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Subject :- Is Lab

**Q. 1]** Solve the following with forward chaining or backward chaining or resolution (any one) use predicate logic as language of knowledge representation clearly specify the fact and inference rule used

### Q. 1] Example 1:

- 1) Every child sees some witch no witch has both a black cat and a pointed hat

2) Every witch is good or bad

3) Every child who sees any good witch gets candy

4) Every witch that is bad has a black cat

5) Every witch that is seen by any child has pointed hat

6) Prove: Every child gets candy

→ A) facts into for

  - 1)  $\exists x \forall y (\text{child}(x), \text{witch}(y) \rightarrow \text{sees}(x, y))$
  - $\sim \exists y (\text{witch}(y) \rightarrow \text{has}(y, \text{black cat}) \wedge \text{has}(y, \text{Pointed hat}))$
  - 2)  $\exists y (\text{witch}(y) \rightarrow \text{good}(y)) \vee \text{bad}(y)$
  - 3)  $\forall x (\text{sees}(x, y) \rightarrow (\text{witch}(y) \rightarrow \text{good}(y)) \rightarrow \text{get}(x, \text{candy}))$
  - 4)  $\forall y ((\text{witch}(y) \rightarrow \text{bad}(y)) \rightarrow \text{has}(y, \text{black cat}))$
  - 5)  $\forall y (\text{sees}(x, y) \rightarrow \text{has}(y, \text{Pointed hat}))$

B) EOL into CNF

- 1)  $\exists x \forall y (\text{child}(x), \text{witch}(y) \rightarrow \text{sees}(x, y))$   
 $\rightarrow \sim \exists y, (\text{witch}(y) \rightarrow \text{has}(y, \text{black hat}))$   
 $\rightarrow \sim \exists y (\text{witch}(y) \rightarrow \text{has}(y, \text{Pointed hat}))$
  - 2)  $\forall y (\text{witch}(y) \rightarrow \text{good}(y))$   
 $\forall y (\text{witch}(y) \rightarrow \text{bad}(y))$
  - 3)  $\exists x ((\text{sees}(x, y) \rightarrow \text{witch}(y) \rightarrow \text{good}(y)) \rightarrow \text{gets}(x, \text{candy}))$
  - 4)  $\exists y (\text{bad}(y) \rightarrow \text{has}(y; \text{black hats}))$
  - 5)  $\exists y (\text{sees}(x, y) \rightarrow \text{has}(y, \text{Pointed hat}))$

$\rightarrow \sim_{\text{FA}} [\text{seen } (x_1, y) \rightarrow \text{has } (y, \text{blank hat})]$

1

Sees (x, y)

With  $\pi^*(y)$  vs  $\pi(y)$

{ good & bad } 3

$\sim \text{seen}(x, \text{good}) \wedge \text{seen}(x, \text{bad})$

$$\text{hcs}(4,2)$$

{4/good v bad 3 {7/black cat v  
Pointed hat) 3

$\text{Seen}(n, \text{good}) \vee \text{Seen}(n, \text{bad})$

hus (go), pointed hats  
v get (x, randy)

$\text{Gerr}(x, \text{good}) \vee \text{hug good}$ ,

points but) v gets ( $x, b$  (andy))

~~Seen ( $x_1$ ,  $g_000$ ) v get  
( $x_1$ ,  $can^2y$ )~~

get(x, can))

get(x, (and))

## 2) Example 2:

1) Every boy or girl is a child.

2) Every child gets a doll or a train or a form of a toy

3) No boy get any doll

4) Every child who is bad gets any lump of coal

5) No child get a train

6) Run ~~get~~ lump of coal

7) Prove Ram is bad

$\Rightarrow$

- 1)  $\forall x (\text{boy}(x) \text{ or } \text{girl}(x) \rightarrow \text{child}(x))$
- 2)  $\forall y (\text{child}(y) \rightarrow \text{get}(y, \text{doll}) \text{ or } \text{get}(y, \text{train}) \text{ or } \text{get}(y, \text{coal}))$
- 3)  $\forall w (\text{boy}(w) \rightarrow !\text{ gets}(w, \text{doll}))$
- 4) for all  $z (\text{child}(z) \text{ and } \text{bad}(z)) \rightarrow \text{get}(z, \text{book}) \vee \forall y \text{ child}(y)$   
 $\rightarrow !\text{ get}(\text{cram}, \text{coal})$
- 5)  $\text{child}(\text{cram}) \rightarrow \text{get}(\text{cram}, \text{coal})$

To prove  $(\text{child}(\text{cram}) \rightarrow \text{bad}(\text{cram}))$

## CNP clauses

- 1) !boy (x) or child (x)  
?girl (x) or child (x)

2) !child (y) or get (y, doll) or get (y, brain) or !get (y, doll)

3) :boy (w) or :get (y, coal)

4) !(child (z) or :bad (z) or get (z, coal))

5) !(child (ram) → get (ram, coal))

6) bad (ram)

Resolution  
5) !(child (z) or :bad (z) or get (z, coal))

6) bad (ram)

7) !(child (ram) or get (ram, coal))

## Resolution

- ↳ !child (2) or :but (2) or get (7, (w,a))

6) bud (ram)

7) child (ram) or set (ram, loc)

## Substitution 2 by ram

- 1) (a) If boy ( $x$ ) or child ( $x$ ) buy (ram)

8) child runs 1 substitution - x by ram

7> ! child (xram) or get (xram (0))

3) child (ram)

9) get (ram, coal)

2) `lchild(4).lcr, get(4,3011)` or `lch(4,train)` or `get(4,local)`

8) child (ram)

10) get (ram, dell) or set (ram, dell) or get (ram, core)

(Substitution, by zoom)

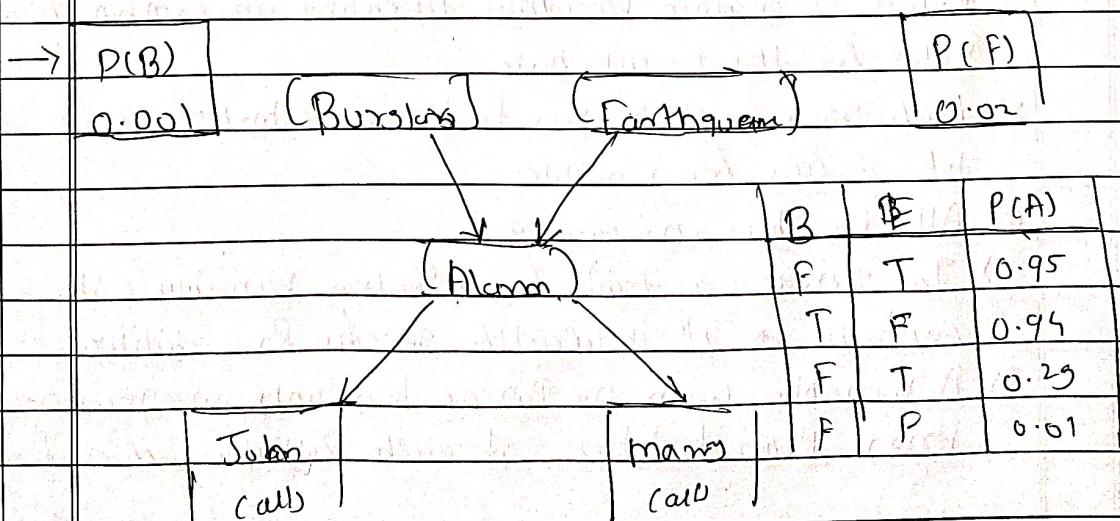
- g) gets (ram, coal)
- lo) get (ram, doll) or gets (ram, train) or gets (ram, cow)
- ll) get (ram, doll) or gets (ram, (coal))
- 3) ! boy (w) or ! gets (w, doll)
- 5) boy (ram)
- 11) ! get (ram, doll). (substituting w by ram)
- 11) get (ram, doll) or gets (ram, train)
- 12) ! gets (ram, (coal))
- 13) gets (ram, doll)
- 6) (a) get (ram, (coal))
- 13) gets (ram, (coal))

Hence ram is boy (ram) is Proved

Q. 2) Differentiate between STRIPS and ADL

	STRIPS language	ADL
1)	Only allow Positive literal in the states for e.g.: A valid sentence is STRIPS is expressed as $\Rightarrow$ stupid & ugly as $\Rightarrow$ Intelligent ^ Beautiful	Can support both Positive & negative literal for e.g. some sentence is expressed as $\Rightarrow$ stupid & ugly
2)	STRIPS stand for Standard Research Institute Problem solver	stands for Action Description Language.
3)	Makes use of closed world assumption (i.e.) all mentioned literals <del>for</del> <del>for</del> in <del>so</del> are false	makes use open world assumption (i.e.) Unmentioned literals are unknown

- |    |   |   |
|----|---|---|
| 4) | We only can find ground literal in goal for ex :- Intelligent $\wedge$ Beautiful  | We can find Qualified Variables in goal for ex - $\exists x \text{ AT}(P1, x)$<br>$\text{NAT}(P2, x)$ is the goal of having $P1 \wedge P2$ in the same place in example of P blocks |
| 5) | Goal can conjunction ex (Intelligent $\wedge$ Beautiful)  | Goal may involve involve conjunction and disjunction e.g Intelligent $\wedge$ (Beautiful $\vee$ A Run))   |
| 6) | Does not support equality   | Equality Predicate ( $x = y$ ) is built in  |
| 7) | You have two neighbours J and M who have promised to call you at work when they hear the alarm. J always call when he hears the alarm but sometimes confuses telephone ringing with alarm & call then too. M likes to loud music and sometimes misses the alarm together given the evidence of who has or has not called we would like to estimate the probability of burglary Draw a Bayesian network for this domain with suitable Probability table. |   |



A	P(T)
T	0.09
F	0.05

A	P(M)
T	0.70
F	0.01

- (1) The topologies of the network indicate that - Burglary and earthquake affect the probability of the alarm going off
    - Whether John and Mary call depends only on alarm
    - They do not perceive any burglaries directly they do not notice minor earthquake and they do not contact before calling
  - 2) Many listeners to lava music & Johan (having phone ringing) to sound of alarm can be ready from network only implicitly as uncertainty associated calling at work
  - 3) The Probability actual summarizes potentially infinite set of circumstance
    - The alarm might fail to go off due to high humidity, power failure etc
    - John and Mary might fail to call and report a alarm because they are out to lunch on vacation, temporarily deaf passing, helicopter etc
  - 4) The condition Probabilities tables in now gives probability for values of random variables depending on combination of value for the parent node
  - 5) Each row must be sum to because entries represent exhaustive set of case for variables
  - 6) All variables are Boolean
  - 7) In general, a table for a Boolean variable with  $k$  parent contain  $2 \times 2^k$  independently specific probabilities
  - 8) A variable with no parent has only one row representing prior probabilities at each possible value of variable

- g) Every entry in full join Probability distribution can be calculated from information in Bayesian network

10) A generic entry in joint distribution is probability of a conjunction of particular assignment to each other  
 $P(X_1=x_1 \wedge \dots \wedge X_n=x_n)$  abbreviated as  $p(x_1, \dots, x_n)$

11) The value of this entry is  $p(x_1, \dots, x_n) = \pi_{i=1}^n p(\text{parent}(x_i))$  where  $\text{parent}(x_i)$  denotes the specific values of the variable  $\text{parent}(x_i)$

  - $p(j \wedge m \wedge n \wedge v \wedge w \wedge e)$
$$= P(j|a) P(m|a) P(n|a \wedge b \wedge v \wedge e) P(v|b) P(w|v \wedge e)$$

$$= 0.09 \times 0.07 \times 0.001 \times 0.999 \times 0.998$$

$$= 0.0006828$$

## 12) Bayesian Network

