

Part 1: Wrangling and EDA

In [79]: `import pandas as pd`

```
mdf = pd.read_csv('linked_mortality_file_1999_2000.csv')
gdf = pd.read_sas("DEMO.xpt", format="xport")
df = gdf.merge(mdf, on="SEQN", how="inner")

print(df.shape)
print(df.head())
```

(9965, 151)

	SEQN	SDDSRVYR	RIDSTATR	RIDEXMON	RIAGENDR	RIDAGEYR	RIDAGEMN	RIDAGEE
0	1.0	1.0	2.0	2.0	2.0	2.0	29.0	31.0
1	2.0	1.0	2.0	2.0	1.0	77.0	926.0	926.0
2	3.0	1.0	2.0	1.0	2.0	10.0	125.0	126.0
3	4.0	1.0	2.0	2.0	1.0	1.0	22.0	23.0
4	5.0	1.0	2.0	2.0	1.0	49.0	597.0	597.0

	RIDRETH1	RIDRETH2	...	WTIREP50	WTIREP51	WTIREP52	\
0	4.0	2.0	...	10327.992682	9809.165049	10323.315747	
1	3.0	1.0	...	27268.025234	27406.383620	26984.812909	
2	3.0	1.0	...	44480.987235	45389.112766	43781.905637	
3	4.0	2.0	...	10851.024385	10564.981435	11012.529729	
4	3.0	1.0	...	92817.926915	94282.855382	91993.251203	

	ELIGSTAT	MORTSTAT	UCOD_LEADING	DIABETES	HYPERTEN	PERMTH_INT	\
0	2	NaN	NaN	NaN	NaN	NaN	
1	1	1.0	6.0	0.0	0.0	177.0	
2	2	NaN	NaN	NaN	NaN	NaN	
3	2	NaN	NaN	NaN	NaN	NaN	
4	1	0.0	NaN	NaN	NaN	244.0	

	PERMTH_EXM
0	NaN
1	177.0
2	NaN
3	NaN
4	244.0

[5 rows x 151 columns]

Key Variable Descriptions

- **ELIGSTAT**: Whether the participant was eligible for mortality follow-up (1=eligible, 2=ineligible).
- **MORTSTAT**: Vital status at the end of the follow-up (0=alive, 1=deceased). This is our main prediction target.
- **PERMTH_INT**: The months of follow-up from interview date until death or Dec 31, 2019. This will be used for survival regression.
- **RIDAGEEX**: Age in months at time of medical exam. More precise than RIDAGEYR (age in years) because it captures sub-year age differences. We will use this instead of RIDAGEYR throughout our analysis.

```
In [80]: bmx = pd.read_sas("BMX.xpt", format="xport")
bpx = pd.read_sas("BPX.xpt", format="xport")

df = df.merge(bmx, on="SEQN", how="left")
df = df.merge(bpx, on="SEQN", how="left")

print(df.shape)

(9965, 217)
```

Data Selection Rationale

Beyond demographics, I added two additional NHANES datasets:

- **Body Measures (BMX)**: Contains BMI, weight, and height. Obesity is a well-known risk factor for mortality.
- **Blood Pressure (BPX)**: Contains systolic and diastolic blood pressure readings. High blood pressure is a leading cause of cardiovascular death.

These variables, combined with age, gender, and race from the demographics file, give us a strong set of predictors for mortality.

```
In [81]: print(df.isnull().sum())

SEQN          0
SDDSRVYR      0
RIDSTATR      0
RIDEXMON      683
RIAGENDR       0
...
BPXSY4        8322
BPXDI4        8322
BPAEN4        7829
BPXSAR        2750
BPXDAR        2750
Length: 217, dtype: int64
```

Missing Values

Key variables with missing data:

- **MORTSTAT**: 4,520 missing — these are ineligible participants, will be dropped
- **PERMTH_INT**: 4,992 missing — same reason
- **BMX columns**: ~1,000-2,000 missing — some participants skipped body measures exam
- **BPX columns**: up to 8,322 missing — many participants skipped later blood pressure readings

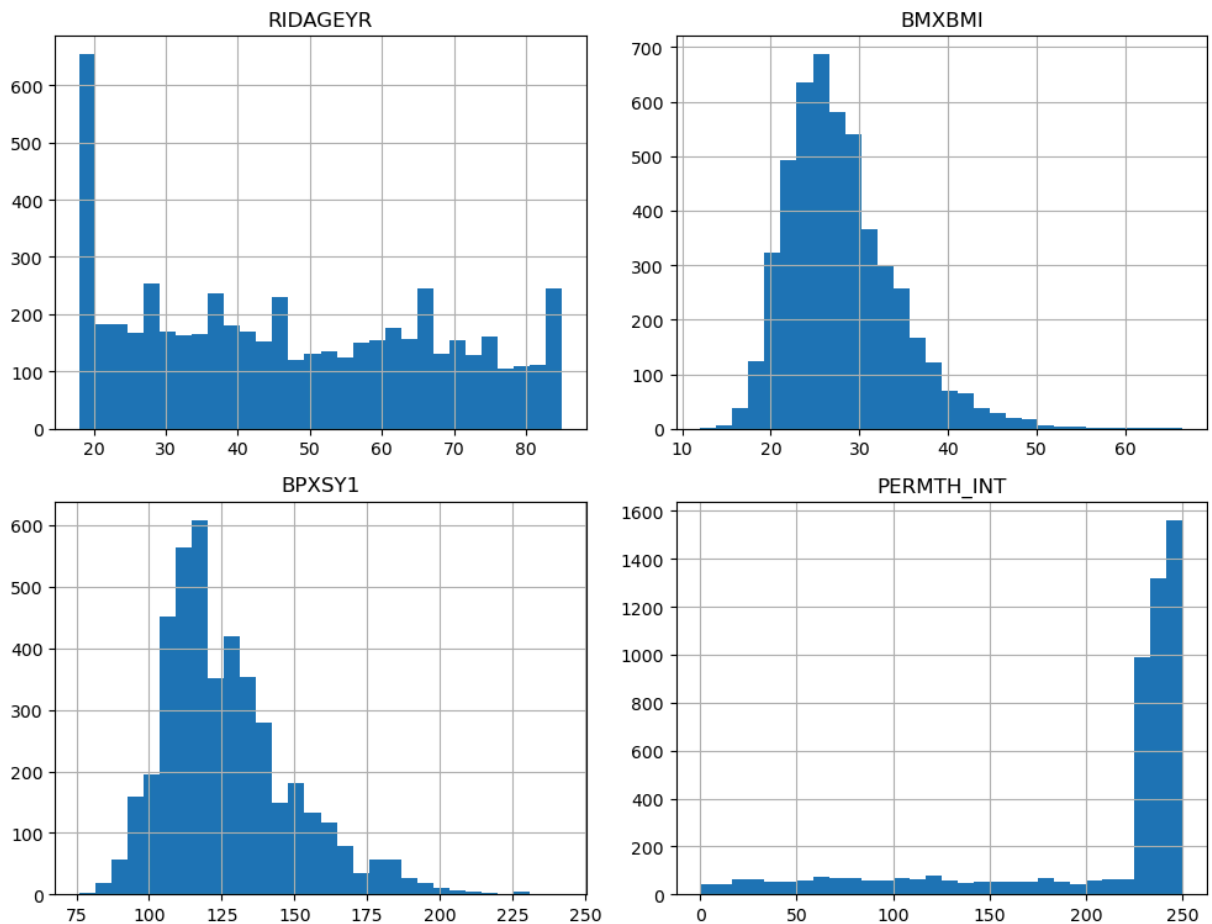
We will drop rows where MORTSTAT is missing since we cannot use those for prediction. Other missing values will be handled during modeling.

```
In [82]: df_clean = df.dropna(subset=['MORTSTAT'])  
         print(df_clean.shape)
```

(5445, 217)

```
In [83]: import matplotlib.pyplot as plt  
  
         key_vars = ['RIDAGEYR', 'BMXBMI', 'BPXSY1', 'PERMTH_INT']  
  
         df_clean[key_vars].hist(bins=30, figsize=(10,8))  
         plt.suptitle('Distribution of Key Variables')  
         plt.tight_layout()  
         plt.show()
```

Distribution of Key Variables



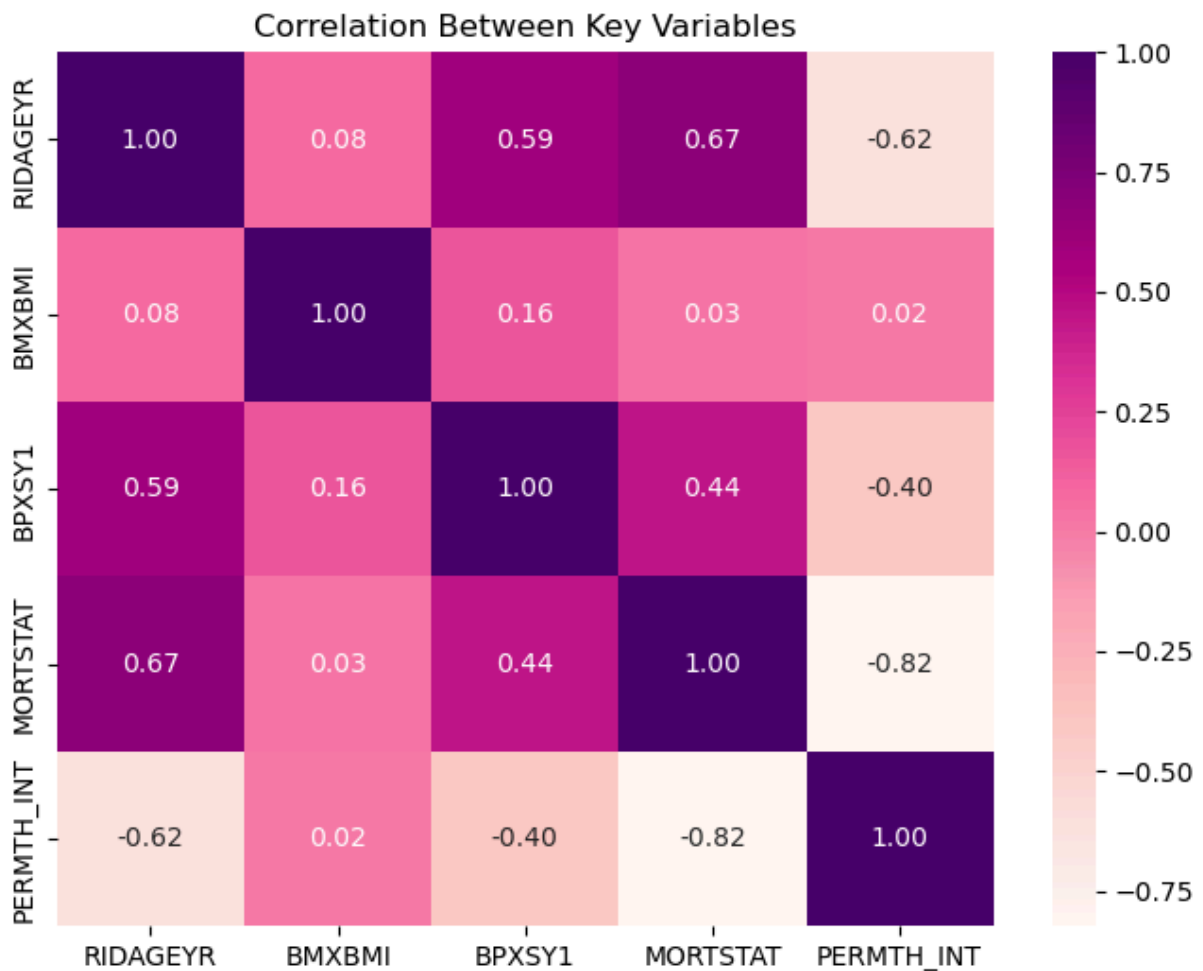
EDA - Skewness and Distributions

- **Age**: Roughly uniform across 18-85, slight spike at young adults.
- **BMI**: Right-skewed with some high outliers above 50, indicating extreme obesity in a small number of participants.
- **Systolic Blood Pressure**: Roughly normal, slight right skew toward high values.
- **PERMTH_INT**: Heavily right-skewed; most people survived the full follow-up window, creating a large spike at the maximum value.

```
In [84]: import seaborn as sns

corr_vars = ['RIDAGEYR', 'BMXBMI', 'BPXSY1', 'MORTSTAT', 'PERMTH_INT']
corr_matrix = df_clean[corr_vars].corr()

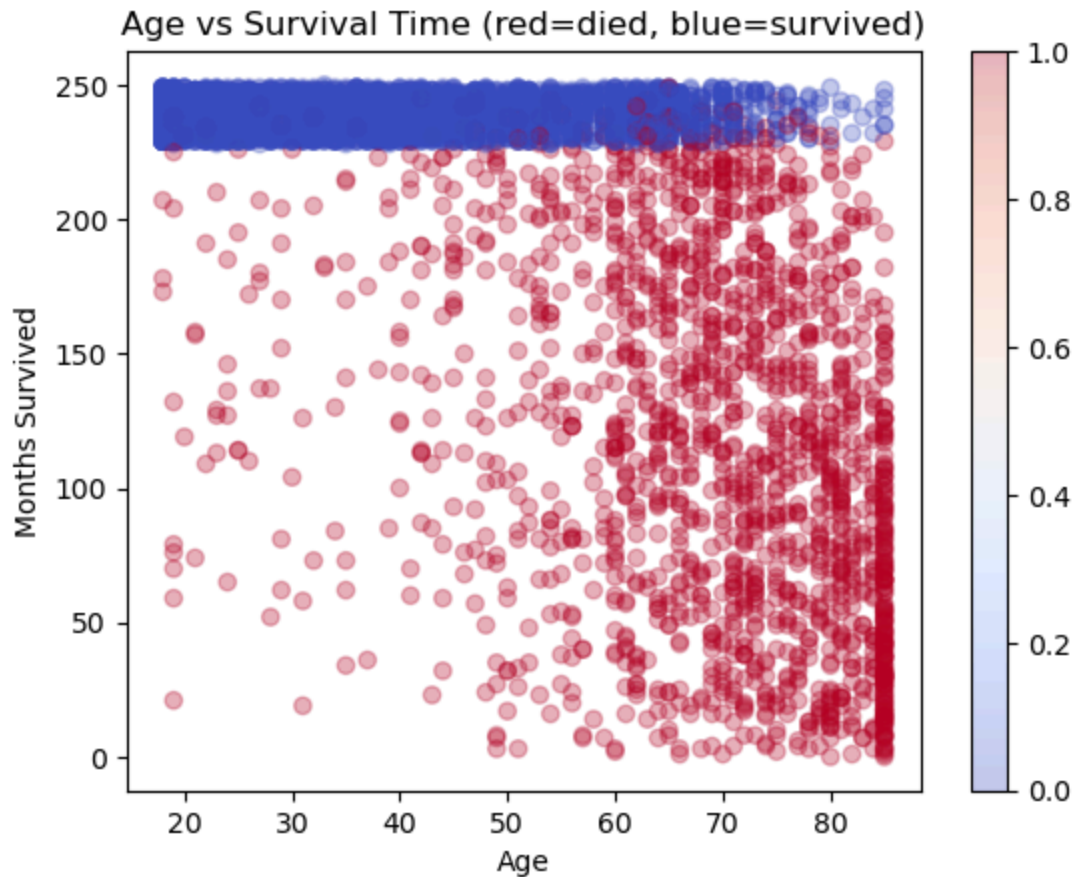
plt.figure(figsize=(8,6))
sns.heatmap(corr_matrix, annot=True, cmap='RdPu', fmt='.2f')
plt.title('Correlation Between Key Variables')
plt.show()
```



EDA - Correlations

- Age is the strongest predictor of mortality ($r=0.67$) and negatively correlated with survival time ($r=-0.62$).
- Systolic blood pressure is moderately correlated with mortality ($r=0.44$).
- BMI shows almost no correlation with mortality ($r=0.03$), suggesting it may not be a useful predictor on its own.
- MORTSTAT and PERMTH_INT are strongly negatively correlated ($r=-0.82$), which makes sense --> people who died had fewer months of follow-up.

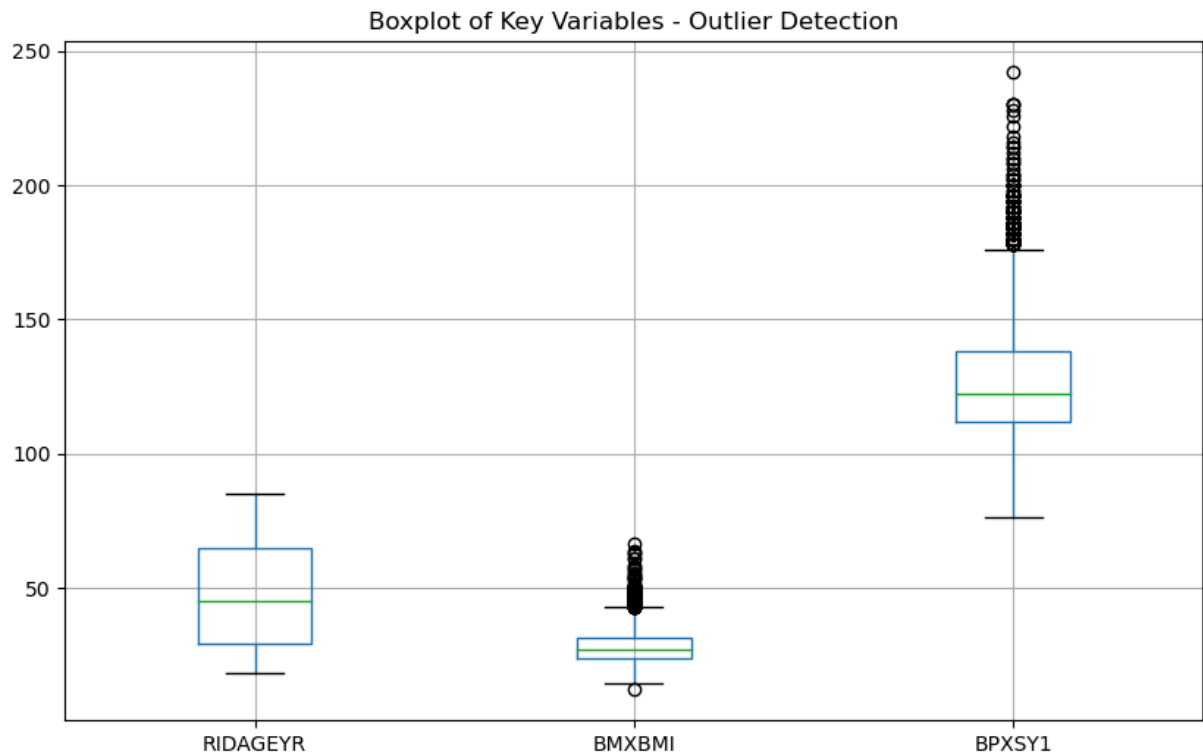
```
In [85]: plt.scatter(df_clean['RIDAGEYR'], df_clean['PERMTH_INT'],
                    c=df_clean['MORTSTAT'], cmap='coolwarm', alpha=0.3)
plt.xlabel('Age')
plt.ylabel('Months Survived')
plt.title('Age vs Survival Time (red=died, blue=survived)')
plt.colorbar()
plt.show()
```



EDA - Scatter Plot: Age vs Survival Time

Younger people (blue) cluster at the top --> they survived the full follow-up period of 250 months. Older people (red) have much lower survival times, dying earlier after the survey. This confirms that age is the strongest predictor of both mortality and survival time.

```
In [86]: df_clean[['RIDAGEYR', 'BMXBMI', 'BPXSY1']].boxplot(figsize=(10,6))  
plt.title('Boxplot of Key Variables - Outlier Detection')  
plt.show()
```



EDA - Outliers

BMI has several high outliers above 60, indicating a small number of extremely obese participants. Blood pressure has many outliers above 175, representing people with dangerously high hypertension. Age has no major outliers --> it is naturally capped at 85 in this dataset.

```
In [87]: contingency = pd.crosstab(df_clean['RIAGENDR'], df_clean['MORTSTAT'], rownames=[
print(contingency)
```

```
Mortality (0=Alive, 1=Dead)    0.0    1.0
Gender
1.0                          1665    883
2.0                          2105    792
```

EDA - Contingency Table: Race/Ethnicity vs Mortality

```
In [88]: race_labels = {1: 'Mexican American', 2: 'Other Hispanic', 3: 'Non-Hispanic'

df_clean = df_clean.copy()
df_clean['RACE_LABEL'] = df_clean['RIDRETH1'].map(race_labels)

race_contingency = pd.crosstab(df_clean['RACE_LABEL'], df_clean['MORTSTAT'],
print(race_contingency)
```

```
race_contingency['Mortality Rate %'] = (race_contingency[1.0] / (race_contir
print("\n", race_contingency)
```

Mortality (0=Alive, 1=Dead)	0.0	1.0	
Race/Ethnicity			
Mexican American	1185	366	
Non-Hispanic Black	715	320	
Non-Hispanic White	1458	871	
Other	148	45	
Other Hispanic	264	73	

Mortality (0=Alive, 1=Dead)	0.0	1.0	Mortality Rate %
Race/Ethnicity			
Mexican American	1185	366	23.6
Non-Hispanic Black	715	320	30.9
Non-Hispanic White	1458	871	37.4
Other	148	45	23.3
Other Hispanic	264	73	21.7

The contingency table reveals meaningful differences in mortality rates across racial/ethnic groups:

- Non-Hispanic White participants had the highest mortality rate (37.4%), likely reflecting the older age distribution in this group.
- Non-Hispanic Black participants had the second highest rate (30.9%), which may reflect known health disparities in access to care and chronic disease burden.
- Mexican American (23.6%), Other Hispanic (21.7%), and Other (23.3%) groups had the lowest mortality rates, possibly due to younger age distributions.

This suggests race/ethnicity is a meaningful predictor of mortality, though we must be careful, racial differences in mortality often reflect systemic health disparities rather than biological differences. Using race as a predictor risks reinforcing these disparities rather than addressing their root causes.

Part 2: k-NN classification/regression, write-up

1. Data Description

The data comes from two sources merged together:

- **NHANES 1999-2000:** Collected by the CDC to assess the health and nutritional status of adults in the US. Each observation is one survey

participant. It includes demographics, body measures, and blood pressure readings.

- **CDC Linked Mortality File:** Tracks whether NHANES participants later died, and how long they lived after the survey.

Missing data: 4,520 participants were ineligible for mortality follow-up and were dropped. Some participants are missing BMI or blood pressure readings.

Limitations: The data is from 1999-2000, so it may not reflect current health trends. Mortality is tracked only until 2019, so some participants may have died after that cutoff.

2. Variable Selection and Analysis

I selected the following variables to predict mortality and life expectancy:

- **RIDAGEEX:** Age in months at time of medical examination. More precise than RIDAGEYR (age in years) because it captures sub-year age differences, which matter more at older ages.
- **RIAGENDR:** Gender. Men have higher mortality rates than women.
- **RIDRETH1:** Race/ethnicity. Known to correlate with health outcomes.
- **BMXBMI:** BMI. Indicator of obesity related health risks.
- **BPXSY1:** Systolic blood pressure. High BP is a major mortality risk.

```
In [89]: features = ['RIDAGEEX', 'RIAGENDR', 'RIDRETH1', 'BMXBMI', 'BPXSY1']

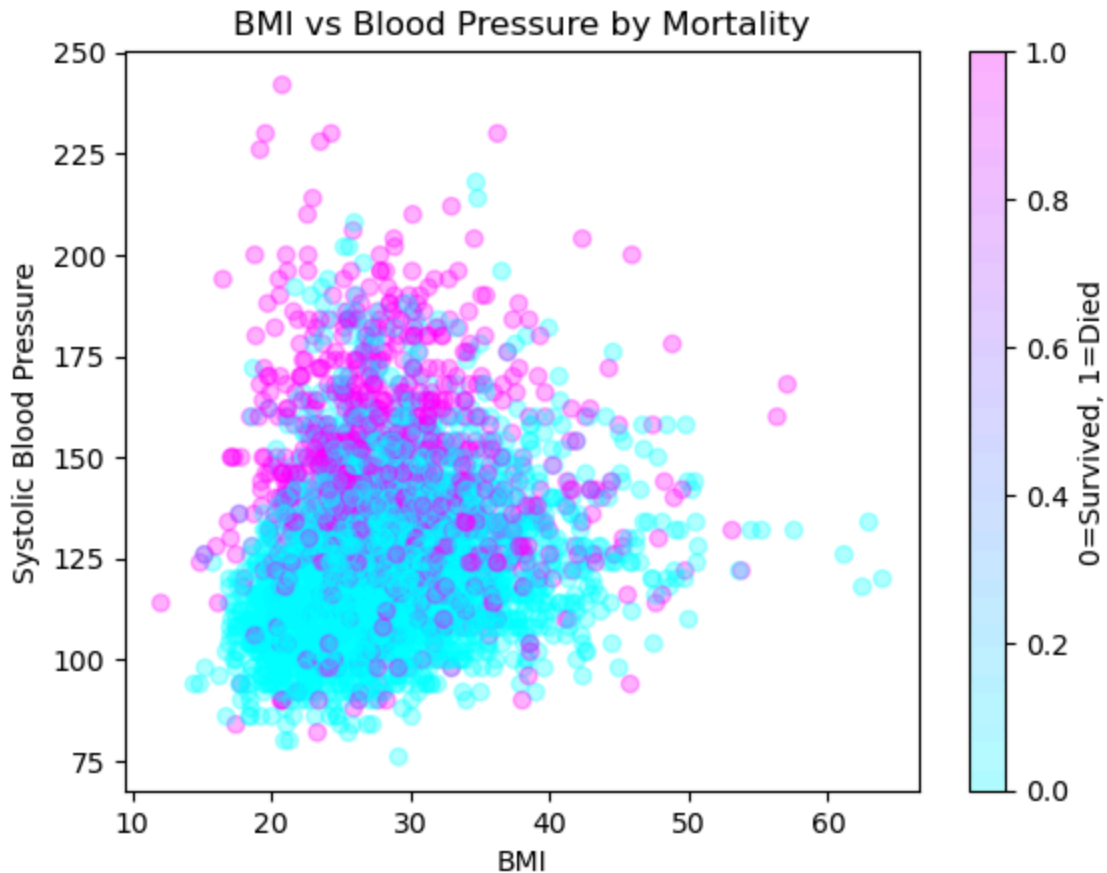
df_model = df_clean[features + ['MORTSTAT', 'PERMTH_INT']].dropna()
print(df_model.shape)
print(df_model.describe())
```

(4190, 7)

	RIDAGEEX	RIAGENDR	RIDRETH1	BMXBMI	BPXSY1	\
count	4190.000000	4190.000000	4190.000000	4190.000000	4190.000000	
mean	551.843198	1.526730	2.607876	28.032594	126.174224	
std	234.402597	0.499345	1.188866	6.146150	21.909844	
min	216.000000	1.000000	1.000000	12.040000	76.000000	
25%	342.000000	1.000000	1.000000	23.720000	110.000000	
50%	528.500000	2.000000	3.000000	27.030000	122.000000	
75%	756.000000	2.000000	3.000000	31.330000	138.000000	
max	1019.000000	2.000000	5.000000	63.910000	242.000000	

	MORTSTAT	PERMTH_INT
count	4190.000000	4190.000000
mean	0.268974	210.099523
std	0.443479	59.244261
min	0.000000	1.000000
25%	0.000000	226.000000
50%	0.000000	236.000000
75%	1.000000	243.000000
max	1.000000	250.000000

```
In [90]: plt.scatter(df_model['BMXBMI'], df_model['BPXSY1'],
                    c=df_model['MORTSTAT'], cmap='cool', alpha=0.3)
plt.xlabel('BMI')
plt.ylabel('Systolic Blood Pressure')
plt.title('BMI vs Blood Pressure by Mortality')
plt.colorbar(label='0=Survived, 1=Died')
plt.show()
```

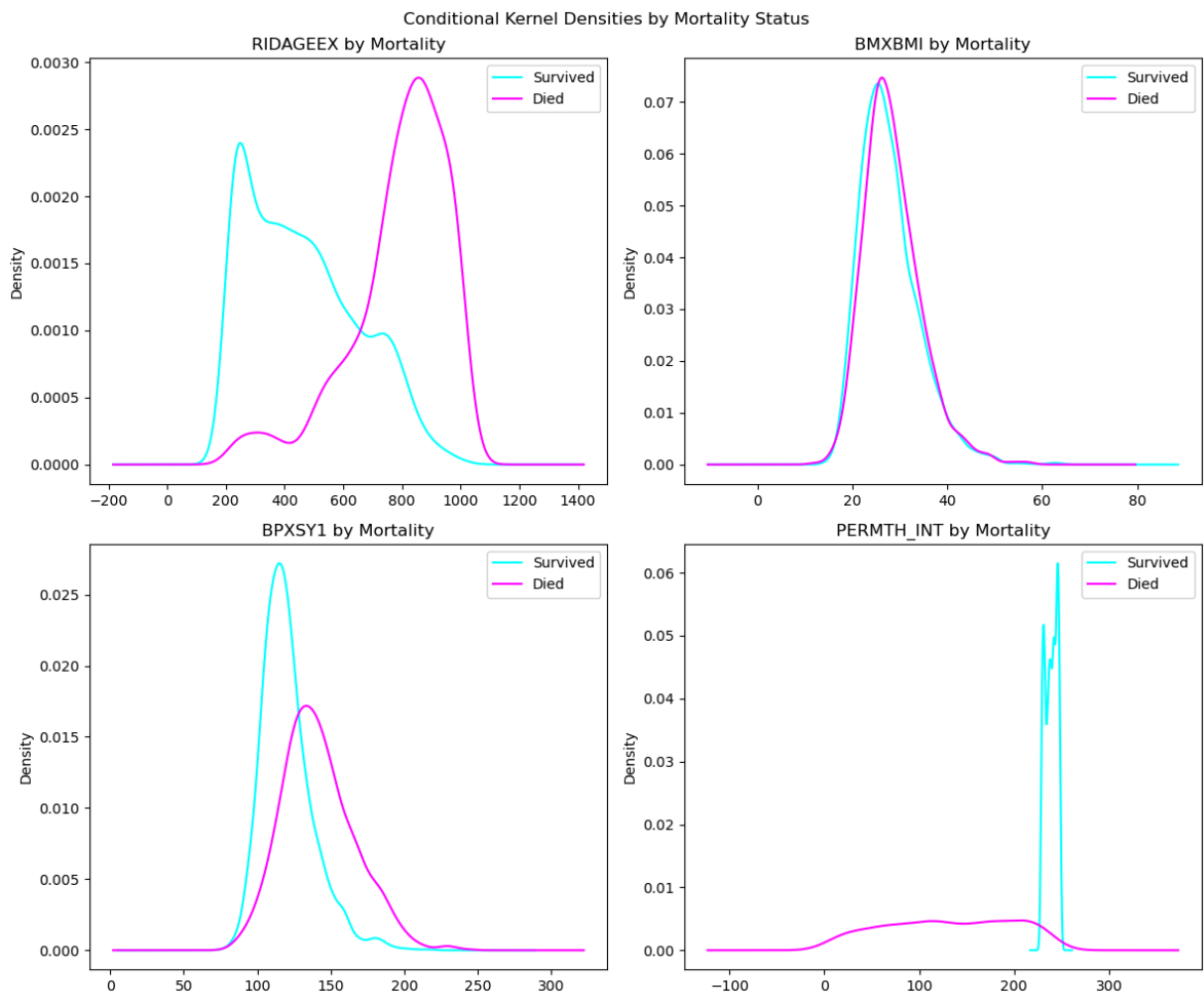


The scatter plot shows BMI vs blood pressure colored by who died (red) and who survived (blue). Red points are more concentrated at higher blood pressure values, confirming that high blood pressure is linked to mortality. BMI alone does not separate the two groups well --> people across all BMI levels died, but those with high blood pressure were more likely to die.

```
In [91]: fig, axes = plt.subplots(2, 2, figsize=(12, 10))

for col, ax in zip(['RIDAGEEX', 'BMXBMI', 'BPXSY1', 'PERMTH_INT'], axes.flat):
    df_model[df_model['MORTSTAT']==0][col].plot.kde(ax=ax, label='Survived',
    df_model[df_model['MORTSTAT']==1][col].plot.kde(ax=ax, label='Died', col
    ax.set_title(f'{col} by Mortality')
    ax.legend()

plt.suptitle('Conditional Kernel Densities by Mortality Status')
plt.tight_layout()
plt.show()
```



Variable Analysis Discussion

The conditional kernel densities reveal clear patterns:

- **Age** shows the strongest separation between survivors and those who died, confirming it is the most important predictor.
- **BMI** shows almost no difference between groups, suggesting limited predictive power on its own.
- **Blood pressure** shows a rightward shift for those who died, indicating higher BP is associated with mortality.
- **PERMTH_INT** shows survivors clustered at the maximum follow-up time (250 months), while those who died are spread across earlier months, as expected.

3. k-NN Mortality Classifier

```
In [92]: from sklearn.neighbors import KNeighborsClassifier
from sklearn.model_selection import train_test_split
from sklearn.metrics import accuracy_score, confusion_matrix
from sklearn.preprocessing import StandardScaler

X = df_model[features]
y = df_model['MORTSTAT']

scaler = StandardScaler()
X_scaled = scaler.fit_transform(X)

X_train, X_test, y_train, y_test = train_test_split(X_scaled, y, test_size=0.2)

k_values = [1, 3, 5, 10, 20, 50]
accuracies = []

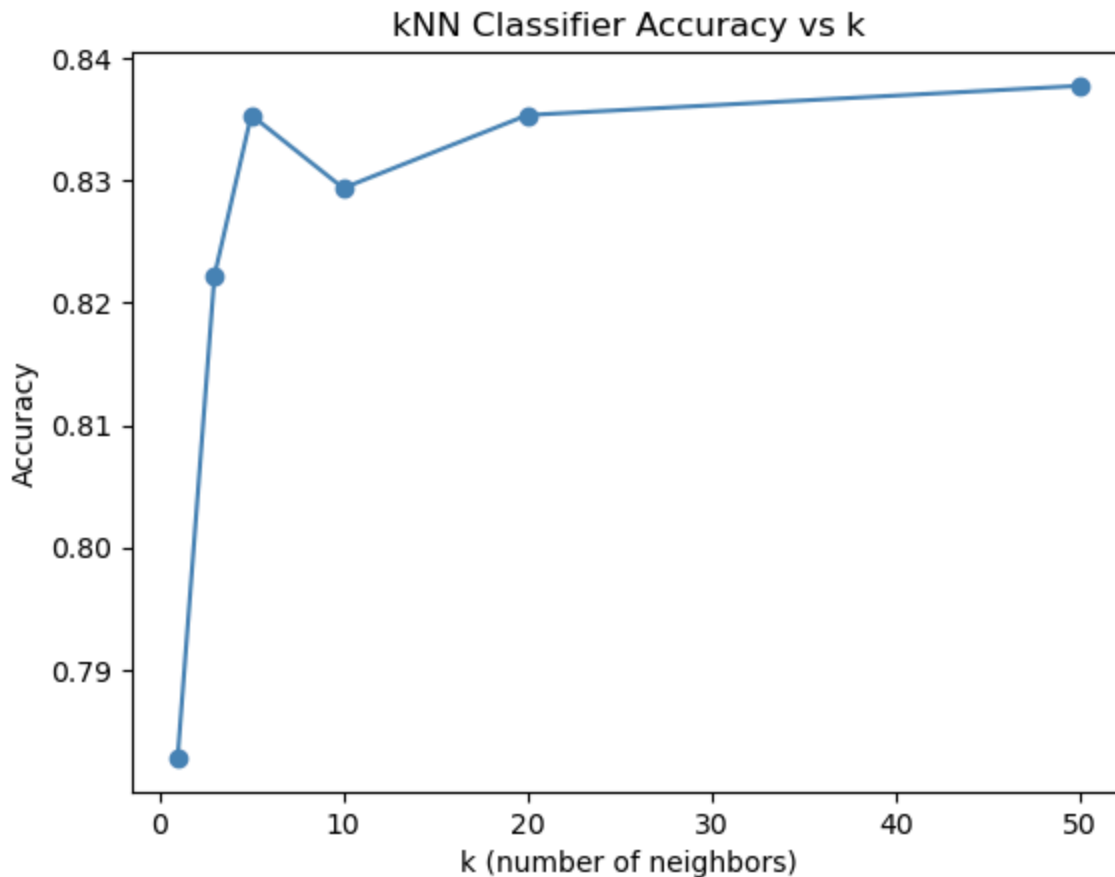
for k in k_values:
    knn = KNeighborsClassifier(n_neighbors=k)
    knn.fit(X_train, y_train)
    y_pred = knn.predict(X_test)
    accuracies.append(accuracy_score(y_test, y_pred))
    print(f"k={k}, Accuracy: {accuracy_score(y_test, y_pred):.4f}")
```

```
k=1, Accuracy: 0.7828
k=3, Accuracy: 0.8222
k=5, Accuracy: 0.8353
k=10, Accuracy: 0.8294
k=20, Accuracy: 0.8353
k=50, Accuracy: 0.8377
```

```
In [93]: plt.plot(k_values, accuracies, marker='o', color='steelblue')
plt.xlabel('k (number of neighbors)')
plt.ylabel('Accuracy')
plt.title('kNN Classifier Accuracy vs k')
plt.show()

knn_best = KNeighborsClassifier(n_neighbors=50)
knn_best.fit(X_train, y_train)
y_pred = knn_best.predict(X_test)
```

```
print("Confusion Matrix:")  
print(confusion_matrix(y_test, y_pred))
```



Confusion Matrix:
[[563 46]
 [90 139]]

Classifier Results

The best k is 50, with 83.7% accuracy. Accuracy increases as k grows then flattens out, suggesting k=50 is a good choice.

The confusion matrix shows the model is better at identifying survivors than those who died. 90 deaths were missed (predicted as surviving) --> this is important in a health context since missing a death prediction could have real consequences.

```
In [94]: from sklearn.model_selection import cross_val_score
```

```
X_cv = df_model[features].values  
y_cv = df_model['MORTSTAT'].values  
  
scaler_cv = StandardScaler()  
X_cv_scaled = scaler_cv.fit_transform(X_cv)  
  
knn_cv = KNeighborsClassifier(n_neighbors=50)
```

```
cv_scores = cross_val_score(knn_cv, X_cv_scaled, y_cv, cv=5, scoring='accuracy')
print(f"5-Fold CV Accuracy: {cv_scores.mean():.4f} ± {cv_scores.std():.4f}")
print(f"Individual fold scores: {[round(s, 4) for s in cv_scores]}")
```

5-Fold CV Accuracy: 0.8532 ± 0.0112

Individual fold scores: [0.8496, 0.8652, 0.8484, 0.8663, 0.8365]

Cross-Validation Results

5-fold cross-validation confirms that $k=50$ generalizes well, achieving a mean accuracy of 85.3% ($\pm 1.1\%$) across all 5 folds. The low standard deviation indicates the model is stable and consistent, confirming our results are not due to a lucky train/test split.

4. k-NN Life Expectancy Regressor

```
In [95]: from sklearn.neighbors import KNeighborsRegressor
from sklearn.metrics import mean_squared_error
import numpy as np

X = df_model[features]
y = df_model['PERMTH_INT']

X_train, X_test, y_train, y_test = train_test_split(X_scaled, y, test_size=0.2)

k_values = [1, 3, 5, 10, 20, 50]
rmse = []

for k in k_values:
    knn = KNeighborsRegressor(n_neighbors=k)
    knn.fit(X_train, y_train)
    y_pred = knn.predict(X_test)
    rmse = np.sqrt(mean_squared_error(y_test, y_pred))
    rmse.append(rmse)
    print(f"k={k}, RMSE: {rmse:.2f}")
```

k=1, RMSE: 67.42

k=3, RMSE: 54.20

k=5, RMSE: 52.10

k=10, RMSE: 49.68

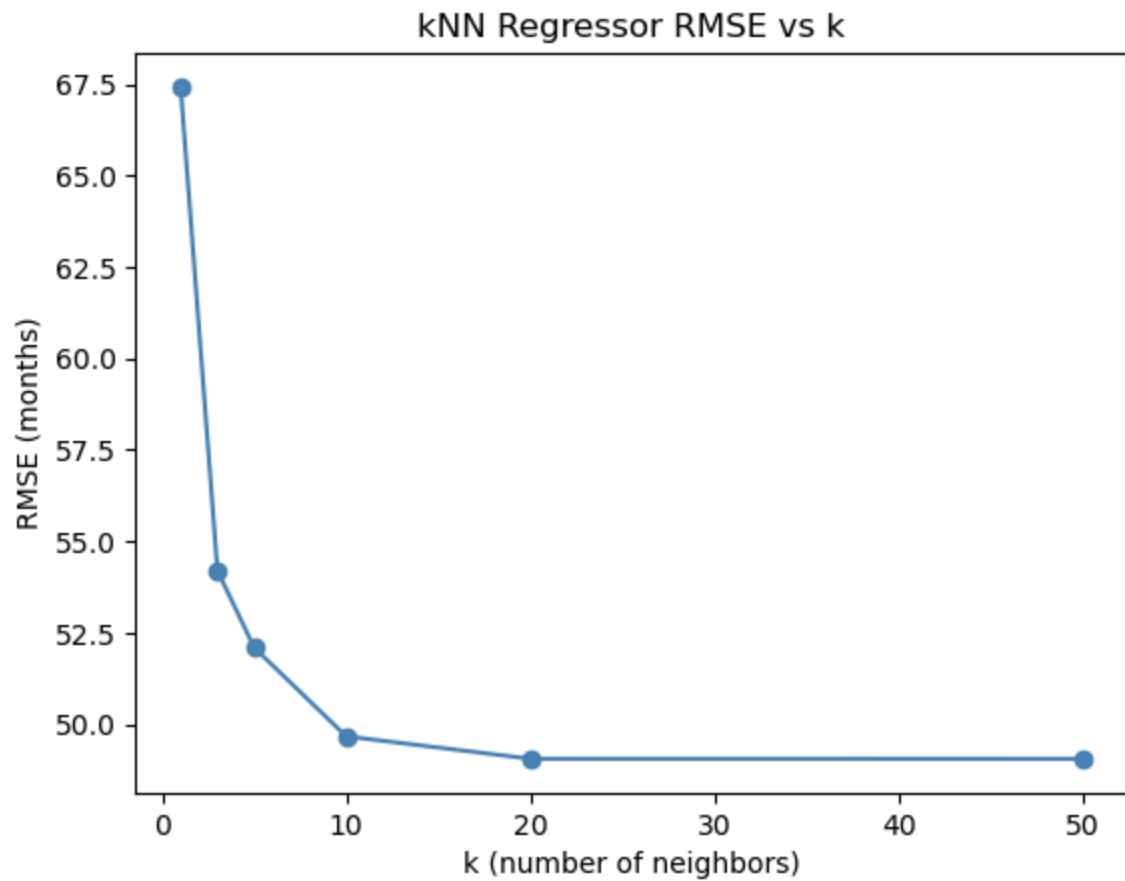
k=20, RMSE: 49.06

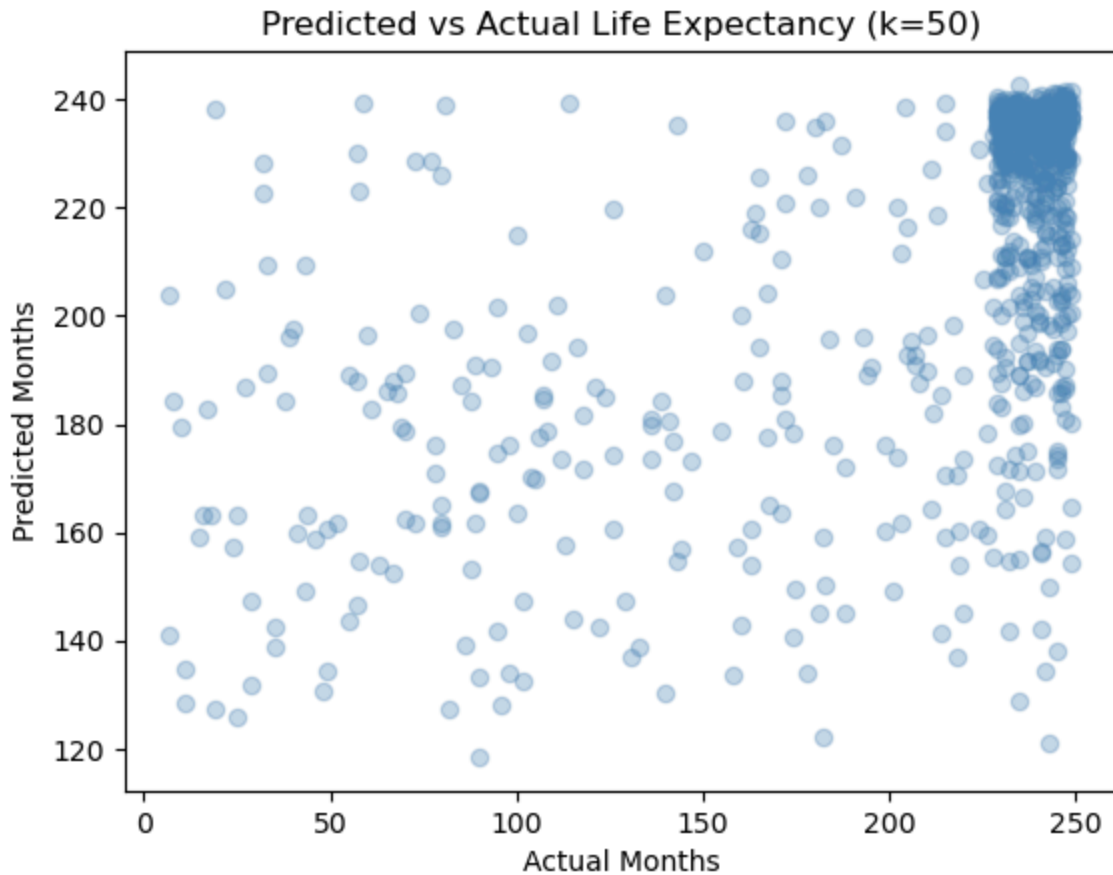
k=50, RMSE: 49.06

```
In [96]: plt.plot(k_values, rmse, marker='o', color='steelblue')
plt.xlabel('k (number of neighbors)')
plt.ylabel('RMSE (months)')
plt.title('kNN Regressor RMSE vs k')
plt.show()

knn_reg = KNeighborsRegressor(n_neighbors=50)
knn_reg.fit(X_train, y_train)
y_pred = knn_reg.predict(X_test)
```

```
plt.scatter(y_test, y_pred, alpha=0.3, color='steelblue')  
plt.xlabel('Actual Months')  
plt.ylabel('Predicted Months')  
plt.title('Predicted vs Actual Life Expectancy (k=50)')  
plt.show()
```





Regressor Results

RMSE decreases as k increases, with $k=50$ performing best at 49 months error. This means our predictions are off by about 4 years on average.

The scatter plot shows the model struggles to predict exact survival time, predictions cluster toward higher values because most people survived the full follow-up period. This is a known limitation of kNN regression when the target variable is heavily skewed, as PERMTH_INT is.

$k=50$ was selected because it minimizes RMSE and the curve flattens out after $k=20$, suggesting larger k values do not improve much further.

5. Health Interventions, Limitations, and Risks

How This Model Could Be Used

This kNN model predicts whether a patient is likely to die within a 20-year follow-up window and how many months they are likely to survive, based on age (in months), gender, race/ethnicity, BMI, and systolic blood pressure. All features

were standardized before modeling to ensure equal contribution to distance calculations.

In a health intervention context, this model could be used to:

- **Flag high-risk patients for preventive care:** The model identifies older patients with high blood pressure as the highest-risk group. These patients could be prioritized for regular checkups, medication reviews, and cardiovascular screening programs before a crisis may actually occur.
- **Distribute public health resources more efficiently:** In settings with limited resources, the classifier (83.7% accuracy, 85.3% cross-validated) can help organize which patients need the most immediate attention, allowing providers to focus intensive care where it is most needed.
- **Guide targeted lifestyle interventions:** Patients with high BMI or elevated systolic blood pressure (above 150 mmHg, where mortality risk increases based on our EDA) could be targeted for diet and exercise programs.
- **Support survival planning:** The regressor estimates how many months a patient is likely to survive (RMSE = 49 months). While too imprecise for individual clinical decisions, it could inform population-level planning for hospice care and long-term medical care facilities.

Limitations

- **Age dominates the model:** Age (RIDAGEEX) is by far the strongest predictor ($r=0.67$ with MORTSTAT). This means the model may overlook patients who are younger but at high risk due to factors not captured here, such as smoking history, diabetes, or family history of disease.
- **Missing important predictors:** The CDC Linked Mortality File includes DIABETES and HYPERTEN variables that we did not include in our model. Including these could meaningfully improve performance, especially for younger high-risk patients.
- **Data is from 1999-2000:** Medical treatments, life expectancy, and health trends have changed significantly in the past 25 years. The model may not reflect current mortality patterns.
- **RMSE of 49 months:** The regressor is off by about 4 years on average, which is too imprecise for individual clinical use. It is better suited for population-level analysis than individual predictions.

- **Missed deaths:** The classifier missed 90 deaths in the test set (confusion matrix: $\begin{bmatrix} 563 & 46 \\ 90 & 139 \end{bmatrix}$). In a real health setting, failing to flag someone as high-risk could delay life-saving treatments or diagnoses.
- **Mortality censored at 2019:** Some participants who were still alive at the end of follow-up may have died after December 31, 2019. This means our model slightly underestimates true mortality risk.

Ethical Risks

- **Racial bias:** Race/ethnicity is included as a predictor because it correlates with mortality outcomes in our data (Non-Hispanic White: 37.4% mortality, Non-Hispanic Black: 30.9%, Mexican American: 23.6%). However, these differences largely reflect systemic disparities in access to healthcare, socioeconomic conditions, and chronic disease burden, not biological differences. Using race as a predictor risks encoding and reinforcing these disparities rather than addressing their root causes.
- **Fairness:** Model predictions should never be used to deny care or not prioritize certain patients. A patient predicted as low-risk still deserves full clinical evaluation. The model is a screening tool, not a decision-maker.
- **Privacy:** This model was built on individually linked health and mortality data. Any real-world deployment would require strict data governance, patient consent, and compliance with HIPAA regulations.
- **Over-reliance on a single model:** kNN is a relatively simple algorithm. Before utilizing it in real-world clinical environments, this model should be tested against stronger methods such as logistic regression or survival models like the "Cox proportional hazards".

This model is best used as a population-level screening tool to support, NOT REPLACE, clinical judgment from medical professionals.