Linear and Logistic Regression Set A Q1. Data: Sales.csv In [1]: import pandas as pd import numpy as np import matplotlib.pyplot as plt from sklearn.model selection import train test split from sklearn.linear model import LinearRegression from sklearn.metrics import r2 score, mean squared error %matplotlib inline In [3]: data=pd.read_csv('C:\\sales_A1.csv') data.head() data.shape data.info() data.describe() <class 'pandas.core.frame.DataFrame'> RangeIndex: 200 entries, 0 to 199 Data columns (total 4 columns): # Column Non-Null Count Dtype TV 200 non-null float64
Radio 200 non-null float64 2 Newspaper 200 non-null float64 3 Sales 200 non-null float64 dtypes: float64(4) memory usage: 6.4 KB Out[3]: Radio Newspaper Sales count 200.000000 200.000000 200.000000 200.000000 **mean** 147.042500 23.264000 30.554000 15.130500 85.854236 14.846809 21.778621 5.283892 0.700000 0.300000 0.000000 1.600000 min 25% 74.375000 9.975000 12.750000 11.000000 **50%** 149.750000 22.900000 25.750000 16.000000 **75%** 218.825000 36.525000 45.100000 19.050000 **max** 296.400000 49.600000 114.000000 27.000000 In [4]: x= np.array(data[['TV']]) y= np.array(data[['Sales']]) print(x.shape) # Vewing the shape of x print(y.shape) # Vewing the shape of y (200, 1)(200, 1)In [5]: from sklearn.model selection import train test split x train, x test, y train, y test = train test split(x, y, train size = 0.7, test size = 0.3, random state = 100 In [6]: model = LinearRegression() model.fit(x_train, y_train) Out[6]: ▼ LinearRegression LinearRegression() In [7]: model.coef_ array([[0.05454575]]) In [8]: model.intercept array([6.9486832]) Out[8]: Simple Linear Regression Model: y(Sales) = 0.055 TV + 6.95In [11]: y pred=model.predict(x test) #Finding the value of coefficient of Determination r2_score(y_test,y_pred) 0.7921031601245662 Out[11]: Interpretation: R2 = 79.21%79.21 % of the variations in the dependent variable (Y) is explained by the independent variables in the model (x). Set B Q1. In [13]: import pandas as pd import numpy as np import matplotlib.pyplot as plt from sklearn.model selection import train test split from sklearn.linear model import LinearRegression from sklearn.metrics import r2 score, mean squared error In [14]: data=pd.read csv('C:\\Fish.csv') data.head() data.shape data.info() data.describe() <class 'pandas.core.frame.DataFrame'> RangeIndex: 159 entries, 0 to 158 Data columns (total 7 columns): # Column Non-Null Count Dtype O Species 159 non-null object 1 Weight 159 non-null float64 2 Length1 159 non-null float64 3 Length2 159 non-null float64 4 Length3 159 non-null float64 5 Height 159 non-null float64 6 Width 159 non-null float64 dtypes: float64(6), object(1) memory usage: 8.8+ KB Height Out[14]: Weight Length2 Length3 Width Length1 159.000000 159.000000 159.000000 159.000000 159.000000 count 31.227044 4.417486 398.326415 26.247170 28.415723 8.970994 mean 357.978317 9.996441 10.716328 11.610246 4.286208 1.685804 std 0.000000 7.500000 8.400000 8.800000 1.728400 1.047600 min 120.000000 19.050000 21.000000 23.150000 5.944800 25% 3.385650 273.000000 25.200000 50% 27.300000 29.400000 7.786000 4.248500 75% 650.000000 32.700000 35.500000 39.650000 12.365900 5.584500 1650.000000 59.000000 63.400000 68.000000 18.957000 8.142000 max In [15]: #Dependent/Target Variable y=np.array(data[['Weight']]) x = data.iloc[:,2:7]x.shape (159, 5) Out[15]: In [16]: from sklearn.model_selection import train_test_split x_train, x_test, y_train, y_test = train_test_split(x, y, test_size=0.2, random_state=51) In [17]: model=LinearRegression() model.fit(x_train, y_train) Out[17]: ▼ LinearRegression LinearRegression() In [18]: model.coef array([[65.59373225, -9.18870094, -30.48074208, 28.87858453, Out[18]: 29.42203026]]) In [19]: model.intercept array([-500.38802944]) Out[19]: Multiple Linear Regression Equation: Y(Weight) = 65.5937(Length 1) - 9.1887(Length 2) - 30.4807 (Length 3)... + 28.8486 (Height) + 29.4220 (Width) - 500.388 In [20]: y_pred=model.predict(x_test) #Finding the value of coefficient of Determination r2_score(y_test,y_pred) 0.8785422051292161 Out[20]: Interpretation: R2 = 87.85 %87.85 % of the variations in the dependent variable (Y) is explained by the independent variables in the model (x). LOGISTIC REGRESSION Assignment 1 SET A Q3. In [35]: data=pd.read csv('C:\\User Dataset.csv') data.describe() **User ID** Out[35]: Age EstimatedSalary Purchased 400.000000 400.000000 **count** 4.000000e+02 400.000000 **mean** 1.569154e+07 37.655000 69742.500000 0.357500 **std** 7.165832e+04 10.482877 34096.960282 0.479864 min 1.556669e+07 15000.000000 0.000000 18.000000 29.750000 43000.000000 0.000000 **25%** 1.562676e+07 **50%** 1.569434e+07 0.000000 37.000000 70000.000000 **75%** 1.575036e+07 46.000000 88000.000000 1.000000 60.000000 150000.000000 1.000000 **max** 1.581524e+07 In [36]: data.sample(3) User ID Gender Age EstimatedSalary Purchased Out[36]: **326** 15713463 72000 0 Male 41 **122** 15724423 Female 75000 0 **6** 15598044 Female 84000 0 27 In [37]: data.isnull().sum() 0 User ID Out[37]: Gender 0 0 0 EstimatedSalary 0 Purchased dtype: int64 In [38]: x = data.iloc[:, [2, 3]].valuesy= data.iloc[:, 4].values In [39]: from sklearn.model_selection import train_test_split x_train, x_test, y_train, y_test = train_test_split(x, y, test_size = 0.25, random_state = 25) In [40]: from sklearn.linear_model import LogisticRegression model = LogisticRegression() model.fit(x_train, y_train) y_pred = model.predict(x_test) In [41]: #Confusion Matrix $\textbf{from} \ \texttt{sklearn.metrics} \ \textbf{import} \ \texttt{confusion_matrix}$ cm = confusion_matrix(y_test, y_pred) print(cm) [[66 0] Accuracy = (TP + TN)/TOTALIn [43]: 66/(66+0+0+34) Out[43]: In [44]: #Accuracy from sklearn.metrics import accuracy_score accuracy_score(y_test,y_pred) 0.66 Out[44]: Accuracy for testing dataset=66% Assignment 1 SET B Q2. In [45]: import pandas as np data=pd.read_csv('C:\\iris.csv') In [46]: data.describe() Out[46]: sepal.length sepal.width petal.length petal.width count 150.000000 150.000000 150.000000 150.000000 5.843333 1.199333 3.057333 3.758000 mean 0.828066 0.435866 1.765298 0.762238 std 4.300000 2.000000 1.000000 0.100000 min 25% 5.100000 2.800000 1.600000 0.300000 50% 5.800000 3.000000 4.350000 1.300000 1.800000 **75**% 6.400000 3.300000 5.100000 7.900000 4.400000 6.900000 2.500000 max In [47]: data.info() <class 'pandas.core.frame.DataFrame'> RangeIndex: 150 entries, 0 to 149 Data columns (total 5 columns): # Column Non-Null Count Dtype ----sepal.length 150 non-null float64 sepal.width 150 non-null float64 petal.length 150 non-null float64 petal.width 150 non-null float64 petal.width 150 non-null 150 non-null variety dtypes: float64(4), object(1) memory usage: 6.0+ KB In [49]: data.shape (150, 5)Out[49]: In [50]: data.duplicated().sum() Out[50]: In [51]: #Removing the duplicated observation data.drop duplicates(inplace=True) print("Shape of the data frame: ", data.shape) print("\n") print("Variety categories with its count \n", data["variety"].value_counts()) Shape of the data frame: (149, 5) Variety categories with its count Setosa 50 50 Versicolor Virginica 49 Name: variety, dtype: int64 In [52]: #define x and y x = data.drop(columns="variety") y = data["variety"] In [53]: #Converting y into numeric form by label encoding technique from sklearn.preprocessing import LabelEncoder y = LabelEncoder().fit_transform(y) In [54]: from sklearn.model_selection import train_test_split x_train, x_test, y_train, y_test = train_test_split(x, y, test_size = 0.25, random_state = 21) In [55]: from sklearn.linear_model import LogisticRegression model = LogisticRegression() model.fit(x_train, y_train) y_pred= model.predict(x_test) In [56]: #Confusion Matrix from sklearn.metrics import confusion_matrix cm = confusion_matrix(y_test, y_pred) print(cm) [[13 0 0] [0 12 3] [0 0 10]] In [57]: (13+12+10)/(13+12+10+3)#Accuracy 0.9210526315789473 Out[57]: In [58]: #Plot cm import seaborn as sns import matplotlib.pyplot as plt ax = plt.axes() sns.heatmap(cm,annot=True,cmap="Blues") ax.set_title('Confusion Matrix') plt.show() Confusion Matrix 13 0 - 10 - 2 - 0 In [59]: #Accuracy from sklearn.metrics import accuracy_score accuracy_score(y_test,y_pred) 0.9210526315789473 Out[59]: Accuracy for testing dataset = 92.1%