

# CPDS-Conc Lab 5

## Basics on Erlang

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**Goal:** In the *training* part you should acquire some experience in Erlang. As a *homework* you have to provide an Erlang implementation of (1) the *mergesort* algorithm and (2) a toy example based on the ping-pong game.

### Basic material:

- Course slides.
- *Programming Erlang: Software for a Concurrent World*, Joe Armstrong, 2007. Second edition 2013.
- Chapter 5 of the book *Erlang Programming*, Francesco Cesarini and Simon Thompson, O'Reilly, 2009.

## 3.1 Training in Erlang

1. *Pythagorean Triplets*. Pythagorean triplets are sets of integers  $A, B, C$  such that  $A^2 + B^2 = C^2$ . The function `pyth(N)` generates a list of all integers  $A, B, C$  such that  $A^2 + B^2 = C^2$  and where the sum of the sides is equal to or less than  $N$ .

```
pyth(N) ->
  [ {A,B,C} || A <- lists:seq(1,N), B <- ..., C <- ..., A+B+C <= ..., ... == ... ].
```

A possible behavior is:

```
> pyth(3).
[] .
> pyth(11).
[] .
> pyth(12).
[{3,4,5},{4,3,5}]
```

2. *Erathostenes Sieve*. We develop a program that computes prime numbers known as the Primes Sieve of Eratosthenes, after the Greek mathematician who developed it. The algorithm to determine all the primes between 2 and  $n$  proceeds as follows. First, write down a list of all the numbers between 2 and  $n$ :

2 3 4 5 6 7 ...  $n$

Then, starting with the first uncrossed-out number in the list, 2, cross out each number in the list which is a multiple of 2:

2 3 ~~4~~ 5 ~~6~~ 7...  $n$

Now move to the next uncrossed-out number, 3, and repeat the above by crossing out multiples of 3. Repeat the procedure until the end of the list is reached. When finished, all the uncrossed-out numbers are primes.

Design a module(`siv`) containing the functions `range`, `remove_multiples`, `sieve` and `primes`. Proceed step by step.

- First design a function `range(Min, Max)` returning a list of the integers between `Min` and `Max`.

```
-module(siv).
-compile(export_all).

range(N, N) -> [N];
range(Min, Max) -> [Min | range(..., Max)].
```

For instance :

```
> siv:range(1,15).
[1,2,3,4,5,6,7,8,9,10,11,12,13,14,15]
```

- Add a function `remove_multiples(N, L)` removing all multiples of `N` from the list `L`

```
remove_multiples(N, [H|T]) when H rem N == 0 -> remove_multiples(..., ...);
remove_multiples(N, [H|T]) -> [H | ...];
remove_multiples(_, []) -> [].
```

For instance:

```
> siv:remove_multiples(3,[1,2,3,4,5,6,7,8,9,10]).
[1,2,4,5,7,8,10]
```

- Finally the function `sieve(L)` retains the head of the list `L`, removes all multiples of the head of the list and recursively sieves this list.

```
sieve([H|T]) -> [H | ...(...(H, T))];
sieve([]) -> [].
```

Using `sieve(L)`, the primes can be computed as:

```
primes(Max) -> sieve(...(2, ...)).
```

For instance:

```
> siv:primes(25).
[2,3,5,7,11,13,17,19,23]
```

## 3.2 Homework

### 3.2.1 Mergesort

We ask to develop two versions of the merge sort (one sequential and the other concurrent). We will sort floating-point numbers in order to avoid printing problems <sup>1</sup>. Below we use the list :

```
L = [27.0, 82.0, 43.0, 15.0, 10.0, 38.0, 9.0, 8.0].
```

Complete a `msort` module containing functions defined below:

1. Program a function `sep(L, N)` returning `{L1, L2}` so that `L1++L2 == L` and `length(L1) == N`. You can assume that nonnegative integer  $N$  is at most the length of the list  $L$ . For instance:

```
32> msort:sep(L, 3).  
{[27.0,82.0,43.0],[15.0,10.0,38.0,9.0,3.0]}
```

*Hint:*

```
sep(L,0) -> {[], L};  
sep([H|T], N) -> {Lleft, Lright} = sep(.....),  
.....
```

2. Program a function `merge(L1, L2)` returning the merge of two sorted lists, for instance:

```
34> L1= [27.0, 43.0, 82.0].  
...  
35> L2= [3.0, 9.0, 10.0, 15.0, 38.0].  
...  
36> msort:merge(L1,L2).  
[3.0,9.0,10.0,15.0,27.0,38.0,43.0,82.0]
```

3. Complete the following sequential version of the merge sort function `ms(L)` returning  $L$  sorted.

```
ms([]) -> ...;  
ms([A]) ->...];  
ms(L) ->  
    {L1, L2} = sep(..., ....div 2),  
    ....  
    ....
```

---

<sup>1</sup>From Armstrong book (pag 29) we read: Remind: When the shell prints the value of a list it prints the list as a string, but only if all the integers in the list represent printable values. Given `L= [83, 117, 114, 112, 114, 105, 115, 101]`, if we ask execute `L` we get the string "Surprise".

4. Design a parallel version `pms` of the merge sort along the lines suggested going from `qs` to `pqs`.

```
rcvp(Pid) -> receive
            {Pid, L} -> L
            end.

pms(L) -> Pid = spawn(mergesort, p_ms, [self(), L]),
            rcvp(Pid).

p_ms(Pid, L) when length(L) < 100 -> Pid ! {self(), ms(L)};
p_ms(Pid, L) -> {Lleft, Lright} = sep(.....),
                Pid1 = .....,
                Pid2 = .....,
                L1 = rcvp(Pid1),
                L2 = rcvp(Pid2),
                .... ! .....
```

### 3.2.2 Ping pong

Two processes are created and they send messages to each other a number of times. In order to get the following execution:

```
10> pingpong:start().
Pong received ping
Ping received pong
Pong received ping
Ping received pong
Pong received ping
Ping received pong
Ping finished
Pong finished
```

complete the following code. Note that, we assume that `pong` is first created in order to provide its identity when `ping` is started. That is, `ping` must know the identity of `pong` to send messages to it.

```
-module(pingpong).
-export([start/0, ping/2, pong/0]).

start() ->
    Pong_PID = spawn(..., pong, []),
    spawn(..., ping, [3, Pong_PID]).

ping(0, Pong_PID) ->
    Pong_PID ! finished,
    io:format("Ping finished~n", []);
```

```

ping(N, Pong_PID) ->
    Pong_PID ! {ping, ...},
    .....
    .....
    .....

pong() ->
    receive
        finished ->
            io:format("Pong finished~n", []);
        {ping, ...} ->
            io:format("Pong received ping~n", []),
            ....
            ....
    end.

```