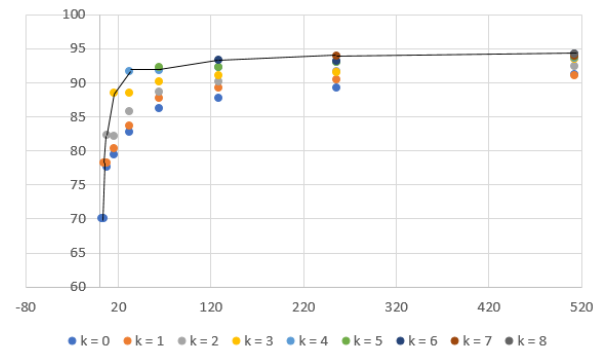
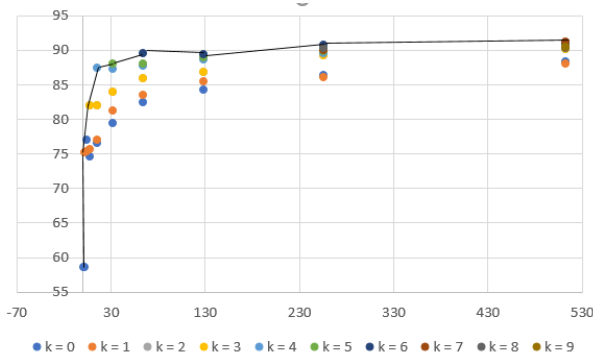
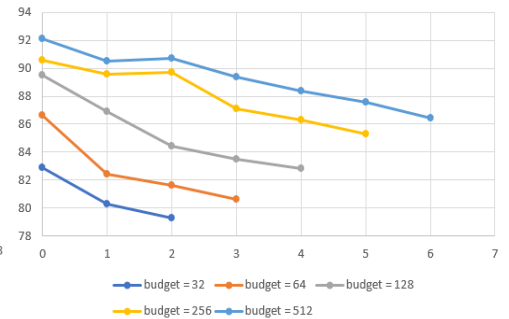
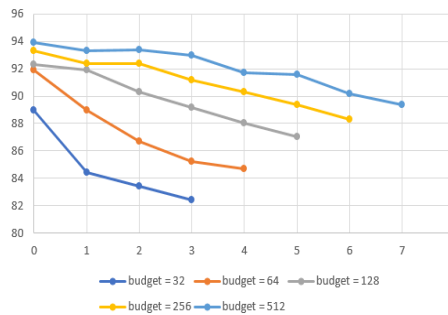
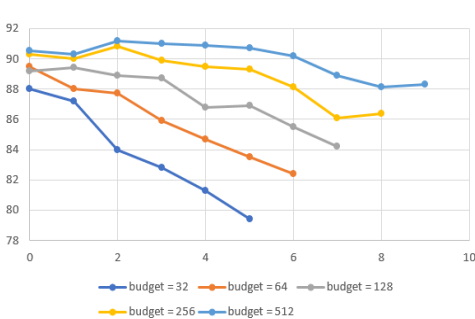


Analysis 1



The scatter plots are of Branch Prediction Accuracies vs Budgets for a specific k . The left plot is for $n = 1$ and the right plot is for $n = 2$. The budget of a branch predictor is $(2^{m+k}) \cdot n$ and n is constant for both the graphs. We can see that, as $m+k$ increases, the accuracy increases, as we have more information to consult before making a prediction, leading to better accuracies. The budget increase is either due to increase in m or k or both. Increasing m means that the predictor can remember large histories of branches and make better predictions. Increasing k means that the predictor can differentiate between branch addresses as there are more address bits and there is less chance of 2 branches having the same last k bits. This leads to a lower chance of 2 different branches sharing the same prediction counter. The lines joining the points represent a Pareto curve, whose points give the optimal accuracy for a given budget. The curve is obtained by joining the points with best accuracy for budgets 1, 2, 8, 16, till 512. We also see that the accuracy increases from $n = 1$ to $n = 2$ for the corresponding budgets. This is because a predictor with $n = 2$ can make better predictions on varying branches than $n = 1$, as there are more states in $n = 2$ and branch variations are captured better. The best accuracy for $n = 1$ is 91.2% for $m = 2$ and $k = 7$. The best accuracy for $n = 2$ is 94.2% for $m = 2$ and $k = 6$. Thus an optimal combination of m, k gives the best accuracy, as both the global history and address of the branch are taken into consideration while making the prediction.

Analysis 2



The graphs represent the plot between the number of global history bits (m) and accuracy for a specific branch predictor budget. The left graph is for $n = 1$, the middle one is for $n = 4$ and the right one is for $n = 8$. We are analyzing the effect of varying the global history (m bits) on the branch prediction accuracy for 3 different n values. In all 3 graphs, we can see that for any line, whose budget is greater than 128, the accuracy decreases first, then increases and then falls again. Since the budget and n value is constant for a line, an increasing m represents a decreasing k . We get the best accuracy between $m = 0$ and 2 for each line. The best accuracy is when there is an optimal balance between m and k and k is not too small. As k decreases, the addresses bits keep getting smaller which leads to a high chance of 2 different branches having the same last k bits, leading them to point to the same counter. This would lead to an interference between two different branch patterns which a branch predictor might not comprehend accurately. This reduces the overall accuracy of the branch predictor.