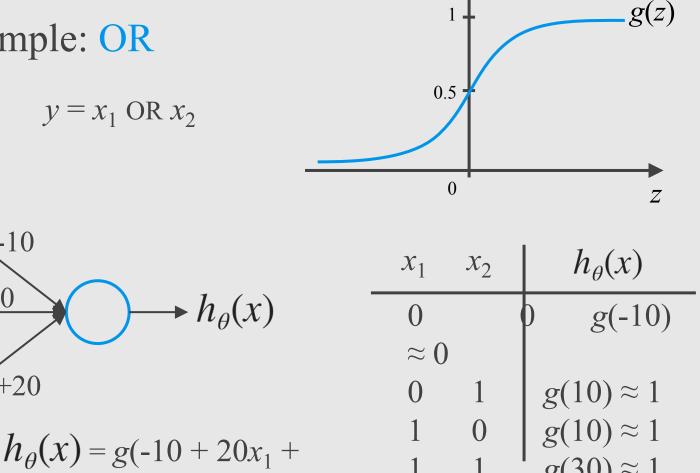


Simple Example: OR

$$x_1, x_2 \in \{0,1\}$$
 $y = x_1 \text{ OR } x_2$

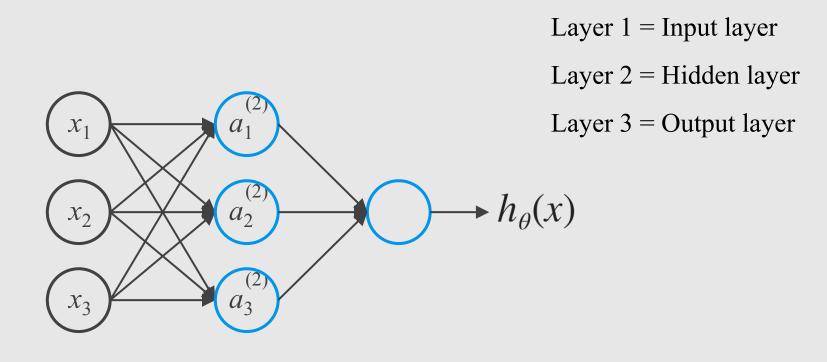


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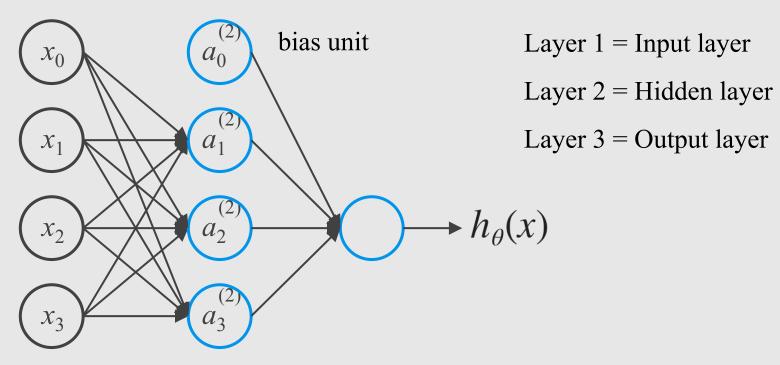
Neural Network

Neural Network

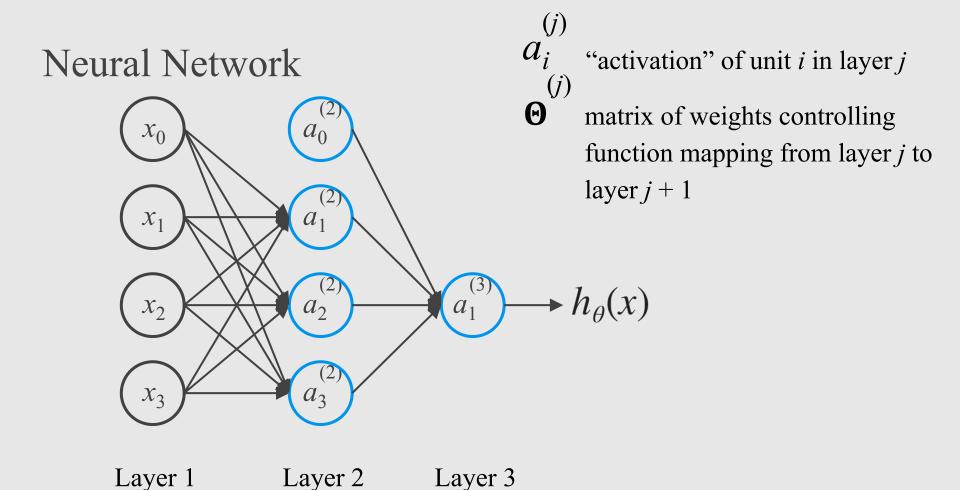


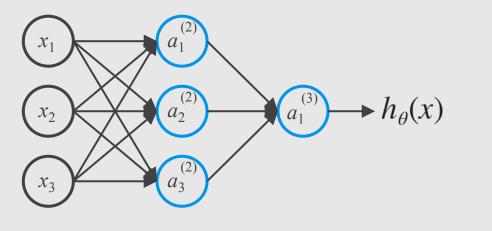
Layer 1 Layer 2 Layer 3

Neural Network



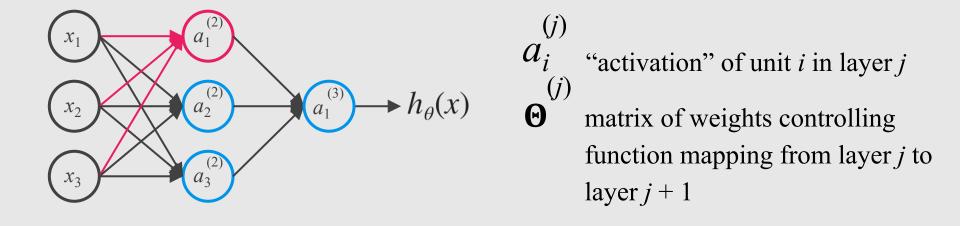
Layer 1 Layer 2 Layer 3



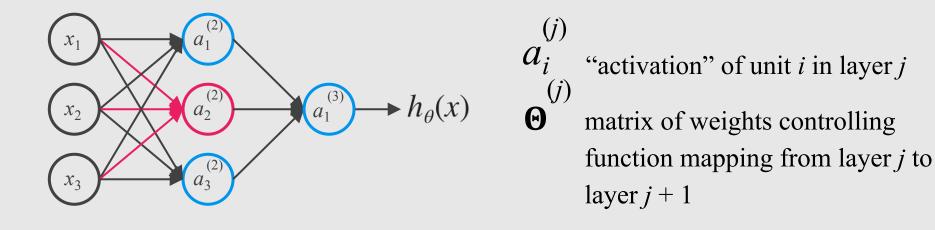


 $a_{i}^{(j)}$ "activation" of unit i in layer j (j) $\mathbf{\Theta}$ matrix of weights controlling function mapping from layer j to

layer j + 1

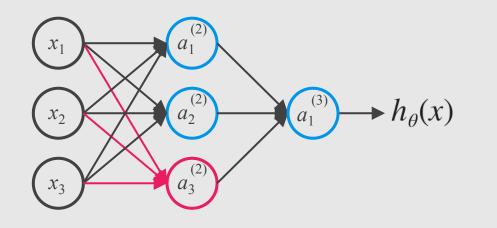


$$a_1^{(2)} = g(\Theta_{10}^{(1)}x_0 + \Theta_{11}^{(1)}x_1 + \Theta_{12}^{(1)}x_2 + \Theta_{13}^{(1)}x_3)$$



$$a_1^{(2)} = g(\Theta_{10}^{(1)}x_0 + \Theta_{11}^{(1)}x_1 + \Theta_{12}^{(1)}x_2 + \Theta_{13}^{(1)}x_3)$$

$$a_2^{(2)} = g(\Theta_{20}^{(1)}x_0 + \Theta_{21}^{(1)}x_1 + \Theta_{22}^{(1)}x_2 + \Theta_{23}^{(1)}x_3)$$



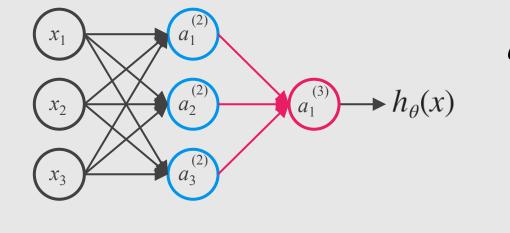
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$$a_1^{(2)} = g(\Theta_{10}^{(1)}x_0 + \Theta_{11}^{(1)}x_1 + \Theta_{12}^{(1)}x_2 + \Theta_{13}^{(1)}x_3)$$

$$a_2^{(2)} = g(\Theta_{20}^{(1)}x_0 + \Theta_{21}^{(1)}x_1 + \Theta_{22}^{(1)}x_2 + \Theta_{23}^{(1)}x_3)$$

$$a_3^{(2)} = g(\Theta_{30}^{(1)}x_0 + \Theta_{31}^{(1)}x_1 + \Theta_{32}^{(1)}x_2 + \Theta_{33}^{(1)}x_3)$$



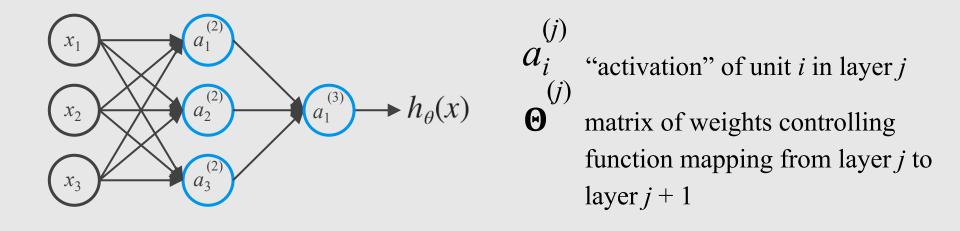
"activation" of unit i in layer jmatrix of weights controlling function mapping from layer j to layer j + 1

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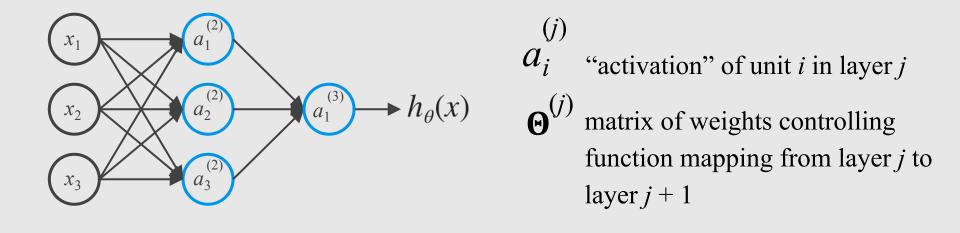
$$a_{3}^{(2)} = g(\Theta_{30}^{(1)}x_{0} + \Theta_{31}^{(1)}x_{1} + \Theta_{32}^{(1)}x_{2} + \Theta_{33}^{(1)}x_{3})$$

$$h_{\Theta}(x) = a_{1}^{(3)} = g(\Theta_{10}^{(2)}a_{0}^{(2)} + \Theta_{11}^{(2)}a_{1}^{(2)} + \Theta_{12}^{(2)}a_{2}^{(2)} + \Theta_{13}^{(2)}a_{3}^{(2)})$$

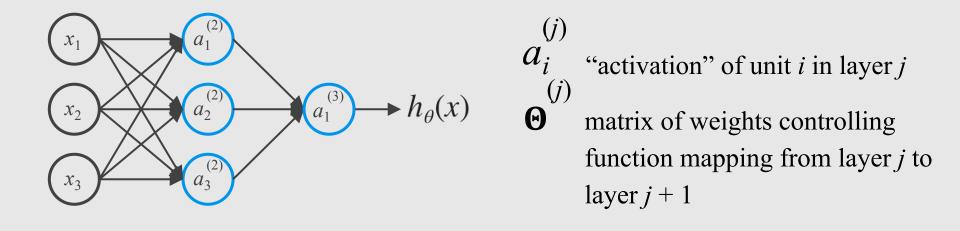


Feedforward Neural Network (forward propagating)

$$h_{\Theta}(x) = a_1^{(3)} = g(\Theta_{10}^{(2)}a_0^{(2)} + \Theta_{11}^{(2)}a_1^{(2)} + \Theta_{12}^{(2)}a_2^{(2)} + \Theta_{13}^{(2)}a_3^{(2)})$$

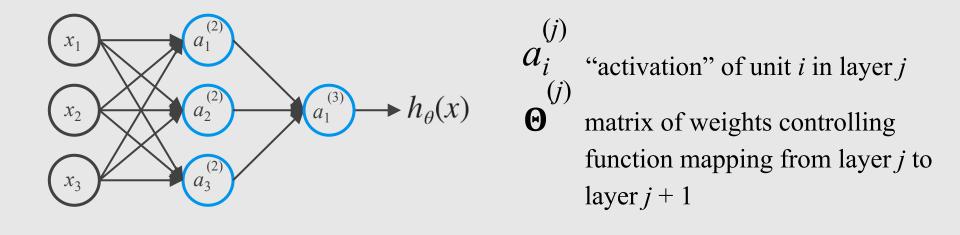


If network has S_j units in layer j, S_{j+1} units in layer j+1, then will be of dimension $\Theta^{(j)}$ $S_{j+1} \times (S_j+1)$



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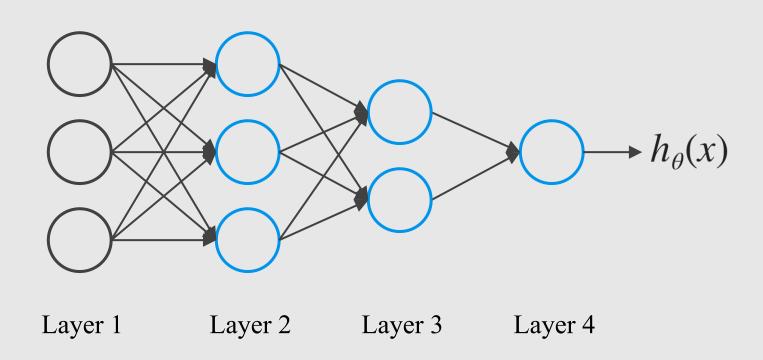
E.g.: If layer 1 has 2 input nodes and layer 2 has 4 activation nodes,



If network has S_j units in layer j, S_{j+1} units in layer j+1, then will be of dimension $\Theta^{(j)}$ $S_{j+1} \times (S_{-j}+1)$

E.g.: If layer 1 has 2 input nodes and layer 2 has 4 activation nodes, dimension of $\Theta^{(1)}$ is going to be 4×3 where $S_j = 2$ and $S_{j+1} = 4$, so $S_{j+1} \times (S_j + 1) = 4 \times 3$.

Other Network Architectures

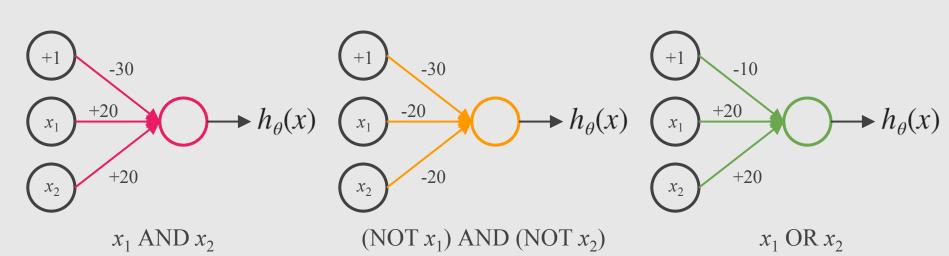


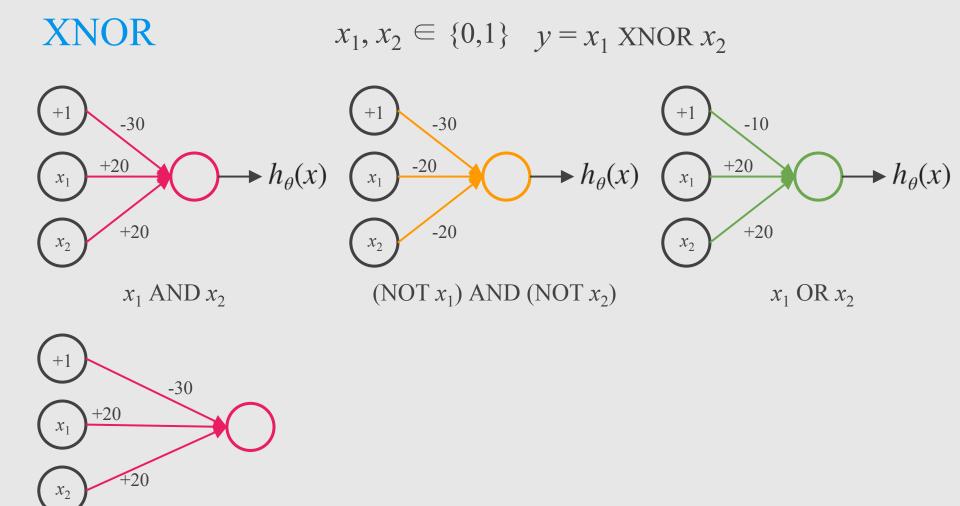
XNOR

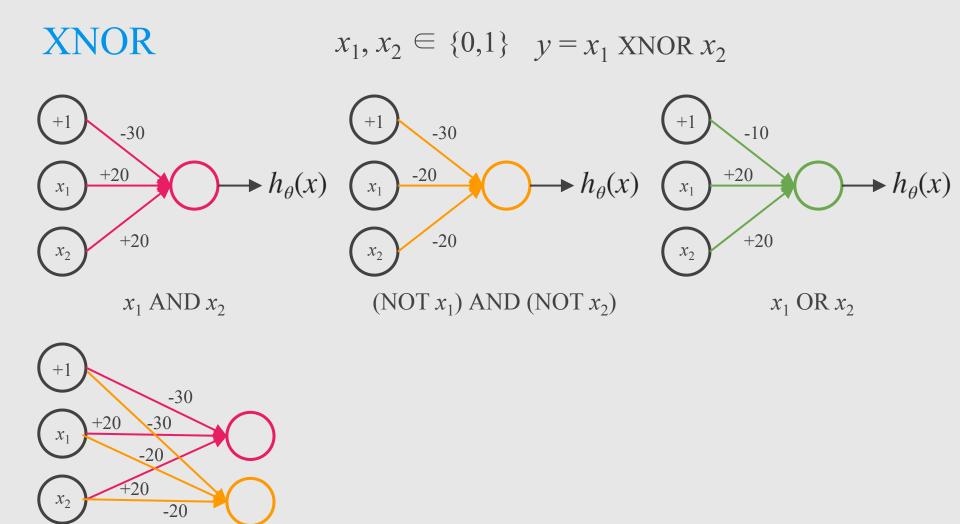
$$x_1, x_2 \in \{0,1\}$$
 $y = x_1 \text{ XNOR } x_2$

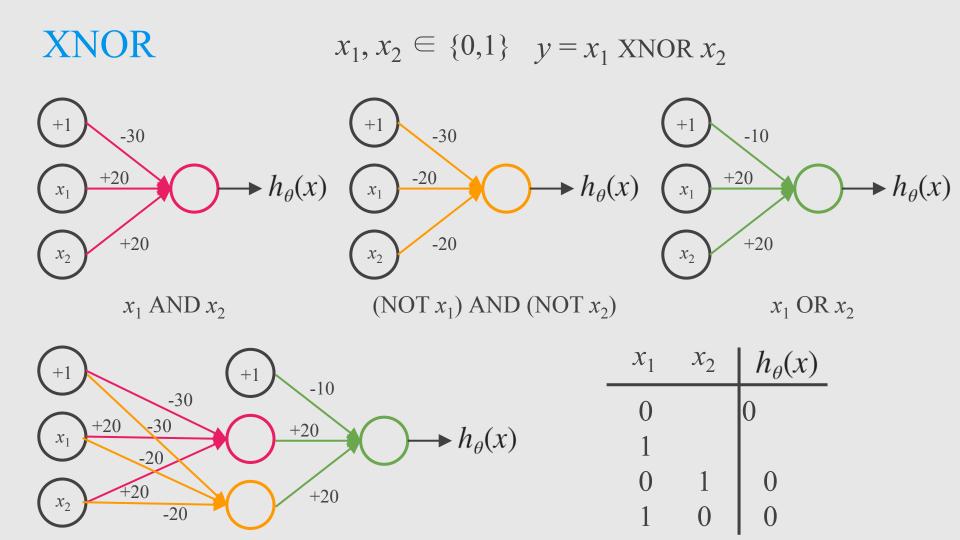
XNOR

 $x_1, x_2 \in \{0,1\}$ $y = x_1 \text{ XNOR } x_2$

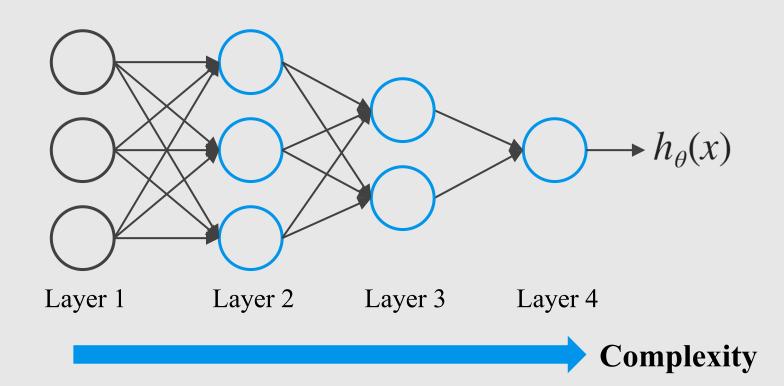






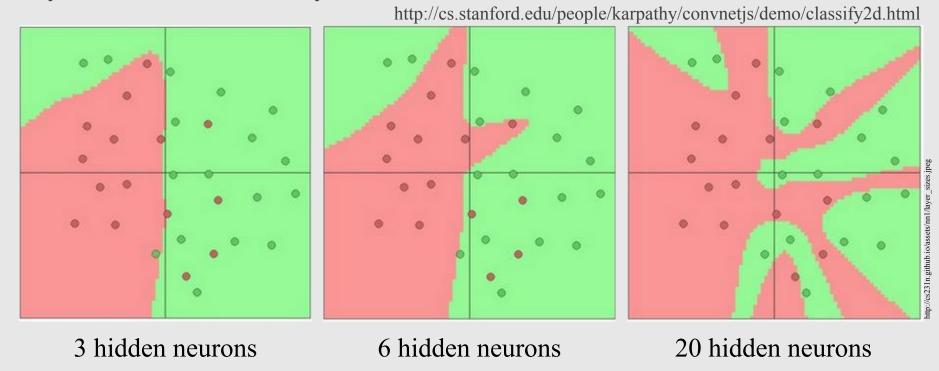


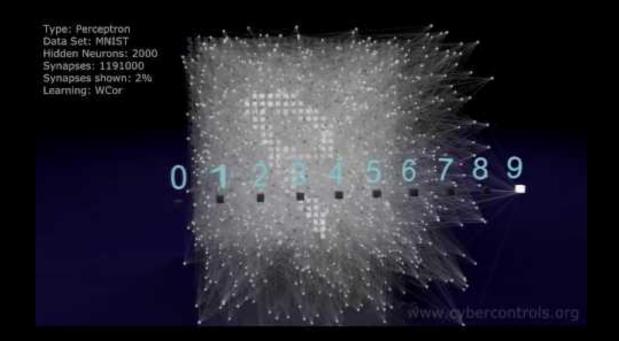
Neural Network Intuition



Neural Network Intuition

Toy 2d classification with 2-layer neural network





https://youtu.be/3JQ3hYko51Y

Multi-class Classification







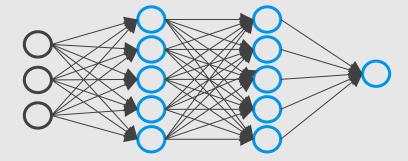


Cat

Dog

Frog

Car









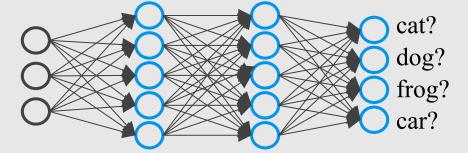


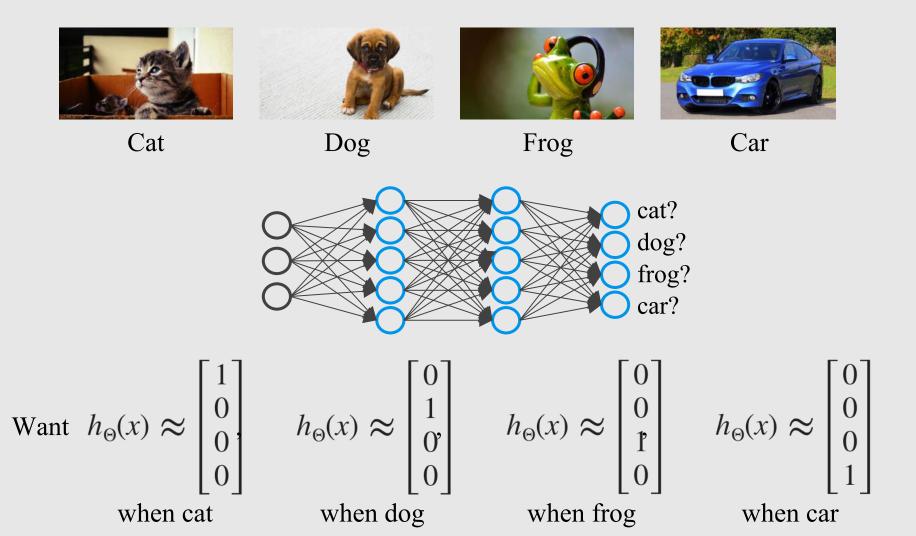
Cat

Dog

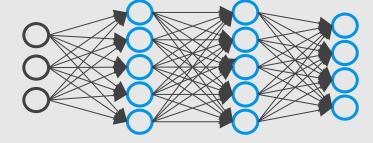
Frog

Car





Multiple Output Units

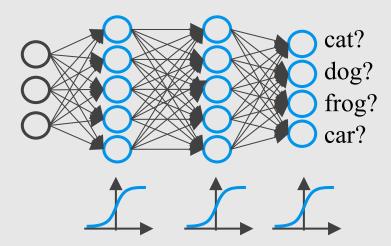


Want
$$h_{\Theta}(x) \approx \begin{bmatrix} 1 \\ 0 \\ 0 \\ 0 \end{bmatrix}$$
 $h_{\Theta}(x) \approx \begin{bmatrix} 0 \\ 1 \\ 0' \\ 0 \end{bmatrix}$ $h_{\Theta}(x) \approx \begin{bmatrix} 0 \\ 0 \\ 1 \\ 0 \end{bmatrix}$ when cat when dog when frog when car

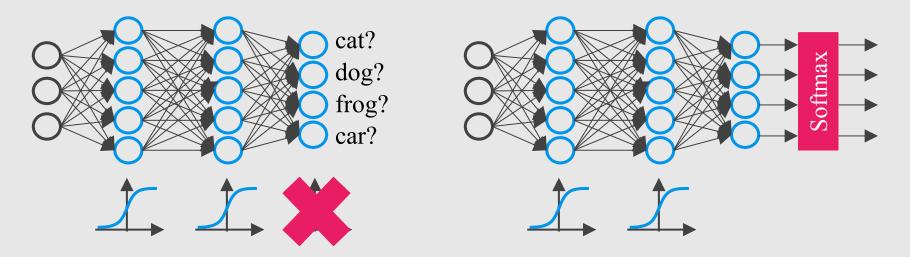
Training Set:
$$(x^{(1)}, y^{(1)}), (x^{(2)}, y^{(2)}), \dots, (x^{(m)}, y^{(m)})$$

$$y^{(i)}$$
 one of $\begin{bmatrix} 1\\0\\0\\0 \end{bmatrix}$, $\begin{bmatrix} 0\\1\\0\\0 \end{bmatrix}$ $\begin{bmatrix} 0\\0\\1\\0 \end{bmatrix}$

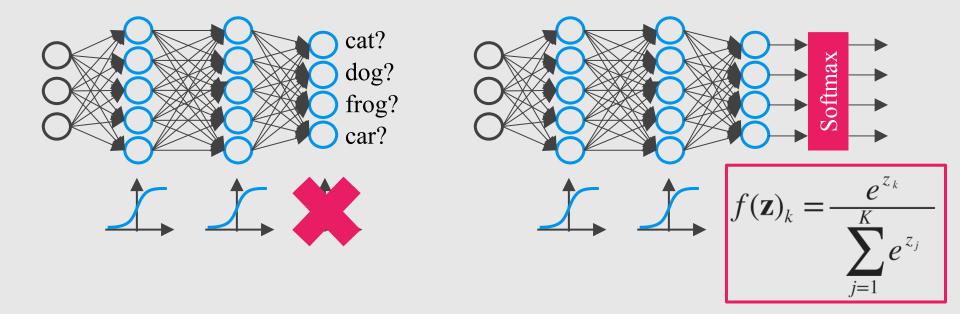
The **output layer** is typically modified **by replacing** the individual activation functions **by a shared softmax** function.



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To be continued ...

References

Machine Learning Books

- Hands-On Machine Learning with Scikit-Learn and TensorFlow, Chap. 10
- Pattern Recognition and Machine Learning, Chap. 5
- Pattern Classification, Chap. 6
- Free online book: http://neuralnetworksanddeeplearning.com

Machine Learning Courses

- https://www.coursera.org/learn/machine-learning, Week 4 & 5
- https://www.coursera.org/learn/neural-networks