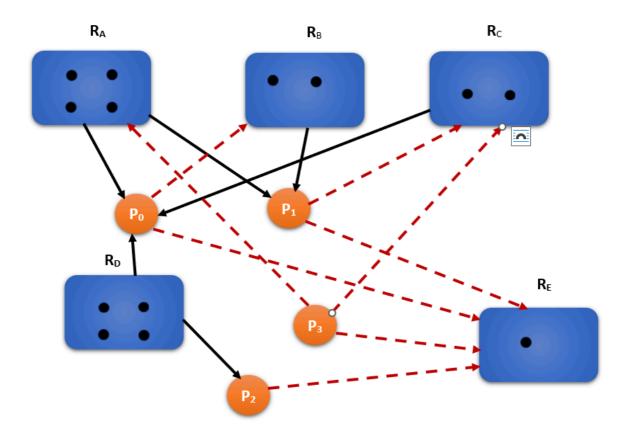
# 10.S Practical Solutions

**Activity 1 - Resource Allocation Graph - Deadlock Detection** 



P0 Request =  $[0,1,0,0,1] \le \text{Available} = [2,1,1,2,1]$ , we run P0 and reclaim it's Allocation.

New Allocation = Old Allocation +Available = [1,0,1,1,0] + [2,1,1,2,1] = [3,1,2,3,1]. The new matrix representation becomes:

PROCESS	ALLOCATION MATRIX ABCDE	REQUEST MATRIX ABCDE	AVAILABLE ABCDE
Р0			31231
P1	11000	00101	
P2	00010	00001	
P3	0 0 0 0 0	10101	

Now, we have P1 Request =  $[0,0,1,0,1] \le$  Available = [3,1,2,3,1]. We can run P1, and reclaim its Allocation = [1,1,0,0,0].

New Available = [3,1,2,3,1] + [1,1,0,0,0] = [4,2,2,3,1]

P2 Request = [0,0,0,1,0] - Can execute and reclaim = [4,2,2,4,1]

P3 Request = [1,0,1,0,1] - Can execute and reclaim.

## **Activity 2 - Resource Allocation Graph - Deadlock Detection**

A circuit does not necessarily mean a deadlock, although it will indicate the possibility of one. Here you'll notice that there is clearly a circuit from R5 to P1 to R2 to P2 back to R5. That means that there is circular wait. However, since R5 has two instances, each of which can be reserved, we need that second circuit from R5 to P0 to R2 to P2 back to R5. Since this completes a circuit which includes the same resource (R2), we have a deadlock.

### **Activity 3 - Banker's Algorithm**

PROCESS	ALLOCATION MATRIX ABCD	MAX MATRIX ABCD	AVAILABLE A B C D
Р0	0110	0210	1520
P1	1231	1652	
P2	1365	2 3 6 6	
P3	0632	0652	
P4	0014	0656	

Calculate the **Need Matrix**. (**Need = Max - Allocation**)

#### **NEED MATRIX**

PROCESS	NEED ABCD
Р0	0100

P1	0 4 2 1	
P2	1001	
P3	0 0 2 0	
P4	0 6 4 2	

Initially Work = Available = [1, 5, 2, 0]

Finish = False for all processes

Check each process and find **Need**<sub>i</sub> <= **Work** - if found;

- Execute process, change Finish; = True
- Release allocated resources for process.
- Change Work = Allocated<sub>i</sub> + Work.

$$Need_0[0,1,0,0] \le [1,5,2,0]$$
.  $P_0 = True$ .  $Work = [1,5,2,0] + [0,1,1,0] = [1,6,3,0]$ 

Need<sub>1</sub>  $[0,4,2,1] \le [1,6,3,0]$ . P<sub>1</sub> = False.

Need<sub>2</sub>  $[1,0,0,1] \le [1,6,3,0]$ . P<sub>2</sub> = False.

Need<sub>3</sub> 
$$[0,0,2,0] \le [1,6,3,0]$$
. P<sub>3</sub> = True. Work =  $[1,6,3,0] + [0,6,3,2] = [1,12,6,2]$ 

Need<sub>4</sub> 
$$[0,6,4,2] \le [1,12,6,2]$$
. P<sub>4</sub> = True. Work =  $[1,12,6,2] + [0,0,1,4] = [1,12,7,6]$ 

$$Need_1 [0,4,2,1] \le [1,12,7,6]$$
.  $P_1 = True$ .  $Work = [1,12,7,6] + [1,2,3,1] = [2,14,10,7]$ 

Need<sub>2</sub> [1,0,0,1] <= [2,14,10,7]. 
$$P_2$$
 = True. Work = [2,14,10,7] + [1,3,6,5] = [3,17,16,12]

System in safe state and process will execute in order: <<P<sub>0</sub>, P<sub>3</sub>, P<sub>4</sub>, P<sub>1</sub>, P<sub>2</sub>>>

#### **Activity 4 - Deadlock Detection Algorithm**

PROCESS	ALLOCATION MATRIX ABCD	REQUEST MATRIX ABCD	AVAILABLE A B C
P0	0300	3210	2301
P1	1011	2200	

P2	0210	3531	
P3	2230	0411	

Initially Work = Available = [2,3,0,1]

Finish = False for all processes

Find an index i, such that Finish; = False, and Request; <= Work

Request<sub>0</sub>  $[3,2,1,0] \le [2,3,0,1] P_0 = False$ .

Request<sub>1</sub>  $[2,2,0,0] \le [2,3,0,1] P_1 = True.$  Work = [2,3,0,1] + [1,0,1,1] = [3,3,1,2]

Request<sub>2</sub>  $[3,5,3,1] \le [3,3,1,2] P_2 = False$ .

Request<sub>3</sub>  $[0,4,1,1] \le [3,3,1,2] P_3 = False$ .

Request<sub>0</sub> [3,2,1,0]  $\leq$  [3,3,1,2] P<sub>0</sub> = True. Work = [3,3,1,2] + [0,3,0,0] = [3,6,1,2]

Request<sub>2</sub>  $[3,5,3,1] \le [3,6,1,2] P_2 = False$ .

Request<sub>3</sub>  $[0,4,1,1] \le [3,6,1,2] P_3 = \text{True. Work} = [3,6,1,2] + [2,2,3,0] = [5,8,4,2]$ 

Request<sub>2</sub> [3,5,3,1]  $\leq$  [5,8,4,2] P<sub>2</sub> = True. Work = [5,8,4,2] + [0,2,1,0] = [5,10,5,2]

System in safe state and process will execute in order: <<P<sub>1</sub>, P<sub>0</sub>, P<sub>3</sub>, P<sub>2</sub>>>

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