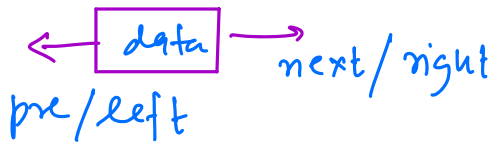
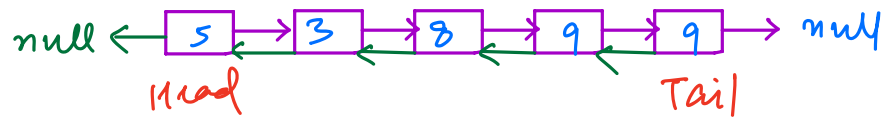
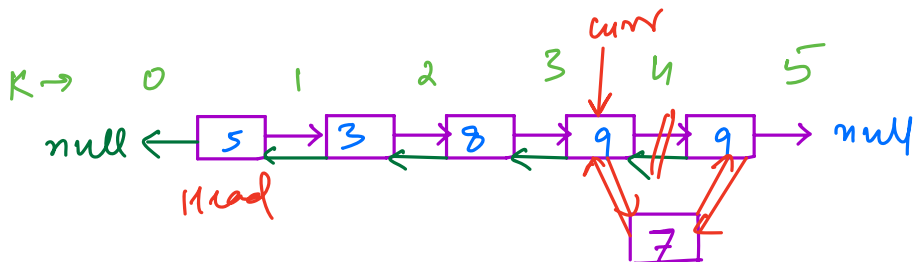


Linked List 3 : Problems & Doubly Linked List



```
class Node {  
    int data;  
    Node next, pre;  
    Node (x) {  
        data = x  
        next = pre = null  
    }  
}
```

Ques → Given a doubly LL. A node is to be inserted with data X at index K where $0 \leq K \leq N$



eg $K=4, X=7$

```
newNode = new Node(x)
```

```
if (Head == null) { return newNode }
```

```
if (K == 0) {
```

```
    newNode.next = Head
```

```
    Head.pre = newNode
```

```
    return newNode
```

}

curr = Head

for (i = 1 to k-1) { curr = curr.next }

newNode.next = curr.next

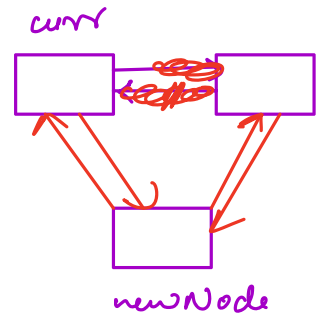
newNode.pre = curr

if (curr.next != null) {
curr.next.pre = newNode

}

curr.next = newNode

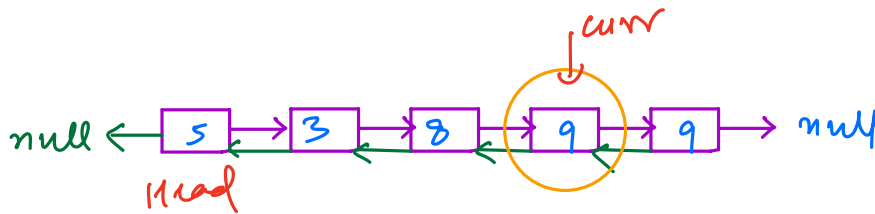
return Head



TC = O(K)

SC = O(1)

Ques → Given a doubly LL, delete the first occurrence of X. If not present → no change.



X = 9

// Search

curr = Head

while (curr != null) {

if (curr.data == X) break

curr = curr.next

}

// not present

if (curr == null) return Head

if (curr.next == null && curr.pre == null)
return null

if (curr.pre == null) { // delete head
curr.next.pre = null
return curr.next // new head node

}

if (curr.next == null) {
curr.pre.next = null
return Head

}

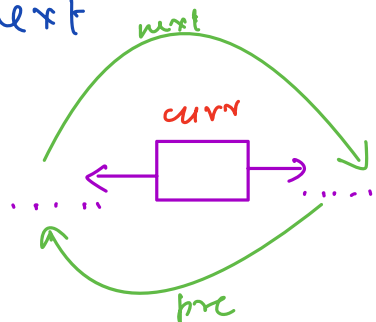
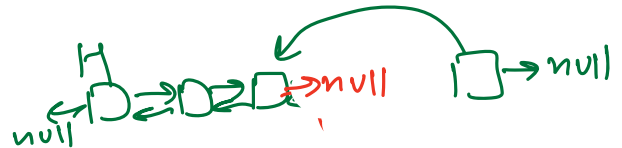
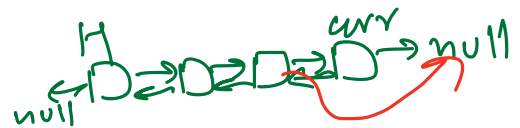
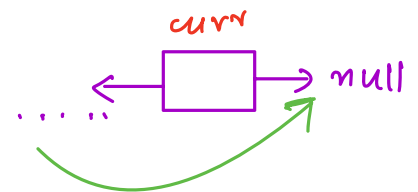
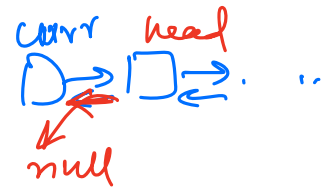
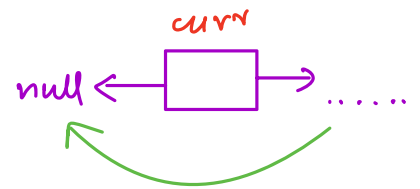
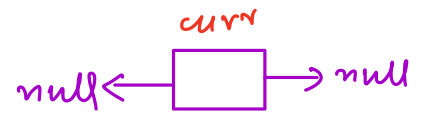
else {

curr.next.pre = curr.pre

curr.pre.next = curr.next

}

return Head



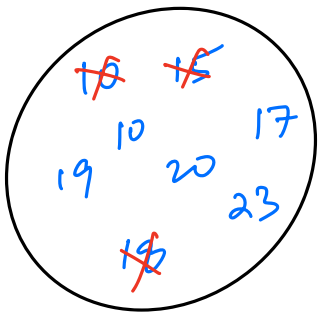
$$TC = O(N)$$

$$SC = O(1)$$

Ques → Given a running stream of integers & a fixed memory of size M ($SC = O(M)$)

Maintain the latest M elements in memory. In case the memory is full, delete the least recent element.

eg → 10 15 19 20 18 23 20 19 17 17 10
 $M=5$



old → new

10	15	19	20	18	23	20	19	17	17	10
---------------	---------------	---------------	---------------	---------------	----	----	----	---------------	----	----

Once memory is full

if intake x

if x is not present

1. Delete least recent item.
2. Insert x as most recent item.

x is present

1. Delete x from its position
2. Insert x as most recent item.

Requirements :

1. Search & intake $X \rightarrow$ ~~HashSet~~ / HashMap
 $\langle \text{data, location of data} \rangle$
2. Maintain order of recency \rightarrow ~~Array~~, ~~Stack~~, ~~Queue~~,
 Linked list
 \Rightarrow delete curr node \Rightarrow doubly LL

in doubly LL case :

$\langle \text{data, node of data} \rangle$

HashMap<Integer, Node> hm = new HashMap<>();

Head = Tail = null

for (& input : X) {

1 \rightarrow 2 \rightarrow 3 \rightarrow 4

if (hm.containsKey(X)) {

temp = hm.get(X) // node

Head = deleteNode(Head, temp)

insertLastNode(Tail, temp)

1 \rightarrow 3 \rightarrow 4 \rightarrow 2

}

else {

if (hm.size() == M) {

hm.remove(Head.data)

```
Head = deleteHead(Head)
```

```
}
```

```
newNode = new Node(X)
```

```
hm.put(X, newNode)
```

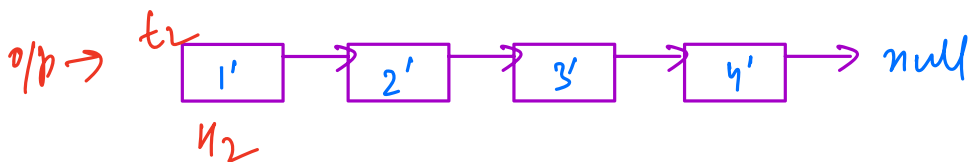
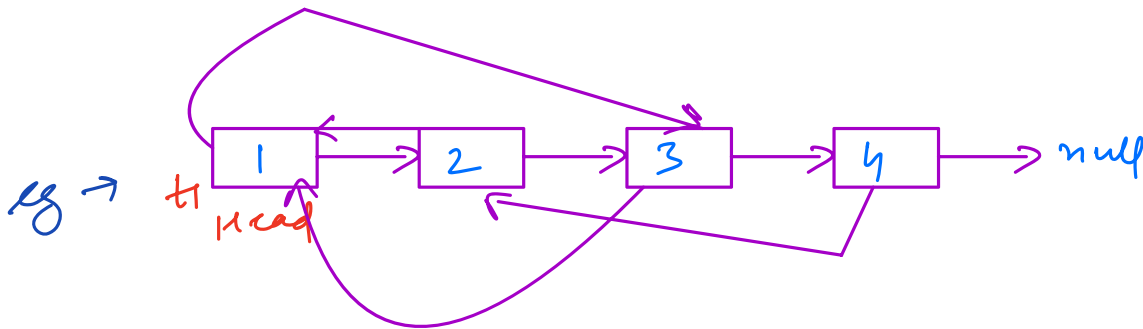
```
insertLastNode(Tail, newNode)
```

```
}
```

TC = $O(1)$ per input

SC = $O(M)$

Ques → Given a LL with next & random pointer.
Create a deep copy of this LL.



Solⁿ → use HashMap < node, copy of node >

$u_2 = \text{new Node}(\text{head.data})$

$t_1 = \text{head}, t_2 = u_2$

$\text{hm.insert}(t_1, t_2)$

$\text{while}(t_1.\text{next} \neq \text{null}) \{$

$t_2.\text{next} = \text{new Node}(t_1.\text{next.data})$

$\text{hm.insert}(t_1.\text{next}, t_2.\text{next})$

$t_1 = t_1.\text{next}$

$t_2 = t_2.\text{next}$

$\}$

$t_2 = u_2, t_1 = \text{head}$

$\text{while}(t_2 \neq \text{null}) \{$

$t_2.\text{random} = \text{hm.get}(t_1.\text{random})$

$t_1 = t_1.\text{next}$

$t_2 = t_2.\text{next}$

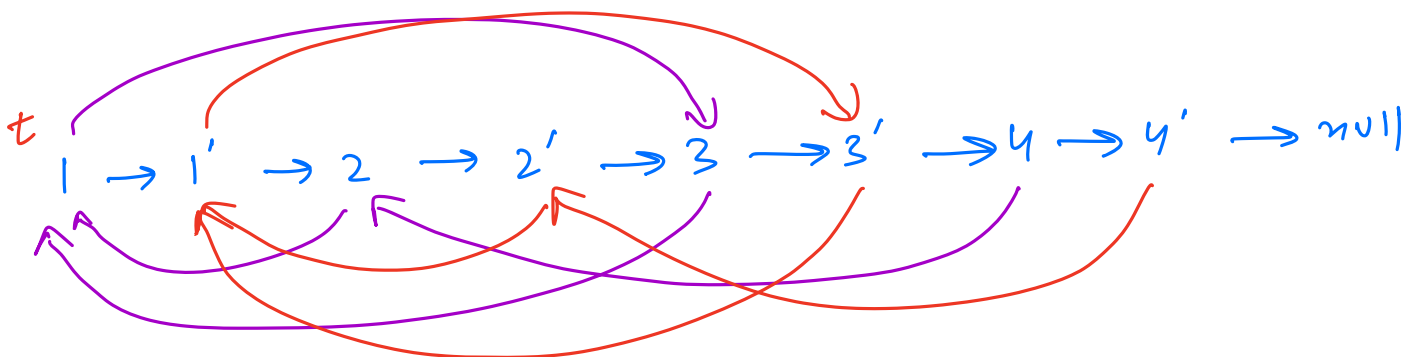
$\}$

$TC = O(N)$

$SC = O(N)$

\downarrow

$O(1)?$



$t.\text{next}.\text{random} = t.\text{random}.\text{next}$
 (copy node) (copy node)

$t = t.\text{next}.\text{next}$

Detach logic

$H_2 = \text{Head}.\text{next}$

$t_1 = \text{Head}, t_2 = H_2$

while ($t_1 \neq \text{null}$) {

$t_1.\text{next} = t_1.\text{next}.\text{next}$

if ($t_2.\text{next} \neq \text{null}$) {

$t_2.\text{next} = t_2.\text{next}.\text{next}$

}

$t_1 = t_1.\text{next}$

$t_2 = t_2.\text{next}$

}

TC = $O(N)$

SC = $O(1)$

