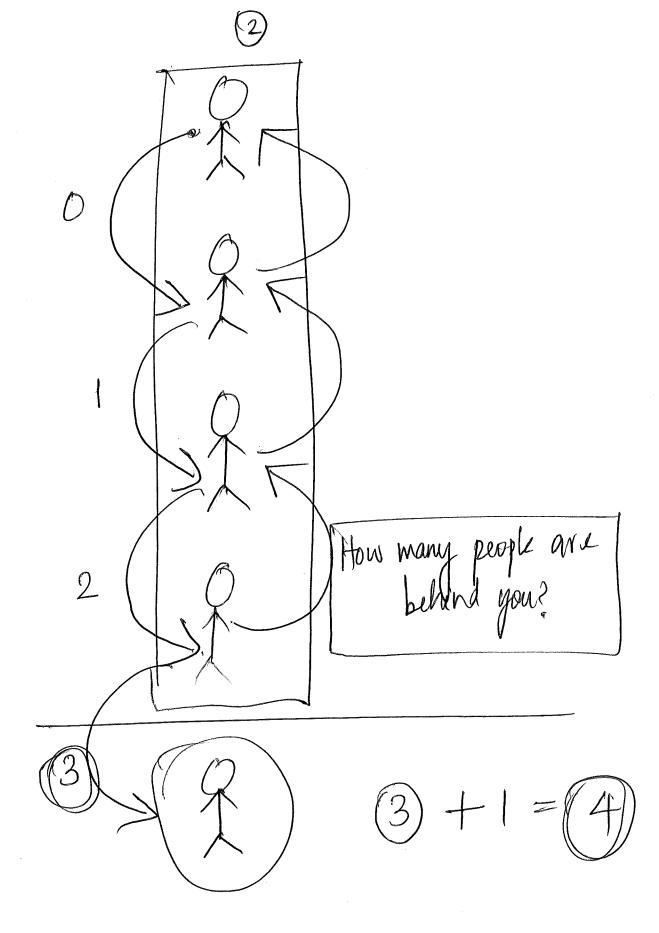
CS 301 - Lecture 16 Logistics - P7 due tomorrow - P8 - released tomorrow (due in 2 weeks) Last dass 1. Objects
2. References reference
3. Copying shallow Today Recursion Advanced functions.

£ .



Methods of problem solving Iteration Recursion. Récursion - defining a problem in terms of itself  $\left( \begin{pmatrix} n \end{pmatrix} \right) = \left( \begin{pmatrix} n-1 \end{pmatrix} \right) + \left( \begin{pmatrix} n-2 \end{pmatrix} \right)$ f(0) = 0 } base cases. Fibonacei seguence 0, (1), (1), (2), 3, 5, 8, 13. f(5) = f(4) + f(3)

 $5! = 5 \times 4 \times 3 \times 2 \times 1$ 

Iterative

def ifact (n):

fact = 1

while n > 0:

fact x = n n = 1

return fact

5 = 5×4×3×2×1

 $4! = 4 \times [3 \times 2 \times ]$ 

 $3! = 3 \times 2 \times 1$ 

2! = 2 X 1

1 = 1

N = N X (N-1) X ... .. X 1

5! = 5 x fact(4)

4! = 4 x fact(3)

 $3! = 3 \times fact(2)$ 

2! = 2 x fautt)

||=|

$$h! = n \times fact(n-1)$$

$$fact(n) = n \times fact(n-1), n>1$$

$$fact(n) = \begin{cases} n \times fact(n-1), n>1 \\ 1 & n=1 \end{cases}$$

$$def fact(n):$$

$$return 1$$

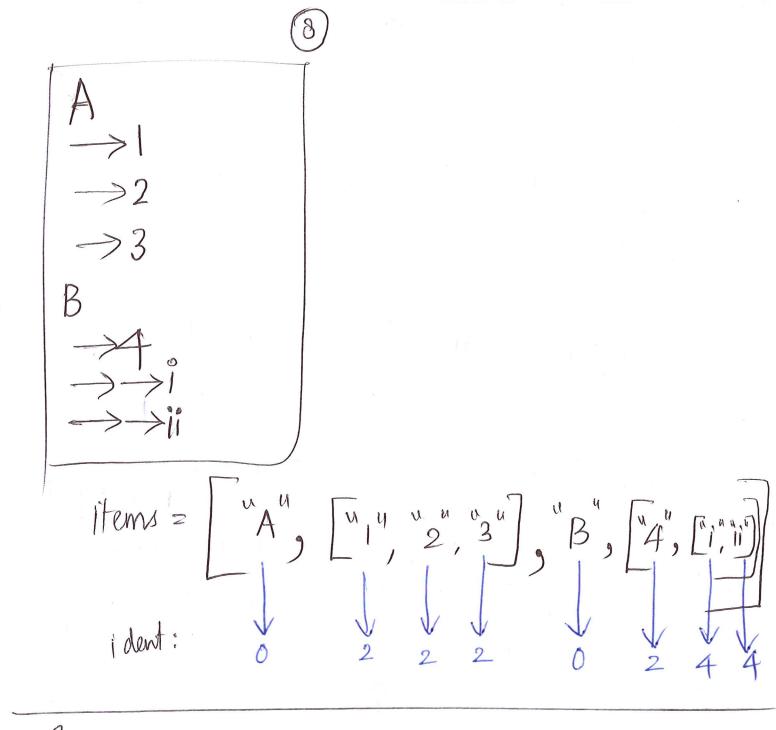
$$else:$$

$$p = fact(n-1)$$

$$yelurn n \times p$$

Stack LIFO B3 B2 BI de f2(n): Zl=nxn return Z return; 4 return: None global frame >main()

def fact(n): 1 = 1: 1 = 1:else: p=fact (n-1) return (p) \* n (00) main(): return: I # fact (1) return; main () # fact(2) Yerurn: 3+2=16 main return: None



Sumary Rewision have case

Inception dream within a dream!