

Agenda

Time Series Analysis

<https://chat.whatsapp.com/JvnoQ9yFj7NBHntNzGKUzx>

<https://chat.whatsapp.com/CNg5iaeoSxhIraeEUK4UQY>

* Rohit Jindal

7982691190

→ # Doubts **

Logistics → (TTS → Evening 9 pm)
After every class → 3 things

- (1) Class Notes ✓
- (2) 5 minute Summary →
- (3) Interview Qs and Answers

Agenda

- A1 Introduction to Time Series
- A2 Moving Averages
- A3 Decomposition

Rohit Jindal → Sr Data Scientist @ Target

→ Mastercard AI Gargi

→ SSGA (Financial ML)

→ AM at Iacon

Originally I am Civil Engineer

→ AM at Iacon
Originally I am Civil Engineering

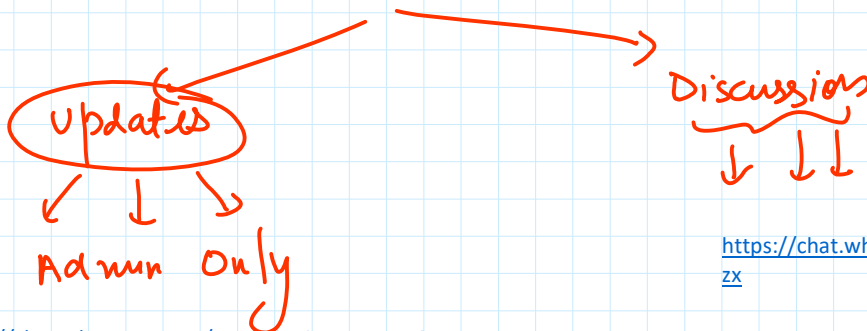
Educaⁿ → civil → DCE (DTU)

DS → Master in D.S (IITSc Bangalore)

University of Cambridge → Master in IP & Sustainability
(1 year)

General → Sharing my numbers →

WA groups



<https://chat.whatsapp.com/JvnoQ9yFj7NBHntNzGKUzx>

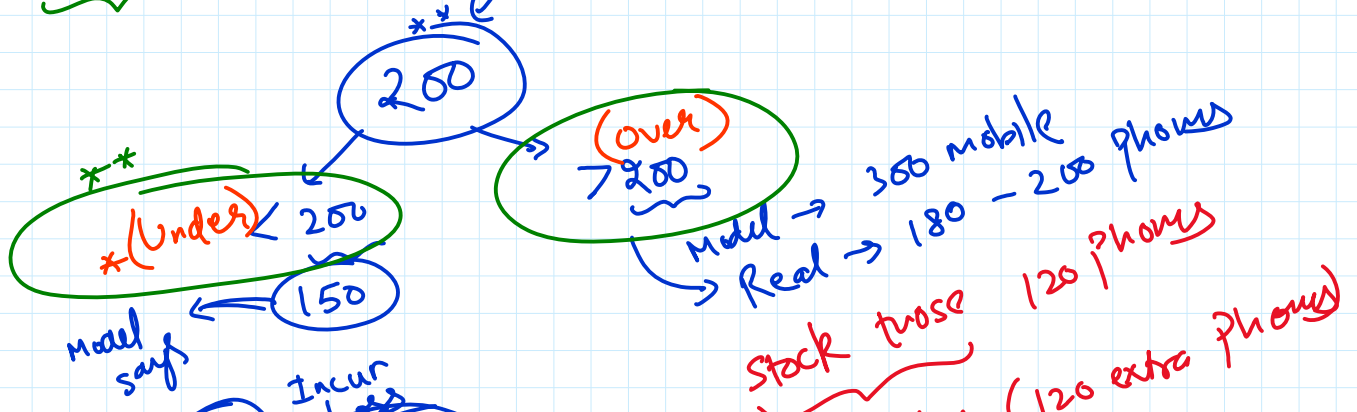
<https://chat.whatsapp.com/JvnoQ9yFj7NBHntNzGKUZX>

Mobiplus ← DS

forecast their future sales

March → April → May
100 units

(Better Forecast)



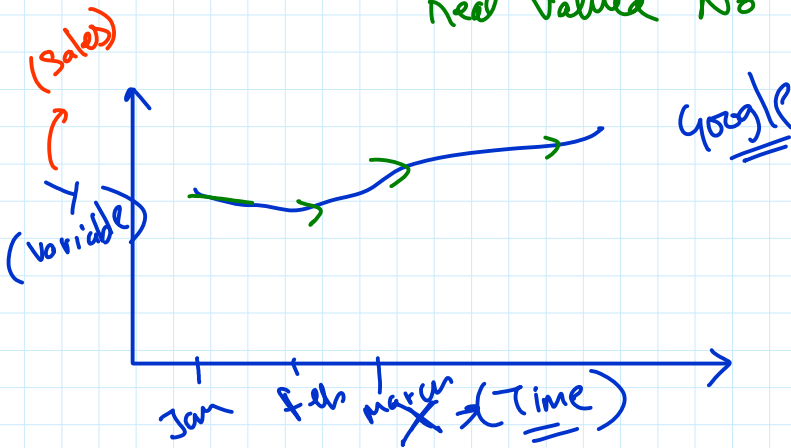
model says -
 Incur Loss
 50 mobile phones

stock pro-
 ⇒ Inventory (120 extra phones)

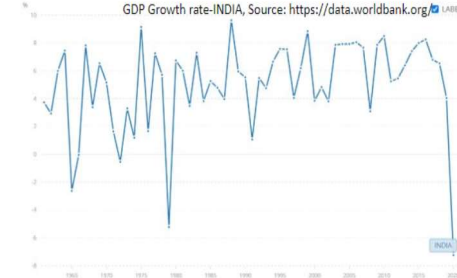
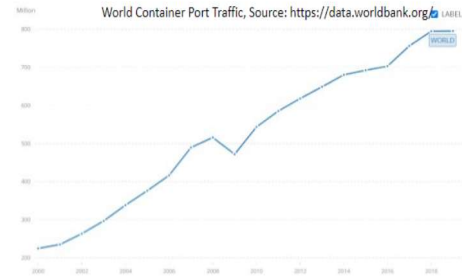
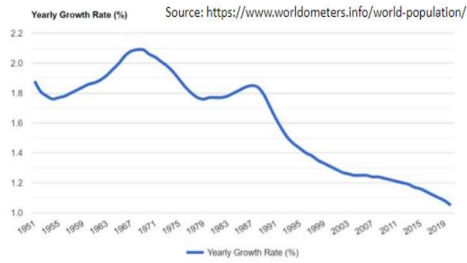
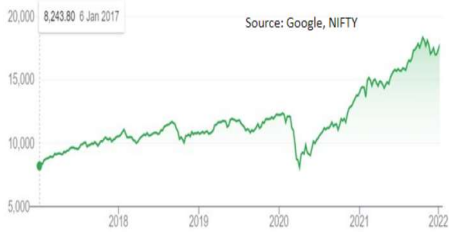
Time Series

Date	Sales
1st Jan	60 \$
1st Feb	70 \$
1st March	80 \$
⋮	
1st Dec	
1st Jan	

Time Series Data ⇒ "Signal" + "ordered Time Stamp"
 Real valued No

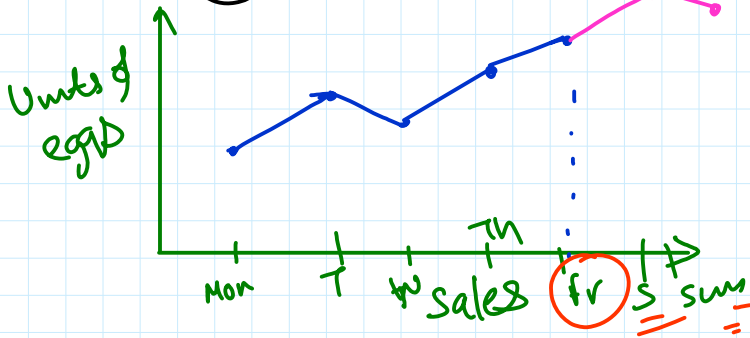


Industry Terminology
 Sales → Data Coverage is low
 milk



Forecasting

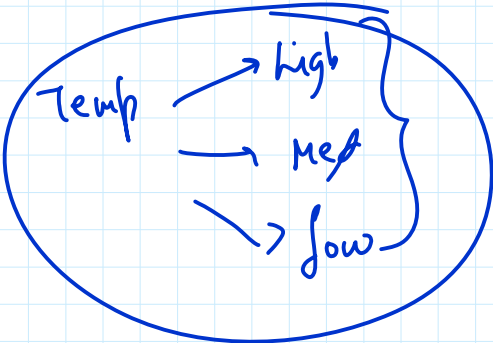
Tell us what the future holds, so we may know that you are gods.

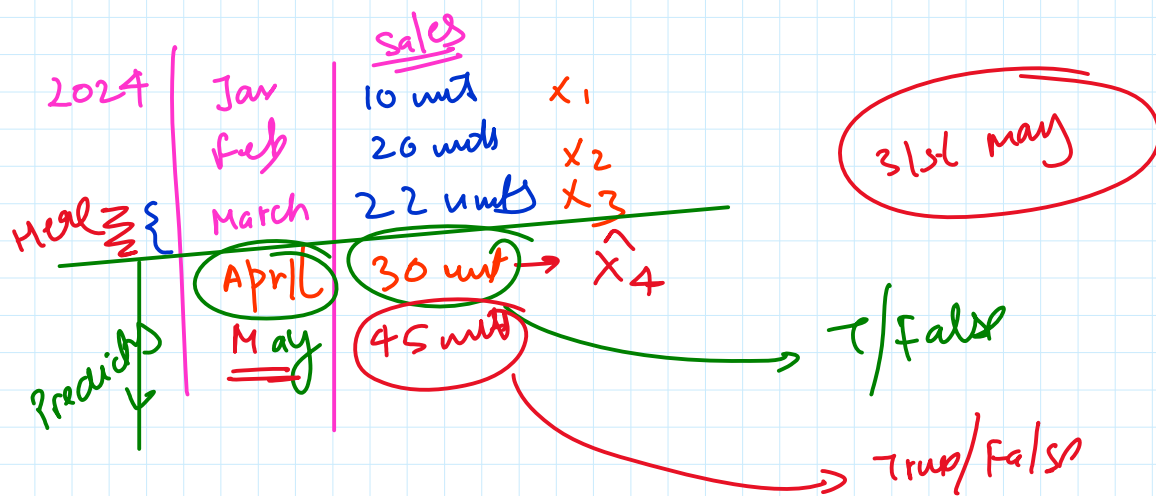
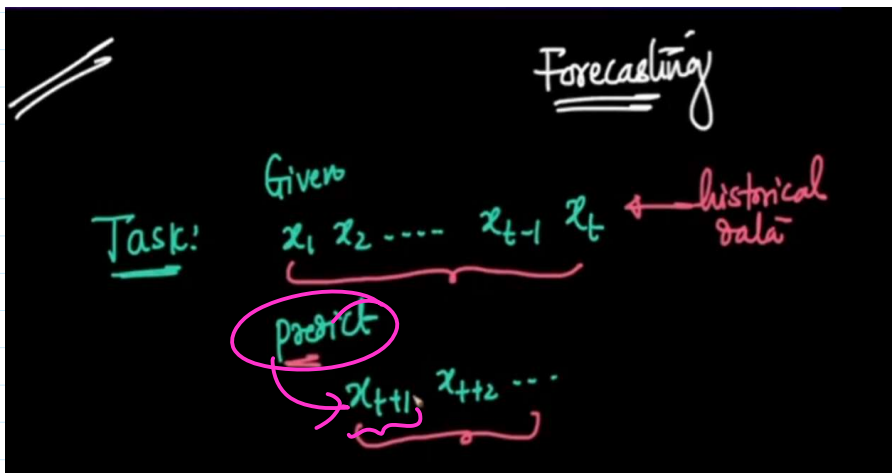


(*) Close to Regression $\rightarrow \in R$

\rightarrow sales
 \rightarrow salary
 \rightarrow House Price

\rightarrow weather
 \rightarrow sales
 \rightarrow

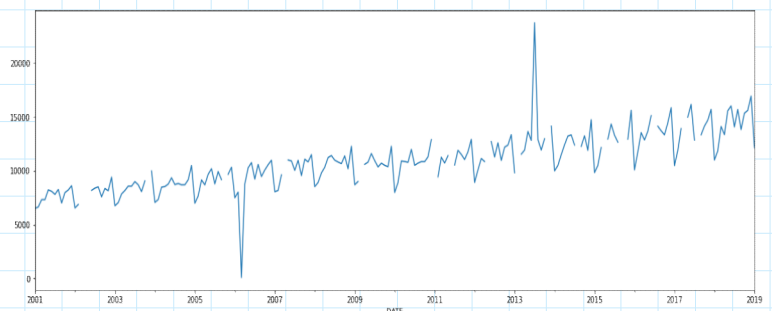




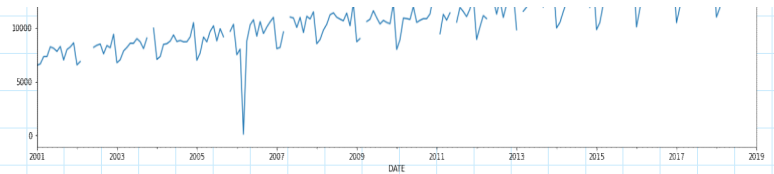
df['sales'].plot()

Problems

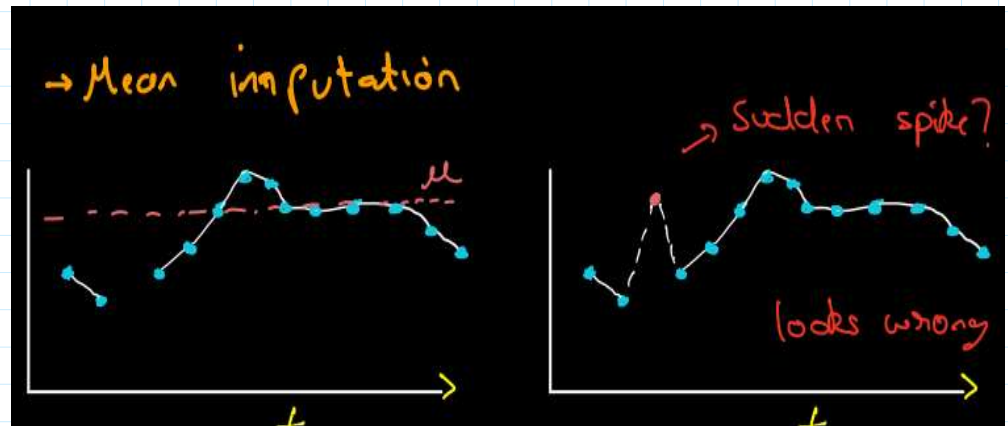
- Missing values
- Anomaly



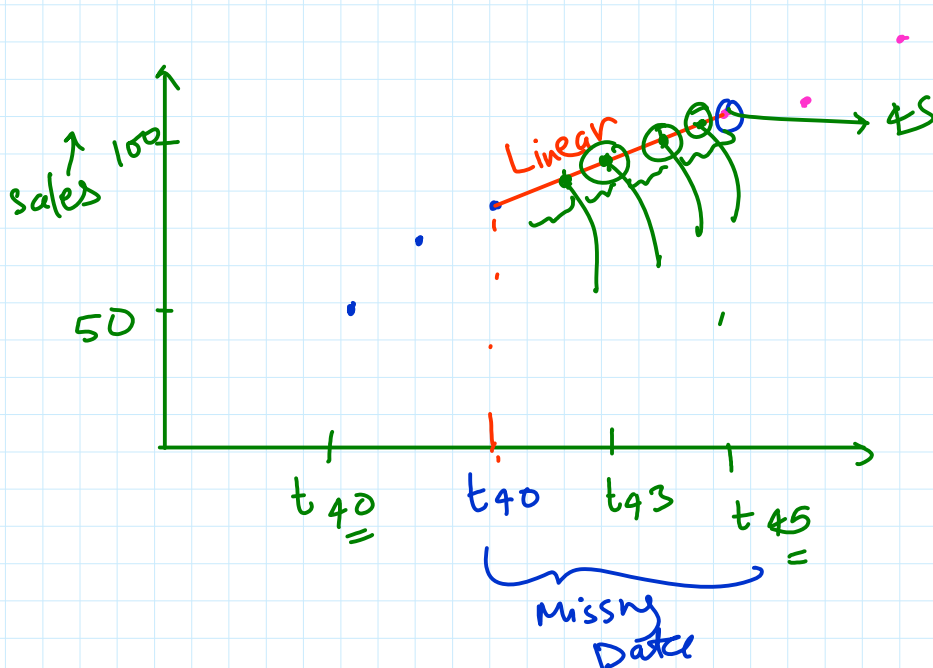
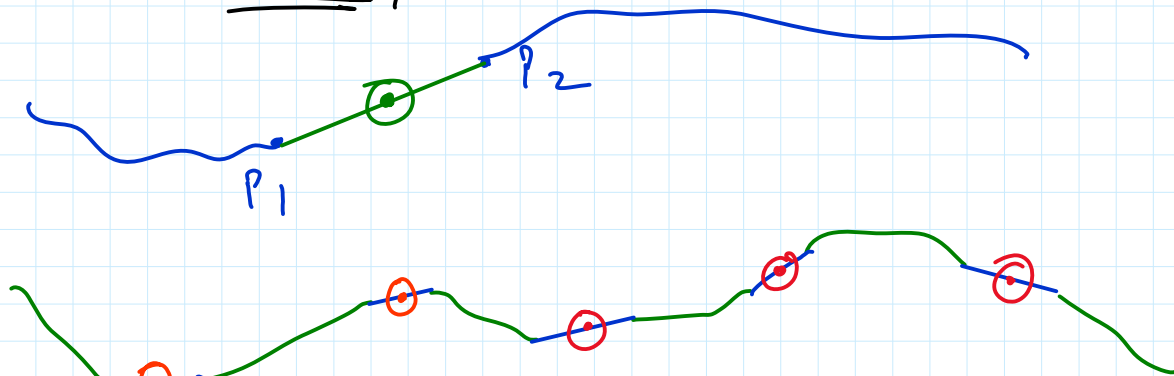
Problems → Missing values
→ Anomaly



Mean Imputation

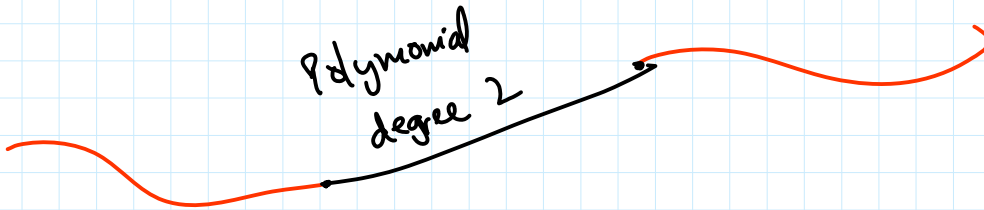


III Linear Interpolation

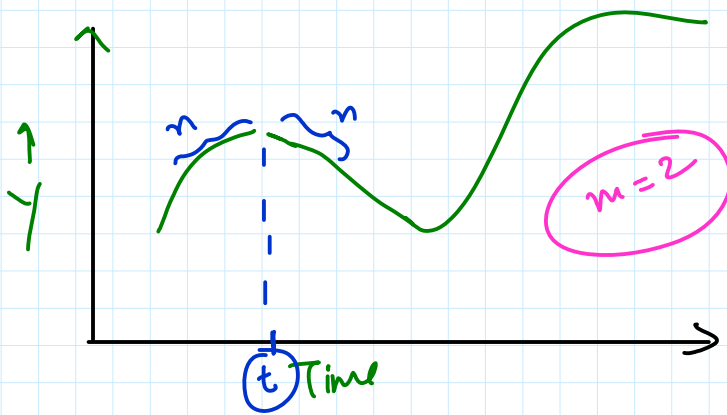


40
41
42
43
44 } missing
45

Missing Data



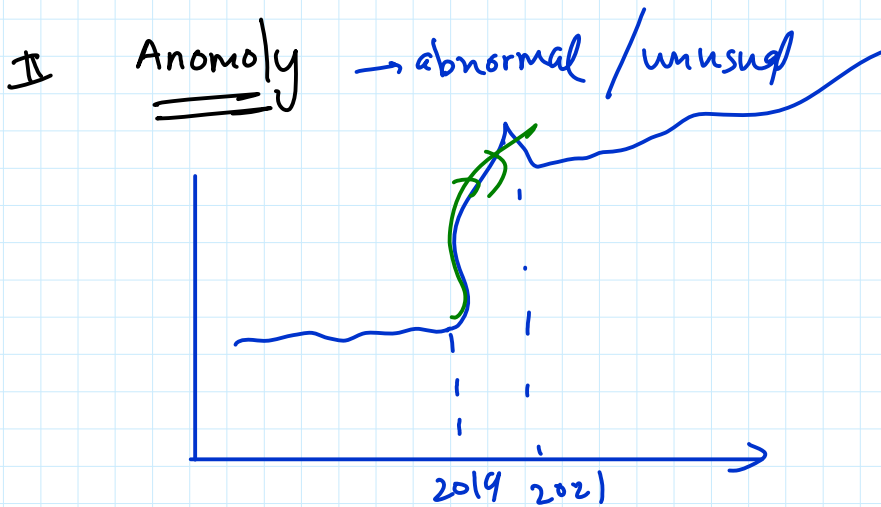
Extend this Idea



sales
20
25
28
mean
30
31
33
35

$$x_t = \frac{x_{t-1} + x_{t+1}}{2}$$

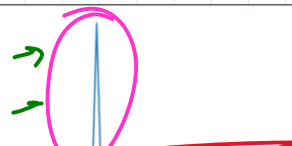
Centered Moving Average

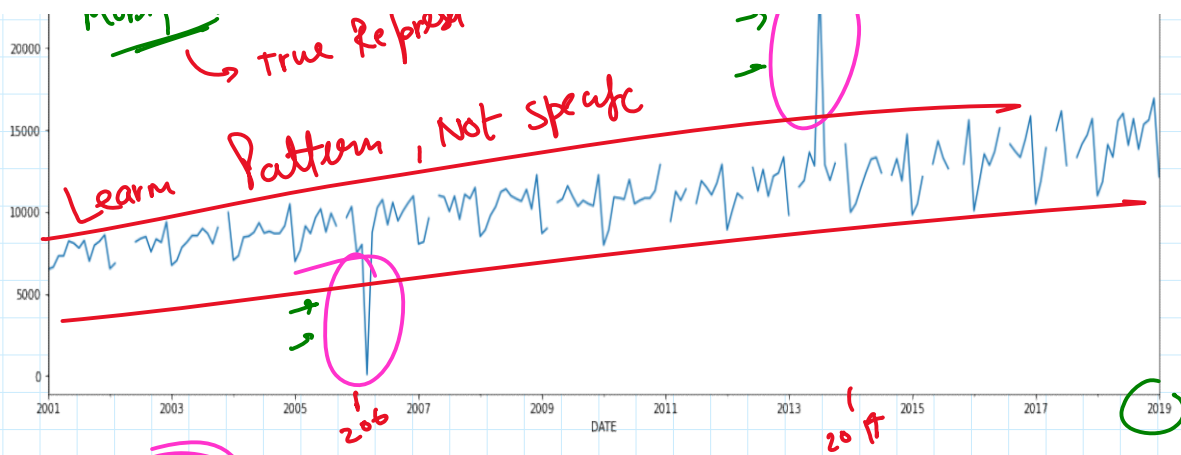


Mobility

True Represent

create

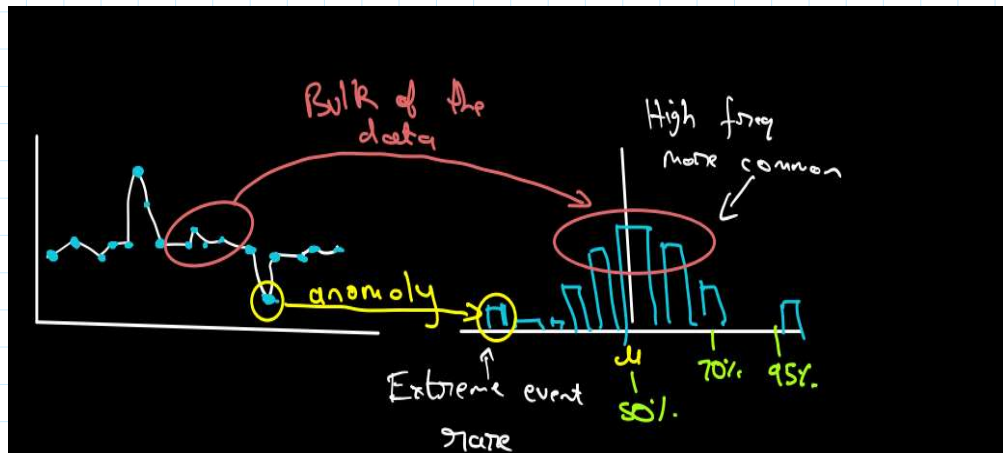




2023

① NaN

② clip



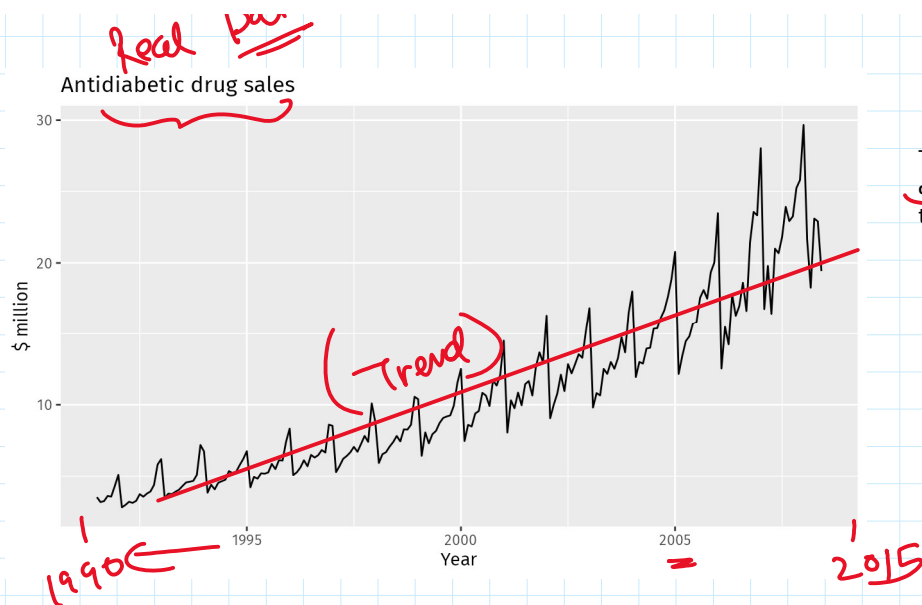
clip \rightarrow 10 - 30 \rightarrow lower
upper \leftarrow

<u>Sales</u>	<u>After clip</u>
3	\rightarrow 10
11	\rightarrow 11
20	\rightarrow 20
25	\rightarrow 25
33	\rightarrow 30
39	\rightarrow 30

22 : 25 \rightarrow

Real Data

Antidiabetic drug sales

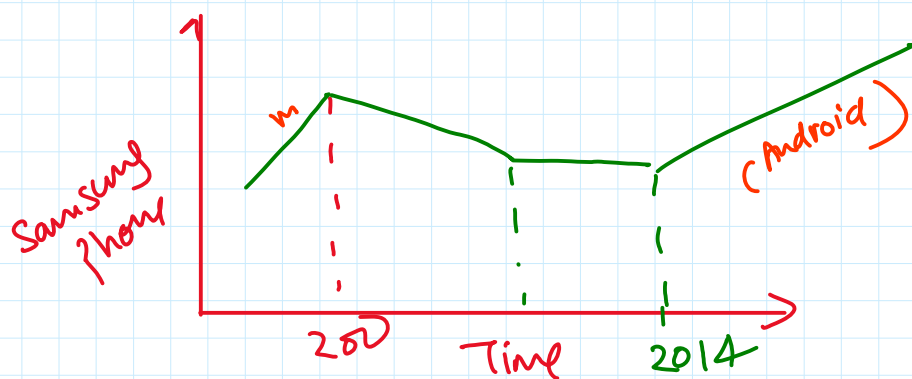


Trend can be thought of as the linear increasing or decreasing behavior of the series over a long period of time.



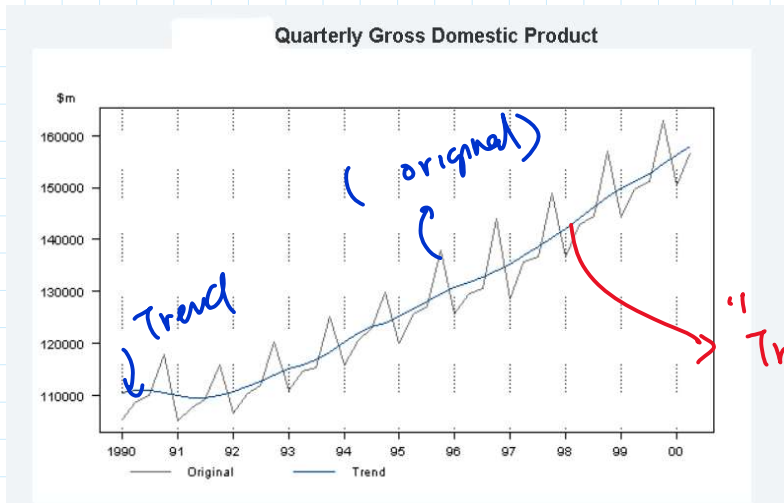
Trend →

Trend can be thought of as the linear increasing or decreasing behavior of the series over a long period of time.



(Time < 2000 → ↑ Trend)

Time → < 2014 → changes



Qualitatively

→ mostly linear

→ smooth Predictable fn

"Trend Line" $\Rightarrow (y = mx + c)$
(type)
→ this (mostly)

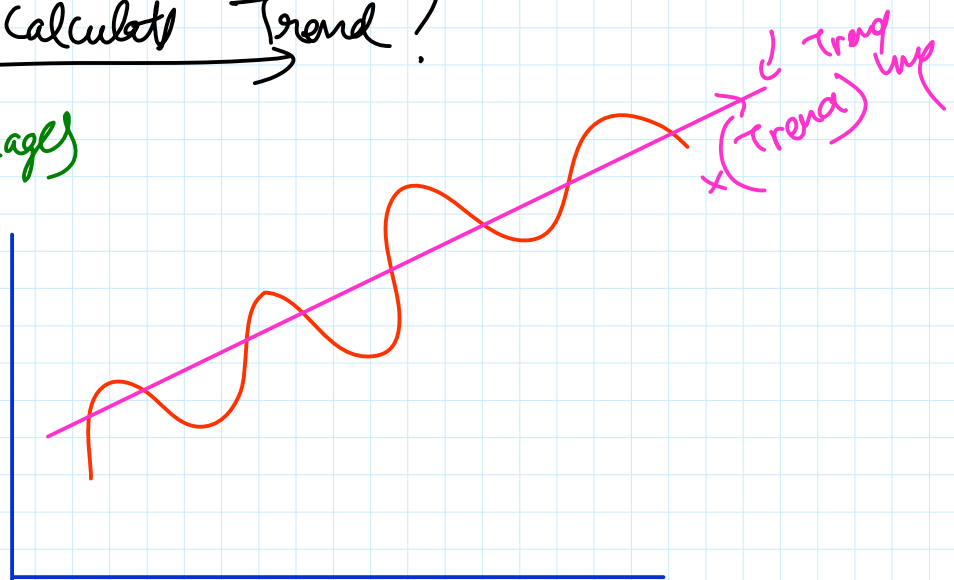
* Polynomial ($y = mx^2 + cx + d$)

How To Calculate Trend?

Rolling Averages

Saves

pd. rolling

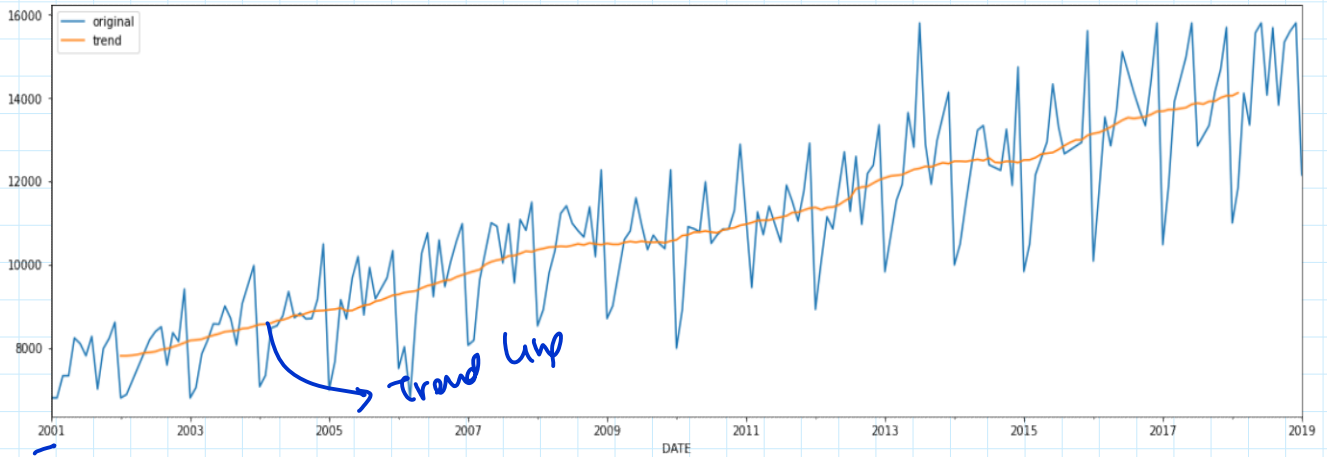


<u>Sales</u>	<u>Rolling Average</u> (window size = 2)
20	→
25	→
30	→ $(25 + 30) / 2 =$
32	→ $(32 + 30) / 2$
34	→ $(34 + 32) / 2$
38	
40	
45	

40
45

window size = 24 = (2 year)

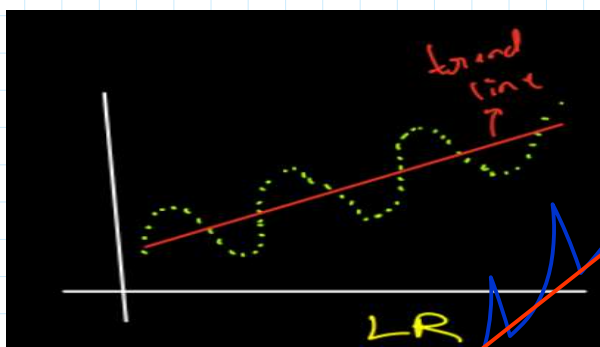
```
mobile_sales.Sales.plot(label='original')
mobile_sales.Sales.rolling(24, center=True).mean().plot(label='trend')
plt.legend()
```



2002

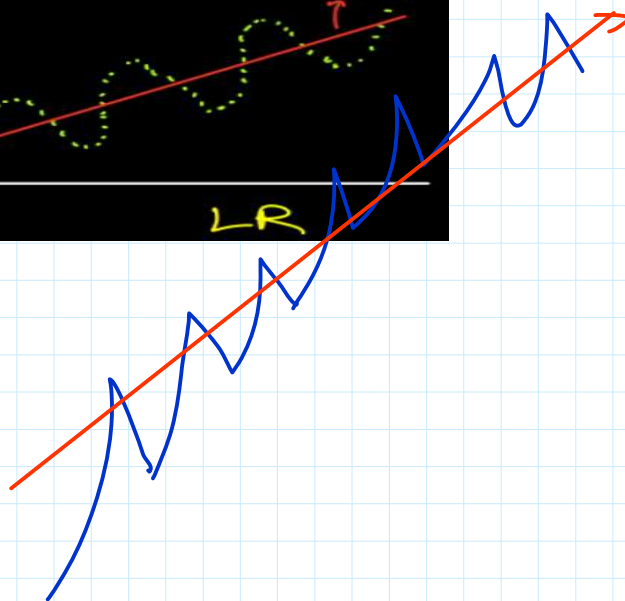
(MI)
(#) → MA of long window size (24 months)

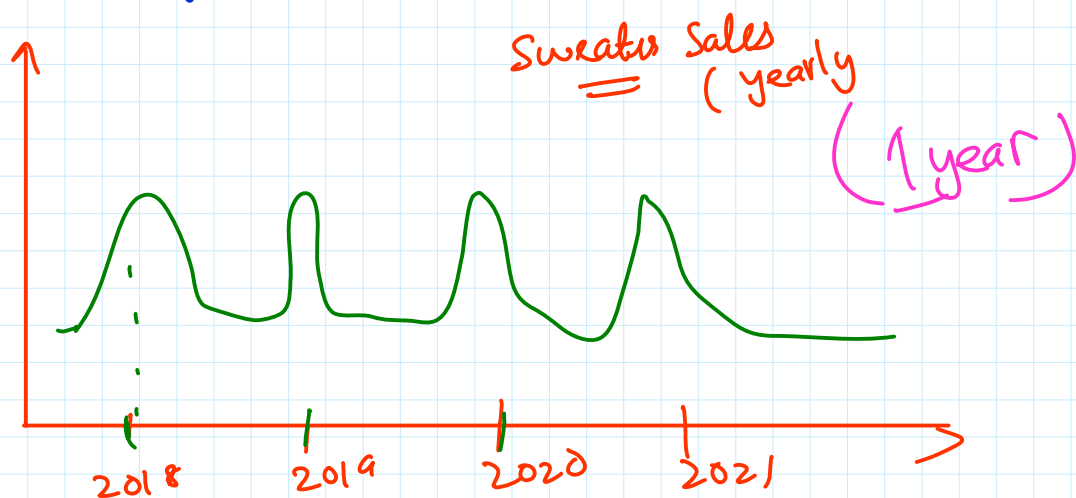
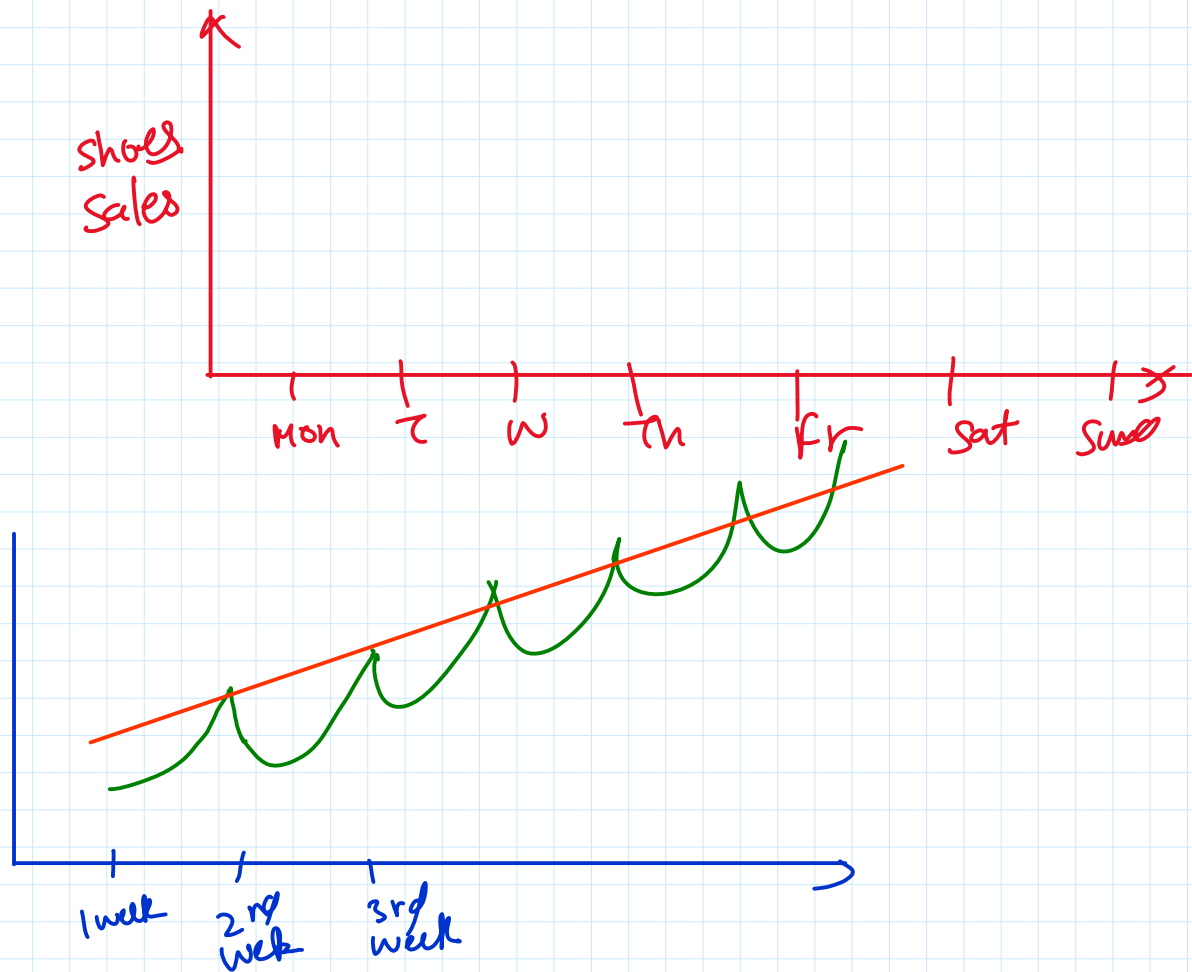
Second Method → (Hint: Regression)



Seasonality

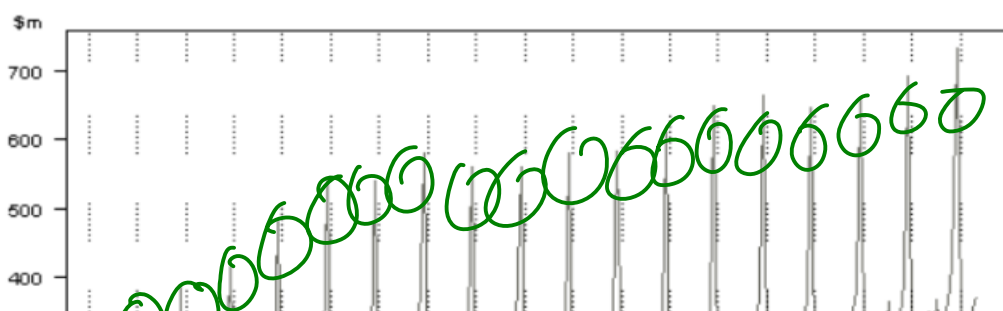
(Qtr)
(1 year)

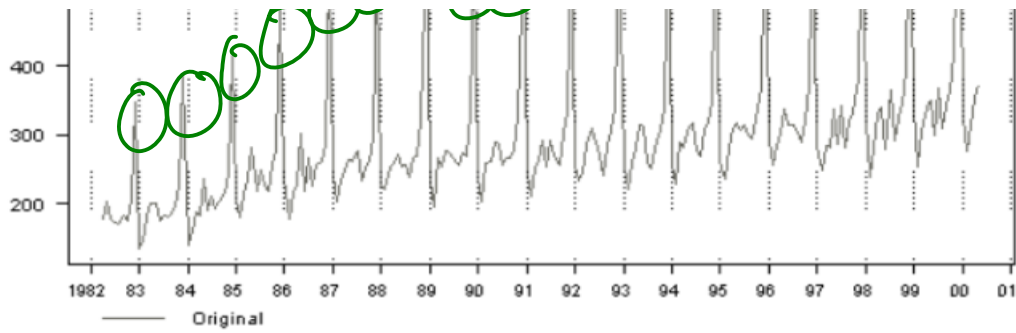




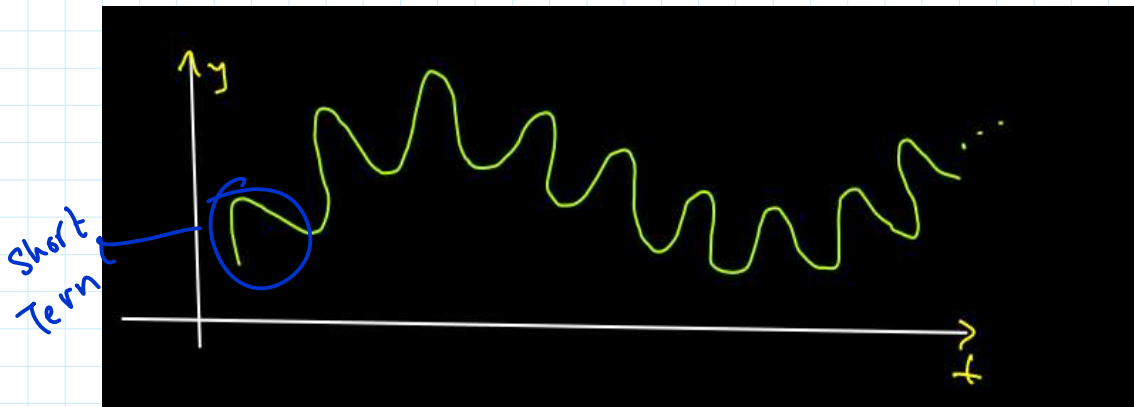
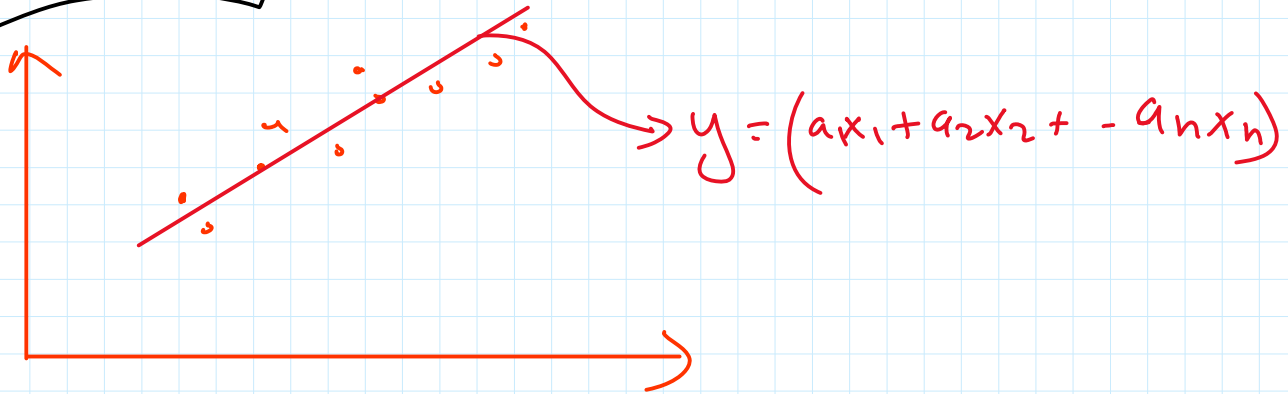
Relian Fresh / Walmart / Target

Monthly Retail Sales in New South Wales (NSW) Retail Department Stores





$$y(t) = \text{trend} + \text{Seasonality} + \epsilon$$

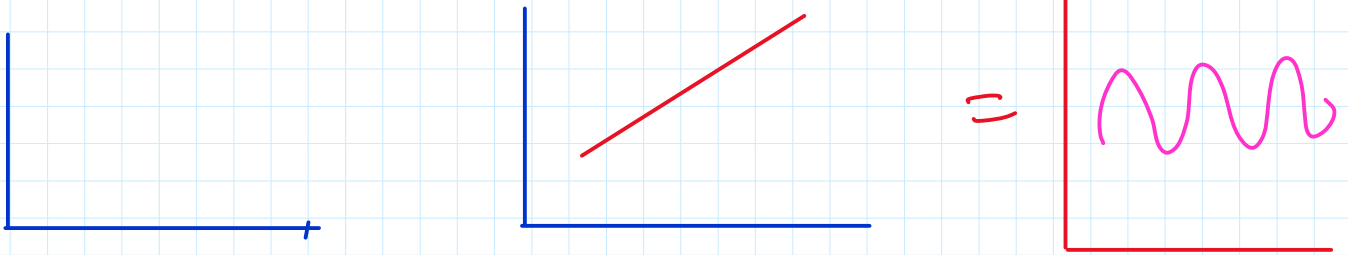


Retail \rightarrow short Term \rightarrow
 Long Term \rightarrow (12 months)

$$Y(t) = \text{Trend} + \text{Seasonality} + \epsilon$$

~

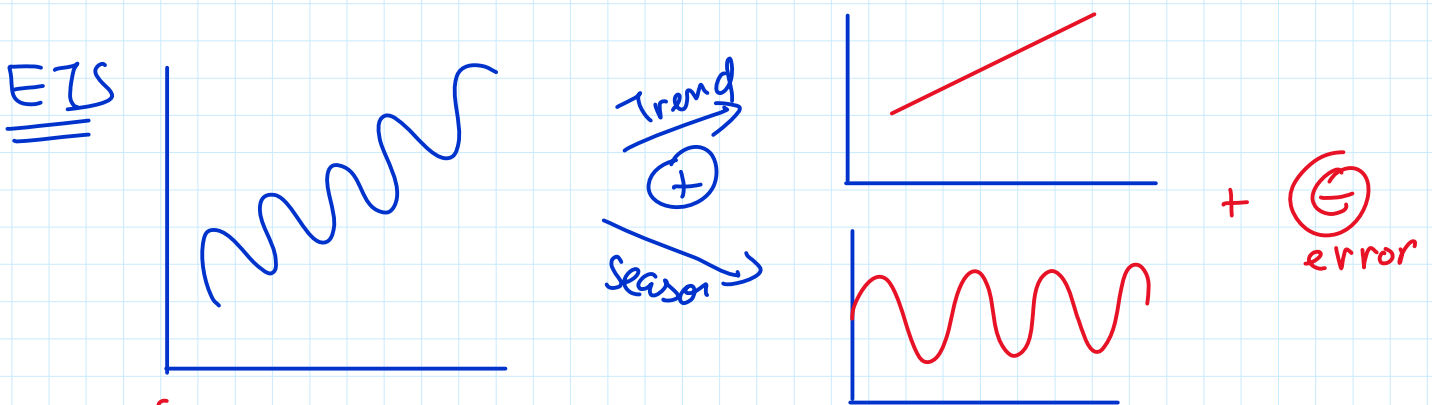
Long window
MA or
Linear Reg



Uniform Distroⁿ → No of children born each month

Time Series Decomposition (ETS decomp)

error trend seasonality



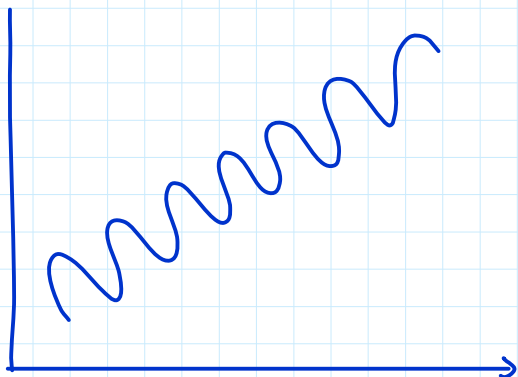
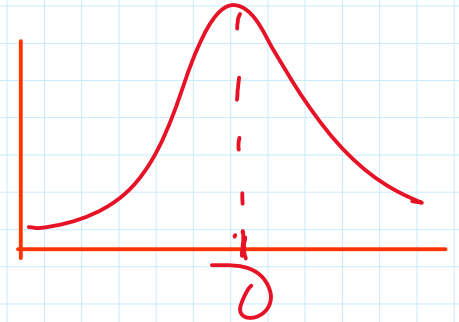
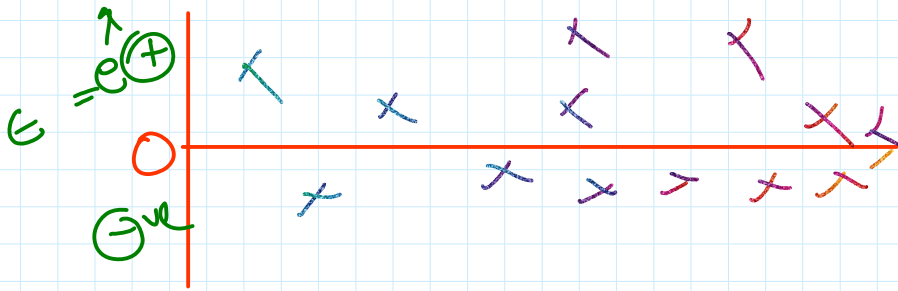
$$\{y(t) = b(t) + s(t) + e(t)\}$$

trend
seasonality
error

Regression $\Rightarrow y(t) = w_0 + w_1 x_1 + w_2 x_2 + \dots + w_d x_d + \epsilon_i$

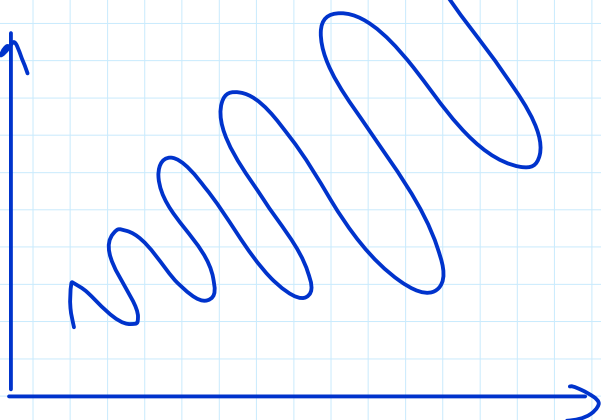
ϵ_i

$y(t) - \underline{b(t)} - \underline{s(t)} = \underline{\epsilon}$
(Residual)



*(Additive Seasonality)

$$y(t) = \underline{b(t)} + \underline{s(t)} + \epsilon$$



*(Multiplicative Seasonality)

$$\{ \underline{y(t)} = \underline{b(t)} * \underline{s(t)} * \underline{e(t)} \}$$

$$e(t) = \frac{y(t)}{b(t) \cdot s(t)}$$

$$y(t) = b(t) * s(t) * e(t)$$

$$\log \underline{y(t)} = \log(\underline{b(t)}) + \log(\underline{s(t)}) + \log(e(t))$$

$$\log \underline{y(t)} = \log(\underline{b(t)}) + \log(\underline{s(t)}) + \log(\underline{e(t)})$$

