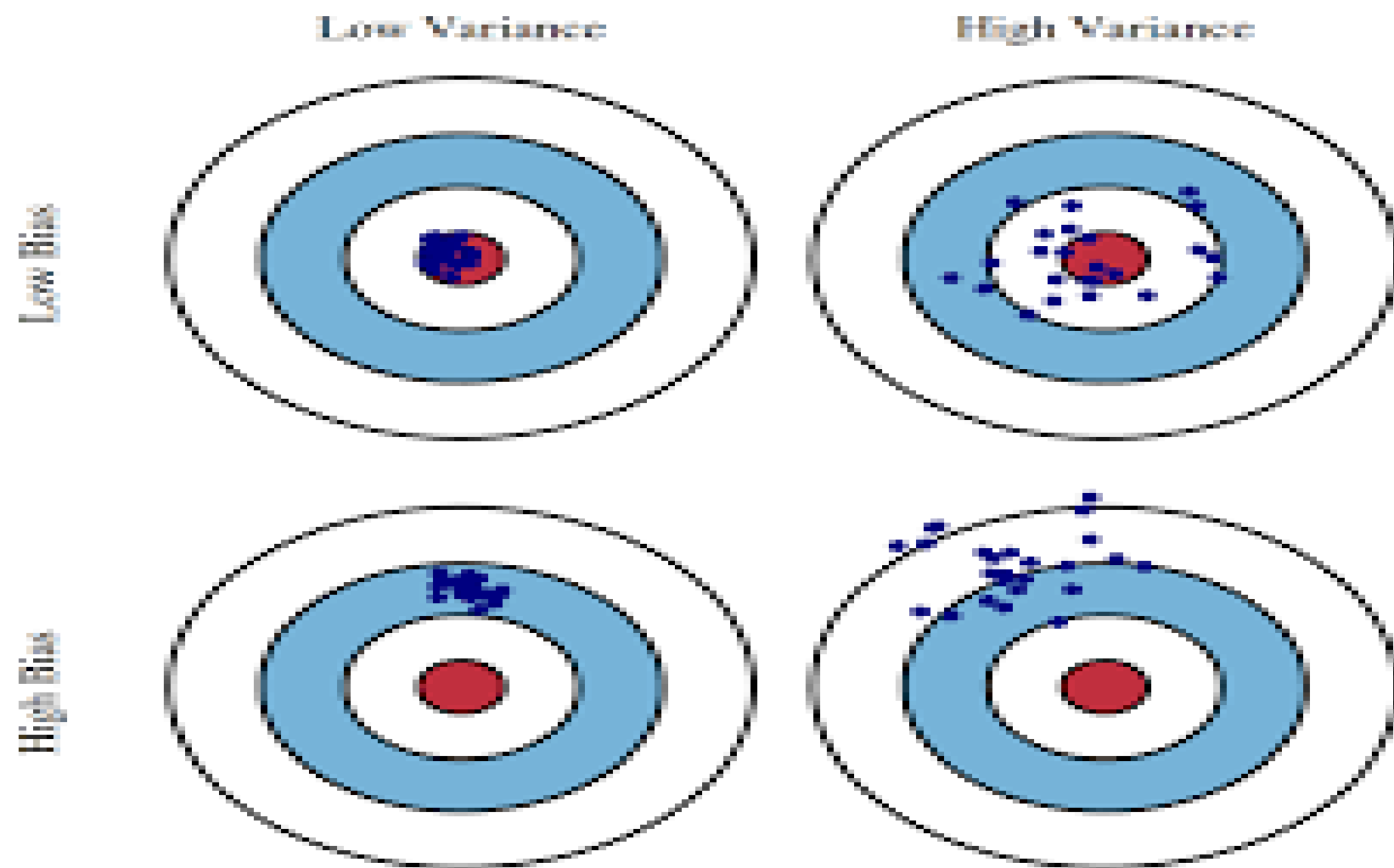


# **AGENDA – DAY 3 – 22-NOV-2025 (SAT)**

- **REACP – DAY 2 + DOUBT CLEARING – MAX 10 MINUTES**
- **DAY 3**
  - **Supervised Learning – Regression (Contd...)**
  - **Non-linear Regression**
    - **Polynomial Regression**
  - **Model Performance Metrics**
  - **Regularisation**
    - **Lasso, Ridge, Elastic-Net**
  - **Model Optimisation**
  - **Hands-On Demo**
- **Q & A**
- **SUMMARY, HEADS-UP FOR DAY 4 & CLOSURE**

## **REACP – DAY 2 + DOUBT CLEARING – MAX 10 MINUTES**

- Difference between Correlation and Regression
- Parameter and hyperparameter
- Data type and regression model
- SSR, SSE, SST
- Regression model applicability based on data
- Explained & unexplained variance
- Concept of what is linear in linear equation.
- Slope, Intercept, Hypothesis
- Hidden variables



SOURCE : INTERNET

## POLYNOMIAL REGRESSION:

↳ EXT OF LIN REGRN →  $x$  &  $y$  MODELLED  
AS  $n^{\text{TH}}$  DEGREE POLYNOMIAL.

REGULARIZATION.

$$SS_{EN}^E = \sum_1 (y - \hat{y})^2 + \lambda \left[ (1 - \alpha) \sum_1 \beta^2 + \alpha \sum_1 |\beta| \right] \sum_1 (y - \hat{y})^2$$

ELASTIC NET.

CON  $\alpha \rightarrow \alpha = 0$ .

$\rightarrow \alpha \rightarrow 1 - 100$

ACT  $\gamma$  PRE  $\gamma$

$$= \sum_1 (y - \hat{y})^2 + \lambda \left[ (1 - 0) \sum_1 \beta^2 + 0 * \sum_1 |\beta| \right]$$

0

$$SS_{RIDGE}^E = \sum_1 (y - \hat{y})^2 + \lambda \sum_1 \beta^2 \rightarrow L_2 \text{ PENALTY}$$

CON  $\alpha \rightarrow$  PUT  $\alpha = 1$

$$SS_{LASSO}^E = \sum_1 (y - \hat{y})^2 + \lambda \left[ 0 \sum_1 \beta^2 + 1 \sum_1 |\beta| \right]$$

$\rightarrow L_1 \text{ PENALTY}$

✓ 1 ELASTIC NET REGN  
↳ COMBINATION/MIX OF RIDGE & LASSO

✓ 2) RIDGE REGN: SHRINK CO-EF TO NON-ZERO  
TO PREVENT OVERFIT.  
\* → RETAINS ALL VARIABLES.

✓ 3) LASSO REGN: SHRINK REG CO-EF  
WITH SOME CO-EF SHRUNK TO 0.  
→ FEATURE SELECTION.

$$\begin{array}{l} \beta_1 \neq 0 \\ \beta_2 \neq 0 \\ \beta_3 = 0 \end{array} \checkmark$$

OF  $y = f(x)$

$$y = \beta_0 + \underbrace{\beta_1 x_1}_{\beta_1 = 0} + \beta_2 x_2 + \underbrace{\beta_3 x_3}_{\beta_3 = 0} + \underbrace{\beta_4 x_4}_{\beta_4 = 0} + C$$