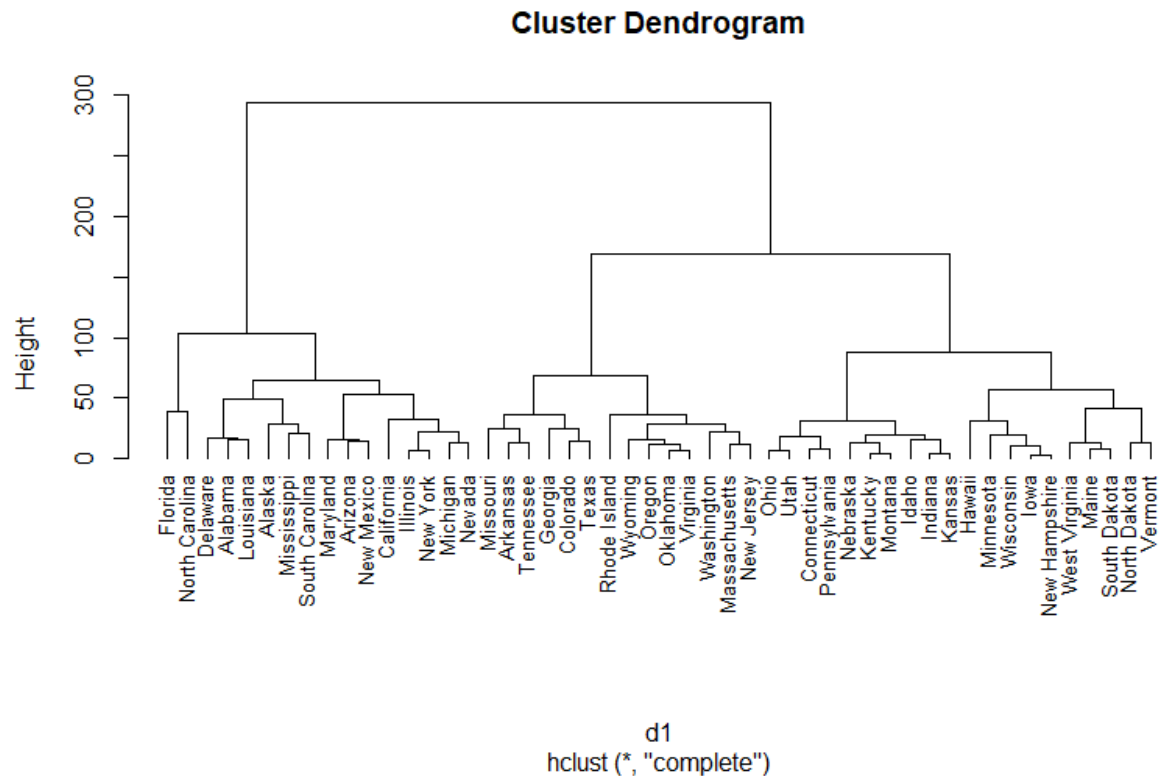


Data Mining II HW-2 Report

ISLR Chapter 10, P9 –

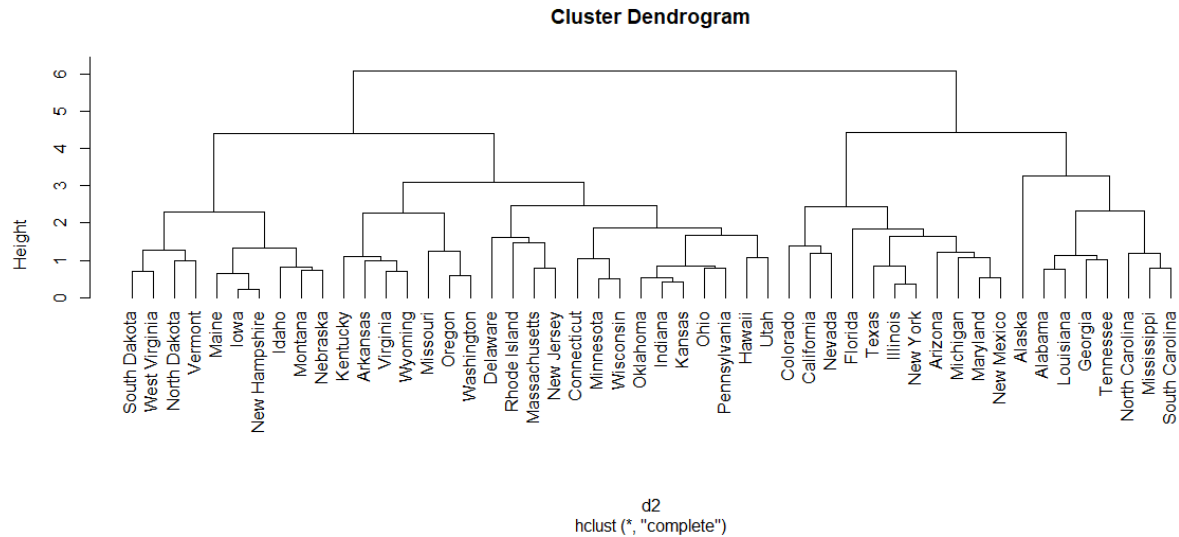
- a) Clustering the states using Hierarchical Clustering with complete linkage and Euclidean distance



- b) Cutting the dendrogram at a height that results in 3 different clusters.

```
> names(cluster_1)
[1] "Alabama"      "Alaska"       "Arizona"      "California"
[5] "Delaware"     "Florida"      "Illinois"     "Louisiana"
[9] "Maryland"     "Michigan"     "Mississippi"  "Nevada"
[13] "New Mexico"   "New York"     "North Carolina" "South Carolina"
> names(cluster_2)
[1] "Arkansas"     "Colorado"     "Georgia"      "Massachusetts"
[5] "Missouri"     "New Jersey"   "Oklahoma"     "Oregon"
[9] "Rhode Island" "Tennessee"    "Texas"        "Virginia"
[13] "Washington"   "Wyoming"
> names(cluster_3)
[1] "Connecticut"  "Hawaii"       "Idaho"        "Indiana"
[5] "Iowa"         "Kansas"       "Kentucky"     "Maine"
[9] "Minnesota"    "Montana"      "Nebraska"     "New Hampshire"
[13] "North Dakota" "Ohio"         "Pennsylvania" "South Dakota"
[17] "Utah"         "Vermont"      "West Virginia" "Wisconsin"
```

- c) Scaling the variables to have a standard deviation of 1 and hierarchically clustering the states using complete linkage and Euclidean distance.



```
> cluster_y
Alabama      Alaska      Arizona      Arkansas      California      Colorado      Connecticut      Delaware
1            1            2            3            2            2            3            3
Florida      Georgia      Hawaii      Idaho      Illinois      Indiana      Iowa      Kansas
2            1            3            3            2            3            3            3
Kentucky     Louisiana     Maine      Maryland      Massachusetts      Michigan      Minnesota      Mississippi
3            1            3            2            3            2            3            1
Missouri     Montana      Nebraska     Nevada      New Hampshire     New Jersey     New Mexico      New York
3            3            3            2            3            3            2            2
North Carolina      North Dakota      Ohio      Oklahoma      Oregon      Pennsylvania      Rhode Island      South Carolina
1            3            3            3            3            3            3            1
South Dakota      Tennessee      Texas      Utah      Vermont      Virginia      Washington      West Virginia
3            1            2            3            3            3            3            3
Wisconsin      Wyoming
3            3
```

- d) Table of scaled and unscaled clusters

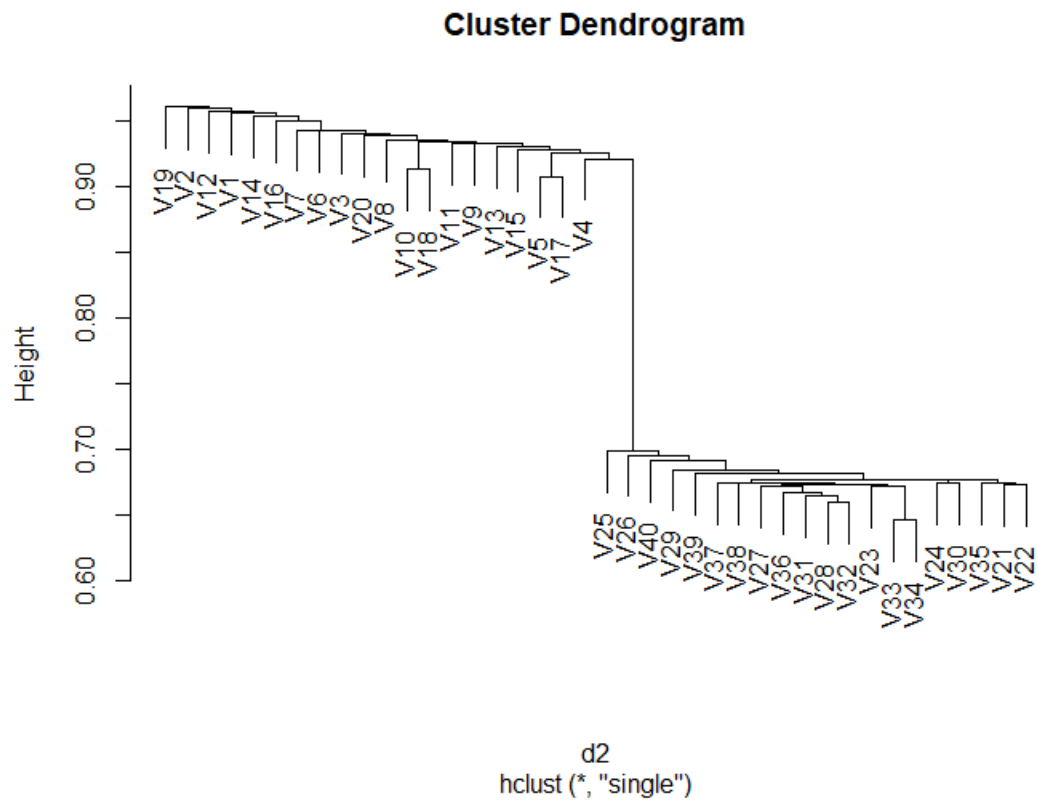
```
cluster_y
cluster_x 1 2 3
1 6 9 1
2 2 2 10
3 0 0 20
```

It is evident that scaling the data has contributed to clusters of different states as compared to clustering from unscaled data. Furthermore, the number of states within each cluster has changed significantly. Scaling the variables should depend upon the particular dataset and the unit of measurement of its variables. Since Murder, Assault, Rape and Urban Population are quantified using incomparable units of measurements, scaling the variables will provide better results for this case. As the choice of the measuring units gives rise to relative weights of the variable, scaling attempts to give all variables a similar weight which might lead to better results although depending on the particular application and the data, some variables might be intrinsically more or less important and require a higher or lower weightage.

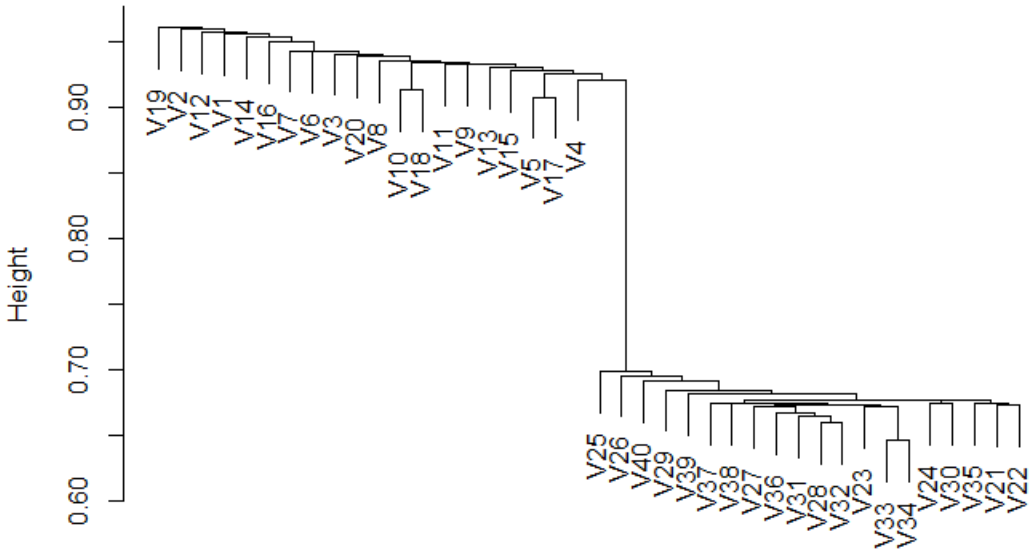
- a) Using read.csv to load the data from Ch10Ex11.csv.

```
data<-read.csv("C:/Users/X/Desktop/Ch10Ex11.csv", header = F)
```

- b) Hierarchical Clustering with correlation based distance

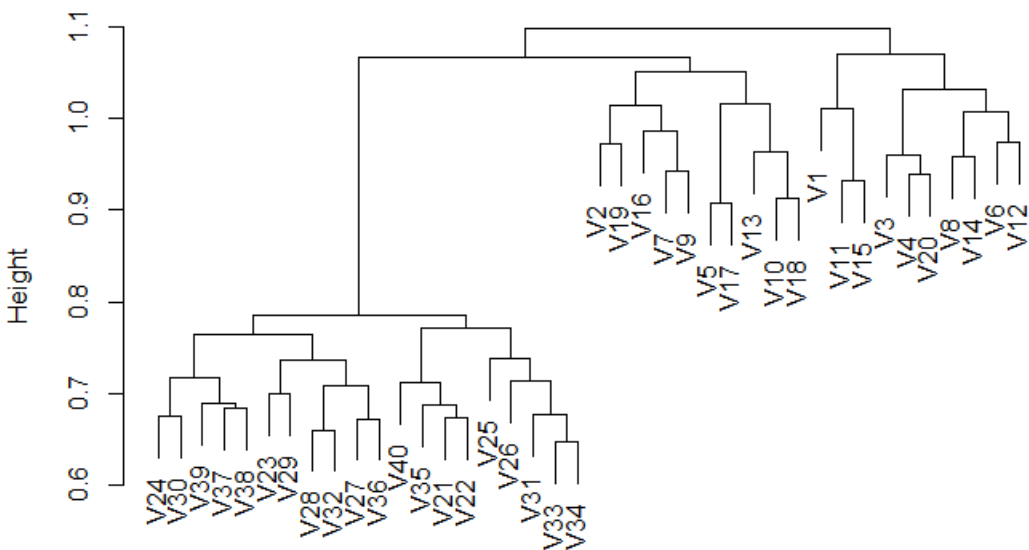


Cluster Dendrogram



d2
hclust (*, "single")

Cluster Dendrogram



d2
hclust (*, "complete")

From the dendrograms it is evident that different linkages provide different outcomes. The number of clusters for single and complete linkages are indeed 2 whereas for average it is 3.

- c) To find out the genes that differ the most amongst the two groups, we use PCA with the `prcomp()` function and scale set as TRUE.

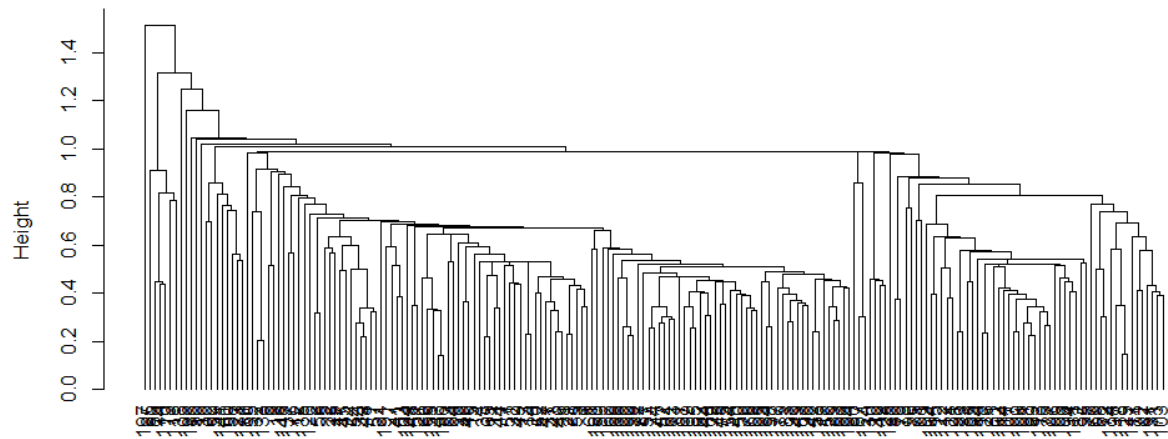
The rotation matrix gives the principal component loadings.

	PC1	PC2	PC3	PC4	PC5	PC6	PC7	PC8	PC9
V1	0.0209160782	-0.10389959	0.100079713	-0.15195129	0.06511878	-0.25788235	0.08777857	-0.19173121	-0.052607525
V2	-0.0043876236	-0.08087044	-0.005117545	-0.04927576	-0.07090114	0.16187117	0.07834090	0.01576851	-0.131775239
V3	0.0068361311	-0.07917628	0.063101500	0.04507544	-0.08485917	-0.23150149	-0.27308793	0.14357801	0.184514772
V4	-0.0203797914	-0.23533207	0.225274260	0.28497597	0.03005075	-0.16087271	0.02710493	0.15463076	-0.007696749
V5	-0.0006176288	0.35222389	-0.002353272	-0.10674950	-0.22988871	0.19523401	0.06521628	-0.07182563	0.005209728
V6	-0.0047802783	0.18069870	0.130812787	0.20195489	0.07333479	-0.07318747	-0.10254806	-0.12197749	-0.242617830
	PC10	PC11	PC12	PC13	PC14	PC15	PC16	PC17	PC18
V1	-0.08995899	0.052199715	0.03654953	0.12387584	-0.06510470	-0.1959834	-0.05082233	0.15192334	0.104425236
V2	0.28794144	0.132028628	0.15816017	0.07431777	0.16697449	0.2659483	-0.06552093	0.02233895	0.088900823
V3	-0.16974413	0.066711525	-0.31057641	0.02796186	-0.05175203	0.2016916	-0.30008099	-0.21294520	-0.076338190
V4	-0.07637323	0.052268179	0.11793897	-0.01729623	0.15921322	0.2104952	-0.04952002	-0.06898432	-0.253696149
V5	-0.02364793	0.191889849	0.12952453	0.14994838	0.07094560	0.2015437	-0.21405119	-0.09811765	0.345666941
V6	0.09707251	0.003545798	-0.15215601	-0.01123783	-0.09363195	-0.1099123	0.25993235	-0.17939557	-0.001996368
	PC19	PC20	PC21	PC22	PC23	PC24	PC25	PC26	PC27
V1	0.42545849	-0.288261169	-0.337097239	-0.01264132	0.07461332	0.195043884	0.07198381	-0.13127055	-0.081450018
V2	0.19922739	0.377415581	-0.071709132	-0.04734416	0.33790499	-0.090476126	-0.04465650	0.08617189	0.157518862
V3	0.19261005	-0.018852862	0.049084053	0.21153732	0.11377679	0.213046558	-0.12011116	-0.08267382	0.001499656
V4	-0.05000286	0.181758924	0.021460996	0.32355437	-0.01143950	-0.096945429	0.02044440	-0.08282955	0.161071596
V5	-0.12425807	-0.152202039	-0.141151317	0.05879421	-0.07362112	0.004034346	-0.26314823	0.02673426	0.020528737
V6	-0.28920601	-0.006375223	-0.007056733	0.13186925	-0.03088263	0.326810659	0.08000847	-0.07811112	-0.036665822
	PC28	PC29	PC30	PC31	PC32	PC33	PC34	PC35	PC36
V1	-0.05632755	0.2007956	0.10310560	0.01808517	0.08974051	-0.173640756	-0.17272548	0.23917090	-0.13620677
V2	0.38441798	0.2646665	-0.03823962	0.28665551	-0.04761864	-0.115661668	-0.01545914	0.09296487	-0.02496470
V3	0.22208059	-0.1162565	-0.20697655	-0.02931815	-0.12968717	-0.141300093	-0.13869246	-0.19711945	0.05368027
V4	-0.47689550	0.1584434	0.19690325	0.08160283	0.18003187	0.008050914	0.06887255	0.09158043	0.04508811
V5	-0.21934152	-0.2478010	-0.09161110	0.08173816	0.05863222	-0.019352771	0.16172483	0.13342548	-0.11412270
V6	0.15890631	0.2799879	-0.33251243	0.14221614	-0.08594040	0.202804430	0.19098248	0.07920666	-0.08760931
	PC37	PC38	PC39	PC40					
V1	-0.052452394	0.15763040	-0.13229607	0.19252387					
V2	0.044363573	0.10702334	0.07463923	0.04587998					
V3	-0.200648239	-0.03782230	0.22161284	0.15248967					
V4	0.034505993	0.07907554	-0.02438640	0.24428348					
V5	-0.006259668	-0.10073025	0.02364942	0.36465453					
V6	0.047923085	0.18205121	-0.06199306	0.25639941					

3)

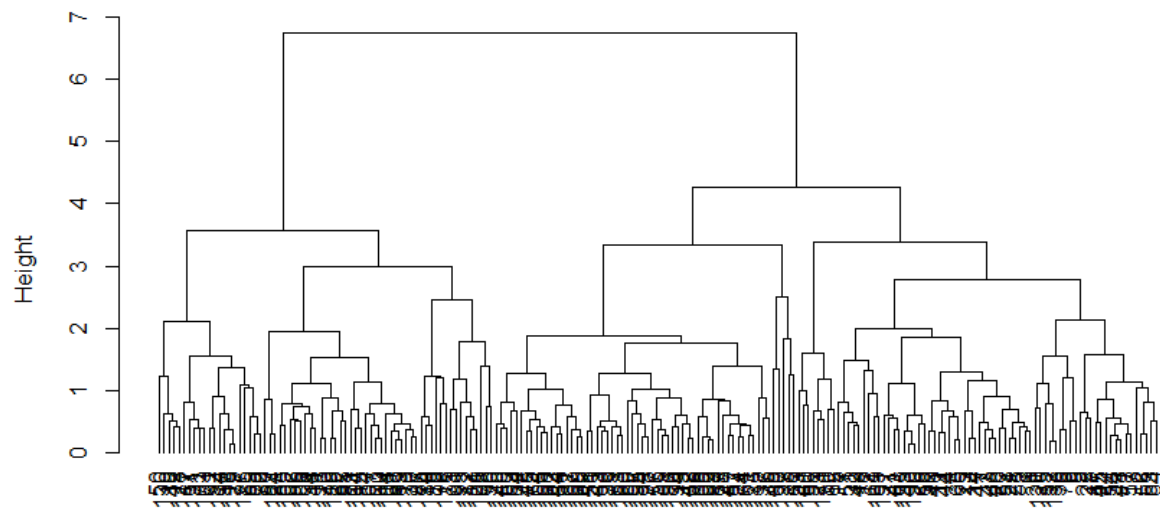
a) Reading data using `read.delim()`. Removing the seed group from consideration. Applying single links, average linked and complete linked hierarchical clustering.

Cluster Dendrogram



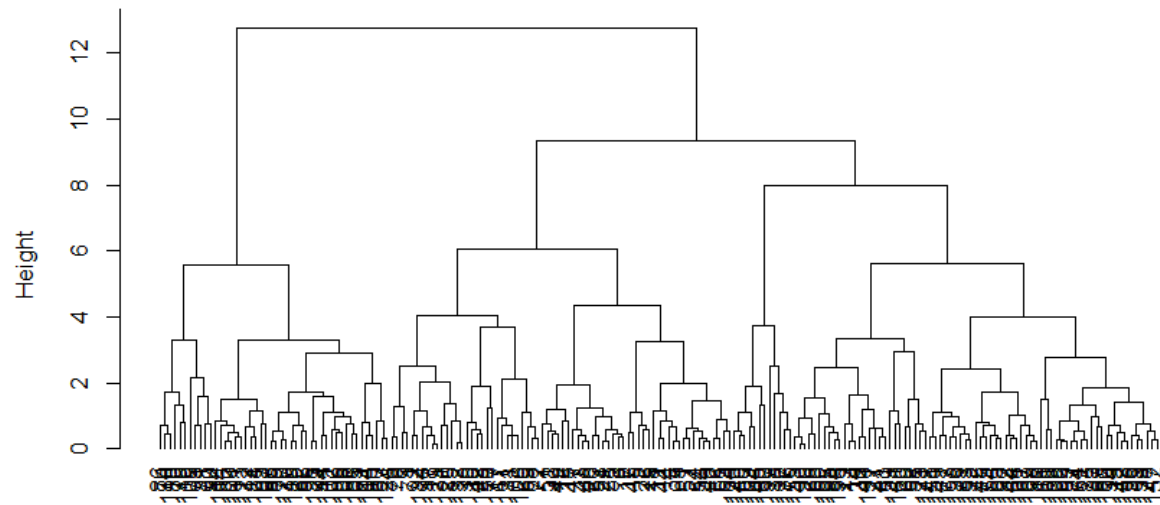
d
hclust (*, "single")

Cluster Dendrogram



d
hclust (*, "average")

Cluster Dendrogram



d
hclust(*, "complete")

Cutting the Dendrograms with k=3

```
> table(hc_x, data_y$Seed.Group)
hc_x  A  B  C
  1 66 62 64
  2  0  6  0
  3  0  0  1
> table(hc_y, data_y$Seed.Group)
hc_y  A  B  C
  1 60  4  8
  2  3 64  0
  3  3  0 57
> table(hc_z, data_y$Seed.Group)
hc_z  A  B  C
  1 46 22  0
  2 20  0 65
  3  0 46  0
```