

# Results : confusion matrix

```
# confusion matrix.
```

```
> confusionMatrix(crashTest_1_TEST$LogisPred,crashTest_1_TEST$CarType)
Confusion Matrix and Statistics
```

	Reference	
Prediction	Hatchback	SUV
Hatchback	10	1
SUV	0	9

Accuracy : 0.95

95% CI : (0.7513, 0.9987)

No Information Rate : 0.5

P-Value [Acc > NIR] : 2.003e-05

Kappa : 0.9

McNemar's Test P-Value : 1

Sensitivity : 1.0000

Specificity : 0.9000

Pos Pred Value : 0.9091

Neg Pred Value : 1.0000

Prevalence : 0.5000

Detection Rate : 0.5000

Detection Prevalence : 0.5500

Balanced Accuracy : 0.9500

'Positive' Class : Hatchback



# Confusion matrix

		True condition	
Total population		Condition positive	Condition negative
Predicted condition	Predicted condition positive	True positive, Power	False positive, Type I error
	Predicted condition negative	False negative, Type II error	True negative

Source: [https://en.wikipedia.org/wiki/Receiver\\_operating\\_characteristic](https://en.wikipedia.org/wiki/Receiver_operating_characteristic)



# Measures of performance

- Terminology

- $TP \rightarrow$  true positives,  $TN \rightarrow$  true negatives,
- $FP \rightarrow$  false positives,  $FN \rightarrow$  false negatives
$$N = TP + TN + FP + FN$$
- TP – Correct identification of positive labels
- TN – Correct identification of negative labels
- FP – Incorrect identification of positive labels
- FN – Incorrect identification of negative labels



# Measures of performance

- Accuracy: Overall effectiveness of a classifier
  - $A = \frac{TP+TN}{N}$
  - Maximum value that accuracy can take is 1
  - This happens when the classifier exactly classifies two groups (i.e,  $FP = 0$  and  $FN = 0$ )
- Remember
  - Total number of true positive labels =  $TP+FN$
- Similarly
  - Total number of true negative labels =  $TN+FP$





# Measures of performance

- Sensitivity: Effectiveness of a classifier to identify positive labels
  - $S_e = \frac{TP}{TP + FN}$
- Specificity: Effectiveness of a classifier to identify negative labels
  - $S_p = \frac{TN}{FP + TN}$
- Both  $S_e$  and  $S_p$  lie between 0 *and* 1, 1 is an ideal value for each of them
- Balanced accuracy
  - $BA = (sensitivity + specificity)/2$



# Measures of performance

- Prevalence: How often does the yes condition actually occur in our sample

$$P = \frac{TP + FN}{N}$$

- Positive predictive value: Proportion of correct results in labels identified as positive

- $PPV = \frac{(sensitivity * prevalence)}{((sensitivity * prevalence) + ((1 - specificity) * (1 - prevalence)))}$

- Negative prediction value: Proportion of correct results in labels identified as negative

- $NPV = \frac{specificity * (1 - prevalence)}{(((1 - sensitivity) * prevalence) + ((specificity) * (1 - prevalence)))}$

# Measures of performance

- Detection rate:
  - $DR = \frac{TP}{N}$
- Detection prevalence: prevalence of predicted events
  - $DP = \frac{TP+FP}{N}$
- The Kappa statistic (or value) is a metric that compares an **observed accuracy** with an **expected accuracy** (random chance)
- $$\text{Kappa} = \frac{\text{observed accuracy} - \text{expected accuracy}}{1 - \text{expected accuracy}}$$



# Measures of performance

- Observed accuracy

- $$OA = \frac{a+d}{N}$$

- Expected accuracy

- $$EA = \frac{(a+c)(a+b) + (b+d)(c+d)}{N}$$

- $$\text{Kappa} = \frac{\frac{(a+d)}{N} - \left( \frac{(a+c)(a+b) + (b+d)(c+d)}{N} \right)}{\left( 1 - \left( \frac{(a+c)(a+b) + (b+d)(c+d)}{N} \right) \right)}$$

- Where  $a, b, c$  and  $d$  are  $TP, FP, FN$  and  $TN$  respectively





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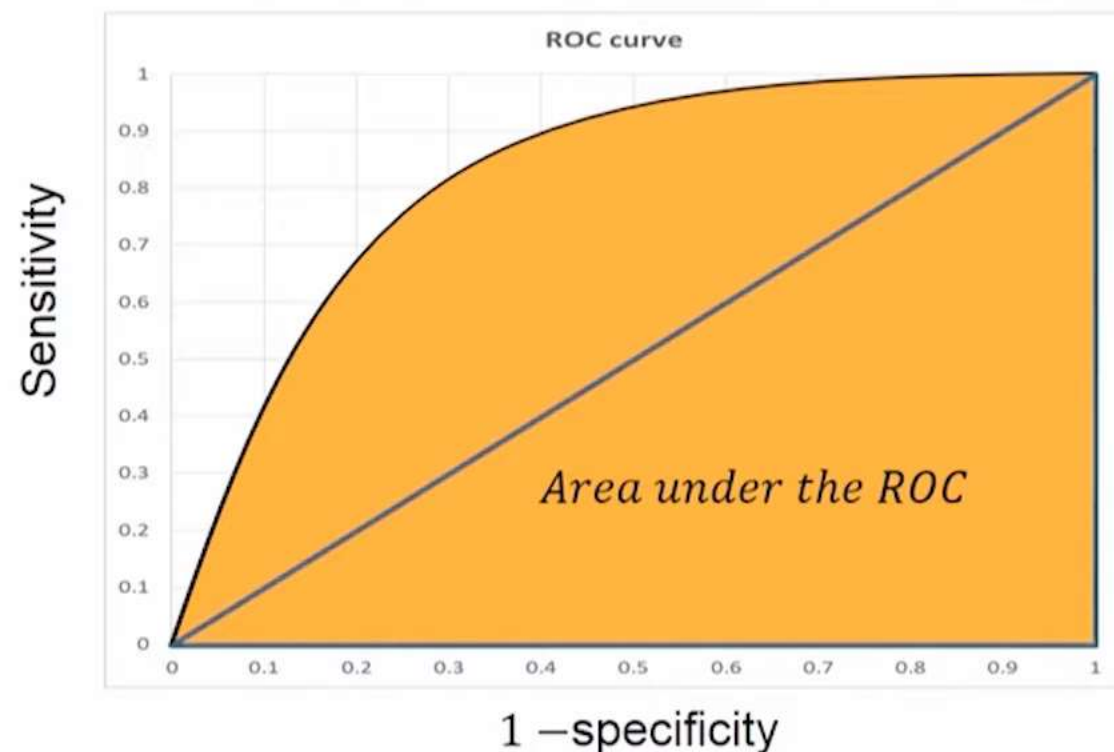
Balanced Accuracy : 0.9500

'Positive' Class : Hatchback



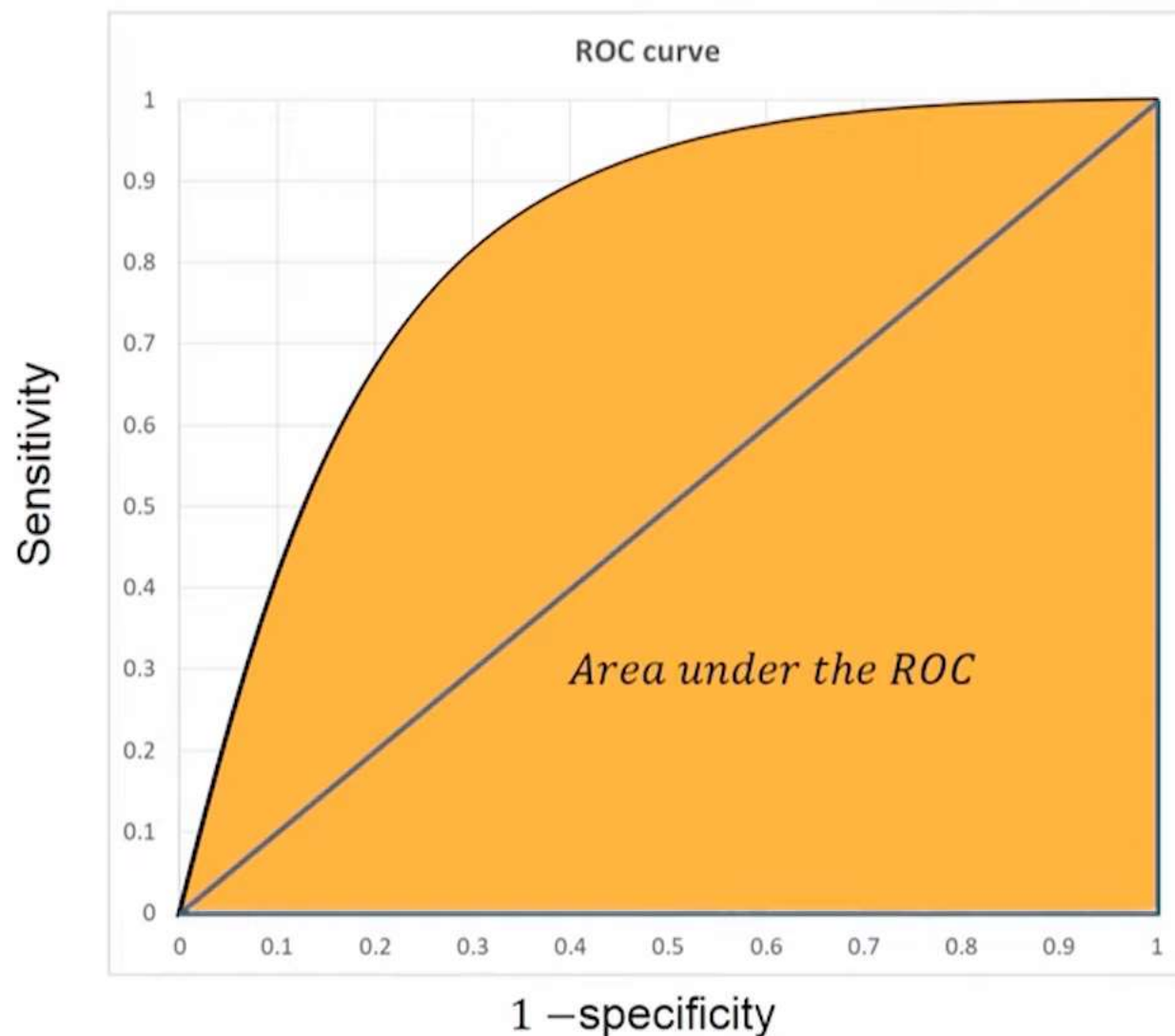
# ROC

- ROC –An acronym for Receiver Operating Characteristics
- Originally developed and used in signal detection theory
- ROC graph:
  - Sensitivity as a function of specificity
  - sensitivity (Y-axis) and 1 –specificity (X-axis)



# ROC

- ROC can be used to
  - See the classifier performance at different threshold levels (from 0 to 1)
  - AUC- Area under the ROC
    - An area of 1 represents a perfect test; an area of 0.5 represents a worthless model.
    - .90 – 1 = excellent
    - .80 – .90 = good
    - .70 – .80 = fair
    - .60 – .70 = poor
  - $AUC < 0.5$ , check whether your labels are marked in opposite



# ROC

- ROC can be used to
  - Compare different classifiers at one threshold or overall threshold levels
  - Performance
  - $\text{Model 3} > \text{Model 2} > \text{Model 1}$

