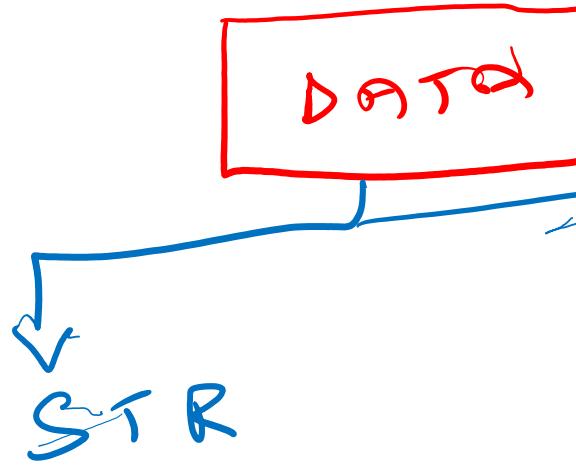
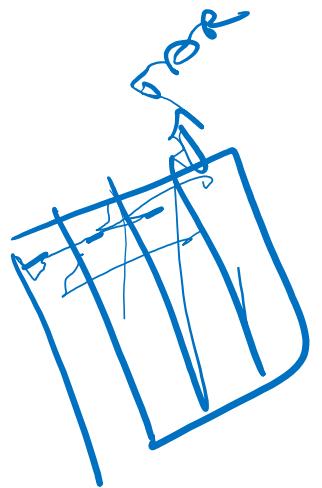


AGENDA – DAY 1 – 10-JAN-2026 (SAT)

- OVERALL INTRODUCTION
 - COURSE PROGRAM STRUCTURE, INTRODUCTION
 - LEARNING PATH ETC
 - INTRODUCTION TO DL
 - AI
 - HISTORY
 - WHAT IS DL?, VARIANTS OF DL ...
 - HOW IS IT DIFFERENT FROM MACHINE LEARNING
 - USE CASES
 - PRE-REQUISITES – VIDEOS ON LMS; ML TECHNIQUES, PYTHON, MATHS & STATISTICS FOUNDATION, Curiosity, LOADS OF PATIENCE;
 - LMS WALKTHROUGH – VIDEOS, ARTEFACTS, LAB ENVIRONMENT
 - DL LIBRARIES
 - TECHNOLOGY STACK – PYTHON, JUPYTER NOTEBOOK
 - ENVIRONMENT - SIMPLILEARN LAB, LOCAL ENVIRONMENT, GOOGLE COLAB
 - ANN
- KEY TAKEAWAYS
- Q & A
- SUMMARY, HEADS-UP FOR DAY 2 &
- 2 SESSIONS
 - SESSION 1 – 9 AM IST TO 11 AM IST;
 - SESSION 2 – 11.20 AM IST – 01:00 PM IST
 - BREAK FOR 20 MINUTES
 - BEFORE THE BREAK – PARTICIPATE IN THE POLL
- END OF THE SESSION SURVEY, CLOSURE



Images
CNN

UNSTR

UNSTR ~~ONE SIDE ALSO~~
MAN WOMAN SIGNAL
SOMATO SIGNAL
Dissolve
Erobam
RNN & LSTM
Gen

AGE ETI, DÜSSELS

~~SL 108~~

28

<https://medium.com/@ageitgey/machine-learning-is-fun-part-3-deep-learning-and-convolutional-neural-networks-f4035931872>

HOW DOES A MACHINE LEARN AT ALL?

NEURON: GENERAL CONCEPT

- COMPUTATIONAL UNIT
 - TAKES A NUMERIC INPUT
 - MULTIPLIES THEM BY WEIGHTS (SYNOPTIC WEIGHTS)
 - ADDS A BIAS
 - PRODUCES THE NUMERICAL OUTPUT
- Score = $w_1x_1 + w_2x_2 + \dots + b$ (weighted sum + bias)

PERCEPTRON:

- SPECIFIC TYPE OF NEURON
- USED FOR BINARY CLASSIFICATION
- WITH A HARD DECISION RULE

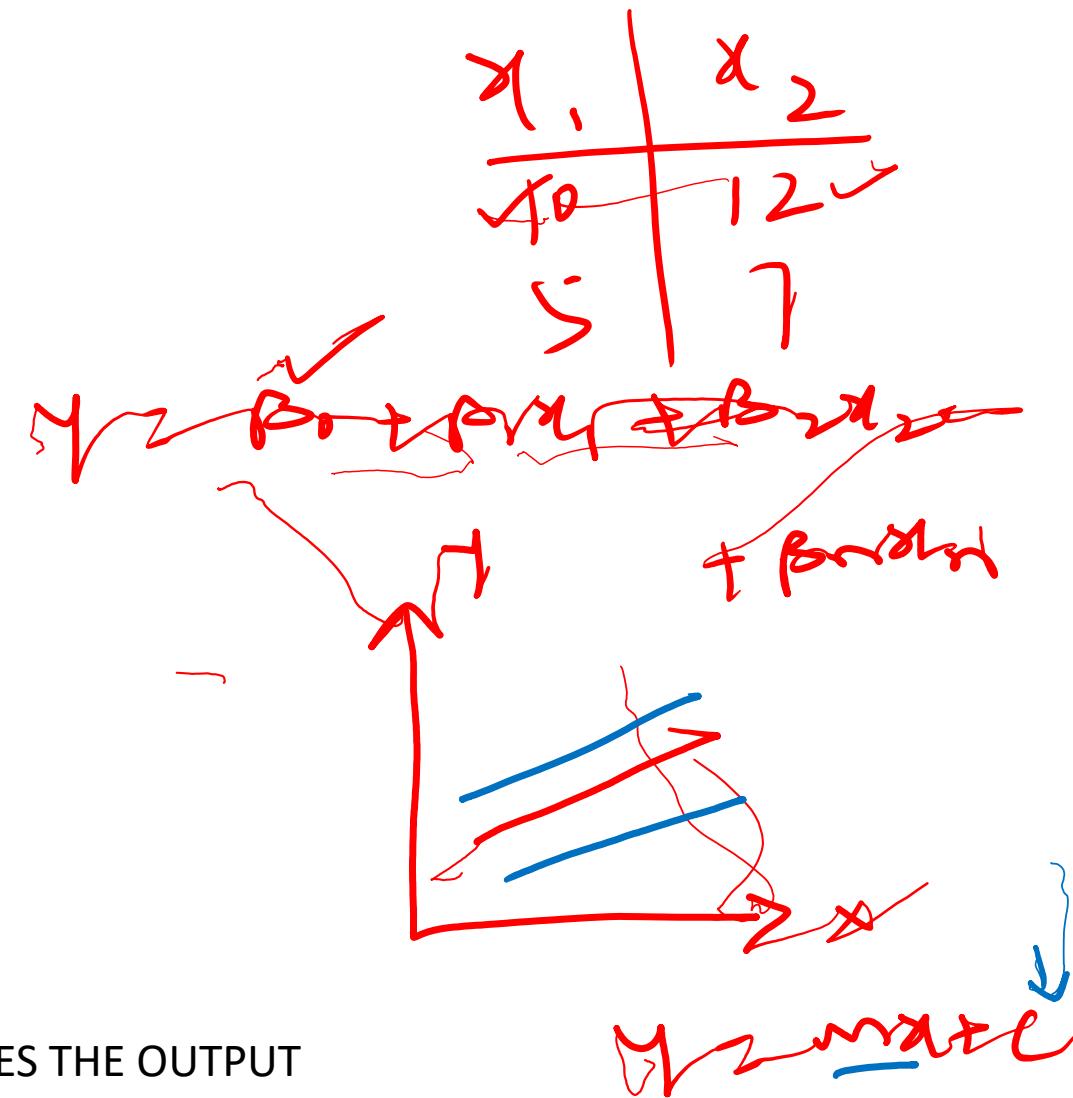
INPUT:

A NUMERIC FEATURE REPRESENTED AS x_1, x_2, x_3, \dots

WEIGHT:

A NUMBER THAT CONTROLS HOW STRONGLY AN INPUT INFLUENCES THE OUTPUT

BIAS: A CONSTANT ADDED TO THE WEIGHTED SUM
SHIFTS THE DECISION BOUNDARY



LOSS FUNCTION:

A LF MEASURES HOW WRONG A PREDICTION IS

CORRECT PREDICTION → **LOW LOSS**

WRONG PREDICTION → **HIGH LOSS**

COST FUNCTION:

AVERAGE LOSS ACROSS MANY EXAMPLES OR CUSTOMERS

GRADIENT DESCENT:

THRESHOLD:

IT IS A CUTOFF VALUE THAT IS USED TO CONVERT A SCORE INTO A PREDICTION (DECISION)

Score \geq TH \rightarrow CLASS \rightarrow 1

Score < TH \rightarrow CLASS \rightarrow 0

ACTIVATION FUNCTION:

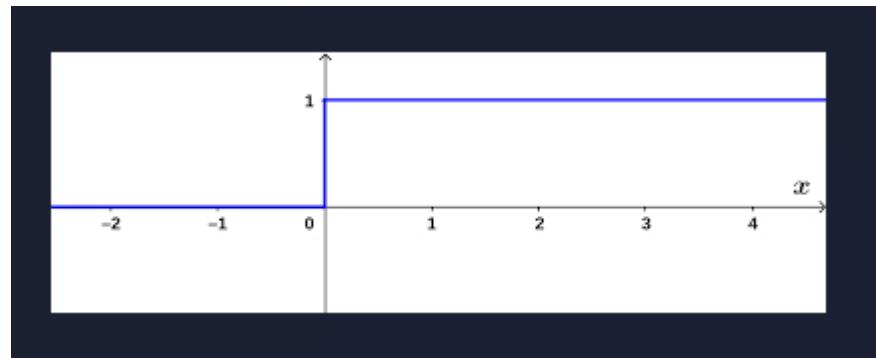
THIS TRANSFORMS THE SCORE INTO AN OUTPUT

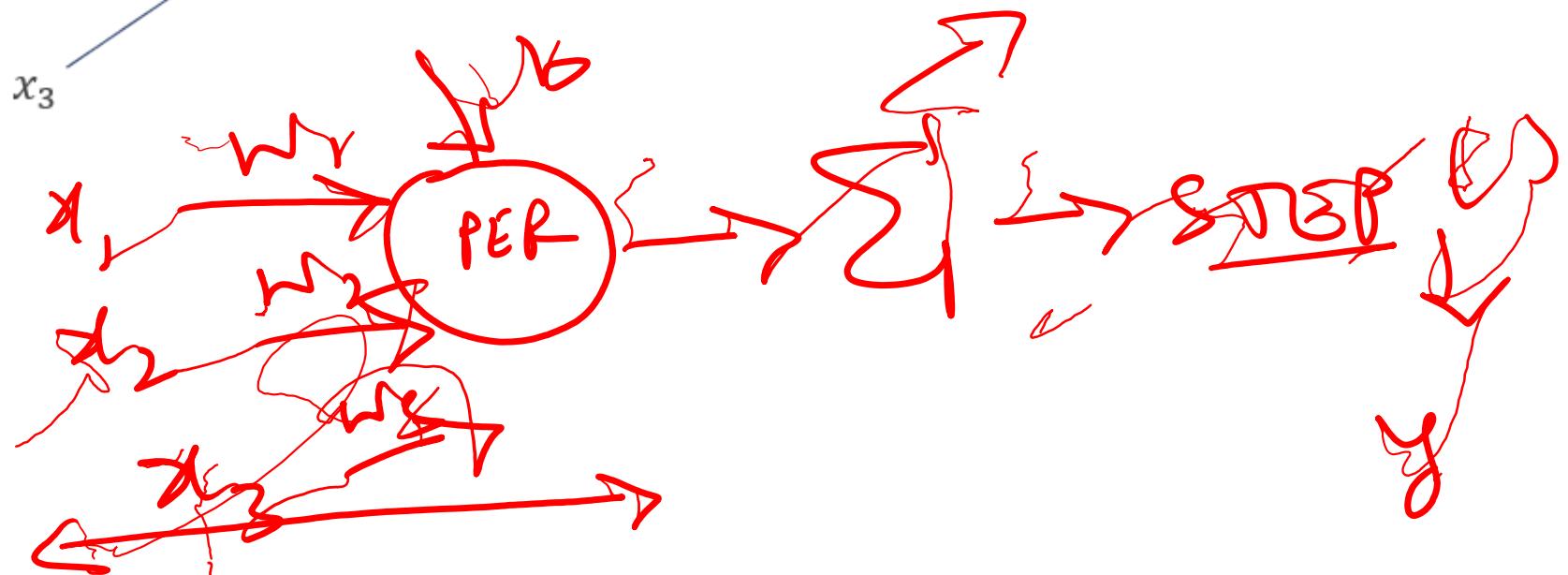
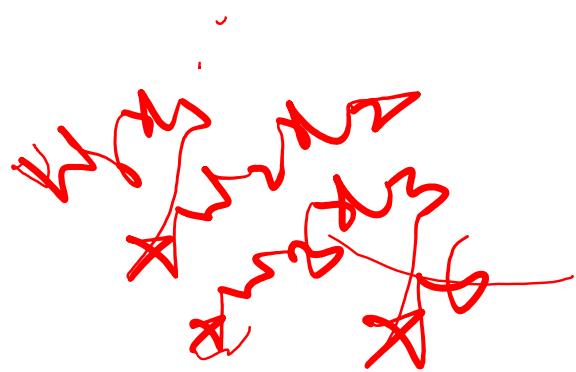
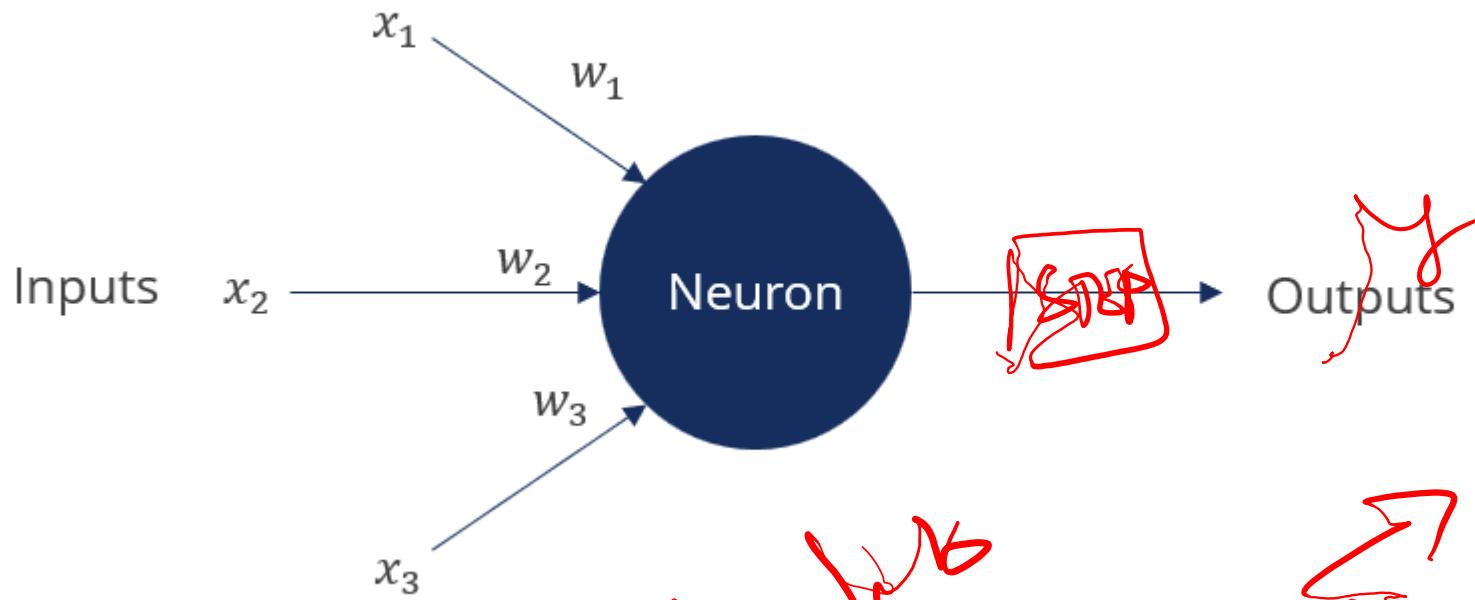
Step(z) = 1 if $z \geq 0$

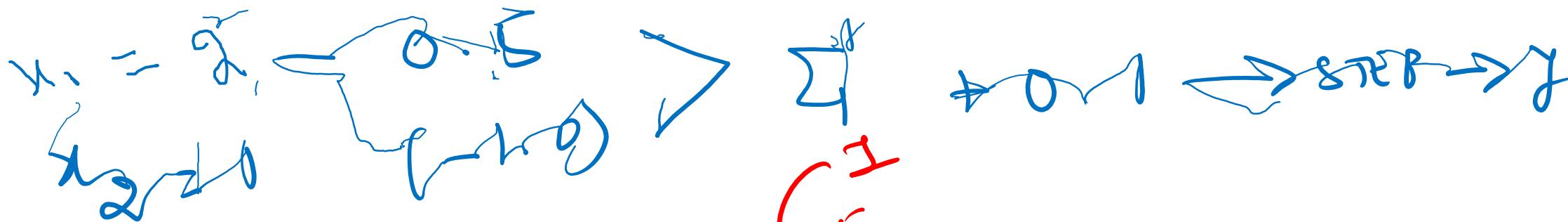
0 Otherwise

Perceptron equation

$$f(x) = \begin{cases} 1 & \text{if } w \cdot x + b > 0, \\ 0 & \text{Otherwise} \end{cases}$$







$$x_1 = 2 \quad w_1 = 0.5$$

$$x_2 = 1 \quad w_2 = -1.0$$

$$B = 0.1$$

$$\text{Score} = z = ((2 * 0.5) + (1 * -1.0)) + 0.1$$

$$\text{Score} = 0.1 \quad \checkmark$$

$\checkmark \text{Step}(z) = \text{step}(0.1) = 1 \text{ (ORANGE)}$

$$z = 0.1$$

$$f(z) = \frac{1}{1 + e^{-z}}$$

$$f(0.1) = \frac{1}{1 + e^{-0.1}}$$

$$\text{SF} = \frac{1}{1 + e^{-z}}$$

$$= \frac{1}{1 + e^{-0.1}} =$$

✓
✓
✓

x (KMS)	y (MILES)
0	0
80	50
100	62 ✓

gUESSWORK

$$E = A - \text{PRED}$$

$$= 62 - 50$$

$E = 12$

$1.61^m = 1^n$

$y = w x$

$m = w * \text{KMS}$

$$62 = \underline{w} \cdot (0.62) * 100$$

$w = 0.5$

$m = 0.5 * 100$

$m = 50$

\rightarrow

TRY $\rightarrow (w + \Delta w) * \text{KMS}$

$m = (w + \underline{\Delta w}) * \text{KMS}$

$$\text{BREED} \leftarrow \hat{y} = W \cdot x \rightarrow \langle 1 \rangle$$

$$\hat{y} = (W + \partial W) x$$

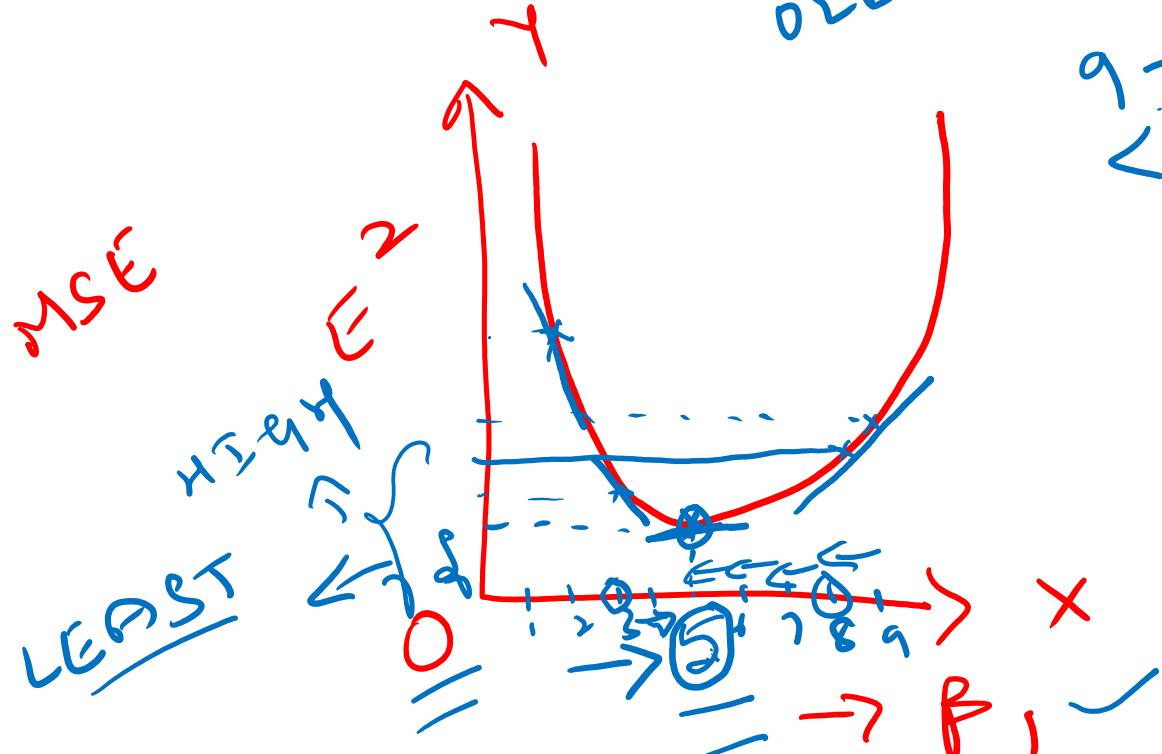
$$y = W \cdot x + \frac{\partial W \cdot x}{\partial W}$$

$$\partial W \cdot x = y - \hat{y}$$

$$\partial W = \frac{y - \hat{y}}{x} = \frac{12}{100} = 0.12$$

$$W + \partial W = 0.5 + 0.12$$

$$= 0.62$$



$$NEW \beta_1 = OLD \beta_1 - \frac{(-\nabla)}{\nabla}$$

$$NEW \beta_1 = 9 - (-1) = \frac{9+1}{2} = 5$$

$y = \beta_0 + \beta_1 x_1 + \epsilon$

$y = b + w_i x_i$

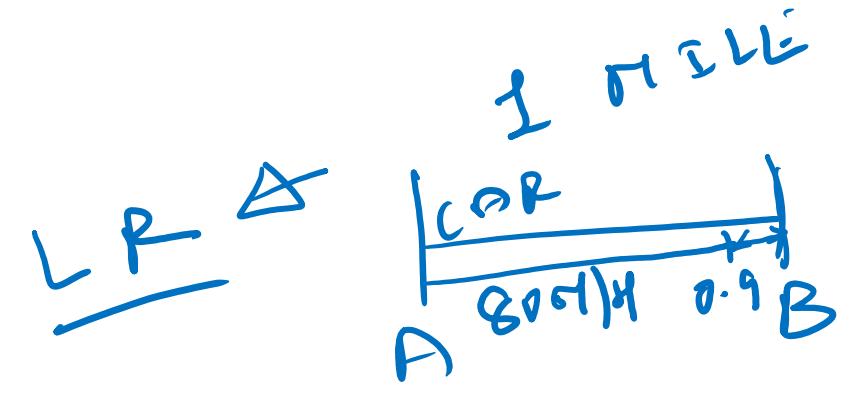
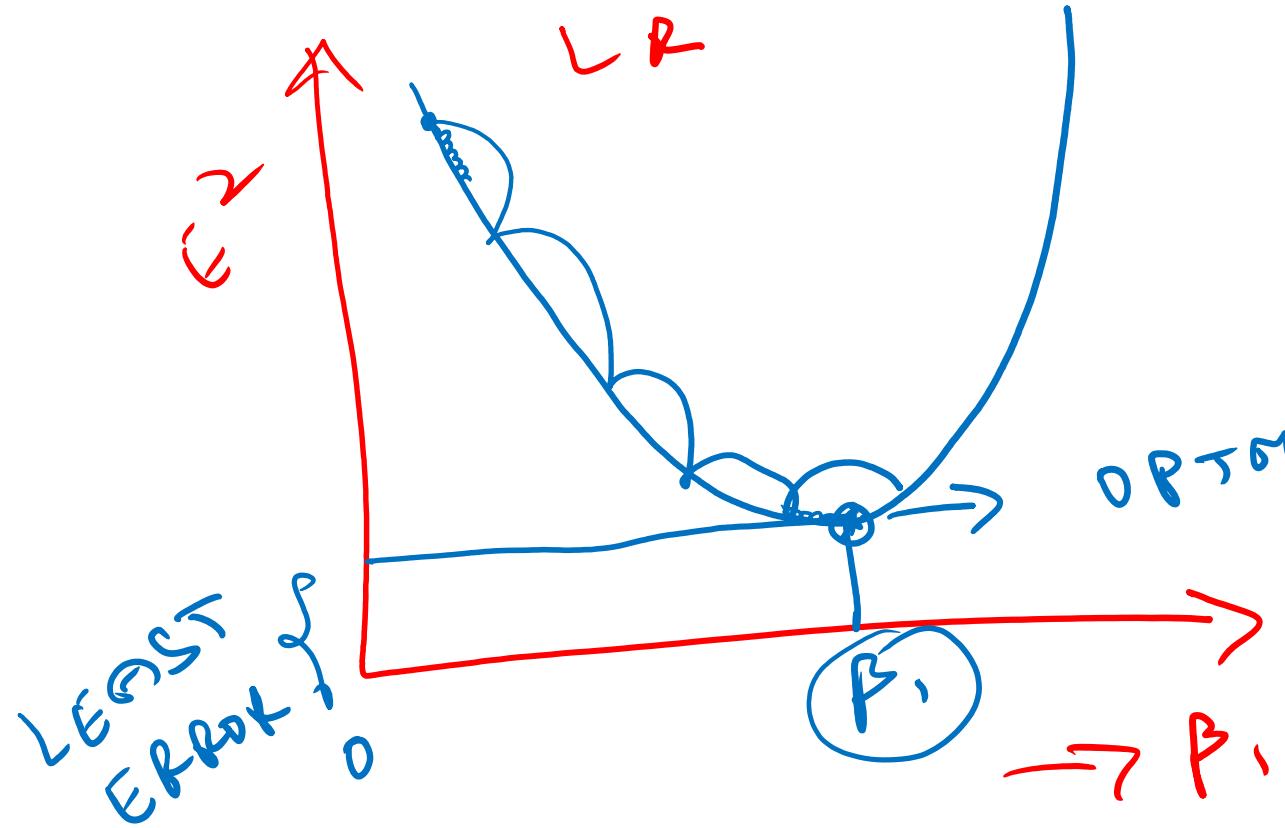
$$y = \frac{\partial E^2}{\partial \beta_1} \quad y = x^2 + 2$$

$$y = OPT \beta_0 + OPT \beta_1$$

$$\frac{\partial E^2}{\partial \beta_1}$$

$$\frac{2+1}{2} = 1.5$$

↓ LOSS



$$IIP \rightarrow x = 1$$

$$T = 10 \rightarrow ACT$$

$$\text{MODEL: } \hat{T} = w \cdot x$$

$$\text{Loss: } (T - \hat{T})^2 = 64 \downarrow$$

$$\underline{w = 2} \checkmark$$

$$LR = 0 \cdot 1$$

$$w_{\text{-NEW}} = 2 + 0 \cdot 1 = 2 \cdot 1$$

$$\text{Loss} = (10 - 2 \cdot 1)^2 = \underline{\underline{62}} \cdot \cdot \downarrow$$

$$LR = 1$$

$$w_{\text{-NEW}} = 2 + 1 = 3 \checkmark$$

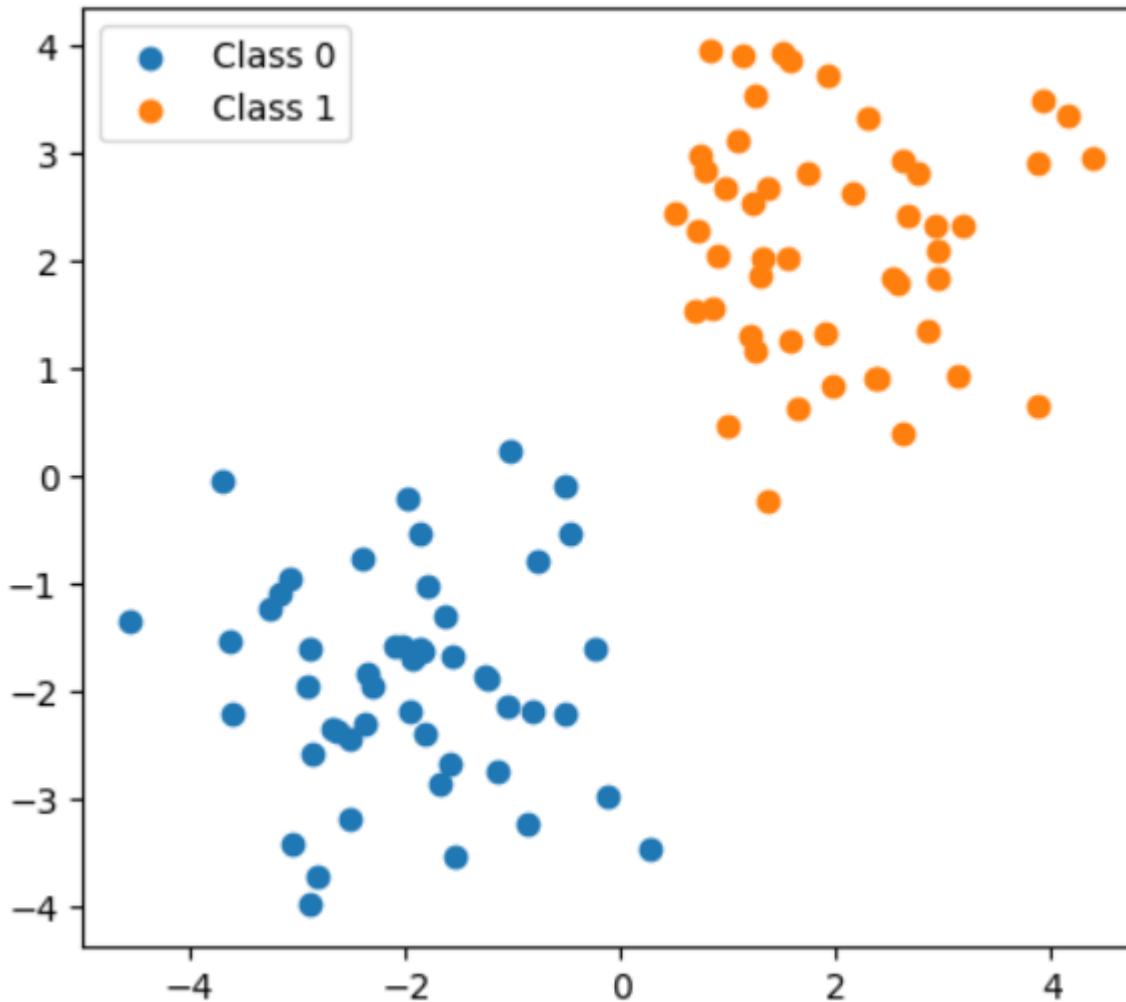
$$\text{Loss} = (10 - 3)^2 = \underline{\underline{49}} \downarrow$$

$$LR = 20 \checkmark$$

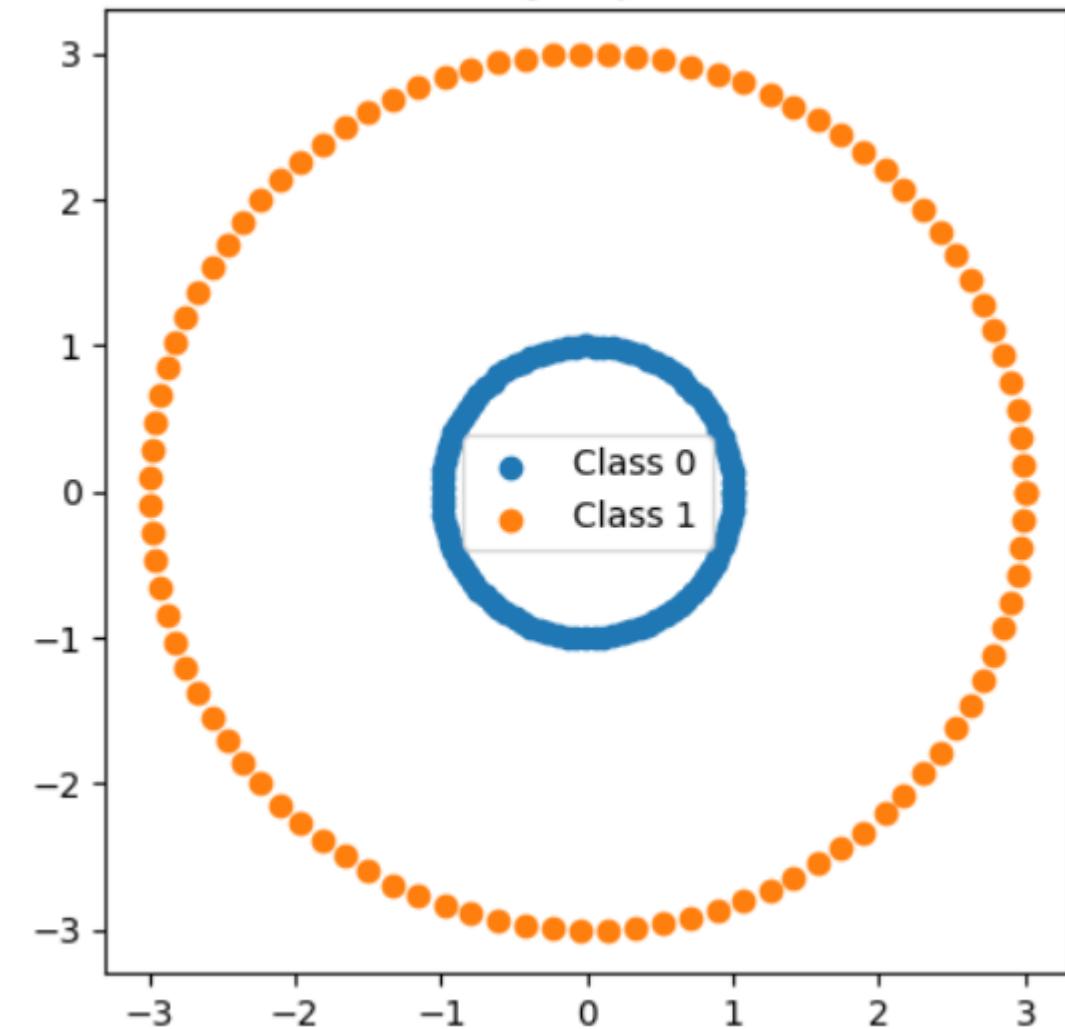
$$H - NEW = 2 + 20 = 22$$

$$LOSS = (10 - 22)^2 = \underline{\underline{144}} \uparrow$$

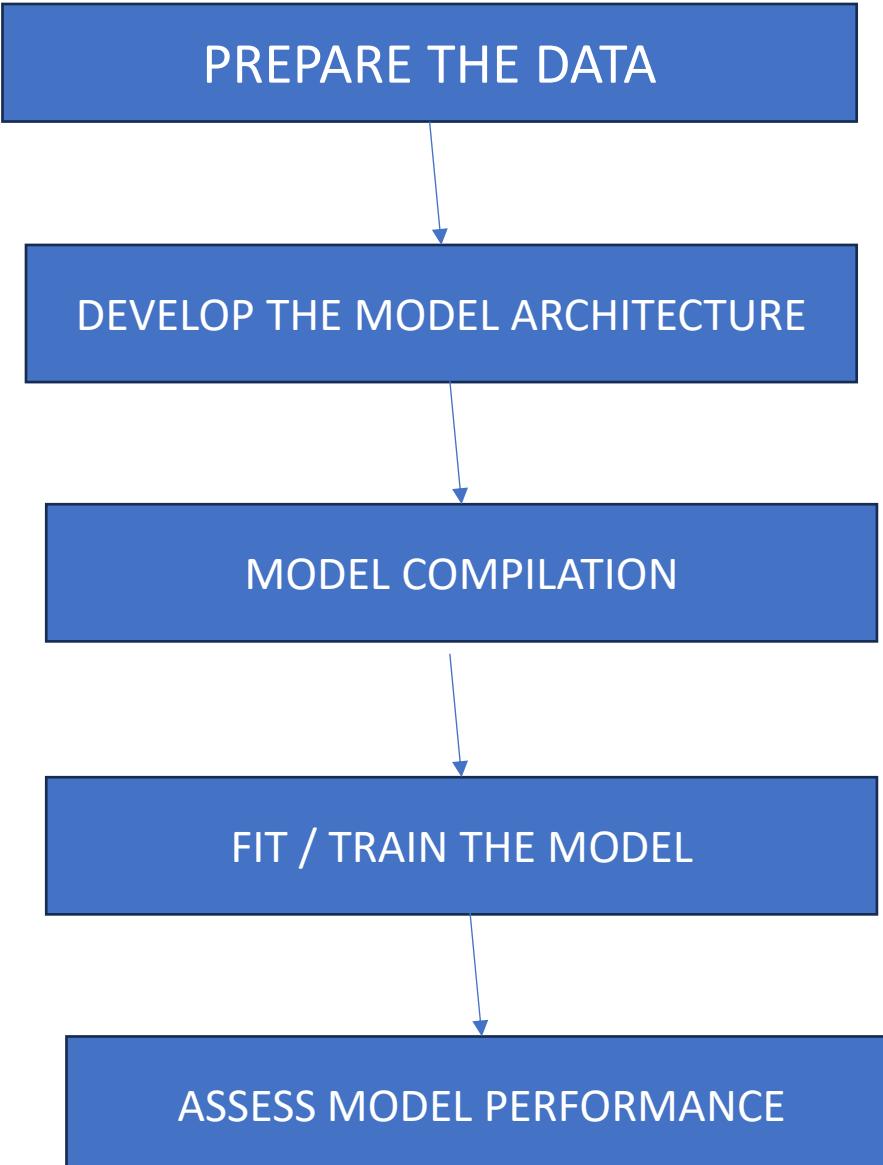
Linearly Separable Data



Non-Linearly Separable Data



PROCESS FOR DEVELOPING A DEEP NETWORK MODEL

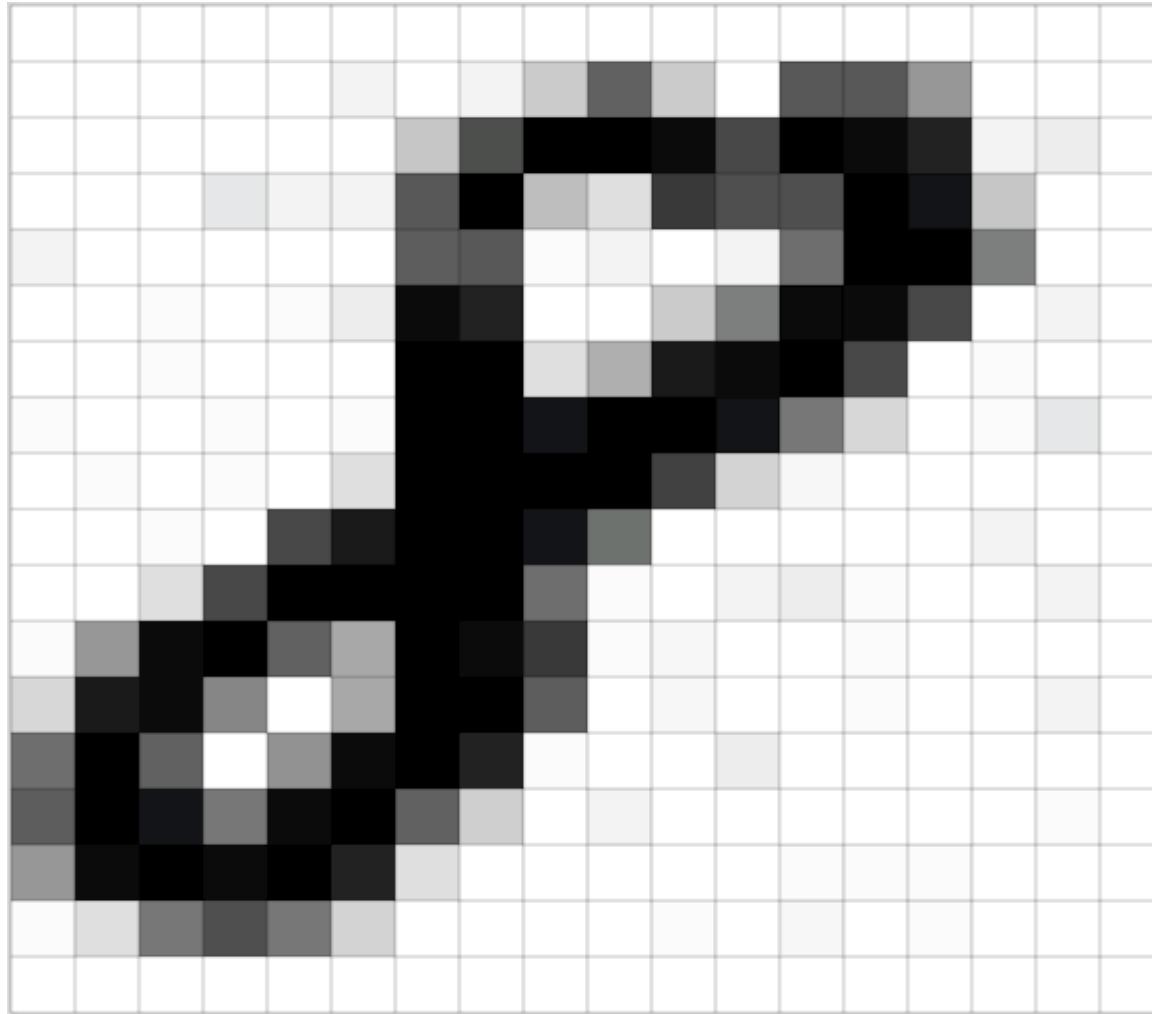


Digit 6

6 ✓

6 ✓

6 ✓



9 ✓

6 ✓

—

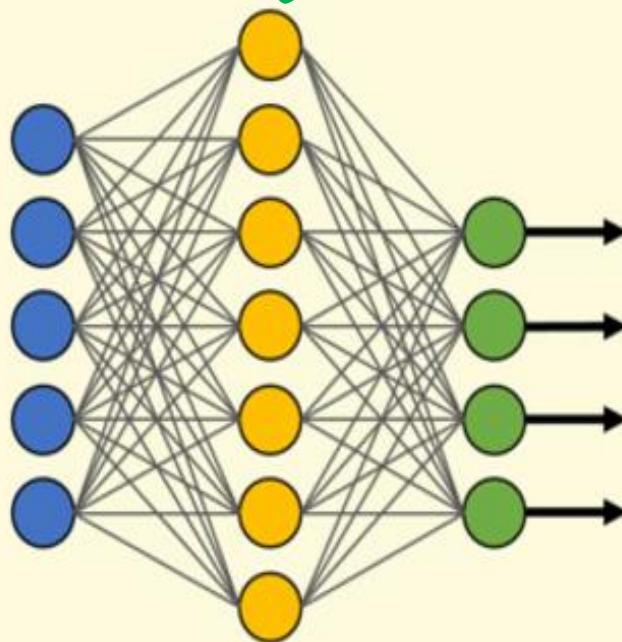
8 → →

○ ○

△ △

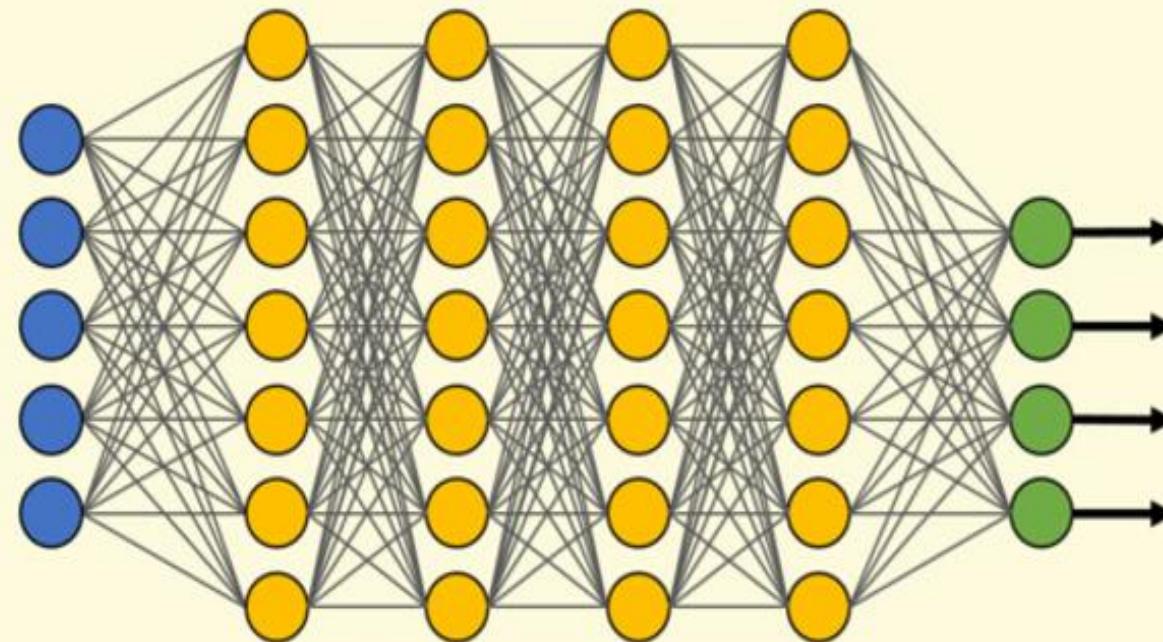
Loop

Simple Neural Network



● Input Layer

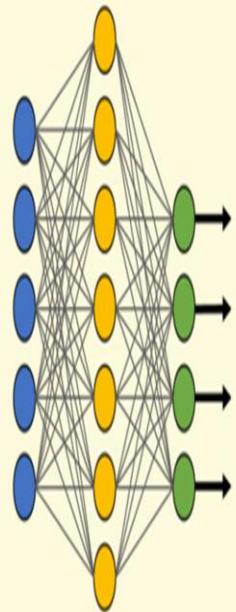
Deep Learning Neural Network



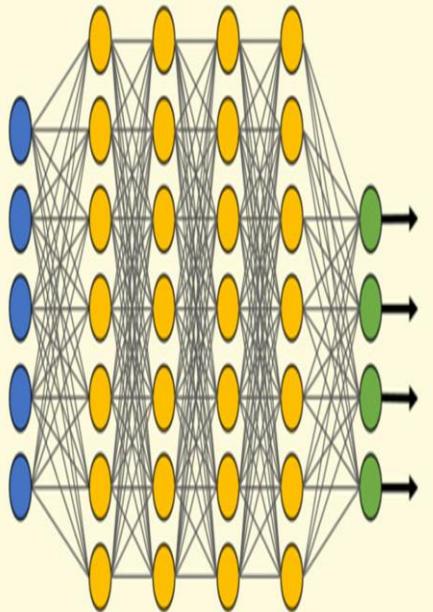
● Hidden Layer

● Output Layer

Simple Neural Network



Deep Learning Neural Network



● Input Layer

● Hidden Layer

● Output Layer



		165	187	209	58	7
	14	125	233	201	98	159
253	144	120	251	41	147	204
67	100	32	241	23	165	30
209	118	124	27	59	201	79
210	236	105	169	19	218	156
35	178	199	197	4	14	218
115	104	34	111	19	196	
32	69	231	203	74		