

CRYPTOGRAPHY CONCEPTS

CIA - 2

Team :

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GitHub Repository :

<https://github.com/teju codes10/Crypto-Concepts-CIA2>

Algorithm Implementation :

Diffie - Hellman Algorithm

Code :

Attached in the zip file as well as in the github repository

Algorithm :

The Diffie-Hellman algorithm is being used to establish a shared secret that can be used for secret communications while exchanging data over a public network using the elliptic curve to generate points and get the secret key using the parameters.

1. Initialise the prime number `P` and primitive root `G`.
2. Alice chooses a private key `a`.
3. Bob chooses a private key `b`.
4. Alice calculates her public key `x` using the formula:
$$x = G^a \bmod P$$
5. Bob calculates his public key `y` using the formula:
$$y = G^b \bmod P$$
6. Alice and Bob exchange their public keys `x` and `y`.

7. Alice calculates the secret key `ka` using Bob's public key `y` and her private key `a` using the formula:

$$ka = y^a \bmod P.$$

8. Bob calculates the secret key `kb` using Alice's public key `x` and his private key `b` using the formula:

$$kb = x^b \bmod P.$$

9. Both Alice and Bob now have the same secret key `ka` and `kb`, which they can use for secure communication.

10. If `ka` is equal to `kb`, the Diffie-Hellman Key Exchange is successful.

Example:

Step 1: Alice and Bob get public numbers $P = 23$, $G = 9$

Step 2: Alice selected a private key $a = 4$ and Bob selected a private key $b = 3$

Step 3: Alice and Bob compute public values

Alice: $x = (9^4 \bmod 23) = (6561 \bmod 23) = 6$

Bob: $y = (9^3 \bmod 23) = (729 \bmod 23) = 16$

Step 4: Alice and Bob exchange public numbers

Step 5: Alice receives public key $y = 16$ and Bob receives public key $x = 6$

Step 6: Alice and Bob compute symmetric keys

Alice: $ka = y^a \bmod p = 65536 \bmod 23 = 9$

Bob: $kb = x^b \bmod p = 216 \bmod 23 = 9$

Step 7: 9 is the shared secret.

