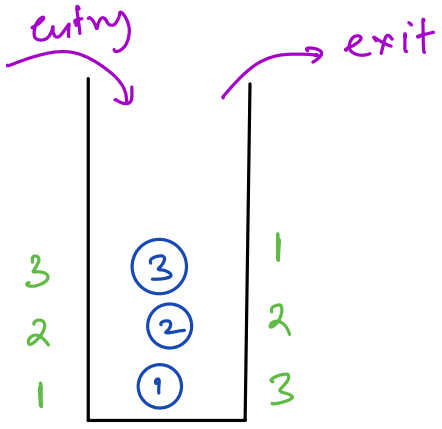
# Stacks 1 : Implementation & Basic Problems




→ linear Data Structure

→ Last In first Out (LIFO)

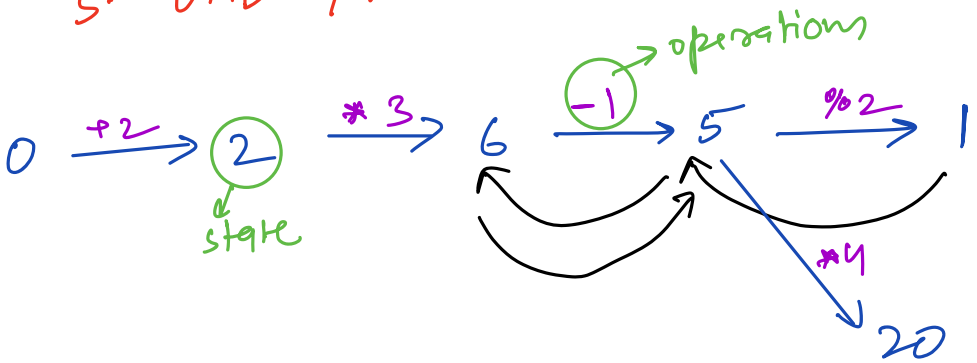
eg → 1. Pile of plates

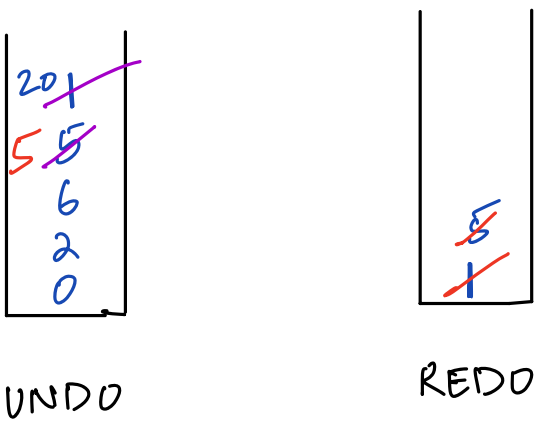
2. Stack of chairs

3. Stack of cards

4. Recursion

5. UNDO / REDO




Stack to store state

1. Operation → insert in UNDO stack + empty the redo stack

2. UNDO → move from undo to redo stack

3. REDO → move from redo to undo stack

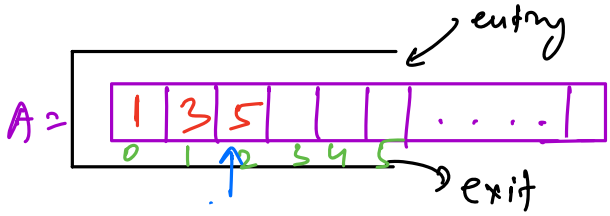
# Operations of Stack

1. push(x) → insert element x on top of stack
2. pop() → remove top element of stack
3. peek() / top() → get the top the element of stack
4. isEmpty() → check if the stack is empty
5. clear(), size(), ....

} TC = O(1)

Qus → Implement Stack using array.

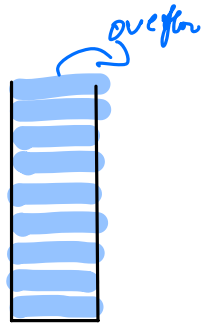
push(1)
push(3)
push(5)
isEmpty() → false
pop()
peek() → 5




top = ~~-1~~ ~~0~~ 2

// stack → index '0' to 'top'

```
void push(x) {
    top++
    A[top] = x
}
```




```
int pop() {
    if(isEmpty()) // Underflow
        return -1 or INT_MIN
    top--;
    return A[top+1]
}
```

Overflow →

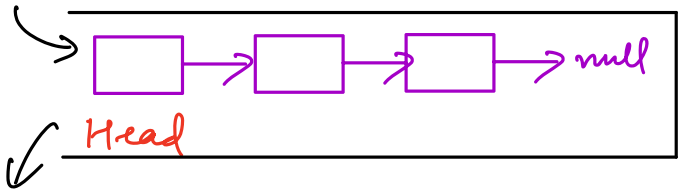
1. Restrict insertion over the defined size of array
2. Use dynamic array ✓

```
bool isEmpty() {
    return (top == -1);
}
```

```
int peek() {
    if(isEmpty()) return -1
    return A[top]
}
```

TC = O(1)

Ques → Implement stack using linked list.




push(x) → insert at Head

isEmpty(x) → (Head == null)

pop() → remove Head node

peek() → return Head.data

> underflow case to handle

TC = O(1) for operations

Ques → Check if the given sequence of paranthesis containing only → { } ( ) [ ] is valid.

Valid → 1. count of { = count of }
count of ( = count of )
count of [ = count of ]

2. Travelling from left to right # open >= #close

3. for opening of one type there closing of the same

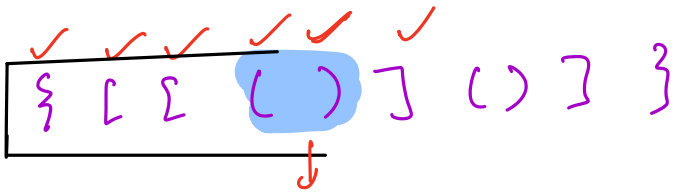
type in order w/o overlapping with another type

{ [ ) } ( ] → not valid

( ( ) { } ) → valid

{ ( [ ) ] } → not valid

( { } [ ] ( ) [ ] ( ) ) → valid



check if latest unpaired bracket is '('

LIFO ⇒ stack

```
stack st.
for ( i=0 to n-1 ){
    if(s[i] == '(' || s[i] == '{' || s[i] == '[' ){
        st.push(s[i])
    }
    else {
        if( st.isEmpty() ) return false → invalid
        ch = st.pop()
        if(s[i] == ')' && ch != '(') return false
        if(s[i] == '}' && ch != '{') return false
```

```
        if(s[i] == ']' && ch != '[') return false
    }
}
return true/st.isEmpty()
```


TC = O(N)  SC = O(N)

Ques → Given a string, remove equal pair of consecutive elements multiple times till it is possible & return the final string as answer.

eg  a b ~~c c~~ d  → abd

a ~~b b~~ ~~c c~~ d  → ad

a b ~~c c~~ b  → a ~~b b~~  → a

a ~~b b~~ c b c ~~d d~~ c  → a c b ~~c c~~  → a c b

a ~~b b~~ c ~~b b~~ c a c x

a ~~c c~~ a c x  → ~~a a~~ c x  → c x

a b b c b b c a c x


store from left to right
remove right to left
} LIFO → stack

```
for ( i = 0 to n-1 ) {
    if ( !st.isEmpty() && st.peek() == s[i] ) {
        st.pop()
    }
    else {
        st.push(s[i])
    }
}
```

TC = O(N)
SC = O(N)

// create string using stack
// return the reversed string

---

| Infix | Postfix |
|---|---|
| 2 + 5 | 2 5 + |
| operand1 operator operand2 | operand1 operand2 operator |

((6 - 5) * 2)

6 5 - 2 *

6-5 = 1

1*2 = 2

(6 - (5*2))

6 5 2 * -

5*2 = 10

6-10 = -4

y x

3 5 + 2 - 2 5 * -

8 2 - 10 -

6 10 -

-4

```
for (i = 0 to n-1) {
    if (A[i] is operand / integer)
        st.push(A[i])
    else {
        operator = getOperator(A[i])
        x = st.pop()
        y = st.pop()
        z = y operator x
        st.push(z)
```

3

3

return st.peek()

1 2 3 4 + − + 7 − 8 *

| x | y | z |
|---|---|---|
| 4 | 3 | 3+4=7 |
| 7 | 2 | 2-7=-5 |
| -5 | 1 | 1+(-5)=-4 |
| 7 | -4 | -4-(7)=-11 |
| 8 | -11 | -11×8 = -88 |

-88
8
-11
7
-4
4
3
2
1