

Majority Element

<https://www.youtube.com/watch?v=7pnhv842keE>

Here's a rundown of the core concepts you'd pick up while working through the Majority-Element problem end-to-end:

1. **Array Traversal**
 - Scanning an array with a single `for`-loop.
 - Understanding how to access and process each element exactly once (linear pass).
2. **Hash-Map (Dictionary) Usage**
 - Choosing a map for “value \rightarrow frequency” storage.
 - Methods like `get(key, default)` to safely initialize and update counts.
 - Insertion and lookup in $O(1)$ average-time.
3. **Keeping a Running Maximum**
 - Tracking which element has the highest count so far (`res`) and its count (`maxCount`).
 - Using a simple `if count[x] > maxCount` or a ternary expression to update your candidate.
4. **Time-Complexity Analysis**
 - Recognizing that one pass plus constant-time map operations yields $O(n)$ overall.
 - Noting occasional hash-table resizes but invoking **amortized $O(1)$** behavior.
5. **Space-Complexity Analysis**
 - Observing that storing counts for each *distinct* value uses $O(k)$ extra space (worst-case $k=n$).
 - Weighing that against problem constraints and alternative approaches.
6. **Problem-Specific Guarantee**
 - Leveraging “there *is* always an element $>n/2$ times” to go beyond general “most frequent” logic.
7. **Boyer–Moore Voting Algorithm**
 - Learning an *in-place* linear-time, constant-space solution:
 1. Maintain a **candidate** (`res`) and a **vote counter** (`count`).
 2. On each new element, reset candidate if counter hits zero.
 3. “Vote” +1 for matches, –1 for mismatches.
 - Internalizing the “cancellation” intuition: non-majorities always get outweighed.
8. **Algorithm Correctness & Invariants**
 - Understanding why Boyer–Moore always ends on the true majority (the $>n/2$ element can never be fully cancelled).
 - Validating on small examples and edge cases.
9. **Edge-Case Handling**
 - Handling minimal inputs ($n=1$).
 - Confirming behavior when all elements are identical.
10. **Clean Code & Readability**
 - Writing self-documenting variable names (`count`, `res`).
 - Using concise constructs (ternary operators) without sacrificing clarity.

Mastering these gives you not only a fast solution for this one problem, but also transferable skills in data-structure choice, complexity analysis, and clever algorithm design.