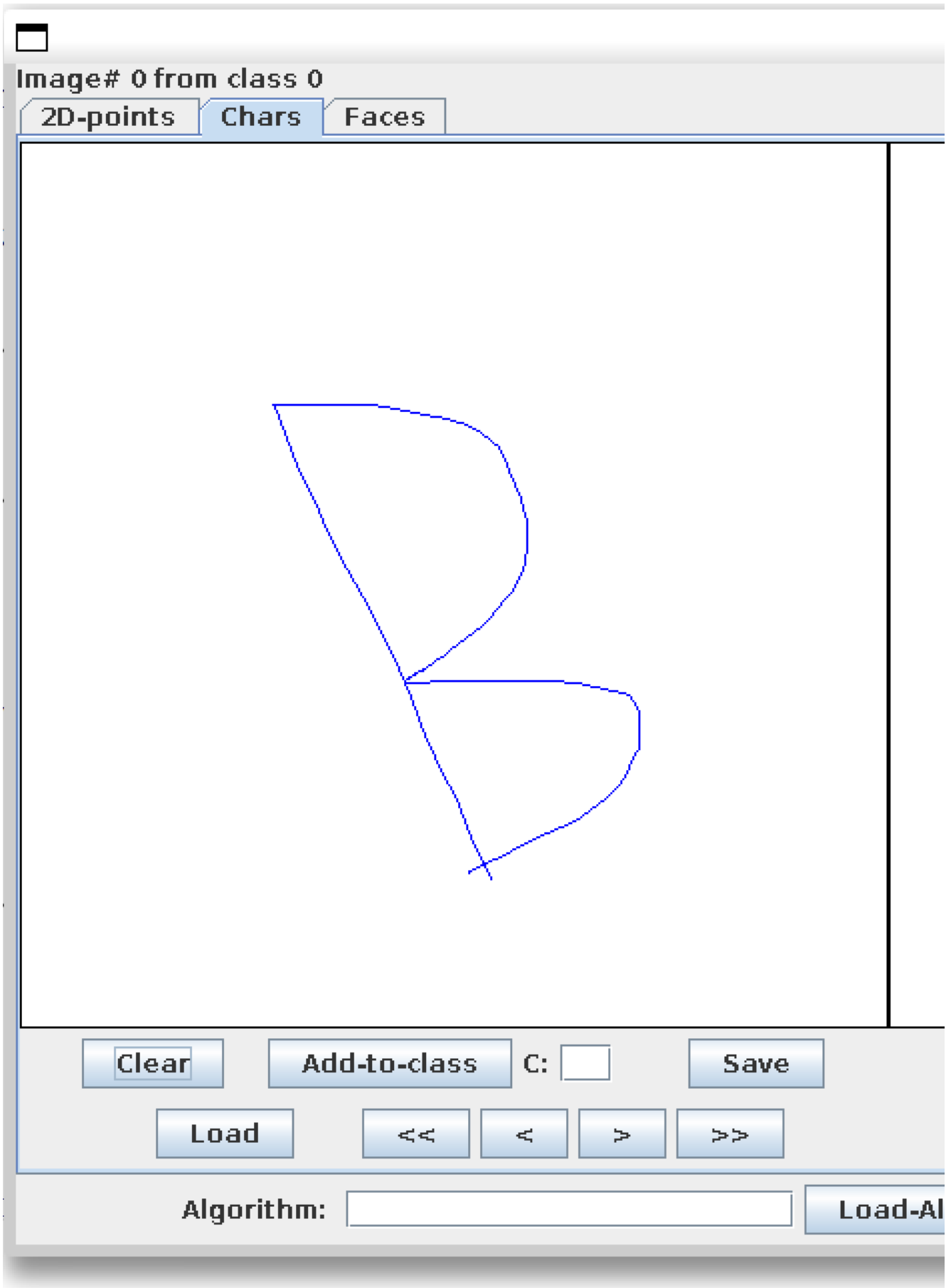


Exercise 1

Yes, google

Exercise 2

- It's harder because the split-uniform dataset overlaps



- The first guy have more varitey

Exercise 3

The screen output has 5 point in each class corresponding to the train set

Exercise 4

- We can use either pixel of the char or vector(start end point of a line segment) of the char
- `g.drawLine (x1,y1, x2,y2);`
- The char with more curves will create more line segments. Like B or C.

Exercise 5

- The size of the image by the color depth.
- No, they are not the same. it depends on the image size.

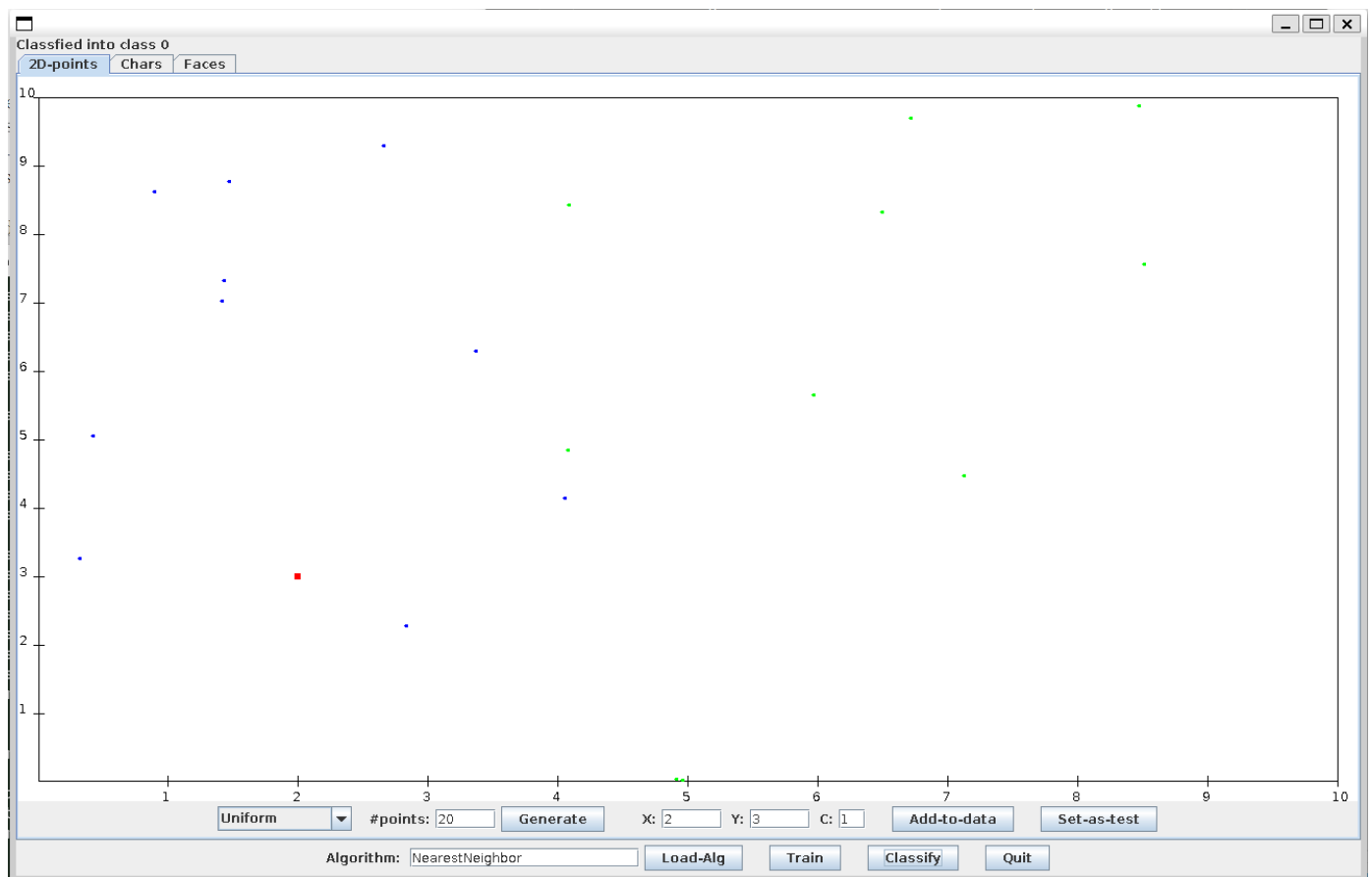
Exercise 6

The arm problem

Exercise 7

- The third input dimension
- The first value of third input dimension
- The label corresponding to the third input dimension

Exercise 8



- If I create a point with different class near a wrong class point, the classifier will go wrong.
- Distance is meaningless in char problem

Exercise 9

train time: $M \times M$

run time: M

A priority queue is best for storing nearest neighbor.

A 2d hash map representing approx location of each point is best for calculation.

Exercise 10

$1,000,000 * 0.1 \text{ M} = 100\text{G}$ Calculations

MSE between two images can represent it's distance

Exercise 11

0.24

After change, $\text{Pr}[\text{Error}] = 0.135$

Maybe there are a lot of class 0 samples to be tested. So changing answer to class 0 when distance is equal will increase the correctness.

Exercise 12

class0: 0.397

class1: 0.603

Exercise 13

$\text{Pr}[X=3 | C=0] = 0.091$

$\text{Pr}[X=3 | C=1] = 0.609$

- because this two number is the value of prob X3 in C=0. All prob value of X in C=0 add up to 1
- More likely to come from class1

Exercise 14:

1	$\text{Pr}[X=0 C=1] = 0$
2	$\text{Pr}[X=1 C=1] = 0.05$
3	$\text{Pr}[X=2 C=1] = 0.1$
4	$\text{Pr}[X=3 C=1] = 0.6$
5	$\text{Pr}[X=4 C=1] = 0.1$
6	$\text{Pr}[X=5 C=1] = 0.15$

Exercise 15:

$\text{Pr}[E] = 0.13099$

Exercise 16:

$\text{Pr}[E3] = 0.09967510726420475$

After change to 0.9

$\text{Pr}[E3] = 0.5937170010559663$

Exercise 17:

- $\text{PR} = 0.4$

$\text{Pr}[X=x | C=0] \text{Pr}[C=0] = 0.04$

$$\Pr[X=x | C=1]\Pr[C=1] = 0.36$$

- $\Pr = 0.9$

$$\Pr[X=x | C=0]\Pr[C=0] = 0.09$$

$$\Pr[X=x | C=1]\Pr[C=1] = 0.06$$

Exercise 18:

When data is not 1d, like class 0 are in a circle. And outside the circle are all class 1

Exercise 19:

It is decided by different w_i but not a single w_i

Exercise 20:

We can apply derivative on each w_i so it's differentiable

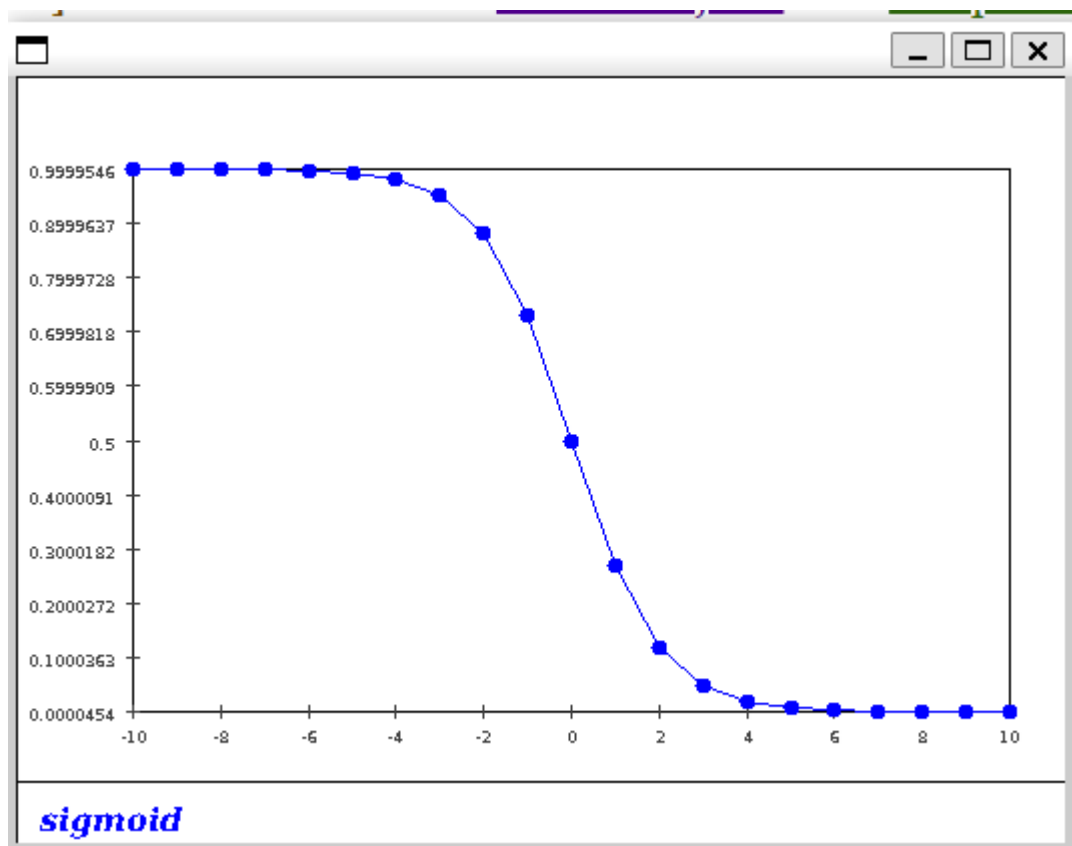
Exercise 21:

- Result doesn't change much

Exercise 22:

To check if the new trained parameter is better or worse than the previous ones.

Exercise 23:



We can compress the x axes of the sigmoid to something like $f(s) = \frac{1}{1+e^{-10s}}$

Exercise 25:

$$x_1 + x_2 < 2$$

$x_1+x_2>0$

x1\x2	0	1
0	0	1
1	1	0

Exercise 26:

If the points are generated by x axes, then y axes could be ignored.