## Part II Listing

Warning: To reproduce the listings in a LATEX document, use the same formatting instructions as those of the documentation portion of oops.dtx (such as \documentclass, \usepackage, and \newtcblisting), and remove any ^A. Any deviation from the original may require tinkering.<sup>1</sup>

```
Listing 1.
%
      \OopsOption{
%
      Inner={\char`{####1\char`}},
%
      ^^A% spaces betw. inner and outer brackets matter!->
%
      Separ={{\ \char`@\ }{\\\ }{\ \char`@\ }},
%
      Outer={\char`^###1\$}}
      \colon=0 \Oops<Test>{ X =x, Y = y, Z = z }*
%
%
      \tab \X<Test>\Y<Test>\X<Test>\
%
      \colon=0.00
%
      \tab \X<Test>\Y<Test>\X<Test>\
%
      \label{eq:constant} $$ \operatorname{Test}_{ X = x, Y = y, Z = z } *s\{\{\ \ \ \ \ \}, \ \ \ \ \ \ \}\}$$
%
      \t X<Test>\Y<Test>\Z<Test>\
%
      \OopsOption{ Write = \BooleanTrue }
%
      \Dops<Test>\{ X = x, Y = y, Z = z \}*o\{\char`[#1\char`]\}
%
      \t X<Test>\Y<Test>\Z<Test>\
%
      \OopsClear<Test>
%
      \OopsOption{ Write = \BooleanFalse }
{x} {y} @ {z}$
                                         \{x\}\{y\}\{z\}
(x)\% (y) @ (z)$
                                         (x)(y)(z)
^{x}, \{y\} \& \{z\}
                                         \{x\}\{y\}\{z\}
[\{x\}\% \{y\} @ \{z\}]
                                         \{x\}\{y\}\{z\}
```

```
Listing 3.

% \Oops[We call~]{Elems={\omega_1, \dots, \omega_n}}*

% [~the elementary events, and ]{Space=\Omega}

% [\begin{equation*}\Space=(\Elems)\end{equation*}~the sample space.]
```

 $<sup>^1</sup>$ For instance, in testing v1.1, I realized \usepackage[T1]{fontenc} was needed, to work with \understand ocumentclass{article} in place of \understand ocumentclass[full]{13doc}, hence added it to the documentation portion of oops.dtx

```
% {} % \OppsClear % \OppsClear \( \psi_n \) We call \omega_1, \ldots, \omega_n the elementary events, and \Omega = (\omega_1, \ldots, \omega_n) the sample space.
```

```
Listing 4.
%
       \OopsOption{ Write = \BooleanTrue }
%
       \Oops[Let ]
       {Space=\Omega_{mathcal}F}, Measure=\mathcal{P}}
%
%
       *s{{,}{,}{,}}o{\ensuremath{\{#1\}}}
%
       [~denote the probability space, where $\SigmaField\subset
     2^{\sc}
%
       {}
%
       \label{OopsClear} $$\OopsClear$
%
       \OopsOption{ Write = \BooleanFalse }
%
Let \{\Omega, \mathcal{F}, \mathcal{P}\} denote the probability space, where \mathcal{F} \subset 2^{\Omega}.
```

```
Listing 5.

% \OopsRead \tab $\Omega$ $\SigmaField$ $\Measure$
% \OopsClear
%

$\Omega$ $\FP$
```

```
Listing 6.
       \OopsOption{ Write = \BooleanTrue }
%
%
       \newtheorem{theorem}{Theorem}
%
       \Oops i{\mathbb{41}}
%
       \{ N = \{ N \} , R = \{ R \}, Grad = \{ \setminus peratorname\{grad\} \} \}
%
       [\begin{theorem}
         [Mittelwertsatz f\"ur $n$ Variable]Es~sei~]
%
         { OffMenge = {D}, Ci = {C^{1}}, Strecke = {[x_0,x]} }
%
         [$n\in\mathbb{N}, -\$\setminus 0ffMenge\setminus subseteq\setminus\mathbb{N}^n$$ eine offene Menge und
     f\in Ci(\Omega_{R}).
%
         Dann gibt es auf jeder Strecke $\Strecke\subset\OffMenge$ einen
     Punkt $\xi\in\Strecke$,~]
         { yD = \{ f(x)-f(x_0) \}, xD = \{ x-x_0 \}, Steig = \{ \frac{\yD}{\xD} \}
%
%
         [so dass gilt
%
         \begin{equation*}
```