Bit Manipulation - 2

Einen au integer array where every no.

ours twice except one number. find tend

unique no.

 $501^{\prime\prime} \rightarrow am = \forall i, \land ali)$

for (i=1 to n-1) }
7(:04)

 $am^{1}=au$ SC:O(1)

am = ali)
3
return am

 O_{SMi2} : $120^{\circ}5^{\circ}6^{\circ}6^{\circ}120^{\circ}5^{\circ}$ $(120^{\circ}120)^{\circ}(5^{\circ}5)^{\circ}(6^{\circ}6)$ $0^{\circ}0^{\circ}0 \Rightarrow 0$

$$A = \begin{bmatrix} 2 & 3 & 2 & 3 & 4 & 5 & 6 \\ 3 & 5 & 6 & 3 & 6 & 2 \end{bmatrix}$$

1's is odd
$$\rightarrow$$
 1
1's is even \rightarrow 0

Question? leiven au integer array where every crement occurs thrive extept I element, find that unique element.

A= [45 5 4 1 6 6 4 5 6] Om=

Brikfore -> If aci) iterate & count frequery

TC=0(N2)

S(2011)

TC=0(N)

SC=0(N)

A= 15352252 $5^{1}3^{1}5^{2}2^{2}5^{2}$ $5^{1}3^{1}5^{2}2^{2}5^{2}$ $(5^{1}5)^{5}5^{(2)}2^{2}2^{3}$ $= 0^{1}5^{1}2^{3} = 5^{2}3^{2} = 4$

```
5
                             #1's is a multiple of 3 -> 0 | 3K
else -> 1 | 3K+1
3
    101
2
2
5
2
       ans=0 / 000 .... 0
       for ( i=0 to 31) } // every bit
          Cnto
          for(j=0 to n-1) }
             if ((A(j)&(14ci)) >0) 9
        if (cnt/3 ==1) }
             1 set it bit in aus
aus = (1<<i)
```

Eveny elevent ours & times except 1. find ferest unique escerntz. above sol^m if (cnt/K == 1) am = ((LLi) if (K is even) => aws = fi ^ali) A= [4 4 4 4 2] (474) my 1 2 07072 = 2 Suntion 3 liver an integer array where every no. occurs tuice except 2 numbers, find the 2 unique no. A= [4554 [662] 41575791767672 = 172 = (3)

$$A^{1}A = 0$$

if $(A! = B) \rightarrow A^{1}B > 0$

Code

xor=0

for (i=0 to n-1) \(\)

xor \(\) = AU)

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ans | 16 = 0ans | 16 = 0for | 17 = 0if | (AU) | (| (Cb)) > 0ans | 1 = 0ans | 1 = 0ans | 1 = 0

$$A = \begin{bmatrix} 2 & 6 & 5 & 5 \\ 2 & 6 & 2 & 100 \\ 2 & 6 & 2 & 2 \\ 6 & 1 & 2 & 6 \\ 6 &$$

return { ams, ans2}

2

2

Buertion 4

Criven an integer array, find mar (Ali) & Alj))
s.t. il=j.

$$A = \begin{bmatrix} 21 & 18 & 24 & 17 & 16 \end{bmatrix}$$

$$21 \rightarrow 10101$$

$$18 \rightarrow 10010$$

am=21217=17

$$A = [5 4 3 2 1]$$
 $5 + 1013 524 = 4$
 $9 + 1000$
 $1 + 1000$
 $2 + 1000$
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A:
$$(26 \ 13 \ 28 \ 28 \ 27 \ 7 \ 25]$$

MSB $\frac{1}{2}$ $\frac{1}{2}$

Code

ans=0

for (i=31 to 0) $\frac{2}{5}$ cnt=0

for (j=0 to m-1) $\frac{2}{5}$ if (A(j) $\frac{2}{5}$ (IZZ(i)) $\frac{2}{5}$ 0)

cn+++

count pairs with max AND?

ways to select 2 out of m elements = $\frac{n(n-1)}{2}$ remaining $\frac{n(n-1)}{2}$