Name:

Enrolment No: R171218043



UNIVERSITY OF PETROLEUM AND ENERGY STUDIES

Mid Semester Examination, September/ October 2018

Programme Name: B.Tech CS-CSF, Bigdata, OGI, Devops, AI+ML, OSOS & IOT

Semester

Course Name : PHYSICS

: 02 hrs Time

Course Code : PHYS1008 Max. Marks: 100

Nos. of page(s)

: 02

Instructions:

1. All questions are compulsory.

2. Draw suitable diagrams wherever required.

3. Your answer should be concise and to the point.

S. No.		Marks	CO
QI	Distinguish between a LASER and ordinary light. Define main components required for a LASER process.	7	CO1
-02	A step index fibre has a core of refractive index 1.5 and a cladding of refractive index 1.47. The diameter of the core of the fibre is 100 µm, and the medium surrounding is air. Determine (a) NA of the fibre (b) angle of acceptance cone (c) limiting value of angle of refraction for the air-core interface for meeting the criteria of total internal reflection (d) Critical angle.	8	СОЗ
23	Demonstrate that the electric field is equal to the negative gradient of scalar potential.	8	CO2
Q4)	Planes $z = 0$ and $z = 4$ carry current $K = -10\widehat{a_x}$ A/m and $K = 10\widehat{a_x}$ A/m, respectively. Determine H at (a) (1,1,1) (b) (0,-3, 10).	7	CO2

SECTION A

0.	SECTION B (Q5 is having internal choice)		
Q5	d. Describe in brief the construction and working of a Ruby LASER along with the energy level diagram. (5)		CO1
* *	respectively and the light of wavelength 1.25 µm. is used. What should be the diameter of core for single mode propagation? If the core diameter is given as 50 µm, how many modes can propagate through this fiber?	15	CO3
	a. Why a two-level LASER system is not possible? Explain the concept of metastable state. b. At what temperature are the rates of spontaneous and attimulated. (5)	. ^	CO1
6 6	2. Explain the construction and reconstruction		CO3
	b. Compute the attenuation in dB/km, if 15% of the power sed at the launching end of a ½ km fibre is lost during propagation.		CO1
	(5)	15	CO2

O7 A S A		1
Q7 . Employing Biot-Savart law, show that the magnetic field due to an infinite straight		CO3
filamentary conductor is: $u = \frac{1}{2} \hat{\rho} $ (10)	15	
$\Pi = \frac{1}{2\pi \alpha} \alpha_{\varphi}$		CO4
b. Suppose the current density in a wire is proportional to the distance from the axis, J= ks (for some constant k) Find the total current in the wire if its radius is 'a'. (5)		
J= ks (for some constant k). Find the total current in the wire if its radius is 'a'. (5)		
SECTION-C (Q8 is having internal choice)		T C C C C
Q8 a. Evaluate the boundary conditions that must be satisfied by the electric field		CO2
intensity and the electric flux density for a dielectric-dielectric interface. Where $\rho_s = 0$, at the interface (10)		CO3
0, at the interface. (10)b. Using Gauss's Law, deduce an expression for electric flux density due to a point		000
charge. (5)		7
c. Given the points $P_1(2,2,-5)$ in Cartesian co-ordinates and $P_2(3,\pi,-2)$ in cylindrical		
co-ordinates. Find		CO3
1. The spherical co-ordinates of P ₁ .		
2. The spherical co-ordinates of P ₂ .		
3. The magnitude of the vector connecting P_1 (tail) to P_2 (head). (10)		
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<u>OR</u>		CO2
a. Derive the electric field intensity due to a surface charge using Coloumbic		002
formulation. (10)		CO3
b Prove that the bound volume charge density $\rho_{PV} = -\nabla \cdot P$. (5)	(25)	
Iwo straight nonconducting wires, parallel to the 2-axis, pass through points O and		CO3
A, as shown in figure below. The wires carry equal and uniform charge density 0.2		
· μC/m. Determine the electric field at point P. (10)		100
E.		
P(2,0)	4 20	
	1	
y r/		
		9
2 (4,0) m		
0 ×		
Values of Constants:		
Constant Standard Values Plenel's Constant (b) (62 × 1034 L)		
Planck's Constant (h) 6.63 x 10 ⁻³⁴ Joule-sec	·•	
Permittivity of free space (ϵ_0) 8.854 x 10 ⁻¹² Farad/meter		
Velocity of Light c 3 x 10 ⁸ m/sec		
Boltzmann constant (k_B) 1.38 × 10 ⁻²³ J K ⁻¹		
Rest mass of an Electron 9.11 x 10 ⁻³¹ Kg		7.
Charge of electron 1.6x10 ⁻¹⁹ C		i