



# DnC & BT Doubts with Lakshay Bhaiya

Special class



- ① Last classes Doubts ~~☆☆~~
- ② Debugging in C++ ~~☆☆~~
- ③ Interview Quesn on Dynamic  
mem. alloc +  
    ↓  
    B+ YOΣ ~~☆☆~~

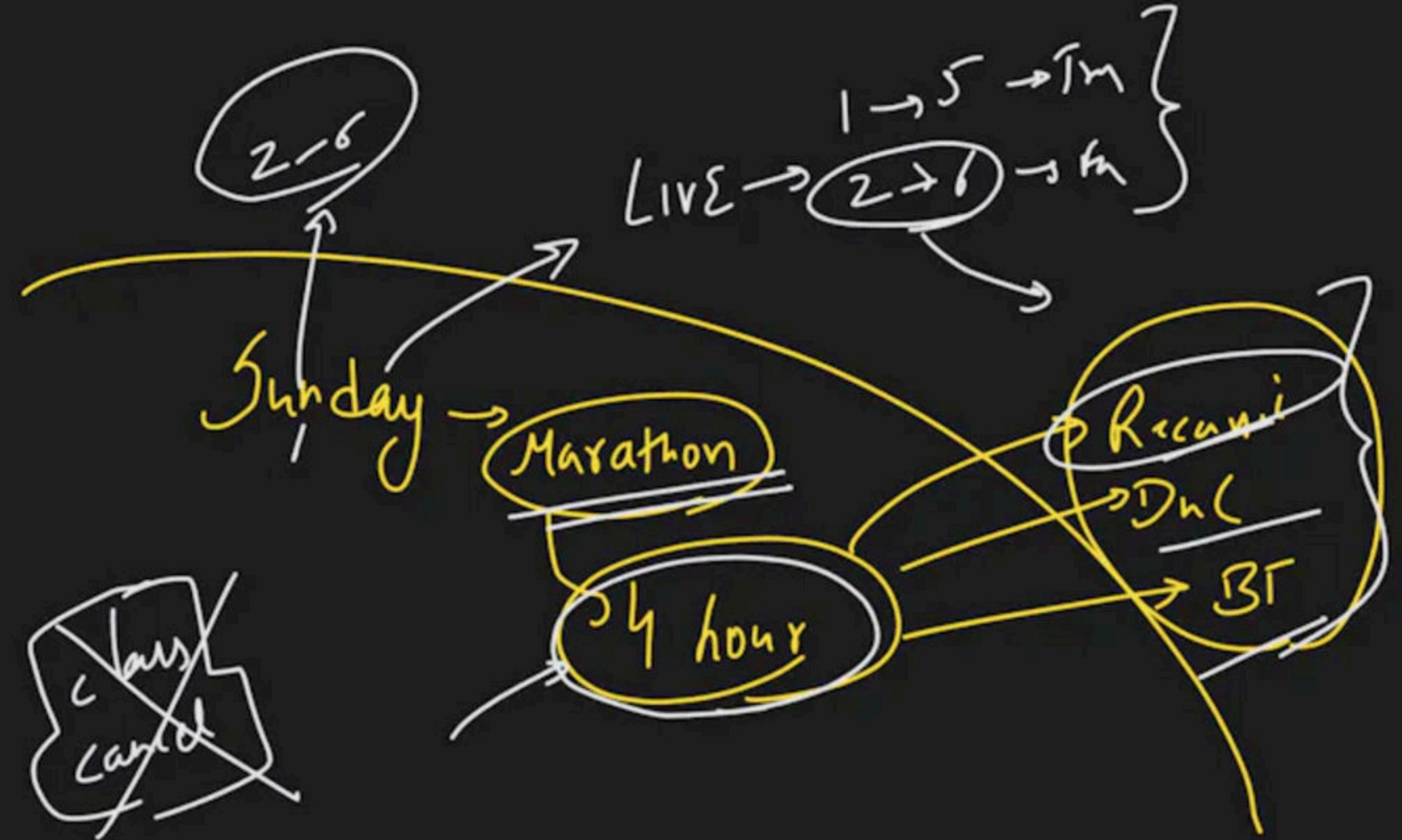
# DnC Class - 1

Special class

Dynamic Memory Allocation

Merge Sort

~~Merge Sort~~



Merge Sort

6. C

g<sub>2</sub> . l

Merge

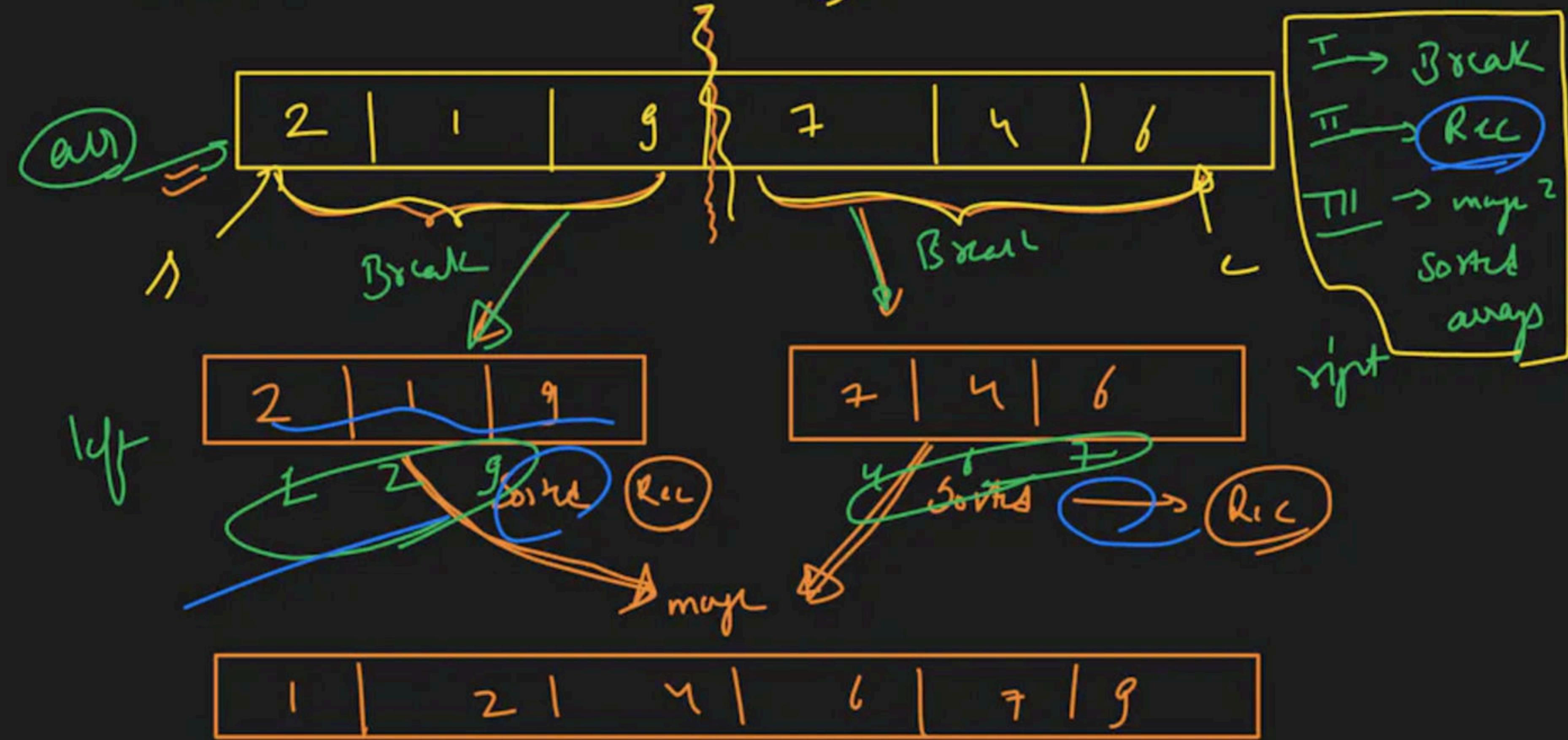
T - L S - R

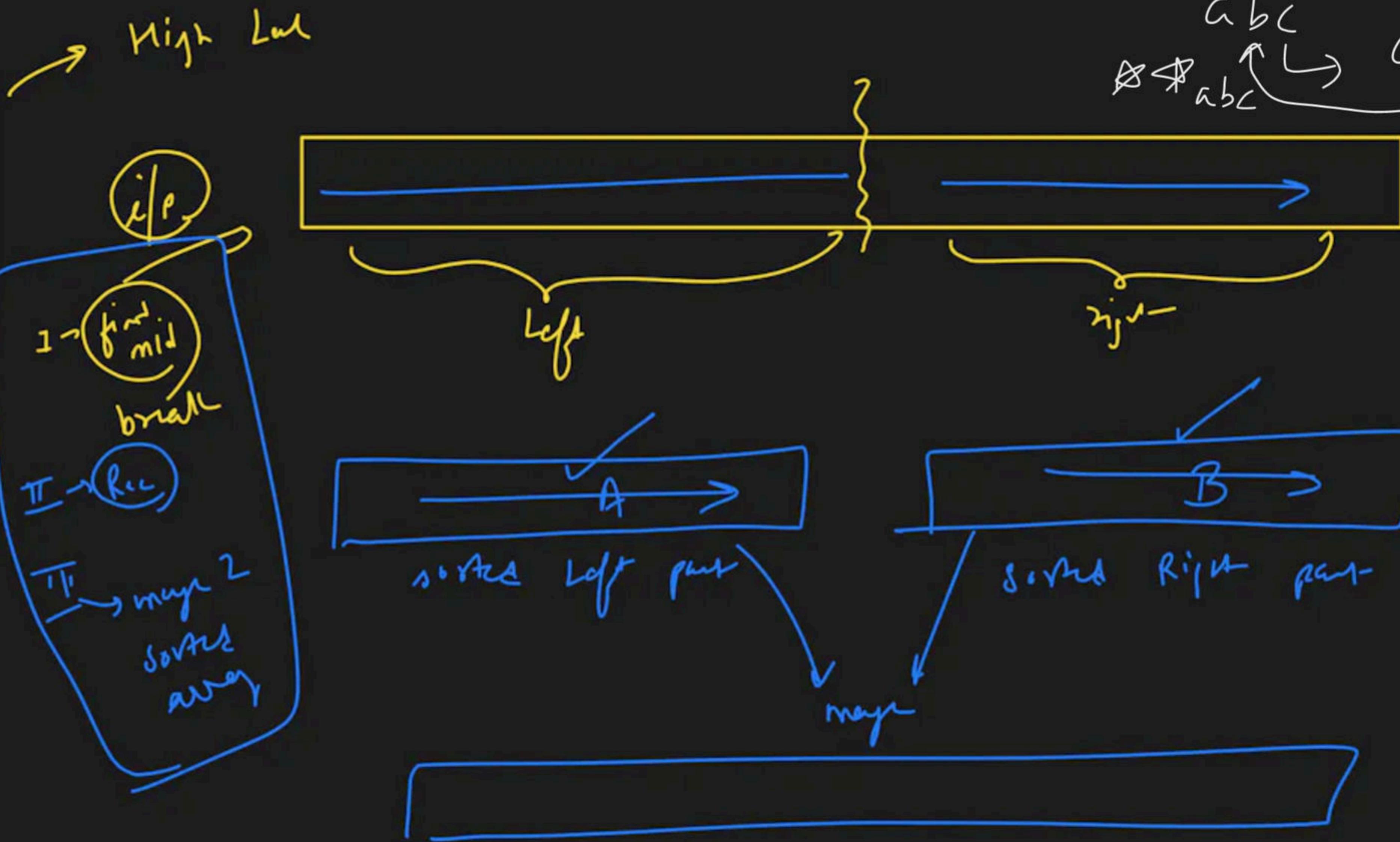
→ Merge Sort

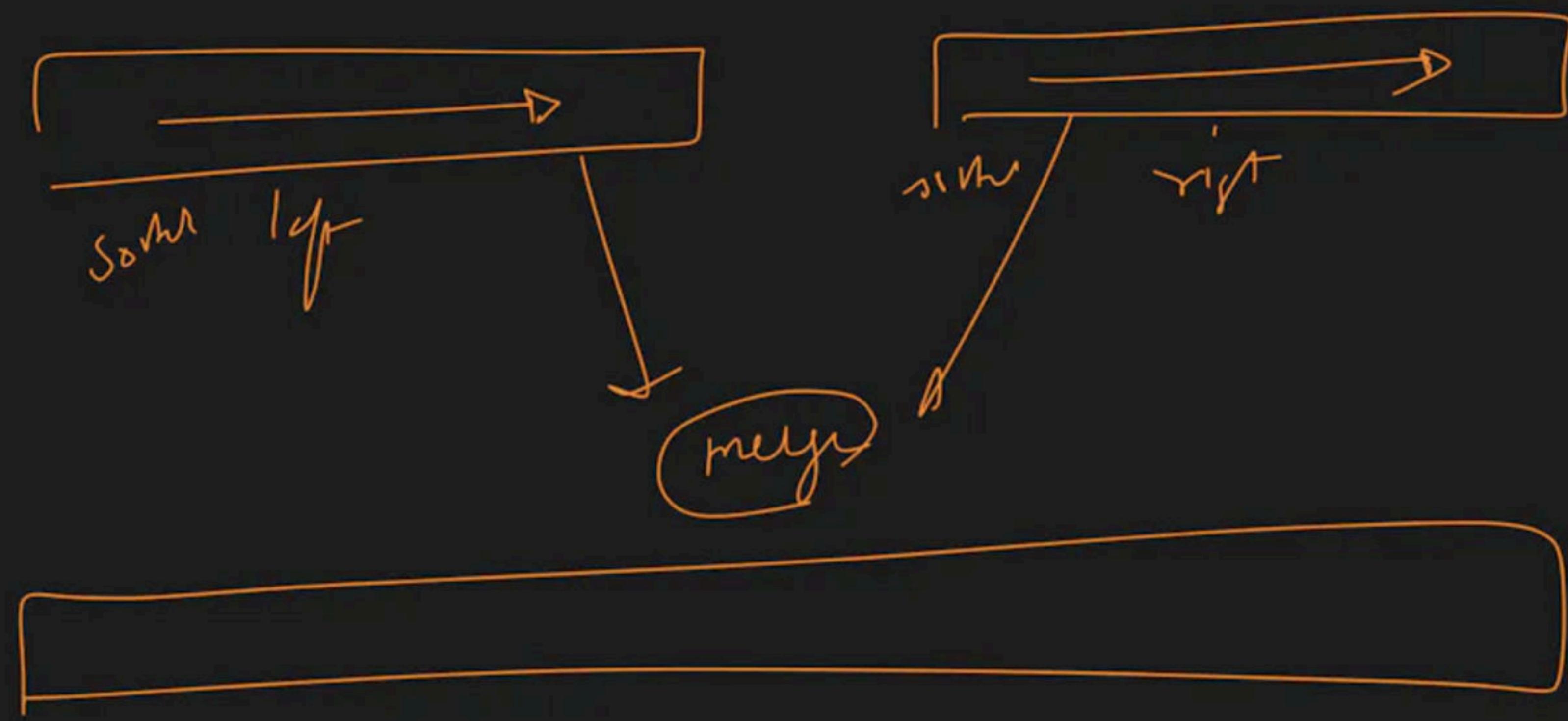
$$\text{mid} = \frac{s + e}{2}$$

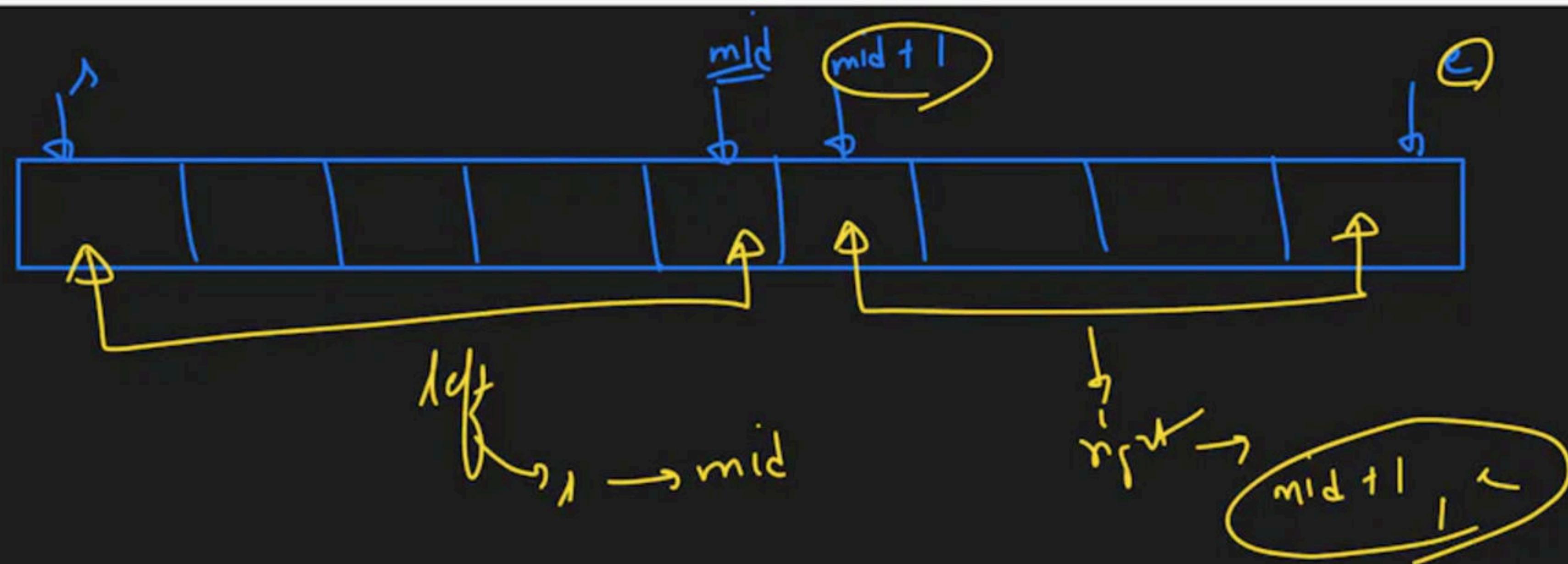
1 hr

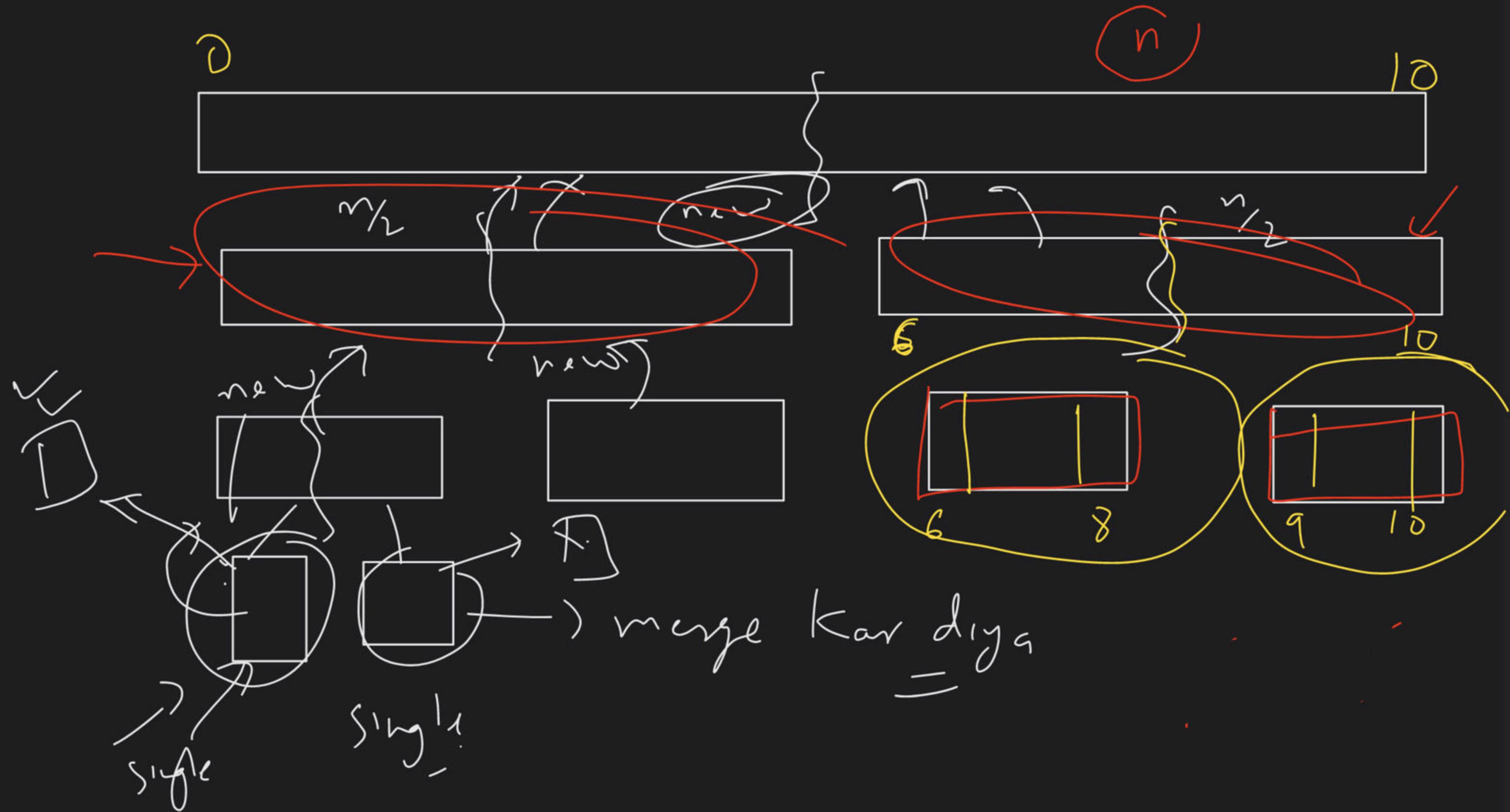
2 hr



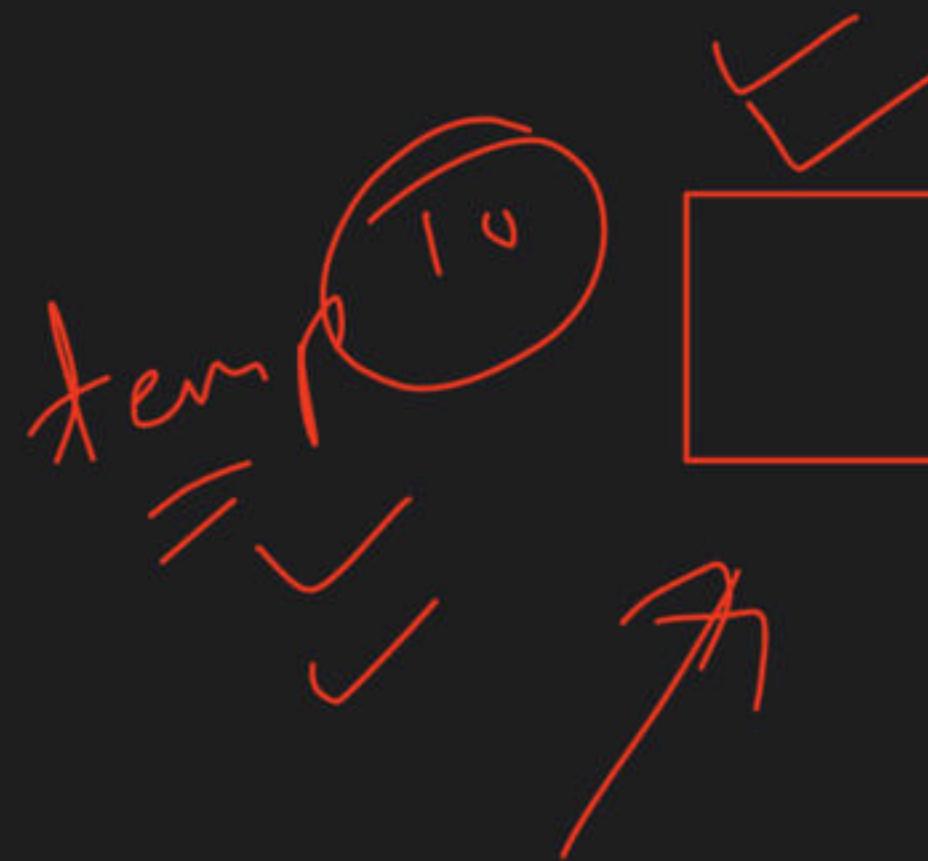




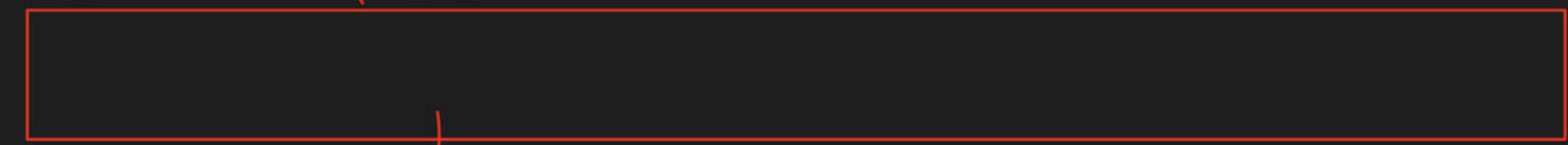




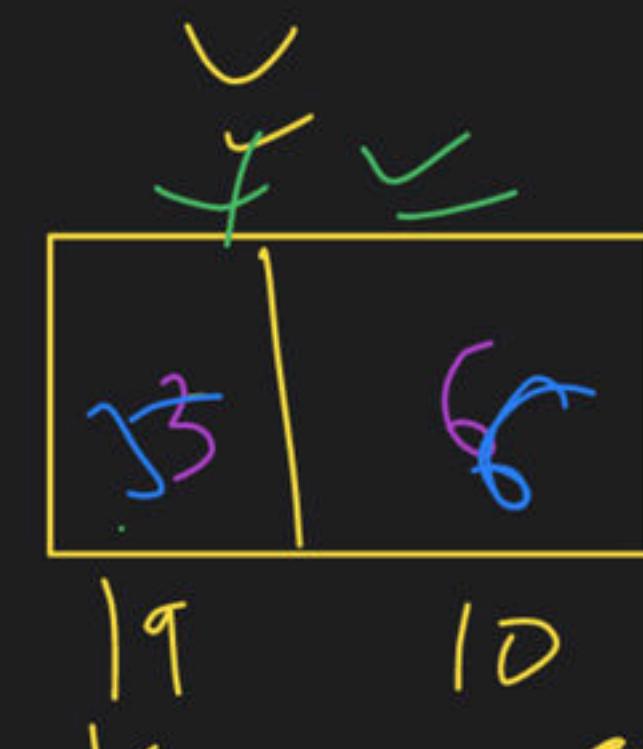
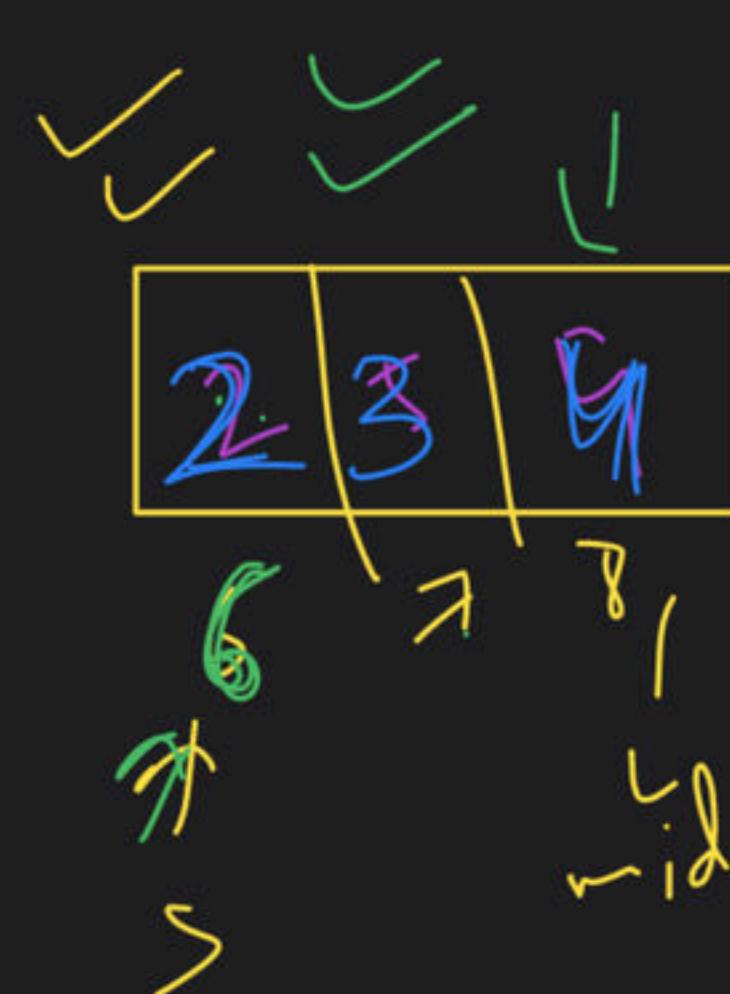
10



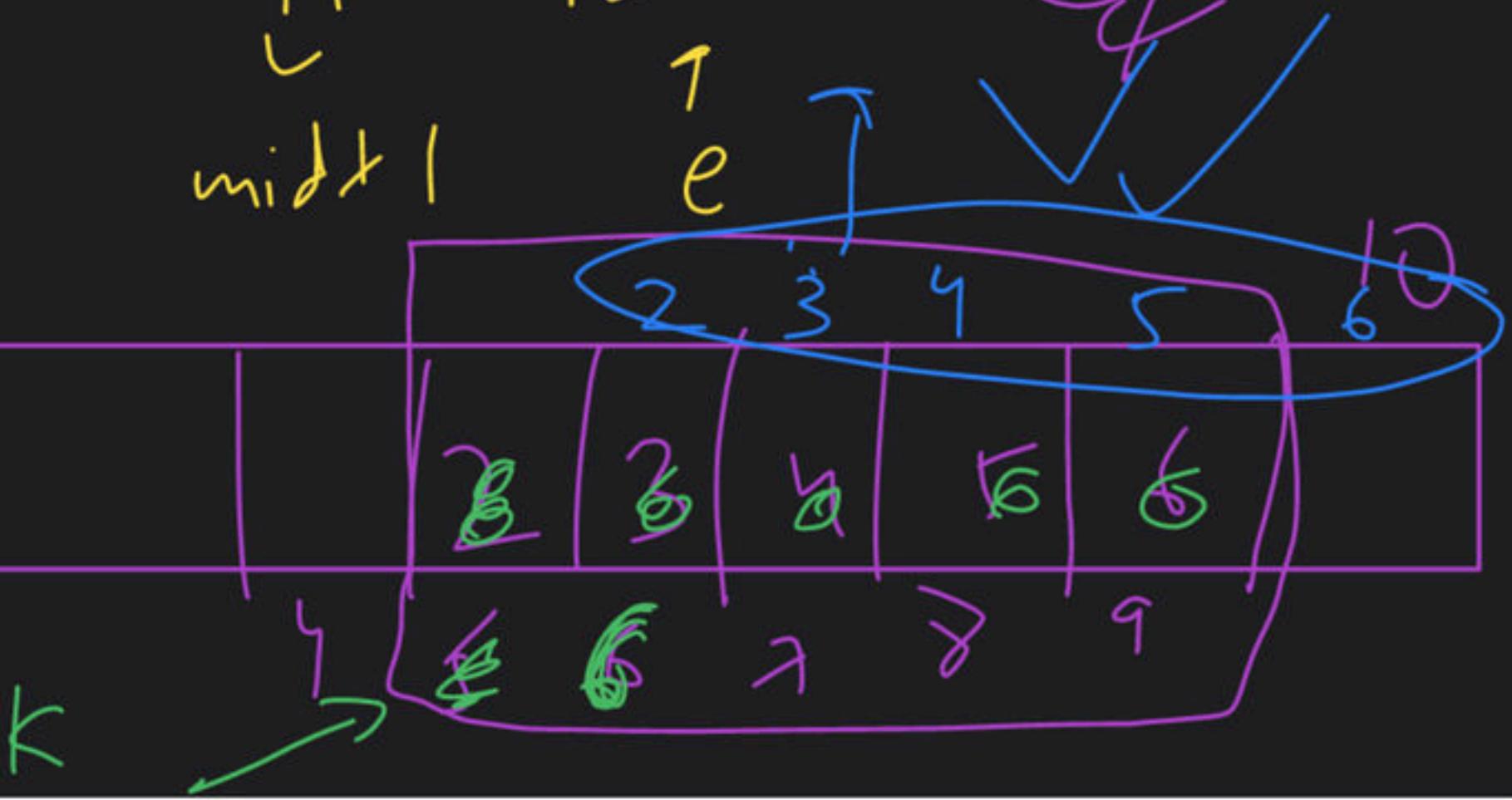
X



merge ka kaam



midst



⇒

In-place Merge Sort  $\Leftarrow \Delta \Delta \cup$

⇒ Merge sort  $\Rightarrow$   $15 \cup \cup \cup$

$15 \cup \cup$

$15 \cup \Delta \Delta$

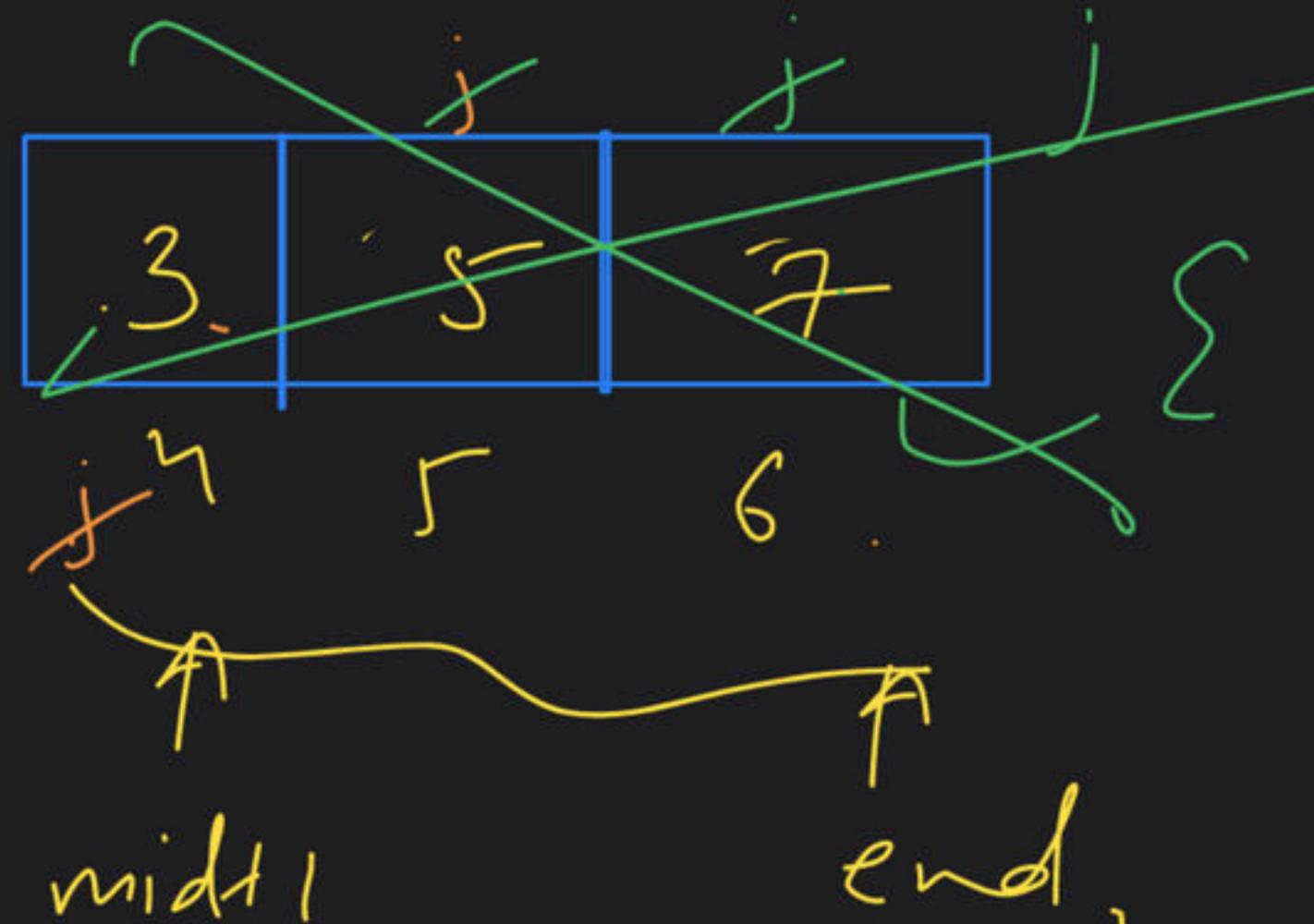
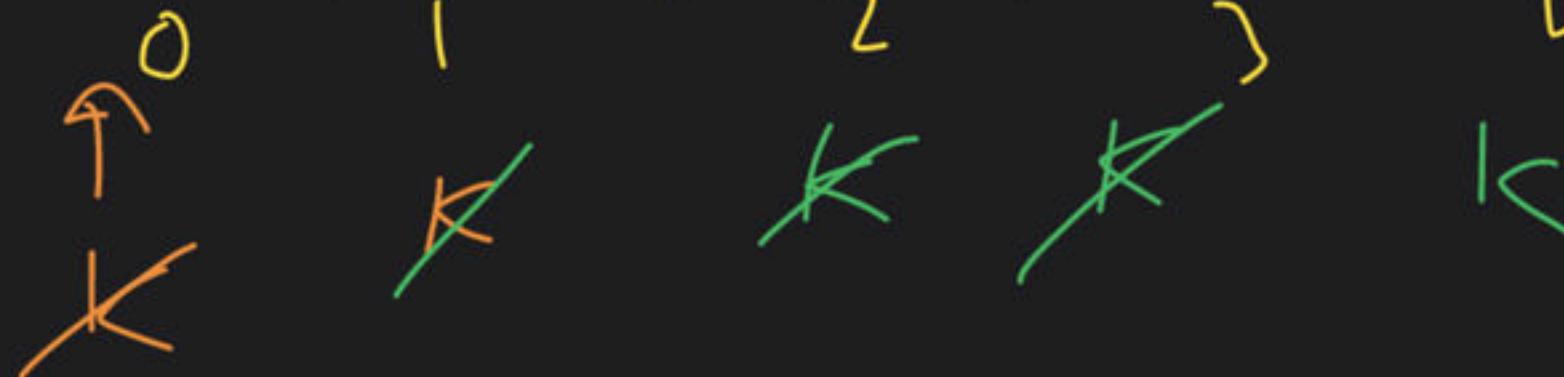
6	8	12	15
0	1	2	3



temp.

3	5	6	7	8	12	15
0	1	2	3	4	5	6

temp.



$$\text{temp}[k] = v[.]$$

$$\text{temp}[0] = v[4]$$

→ break into left & right half

→ recursion

→ merge 2 sorted arrays

new

↓ ↓ ↓ ↓  
costly hole  
half

PSL

mergeSort (arr, s, e)

```
|| B.C
if(s > = e)
    return;
```

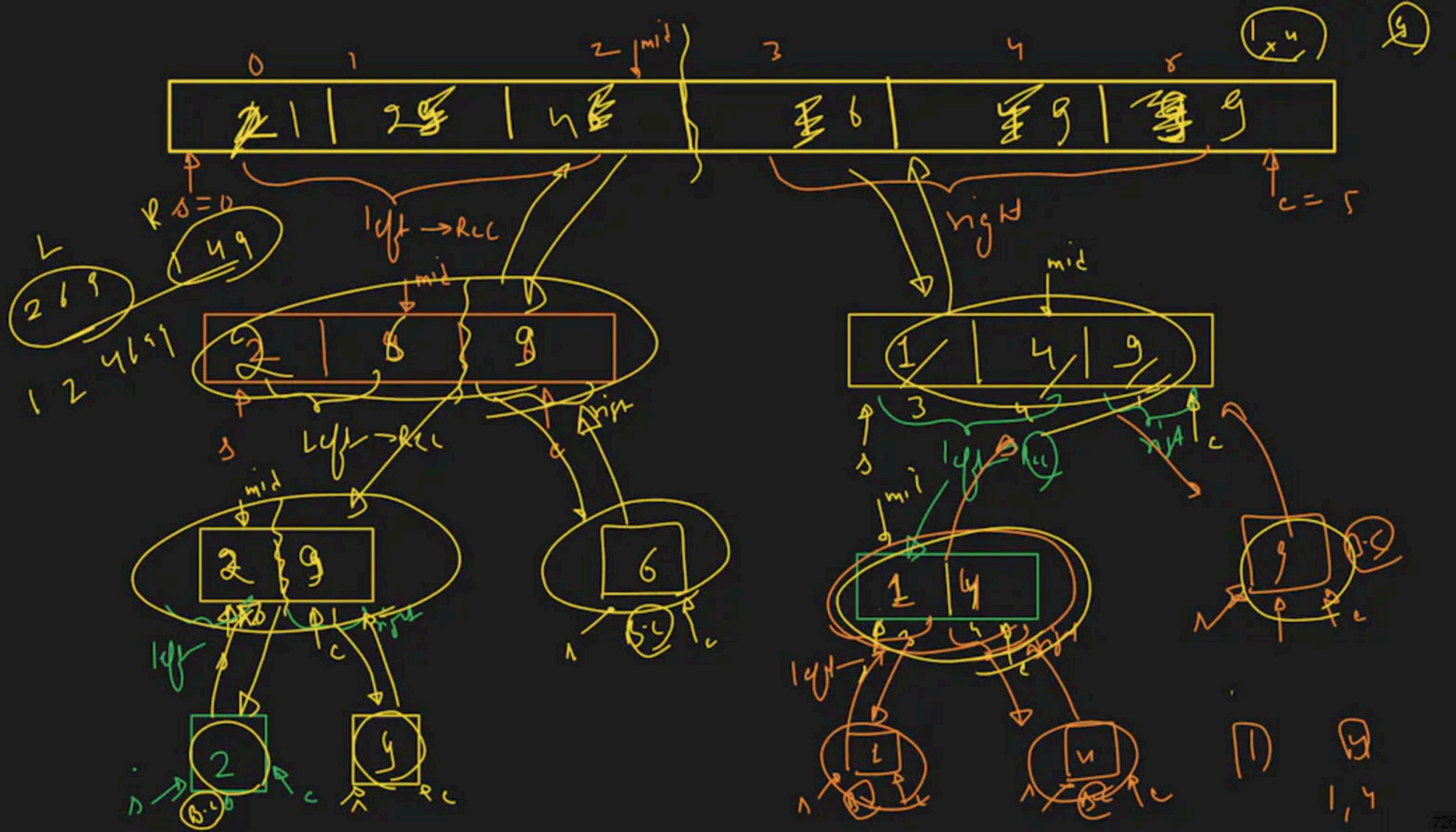
→ int mid = (s + e) / 2;

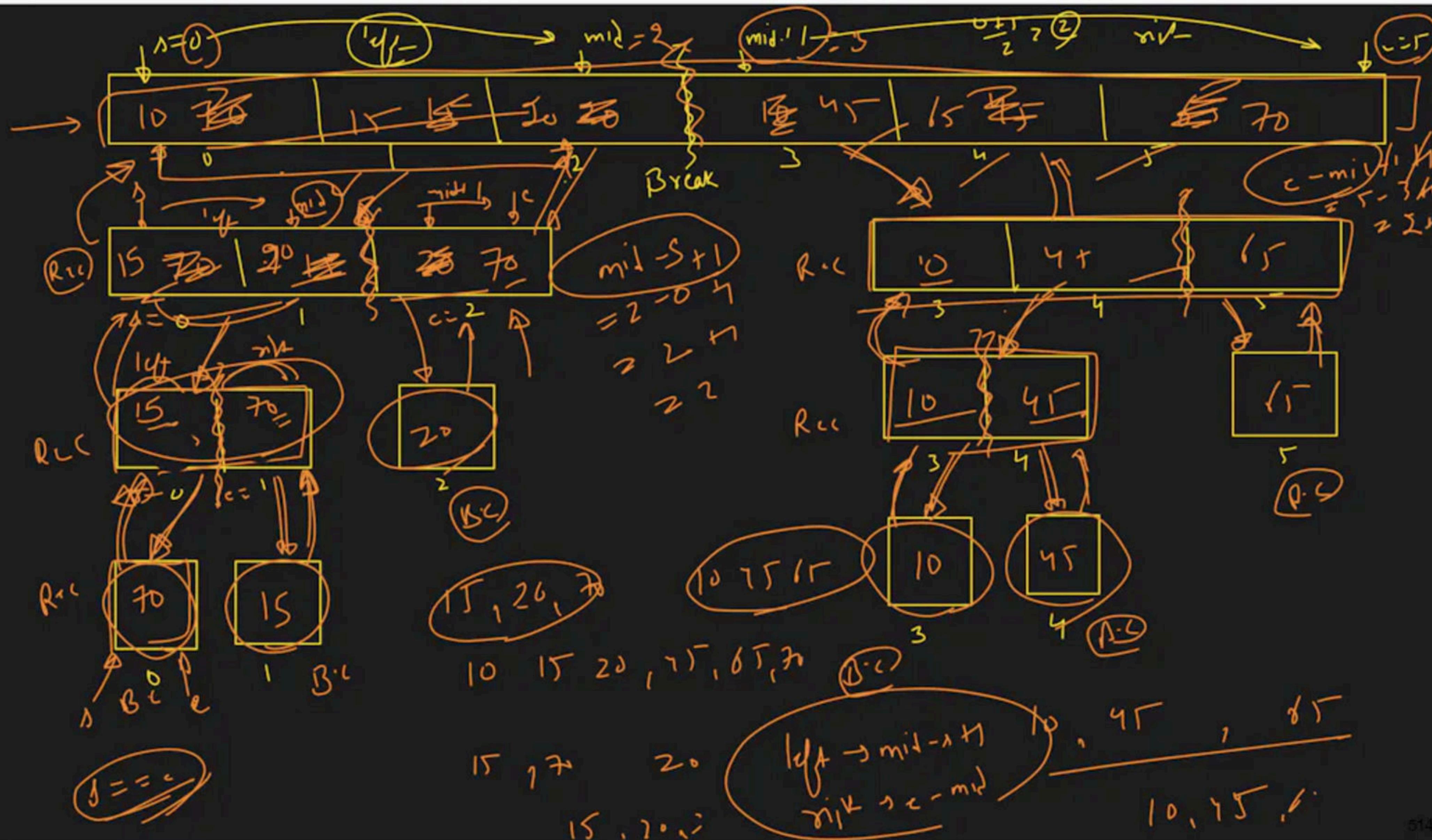
→ mergeSort (arr, s, mid);

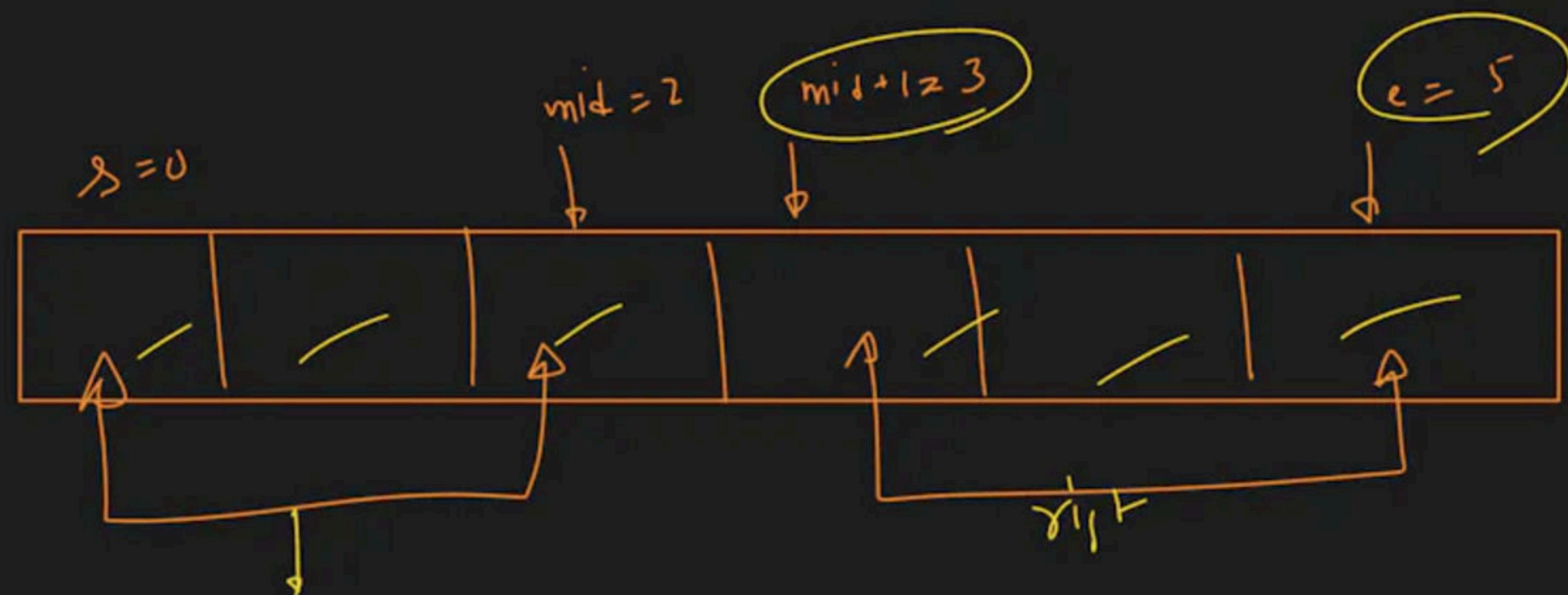
→ mergeSort (arr, mid + 1, e);

→ merge (arr, s, e, mid);

}







$$\begin{aligned}
 l &= 0 \\
 r &= 5 \\
 mid &= 2 \\
 mid + 1 &= 3 \\
 e &= 5
 \end{aligned}$$

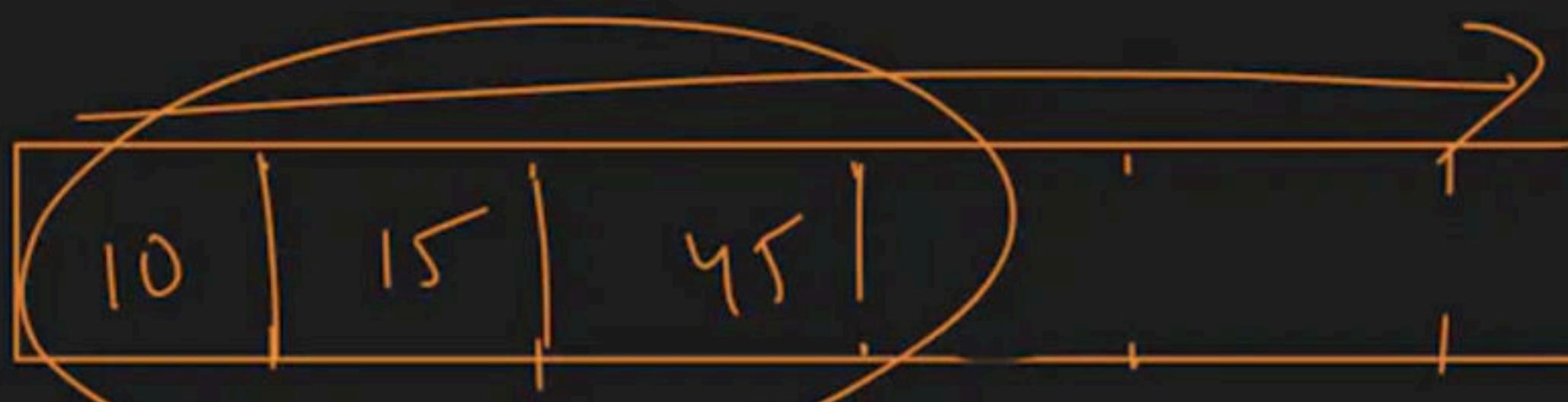
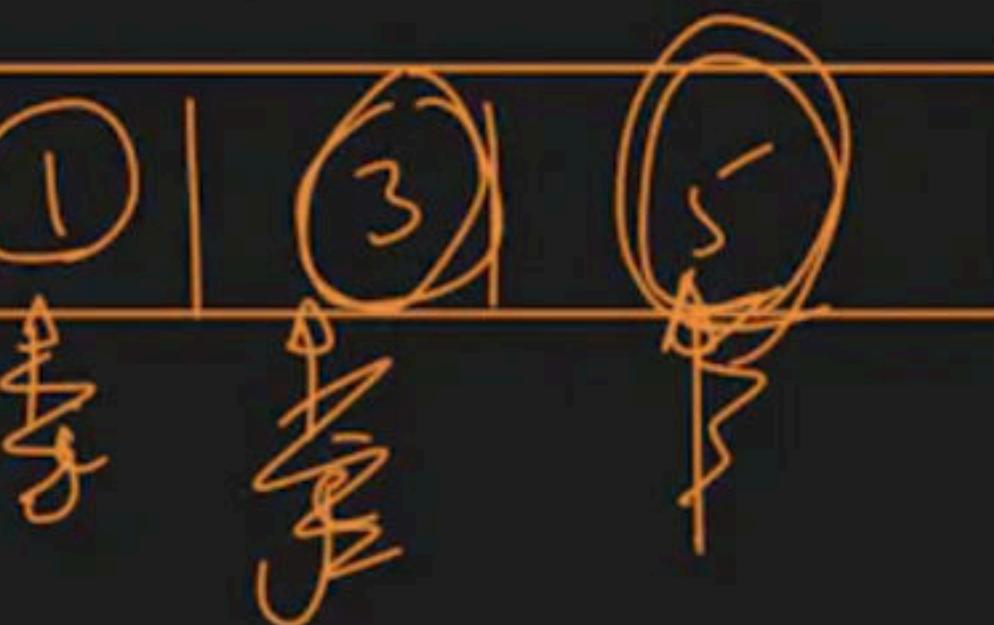
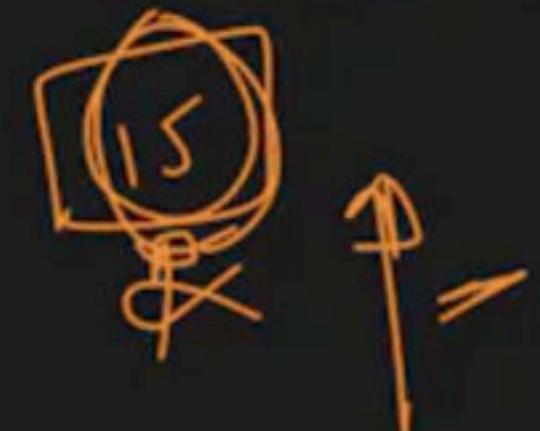
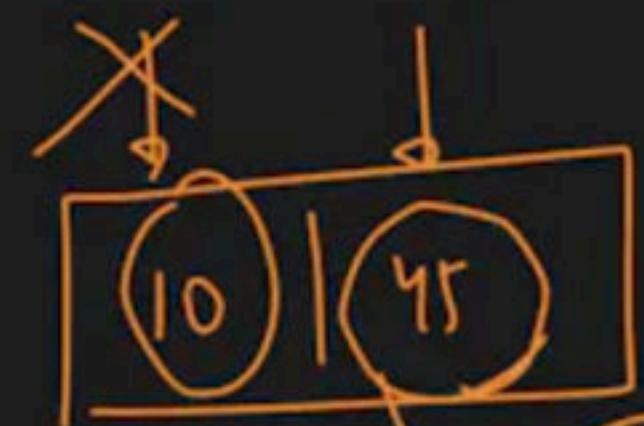
$$\begin{aligned}
 e - (mid + 1) + 1 &= (e - mid) / 2 + 1 \\
 5 - 3 + 1 &= 2 + 1
 \end{aligned}$$

lun 2

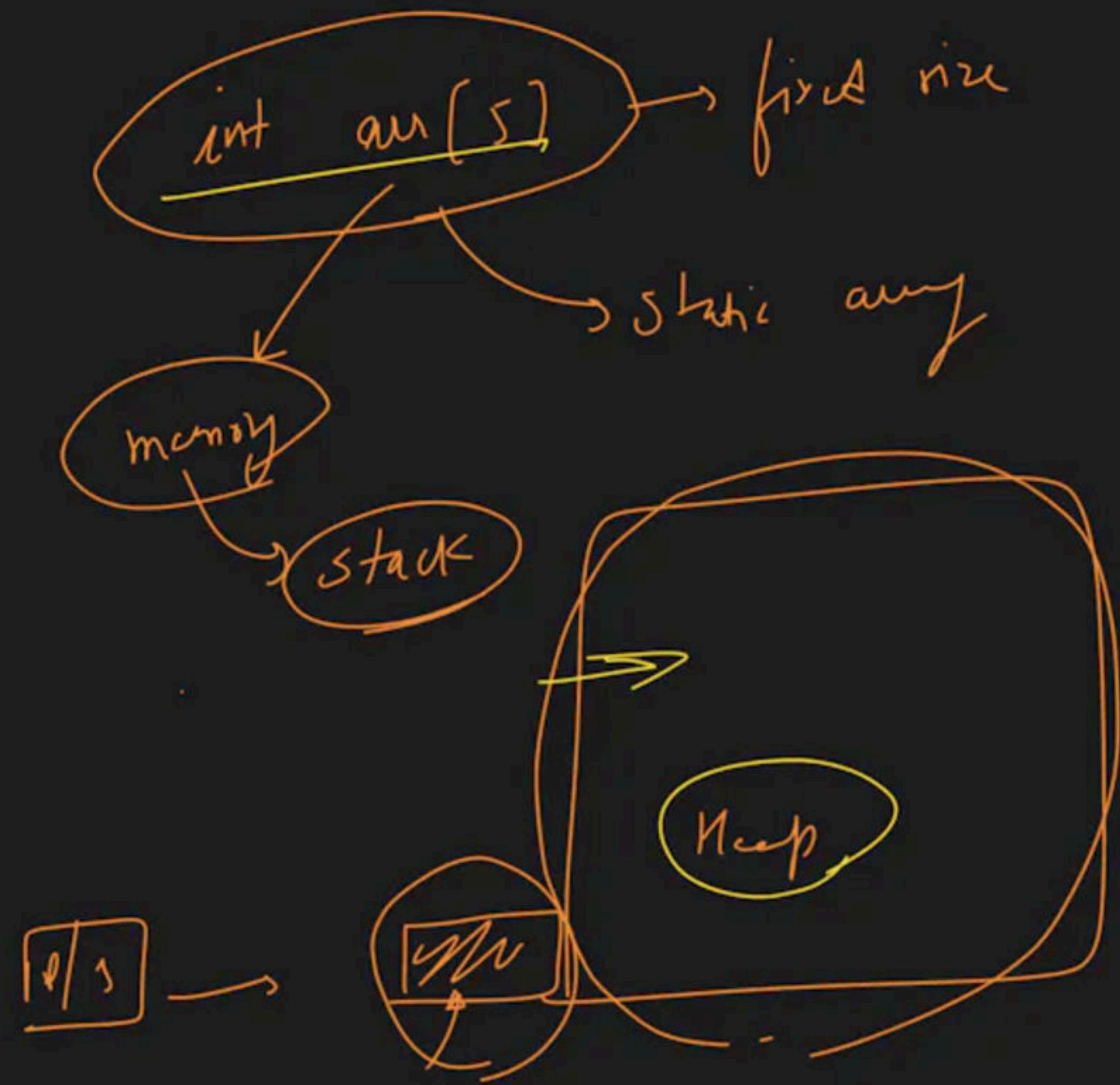
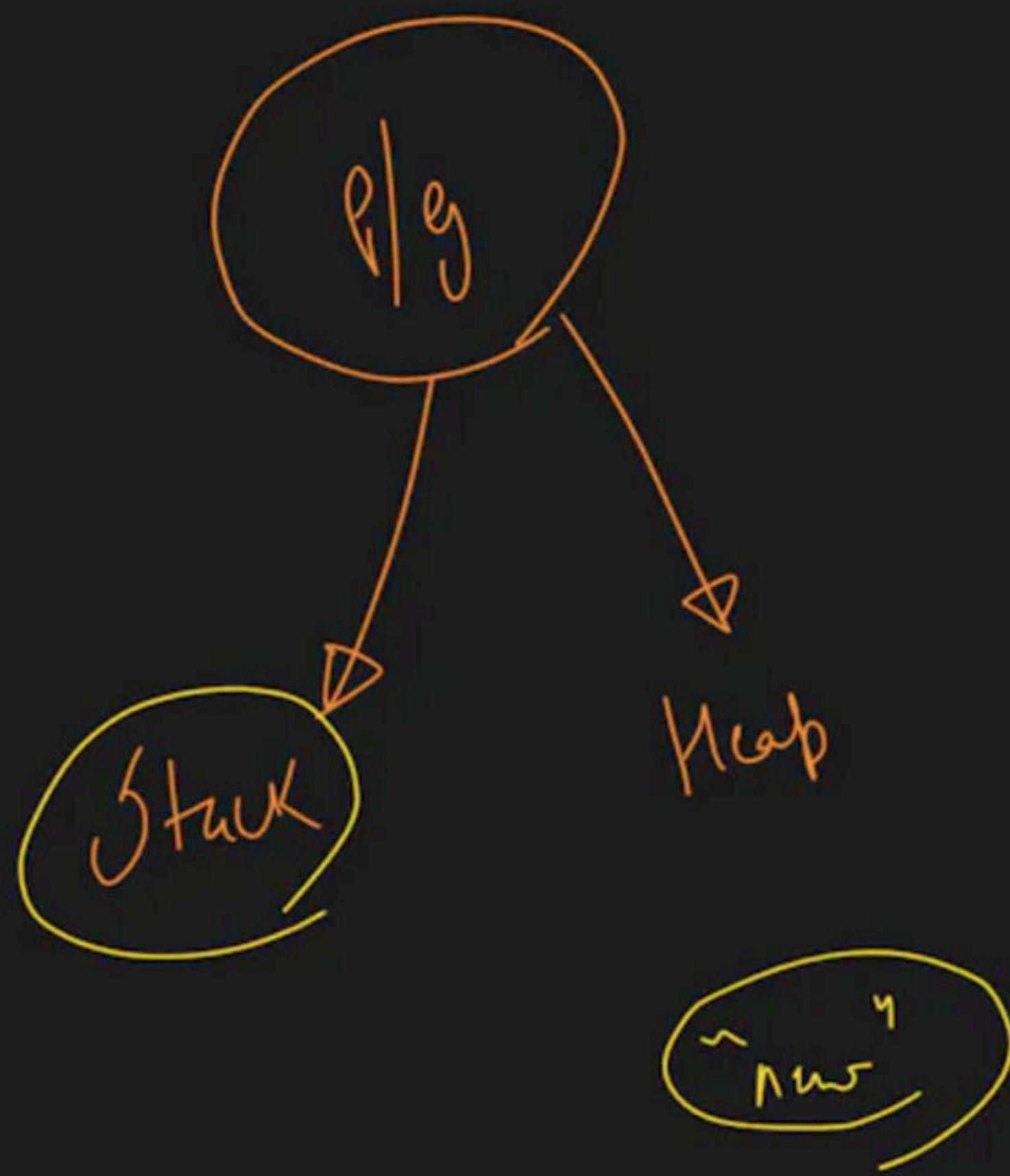
Merge

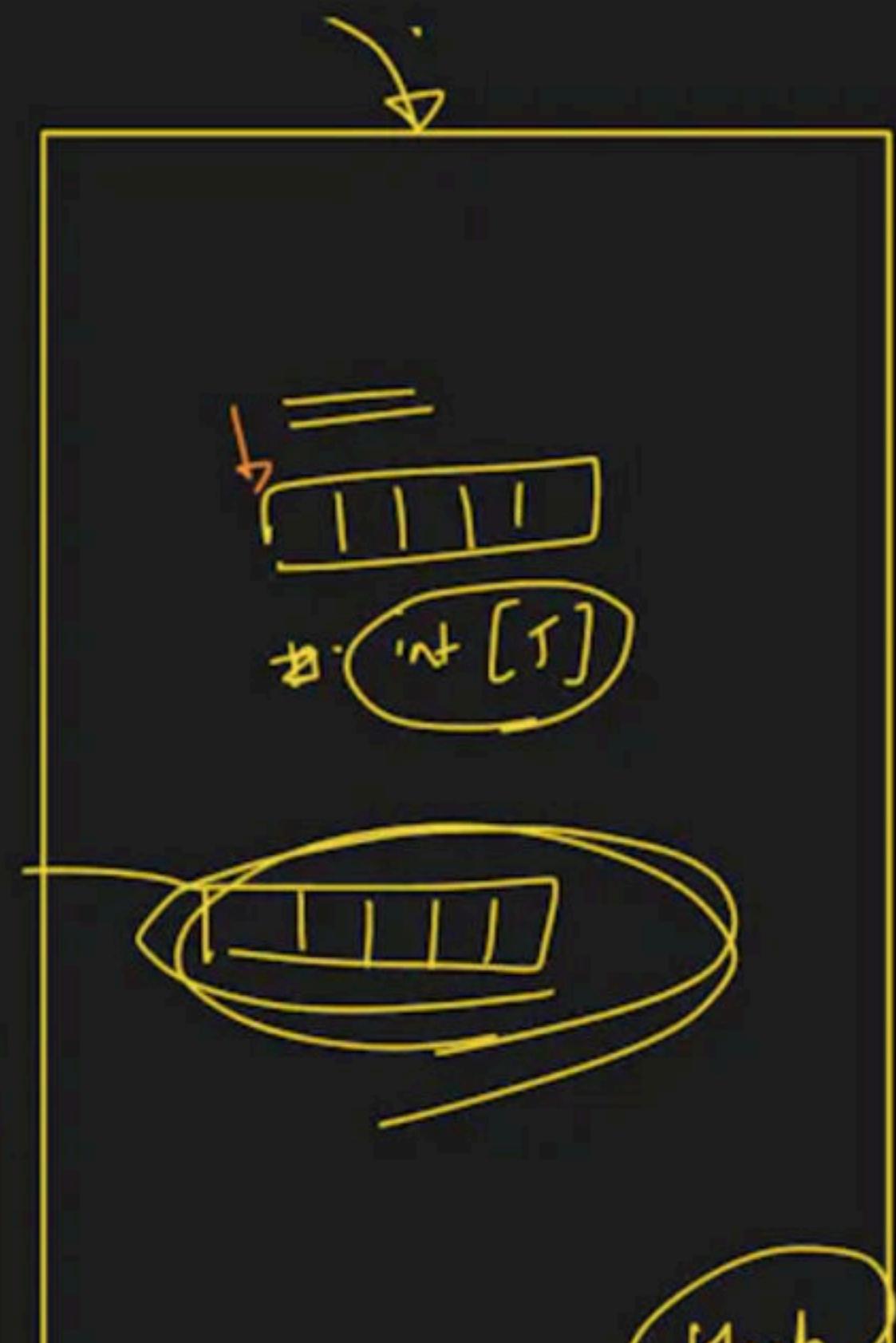
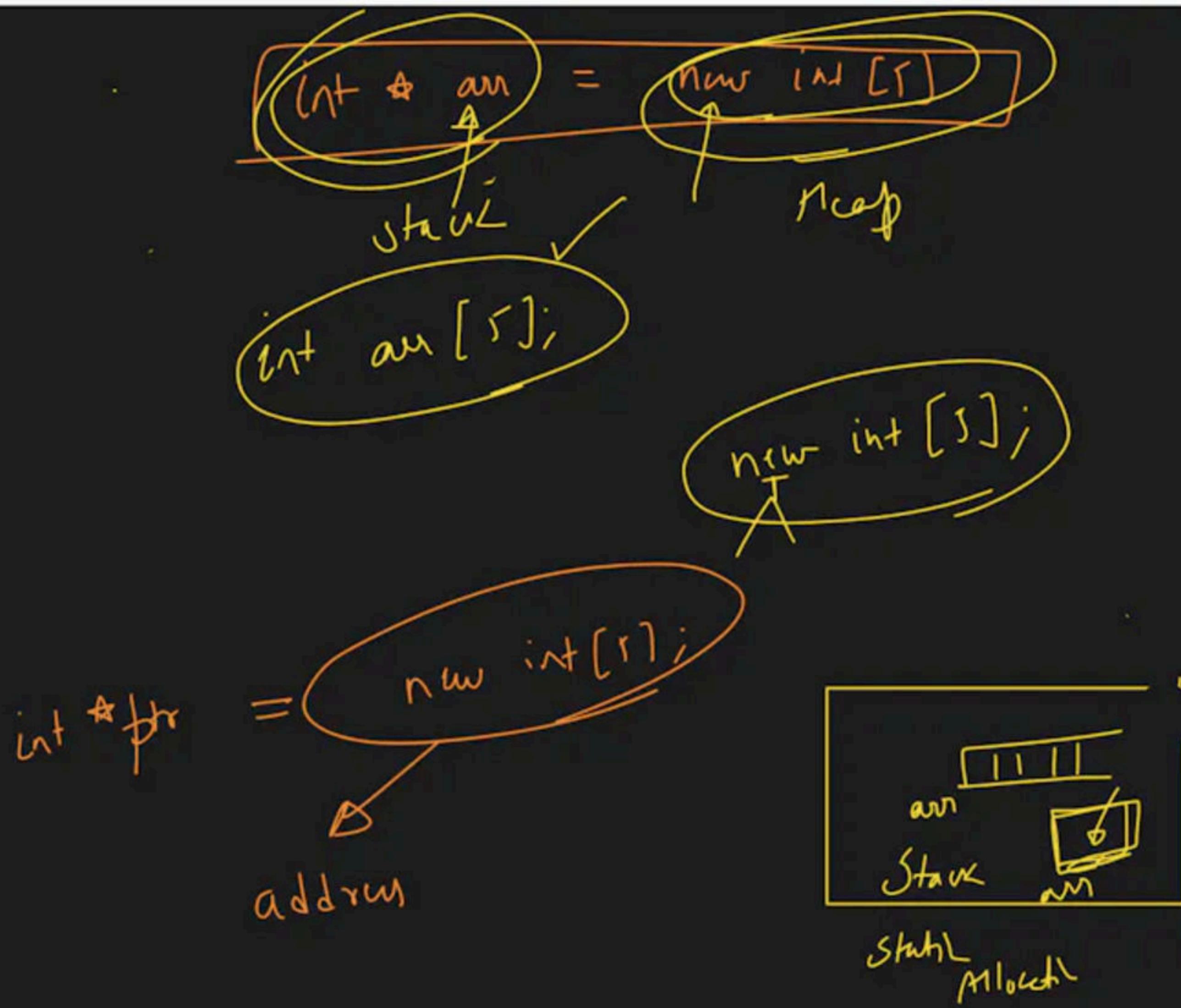
2

Sorted Array



au3





Dynamic Allocation

dynamic memory alloc

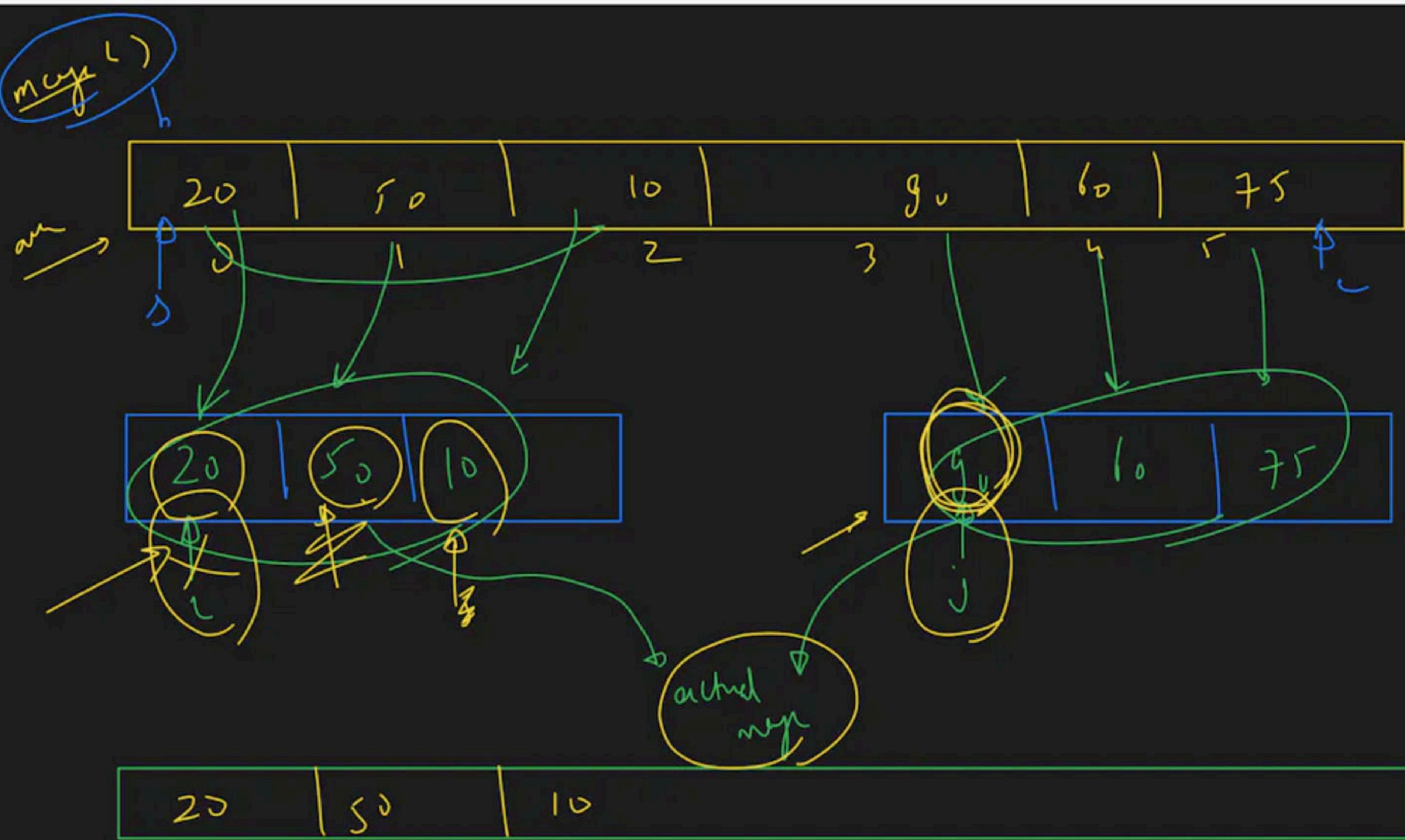
alloc

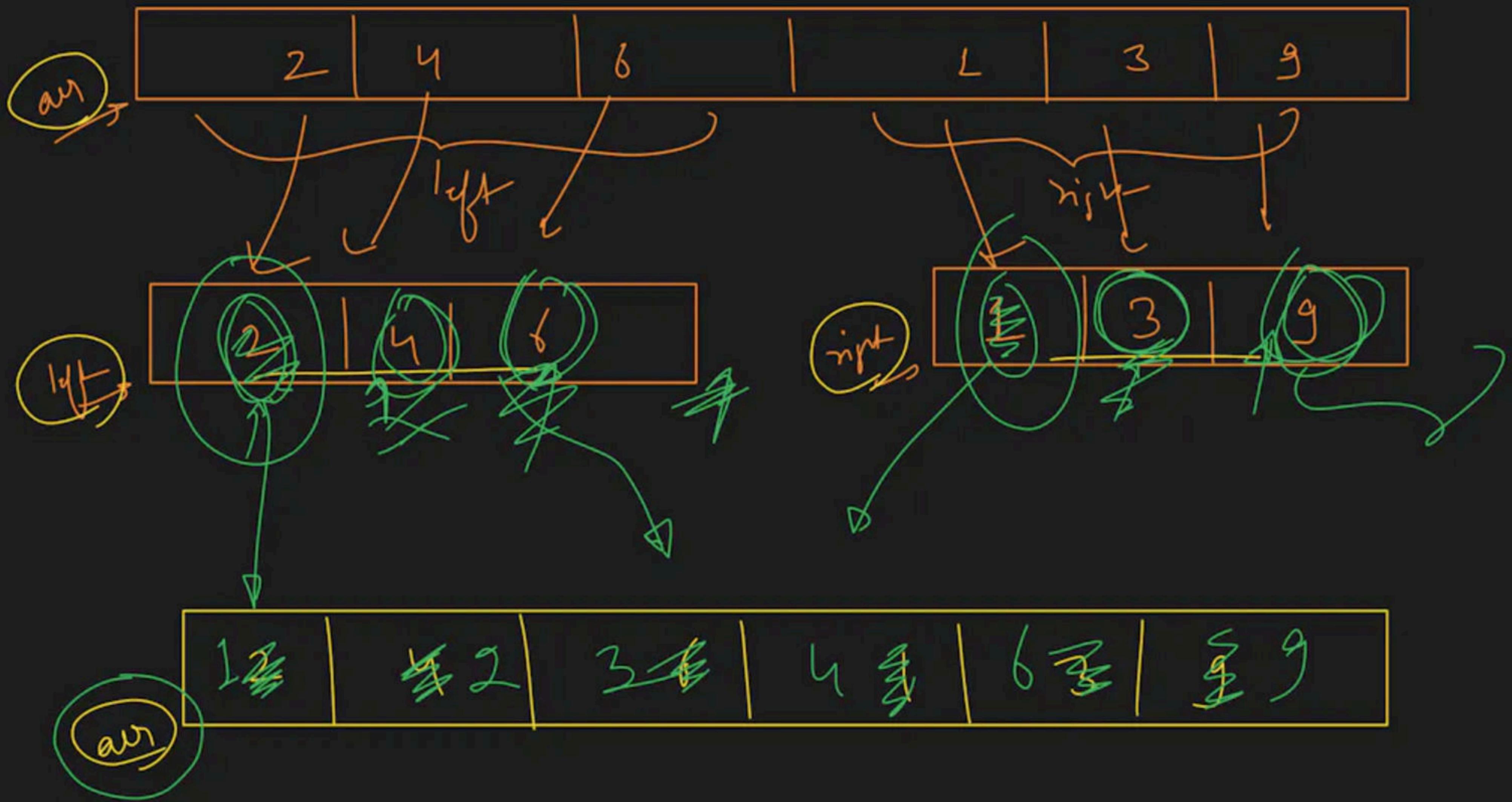
int \* aux = new int [n]  
↑  
p

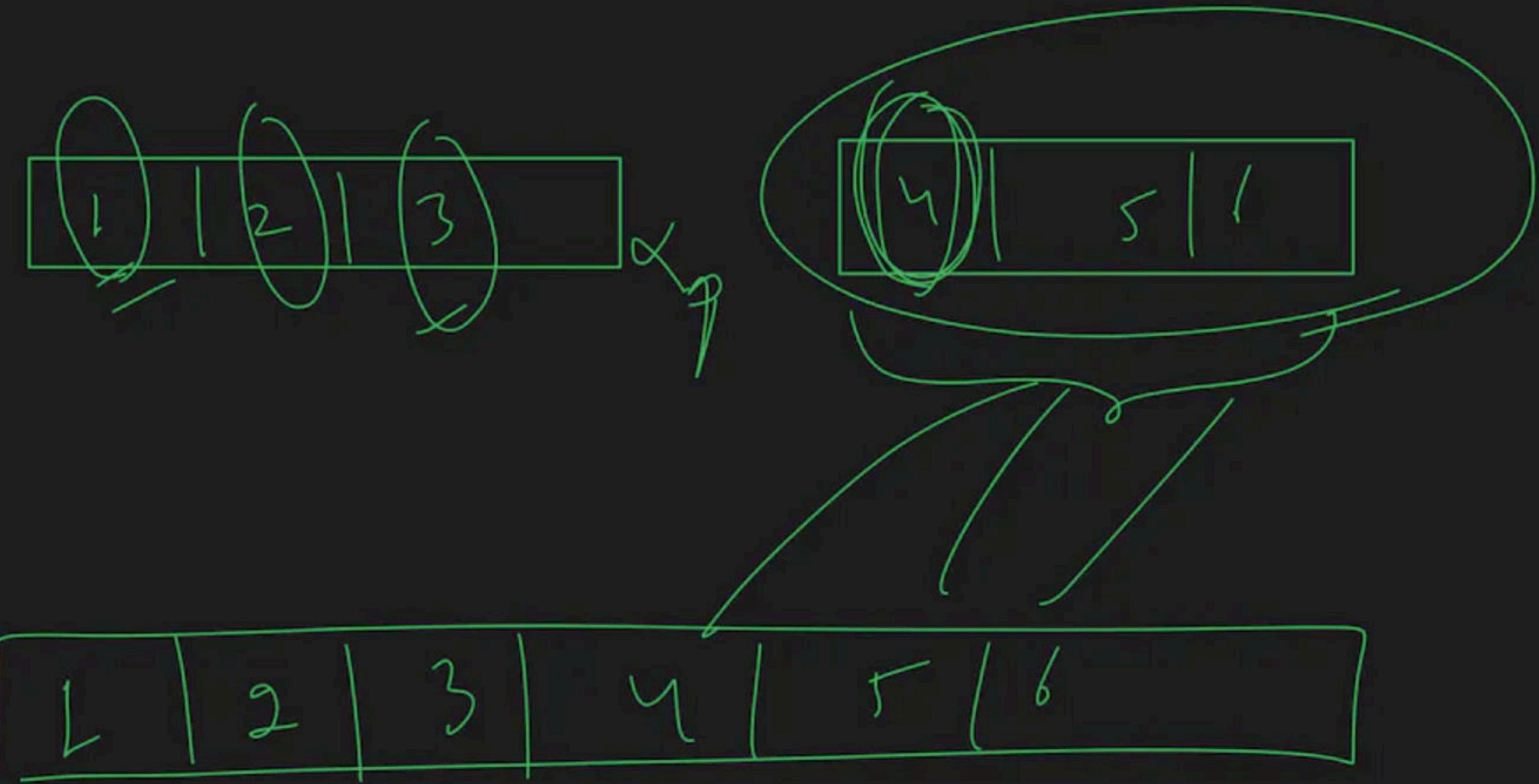
de-allocate

→

delete [] aux;







mergeSort (arr, s, e)

{

// Base Case

→ Break into L & R

→ Recur for L & R

→ Merge L & R

}

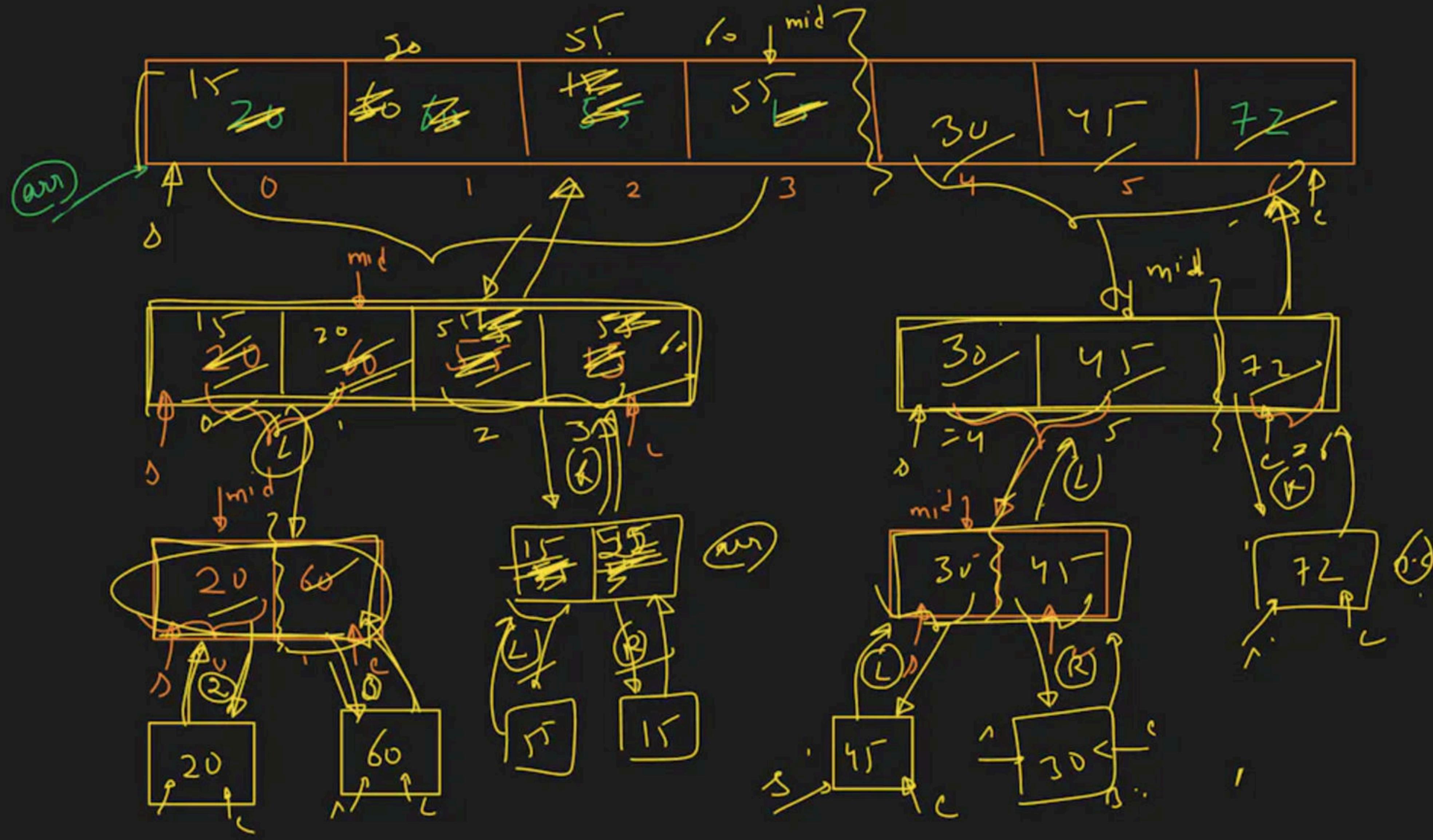
for

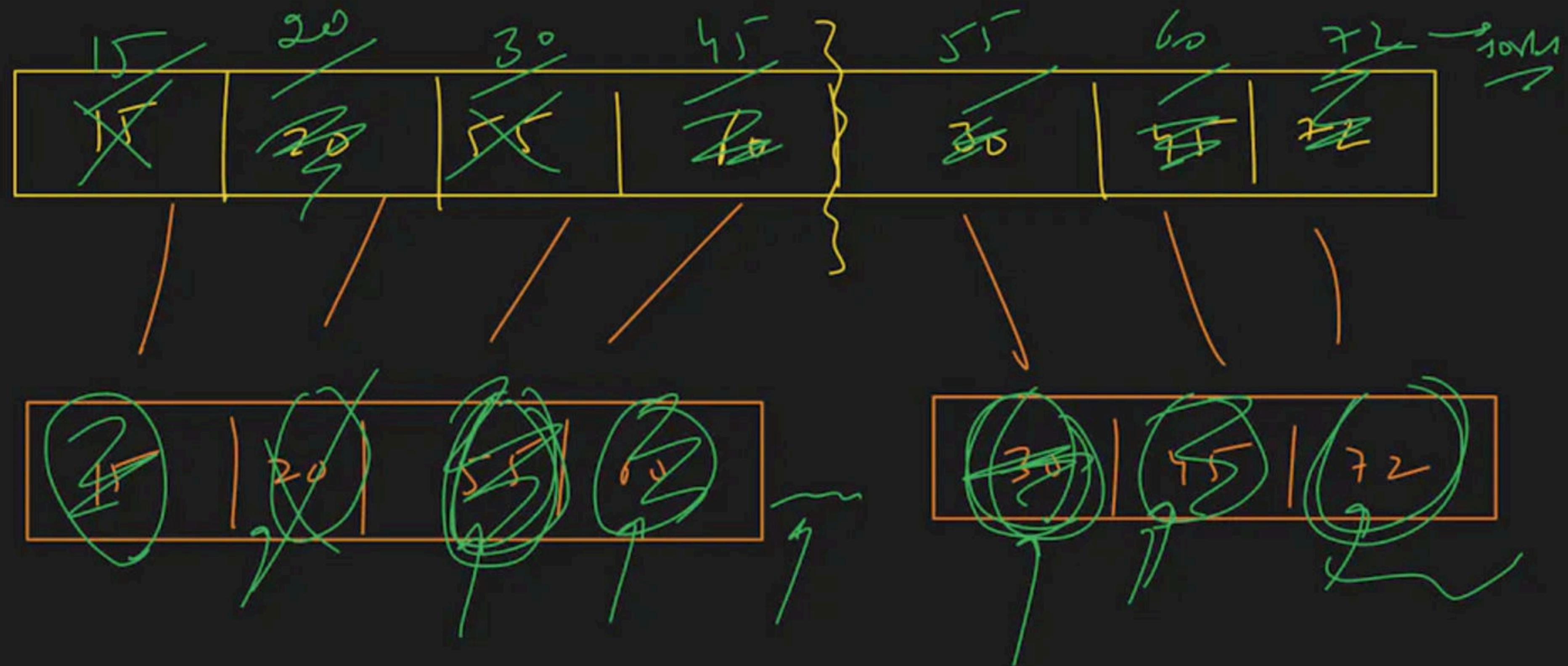
merge ( arr, s, e, mid)

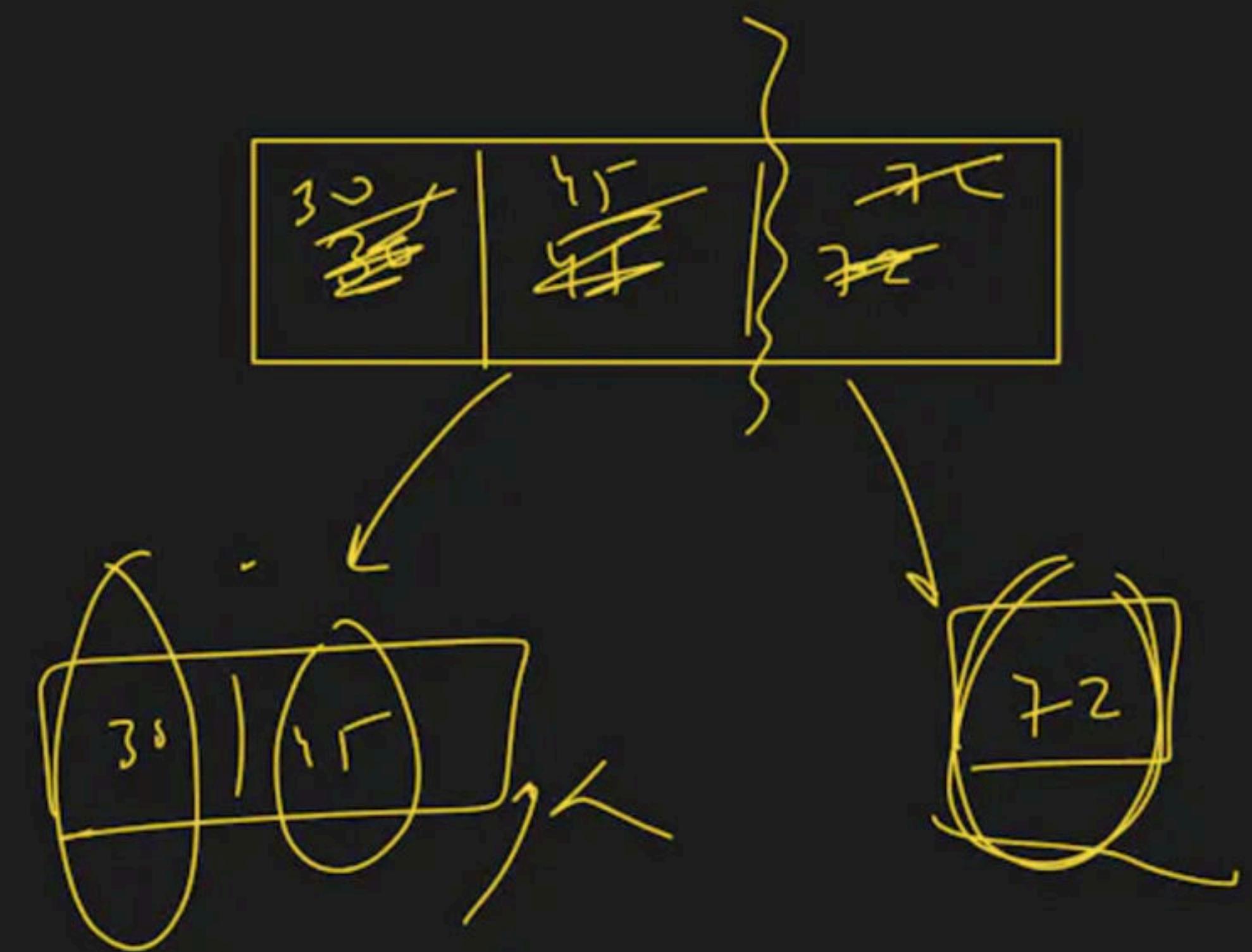
→ Create left & right arrays

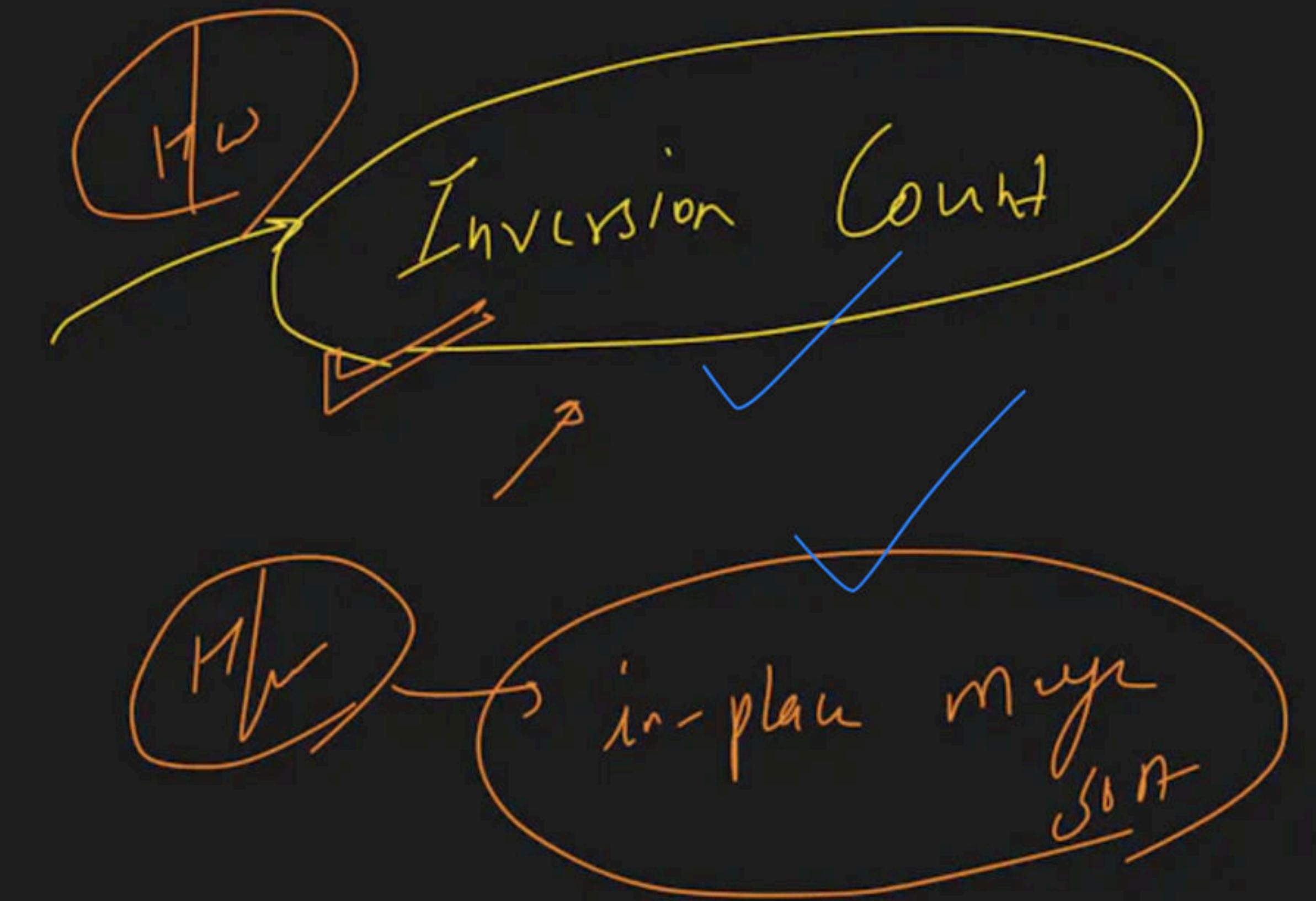
→ copy values from actual array  
into left & right array

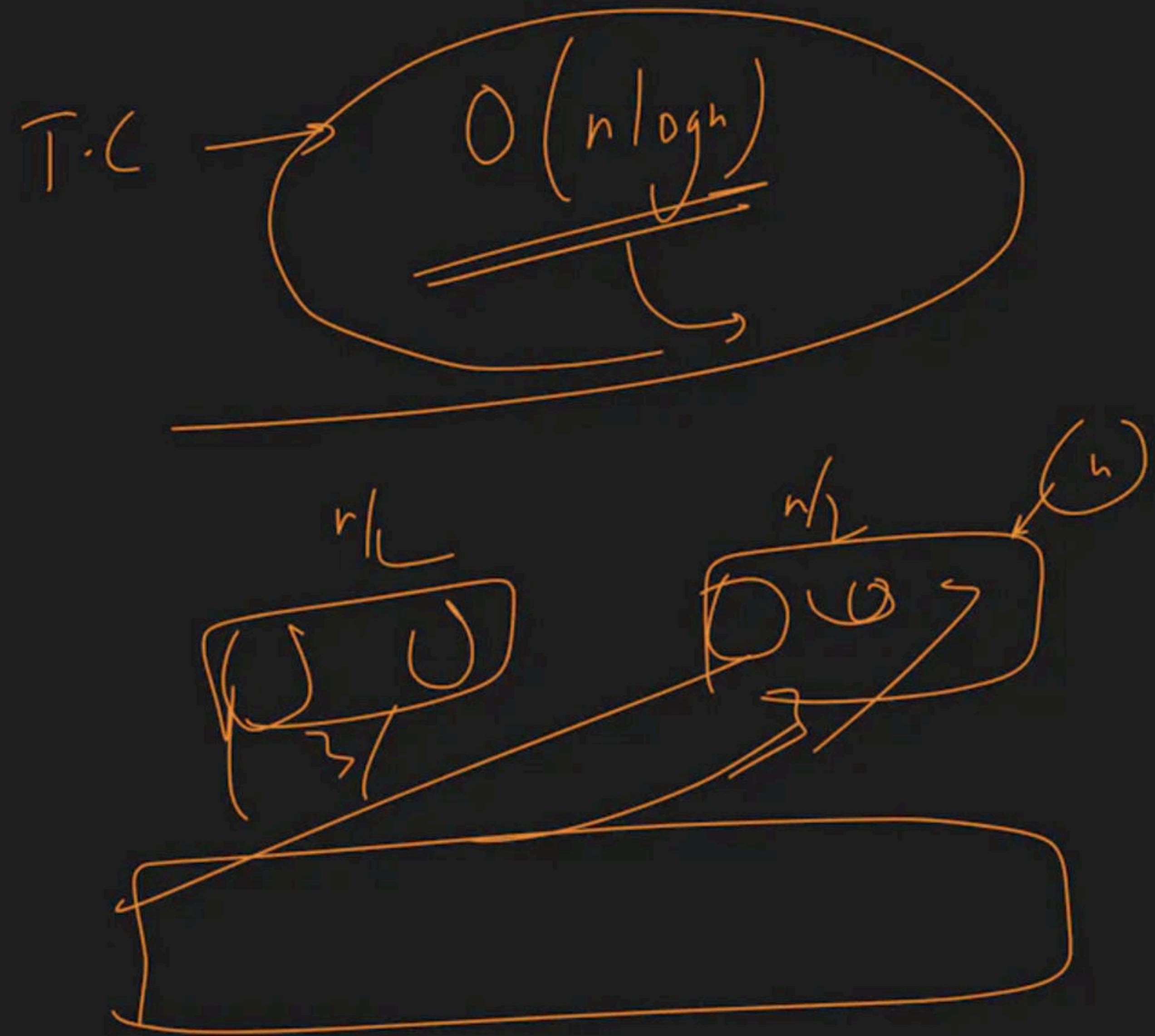
→ Actual merge 2 sorted  
array (using 2 pointers)

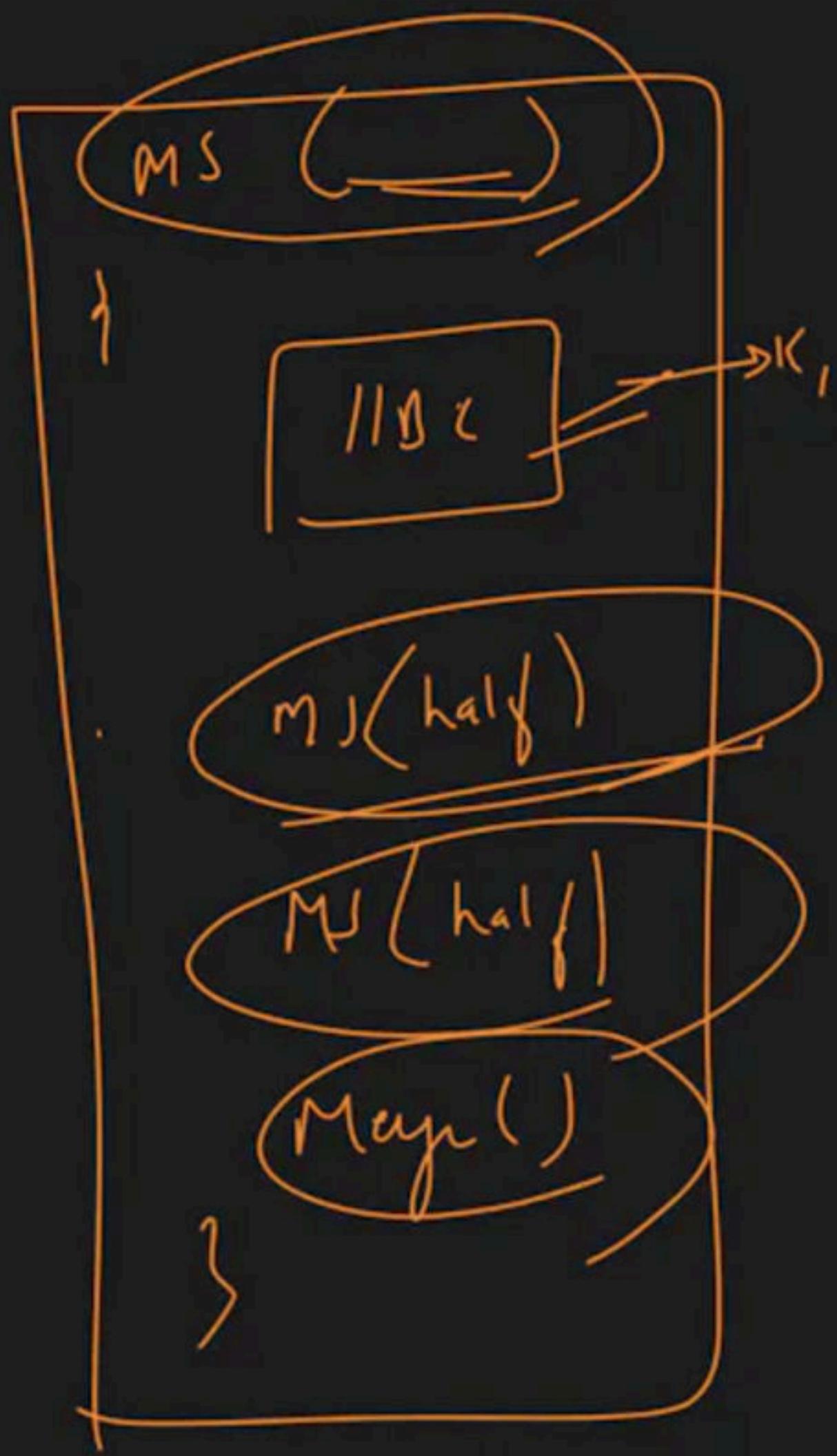












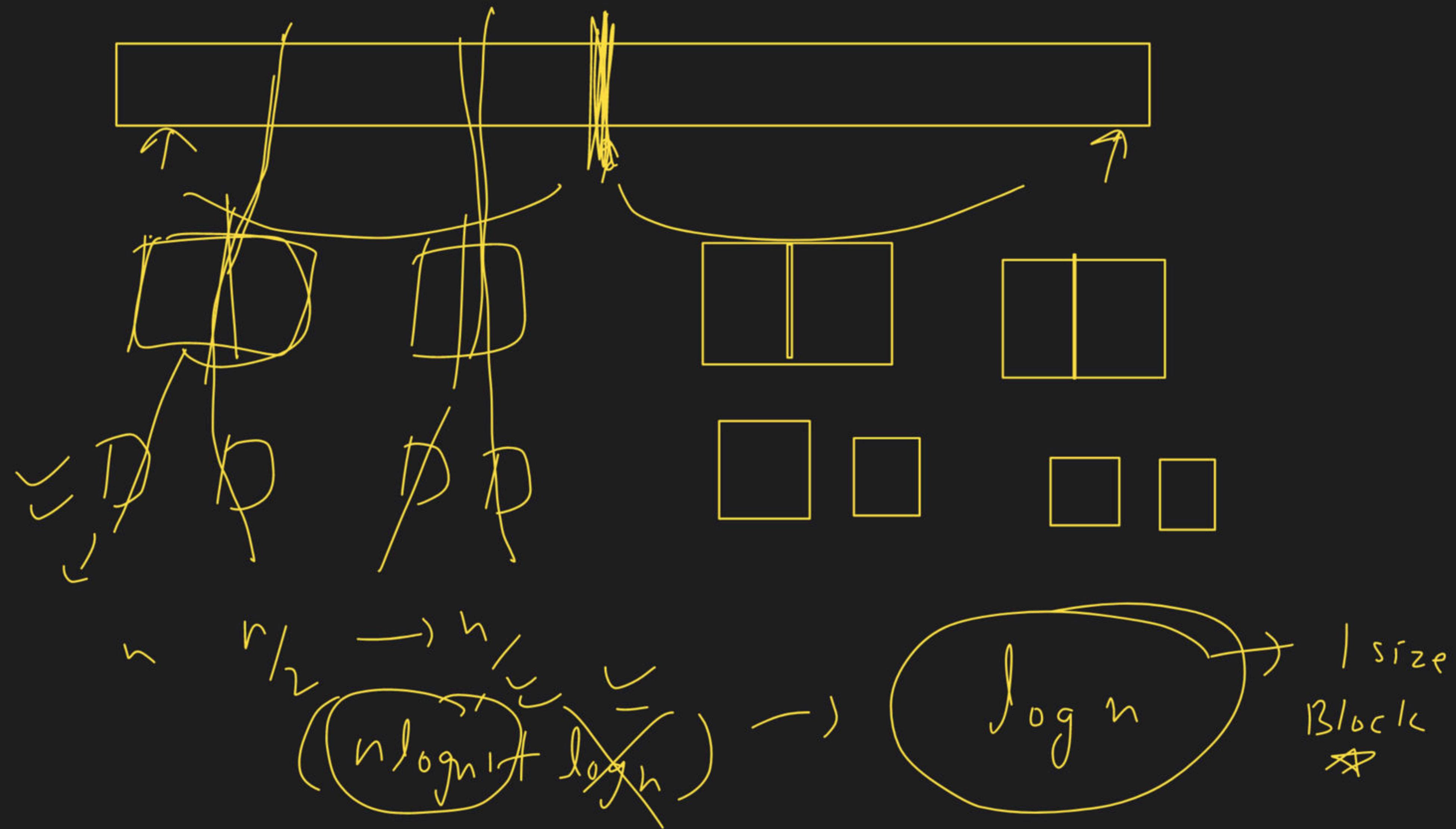
$$\begin{aligned}
 T(n) &= K_1 + T\left(\frac{n}{2}\right) + T\left(\frac{n}{4}\right) + \dots + n * K \\
 T(n) &= K_1 + 2T\left(\frac{n}{2}\right) + n * K \\
 2T\left(\frac{n}{2}\right) &= K_1 + 2T\left(\frac{n}{4}\right) + n * K \\
 4T\left(\frac{n}{4}\right) &= K_1 + 4T\left(\frac{n}{8}\right) + n * K \\
 \vdots &\quad \vdots \\
 T(1) &= K_1
 \end{aligned}$$

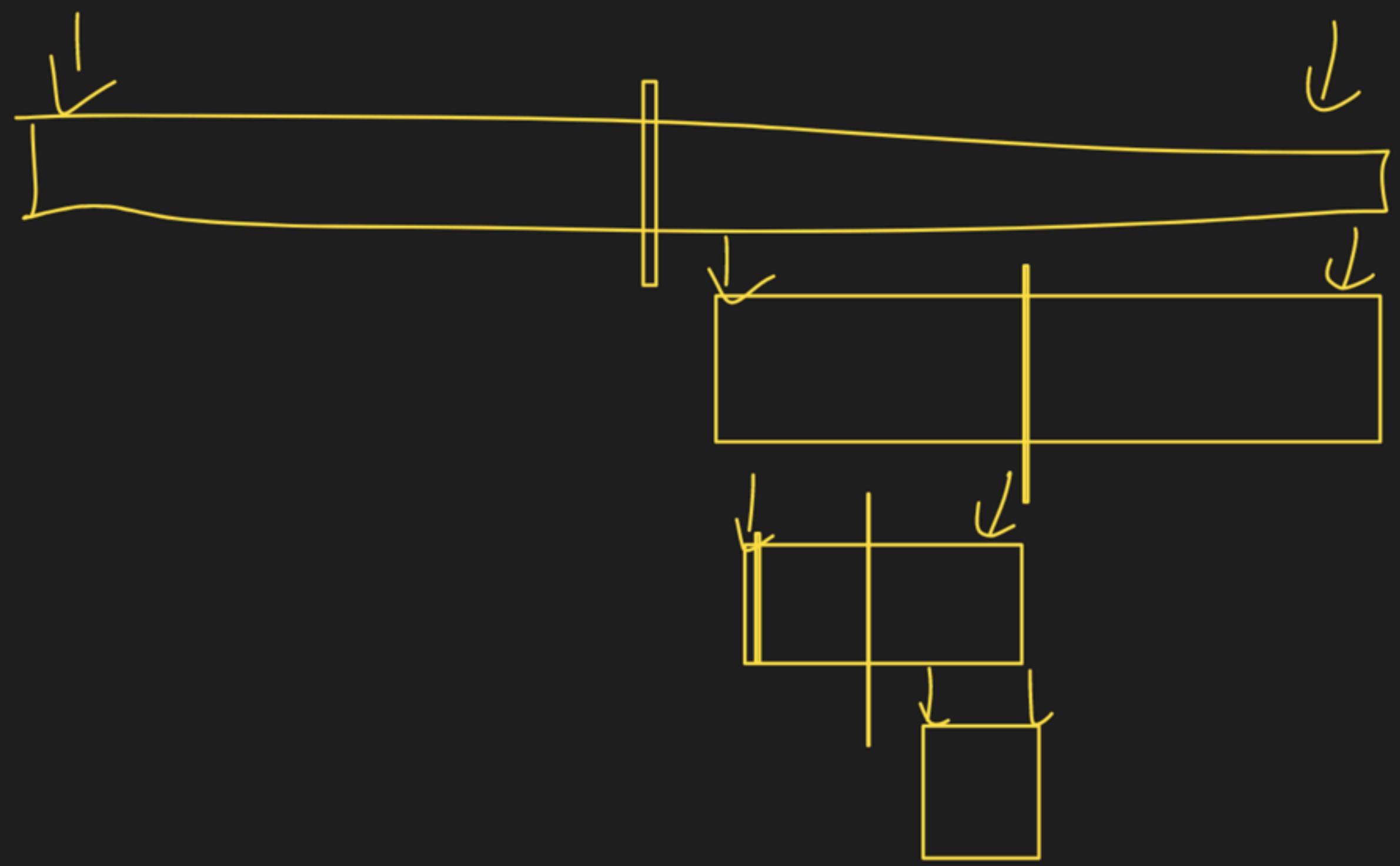
Annotations and notes:

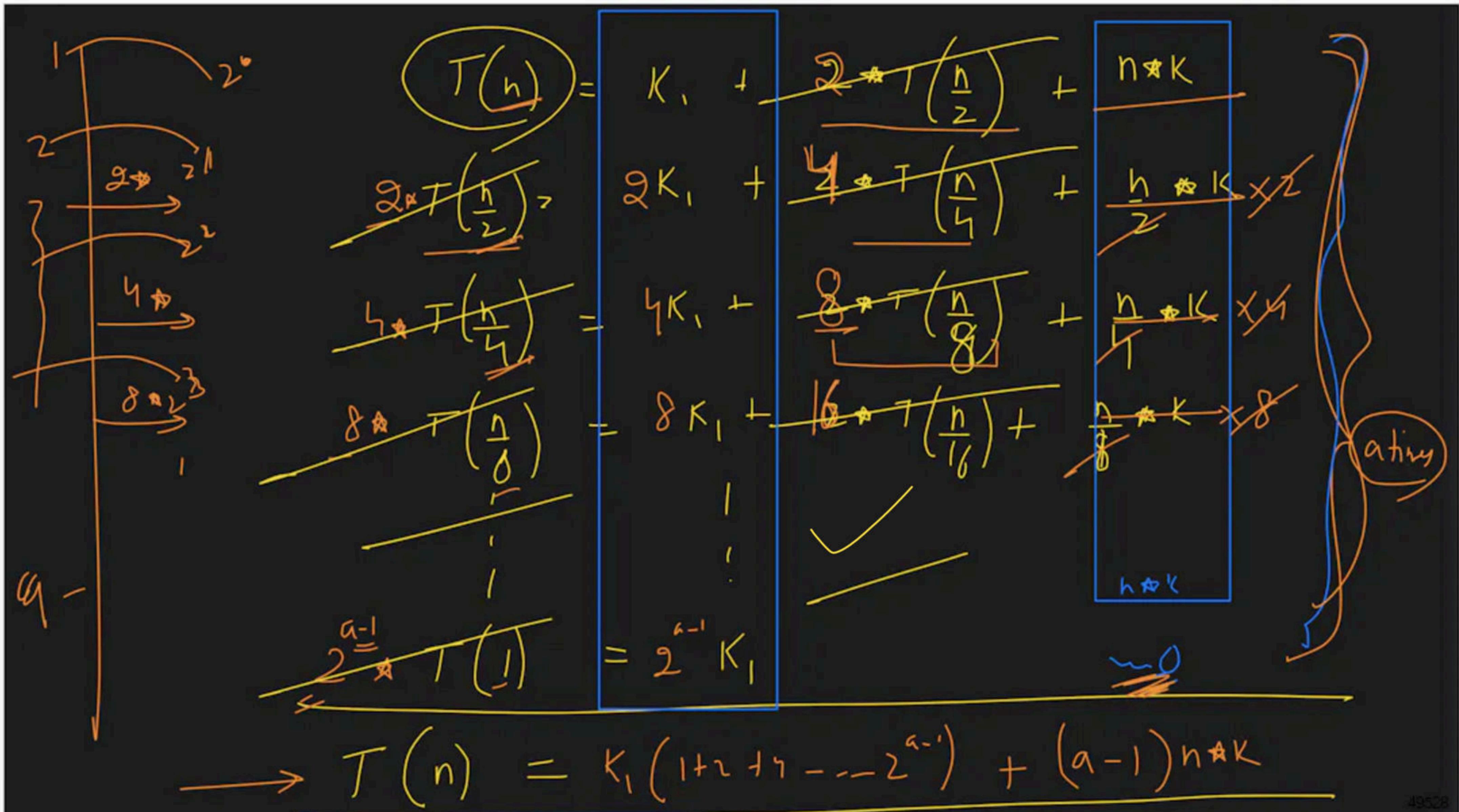
- Top row:**  $K_1$ ,  $\frac{n}{2}$ ,  $\frac{n}{4}$ ,  $\dots$ ,  $n * K$ . A blue bracket groups the terms  $T\left(\frac{n}{2}\right)$ ,  $T\left(\frac{n}{4}\right)$ , and  $\dots$  with the label "Rept K.". To the right, a blue bracket groups  $n * K$  and  $n * K$  with the label "Merge".
- Second row:**  $K_1$ ,  $2T\left(\frac{n}{2}\right)$ ,  $n * K$ . A blue bracket groups  $2T\left(\frac{n}{2}\right)$  and  $n * K$  with the label "Merge".
- Third row:**  $K_1$ ,  $4T\left(\frac{n}{4}\right)$ ,  $n * K$ . A blue bracket groups  $4T\left(\frac{n}{4}\right)$  and  $n * K$  with the label "Merge".
- Bottom row:**  $K_1$ ,  $T(1)$ ,  $n * K$ . A blue bracket groups  $T(1)$  and  $n * K$  with the label "Merge".
- Bottom left:**  $+ (n) =$
- Bottom right:**  $a * n * K$

$$T(n) = K_1 + T\left(\frac{n}{2}\right) + T\left(\frac{n}{2}\right) + n \cancel{*} K$$

$$T(n) = K_1 + 2T\left(\frac{n}{2}\right) + \cancel{1 \times 1}$$







$$T(n) \geq K_1 \left( 1 + 2 + \dots + 2^{n-1} \right) + \left( n - \frac{1}{2} \right) \cdot n \cdot K$$

$$\geq nK_1 + \alpha \cdot n \cdot K$$

$$= n \left( K_1 + \alpha \cdot K \right)$$

$$\geq n \times \alpha \times K$$

$$\geq n \times \alpha = \boxed{n \times \log n}$$

$$T(n) = K_1 \left( \frac{1+2+\dots+2^{n-1}}{g \cdot p} \right) + (a-1)n \star k$$

$K_1 \times n$  +  $a \star n \star k$

$$= K_1 n + \log^a n \times k$$

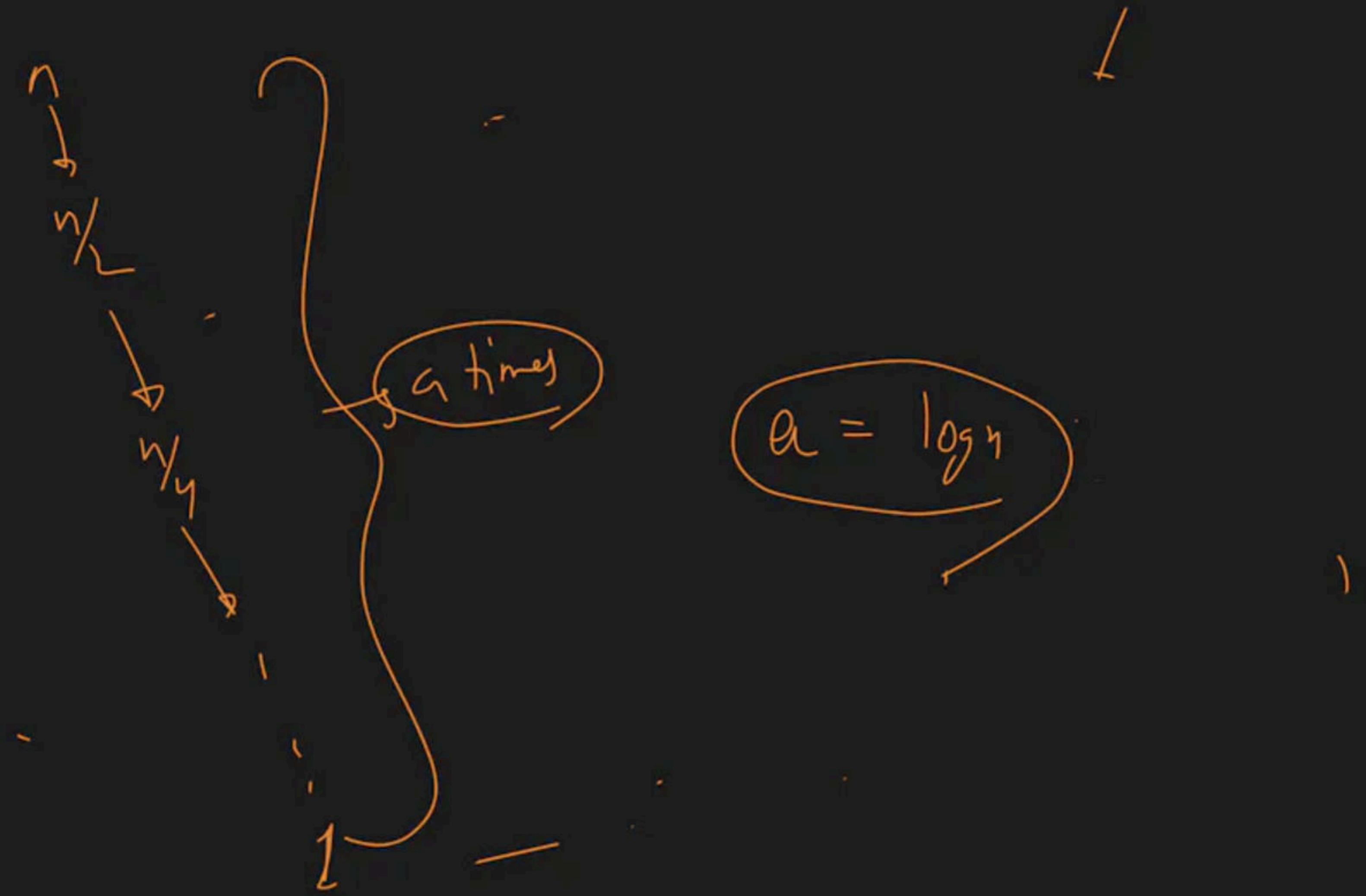
~~$$= K_1 n + \frac{n \log n \times k}{n \log n \times k} = n \log n \cancel{\times k}$$~~

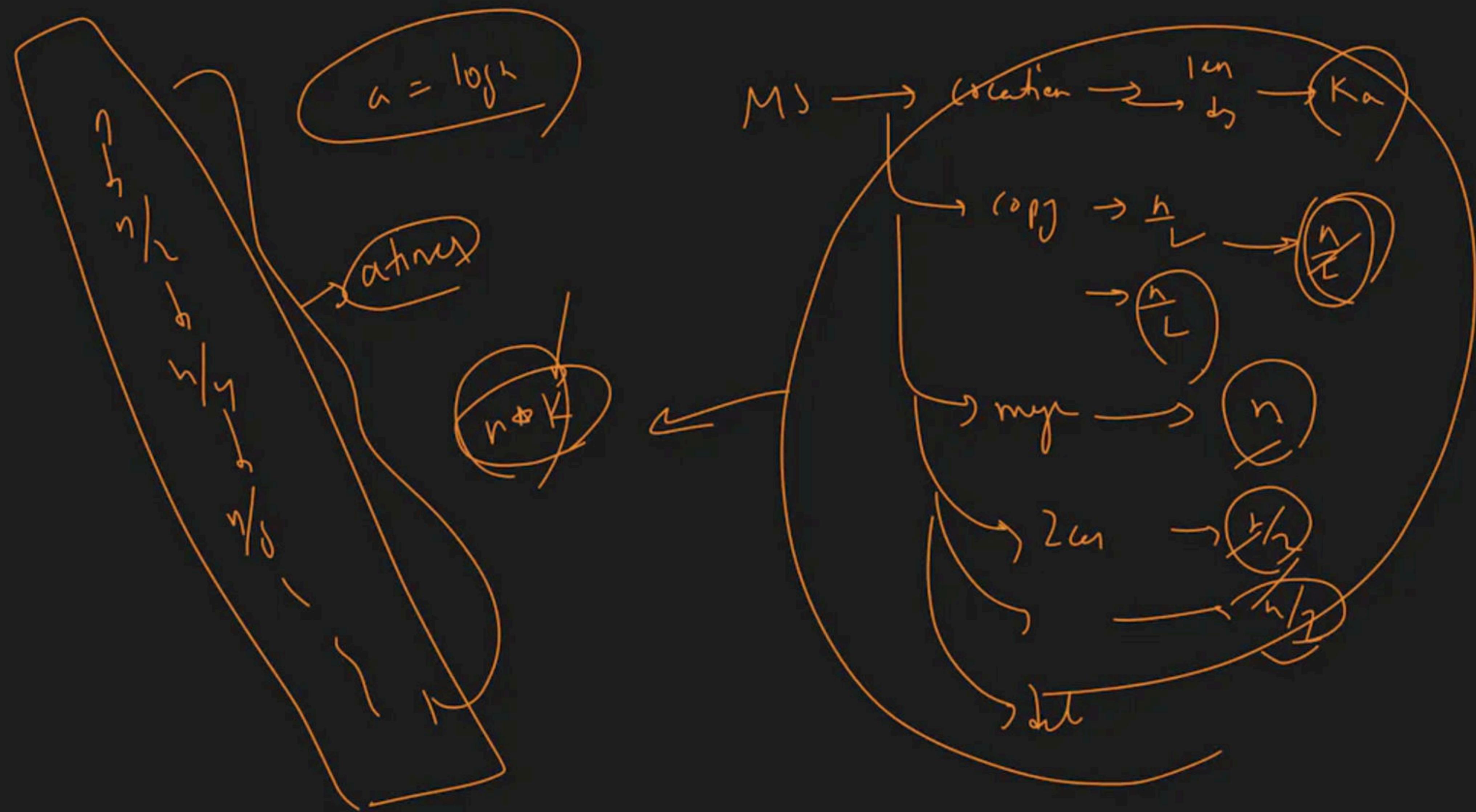
(a)  $\frac{(x^n - 1)}{x - 1}$

$$1 \times \left( \frac{x^n - 1}{x - 1} \right)$$

$x^n - 1 = 2^n - 2^{\log_2 n}$

$= n \log n$











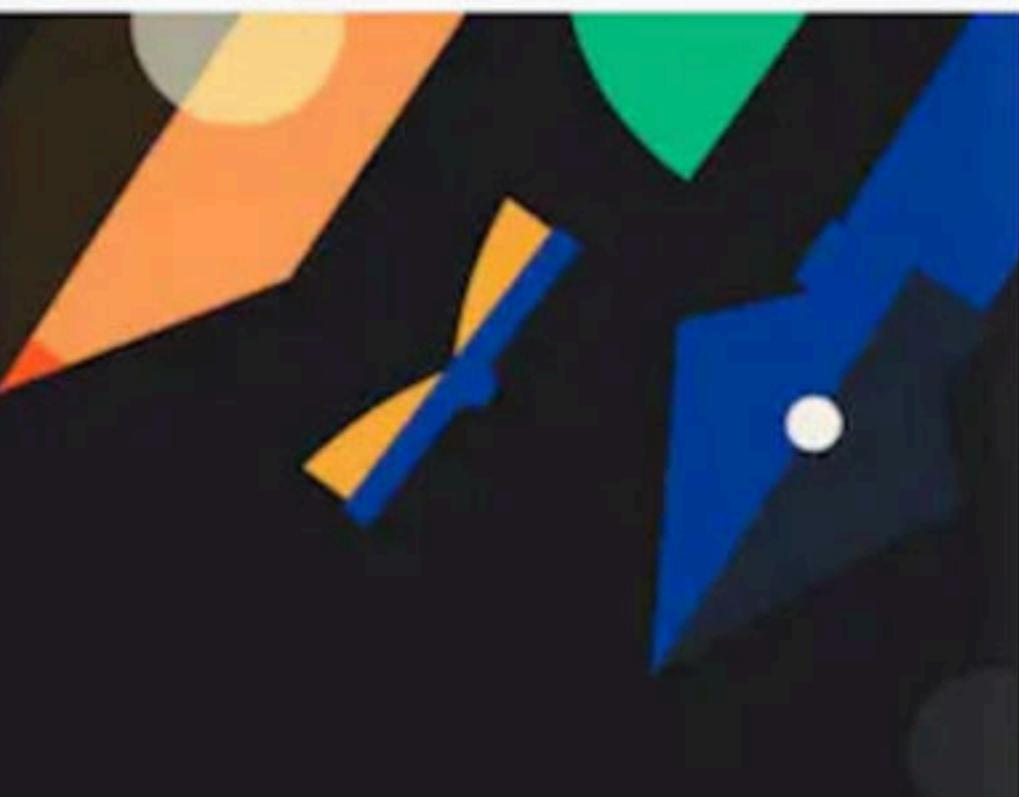








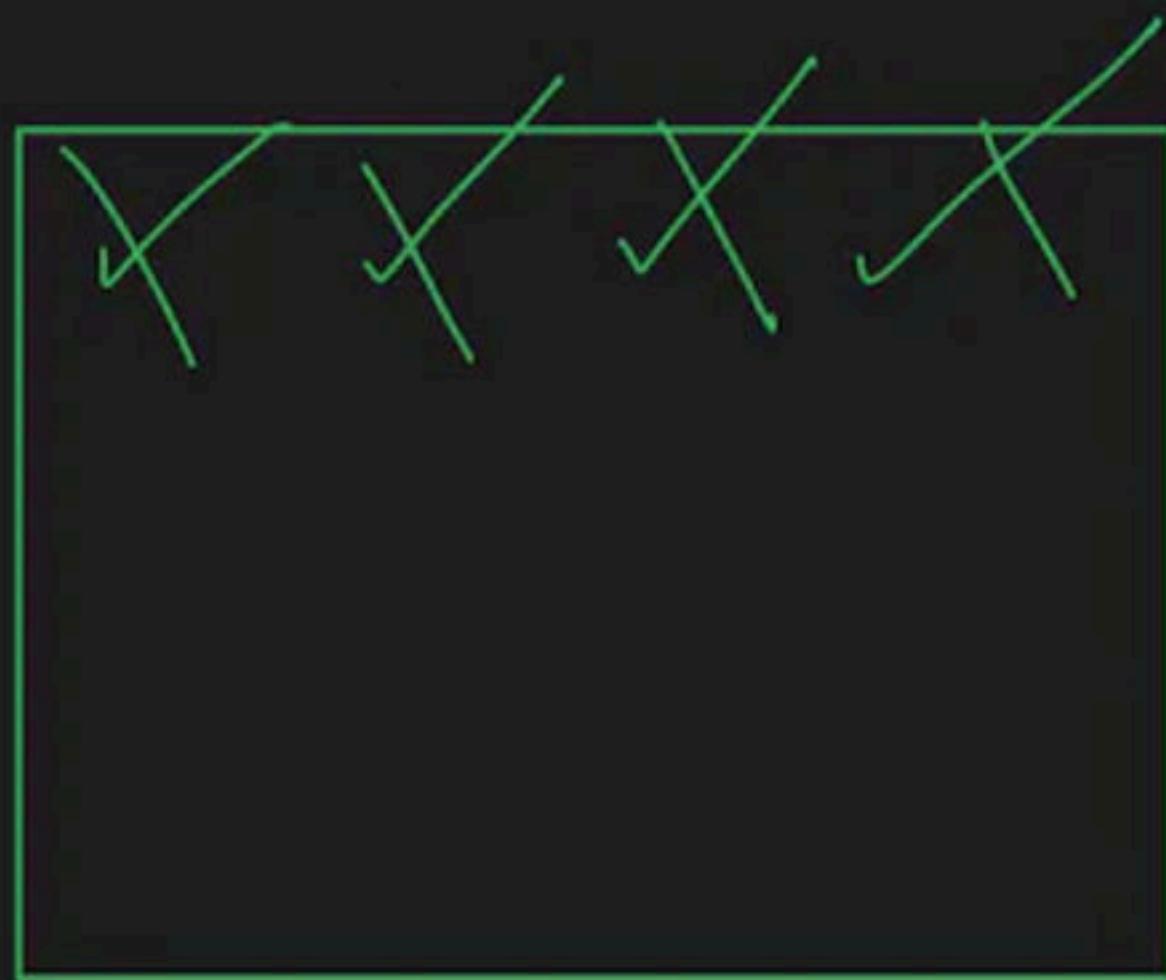
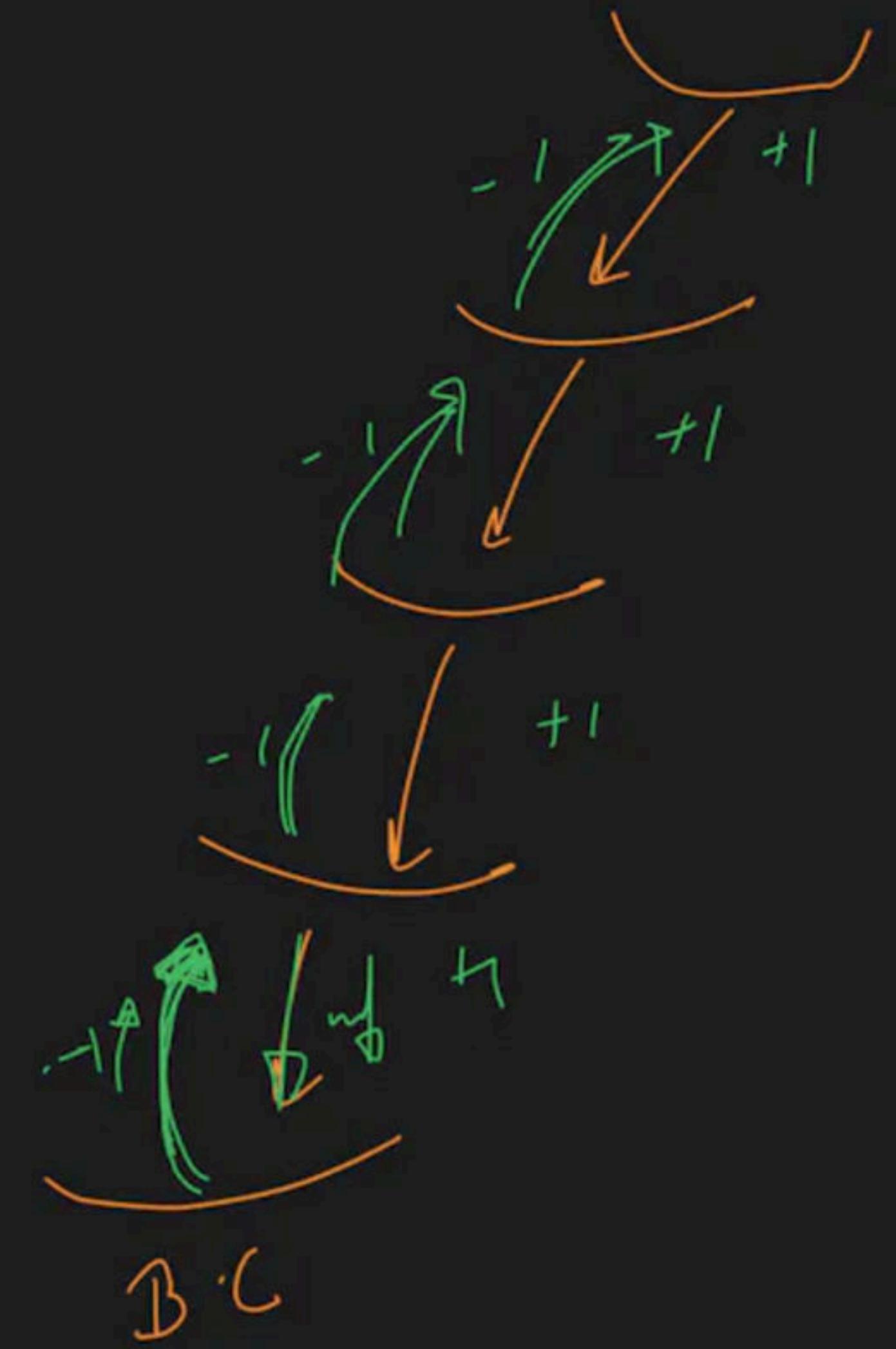




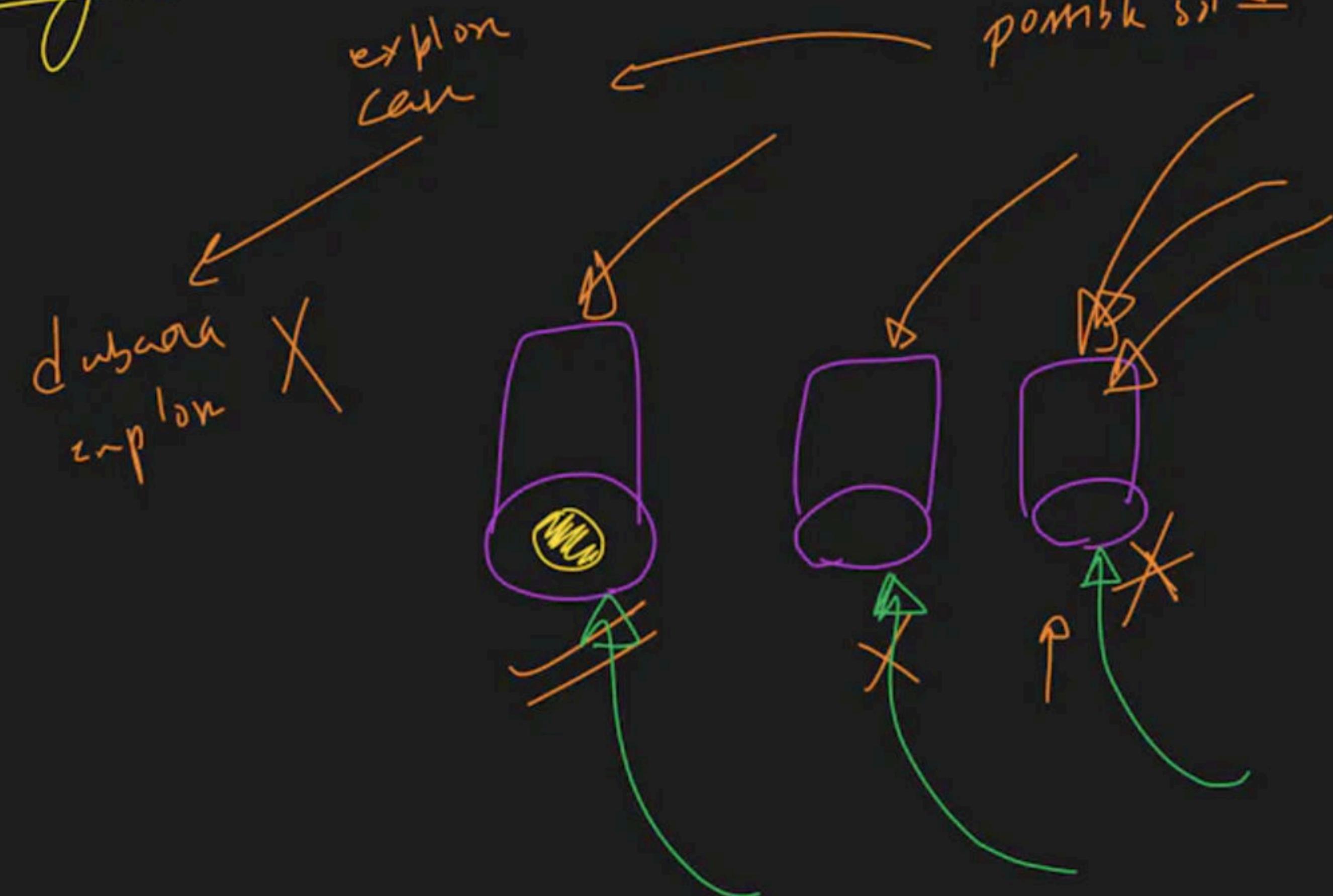
# DnC && Backtracking Class - 2

Special class

Love Babbar • Oct 20, 2023



## Backtracking :-

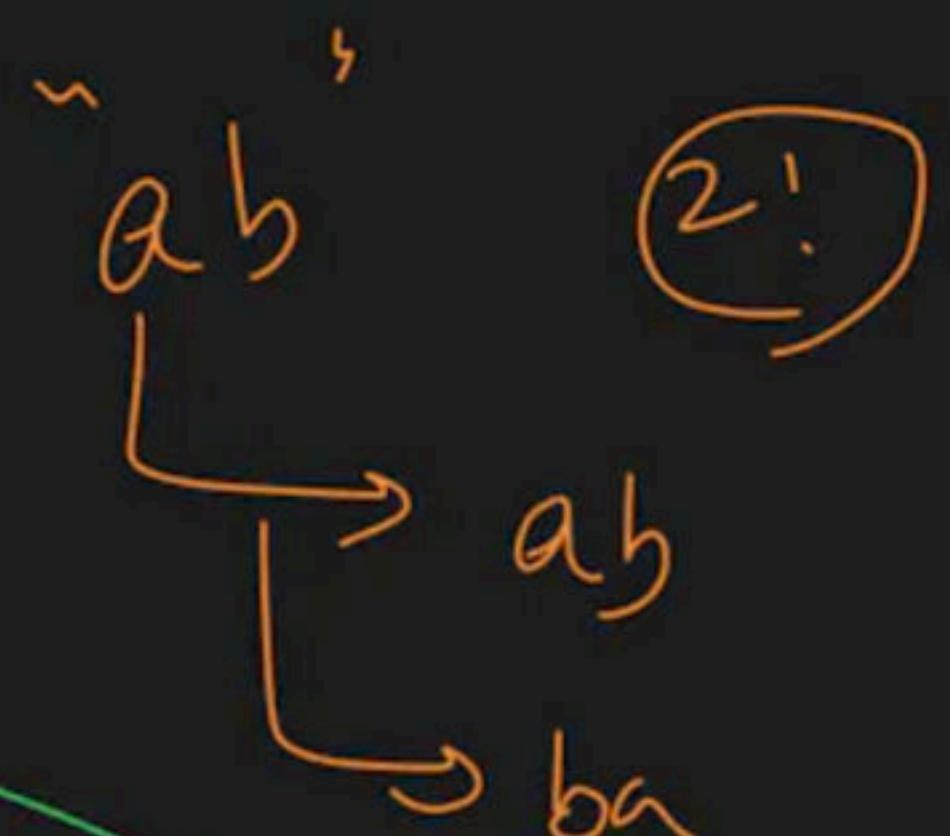


# Permutation of String

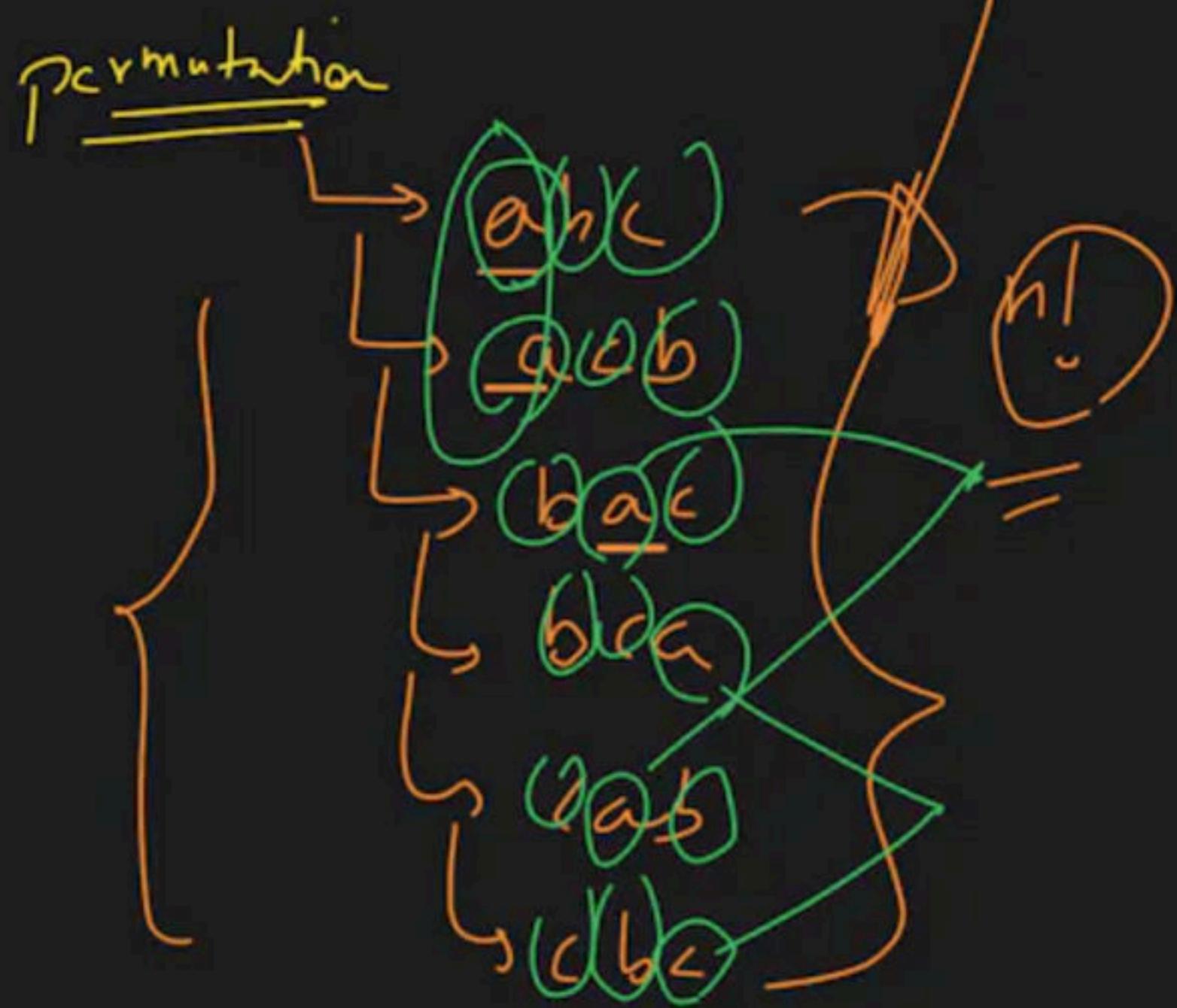


String → "abc"

nVar



hr ck charact  
har ck positi



$\Rightarrow$  Doubt

$\Rightarrow$  STL  $\Rightarrow$  kryne = ' $k_i$ '

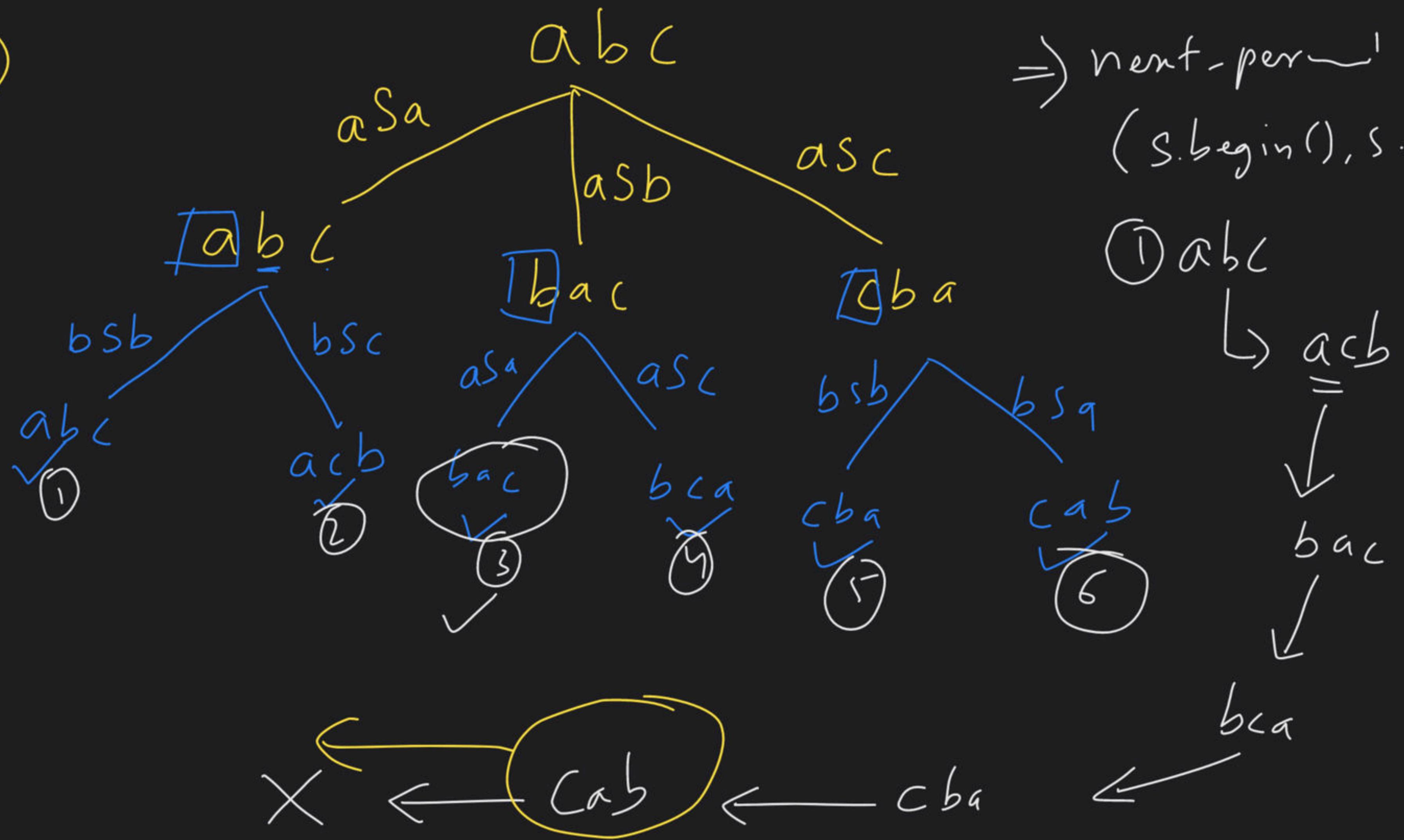


next-permutation()

abc  
  ↳

$\Rightarrow$

$\Rightarrow$



$\Rightarrow s = "abc"$

$\hookrightarrow$

Count << s << endl;

while (next\_permutation(s.begin(), s.end()))

{

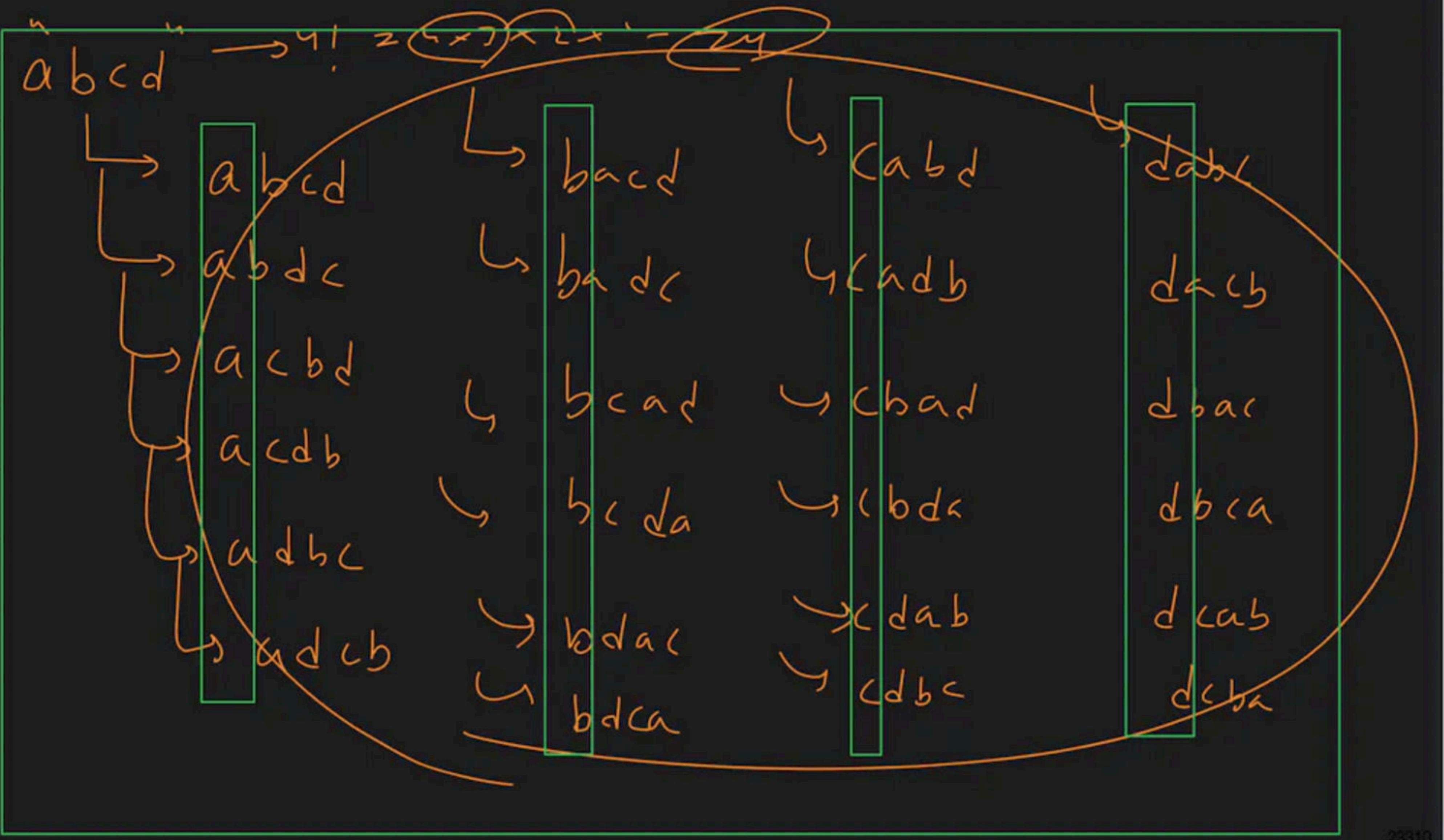
Count << s << endl;

}

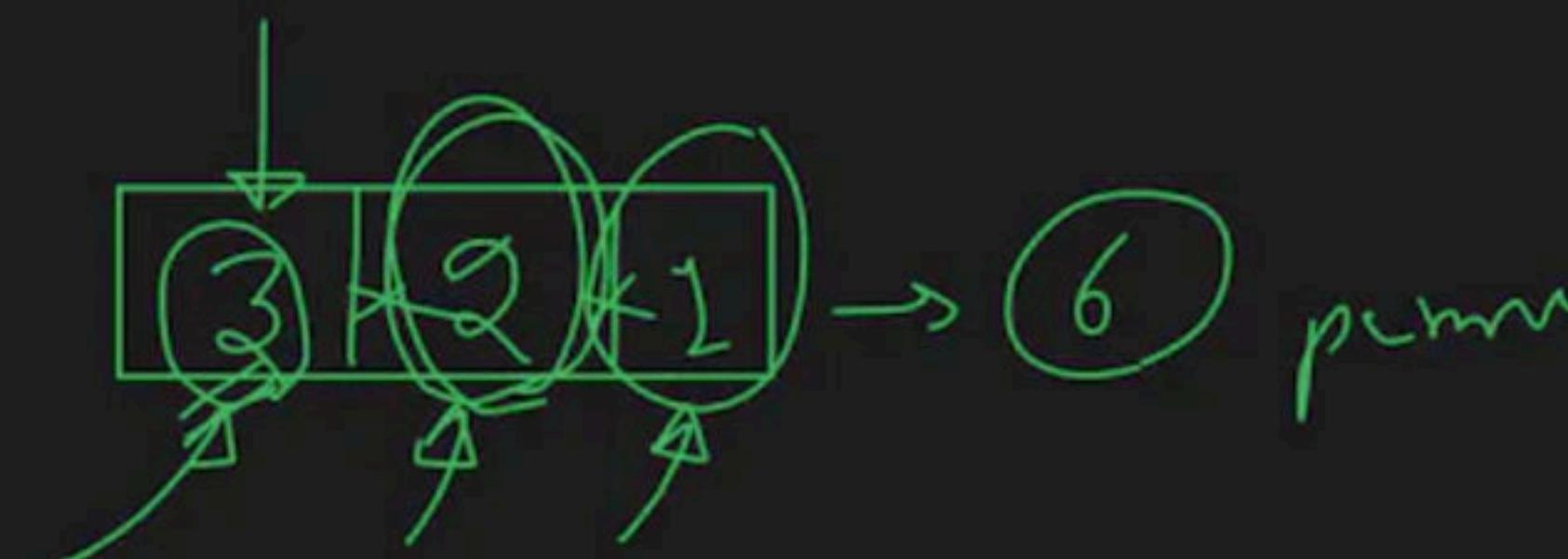
Bahar  $\star$







$\text{str} \rightarrow \tilde{a} \underline{b} \underline{c}$



a		
---	--	--

=

a	b	
---	---	--

a	c	
---	---	--

b		
---	--	--

=

b	a	
---	---	--

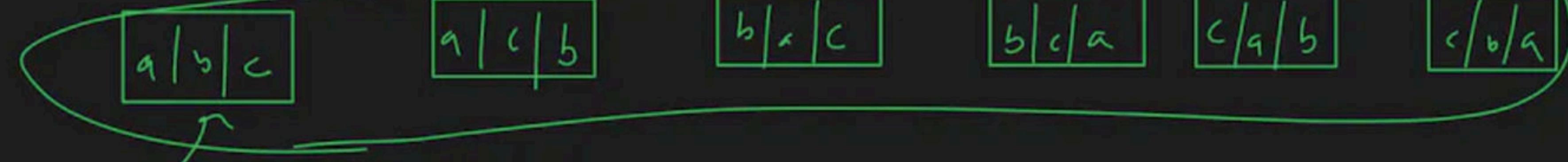
b	c	
---	---	--

c		
---	--	--

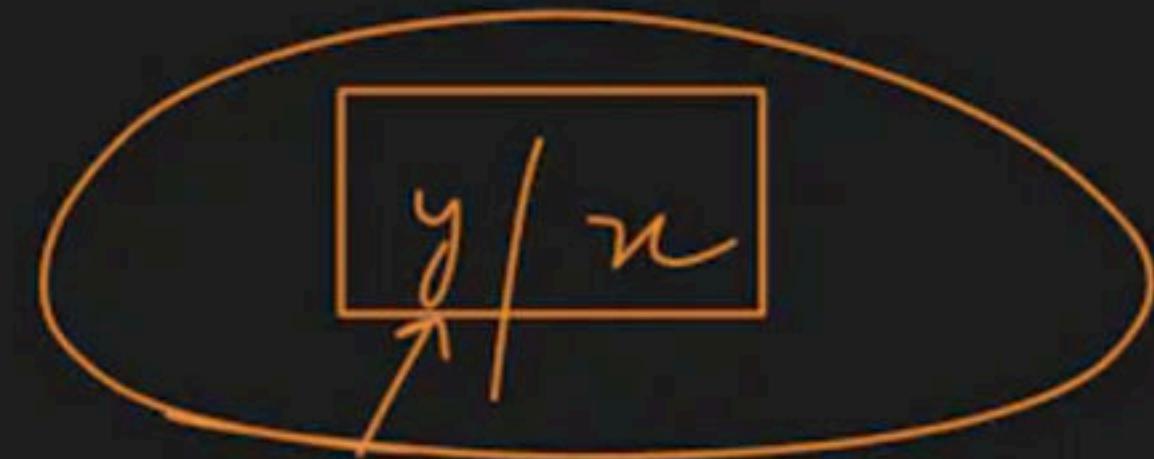
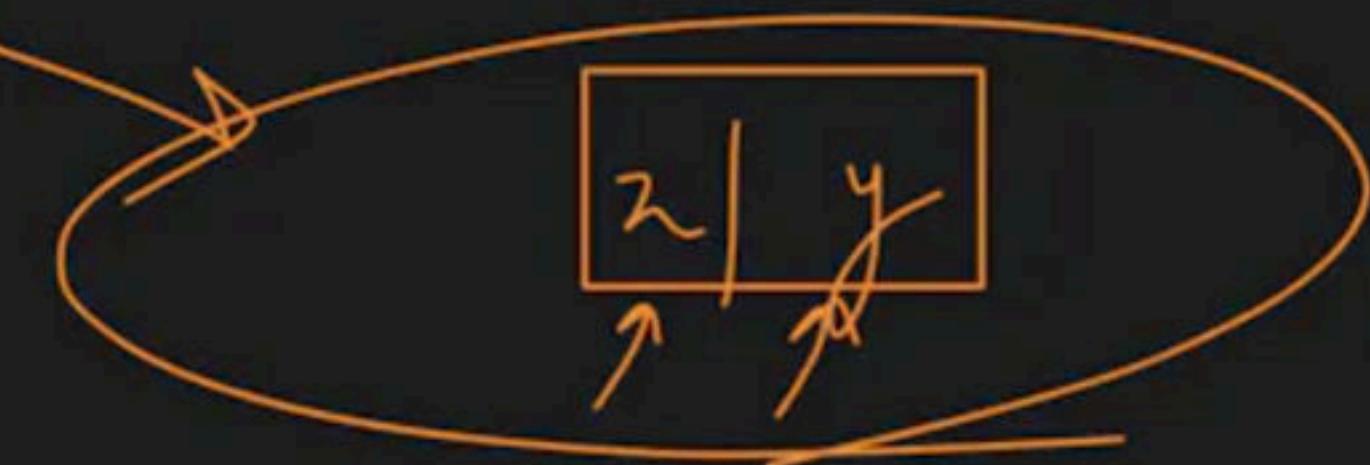
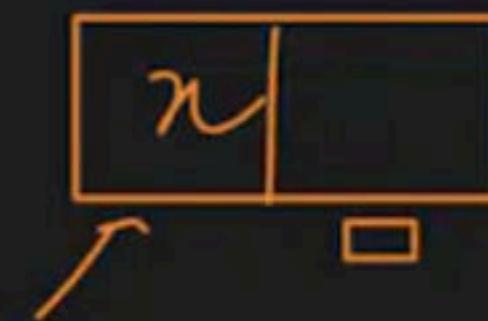
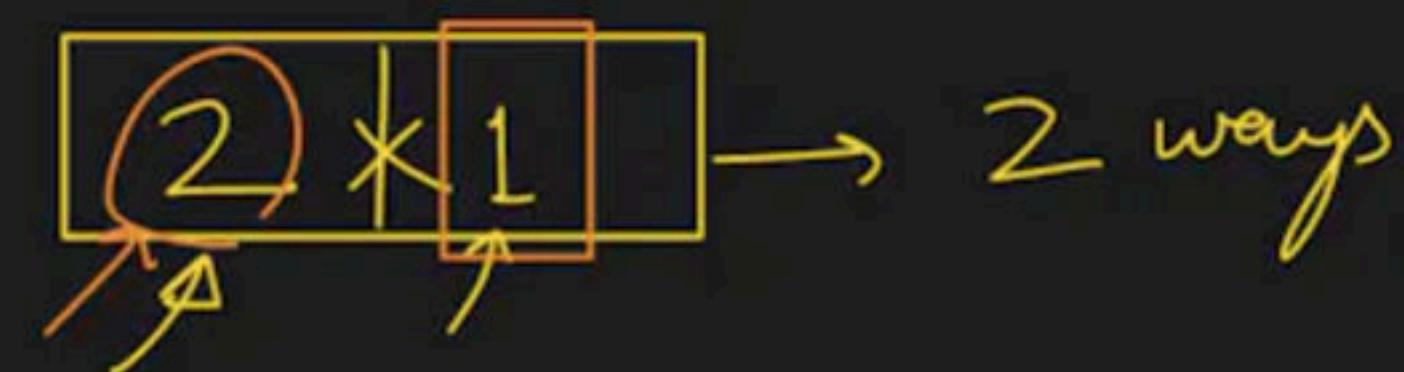
=

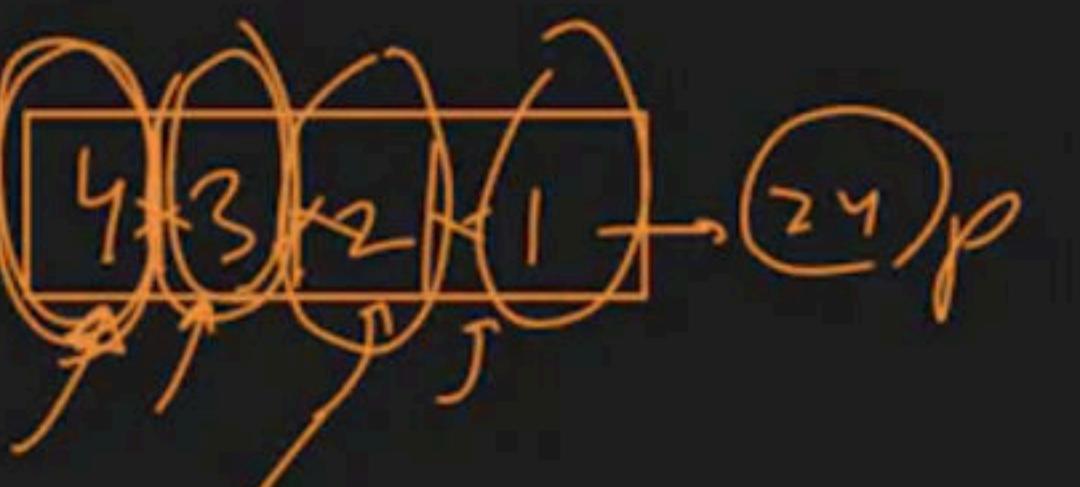
c	a	
---	---	--

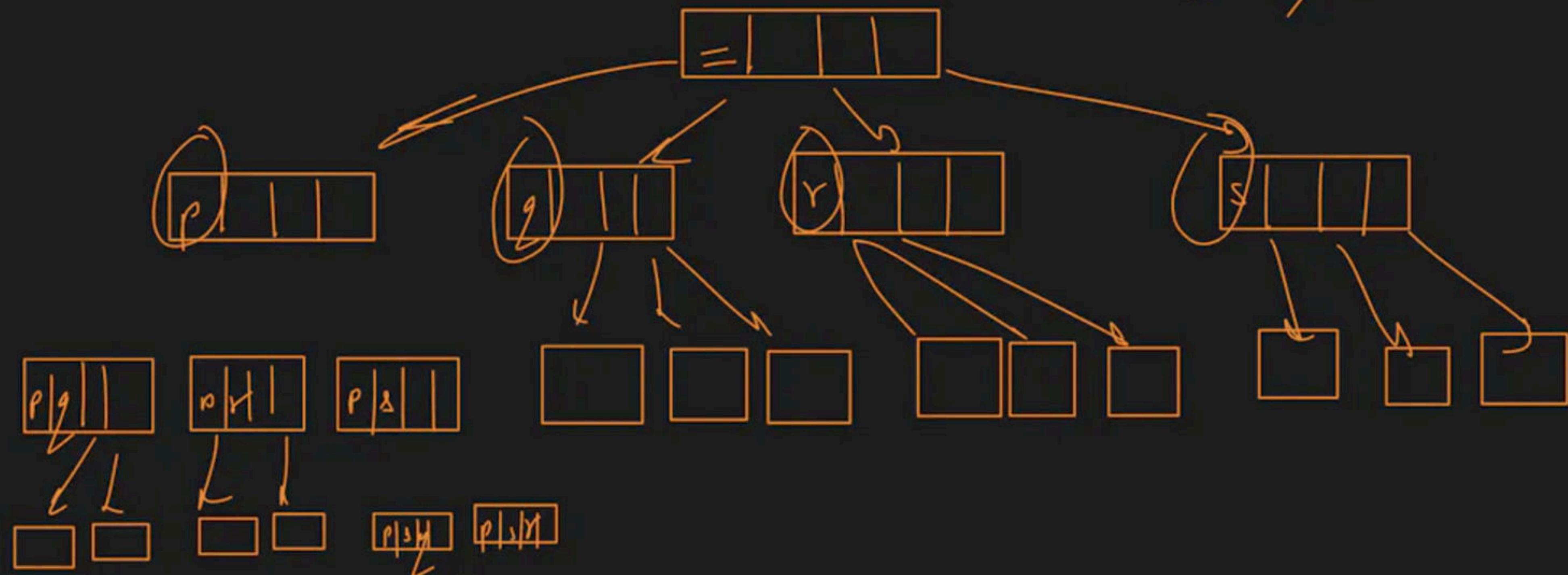
c	b	
---	---	--

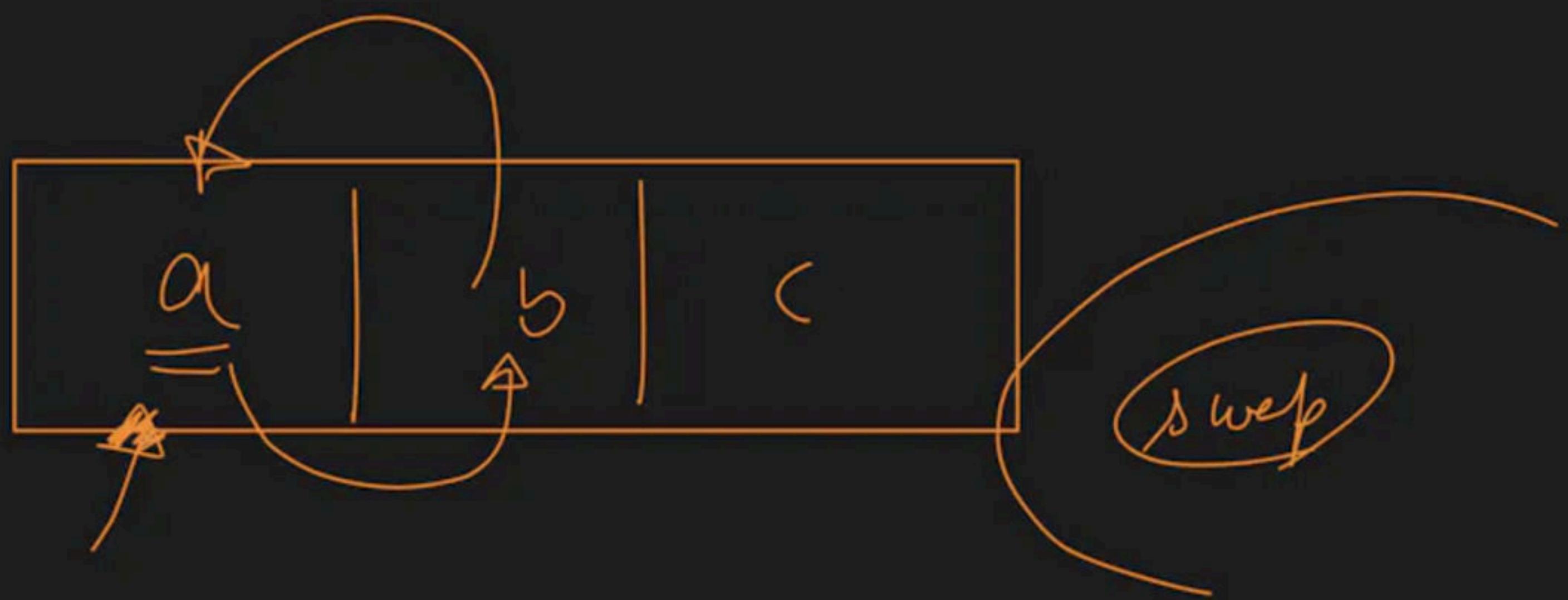


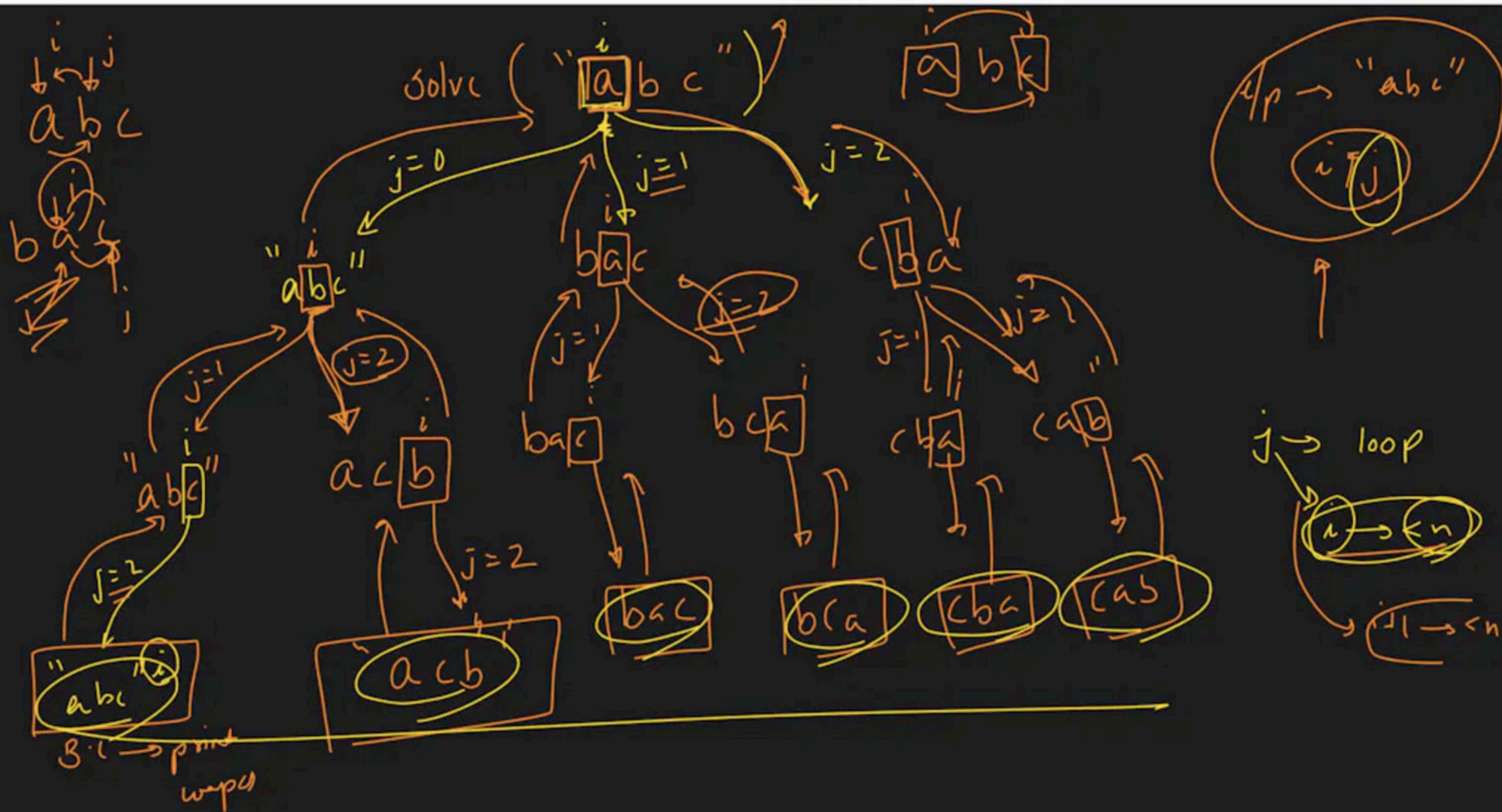
$$\text{str} = \text{"xy"} \rightarrow n=2 \rightarrow T \cdot P \rightarrow 2! = 2 \times 1 = 2$$

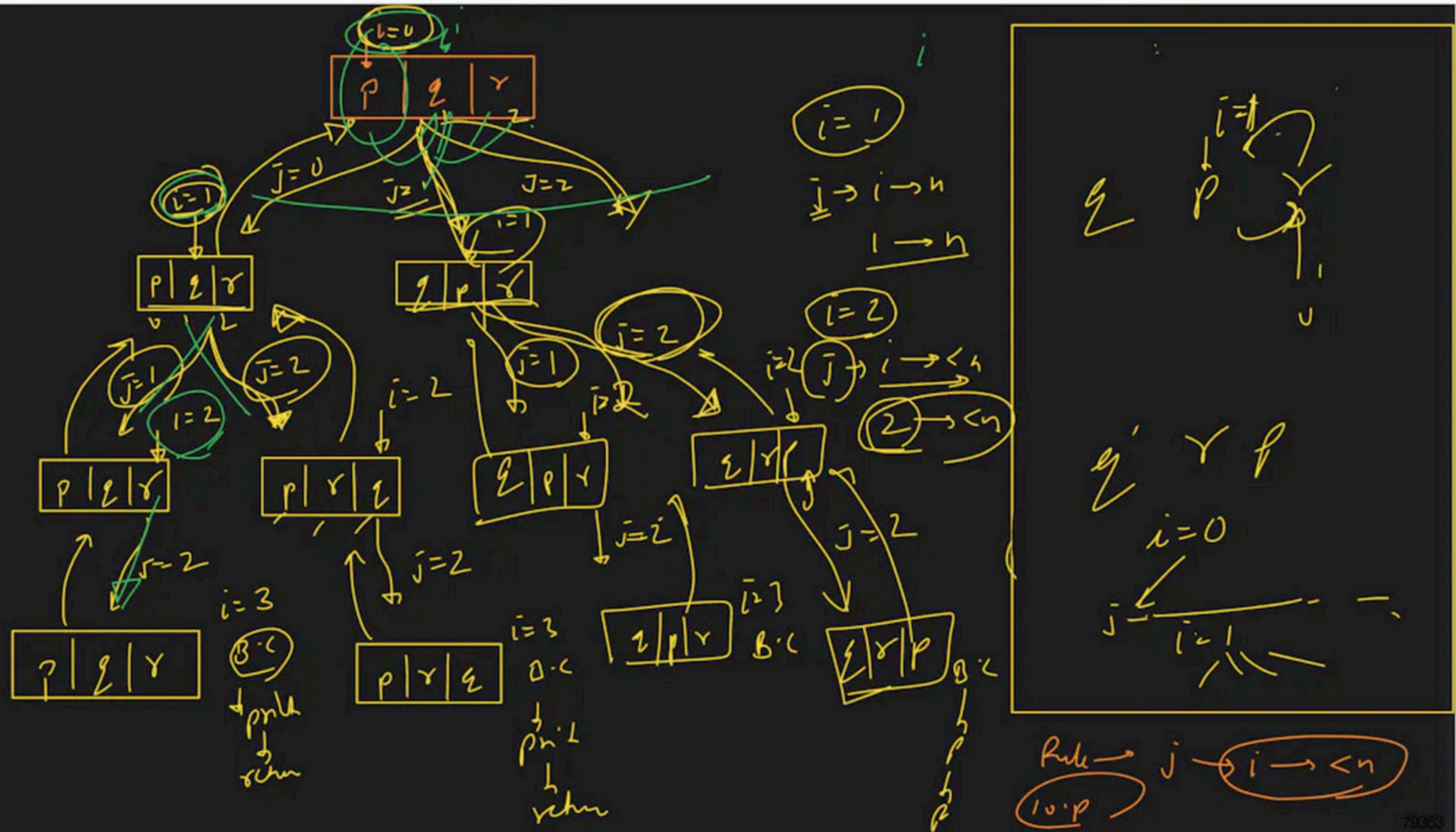


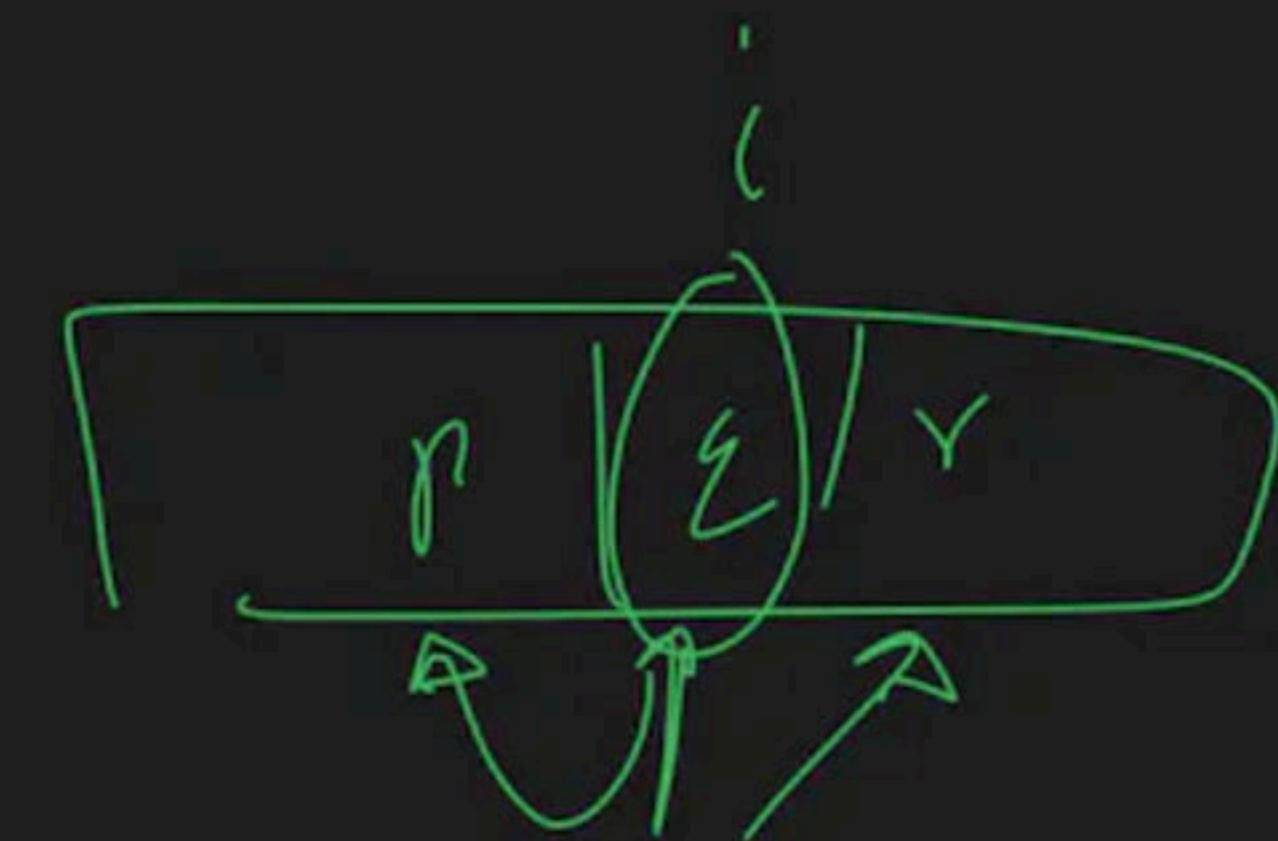
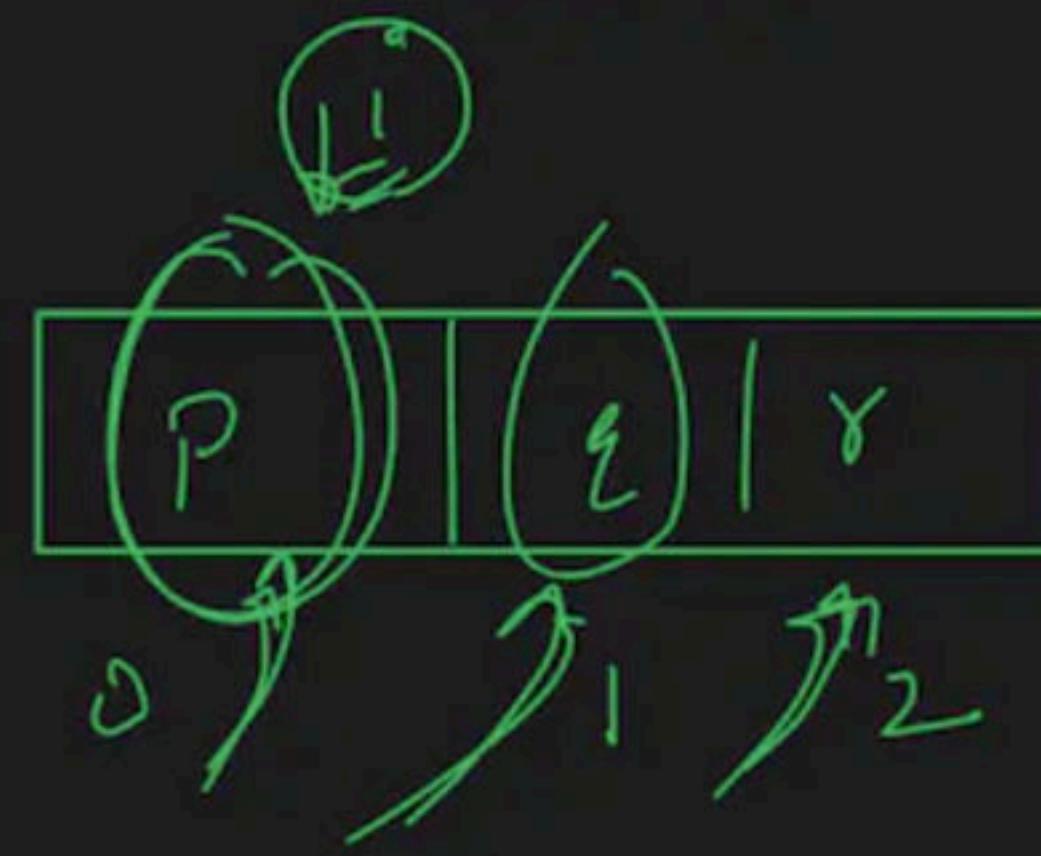
$3\text{tr} \rightarrow$    $n=4 \rightarrow$   $q' \rightarrow$  







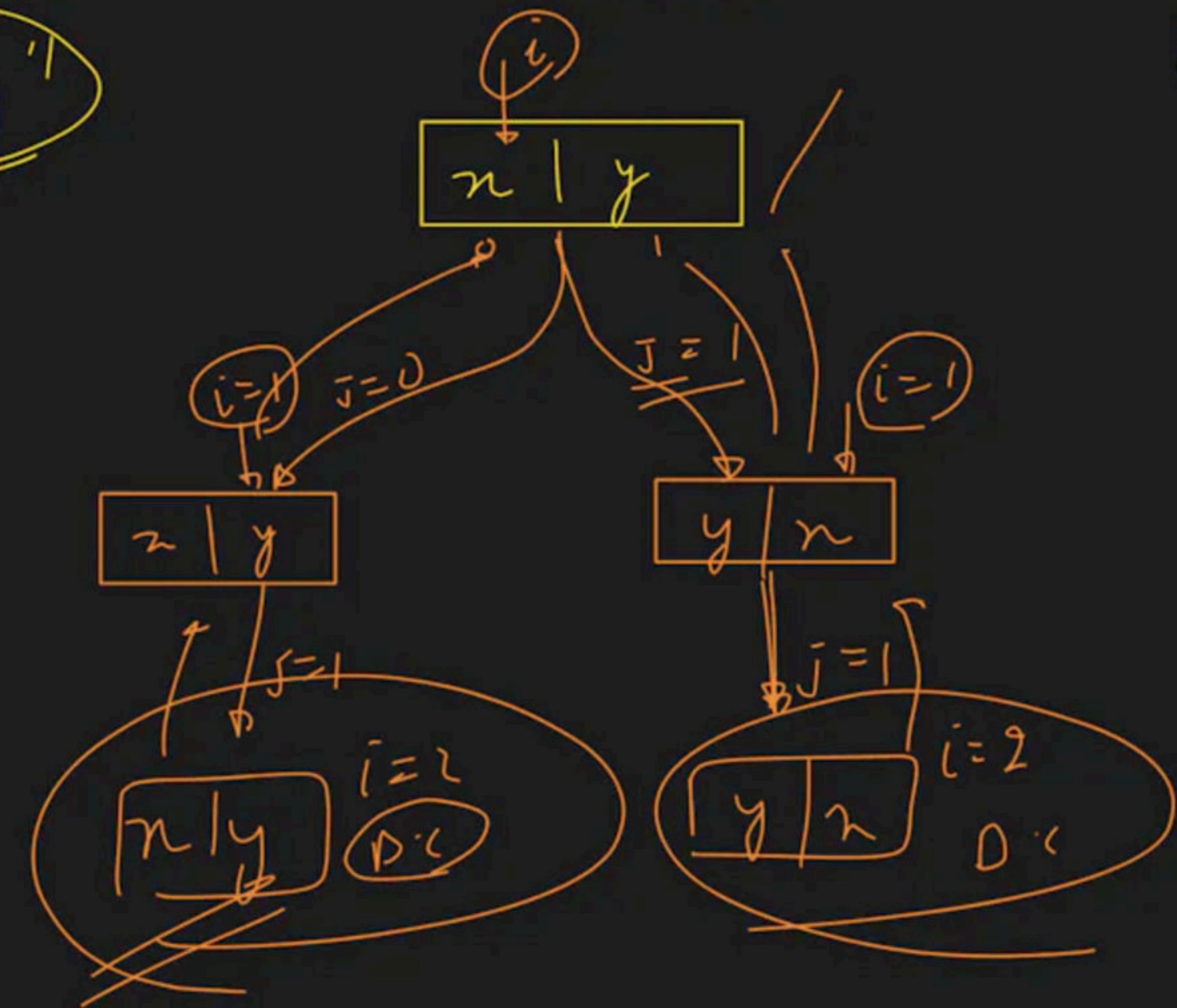




str → "ny"

i  
y  
j

i  
y  
j



$i = 0$

$h = 2$

$j = i \rightarrow <n$

$0 \rightarrow <2$

$0, 1$

$i = 1, h = 2$

$j \rightarrow i \rightarrow <n$

$i$

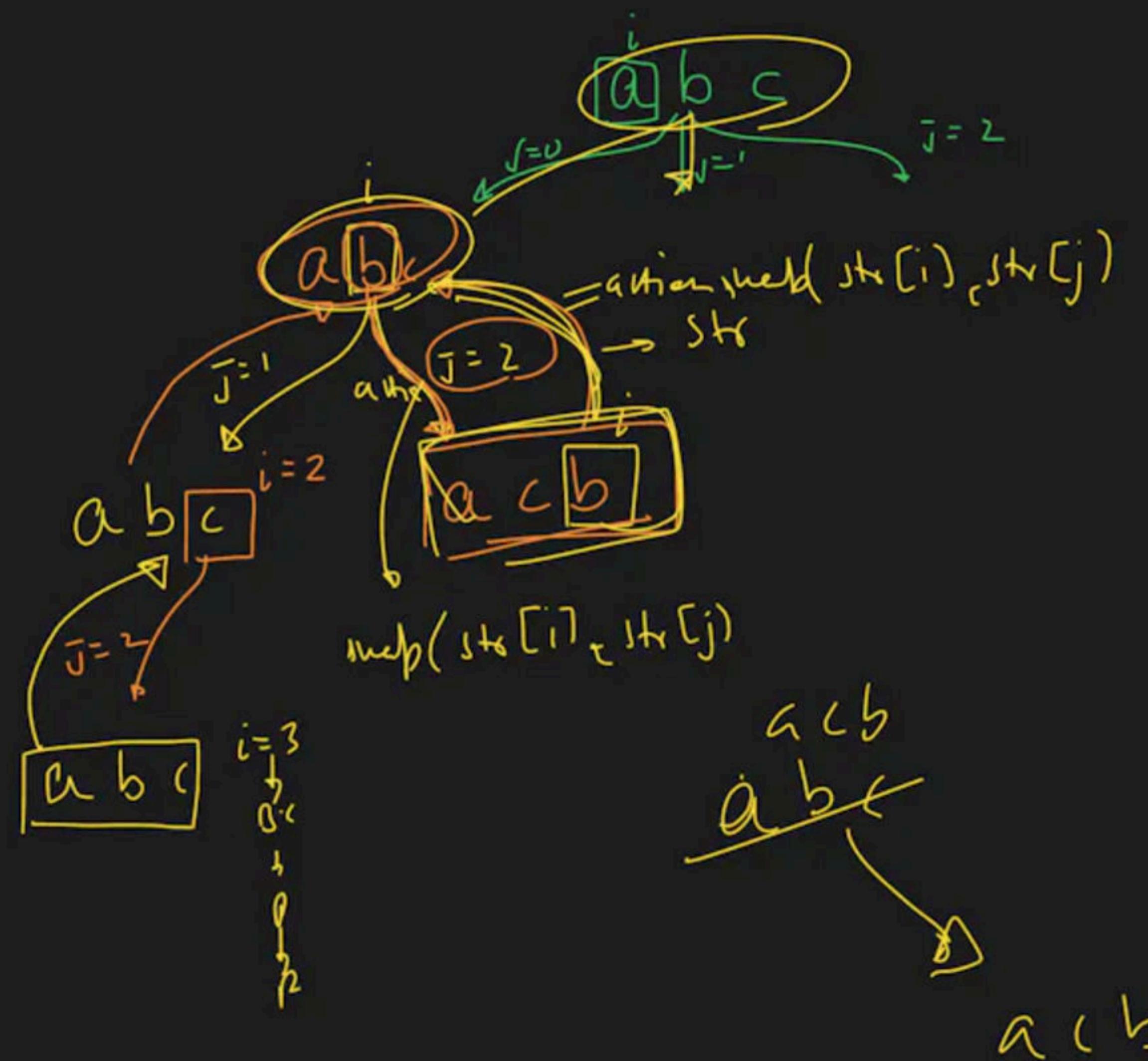
$j$

$y$

$-P$

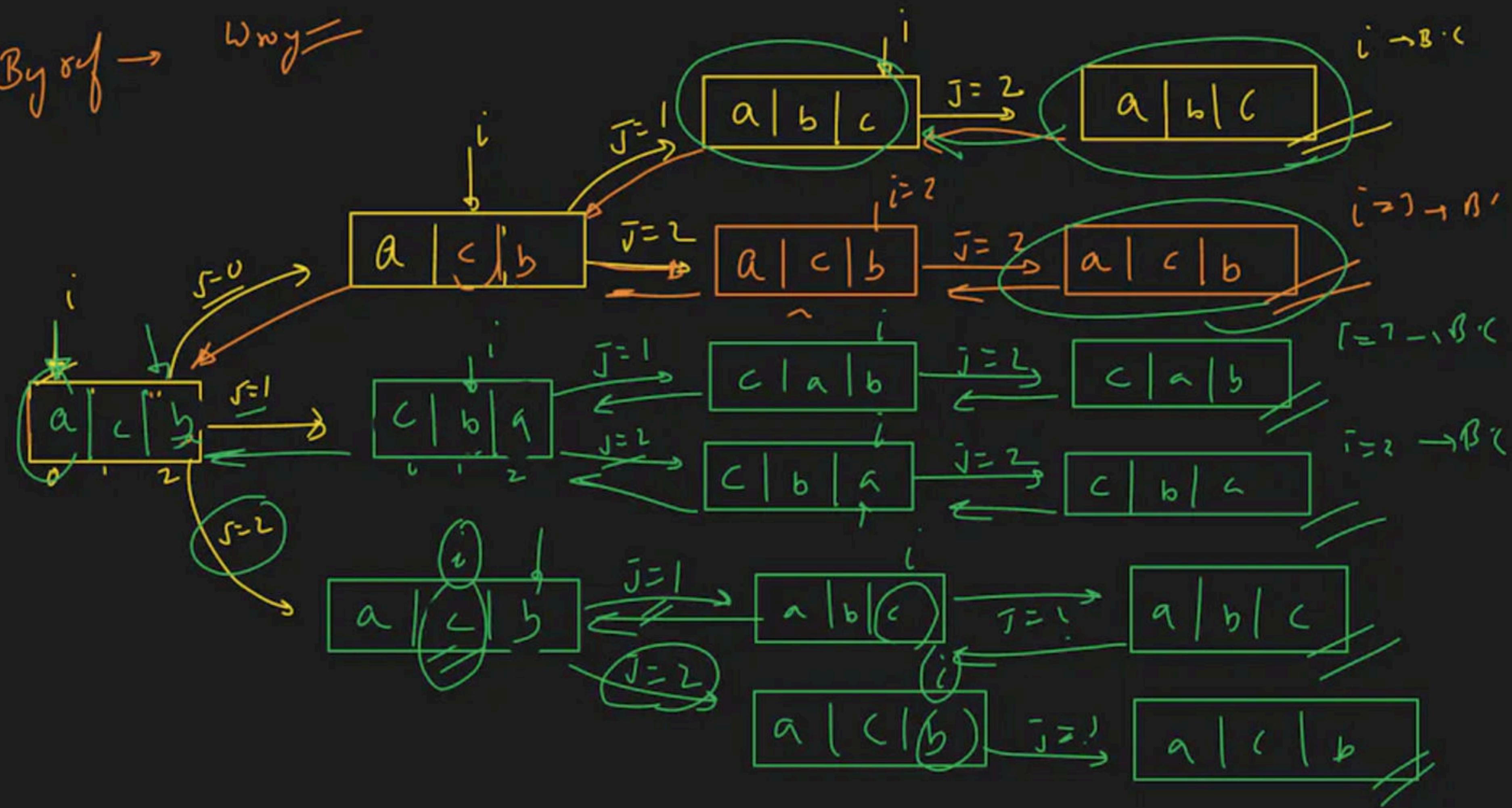
$j$

by  $\forall$



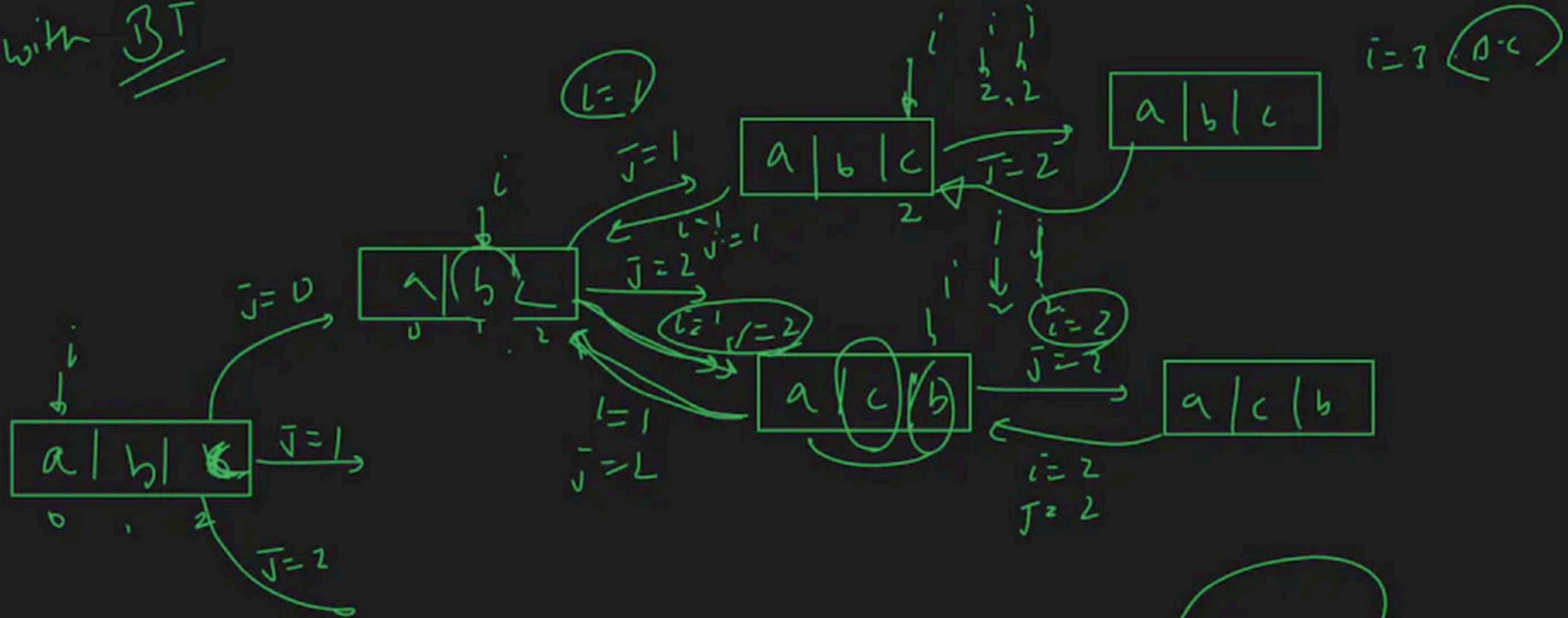
By  $\alpha f$   $\rightarrow$

Wwy =



bac  
bul

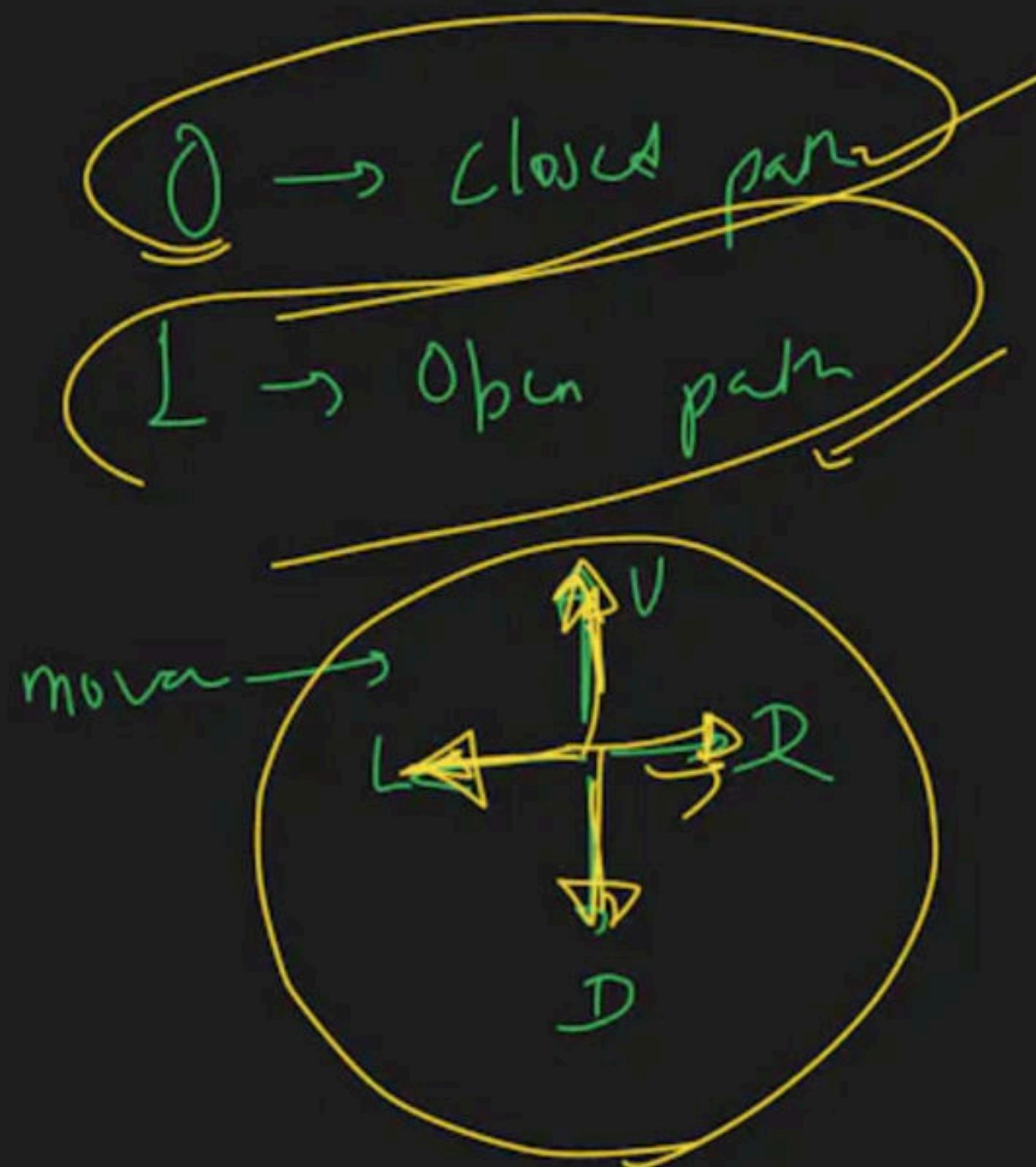
with  $\overline{BT}$





# Rat in a Maze

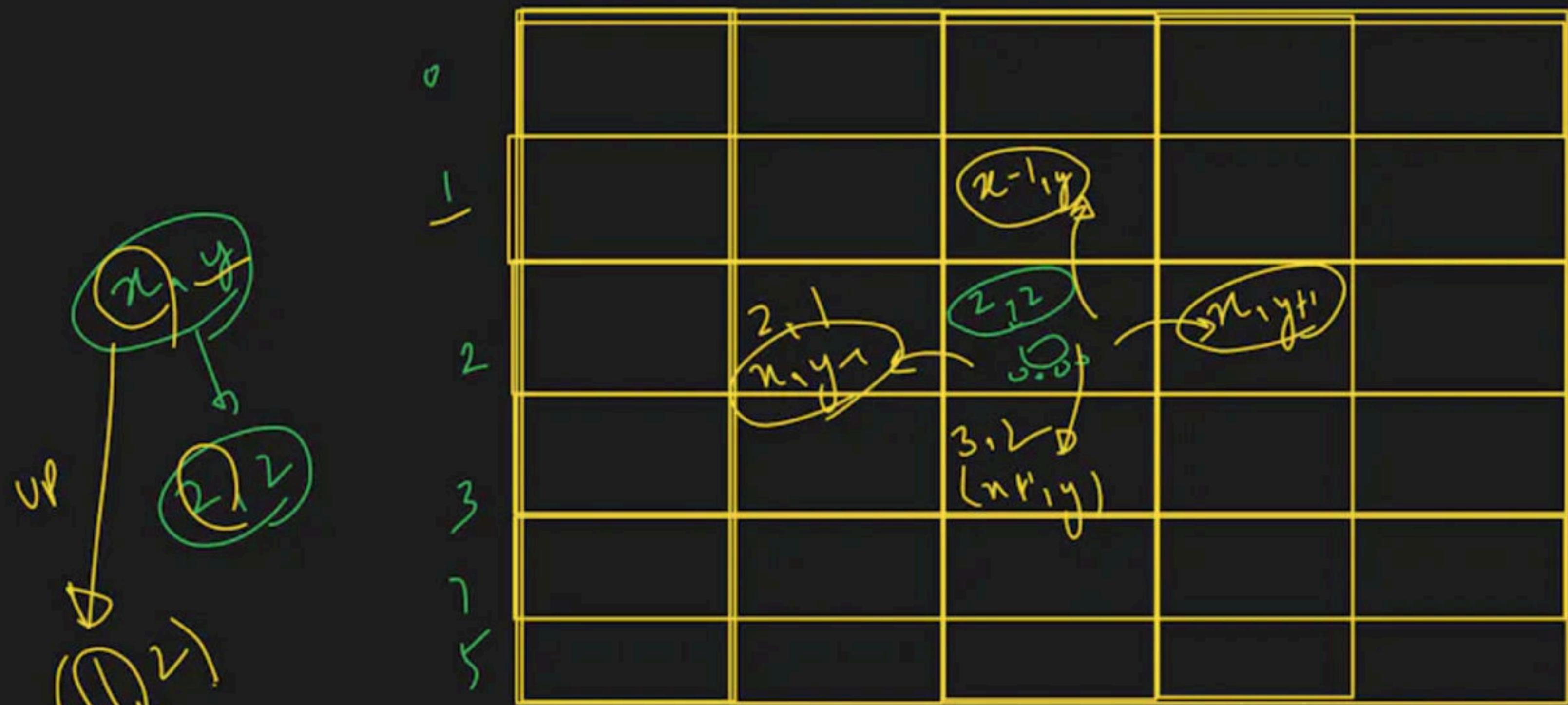
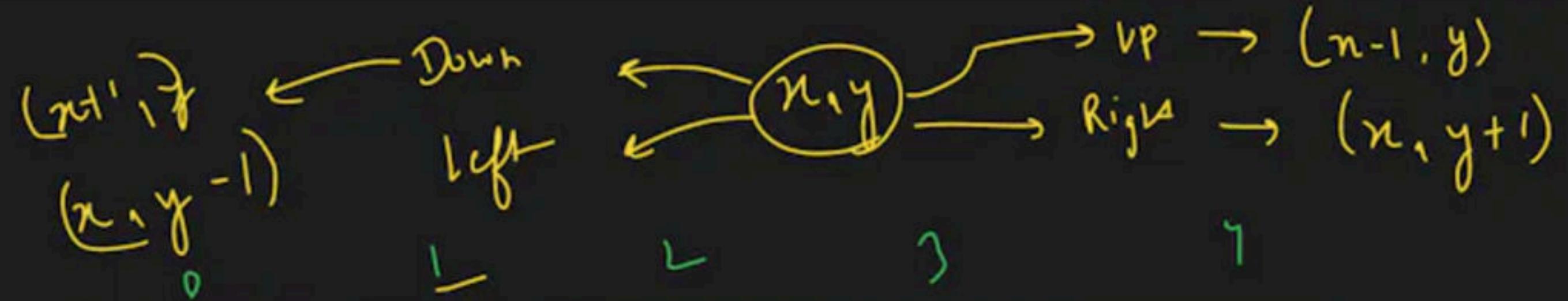
path all possible ways



	0	1	2	3
0	Start Sunder Rat		0	0
1	1	X	0	1
2	L	L	L	0
3	1	L	L	Sunder Spot Hit

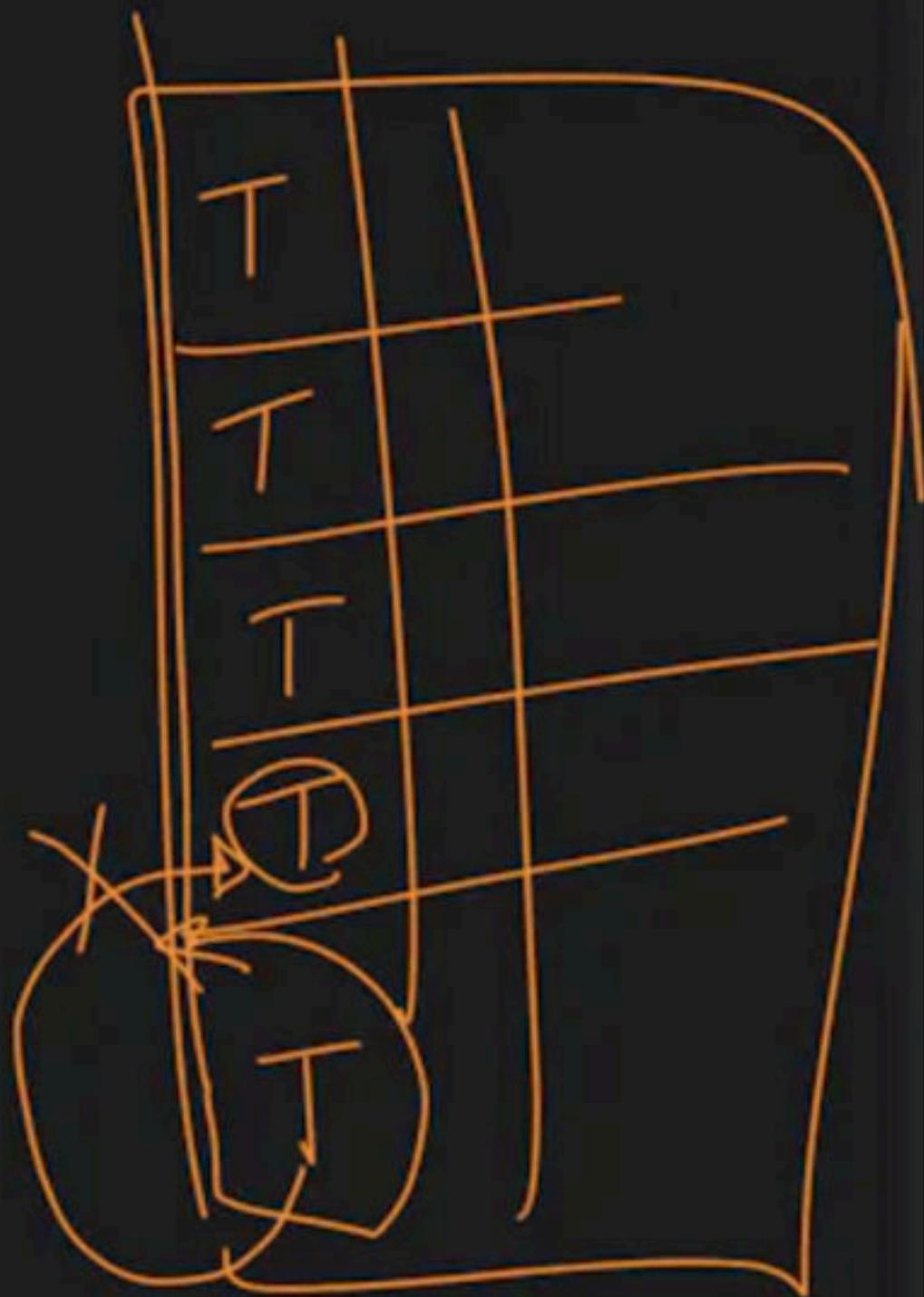
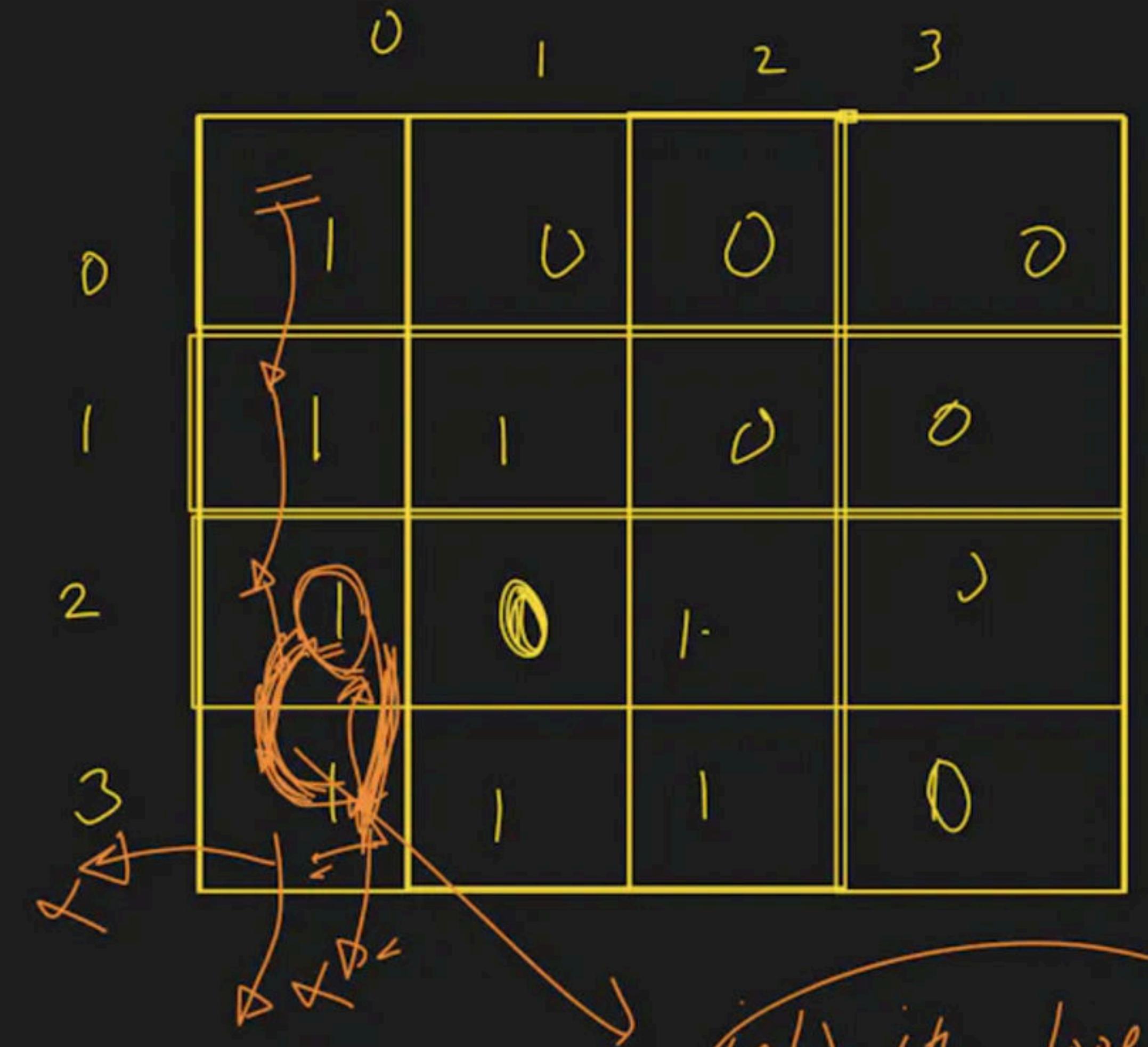
start → (0,0)  
dot → (3,3)

Sunder Spot Hit  
→ reached dot



$n = 0, n$   
 $2, 3$   
 $n, n+1$

already visit  
point





l r r l r l r =

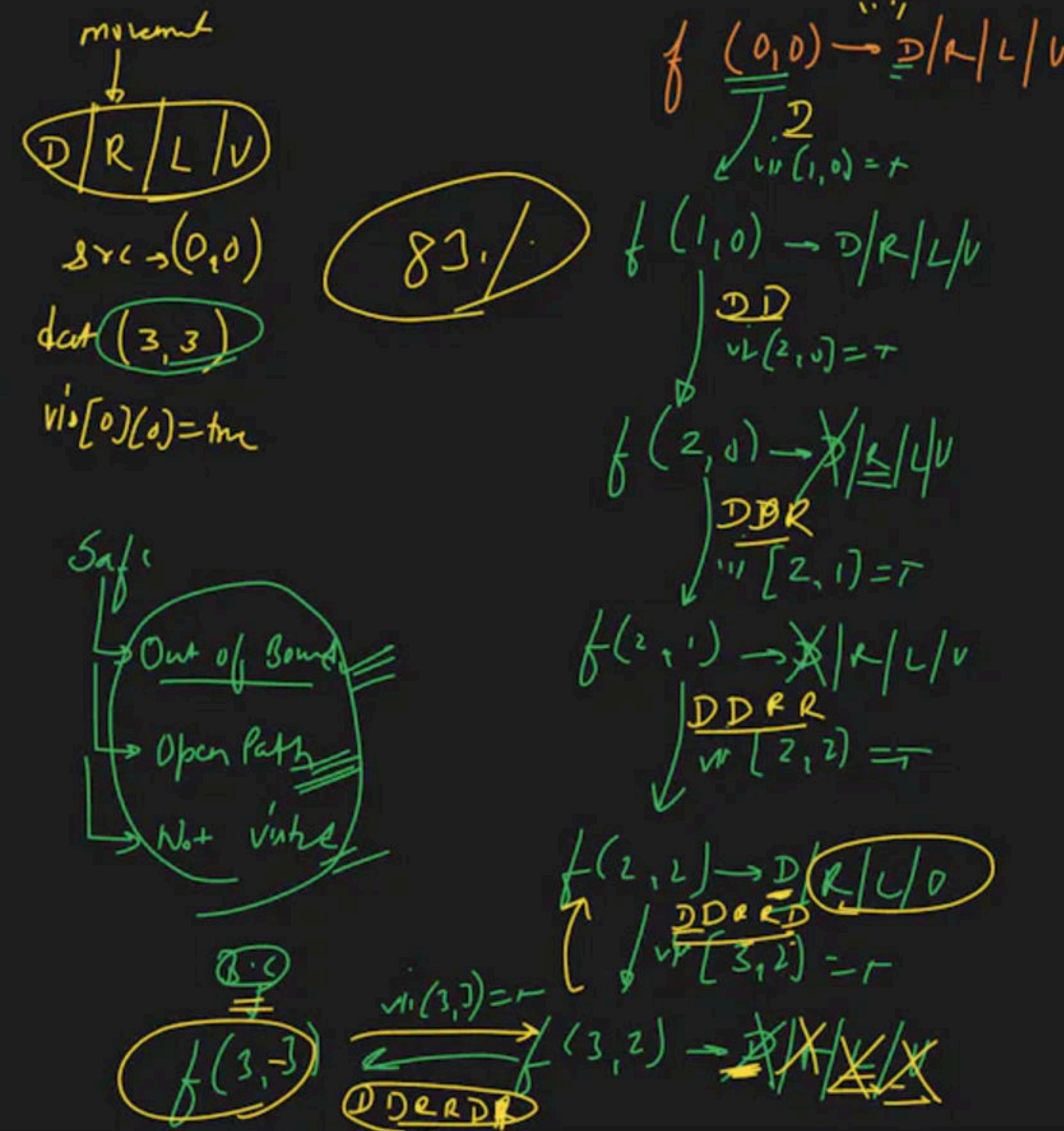
d r d d r r =

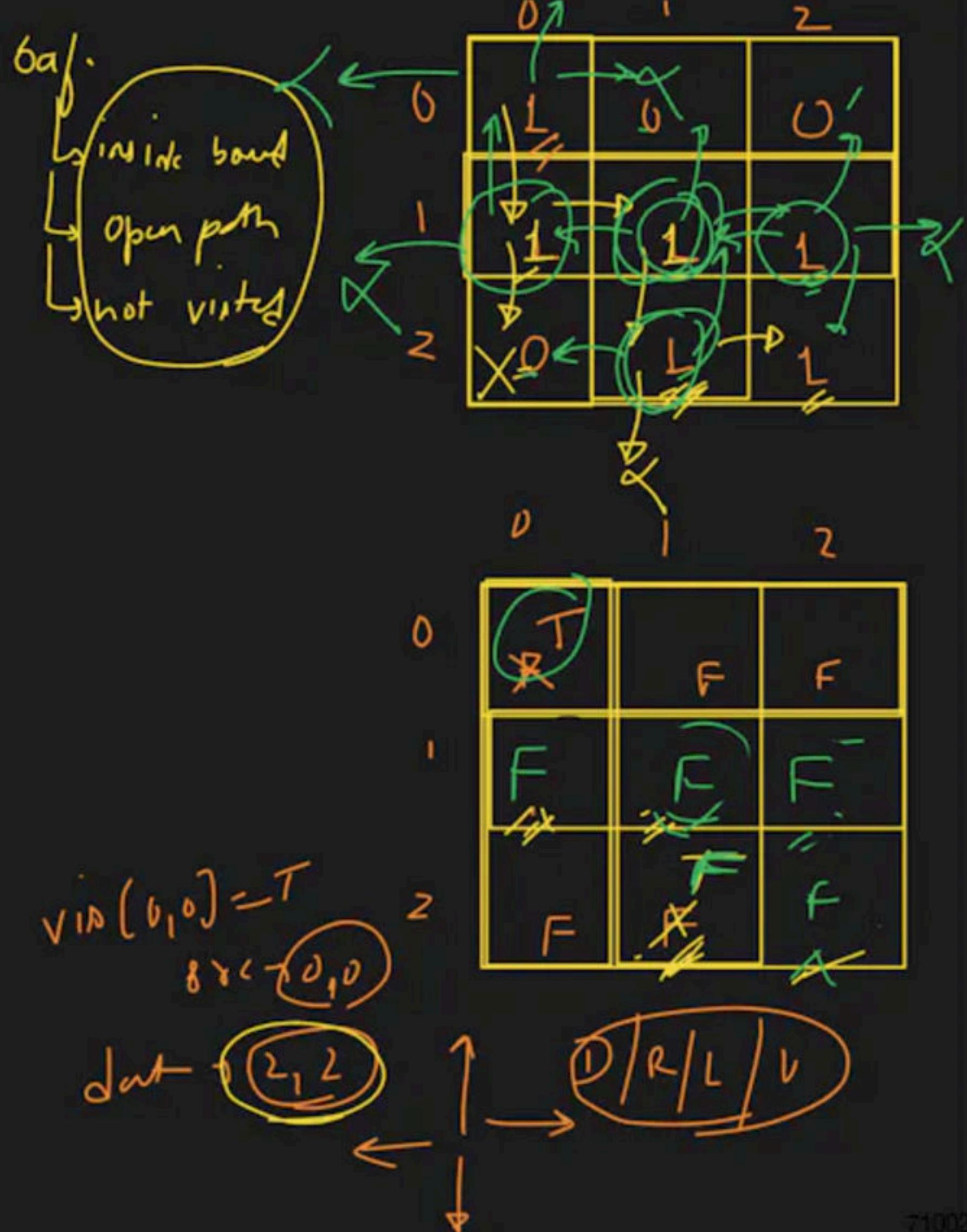
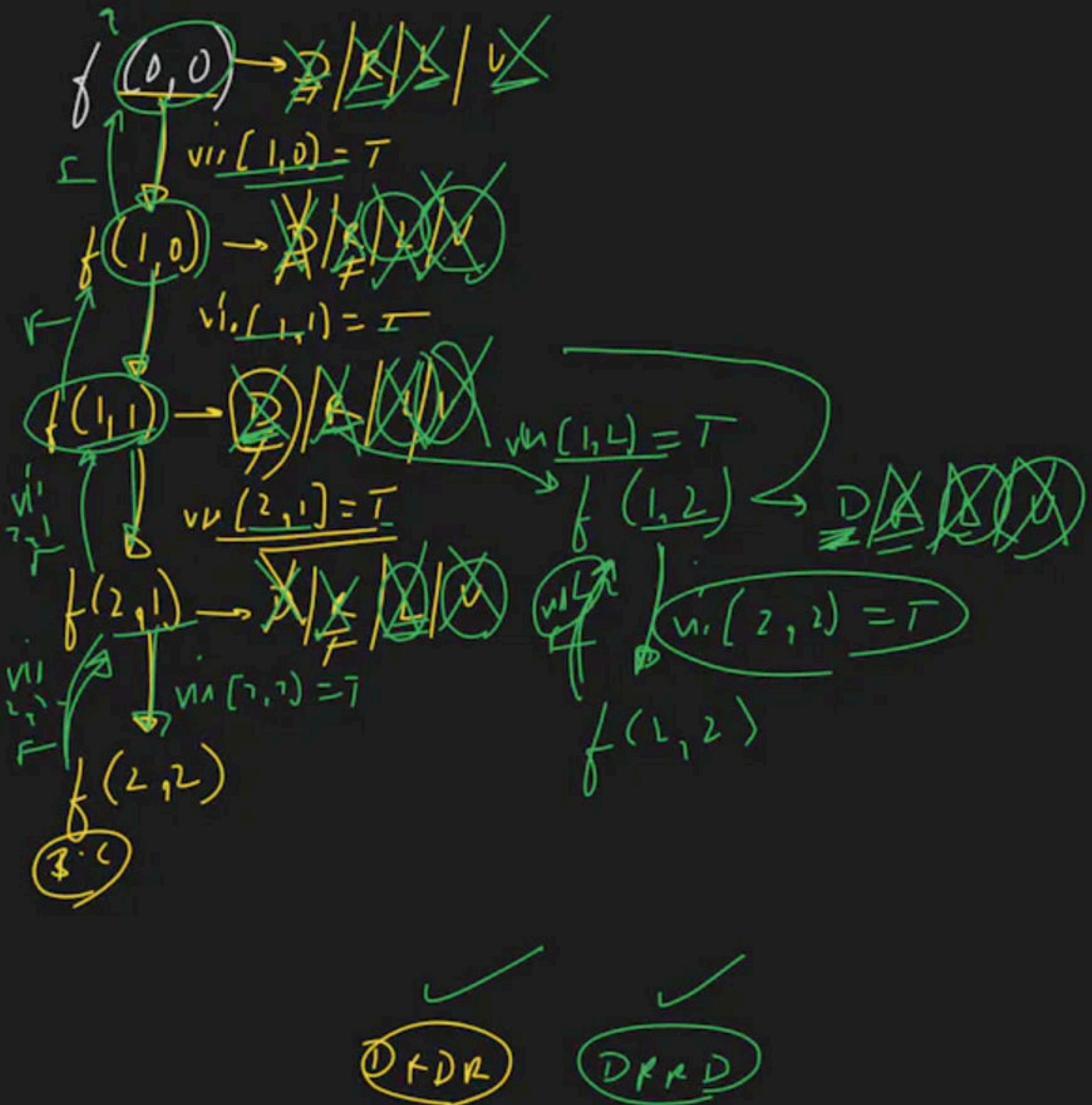
d r d l d r r v =

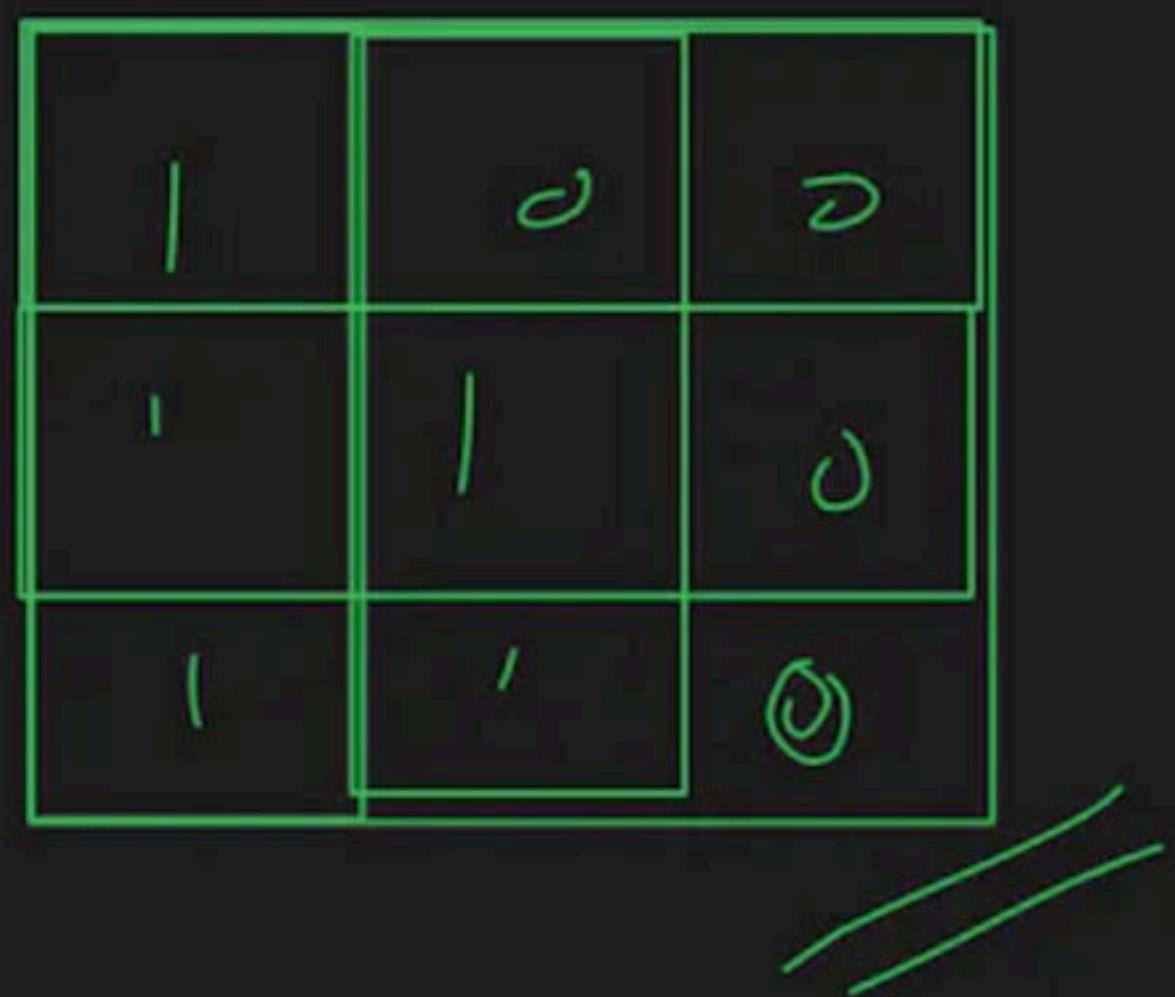
d d r r d r =

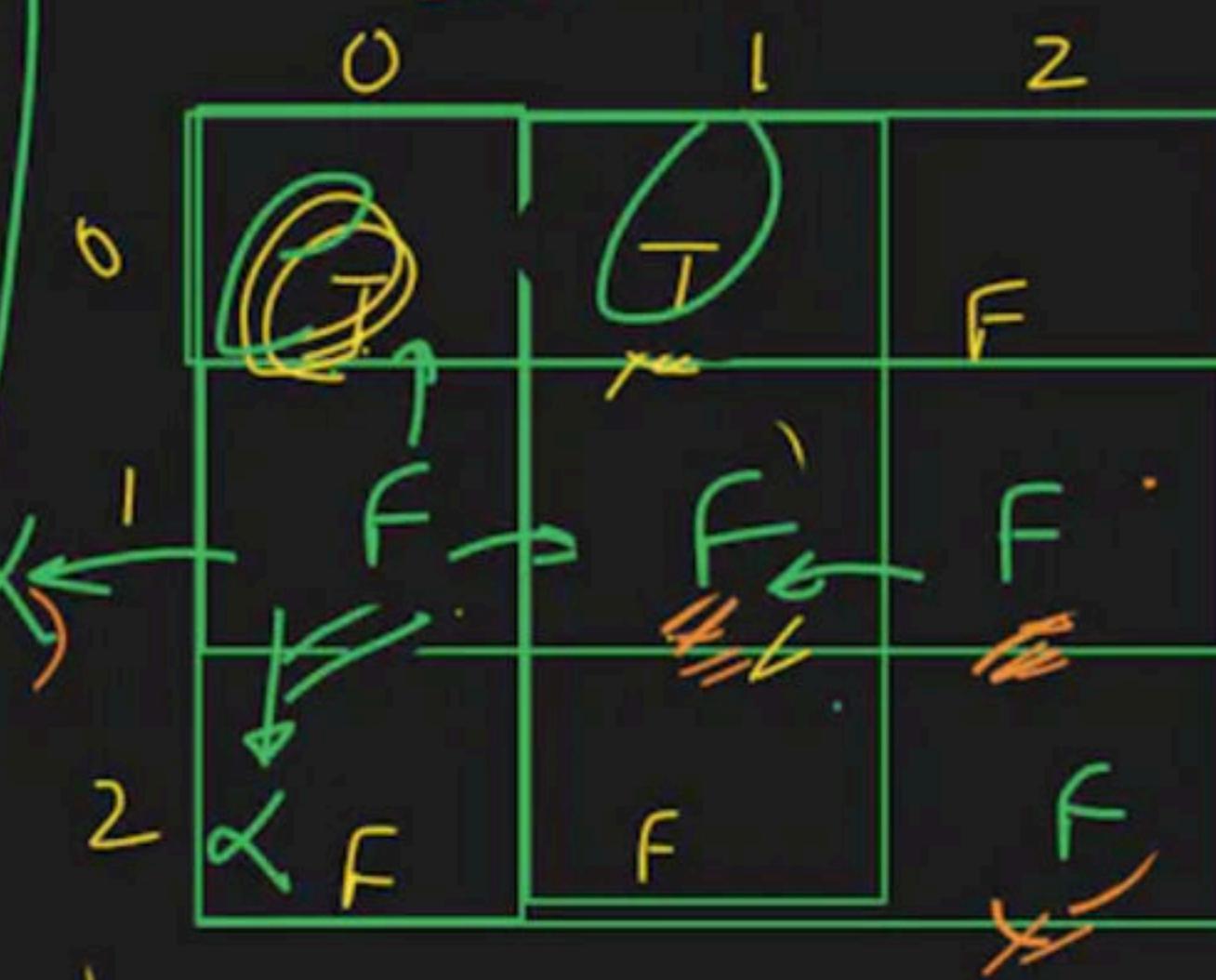
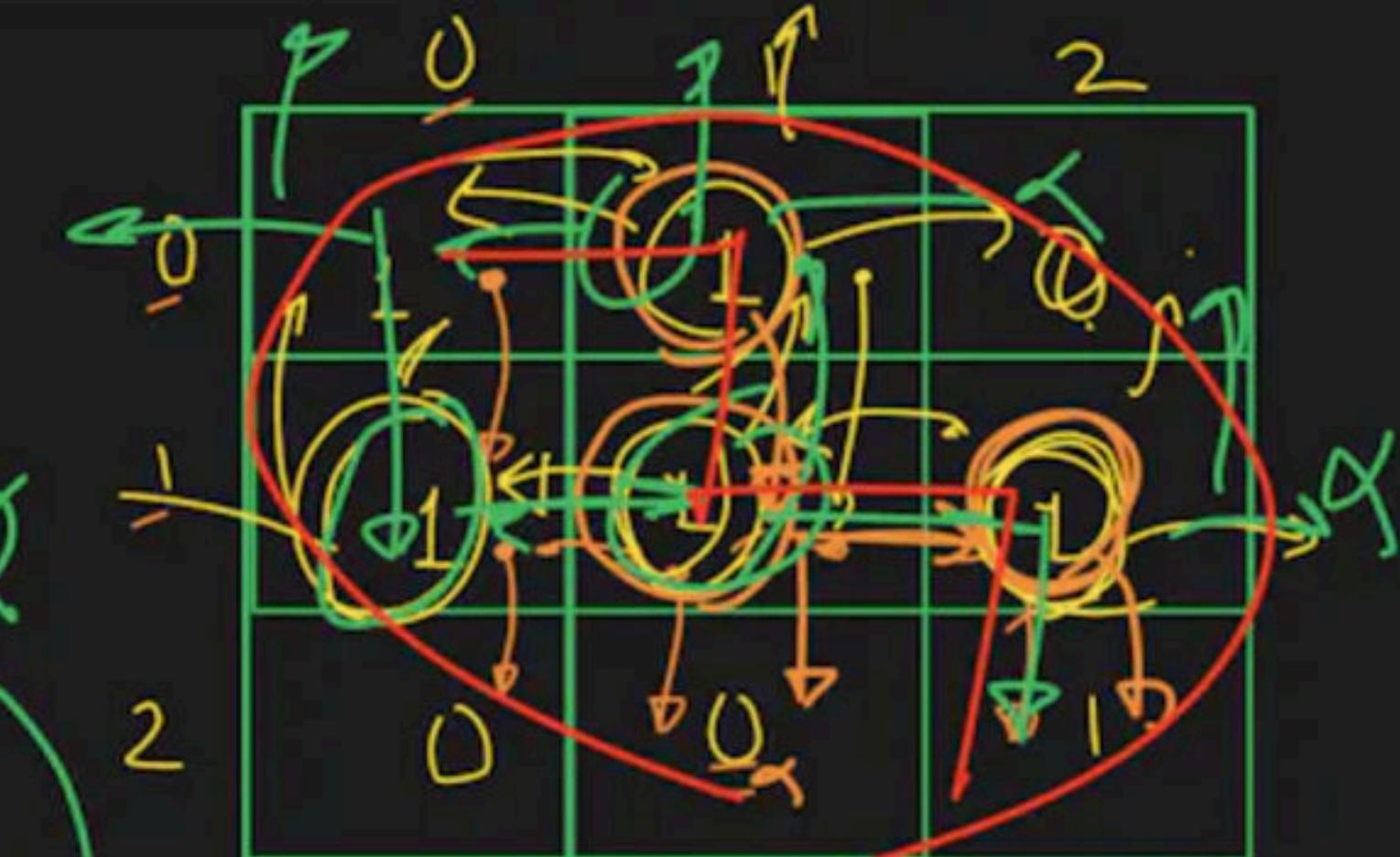
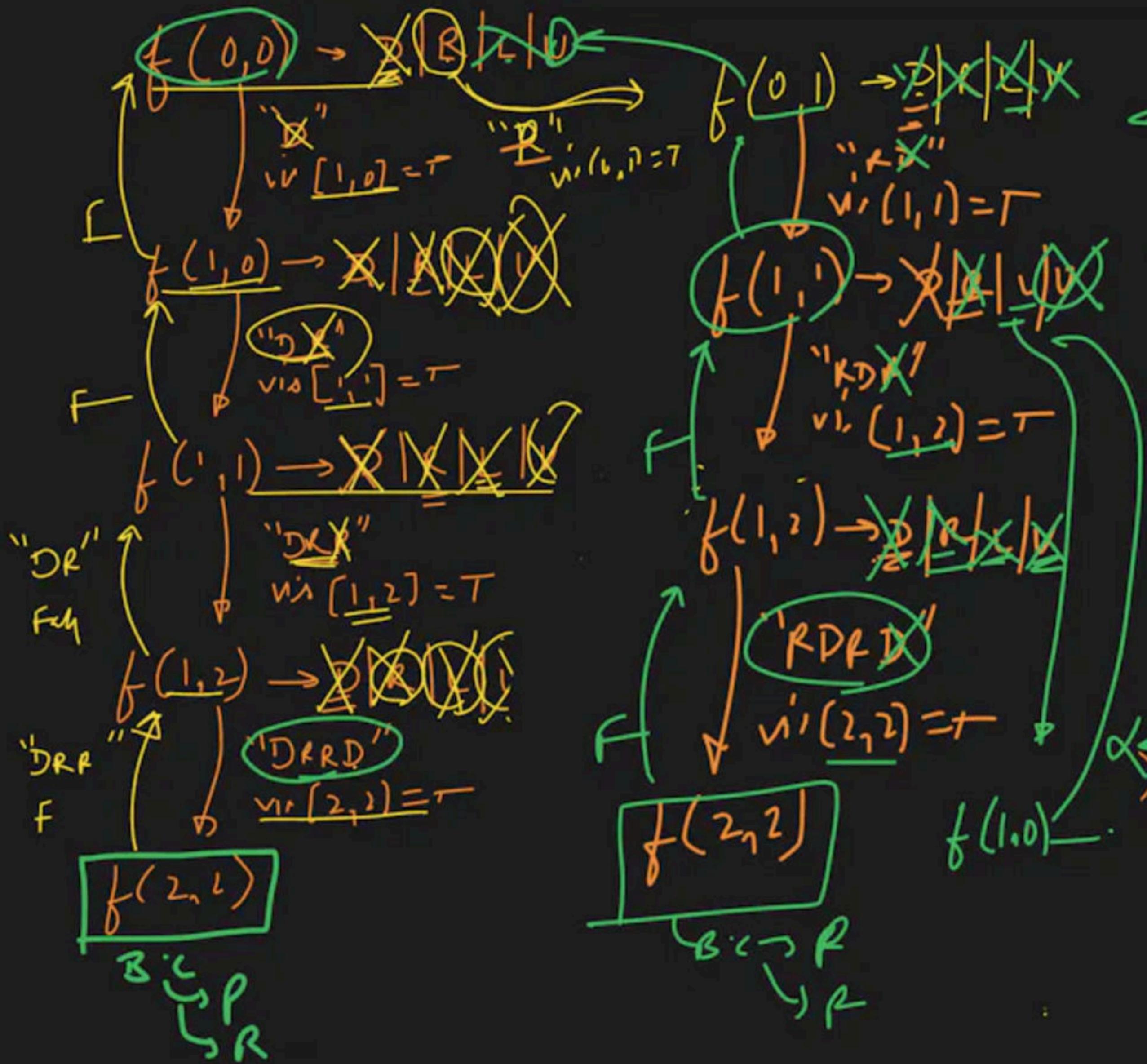
d d r d r v =

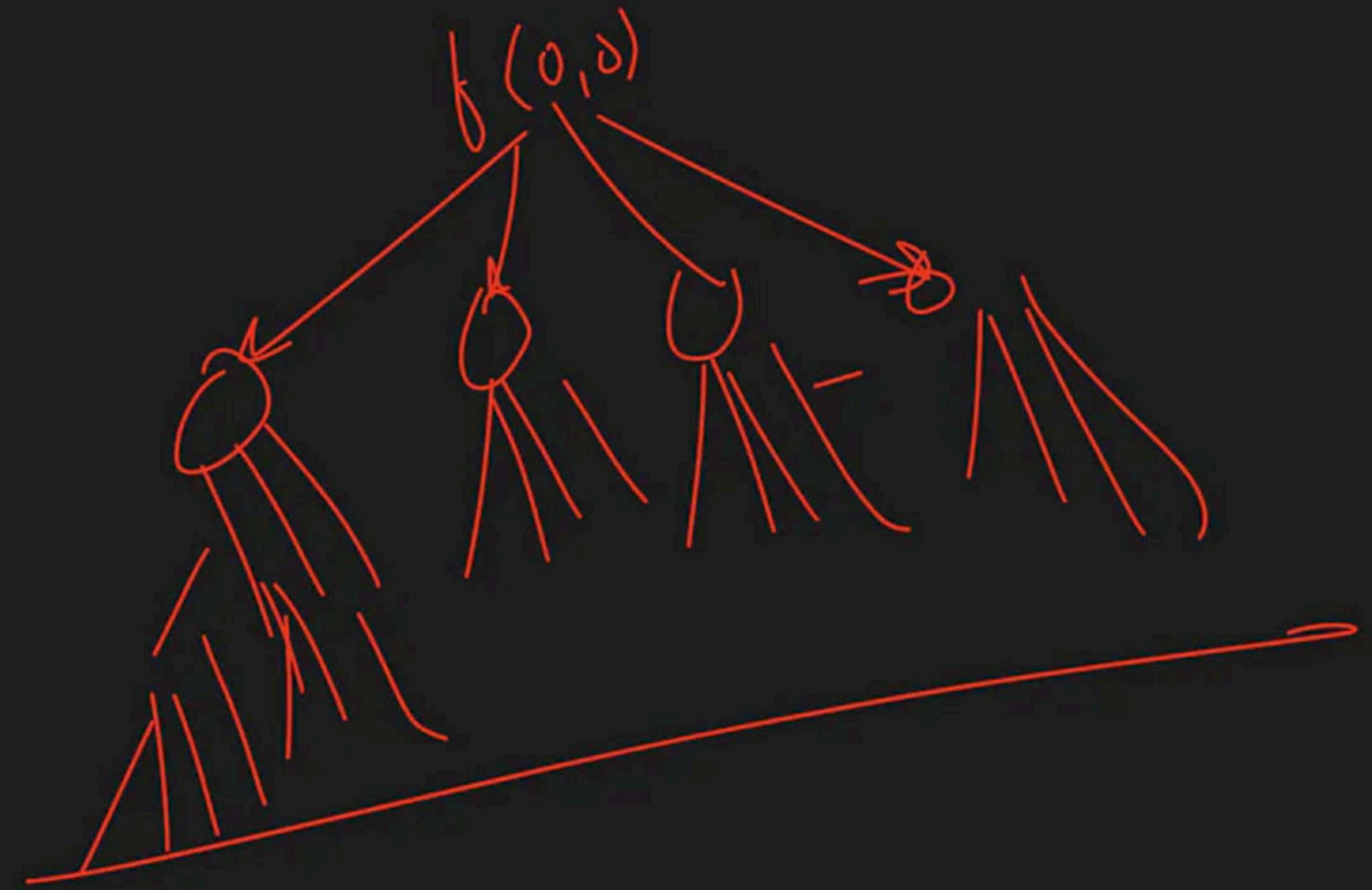
d d d r u r d r =











⇒ Debugging

==

2 min Break ✓  
=

$\Rightarrow$  Vector of digit to number  
 $=$

$\Rightarrow$  Dynamic mem allocation

① ①  $\rightarrow$  w/o new

② ② w/o new keyword

③ ③ " " "

④ ④ integer  $\rightarrow$  allocate heap

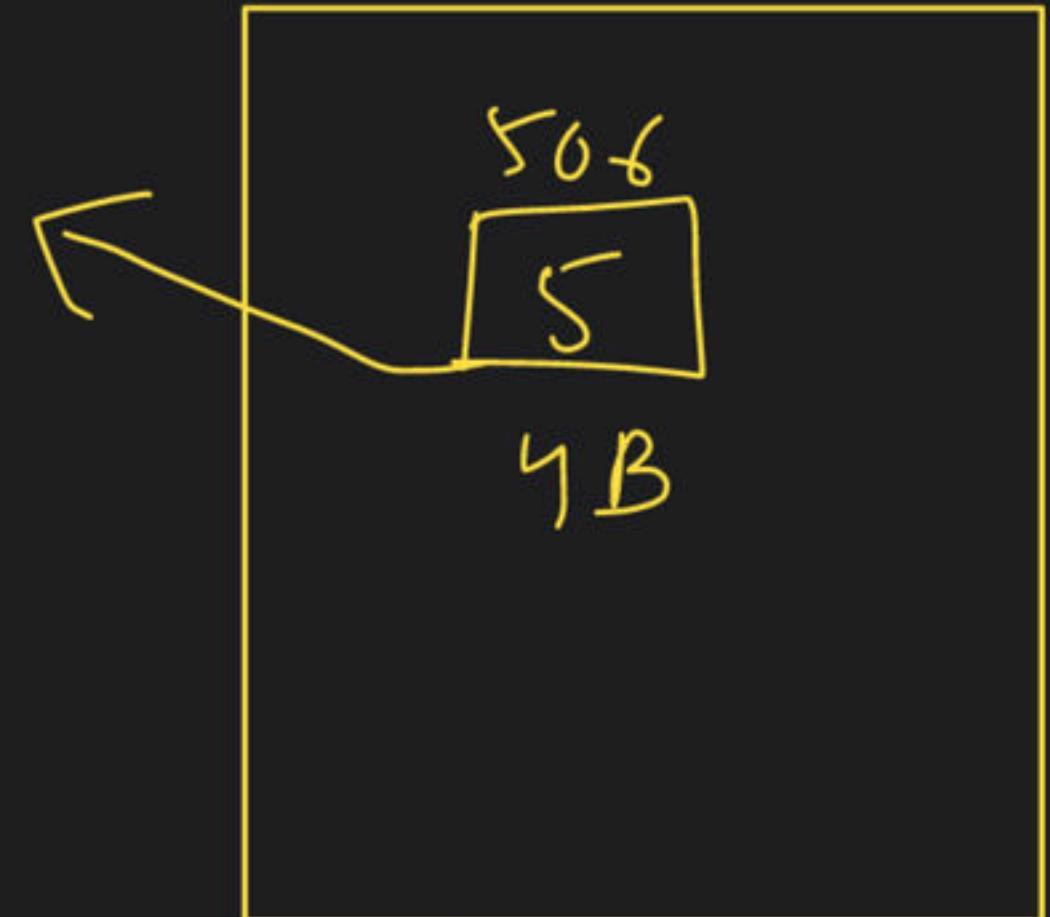
⑤ ⑤ array  $\rightarrow$  heap

⑥ ⑥ 2D array  $\rightarrow$  heap.

$\Rightarrow \text{int } * \text{ptr} = \text{new int}(5);$



address int\*



Void\* ptr = malloc(4)

int\* intptr = (int\*) ptr;

int\* ptr = malloc(4);

int\* ptr = (int\*) malloc(4);

\* intptr = 5;

①

allocate | int

①

int \*ptr = new int(6);

ptr →

Stack

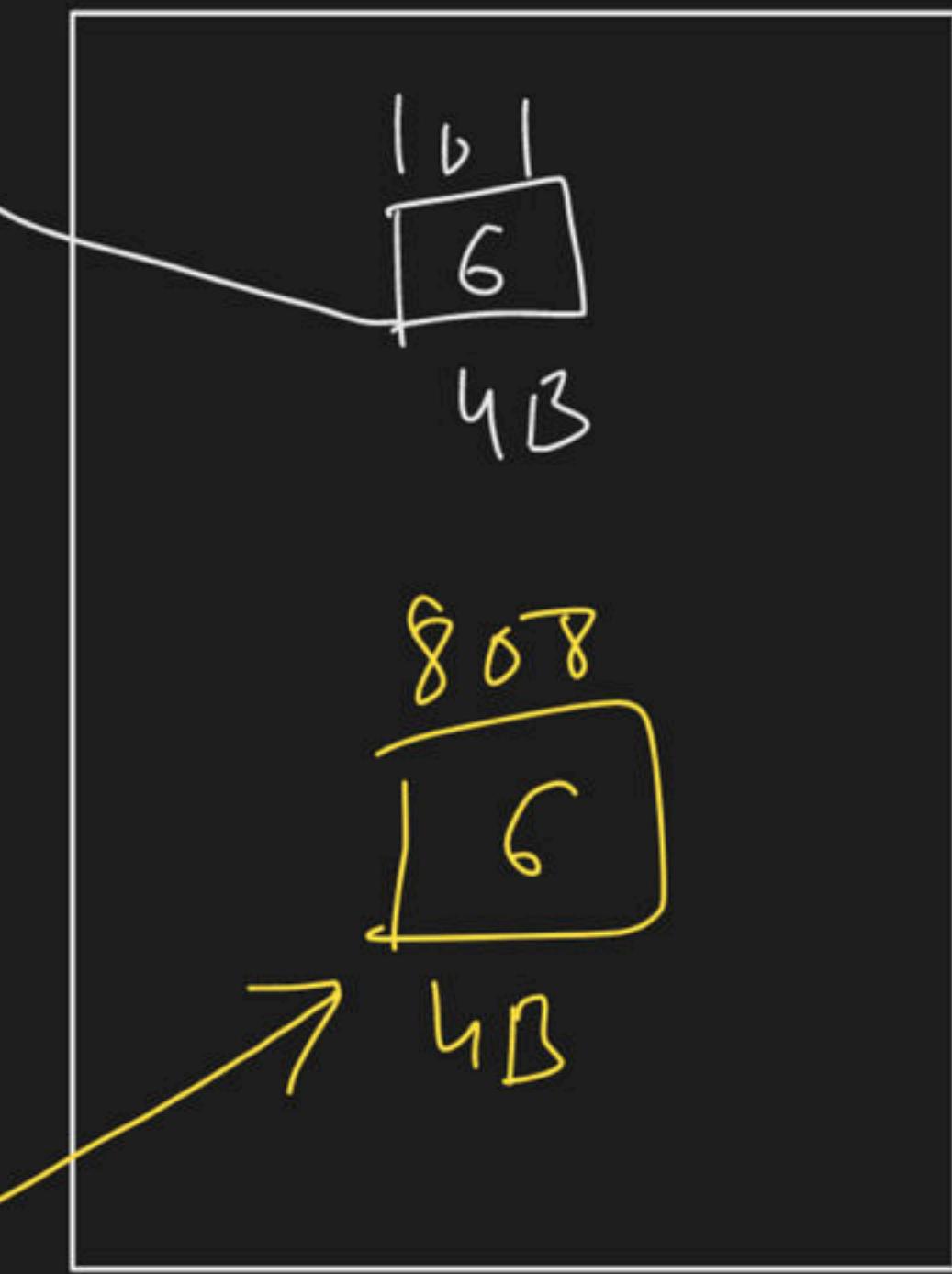
| 0 | →

606

\*ptr ↓

6

int \*



②

malloc (no.)  
of  
Bytes

⇒

int \*ptr = (int\*) malloc(4);  
\*ptr = 6;

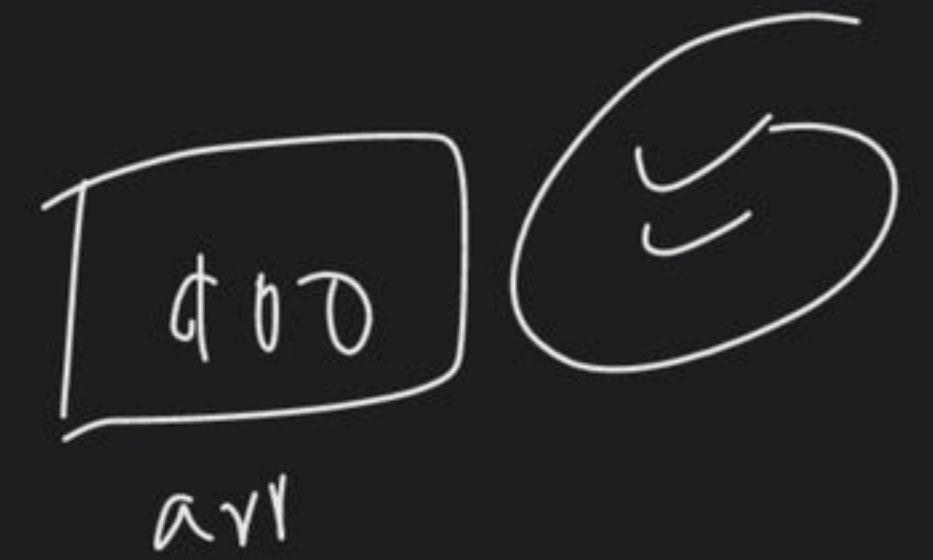
Heap

## 1D allocation

⇒ ①

int \*arr = new int[5];

↑ length array.

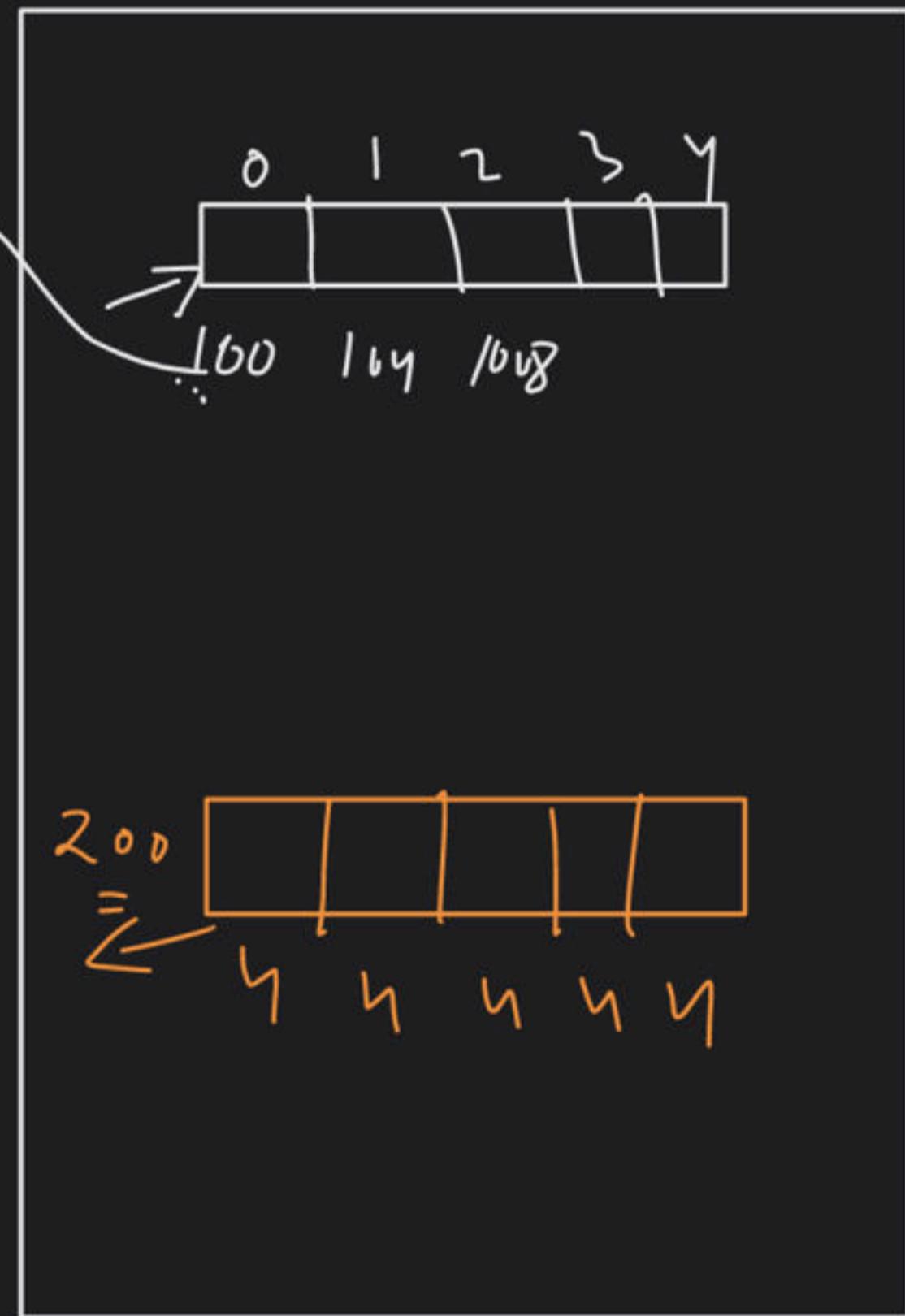


1D arr alloc =

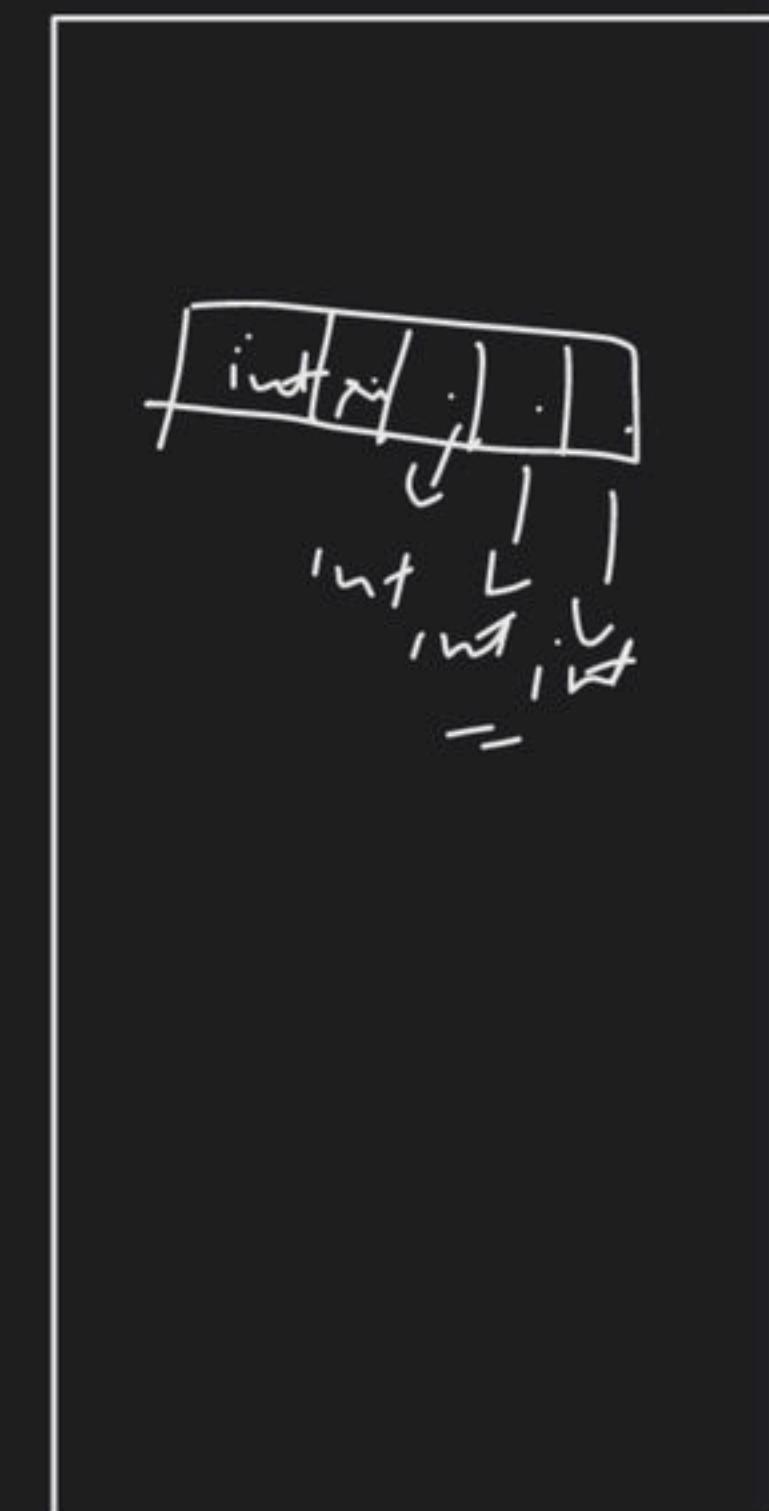
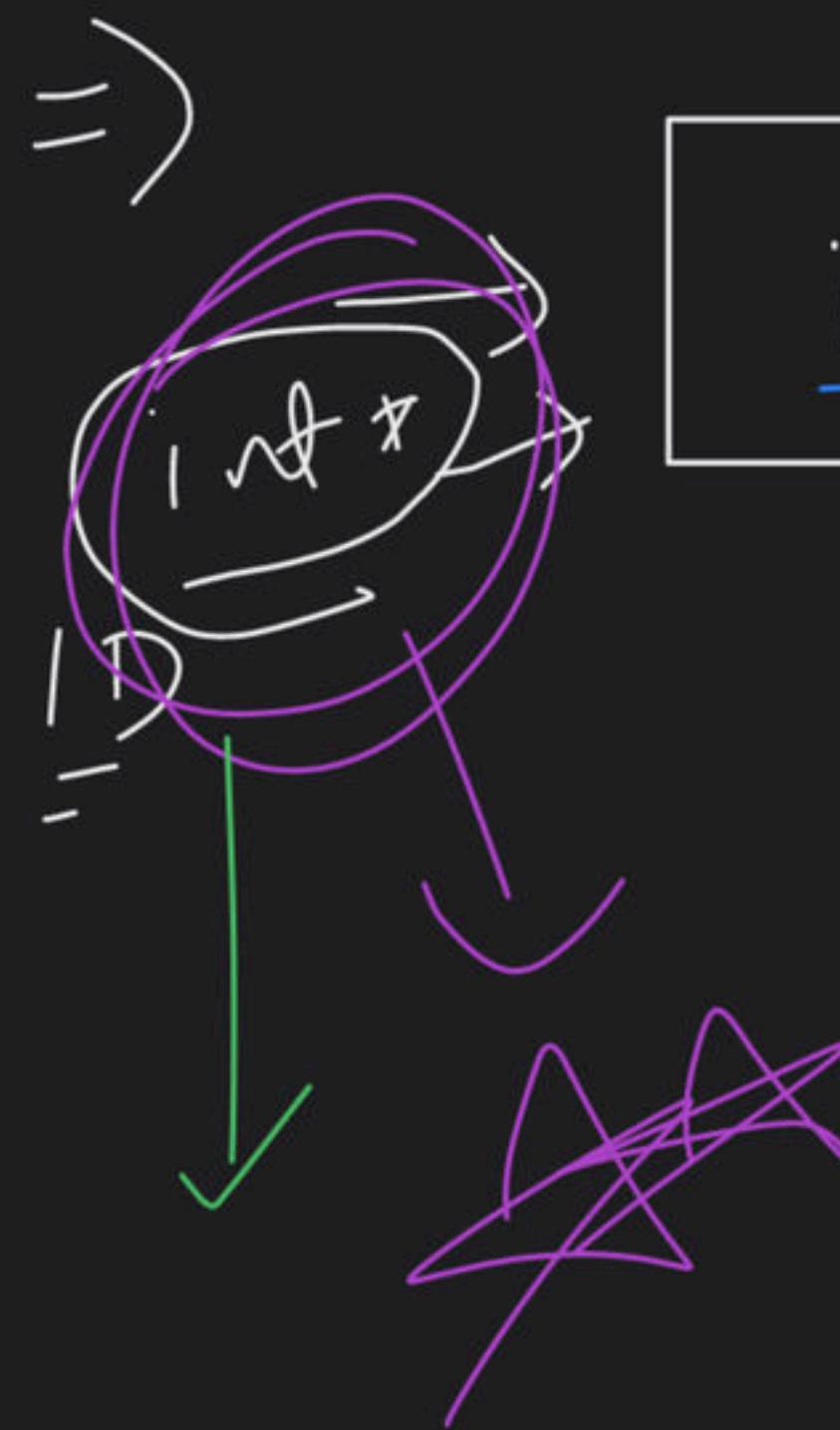
②

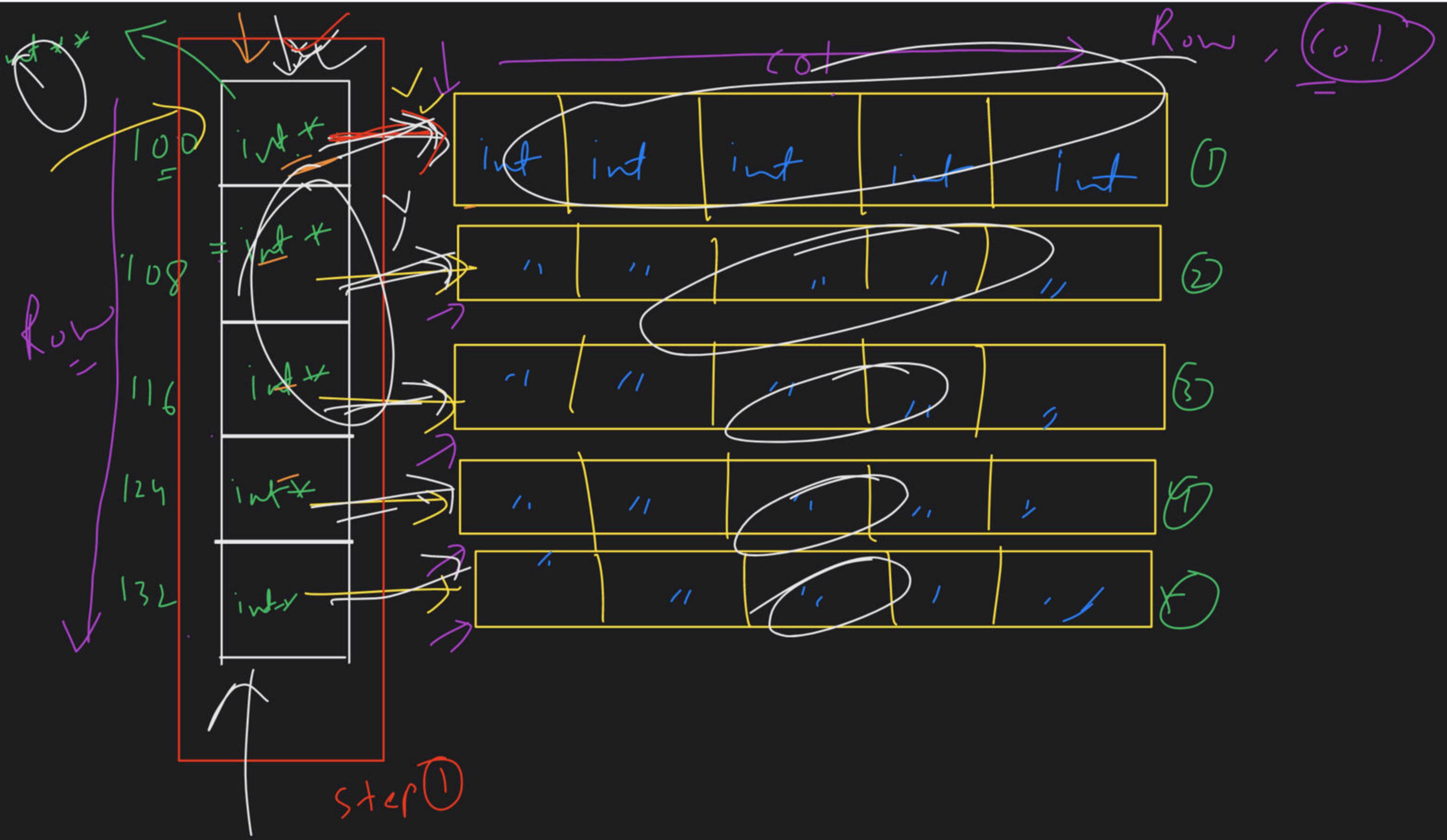
int \*arr = (int \*) malloc(20);

heap.



2D heap allocation  $\Rightarrow$  Bohot Saari 1D array





2D allocation  $\rightarrow$  2 step.

$\Rightarrow$  ① int\* type 1D array allocate Rows =

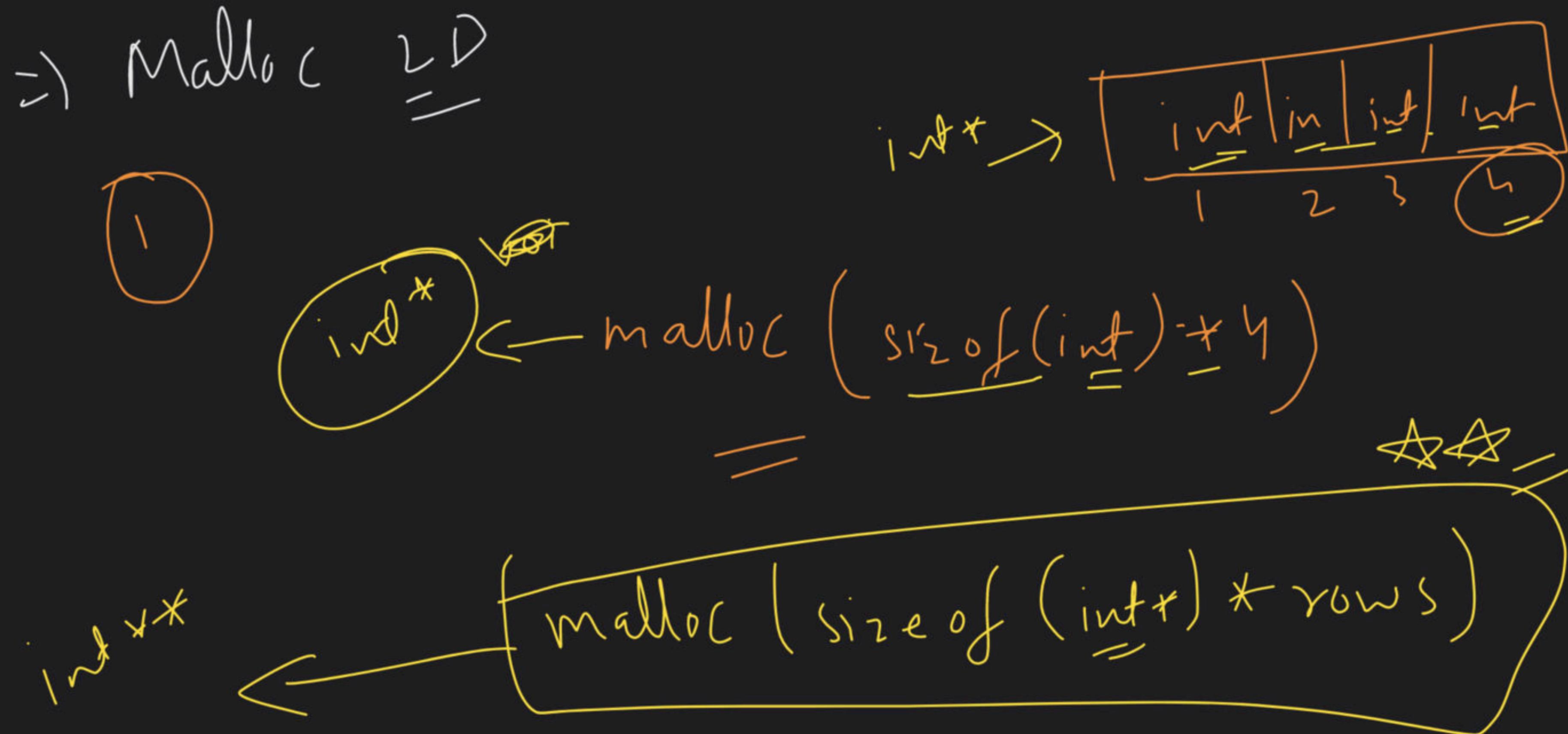
$\Rightarrow$

int \* ptr = new int [5];

The diagram shows a pointer variable 'ptr' pointing to a 1D array of 5 integers. The array is represented by a horizontal line with five vertical boxes inside, each containing a '1'. A curved arrow points from 'ptr' to the first element of the array.

int \*\* ptr = new int \* [Rows];

② Loop till all the rows allocated.



$\Rightarrow \text{Next} = \star \star \star \star$

$\Rightarrow \text{Code} =$

- ① 2D allocation
- ② Merge Sort

Mon  $\rightarrow q \rightarrow 11$   
Tues  
Wed

$q - 11$

Lakshay  
=

$q - 11$

oops  
live  
class





