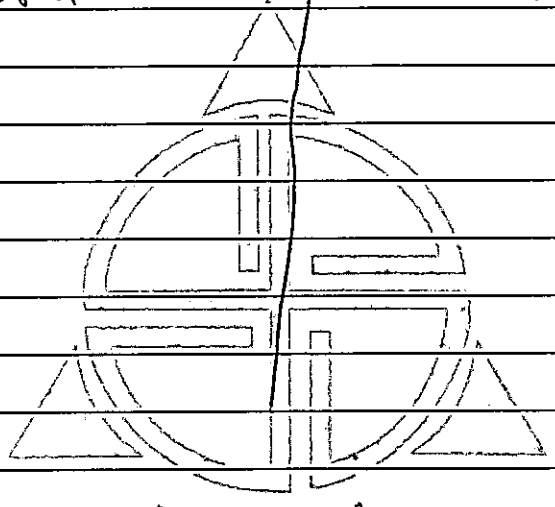
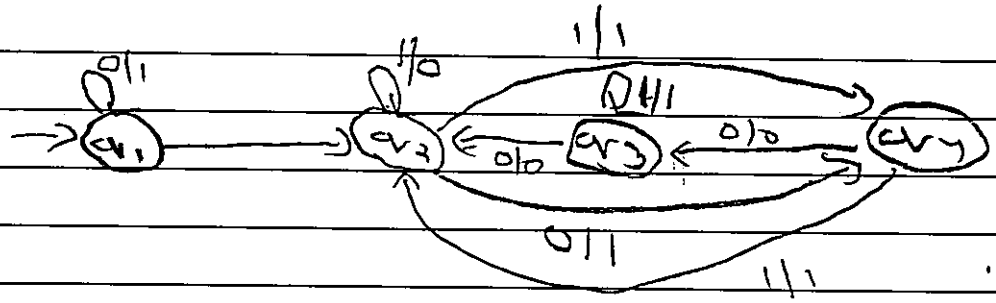
1a,	NFA	DFA
1	its full form is Now Deterministic Automata	full form of DFA is Deterministic automata
2	in this automata we get output for all	in this automata we did not get output for all
3	All NFA is DFA	All DFA is Not NFA
4		



1b,	Mealy machine	State	state	output	State	Output
		q_1	q_1	1	q_2	0
		q_2	q_4	1	q_4	1
		q_3	q_2	0	q_3	1
		q_4	q_3	0	q_2	1



mealy machine

State	0	1	Output
q_1			0
q_2			1
q_3			0
q_4			1

	state	0	1
1.C	q_1	q_1	
	q_2	q_2	
	q_3	q_7	
	q_4	q_8	
	q_5	q_5	
	q_6		
	q_7		
	q_8		

state	0	1
→ q_0	q_1	q_4
q_1	q_2	q_3
(*) q_2	q_7	q_8
(*) q_3	q_8	q_7
q_4	q_5	q_6
(*) q_5	q_7	q_8
(*) q_6	q_7	q_8
q_7	q_7	q_7
q_8	q_8	q_8

Equivalence D : $\{q_0, q_1, q_4, q_7, q_8\}\{q_2\}\{q_3\}\{q_5\}\{q_6\}$

$q_0 q_1 = q_{0,0} = q_1 \quad q_{0,1} = q_4$

$q_{1,0} = q_2 \quad q_{1,1} = q_3$

$q_0 \neq q_1$

$q_0 q_4 = q_{0,0} = q_1 \quad q_{0,1} = q_4 \quad q_0 \neq q_4$

$q_{4,0} = q_5 \quad q_{4,1} = q_6$

$q_0 q_7 = q_{0,0} = q_1 \quad q_{0,1} = q_4 \quad q_0 \neq q_7$

$q_{7,0} = q_7 \quad q_{7,1} = q_7$

$q_0 q_8 = q_{0,0} = q_1 \quad q_{0,1} = q_4 \quad q_0 \neq q_8$

$q_{8,0} = q_8 \quad q_{8,1} = q_8$

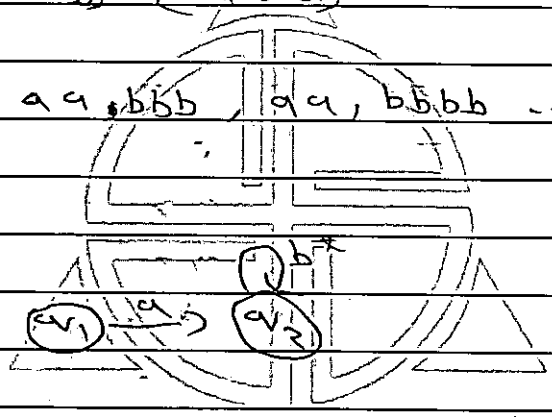
Equivalence : $\{q_0 q_7 q_8\} \{q_5, q_6\}$
$\{q_1\} \{q_2\} \{q_3\} \{q_4\}$

$q_0 q_7 = q_{0,0} = q_1, q_{0,1} = q_4$
$q_7,0 = q_7, q_7,1 = q_7$
$q_0 q_7$ are not equivalent.

$q_0 q_8 = q_{0,0} = q_1, q_{0,1} = q_4$
$q_8,0 = q_0, q_8,1 = q_8$
$q_0 \neq q_8$
$\{q_7 q_8\} \{q_0\} \{q_1\} \{q_2\} \{q_3\} \{q_4\}$
$\{q_5, q_6\}$

::1d $L = \{ aa, bbb, aaa, bbbb, \ldots aa b^* \}$

So First



So the language is $aa b^*$

State	a	b
q_0	q_1	0
q_1	q_2	0
q_2	0	q_2

$L = \{a^n b^n$ where $n \geq 1\}$

in Pumping lemma it should satisfy 3 conditions to Prove

1 $|xy| > 0$

2 $|xy| \leq p$

3 $xy^i z$

Let $p = 2$

$L = aabb$ $\quad \in, ab, aabb, \ldots a^n b^n$

Case 1 — $x \; y \; z$ $\quad x \; y \; y \; z$

$x = a$

$y = ab$

$z = b$

i $|xy| > 0$

$|1| > 0$

True

ii $|xy| \leq p$

$2 \leq 2$

True

Now

$xy^i z = a^i ab^i$

Put $i = 0$

$\in ab \in$ It belongs to language

Now check for $i = 3$

$= a^i ab b^i$

aaa abbb It also belongs to L(G)

so it is a regular grammar in case1
It cannot Proove for not regular.

case-2

$L = \{aaa bbb\}$

P = 2

now

aaa bbb
x y z

aaabbb
x y

$x = aa$

$y = ab$

$z = bb$

i

$|xz| > 0$

$2 > 0$

True

ii

$|xz| \geq P$

$4 \geq 3$

True

iii

$xy^i z = (aa)^i ab (bb)^i$

If $i = 3$

$= aaaaaa ab bb bb bb$

It is also belongs to L

so it is Regular grammar

It can't be Proved.

2nd Construct a finite automata

$(0+1)^* (0\,0+1\,1)(0+1)^*$

(ans)

3rd $E \rightarrow E+T \mid T$

$T \rightarrow T^*F \mid F$

$F \rightarrow (E) \mid a$

Put all Non terminal with new Non terminal

$A_1 \rightarrow E$

$A_2 \rightarrow T$

$A_3 \rightarrow F$

now write production according to the new non terminal symbols.

$A_1 \rightarrow A_1 + A_2 / A_2$

$A_2 \rightarrow A_2 * A_3 / A_3$

$A_3 \rightarrow (A_1) / a$

now ~~Put A_1 in A_3~~

$A_3 \rightarrow (A_1 + A_2 / A_2) / a$

~~now Put AR~~

· now put A_2 in A_2

$A_2 \rightarrow A_2^* A_1 / a / A_1 / a$

now put A_2 in A_1

$A_1 \rightarrow A_1 + A_2^* A_1 | a | A_1 | a | A_2^* A_1 | a | A_1 | a$

3b $S \rightarrow aB | bA$

$A \rightarrow a | aS | bAA$

$B \rightarrow b | bS | aBB$

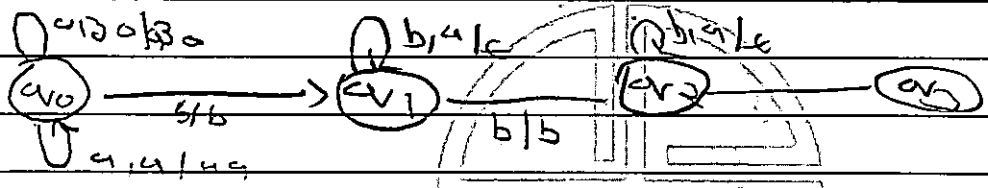
4b $L = \{ a^n b^{2n} \}$ where $n \geq 1$

$L = \{ \epsilon, abb, aabbbb, \ldots a^n b^{2n} \}$

$i \leq 1 \quad n = 2$

So the $L = \{ aabbbb \}$

Now we construct PDA for L



ज्ञानदेव न केवलम्

5a Partial function is a function which is defined for some of the element in it it is not defined for all elements

e.g $x \rightarrow \sqrt{a}$

Initial function is defined by 3 functions in numbers and 4 functions in alphabets (3)

- Initial function defined for Numbers (N)

Zero function → in this function and element belongs to is always zero. It means the value of element belong to zero function will be zero

e.g Z(1) = 0

Successor function → in this function every element in this function will get added by +1 e.g

Projection function → in this function It projects the element in set of elements e.g :- U {a, b, c} = a

- Initial function in alphabets are:

Null function : In this element every alphabet element present in null function will provide null e.g: Null (x) = Null

Concatenate Function :- In this function we concatenate element in a set

eg: conc(x) y = xy

5b $f(x,y) = x+y$

$f(x,0) = x+0$

$= 0$

$g(x)$

$z(x)$

$f(x,y+1) = x+y+1$

$= (x.y)+1$

$h(x,y+1) = f(x,y) + x$

$= U_3^3(x,y,f(x,y)) +$

$U_1^3(x,y,f(x,y))$

$h(x,y,+z) = U_3^3(x,y,z) + U_1^3(x,y,z)$

Hence proved it is primitive recursive function as it is expressed through its condition

$P(x,y) = x^y$

$P(x,0) = x^0$

$= 1$

$= s(0)$

$= s(z(0))$

$P(x,y+1) = x \cdot P(x,y)$

$= m(x, P(x,y))$

$H(x,z+1) = m(x, H(x,z))$

$H(x,y,z) = m(x, H(x,z))$

$= m(x, s(z(0)))$

$= m(x, s(z(y)))$

$= m(x, s(z(z(x,y,z))))$

$= m(x, s(z(z(x,y,z))))$

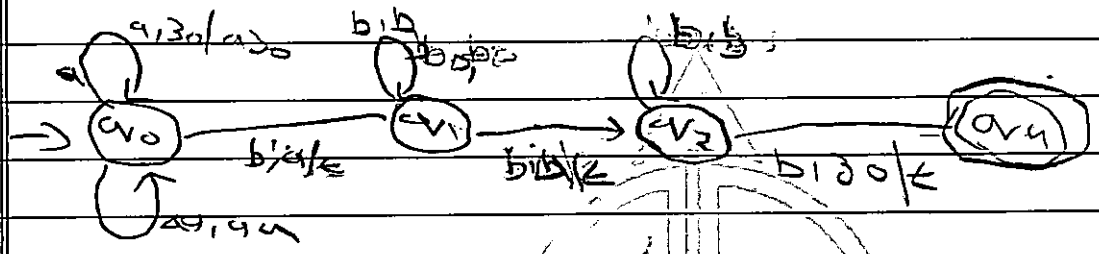
$= m(x, s(z(z(x,y,z))

4 b | $L = \{a^n b^{2n} \}$ where $n \geq 1$

$L = \{\epsilon, a\,bb, a\,a\,bbbb, \ldots a^n b^{2n}\}$

So we first take $n = 2$.

$L = \{a\,a\,bbbb\}$



$\delta(q_0, a, 30) \rightarrow q_0 a 30$

$\delta(q_0, a, a) \rightarrow (q_0 a)$

$\delta(q_0, b, a) \rightarrow (q_1 \varepsilon)$

$\delta(q_1, b, b) \rightarrow (q_2 b)$

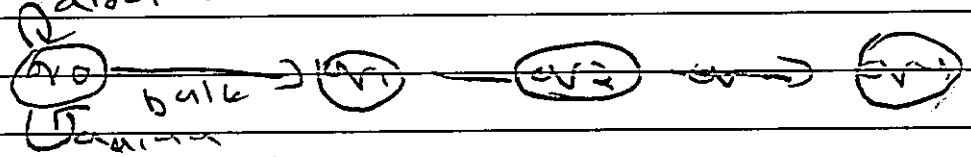
$\delta(q_2, b, a) \rightarrow (q_2 \varepsilon)$

$\delta(q_2, b, b) \rightarrow (q_2 b)$

$\delta(q_2, b, 30) \rightarrow (q_4 \varepsilon)$

test string a a a b b b b b b

First start with q_0 with 30



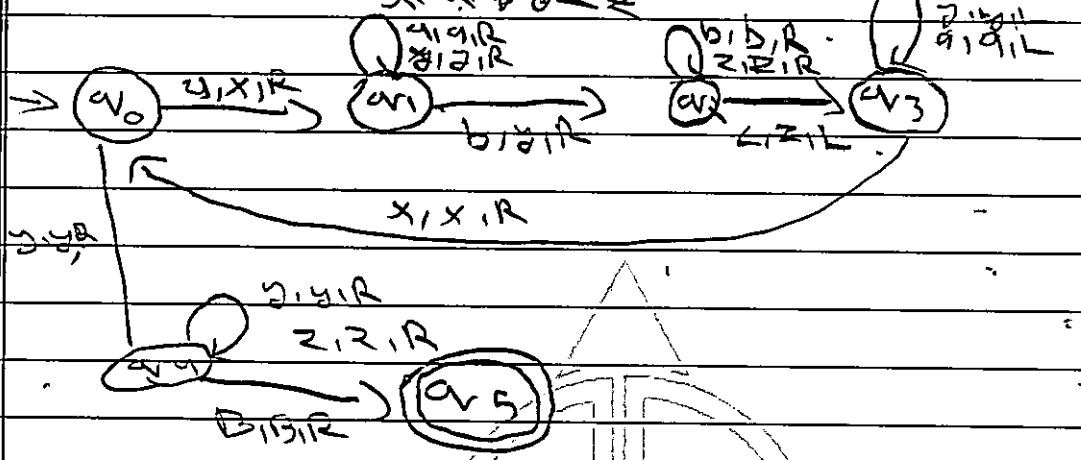
a,a/aa
a,a/aa

4. $L = \{a^n b^n c^n\}$ $n \geq 0$ Turing machine

$L = \{0, abc, aabbcc, \ldots\}$

$n = 2$

$L = \{aabbcc\}$



δ { $q, X, R \rightarrow q_1$

$a, a, R \rightarrow q_1$

$Y, Y, R \rightarrow q_1$

$b, Y, R \rightarrow q_2$

$b, b, R \rightarrow q_2$

$Z, Z, R \rightarrow q_2$

$b, b, L \rightarrow q_3$

$Z, Z, L \rightarrow q_3$

$b, b, L \rightarrow q_3$

$a, a, L \rightarrow q_3$

$X, X, R \rightarrow q_0$

$Y, Y, R \rightarrow q_4$

$Y, Y, R \rightarrow q_4$

$Z, Z, R \rightarrow q_4$

$B, B, R \rightarrow (q_5)$

3 d

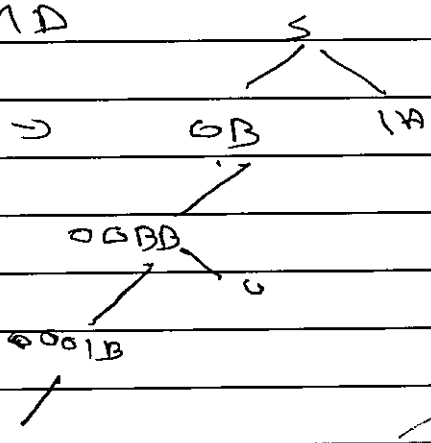
$S \to 0B \mid 1A$

$A \to 0 \mid 0S \mid 1AA$

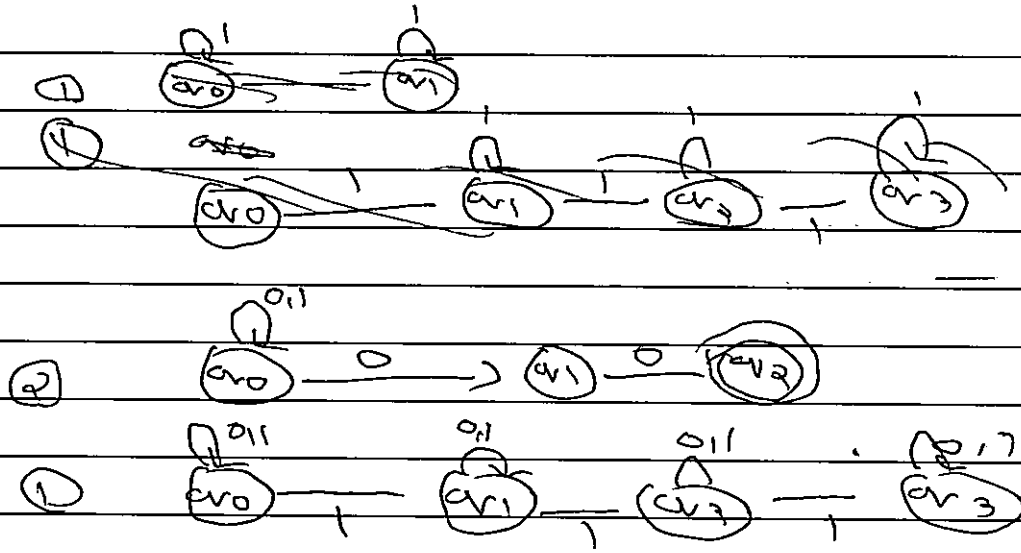
$B \to 1 \mid 1S \mid 0BB$

$w = 00110101$

LMD

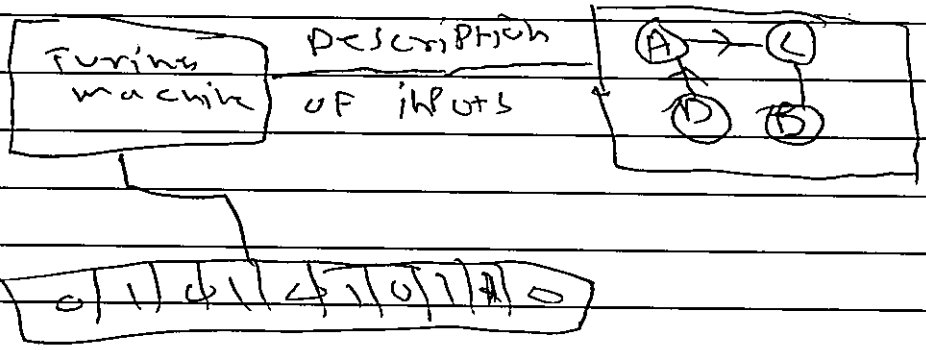


3A



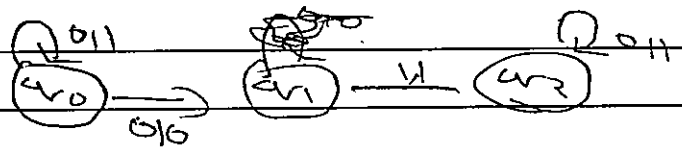
Computation means to get answer or result for a particular problem by a computer or a machine, which is done automatically after getting input. It gets output

Turing model is a can be said as a digital computer which we are using today. Turing machine is most powerful machine and compared as from today's digital computer. In turing machine we use input tape to perform computing through which is compute output

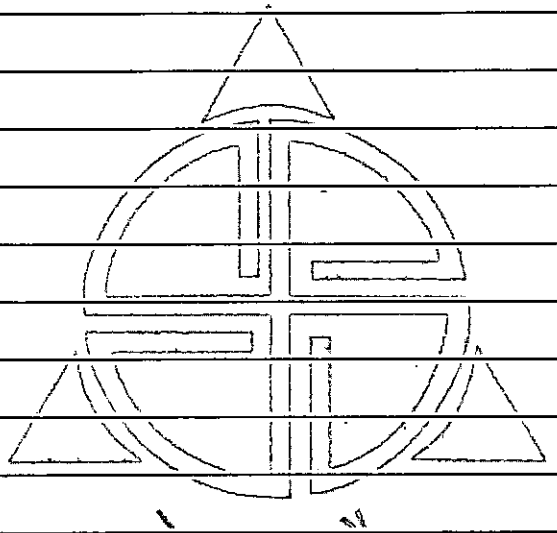


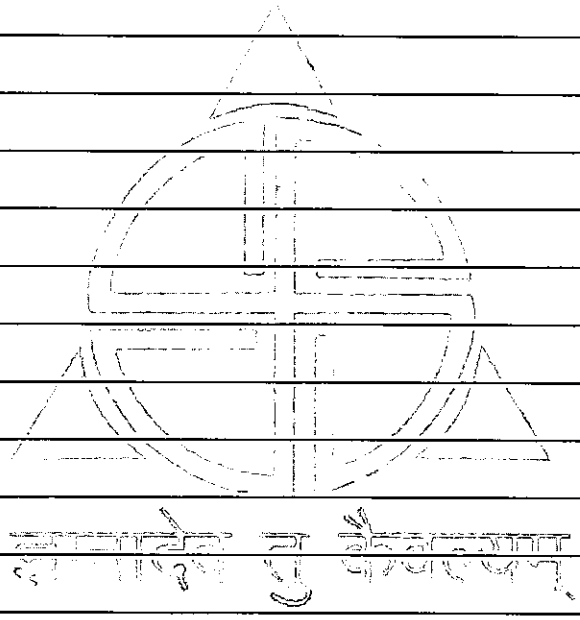
input tape Reads binary no. from input tape

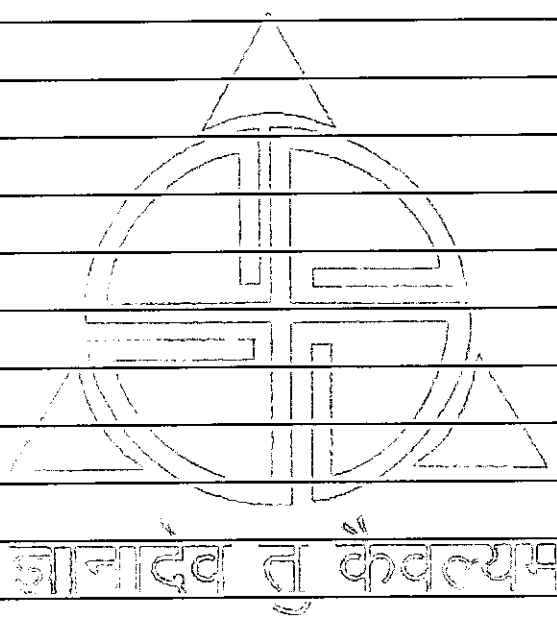
25 $(0+1)^*\ (0 \cup 11)\ (0+1)^*$



26 $0^*.1.1^*.00$


ज्ञानादेव तु कैवल्यम्

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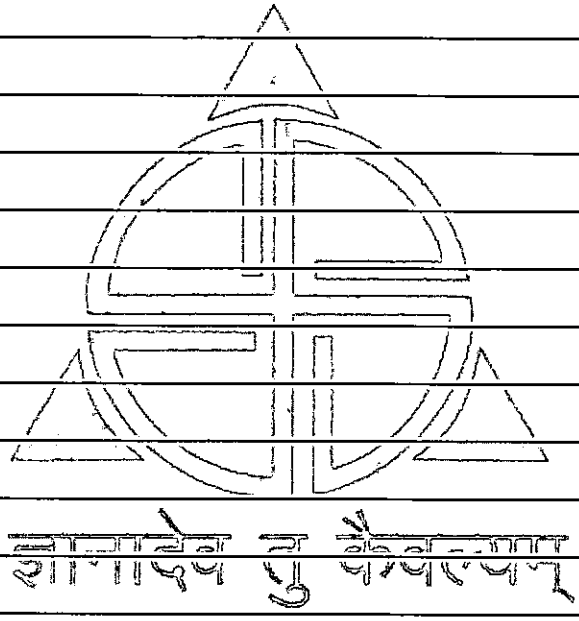
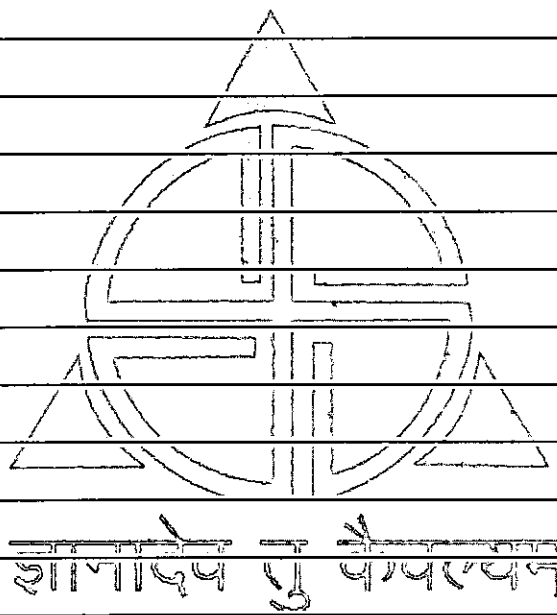
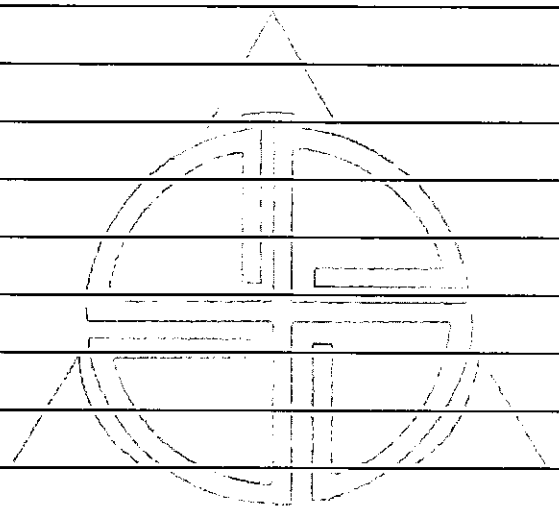
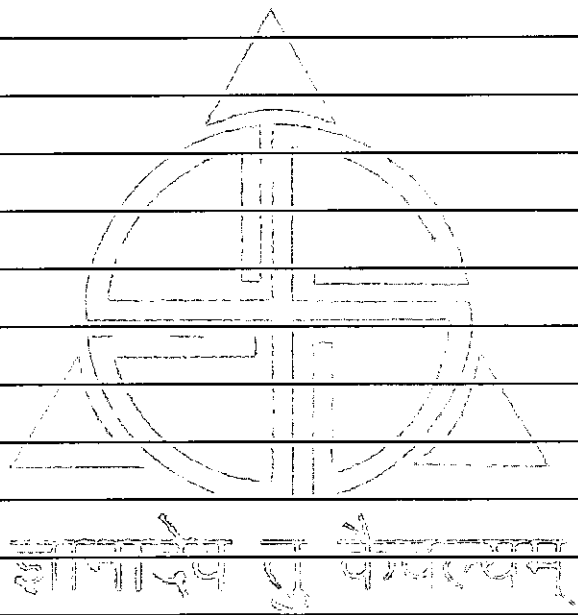
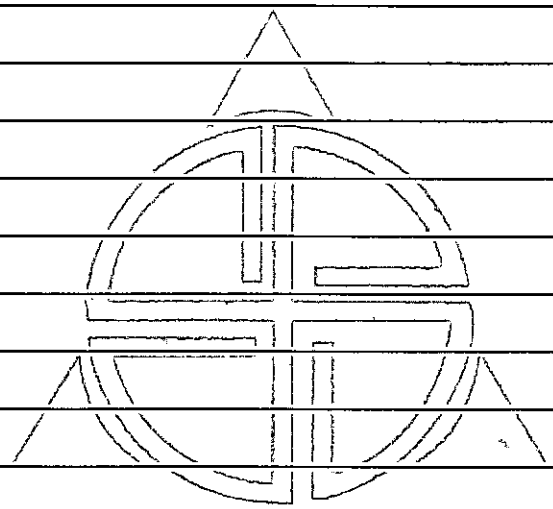


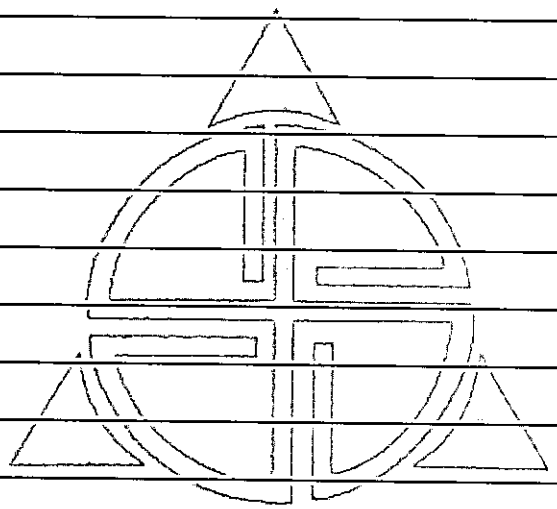




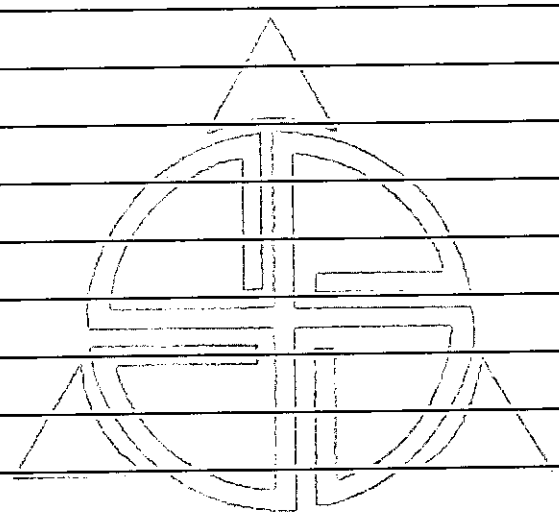




ज्ञानादेव तु कैवल्यम्



ज्ञानादेव तु कैवल्यम्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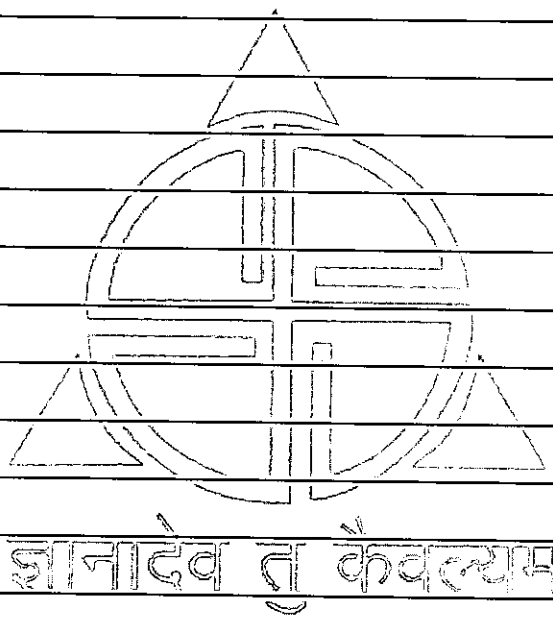
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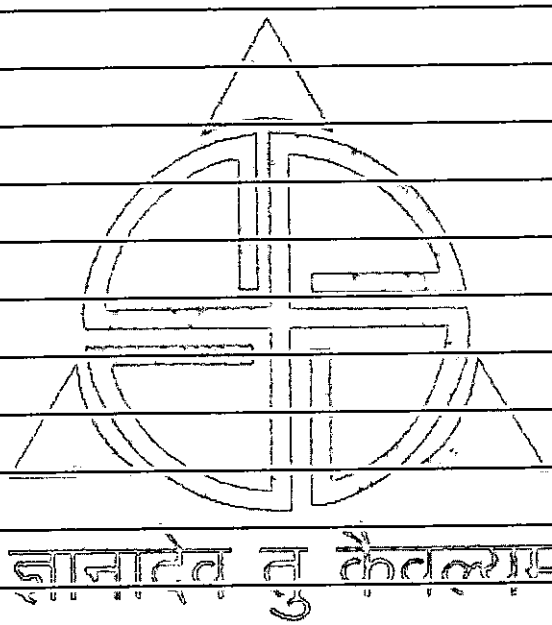
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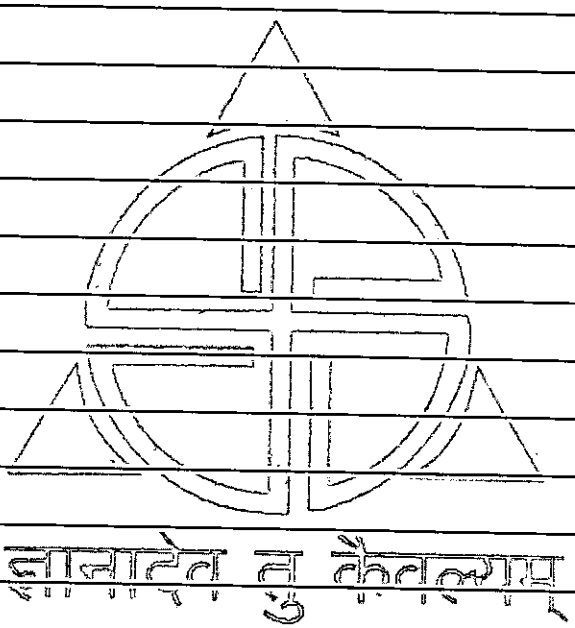
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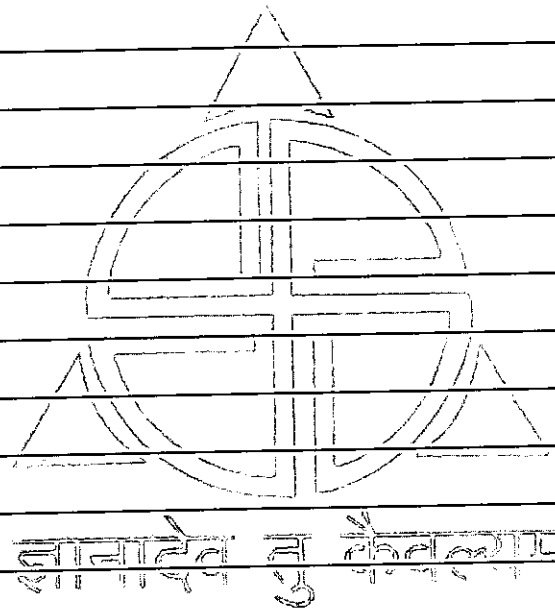
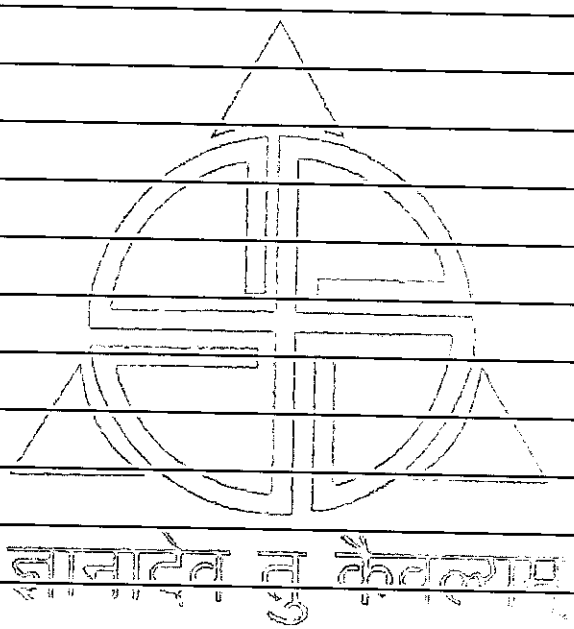
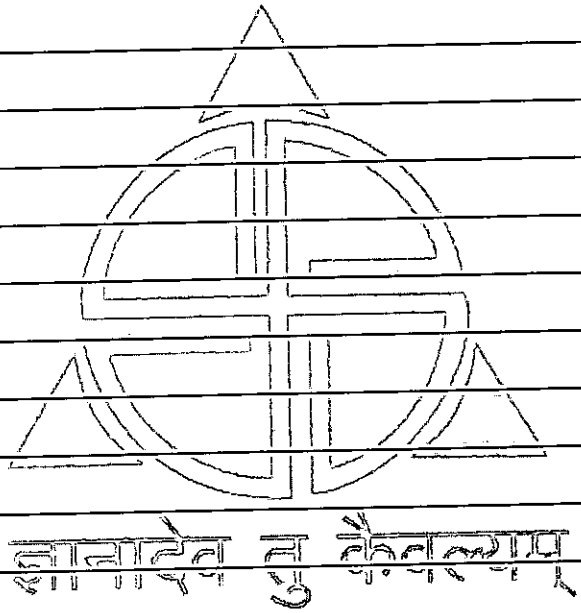
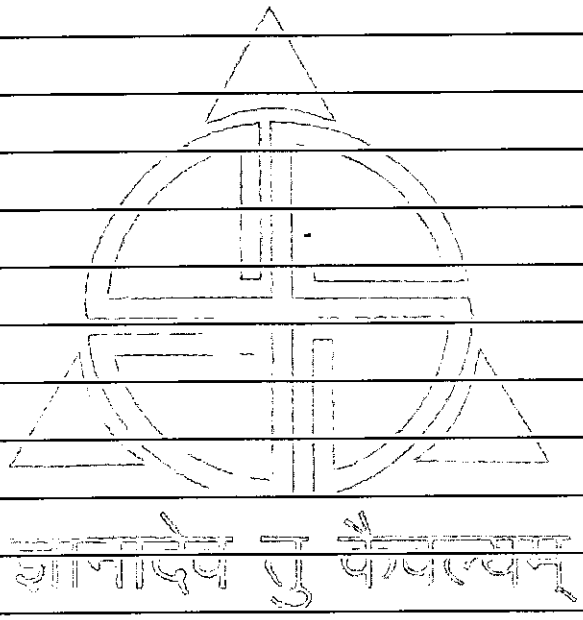
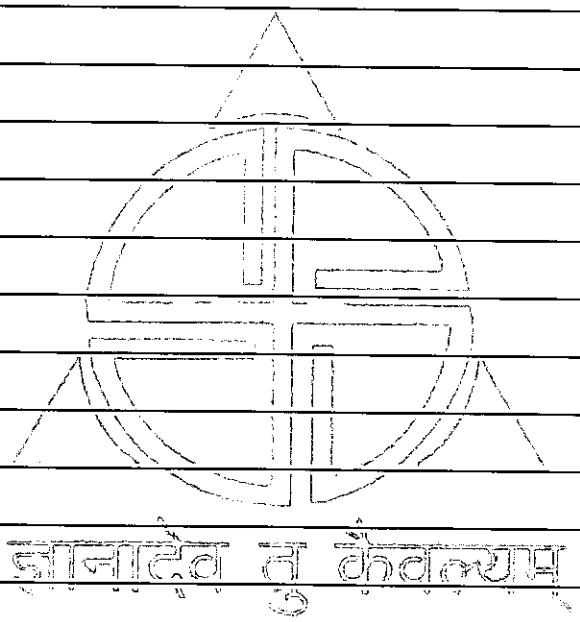
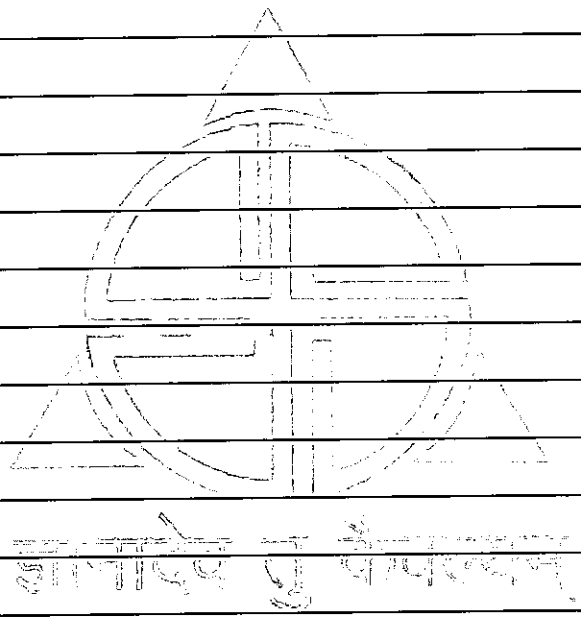


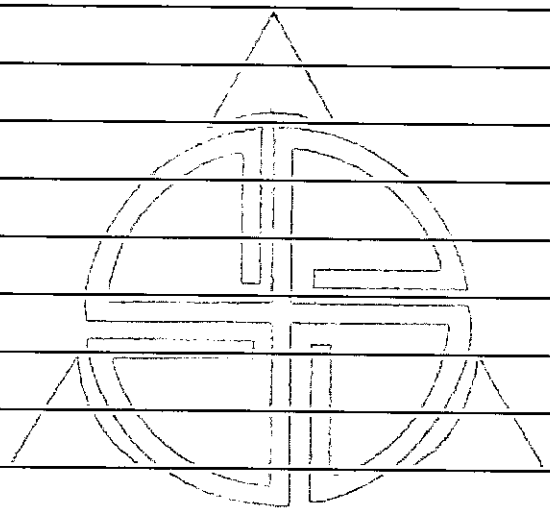


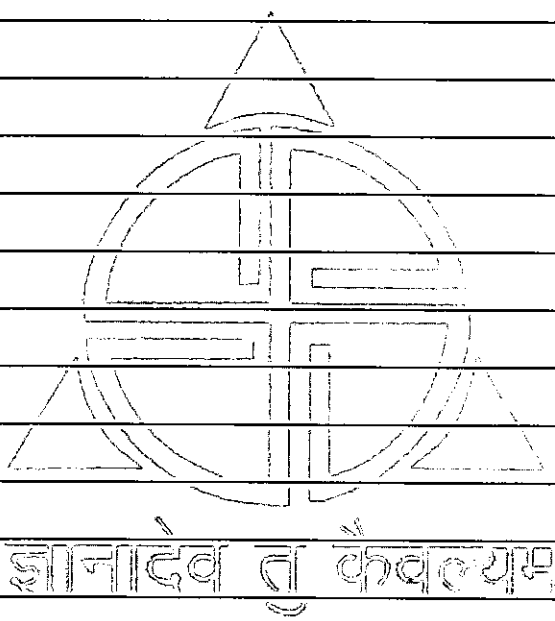


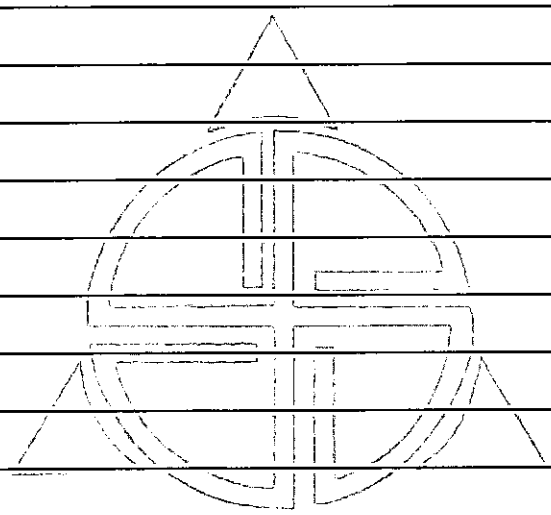
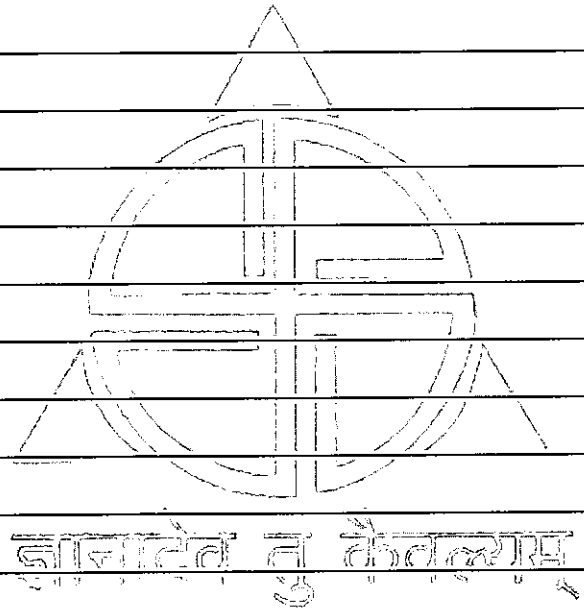
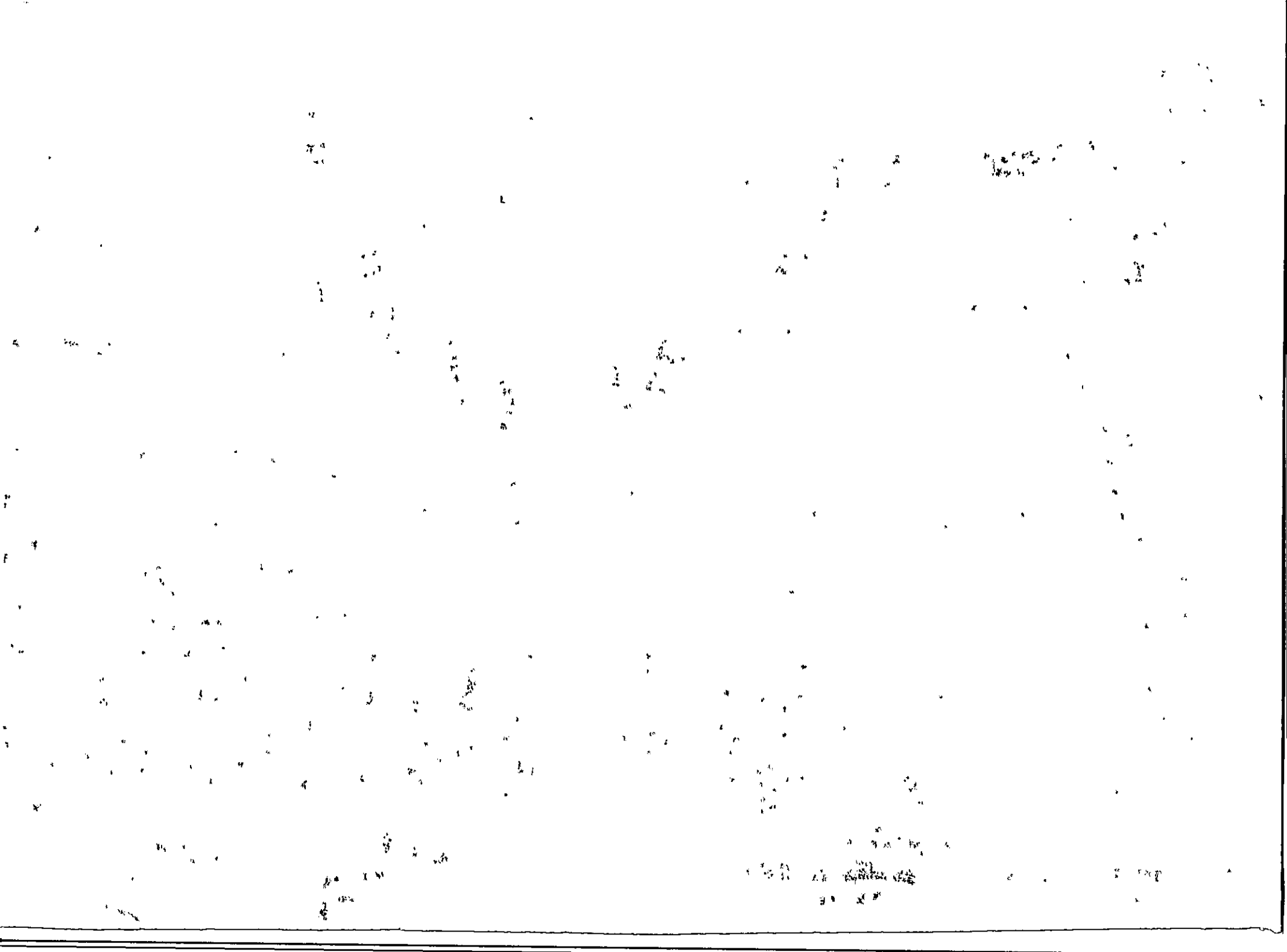



सत्यमेव जयते




ज्ञानादेव तु कैवल्यम्


सानादेव ता कवल्यम्



ज्ञानादेव तु कैवल्यम्