

Alphabetic order  
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1. Let  $C_1 = \begin{cases} 1 & \text{Beijing} \\ 0 & \text{o.w.} \end{cases}$   $C_2 = \begin{cases} 1 & \text{Marbin} \\ 0 & \text{o.w.} \end{cases}$  ...  $C_7 = \begin{cases} 1 & \text{Taiyuan} \\ 0 & \text{o.w.} \end{cases}$

$C_1 = C_2 = \dots = C_7 = 0$  for Zhengzhou.

(a) The fitted model is

$$\begin{aligned} \text{logit } \hat{\pi} = & -0.5199 - 0.0288 C_1 - 0.0106 C_2 - 0.0837 C_3 \\ & - 0.0230 C_4 + 0.0268 C_5 - 0.0565 C_6 - 0.7745 C_7 \\ & + 0.7771 (\text{smoking}) \end{aligned}$$

From Wald test  $\left( \frac{\hat{\beta}_{\text{smoking}}}{SE} = \frac{0.7771}{0.0468}, p\text{-value} < 0.0001 \right)$ ,

we reject  $H_0: \beta_{\text{smoking}} = 0$ .

Controlling for city, estimated odds of lung cancer for smokers was  $e^{0.7771} = 2.18$  times odds for nonsmokers

(b) Pearson  $\chi^2 = 5.1999$   $df = 7$   $p\text{-value} = 0.635583$

So, we cannot reject  $H_0$ : model holds.

Therefore, there is no lack of fit.

(c) Absolute values of standardized Pearson residuals and standardized deviance residuals are less than 2.0.

So, there is no lack of fit.

# Problem5\_18

```
data prob5_18;
  input city $ smoking cancer noncancer@;
  n=cancer+noncancer;
cards;
Beijing 1 126 100
Beijing 0 35 61
Shanghai 1 908 688
Shanghai 0 497 807
Shenyang 1 913 747
Shenyang 0 336 598
Nanjing 1 235 172
Nanjing 0 58 121
Harbin 1 402 308
Harbin 0 121 215
Zhengzhou 1 182 156
Zhengzhou 0 72 98
Taiyuan 1 60 99
Taiyuan 0 11 43
Nanchang 1 104 89
Nanchang 0 21 36
run;

proc genmod data=prob5_18;
  class city smoking(ref=first)/param=ref;
  model cancer/n=city smoking / dist=bin link=logit r;
run;
```

2.  $\text{logit } \hat{\pi} = -9.35 + .834(\text{weight}) + .307(\text{width})$

a. LR statistic = 32.9 (df = 2), p-value < .0001. There is extremely strong evidence that at least one variable affects the response.

b. Wald statistics are  $(.834/.671)^2 = 1.55$  and  $(.307/.182)^2 = 2.85$ .

These each have df = 1, and the p-values are .21 and .09.

These predictors are highly correlated (Pearson correlation = .887, so this is the problem of multicollinearity).

# Problem 2-HW3

```

data crab;
infile 'C:\Users\Ondra\Desktop\LSU\CDA\crabs_SAS.dat';
input color spine width satell weight;
if satell>0 then y=1; if satell=0 then y=0; n=1;
weight=weight/1000; color=color-1;
if color=4 then dark=0; if color<4 then dark=1;
;

proc print data=crab noobs;
var color spine width satell weight y dark;
run;

proc corr data=crab;
var weight width;
run;

proc genmod data=crab;
model y/n = weight width /dist=bin link=logit lrci type3;
run;

proc genmod data=crab;
model y/n = /dist=bin link=logit lrci type3;
run;

```