

# AGENDA – DAY 2 – 16-NOV-2025 (SUN)

- REACP – DAY 1 + DOUBT CLEARING – MAX 10 MINUTES
- DAY 2
  - Supervised Learning – Regression (Contd...)
  - Linear Regression
    - Types – SLR, MLR
  - Overfitting & Underfitting
  - Non-linear Regression
    - Polynomial Regression
    - Model Performance Metrics
  - Regularisation
    - Lasso, Ridge, Elastic-Net
  - Model Optimisation
  - Hands-On Demo
- Q & A
- SUMMARY, HEADS-UP FOR DAY 3 & CLOSURE

## **REACP – DAY 1 + DOUBT CLEARING – MAX 10 MINUTES**

- AI ML DL intro , How they are different
- Set, Subset of AI MLs
- Regression , and different type and use
- Linear & Non linear Regression, ANOVA - Nature of X, Nature of Y
- Regression basics
- Null and Alternate hypothesis
- supervised semi supervised non supervised
- Corelation basics
- Model and use case
- Diff type of que-and corresponding model/algo - ML algos

1. WHAT IS THE DIFFERENCE BETWEEN REGRESSION & CORRELATION?
2. WHAT IS REGRESSION TRYING TO ACHIEVE?
3. WHAT DOES THE SLOPE MEAN IN SLR? ✓
4. WHAT IS THE ROLE OF THE INTERCEPT?

"SATIRIS PARIUS"

$$\text{MLR} \quad \frac{\partial y}{\partial x_i}$$

$$\hat{Y} = \hat{\beta}_0 + \hat{\beta}_i x_i + \epsilon \quad i = 1, \dots, k$$

DATA & DRAFT

$\hat{y} = f(\hat{\beta}_0, \hat{\beta}_1 x_1, \dots)$

$\hat{\beta}_0 \rightarrow \boxed{10.0}$

$\hat{\beta}_1 \rightarrow \boxed{1.15}$

$\hat{\beta}_2 \rightarrow \boxed{SF}$

$\hat{\beta}_3 \rightarrow \boxed{AGE}$

$\hat{\beta}_4 \rightarrow \boxed{LOCATION}$

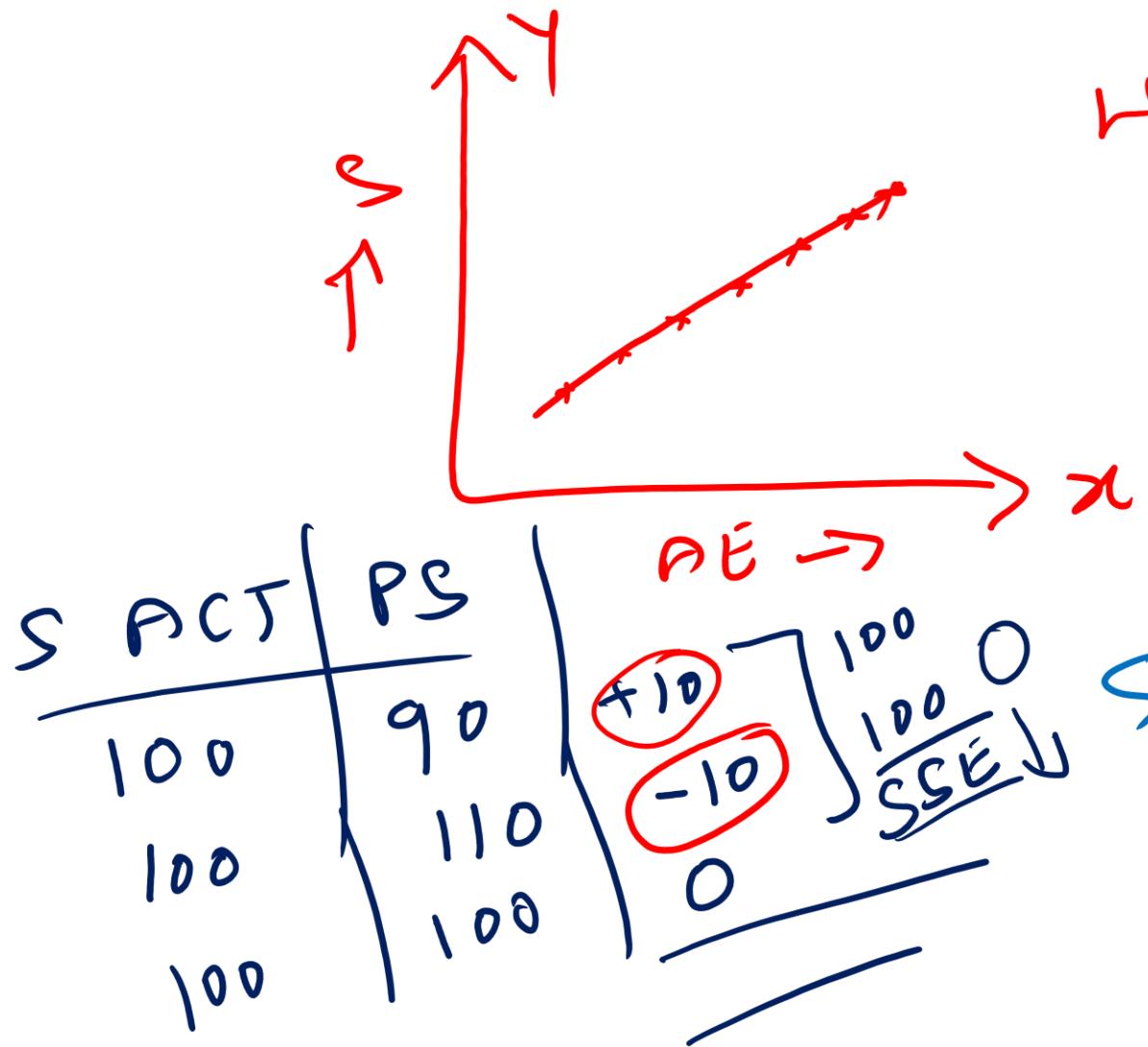
$\hat{Y} \rightarrow \text{SALES}$

HOUSE PRICE

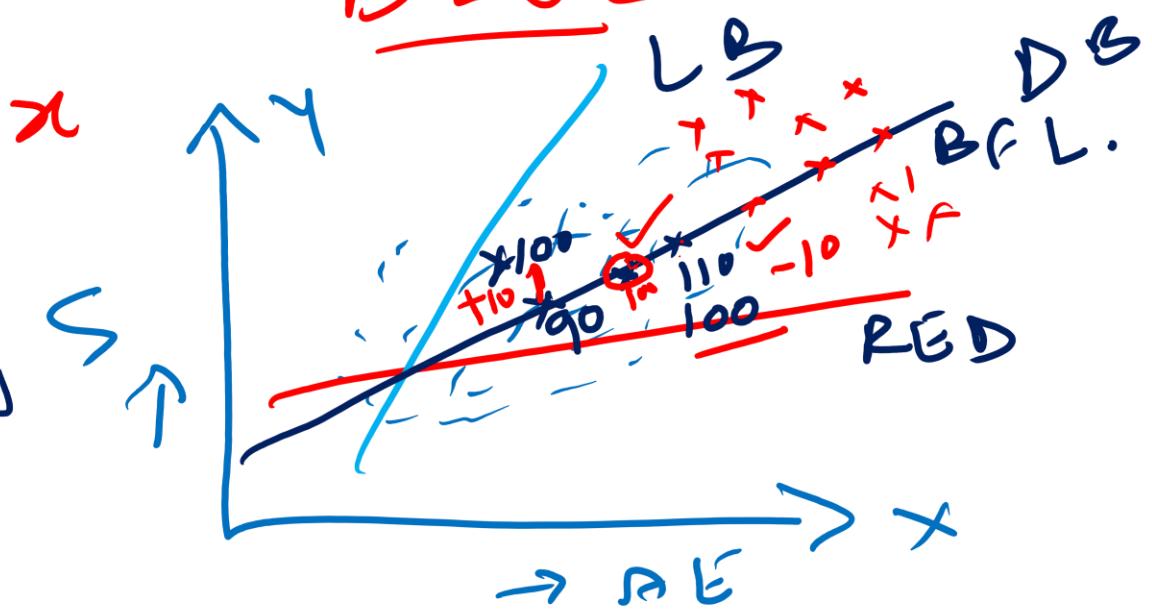
- ↳  $x_1$  SF FOOTAGE
- ↳  $x_2$  AGE
- ↳  $x_3$  LOCATION

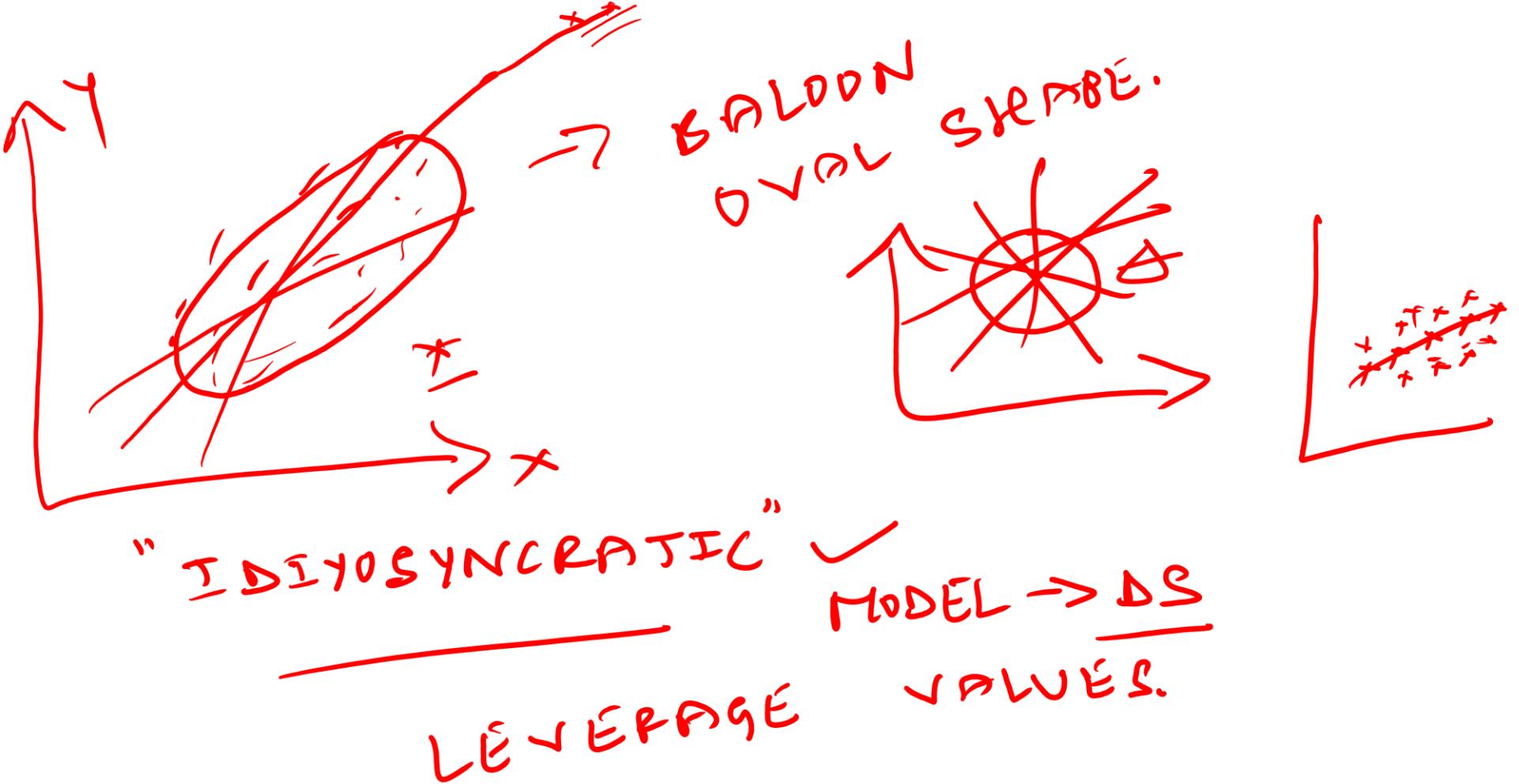
$$HP = f(SF, AGE, \dots)$$

$$\underline{HP} = 0.2 + 0.3 \times \frac{x_1}{SF} + 0.2 \times \frac{x_2}{AGE} + 0.25 \times \frac{x_3}{LOCATION} + \epsilon$$



WHY REGRESSION INSTEAD  
OF JUST PLOTTING  
A LINE THRU'  
"BLUE" + POINTS?





$$\leftarrow \underline{Y = \beta_0 + \beta_1 \bar{x}_1 + \epsilon} \rightarrow \begin{array}{l} x_1 \rightarrow \text{variable} \\ \beta_1 \rightarrow \text{param co-eff} \end{array}$$

LINEAR ?.

$$\leftarrow \underline{Y = \beta_0 + \beta_1 x_1^2 + \epsilon} \rightarrow \text{LINEAR / NON-LINEAR ?}$$

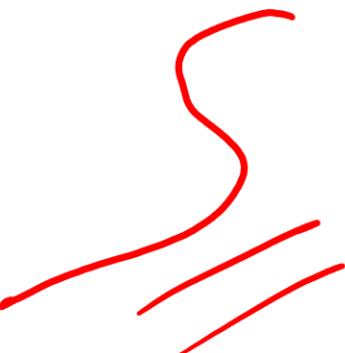
$$Y = \underline{\beta_0 + \beta_1 x_1 + \beta_2 x_2^2 + \beta_3 x_3^3 + \epsilon} \rightarrow \begin{array}{l} \text{an } \log a^n \\ \text{non-a} \end{array}$$

$$Y = \cancel{\beta_0 + \beta_1 e^{x_2^2/10}} \quad Y = \underline{\beta_0 + \beta_1 x_2^2 + \beta_2 \dots}$$

$$Y = \beta_0 + \beta_1 x$$

$$\frac{ax^2 + bx + c}{x^2 + dx + e}$$

$x^2 = z$



$$Y = \frac{\beta_1}{1 + e^{-\beta_1 x}}$$

NON-LINEAR  
IN PARAMETER.

$Y = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \dots + \beta_k x_k + \epsilon$

$\beta_0, \beta_1, \dots, \beta_k \rightarrow \text{CO-EFF} \left\{ \begin{array}{l} \text{BETA CO-EFF} \\ \text{CO-EFF} \end{array} \right.$

$s = 0.25$

$\sigma_{\epsilon}^2$

$\beta_0, \beta_1, \dots, \beta_k$  → PARAMETER,  
 $\sigma_{\epsilon}^2$  → HYPER PARAMETER.

PARAMETERS OF REGRESSION.

## NATURE OF T

## I. CONTINUOUS

## 2. CONTINUOUS

# TÉLÉGRAMME. CONTINUATION

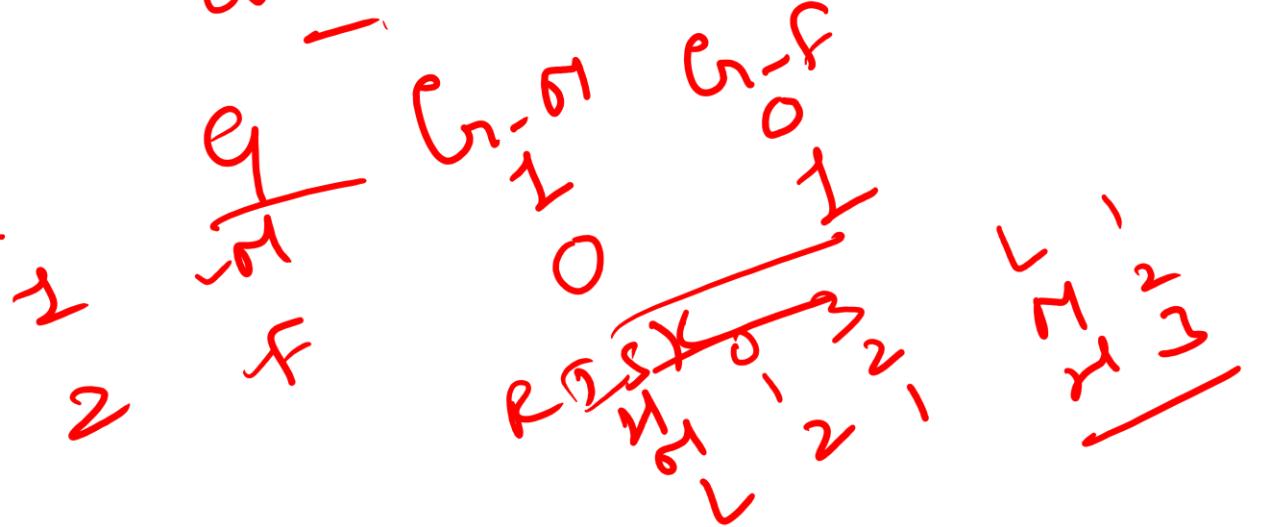
$$S = f(\Delta, \rho, \dots)$$

## NATURE of X

# ALL CATEGORICAL

MIXED  
VARIABLES  
[NUM + CAT]

CONT



1, 2, 3, 4, 5  
LINERT  
MODEL

## 2. DUMONT REGION.

TOTAL VARIATION  $\leq$  SST = TOTAL SUM OF SQUARES

VARIATION  $\rightarrow$

MEASURED VS PREDICTED VARIATION  
 $\rightarrow$  SSR + SSE  
 REGRESSION SUM OF SQUARES  
 ERROR SUM OF SQUARES

$$\rightarrow SST = \sum (y_i - \bar{y})^2$$

$\bar{y} \rightarrow$  DV AVERAGE

$$\rightarrow SSR = \sum (\hat{y}_i - \bar{y})^2$$

$y_i \rightarrow$  OBS VAL OF DV

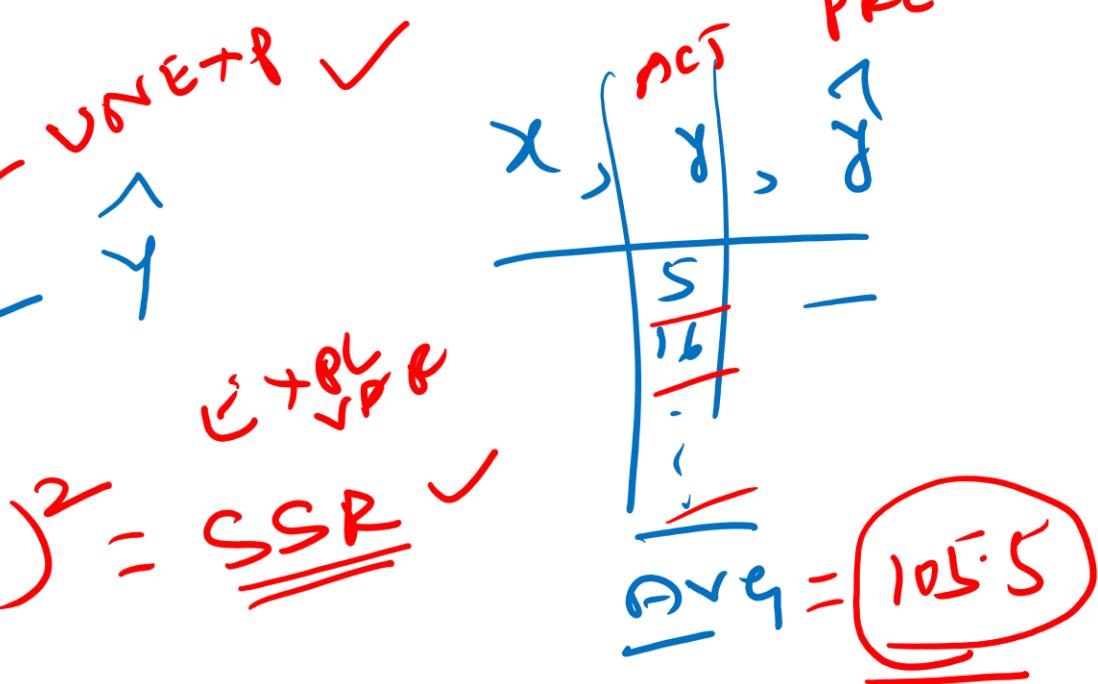
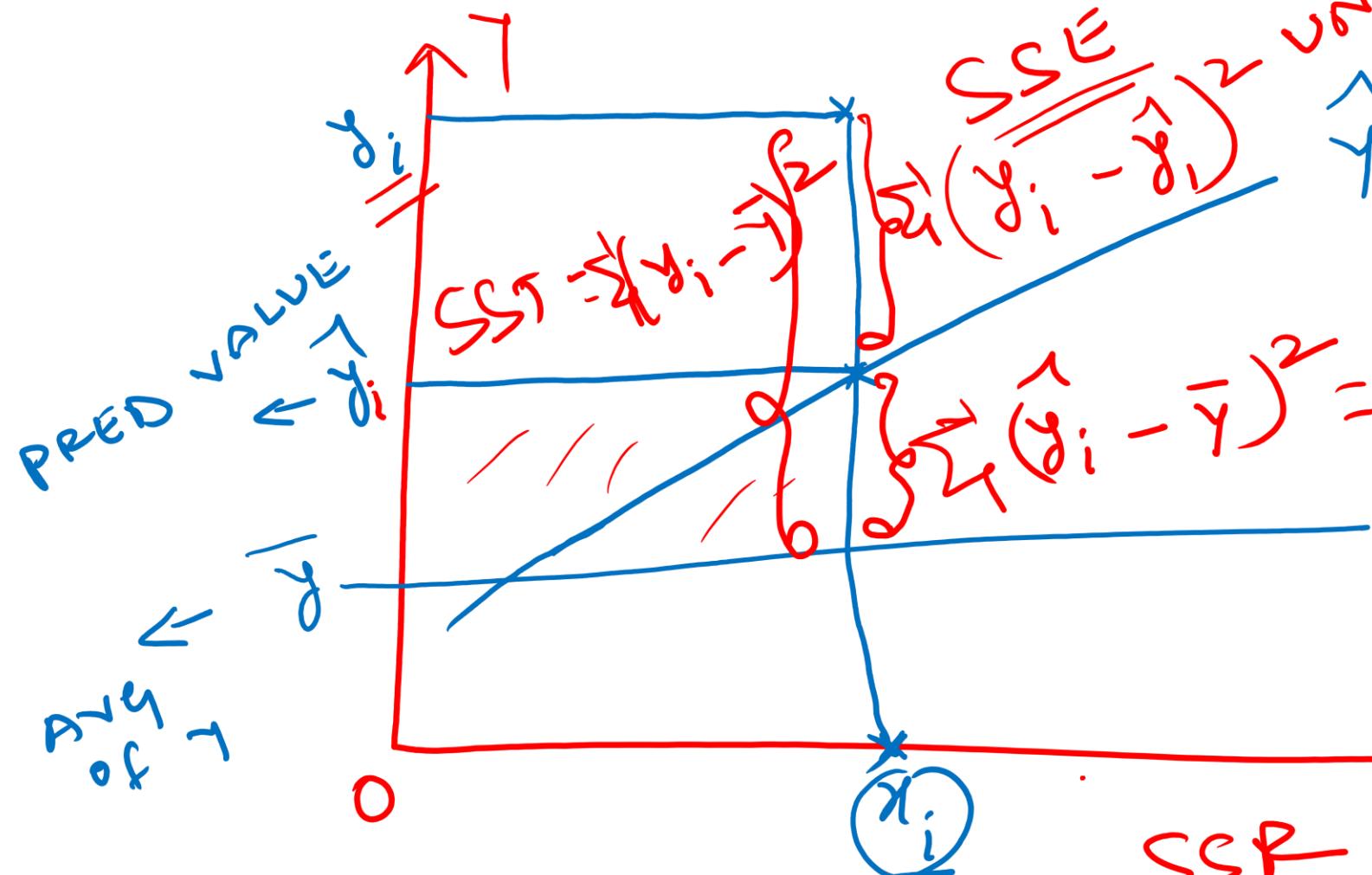
$$\rightarrow SSE = \sum (y_i - \hat{y}_i)^2$$

$\hat{y}_i \rightarrow$  PRED VALUE

of  $y$  for  $x_i$  value

100% ~~B.P.~~

A	P	E
100	80	+20
101	85	+16



Y-EFF OF DETERMINANT  $\hat{x}^2 = \frac{SSR}{SST}$

$$0 \leq \hat{x}^2 \leq 1$$

$S = f(PY)$ , D<sub>PERC</sub> or D<sub>FC</sub>

100-1.	75-1.	25-1.
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POC 2007/08  
29/30

$$H_0: \mu_1 \leq \mu_2$$

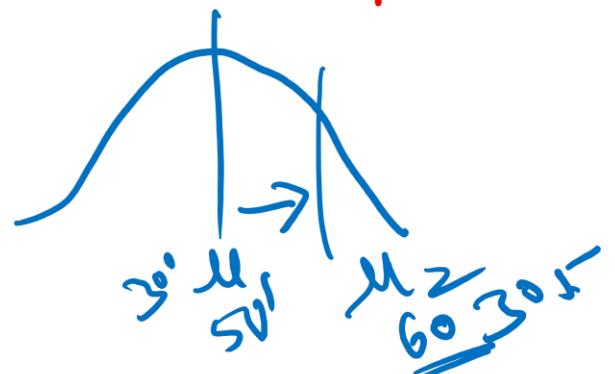
$$H_1 \text{ or } H_a: \mu_1 = \mu_2$$

+  
50



$$H_0: \mu_1 = \mu_2$$

$$H_1: \mu_1 \neq \mu_2$$



$$\mu_1 = \mu_2$$

INEQUALITY  
→

$$\mu_1 = \mu_2$$

$$\mu_1 \neq \mu_2$$

2 TESTED

STATUS AND

EQUALITY →

$$\mu_1 = \mu_2$$

Σ

$$H_0: \mu_1 \leq \mu_2$$

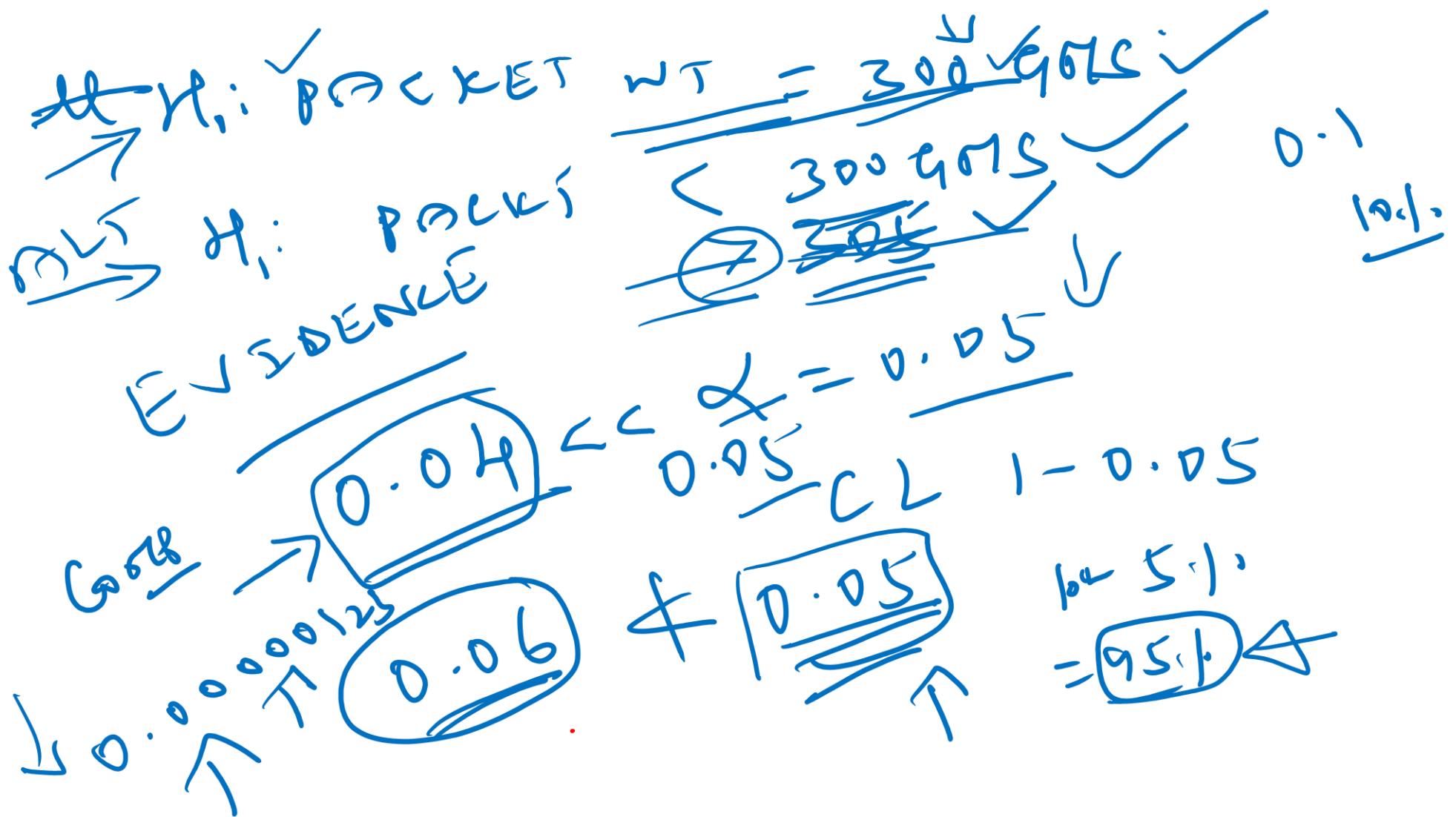
$$H_1: \mu_1 > \mu_2$$

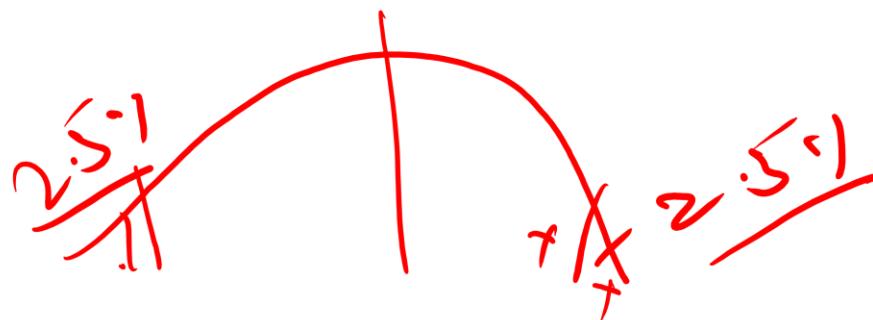
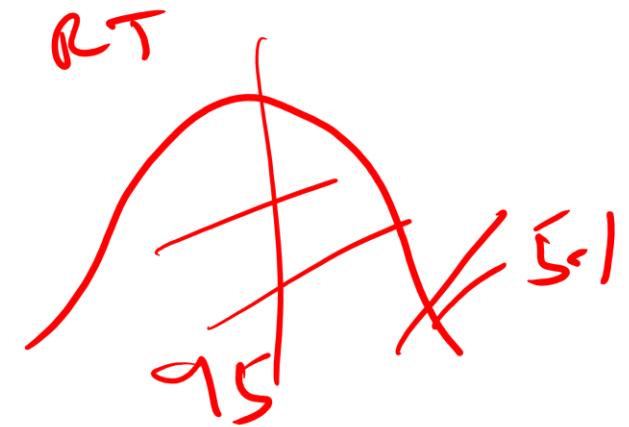
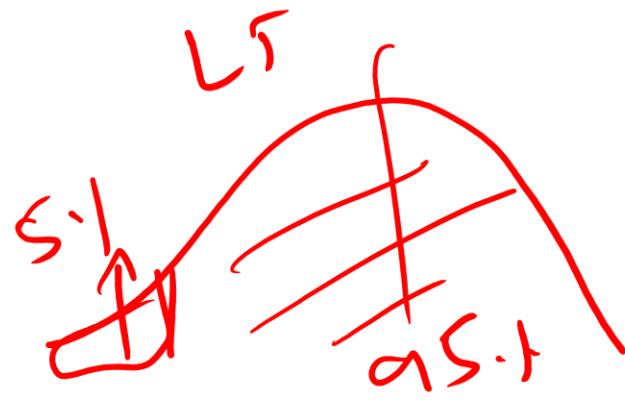
RT - TESTED  
LESS  
LOWE

$$\mu_1 \geq \mu_2$$

$$\mu_1 < \mu_2$$

4





$$\frac{0.04}{2} = 0.02$$

CONFOUNDED MALL TUES TERP

COUNTER  
DISPUTIVE ON  $\rightarrow$  250 P  $\rightarrow$  400 BOTTLES of  
REVERSED

CONFOUNDED MIRRORS  
HIDDEN VARIABLE