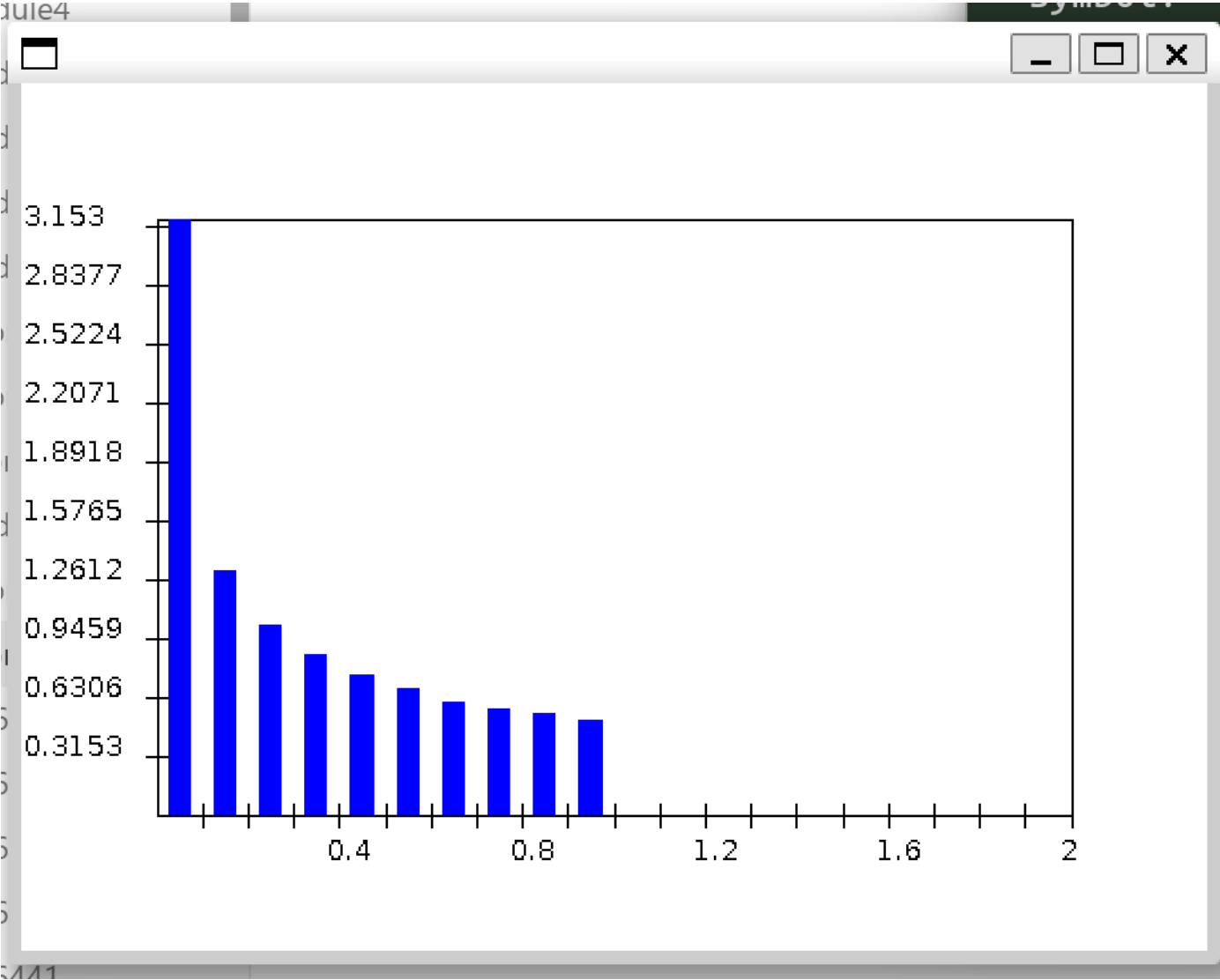


Module 8 21-25 are in module 8 works.

Exercise 3:

1	Avg x^2 : 0.33308660577988347
2	Avg x : 0.5000630164767703

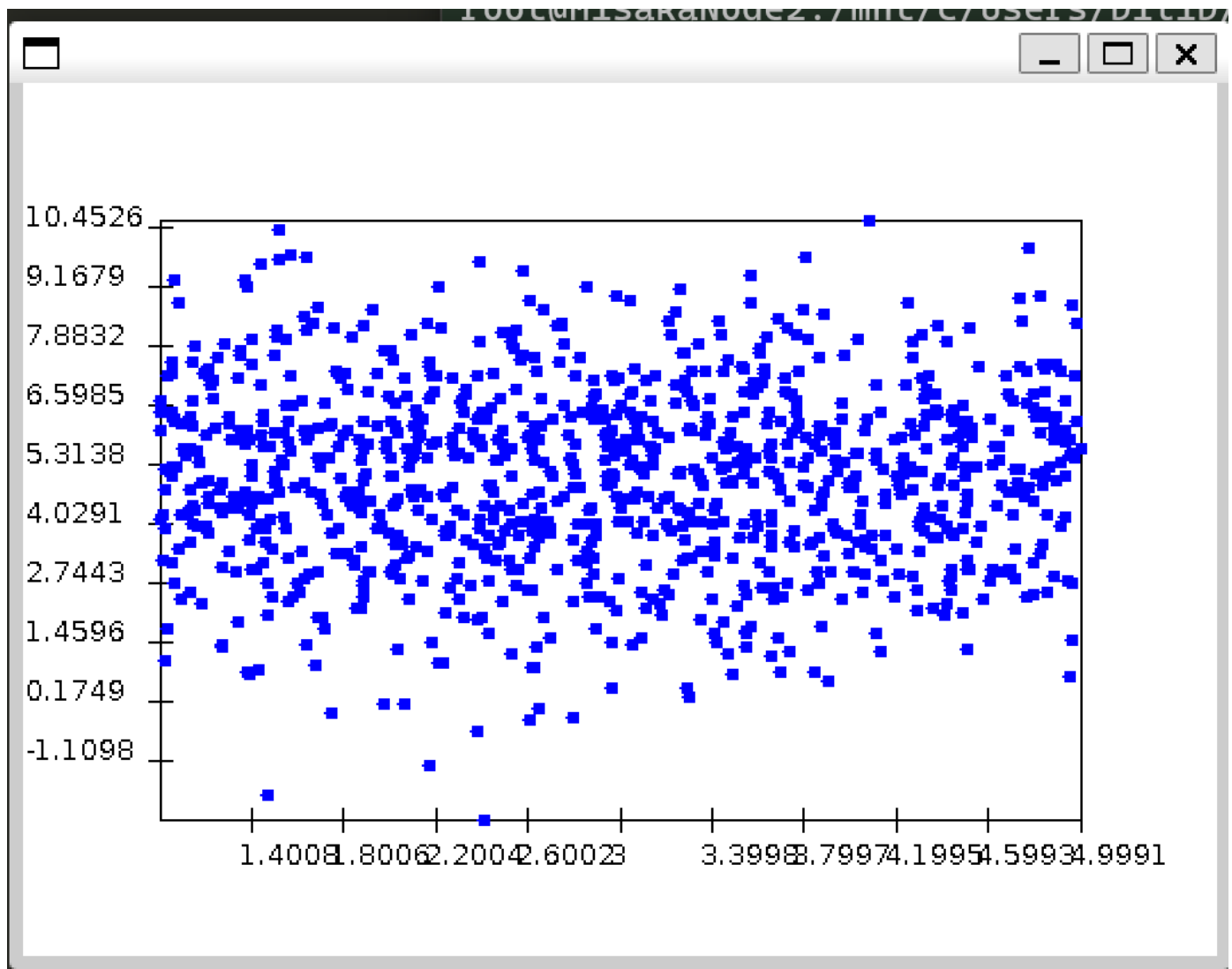


Exercise 6:

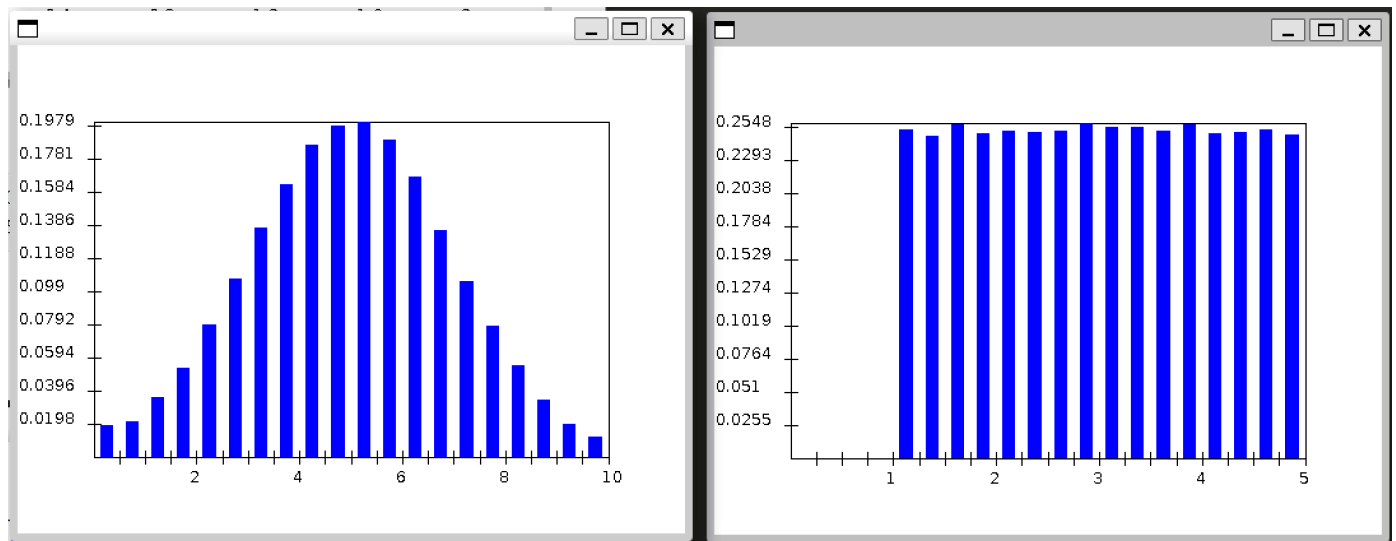
1	Avg x^2 : 0.08302358930311014
2	Avg x : 0.5000630164767703

Exercise 7

Exercise 8:



Exercise 9:



x is in uniform distribution

y is in gaussian distribution

Exercise 10:

- 1 $\Pr[Y \text{ in } [5,7]]: 0.34286$
- 2 $\Pr[Y \text{ in } [5,7] \mid x \text{ in } [3,4]]: 0.3409396503994305$

The distribution of Y doesn't change given the different portion of X . So these two event should be independent.

do 13-16 next week

Exercise 24:

```
1 Mean estimate: 0.5216167255358847
2 Std-dev estimate: 0.28058637197873465
```

Exercise 26:

$n > 1350.5$

1351 sample needed

Exercise 27:

$f = 0.493$

Exercise 28:

$$\delta = \frac{1.96 * \sigma'}{\sqrt{n}}$$

Exercise 29:

- Estimate the mean interarrival time.

```
1 Statistics
2   Number of samples: 1591.0
3   Sample mean:      1.3676168959512727
4   Sample variance:  1.9358505275137488
5   95% confidence: +- 0.06836863231527843
6   as % of mean:    4.9991070246118365
```

- Estimate the mean time in system

```
1 Statistics
2   Number of samples: 1500.0
3   Sample mean:      2.6990992380790724
4   Sample variance:  7.109879413793224
5   95% confidence: +- 0.1349402651942161
6   as % of mean:    4.99945549576206
```

It's inappropriate that the system time is combined with two independent distributions. As the combined result will not be a normal distribution.