gital Sky Surveys: a

Pattern recognition in the ALFALFA.70 and Sloan Digital Sky Surveys: a catalogue of ~500 000 H I gas fraction estimates based on artificial neural networks

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Loading packages

```
In [1]:
        %matplotlib inline
        import pandas as pd
        import os
        import numpy as np
        import matplotlib.pyplot as plt
        from sklearn.preprocessing import StandardScaler, MinMaxScaler
        from pandas.plotting import scatter matrix
        from sklearn.neighbors import KNeighborsRegressor
        import matplotlib.pyplot as plt
        import numpy as np
        from sklearn import datasets, linear_model
        from sklearn.model selection import train test split
        from sklearn import linear model
        import sys
        from sklearn.neighbors import KNeighborsClassifier
        from scipy.interpolate import interp1d
        from matplotlib import pyplot as plt
        from sklearn.preprocessing import PolynomialFeatures
        from sklearn.metrics import plot confusion matrix
        import matplotlib.pyplot as plt
        from sklearn import datasets, metrics, model selection, svm
        from sklearn.linear model import LogisticRegression
        print('Done!')
```

Done!

```
In [2]: X=np.load('inp_alfalfa.npy') # Load the input
Y=np.load('tar_alfalfa.npy') # Load the target
print ('Done!')
```

Done!

Table 1. Galaxy variables used in training sets.

Input data	data Description	
$\overline{\mathrm{M}_{st}}$	Stellar mass	
M_u	<i>u</i> -band absolute magnitude	
M_g	g-band absolute magnitude	
M_r°	r-band absolute magnitude	
M_i	<i>i</i> -band absolute magnitude	
M_z	z-band absolute magnitude	
g-r	Observed colour	
μ_{*i}	<i>i</i> -band stellar mass density	
SFR	Star formation rate	
sSFR	Specific star formation rate	
M_{Halo}	Halo mass	
δ_5	Local galaxy density	
rhalf _r	Half-light radius (kpc) in the r band	
B/T	Bulge-to-total fraction in the <i>r</i> band	
rd_{disc}	Disc radius (kpc) in the r band	

Exploring the data and seeing the distribution of a selected column

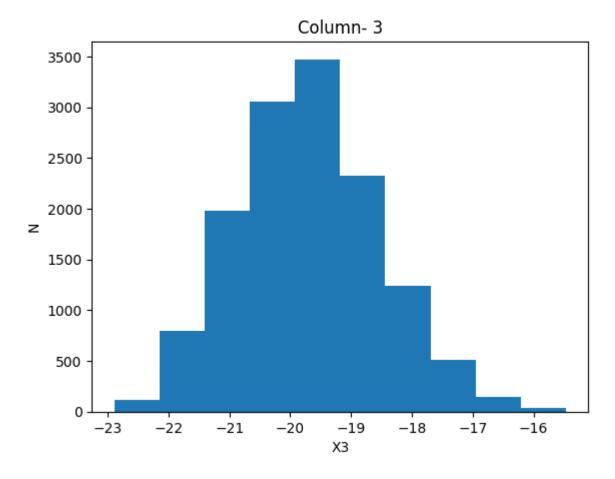
In []:	

```
In [6]: # Choose a column to see the distribution

n_column =3

plt.hist(X[:,n_column])
 plt.title('Column- '+str(n_column))
 plt.ylabel('N')
 plt.xlabel("X"+str(n_column))
```

Out[6]: Text(0.5, 0, 'X3')



In []:

Randomly separate samples to the training set (75%) and validation set (25%). The corresponding targets are also separated.

```
In [7]: from sklearn.model_selection import train_test_split

X_tr,X_va,Y_tr, Y_va = train_test_split(X,Y ,test_size=0.25 )

print ('training set == ',np.shape(X_tr),np.shape(Y_tr),',, validation set == training set == (10255, 15) (10255,) ,, validation set == (3419, 15) (341 9,)
```

Normalization.

```
In [8]: #Line #1: Import a model, for normalization, like StandardScaler (https://sci
#Line #2: fitting (finding the parameters of the model based on the training
#Line #3: Predicted (transformed) values for the training set
#Line #4: Predicted (transformed) values for the validation set (using the mo

scaler_S= StandardScaler().fit(X_tr) # line #2
X_tr_Norm= scaler_S.transform(X_tr) # line #3

X_va_Norm= scaler_S.transform(X_va) # Line #4

print('Done!')
```

Comparing the distributions from the nomalized training and validation sets

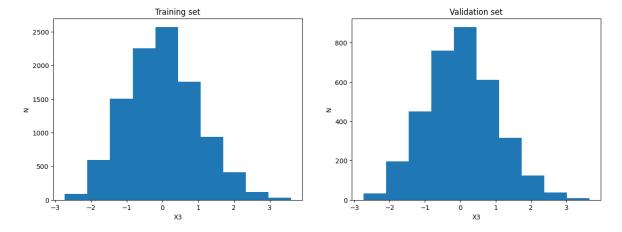
```
In [9]: n_column = 3

fig = plt.figure(figsize=(15, 5))

plt.subplot(1, 2, 1)
 plt.hist(X_tr_Norm[:,n_column])
 plt.title('Training set')
 plt.ylabel('N')
 plt.xlabel("X"+str(n_column))

plt.subplot(1, 2, 2)
 plt.hist(X_va_Norm[:,n_column])
 plt.title('Validation set')
 plt.ylabel('N')
 plt.xlabel('N"+str(n_column))
```

Out[9]: Text(0.5, 0, 'X3')



```
In [10]: # Change the shape of the target (if you have a one-component target )
# Y=np.reshape(Y,-1)
# print(np.shape(X),np.shape(Y))
```

Parameter

C: float, default=1.0

s:

Regularization parameter. The strength of the regularization is inversely proportional to C. Must be strictly positive. The penalty is a squared I2 penalty.

kernel: *{'linear', 'poly', 'rbf', 'sigmoid', 'precomputed'} or callable, default='rbf'*Specifies the kernel type to be used in the algorithm. If none is given, 'rbf' will be used. If a callable is given it is used to pre-compute the kernel matrix from data matrices; that matrix should be an array of shape (n_samples, n_samples).

degree: int, default=3

Degree of the polynomial kernel function ('poly'). Ignored by all other kernels.

gamma: {'scale', 'auto'} or float, default='scale'

Kernel coefficient for 'rbf', 'poly' and 'sigmoid'.

- if gamma='scale' (default) is passed then it uses 1 / (n_features * X.var()) as value of gamma.
- if 'auto', uses 1 / n features.

Changed in version 0.22: The default value of gamma changed from 'auto' to 'scale'.

coef0: float, default=0.0

Independent term in kernel function. It is only significant in 'poly' and 'sigmoid'.

The kernel function can be any of the following:

- linear: $\langle x, x' \rangle$.
- polynomial: $(\gamma \langle x, x' \rangle + r)^d$, where d is specified by parameter degree, r by coef0.
- rbf: $\exp(-\gamma ||x-x'||^2)$, where γ is specified by parameter gamma, must be greater than 0.
- sigmoid $\tanh(\gamma\langle x,x'\rangle+r)$, where r is specified by coef0.

In []:		

For more information:

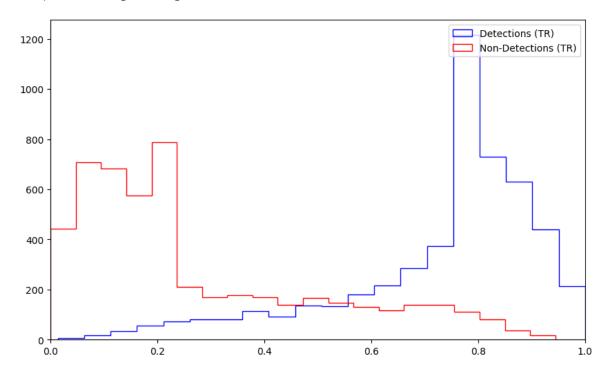
https://scikit-learn.org/stable/modules/generated/sklearn.svm.SVC.html (https://scikit-learn.org/stable/modules/generated/sklearn.svm.SVC.html)

```
In [11]:
         from sklearn.svm import SVC
         cls= SVC(C=100, kernel='rbf', degree=3, probability=True)
         cls.fit (X_tr_Norm,Y_tr) # fit the model with training set
         ## predict the response for tr and va sets. We can have two outputs: probabil
         Y_tr_prob = cls.predict_proba(X_tr_Norm)[:,1]
         Y_tr_pred = cls.predict(X_tr_Norm)
         Y_va_prob = cls.predict_proba(X_va_Norm)[:,1]
         Y_va_pred = cls.predict(X_va_Norm)
         idx_tr_1 = (Y_tr==1)
         idx_tr_0 = (Y_tr==0)
         idx_va_1 = (Y_va==1)
         idx_va_0 = (Y_va==0)
```

```
In [12]: plt.figure(figsize=(10, 6))
    plt.figure(1)
    plt.hist(Y_tr_prob[idx_tr_1],20,histtype='step',color = "blue", label='Detect
    plt.xlim([0,1])
    plt.legend()

plt.figure(1)
    plt.hist(Y_tr_prob[idx_tr_0],20,histtype='step',color = "red",label='Non-Dete
    plt.xlim([0,1])
    plt.legend()
```

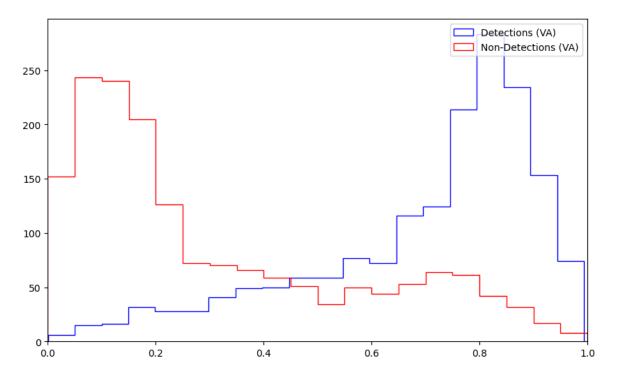
Out[12]: <matplotlib.legend.Legend at 0x20adf7ce3d0>



```
In [13]: plt.figure(figsize=(10, 6))
    plt.figure(1)
    plt.hist(Y_va_prob[idx_va_1],20,histtype='step',color = "blue", label='Detect
    plt.xlim([0,1])
    plt.legend()

plt.figure(1)
    plt.hist(Y_va_prob[idx_va_0],20,histtype='step',color = "red",label='Non-Dete
    plt.xlim([0,1])
    plt.legend()
```

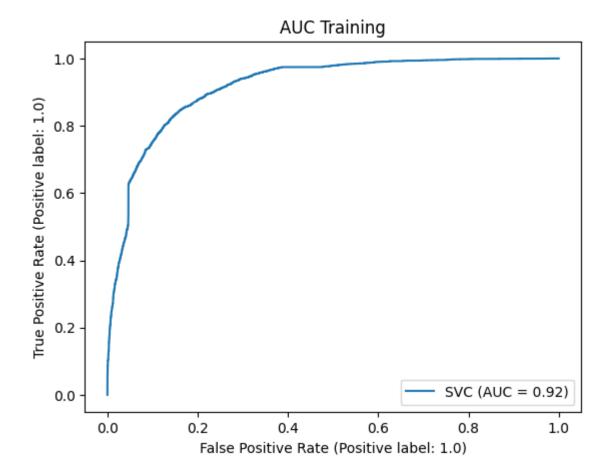
Out[13]: <matplotlib.legend.Legend at 0x20adf996d60>



```
In [14]:
    metrics.plot_roc_curve(cls, X_tr_Norm, Y_tr)
    plt.title('AUC Training')
```

C:\Users\hteim\anaconda3\envs\tf\lib\site-packages\sklearn\utils\deprecatio
n.py:87: FutureWarning: Function plot_roc_curve is deprecated; Function :fun
c:`plot_roc_curve` is deprecated in 1.0 and will be removed in 1.2. Use one
of the class methods: :meth:`sklearn.metrics.RocCurveDisplay.from_prediction
s` or :meth:`sklearn.metrics.RocCurveDisplay.from_estimator`.
 warnings.warn(msg, category=FutureWarning)

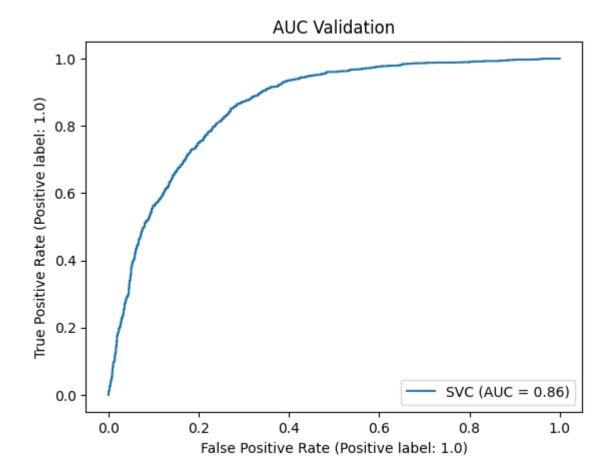
Out[14]: Text(0.5, 1.0, 'AUC Training')



```
In [15]: metrics.plot_roc_curve(cls, X_va_Norm, Y_va)
plt.title('AUC Validation')
```

C:\Users\hteim\anaconda3\envs\tf\lib\site-packages\sklearn\utils\deprecatio
n.py:87: FutureWarning: Function plot_roc_curve is deprecated; Function :fun
c:`plot_roc_curve` is deprecated in 1.0 and will be removed in 1.2. Use one
of the class methods: :meth:`sklearn.metrics.RocCurveDisplay.from_prediction
s` or :meth:`sklearn.metrics.RocCurveDisplay.from_estimator`.
 warnings.warn(msg, category=FutureWarning)

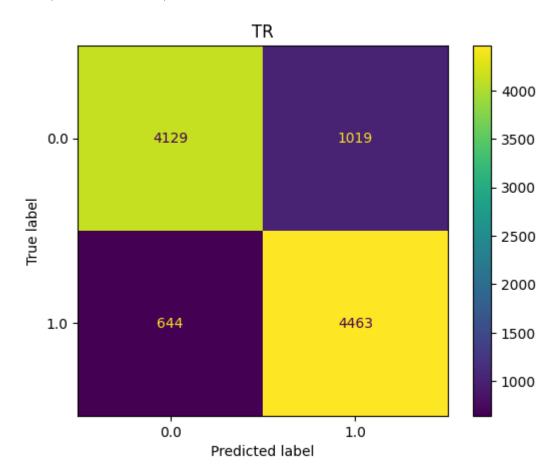
Out[15]: Text(0.5, 1.0, 'AUC Validation')



In [16]:
 plot_confusion_matrix(cls, X_tr_Norm, Y_tr)
 plt.title('TR')

warnings.warn(msg, category=FutureWarning)

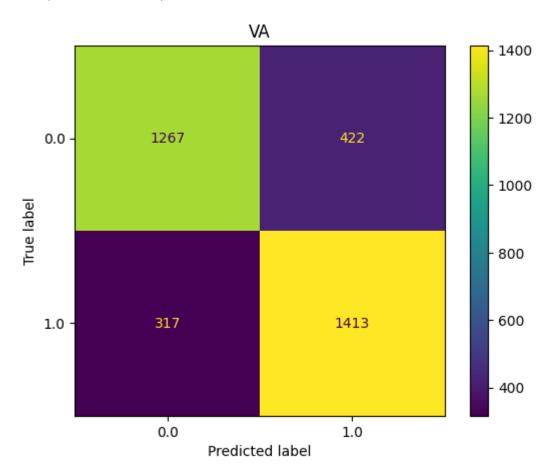
Out[16]: Text(0.5, 1.0, 'TR')



```
In [17]:
    plot_confusion_matrix(cls, X_va_Norm, Y_va)
    plt.title('VA')
```

warnings.warn(msg, category=FutureWarning)

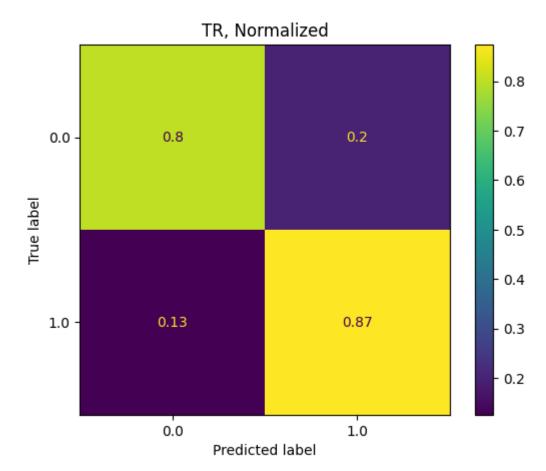
Out[17]: Text(0.5, 1.0, 'VA')



In [18]: plot_confusion_matrix(cls, X_tr_Norm, Y_tr,normalize='true')
plt.title('TR, Normalized')

warnings.warn(msg, category=FutureWarning)

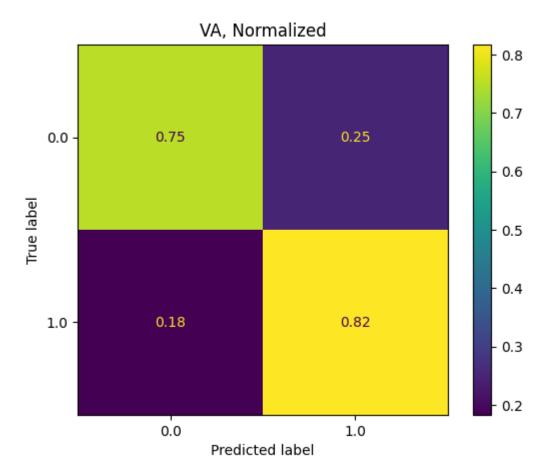
Out[18]: Text(0.5, 1.0, 'TR, Normalized')



```
In [19]: plot_confusion_matrix(cls, X_va_Norm, Y_va,normalize='true')
plt.title('VA, Normalized')
```

warnings.warn(msg, category=FutureWarning)

Out[19]: Text(0.5, 1.0, 'VA, Normalized')



Accuracy (TR) = 0.8378352023403218 Accuracy (VA) = 0.7838549283416204

In [22]:	<pre>(TR) = ", metrics.precision_score(Y_tr, Y_tr_pred)) (VA) = ", metrics.precision_score(Y_va, Y_va_pred))</pre>
	0.8141189346953667 0.7700272479564033
In []:	