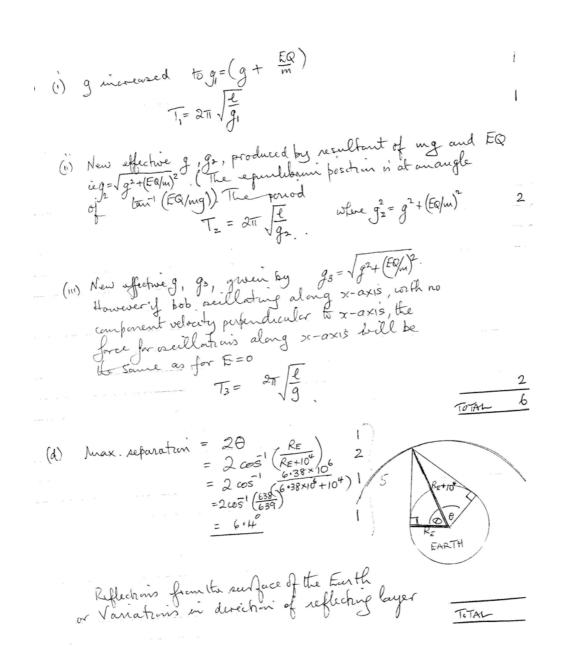
```
SOLUTIONS
                                   2 (30) vals
                                                                   petentral divider
 (a) (1) Potential at P
         Potentrul at Q =
      PD. across PQ
          Replace 10052 by variable resustance R.
          Put a galvo. across PQ
          Vary R until zero current the galvo then \frac{x}{R} = \frac{20}{200}
     Alternative methods acceptable
(b) (i) no. of photons/see N = \frac{power(P)}{Energy} of one photon (h.f)

"Incident Force = rate of change of momentum

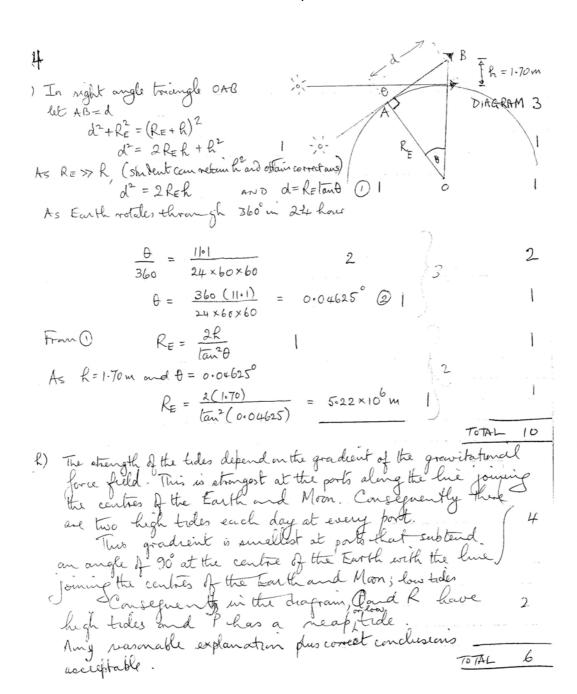
= n(P)
     Reflected Force = (95) 3-33×10-10
    Total force = total rate of change of momentum = (3.33+316)10N
                        64 9 × 10 0 N
 (111)
            Good vaccom
             Black surface increases in temperature creates increase
           in velocity of molecules reflected from it thus greater force than on shiny metal. Hence anti-clockwise
                                                                                          2
          Ultra high vaccom, no molecular forces,
          reflecting surface has greater force so
```

small clockwise rotation

2



(e) (1)
$$[a] = [b]^2 = [b] = [$$



```
′,
       Energy lost = 200 MeV
(4)
             host mass Am = (200) 106 (1.60 × 10-19)
(3.00 × 103)
              host wars Am = 3.56 × 10-28 kg.
               Decreuse in mass Am = 3.56 × 10 28 kg
          The speed V of the two masses is given by
m = m_0 \left( 1 - \frac{V^2}{c^2} \right)^{\frac{1}{2}}
                           m^2 \left( 1 - \frac{V^2}{C^2} \right) = m_0^2
                          and \Delta m = m - m_0 we can write approximate \Delta m (2m_0) = m_0(\frac{v^2}{c^2})
2\Delta m = m_0(\frac{v^2}{c^2})
                                               V = c \sqrt{\frac{2\Delta m}{m_0}}
                                                = (3.00 \times 10^8) \sqrt{\frac{2(200 \times 10^6)}{2.21 \times 10^5 \times 10^6}}
                                                      = 1.41 × 105 ms
                  (i) v^2 = 2as

a = v^2/2s = \frac{(12)^2}{2(40)} = 1.80 \text{ ms}^{-1}
                 (ii) Coeff. \mu = \frac{\text{Force}}{\text{Normal Reaction}} = \frac{ma}{mg} = \frac{1.80}{9.81}
                                                                                                                         2
                  (111) Less in KE = \frac{1}{2} (60) (12) = \frac{32\times10^{3}}{1}
                                                                                                                         2
                  (IV) Mans of ice melted = \frac{4.32 \times 10^3}{330 \times 10^3} kg = 1.31 \times 10^{-2} kg
```

(K) (i) This is the region illeminated by the Son. The dark region faces away from the Son

(ii) The dark region of the Moon is illeminated by light reflected by the Earth. So it is not completely black.

(iii) Assume the Earth and Moon are perfect reflectors of light and on equal distance from the Son.

Intensity of light hitting the Earth and Moon proposed to the light hitting the Earth only a freedom of RES

Of the light hitting the Earth only a freedom of the light hitting the Earth only a freedom $f = \left(\begin{array}{c} R^2_{\rm ES} \\ R^2_{\rm EN} \end{array} \right) \quad \text{(Fiften) acceptable}$ will reach the moon. This assumes energy radiated will reach the moon. This assumes energy radiated magnitude culculations. Some sindents might magnitude culculations. Some sindents might magnitude a factor of K of order 1 to account for the non-ideal conditions; $f = K \left(\begin{array}{c} R^2_{\rm EN} \\ R^2_{\rm EN} \end{array} \right)$

Now $f = \left(\frac{6.38 \times 10^6}{3.83 \times 10^8}\right)^2$ Any correct order of mag. $= 2.8 \times 10^4$ calculation acceptable

TOTAL

The execut is of brigher, a factor of 3.6×104 than the surrounding area of the Moon.

21	7
(l) (i) hums of air hetting soul per sec = $\times AV$ where $\times ii$ of Rate of change of momentum of air hetting soul assuming velocity of air reduced by impact with air = $(\times AV)(BV)$ where $K = \times AB$	aconst
(ii) Force = kv^2 $[MLT^{-2}] = [R] [L^2T^{-2}]$ $[k] = [MLT^{-2}L^{-2}T^{+2}]$ $[k] = [ML^{-1}]$	2
(III) Dimensional analysis ALTERNATIVENY: a direct analysis desceptable where c, pand g constants	3
Equating bower of M 1 = p Thus & proportional to g.	. 3
(iv) The resistive dissipative forces of the water moreuse more rapidly with speed than the wind force.	8
(m) The region of the wheel at the grand is instantaneously st rest and consequently clearly photographed. The top of the wheel travelling along the road at	1
speed v is moving at 2v. Intermediate regions of the wheel Rowe intermediate speeds beliveer of and 2v - the higher the speed the more blumed the photographic image	2

.__

(i) The lightening travels at speed $c = 3 \times 10^8 \, \text{ms}^{-1}$ Thursder travels at speed of Sound 334 ms So lightening arrives almost instantaneously

(ii) t/s 4t/s Distance ($\Delta t \times V_{send}$)/m Dist. Strontravelled s(iii) t/s 4t/s Distance ($\Delta t \times V_{send}$)/m Dist. Strontravelled s(iv) t/s 4t/s Distance ($\Delta t \times V_{send}$)/m Dist. Strontravelled s(iv) t/s t/

9

```
Mark
                                              SOLUTION
                                                                                                                         2
Q2 (a) (1) h = \frac{1}{2}gt^2 = \frac{1}{2}(9.81)(10.2)^2 = 510 \text{ m}
                                                                                                                                2
               (") t_2 = \frac{510}{334} = 1.53 \text{ s}
                                                                                                                                 2
              (11) \Delta h = t_2 * final velocity of stone = 1.53 (10.2g) = 153 m

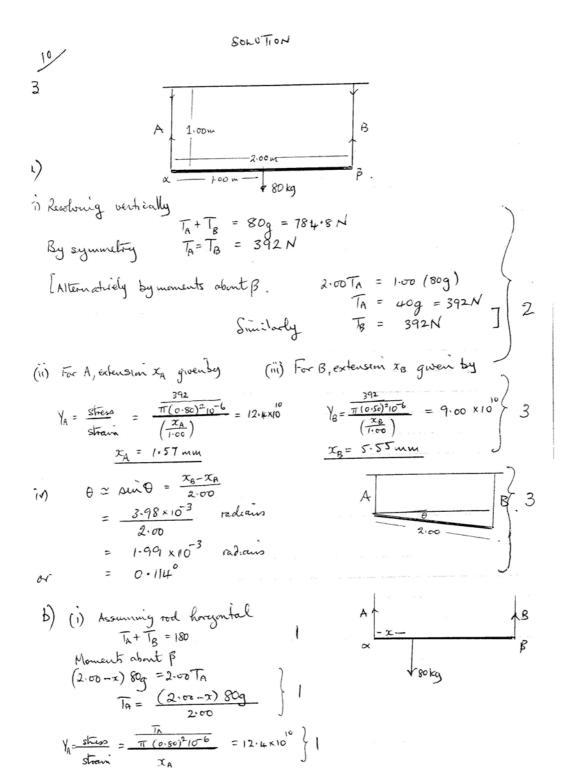
Accuracy: (510 \pm 153) arm 30% accuracy

Any other reasonable estimate from (15 \rightarrow 40)% acceptable
                                                                                                                                2
                              t_1 + t_2 = 10.2 (1) (total time)

h = \frac{1}{2}gt_1^2 (2) (sline)

h = 334t_2 (3) (sound wave)
        (b)
   From (2) & (3)
                                334 t_2 = \frac{1}{2}gt_1^2
t_2 = \frac{9.81}{668}t_1^2
  Substituting (5) into (1)
                                              t_1 + \frac{9.81}{668}t_1^2 = 10.2

t_1^2 + \frac{668}{9.81}t_1 - \frac{10.2(668)}{9.81} = 0
                                               t_1 = \frac{1}{2} \left[ -\frac{668}{9.81} + \sqrt{\frac{(668)}{9.81} + 4\left(\frac{10.2(668)}{9.81}\right)} \right]
Only toe times acceptable,
                                                t = 34.046 [-1 + 1.59917]
Sul mto (3)
                                                h = 334t2=334(1.19) = 397±3 m
               t1+t2=10.2
    c)
    a)
                      L = - ut, + 2gti
                      h= 334t2
```



$$x_{A} = \frac{T_{A}}{\frac{12 \cdot 4 \cdot 10^{16} \pi (c \cdot sc)^{2} j \circ b}{12 \cdot 4 \cdot 10^{16} \pi (c \cdot sc)^{2} j \circ b}}$$
Substituting for T_{A}

$$x_{A} = \frac{(2 \cdot \sigma c - x) \cdot 40g}{\frac{12 \cdot 4 \cdot 10^{16} \pi (c \cdot sc)^{2} j \circ b}{12 \cdot 4 \cdot 10^{16} \pi (c \cdot sc)^{2} j \circ b}}$$

$$x_{B} = \frac{T_{B}}{\frac{4 \cdot \sigma c}{9 \times 10^{16} \pi (c \cdot sc)^{2} j \circ b}}$$

$$x_{B} = \frac{4 \cdot g x}{\frac{4 \cdot g x}{9 \cdot \sigma x \cdot 10^{16} \pi (c \cdot sc)^{2} j \circ b}}$$

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$$x_{B} = \frac{4 \cdot g x}{\frac{4 \cdot g x}{9 \cdot g x \cdot 10^{16} \pi (c \cdot sc)^{2} j \circ b}}{\frac{4 \cdot g x}{9 \cdot g \cdot x \cdot 10^{16} \pi (c \cdot sc)^{2} j \circ b}}$$

$$x_{B} = \frac{4 \cdot g x}{\frac{4 \cdot g x}{9 \cdot g x \cdot 10^{16} \pi (c \cdot sc)^{2} j \circ b}}$$

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$$x_{B} = \frac{4 \cdot g x}{\frac{4 \cdot g x}{9 \cdot g x \cdot 10^{16} \pi (c \cdot sc)^{2} j \circ b}}}$$

$$x_{B} = \frac{4 \cdot g x}{\frac{4 \cdot g x}{9 \cdot g x \cdot 10^{16} \pi (c \cdot sc)^{2} j \circ b$$

.

SOLUTION

(1) Power = Reserve Force x Speed when travelling at 30 ms less time force R= 1350 = 45N 2

(11) Flexing of types at low pressure causes loss of

(11) Flexing of types at low pressure causes loss of energy by heating etc (compare motion with a flat type with inflated type.)

(III) $\vec{L} = ... 1350 \left(\frac{1}{0.97}\right) \frac{100}{25} = 5.56 \text{ kW}$

(1) Less weight fangsuitable reason 1
Better aerodynamics

Strought track, flat track any two sufficient friction for rolling wheels paintable without slifting etc.

Ruce when Sun overhead

(b) (i) $a = \frac{1}{m} (F - Rv^2)$

(ii) At 30ms', $R = Rv^2$ $45 = k(30)^2$ $k = 0.0500 \text{ kgm}^{-1}$

} 2

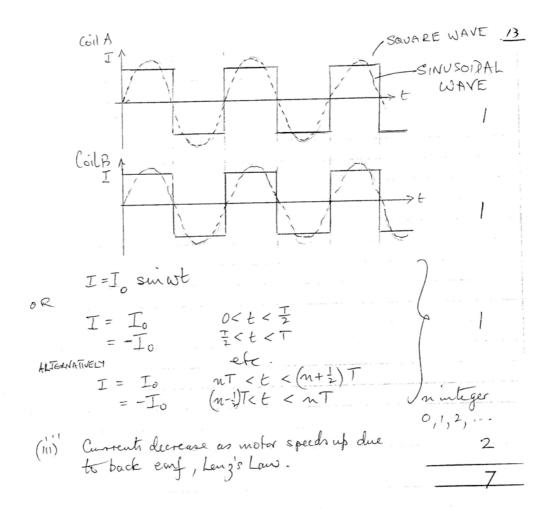
2

2

(c) (i) A ensures that magnetic polority of coils is synchronized so that there is always a force on the magnet forcing the rotation; half cycle repelling

F = 45 N

(11) Both coils lave same periodic airrent Ideally a square variation



```
SOLUTION
                                                                               (c=3×10 ms)
Q5 (a) Time taken to travel 3km
       As he was only able to measure times in excess of 10's, he could not measure 10's. Consequently a null result.
       Thus he could only conclude that light travelled at a speed that was greater than \frac{3\times10^3}{70^{-7}} = 3\times10^4 \text{ ms}^{-1}.
       Minmun accuracy of time measurement ~ 10-5
b XO When Earth moving towards Tubiter, P, 15 Pa, light from Io "eclipse" takes a shorter and shorter time to travel from Tubiter to Earth
    Thus period of rotation of To appears to be reducing
(ii) Similarly period extended when working away from
     Tupler, Q, to Q2
                                                                                           2
     hight travels additional distance across diameter of Earth's
     orbit around the Sun. This takes 22 minutes, so
                          C = \frac{3 \times 10^{11}}{22 \times 60} = 2.3 \times 10^{8} \text{ ms}^{-1}
                                                                                          2.
(c) Wheel mores through 2x720 of a revolution between transmission and reception of light. For wheel notating at 12.6 news.5
       Distance travelled = 2 x 8633 m
                              c = (2 x 8633) (2 x 720 x 12-6)
                                  = 3.13 × 10 ms
     If path length 2L and rate of rotation in then
                            C=(2L)(2×726)n
Substituting,
                          DC = (0.04)C
                               = (3.13±0.12) 10 ms
```

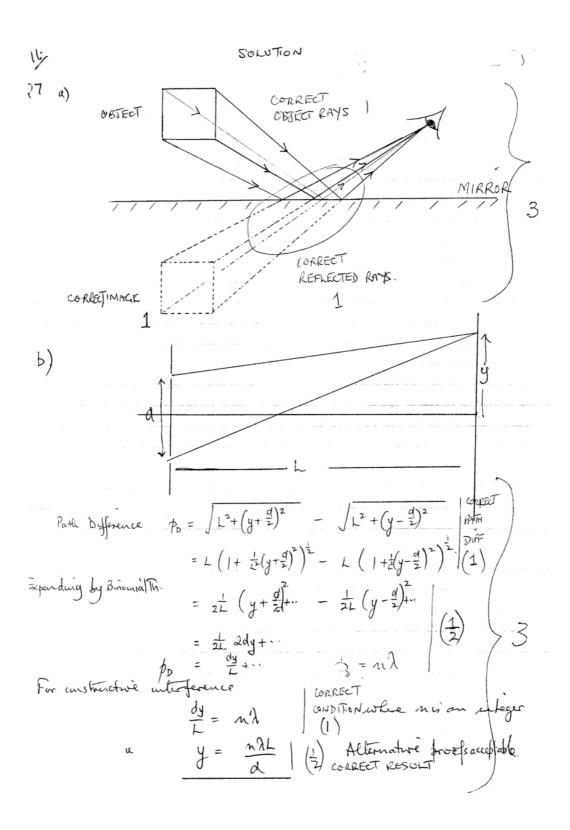
```
Q6 (a) (1) F_{c} = \frac{2Q}{4\pi\epsilon_{c}} d^{2} A^{c} + \frac{2Q}{4\pi\epsilon_{c}} d^{2} C^{B}
       ie force magnifiede 4 TE along AB
        F_{o} = \frac{2Q}{4\pi\epsilon_{o}d^{2}} \stackrel{\wedge}{A0} + \frac{2Q}{4\pi\epsilon_{o}(2d)^{2}} \stackrel{\wedge}{OB} = \frac{6Q}{4(4\pi\epsilon_{o})d^{2}} \stackrel{\wedge}{A0} = \frac{3Q}{2(4\pi\epsilon_{o})d^{2}} it force of magnified \frac{3Q}{2(4\pi\epsilon_{o})d^{2}} along A0^{1}
                         V_c = \frac{2Q}{(4\pi\epsilon)d} - \frac{2Q}{(4\pi\epsilon)d} = 0
                          V_0 = \frac{2Q}{(4\pi\epsilon_0)Q} - \frac{2Q}{(4\pi\epsilon_0)(2d)} = \frac{Q}{(4\pi\epsilon_0)Q}
                 (111)
  (b) (1) Force on charge g = Eg.

Acceleration of g = Eg/m

The taken to transverse plates = (\frac{L}{v})

Using "y = \frac{1}{2}at^2,

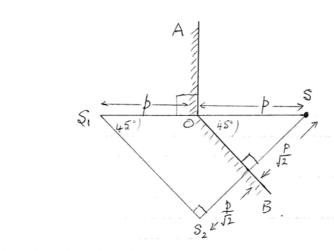
y_1 = \frac{1}{2}m(\frac{L}{v})^2
   (11) Circular motion of quarth constant v
                              BqV = \frac{mV^2}{R}
R = \frac{mV}{Bq}
R = \frac{mV}{Bq}
    From diagram
                                                                               using Pythagoras's Th. in AOB
                              00 y2= R-√R2L2 where R=
             If Eard B forces balance, Eq = Bg V or E=BV or V=\frac{\pi}{3}!
Substituting for V in the result obtained in b(i)
y_1 = \frac{1}{2} \frac{Eq}{m} \frac{1}{k} \binom{2}{E}
```





2

3

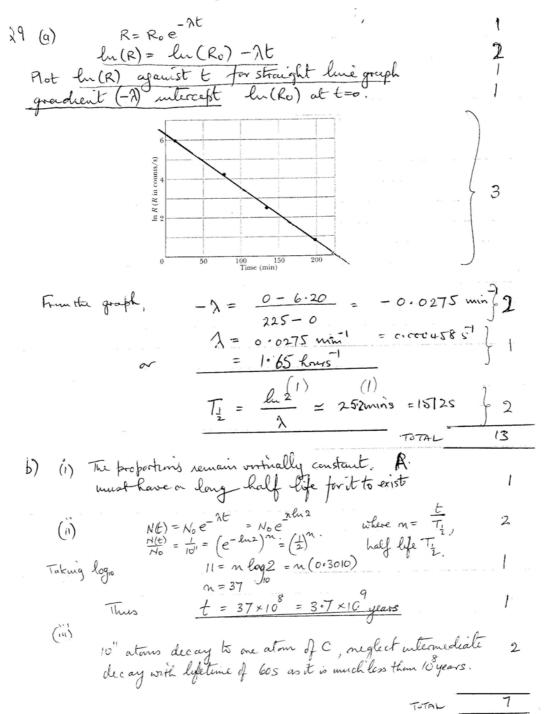


- (1) At the positions &, and S2 indicated in the diagram
 Reflection in vertical mirror, Ao, imaged at S, a distance & behind Ao
 Reflection in inclined mirror, OB, at distance (p/12) behind mirror
 at S2, SS2 IT to mirror
- (ii) S, and S2 act as vertual sources of coherent light producing an interference pattern on a screen placed parallel to S,S2 in front of merrors: S, and S2 behave as slits in a foring's slit arrangement
- (iii) Parallel to S, 32 which is parallel to OB 2
- (IV) dis the distance between Siand S2 = 2pccs 450 = J2p. 2
- (1) $\dot{L} = D + \frac{1}{12} = D + \frac{\sqrt{2}}{2} + \frac{\sqrt{2}}{2}$ where D is distance of 2 serieur fram 0.
- (1) d becomes smaller and consequently y becomes larger fragiens. When S, and S, councide, at 180°, between nervors, there 3 is no interference.

19/ SOLUTIONS 28 Conservation of momentum: $m_1 V_1 = m_1 V_1 + m_2 V_2$ (1) 1 m, = mass of neutron V, = initial speed of neutron m2 mass of second particle V2 speed of second particle Conservation of mergy $\frac{1}{2}m_1V_1^2 = \frac{1}{2}m_1V_1^2 + \frac{1}{2}m_2V_2^2$ (2) 2 From (1) $m_1 (v_1 - v) = m_2 v_2$ $m_1 (v_1^2 - v^2) = m_2 v_2^2$ or $m_1 (v_1 - v)(v_1 + v) = m_2 v_2^2$ Dividing (3) into (4) V + Y = V2 (5) Tuns sub? (5) wito (1) $V = \left(\frac{m_1 - m_2}{m_1 + m_2}\right) V_1$ _ (·) = + 1.4 × 104 ms (n) V= 1.0087 - 11.9934 2×107 ms = -1.68×107 ms After many collisions the speeds of the neutrons will such that the distribution of speeds is the room temperature distribution

TOTAL

SOLUTION



SOLUTIONS

19

b) benservation of momentum! V is speed after bullet lodged in block

Conservation of energy Flummating V fram () 4(2) = (m+ (VI) V

 $\frac{1}{2}(m+M)V^2 = (m+M)gh$

 $\frac{1}{2}(m+M)\left(\frac{mv}{m+M}\right)^2 = (m+M)gh$

$$\frac{1}{2} \left(\frac{mV}{m+M} \right)^{2} = gh$$

$$V = \left(\frac{m+M}{m} \right) \sqrt{2gh}$$

The block plus bullet swangs up with sample harmonic 2 motion - comment on amplitude and / or period.